

Reinforcement Learning: A Primer, Multi-Task, Goal-Conditioned

CS 330

Logistics

Homework 2 due **Wednesday**.

Homework 3 out on **Wednesday**.

Project proposal due **next Wednesday**.

Why Reinforcement Learning?

When do you not need sequential decision making?

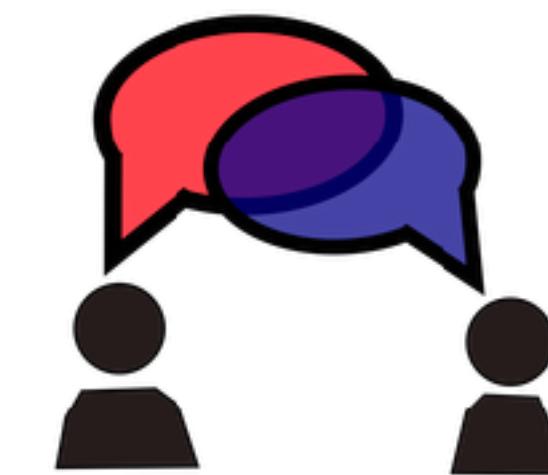
When your system is making a single isolated decision, e.g. classification, regression.

When that decision does not affect future inputs or decisions.

Common applications



robotics



language & dialog



autonomous driving



business operations



finance

(most deployed ML systems)

+ a key aspect of intelligence

The Plan

Multi-task reinforcement learning problem

Policy gradients & their multi-task/meta counterparts

Q-learning

<— should be review

Multi-task Q-learning

object classification



supervised learning

iid data

large labeled, curated dataset

well-defined notions of success

object manipulation



sequential decision making

action affects next state

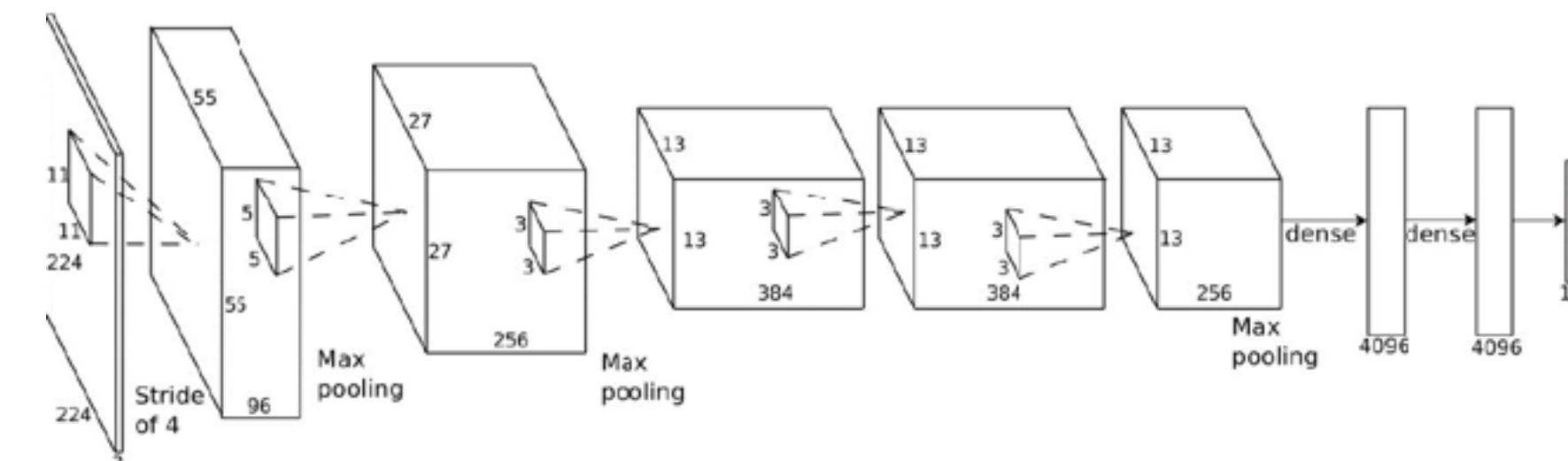
how to collect data?
what are the labels?

what does success mean?

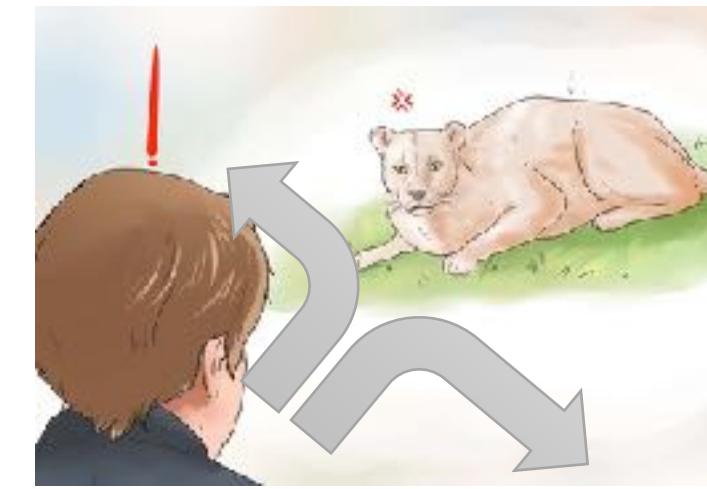
Terminology & notation



\mathbf{o}_t



$\pi_{\theta}(\mathbf{a}_t | \mathbf{o}_t)$



\mathbf{a}_t

\mathbf{s}_t – state

\mathbf{o}_t – observation

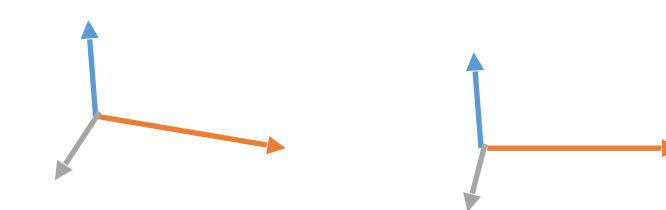
\mathbf{a}_t – action

$\pi_{\theta}(\mathbf{a}_t | \mathbf{o}_t)$ – policy

$\pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t)$ – policy (fully observed)

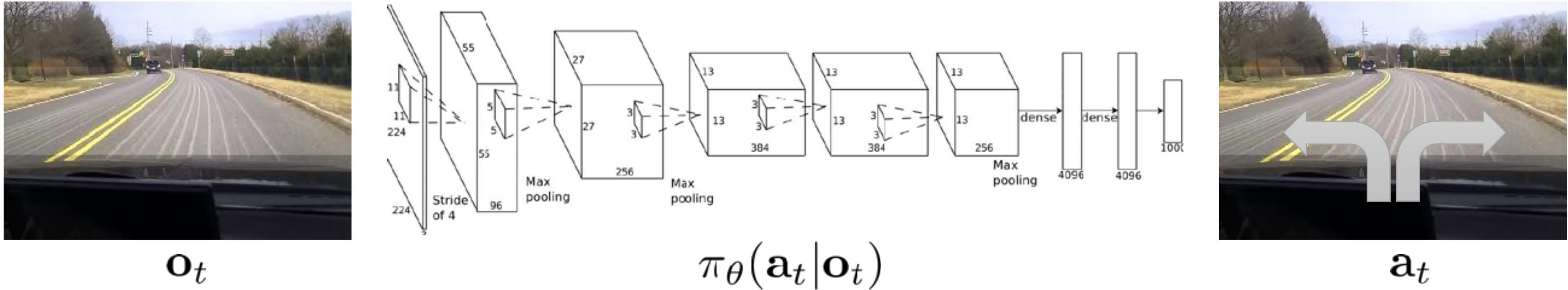


\mathbf{o}_t – observation



\mathbf{s}_t – state

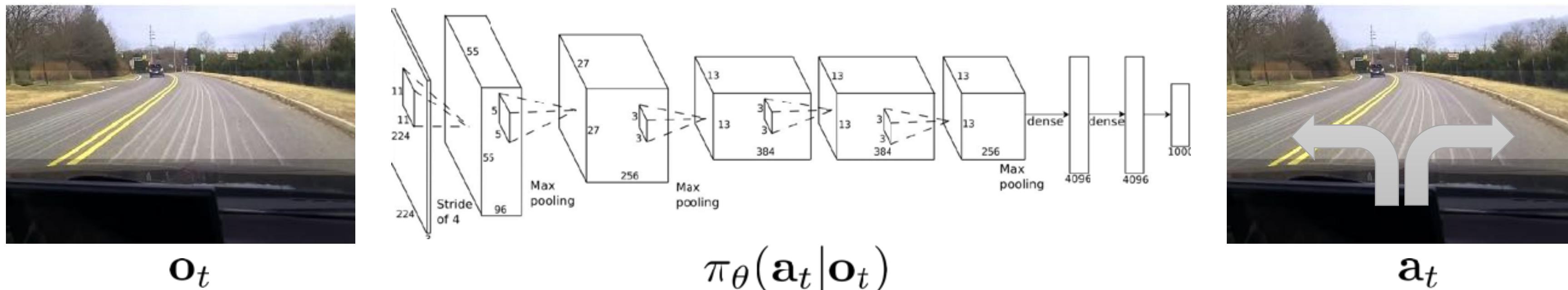
Imitation Learning



Images: Bojarski et al.'16, NVIDIA

Slide adapted from Sergey Levine

Reward functions



which action is better or worse?

