

## Neural Network & Deep Learning

## Deep AE

CSE & IT Department
School of ECE
Shiraz University



# AutoEncoder

(AE)

## AE



- A neural network trained to attempt to copy its input to its output
- Typically used in dimensionality reduction
  - Works only if the inputs are correlated
- Used for image denoising wherein a clear noise-free image could be generated using a noisy one
- Recently, widely used for learning generative models
- By adding regularization, it will be able to play with the architecture instead of only the depth

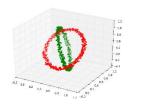
# **AE Usage**

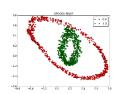


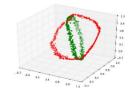
- Compression
  - Not popular as compression algorithms still perform better
- Denoising
  - Using noisy images as input of AE while trying to minimize difference between reconstructed output and original clean image
- Dimensionality reduction
  - Using output layer of Encoder with fewer dimensions than input to represent data in lower dimensions non-linearly
  - In contrast to PCA which does linearly
- Generating new data via generative models

### **Shallow AE**

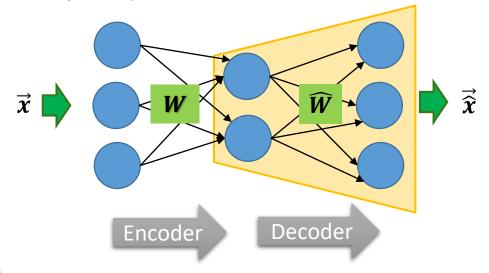


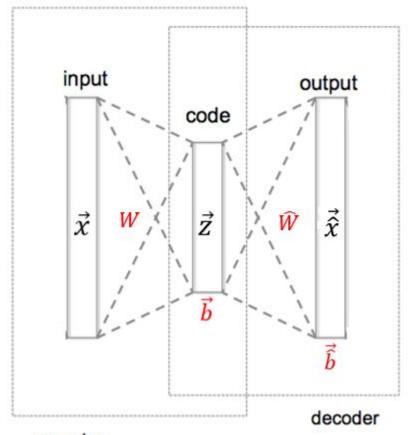






#### Input layer Code layer Output layer



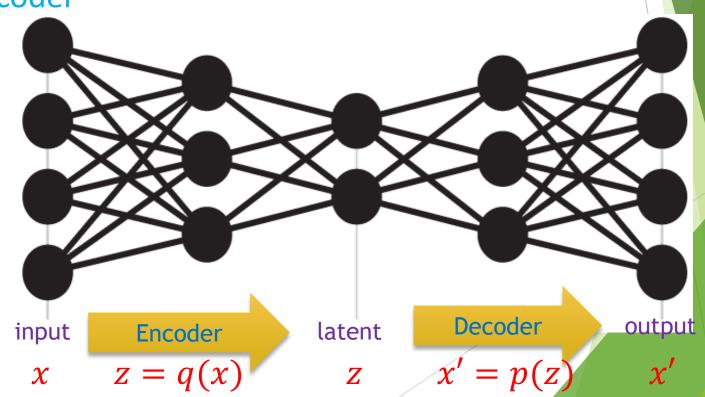


encoder

# Deep MLP-AE



- AE: a neural network trained to attempt to copy its input to its output
- Deep MLP-AE has several hidden layers in its encoder and decoder

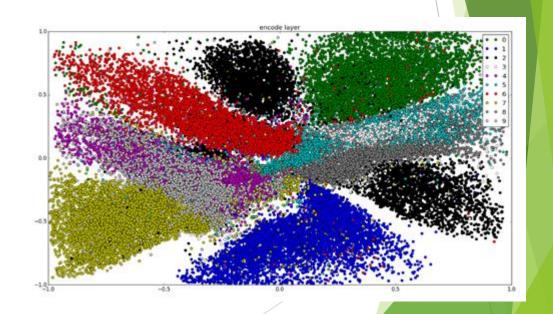


# **Deep AE Properties**



- AE can find an abstract representation of data in its encode layer which contains most information of original representation of data in a lower dimension
- Results on MNIST dataset

