1. Let ${\cal T}$ be a linear transformation in the plane represented by the following matrix:

The rank of T is:

- O 3
- O 1
- 0 0
- 2
- 2. Consider the linear transformation T that maps the vectors (1,0) and (0,1) in the following manner:

1 point

1 point

$$T(0,1) = (2,5)$$

 $T(1,0) = (3,1)$

The area of the parallelogram spanned by transforming the vectors (0,1) and (1,0) is:

-13

1 point

3. Consider the following three matrices

 $M_1 = egin{bmatrix} 2 & 1 \ 3 & 1 \end{bmatrix}$

$$M_2 = \begin{bmatrix} 3 & 1 \\ 1 & 1 \end{bmatrix}$$

$$M_3 = egin{bmatrix} 2 & 3 \ 4 & 5 \end{bmatrix}$$

The determinant of $M_1 \cdot M_2 \cdot M_3$ is equal to:

4. Let ${\cal M}$ and ${\cal N}$ be two square matrices with the same size.

1 point

Check all statements that are true.

- $\ensuremath{\checkmark}$ If M and N are non-singular matrices, then so is $M\cdot N.$
- $\hfill \square$ If $M\cdot N$ is singular, then M and N are singular.
- $\square \det(M+N) = \det(M) + \det(N).$
- 5. Let M be the following 3 imes 3 matrix:

1 point

$$\begin{bmatrix} 0 & 0 & 1 \\ 2 & 2 & 1 \\ 1 & 0 & 0 \end{bmatrix}$$

Compute $\det(M^{-1})$. Please provide your solution in decimal notation not in fraction, using one decimal place.

-0.5