$r(\mathbf{s}, \mathbf{a})$: reward function

tells us which states and actions are better



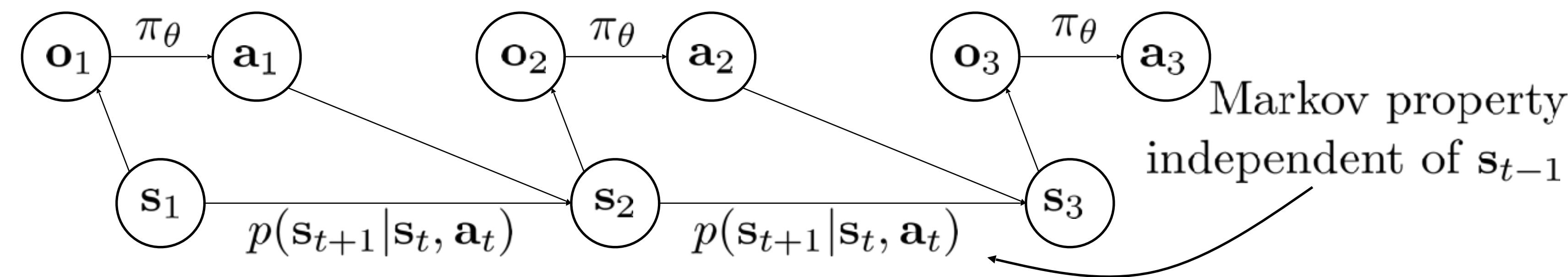
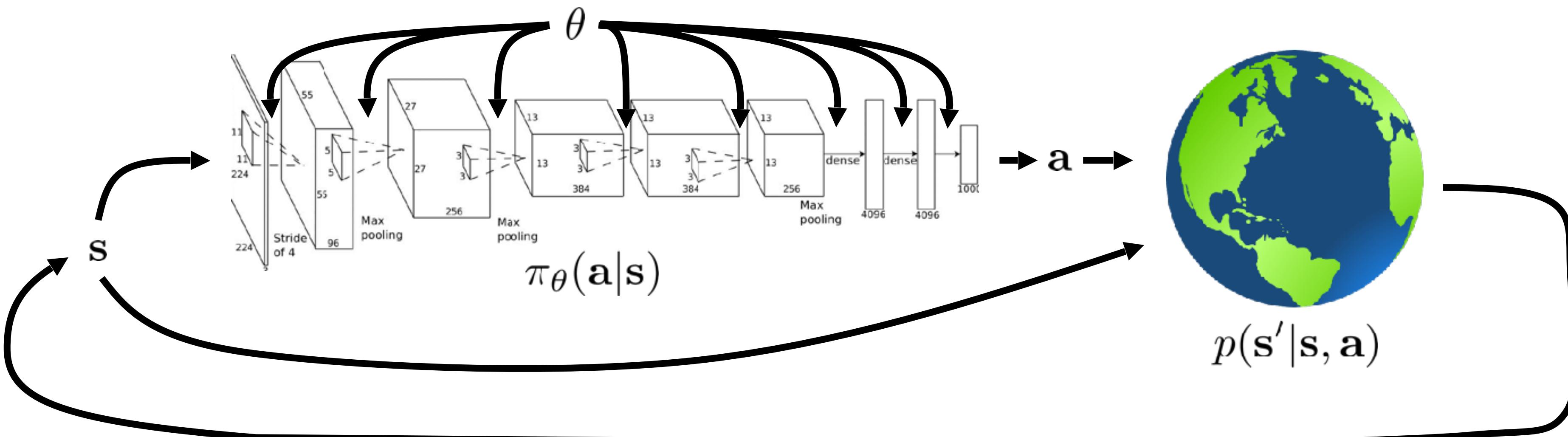
high reward



low reward

\mathbf{s} , \mathbf{a} , $r(\mathbf{s}, \mathbf{a})$, and $p(\mathbf{s}'|\mathbf{s}, \mathbf{a})$ define
Markov decision process

The goal of reinforcement learning



$$\theta^* = \arg \max_{\theta} E_{(s,a) \sim p_{\theta}(s,a)} [r(s,a)]$$

infinite horizon case

$$\theta^* = \arg \max_{\theta} \sum_{t=1}^T E_{(s_t,a_t) \sim p_{\theta}(s_t,a_t)} [r(s_t,a_t)]$$

finite horizon case

What is a reinforcement learning **task**?

Recall: supervised learning

data generating distributions, loss

A task: $\mathcal{T}_i \triangleq \{p_i(\mathbf{x}), p_i(\mathbf{y} | \mathbf{x}), \mathcal{L}_i\}$

Reinforcement learning

action space

dynamics

A task: $\mathcal{T}_i \triangleq \{\mathcal{S}_i, \mathcal{A}_i, p_i(\mathbf{s}_1), p_i(\mathbf{s}' | \mathbf{s}, \mathbf{a}), r_i(\mathbf{s}, \mathbf{a})\}$

↑
state
space

initial state
distribution

↑
reward

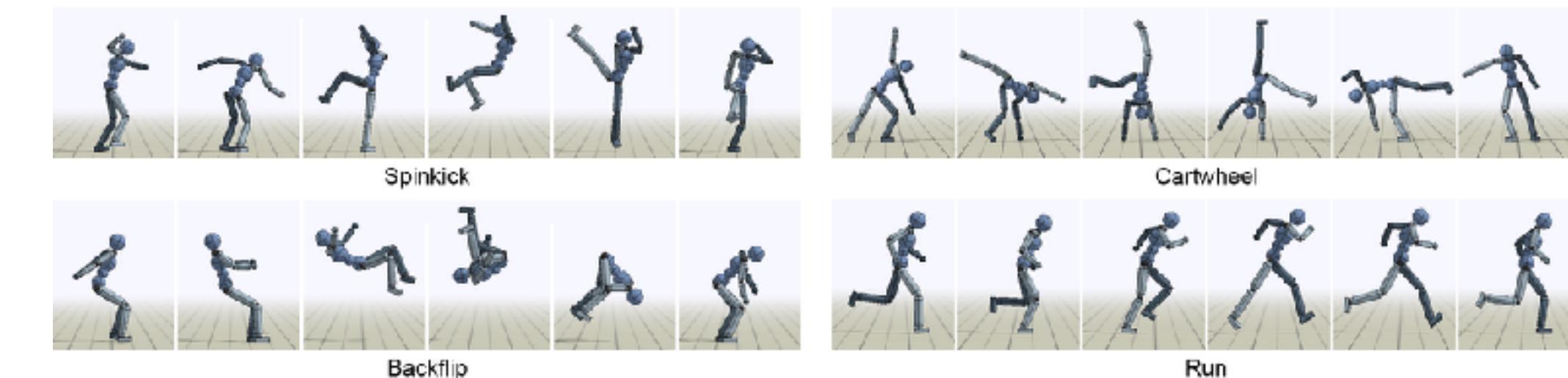
a Markov decision process
much more than the semantic meaning of task!