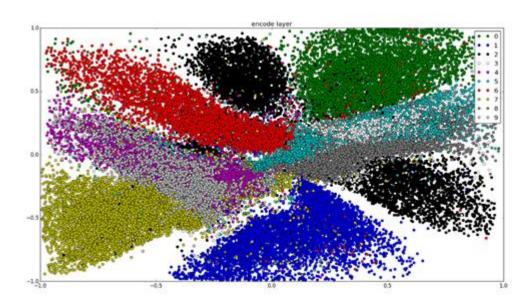


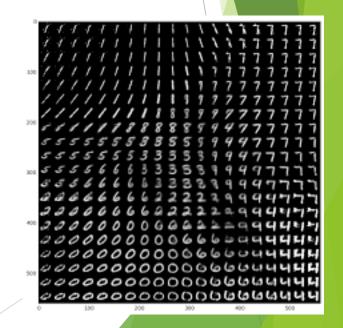


# **Deep AE Properties**



- AE is a generative model
- By generating random samples in encode layer of a trained AE, its decoder can map them to new data samples in original data space



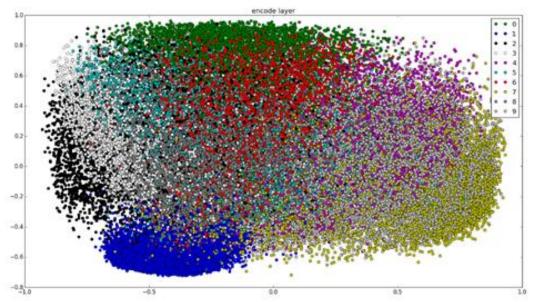


### **Shallow AE**









# Deep AE



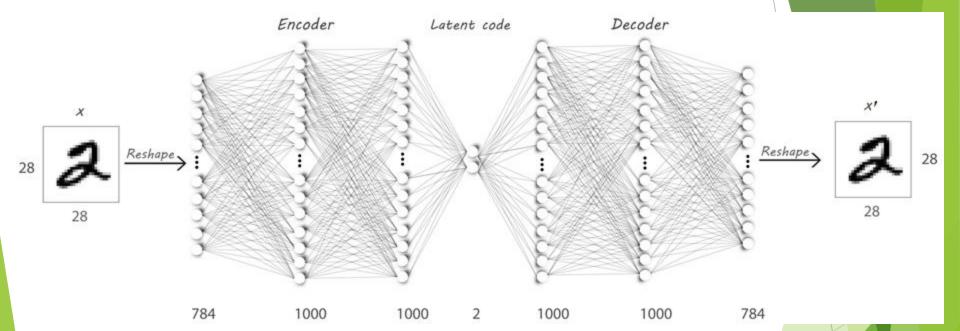
784 -> 512 -> 256 -> 128 -> 32 -> 2 -> 32 -> 128 -> 256 -> 512 -> 784





# **AE for MNIST Dataset**

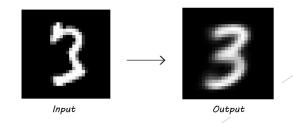
#### **Training phase**



nso

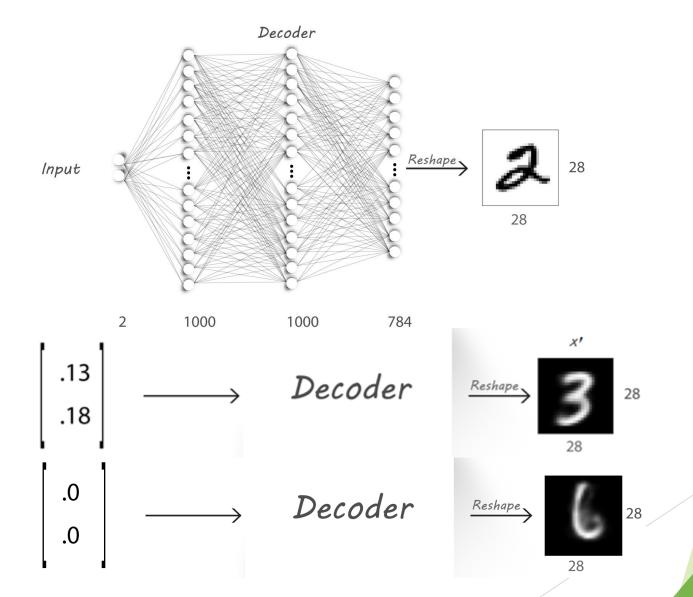
i@shirazu.ac.ir

#### Test phase



### Decoder of AE as Generator





12 Blurry image ---> encoder output (latent code) not follow any distribution



# Variational AutoEncoder

(VAE)

