

Taylor Series			Common Integrals		Equations for Ellipses	
$1/1-x$	$1+x+x^2+x^3+\dots$	$\sum x^n$	$\int \sin(x)dx$	$-\cos(x)+C$	$(x-h)^2/a^2 + (y-k)^2/b^2 = 1$	$c=\sqrt{ a^2-b^2 }$
$\sin(x)$	$x^1-x^3/3!+x^5/5!-\dots$	$\sum (-1)^n x^{2n+1}/(2n+1)!$	$\int \cos(x)dx$	$\sin(x)+C$	eccentricity	$c/(\max a b)$
e^x	$1+x+x^2/2!+x^3/3!+\dots$	$\sum x^n/n!$	$\int \tan(x)dx$	$-\ln(\cos(x))+C$	foci (on major axis)	when $x=$ center and $y=$ center
$\cos(x)$	$1-x^2/2!+x^4/4!-\dots$	$\sum (-1)^n x^{2n}/(2n)!$	$\int \sec(x)dx$	$\ln(\sec(x)+\tan(x))+C$	y= horizontal axis x= vertical axis	
centered around 0 (1/1-x only valid for $-1 < x < 1$.)			$\int \csc(x)dx$	$-\ln(\csc(x)+\cot(x))+C$		
			$\int \cot(x)dx$	$\ln(\sin(x))+C$		
			$\int \sec^2(x)dx$	$\tan(x)+C$		
			$\int e^{f(x)}dx$	$e^{f(x)}/f'(x)+C$		
			$\int (1/x)dx$	$\ln(x)+C$		
			$\int (1/x^n)dx$	$(x^{n+1}/n+1)+C$		
			$\int dx/\sqrt{a-x^2}$	$\arcsin(x/\sqrt{a})+C$		
			$\int dx/x^2+a$	$(1/\sqrt{a})\arctan(x/\sqrt{a})+C$		
Trig Sub's			Important Derivatives		Trig Identities	
$\sqrt{x^2+a^2}$	$x=\text{atan}(\theta)$		$d/dx \arctan f(x)$	$f'(x)/x^2+1$	$\sec^2(\theta)$	$\tan^2(\theta)+1$
$\sqrt{a^2-x^2}$	$x=\text{asin}(\theta)$		$d/dx \sec(\theta)$	$\sec(\theta)\tan(\theta)$	$\sin^2(\theta)$	$1-\cos^2(\theta)$
$\sqrt{x^2-a^2}$	$x=\text{asec}(\theta)$				$\tan^2(\theta)$	$\sec^2(\theta)-1$
$b-ax^2$	$x=\sqrt{b}/\sqrt{a} \sin(\theta)$				$\cos^2(\theta)$	$[1+\cos(2\theta)]/2$
ax^2+b	$x=\sqrt{b}/\sqrt{a} \tan(\theta)$				$\sin^2(\theta)$	$[1-\cos(2\theta)]/2$
ax^2-b	$x=\sqrt{b}/\sqrt{a} \sec(\theta)$				double angle $\cos^2(\theta)$	$(1+\cos(2\theta))/2$
Convergence Divergence test					double angle $\sin^2(\theta)$	$(1-\cos(2\theta))/2$
N^{th} term test	$\lim(n \rightarrow \infty)$	$\neq 0 \sum a_n$				
for divergence	a_n	diverges				
P-Test	converge	diverge $p \leq 1$				
Limit Comparison	$L=$	$L \neq 0$ series both				
	$\lim(n \rightarrow \infty)$	diverge c-				
	(a_n/b_n)	onverge				
Ratio test	$r=$	$r < 1$ converge				
	$\lim(n \rightarrow \infty)$	$r > 1$ diverge				
	$ a_{n+1}/a_n $					
Alternating series test	$\lim(n \rightarrow \infty)$	$=0 \sum (-1)^n a_n$				
	a_n	converges				
			Power Series		Polar Coordinates & Area	
			general form	$\sum a_n(x-a)^n$	Area	$\int 1/2 (f(x))^2 dx$
			$a_n =$ sequence of coeff.		One petal of $r=\sin(n\theta)$	interval $[0, \pi/n]$
			center	$x=a$	One petal of $r=\cos(n\theta)$	$[-\pi/2n, \pi/2n]$
			radius of convergence	$R=\lim(n \rightarrow \infty) a_n/a_{n+1} $	Polar > Cartesian	$x=r\cos(\theta) y=r\sin(\theta)$
			endpoints	$x=a+R$ and $x=a-R$ in series	Cartesian > Polar	$\tan(\theta)=y/x$ $x^2+y^2=r^2$
			Parametric Curves			
			Horizontal Tangents	when $dy/dx=0$ $t=?$ (x)		
			Equations for Parabola			
			$y=a(x-h)^2+k$			
			Directrix	$y=k-(1/4a)$		
			Focus	$(h, k+1/4a)$		
			$x=a(y-k)^2+h$			
			Directrix	$x=h-(1/4a)$		
			Focus	$(h+1/4a, k)$		