Examples Task Distributions

A task: $\mathcal{T}_i \triangleq \{\mathcal{S}_i, \mathcal{A}_i, p_i(\mathbf{s}_1), p_i(\mathbf{s}'|\mathbf{s}, \mathbf{a}), r_i(\mathbf{s}, \mathbf{a})\}$

Personalized recommendations: $p_i(\mathbf{s}'|\mathbf{s}, \mathbf{a}), r_i(\mathbf{s}, \mathbf{a})$ vary across tasks

Character animation:
across maneuvers
 $r_i(\mathbf{s}, \mathbf{a})$ vary



across garments &
initial states
 $p_i(\mathbf{s}_1), p_i(\mathbf{s}'|\mathbf{s}, \mathbf{a})$ vary



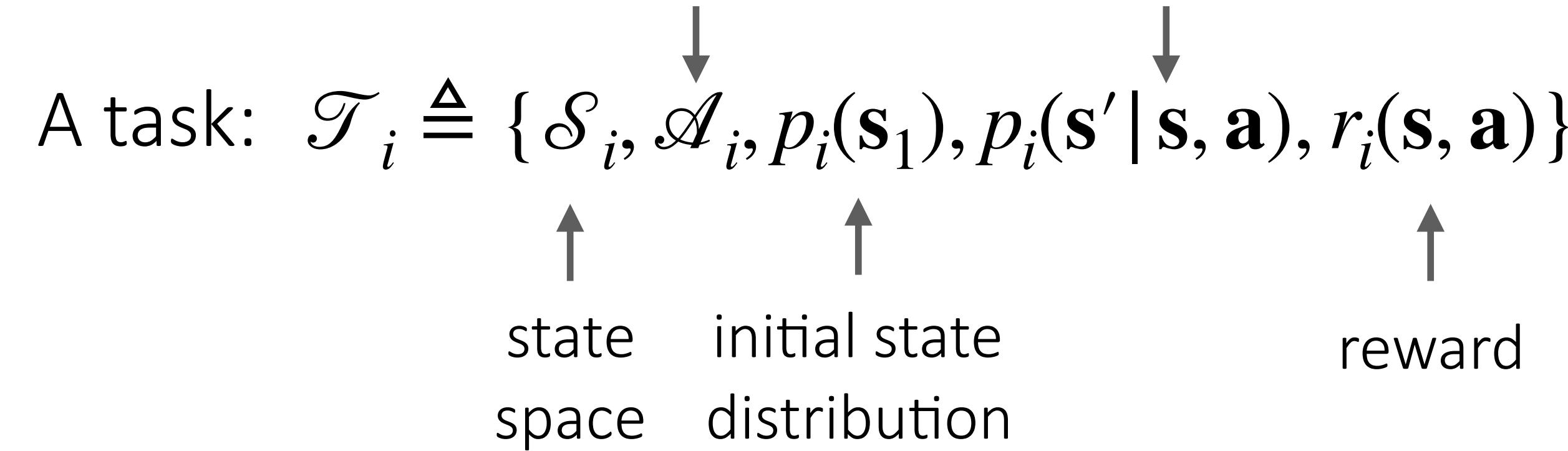
Multi-robot RL:



$\mathcal{S}_i, \mathcal{A}_i, p_i(\mathbf{s}_1), p_i(\mathbf{s}'|\mathbf{s}, \mathbf{a})$ vary

What is a reinforcement learning **task**?

Reinforcement learning action space dynamics



An alternative view:

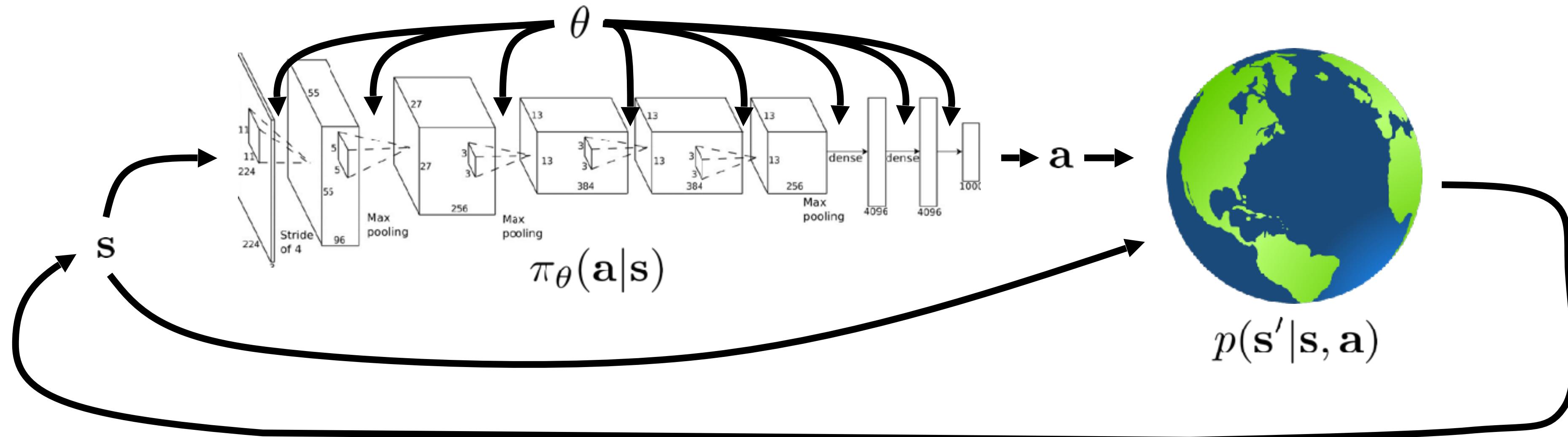
A task identifier is part of the state: $\mathbf{s} = (\bar{\mathbf{s}}, \mathbf{z}_i)$

original state

$$\mathcal{T}_i \triangleq \{\mathcal{S}_i, \mathcal{A}_i, p_i(\mathbf{s}_1), p(\mathbf{s}'|\mathbf{s}, \mathbf{a}), r(\mathbf{s}, \mathbf{a})\} \longrightarrow \{\mathcal{T}_i\} = \left\{ \bigcup \mathcal{S}_i, \bigcup \mathcal{A}_i, \frac{1}{N} \sum_i p_i(\mathbf{s}_1), p(\mathbf{s}'|\mathbf{s}, \mathbf{a}), r(\mathbf{s}, \mathbf{a}) \right\}$$

It can be cast as a standard **Markov decision process!**

The goal of multi-task reinforcement learning



Multi-task RL

The same as before, except:

a task identifier is part of the state: $s = (\bar{s}, z_i)$

e.g. one-hot task ID

language description

desired goal state, $z_i = s_g \leftarrow \text{"goal-conditioned RL"}$

If it's still a standard **Markov decision process**,

then, why not apply standard **RL algorithms**?

You can!

You can often do better.

What is the reward?

The same as before

Or, for **goal-conditioned RL**:

$$r(s) = r(\bar{s}, s_g) = -d(\bar{s}, s_g)$$

Distance function d examples:

- Euclidean ℓ_2
- sparse 0/1

The Plan

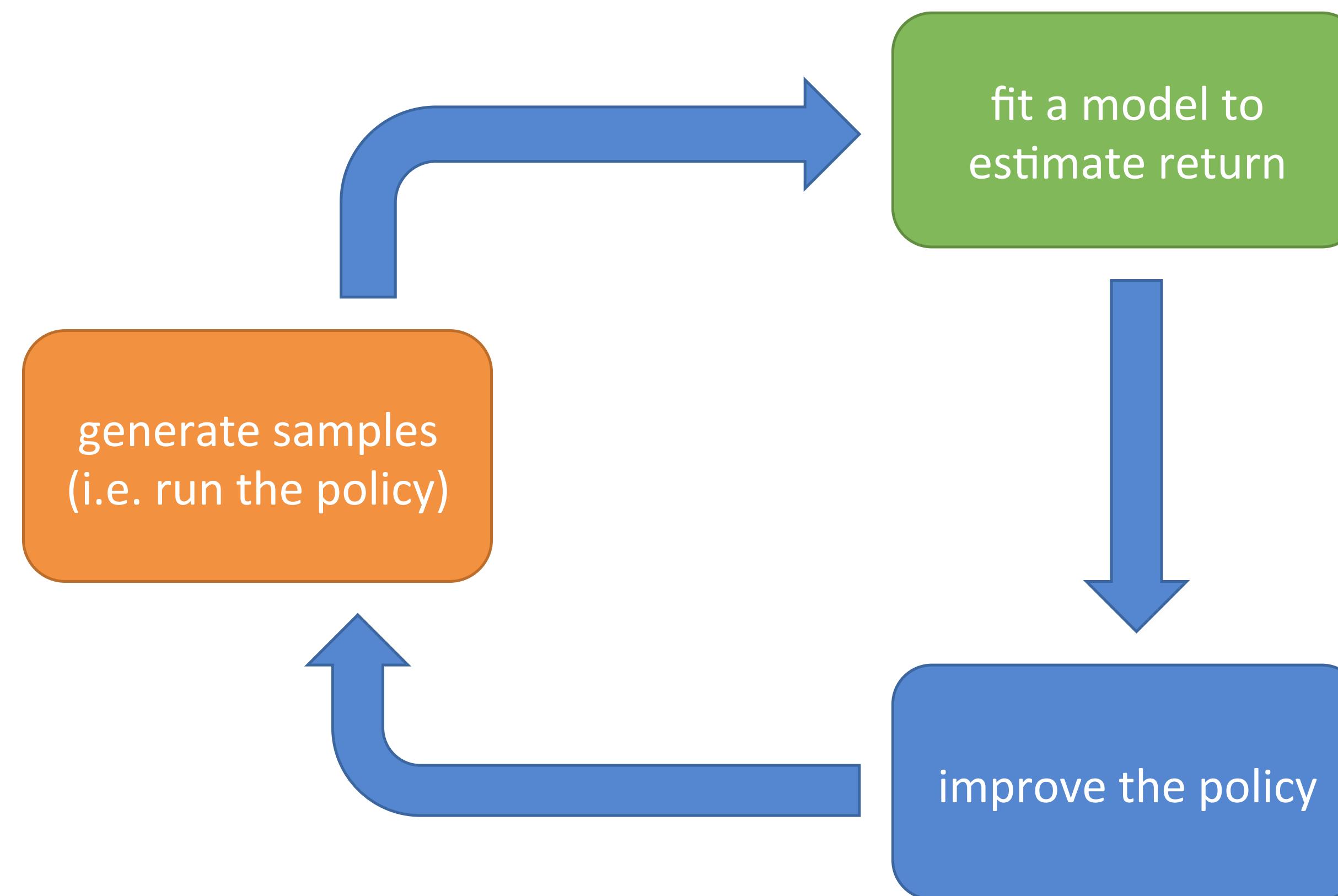
Multi-task reinforcement learning problem

Policy gradients & their multi-task/meta counterparts

Q-learning

Multi-task Q-learning

The anatomy of a reinforcement learning algorithm



compute $\hat{Q} = \sum_{t'=t}^T \gamma^{t'-t} r_{t'}$ (MC policy gradient)
fit $Q_\phi(\mathbf{s}, \mathbf{a})$ (actor-critic, Q-learning)
estimate $p(\mathbf{s}'|\mathbf{s}, \mathbf{a})$ (model-based)

$\theta \leftarrow \theta + \alpha \nabla_\theta J(\theta)$ (policy gradient)
 $\pi(\mathbf{s}) = \arg \max Q_\phi(\mathbf{s}, \mathbf{a})$ (Q-learning)
optimize $\pi_\theta(\mathbf{a}|\mathbf{s})$ (model-based)

This lecture: focus on model-free RL methods (policy gradient, Q-learning)

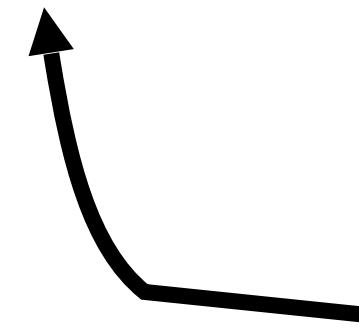
11/6: focus on model-based RL methods

Evaluating the objective

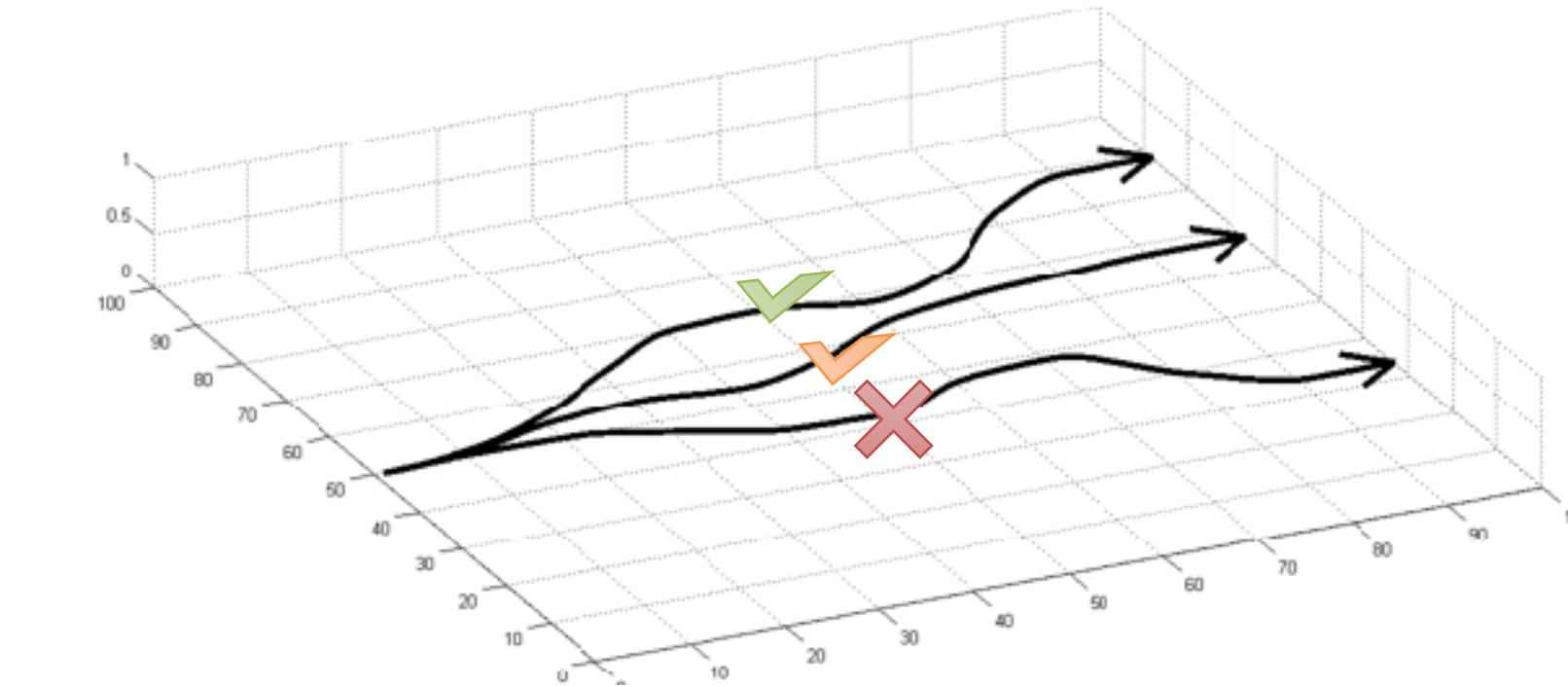
$$\theta^* = \arg \max_{\theta} E_{\tau \sim p_{\theta}(\tau)} \left[\sum_t r(\mathbf{s}_t, \mathbf{a}_t) \right]$$

$J(\theta)$

$$J(\theta) = E_{\tau \sim p_{\theta}(\tau)} \left[\sum_t r(\mathbf{s}_t, \mathbf{a}_t) \right] \approx \frac{1}{N} \sum_i \sum_t r(\mathbf{s}_{i,t}, \mathbf{a}_{i,t})$$



sum over samples from π_{θ}



Direct policy differentiation

$$\theta^* = \arg \max_{\theta} E_{\tau \sim p_{\theta}(\tau)} \left[\underbrace{\sum_t r(\mathbf{s}_t, \mathbf{a}_t)}_{J(\theta)} \right]$$

a convenient identity

$$\underline{\pi_{\theta}(\tau) \nabla_{\theta} \log \pi_{\theta}(\tau)} = \pi_{\theta}(\tau) \frac{\nabla_{\theta} \pi_{\theta}(\tau)}{\pi_{\theta}(\tau)} = \underline{\nabla_{\theta} \pi_{\theta}(\tau)}$$

$$J(\theta) = E_{\tau \sim \pi_{\theta}(\tau)} [r(\tau)] = \int \pi_{\theta}(\tau) r(\tau) d\tau$$
$$\sum_{t=1}^T r(\mathbf{s}_t, \mathbf{a}_t)$$

$$\nabla_{\theta} J(\theta) = \int \underline{\nabla_{\theta} \pi_{\theta}(\tau)} r(\tau) d\tau = \int \underline{\pi_{\theta}(\tau) \nabla_{\theta} \log \pi_{\theta}(\tau)} r(\tau) d\tau = E_{\tau \sim \pi_{\theta}(\tau)} [\nabla_{\theta} \log \pi_{\theta}(\tau) r(\tau)]$$