# Why Variational?



- In AE,
  - latent vectors, generated by encoder, tends to be irregular, unorganized, or uninterpretable

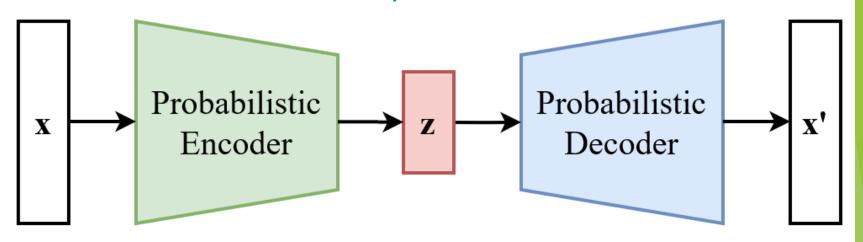
as

 it only aims to reconstruct input as similar as possible without any constraint on latent space

 We would like latent space to be continuous but separated which allow interpolation between different attributes

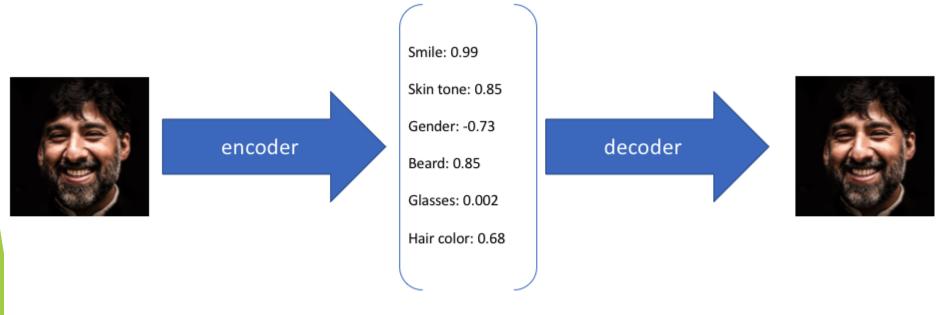
# VAE: Deep Learning + Bayesian Inferen

- Combines techniques from deep learning and Bayesian variational inference
- Provides a probabilistic manner for describing an observation in latent space



 Its encoder describes a probability distribution (instead of producing a single value) for each latent attribute

 Describing input image in terms of its latent attributes using a single value to describe each attribute



Latent attributes

Preferring to represent latent attributes as range of possible values



#### Representing latent attributes as a probability distribution

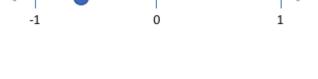


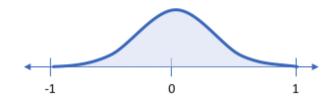


Smile (discrete value)





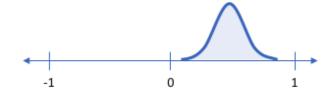




VS.