Direct policy differentiation

$$\theta^* = \arg \max_{\theta} J(\theta)$$

$$J(\theta) = E_{\tau \sim \pi_\theta(\tau)}[r(\tau)]$$

$$\nabla_{\theta} J(\theta) = E_{\tau \sim \pi_\theta(\tau)}[\nabla_{\theta} \log \pi_{\theta}(\tau) r(\tau)]$$

$$\nabla_{\theta} \left[\cancel{\log p(\mathbf{s}_1)} + \sum_{t=1}^T \log \pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t) + \cancel{\log p(\mathbf{s}_{t+1} | \mathbf{s}_t, \mathbf{a}_t)} \right]$$

$$\nabla_{\theta} J(\theta) = E_{\tau \sim \pi_\theta(\tau)} \left[\left(\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t) \right) \left(\sum_{t=1}^T r(\mathbf{s}_t, \mathbf{a}_t) \right) \right]$$

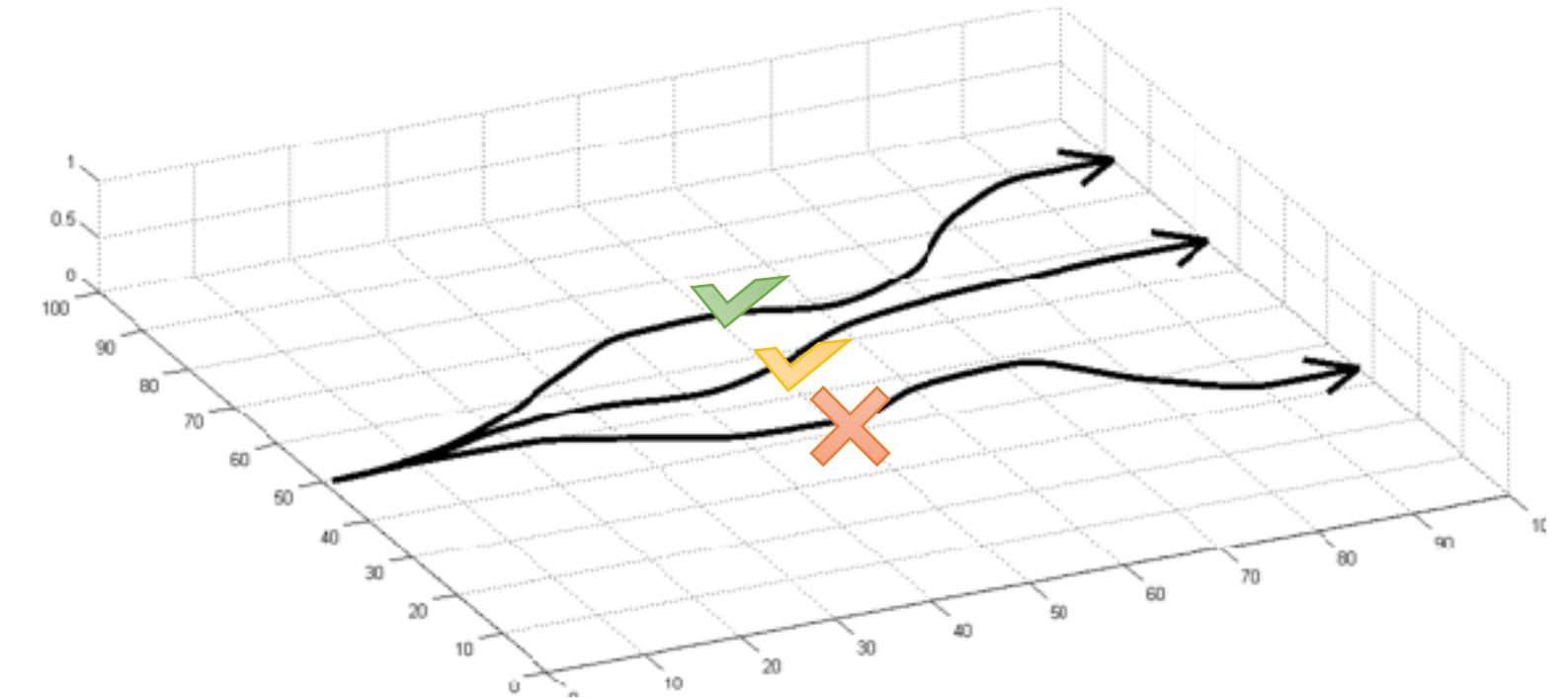
log of both sides $\pi_{\theta}(\tau)$

$$\pi_{\theta}(\mathbf{s}_1, \mathbf{a}_1, \dots, \mathbf{s}_T, \mathbf{a}_T) = p(\mathbf{s}_1) \prod_{t=1}^T \pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t) p(\mathbf{s}_{t+1} | \mathbf{s}_t, \mathbf{a}_t)$$

$$\log \pi_{\theta}(\tau) = \log p(\mathbf{s}_1) + \sum_{t=1}^T \log \pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t) + \log p(\mathbf{s}_{t+1} | \mathbf{s}_t, \mathbf{a}_t)$$

Evaluating the policy gradient

recall: $J(\theta) = E_{\tau \sim p_\theta(\tau)} \left[\sum_t r(\mathbf{s}_t, \mathbf{a}_t) \right] \approx \frac{1}{N} \sum_i \sum_t r(\mathbf{s}_{i,t}, \mathbf{a}_{i,t})$



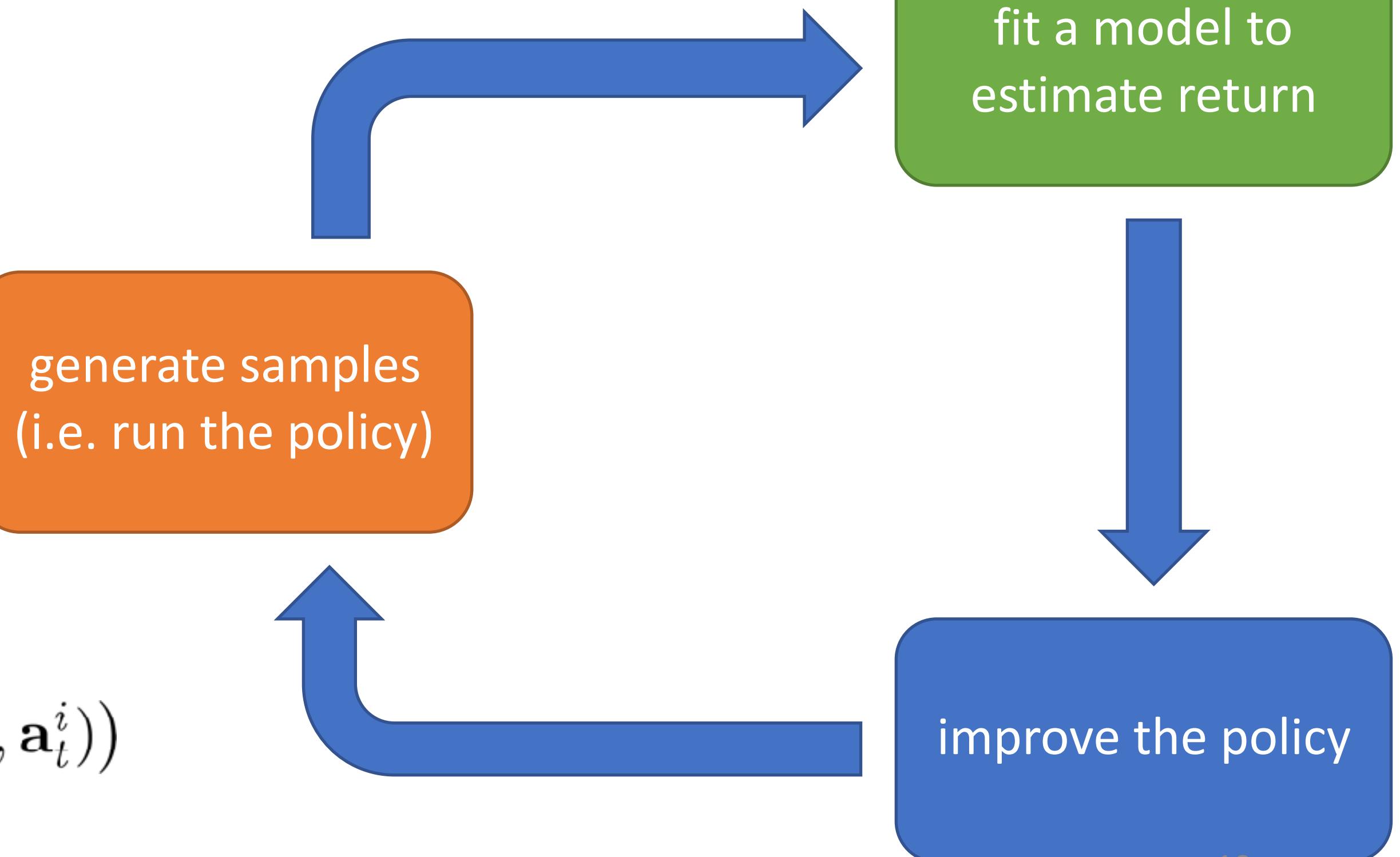
$$\nabla_\theta J(\theta) = E_{\tau \sim \pi_\theta(\tau)} \left[\left(\sum_{t=1}^T \nabla_\theta \log \pi_\theta(\mathbf{a}_t | \mathbf{s}_t) \right) \left(\sum_{t=1}^T r(\mathbf{s}_t, \mathbf{a}_t) \right) \right]$$

$$\nabla_\theta J(\theta) \approx \frac{1}{N} \sum_{i=1}^N \left(\sum_{t=1}^T \nabla_\theta \log \pi_\theta(\mathbf{a}_{i,t} | \mathbf{s}_{i,t}) \right) \left(\sum_{t=1}^T r(\mathbf{s}_{i,t}, \mathbf{a}_{i,t}) \right)$$

$$\theta \leftarrow \theta + \alpha \nabla_\theta J(\theta)$$

REINFORCE algorithm:

- 1. sample $\{\tau^i\}$ from $\pi_\theta(\mathbf{a}_t | \mathbf{s}_t)$ (run the policy)
- 2. $\nabla_\theta J(\theta) \approx \sum_i \left(\sum_t \nabla_\theta \log \pi_\theta(\mathbf{a}_t^i | \mathbf{s}_t^i) \right) \left(\sum_t r(\mathbf{s}_t^i, \mathbf{a}_t^i) \right)$
- 3. $\theta \leftarrow \theta + \alpha \nabla_\theta J(\theta)$



Comparison to maximum likelihood

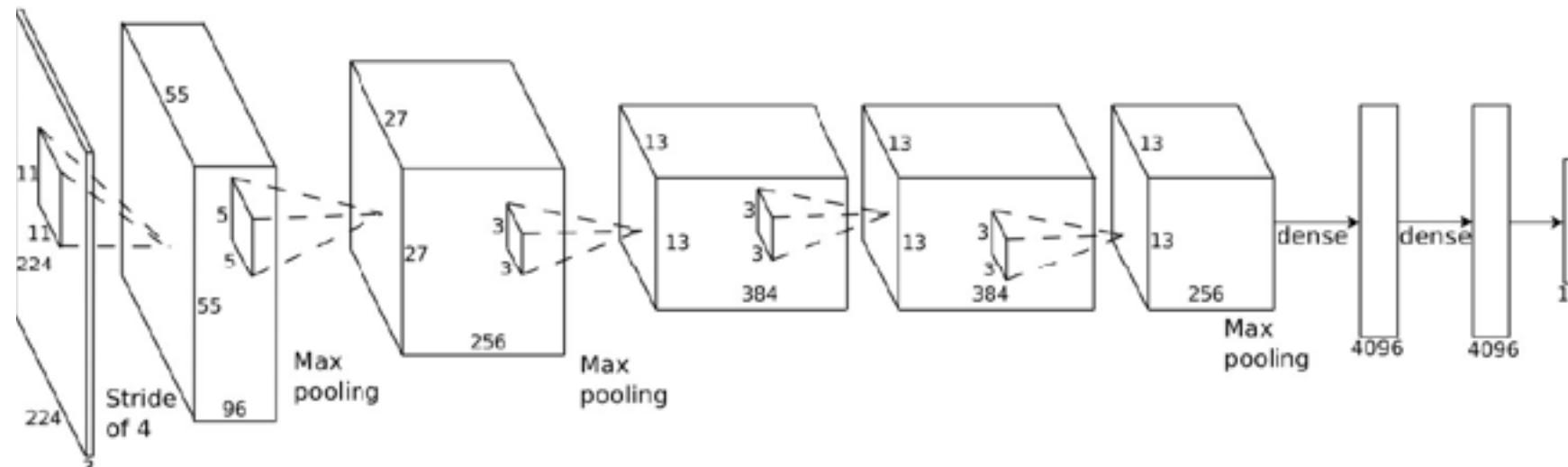
$$\text{policy gradient: } \nabla_{\theta} J(\theta) \approx \frac{1}{N} \sum_{i=1}^N \left(\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_{i,t} | \mathbf{s}_{i,t}) \right) \left(\sum_{t=1}^T r(\mathbf{s}_{i,t}, \mathbf{a}_{i,t}) \right)$$

Multi-task learning algorithms
can readily be applied!

$$\text{maximum likelihood: } \nabla_{\theta} J_{\text{ML}}(\theta) \approx \frac{1}{N} \sum_{i=1}^N \left(\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_{i,t} | \mathbf{s}_{i,t}) \right)$$



\mathbf{s}_t



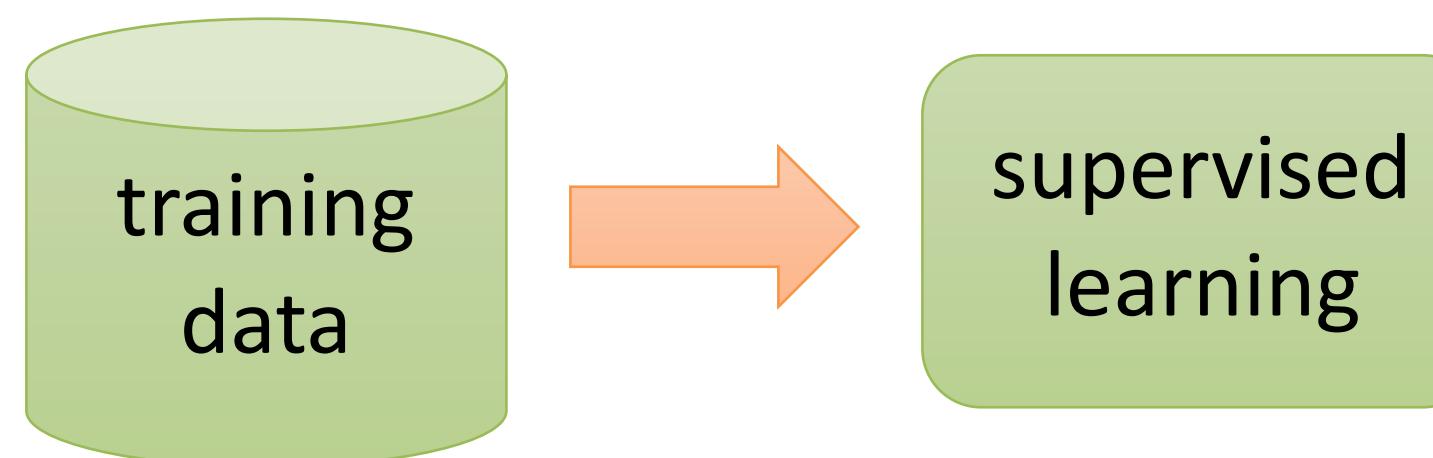
$\pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t)$