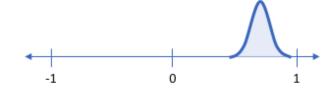






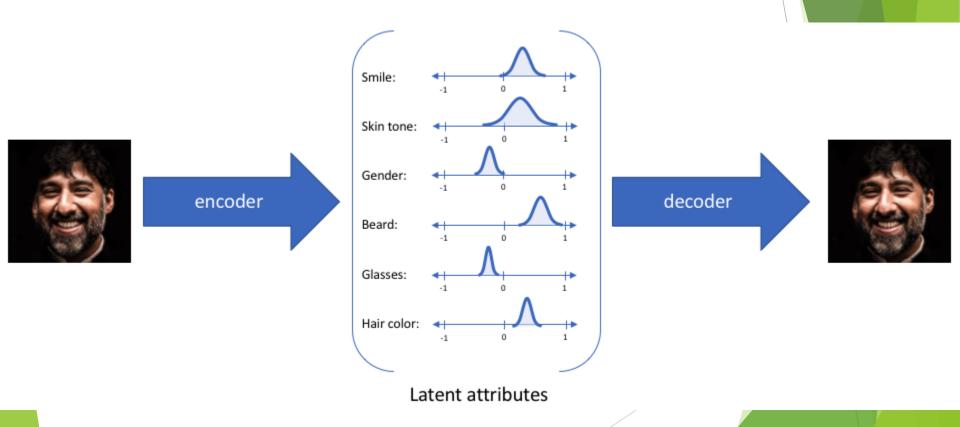






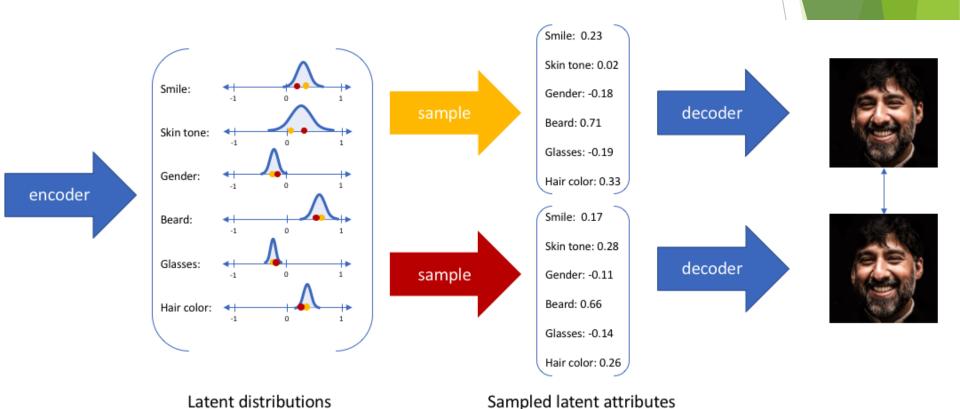


Describing input image in terms of its latent attributes using a probability distribution to describe each attribute





Expecting an accurate reconstruction for any sample from the latent state distributions



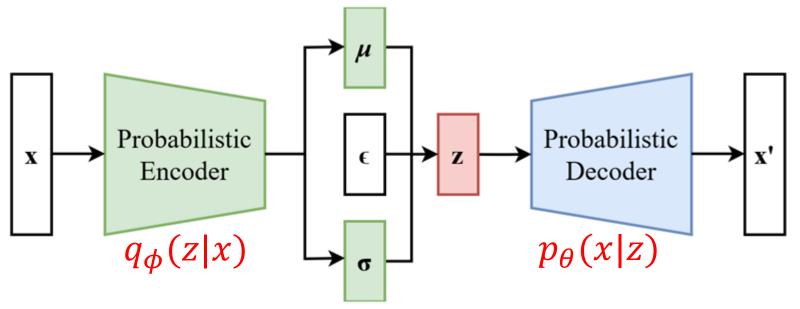
### **AE vs VAE**



- AE is regular: each layer represents encoded data
- VAE is Bayesian: layers represent distribution of data
  - Input to Encoder:
    - Bernoulli distribution (binary data)
    - Gaussian distribution (real-valued data)
  - Latent layer: Gaussian distribution
  - Input to Decoder: samples from Gaussian distribution
  - Output of Decoder:
    - Bernoulli distribution (binary data)
    - Gaussian distribution (real-valued data)

#### **VAE Forward Pass**





- Encoder  $q_{\phi}(z|x)$  approximates posterior distribution p(z|x)  $q_{\phi}(z|x) = \mathcal{N}(z; \mu_{\phi}(x), \operatorname{diag}(\sigma_{\phi}(x)))$
- Decoder carries conditional likelihood distribution  $p_{\theta}(x|z)$  to approximate p(x|z)
- VAE computes p(x'|x)