\mathbf{a}_t



\mathbf{s}_t
 \mathbf{a}_t



$\pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t)$

What did we just do?

$$\nabla_{\theta} J(\theta) \approx \frac{1}{N} \sum_{i=1}^N \left(\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_{i,t} | \mathbf{s}_{i,t}) \right) \left(\sum_{t=1}^T r(\mathbf{s}_{i,t}, \mathbf{a}_{i,t}) \right)$$

$$\nabla_{\theta} J(\theta) \approx \frac{1}{N} \sum_{i=1}^N \underbrace{\nabla_{\theta} \log \pi_{\theta}(\tau_i)}_{\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_{i,t} | \mathbf{s}_{i,t})} r(\tau_i)$$

maximum likelihood: $\nabla_{\theta} J_{\text{ML}}(\theta) \approx \frac{1}{N} \sum_{i=1}^N \nabla_{\theta} \log \pi_{\theta}(\tau_i)$

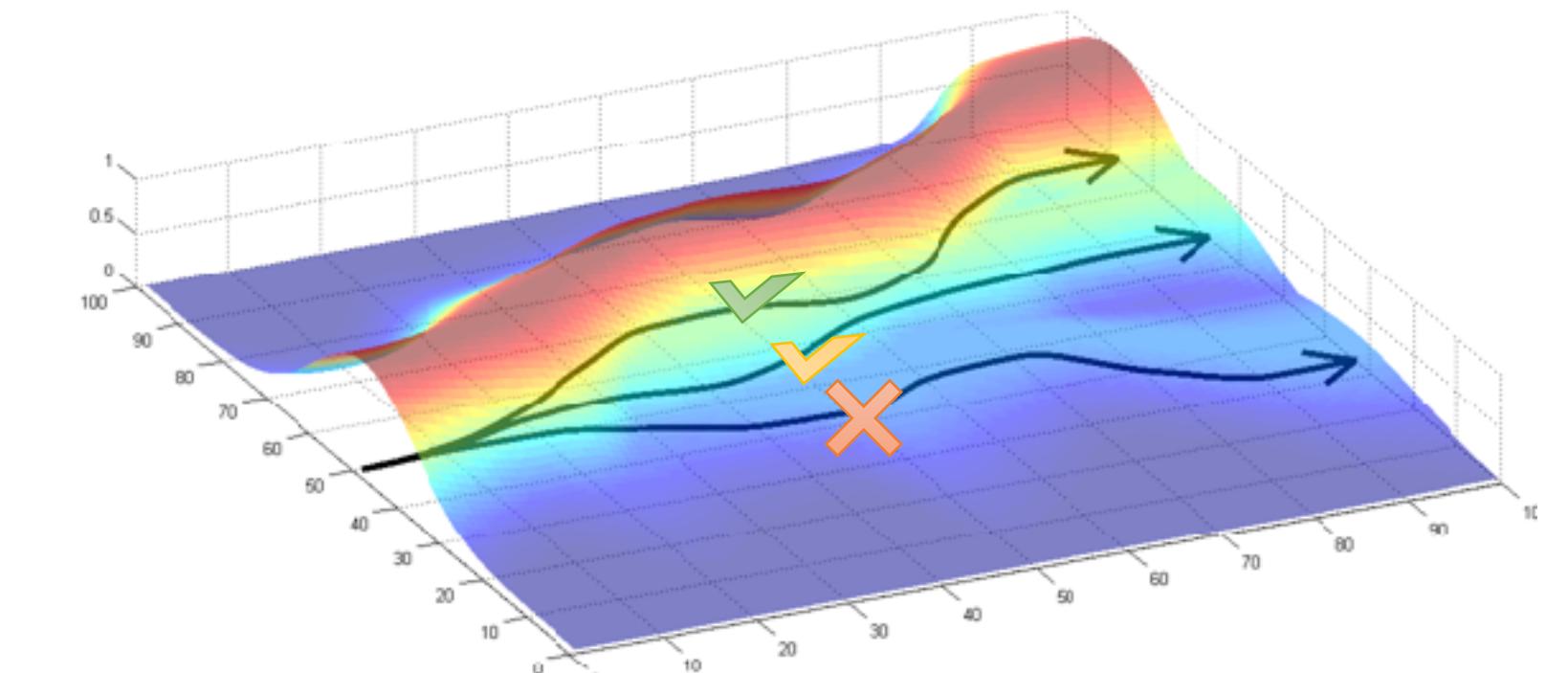
good stuff is made more likely

bad stuff is made less likely

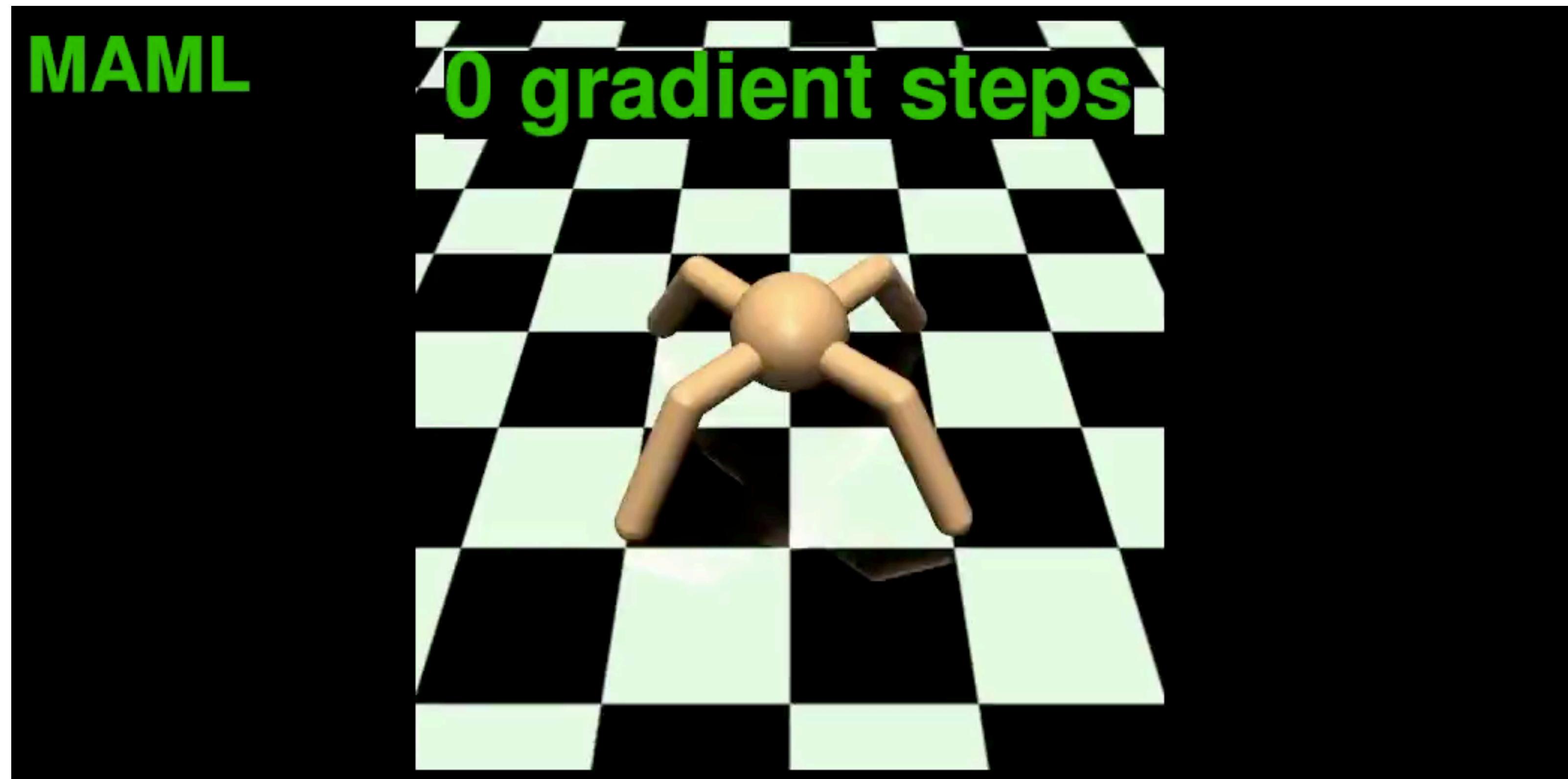
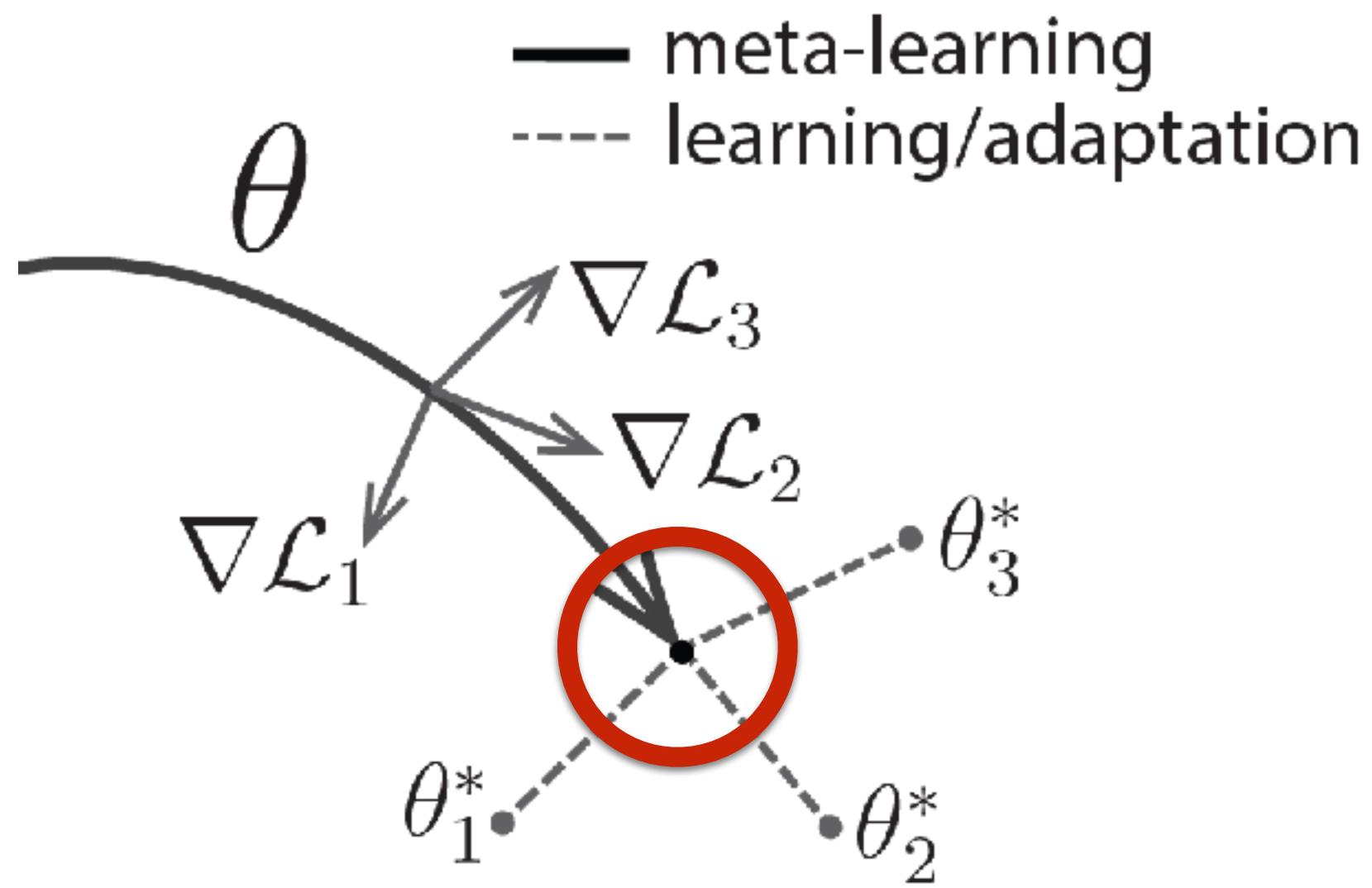
simply formalizes the notion of “trial and error”!

REINFORCE algorithm:

- 1. sample $\{\tau^i\}$ from $\pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t)$ (run it on the robot)
- 2. $\nabla_{\theta} J(\theta) \approx \sum_i \left(\sum_t \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_t^i | \mathbf{s}_t^i) \right) \left(\sum_t r(\mathbf{s}_t^i, \mathbf{a}_t^i) \right)$
- 3. $\theta \leftarrow \theta + \alpha \nabla_{\theta} J(\theta)$

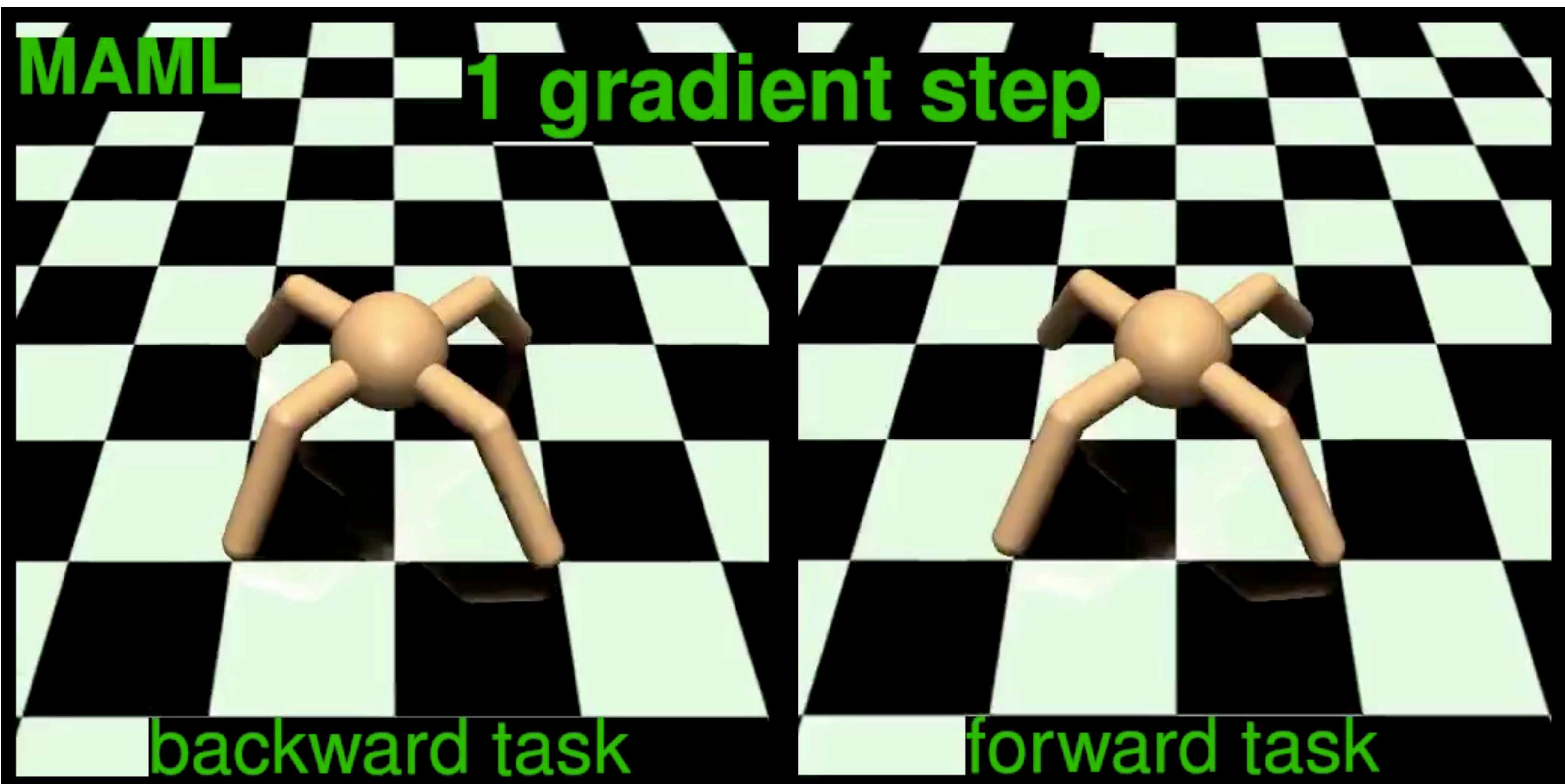
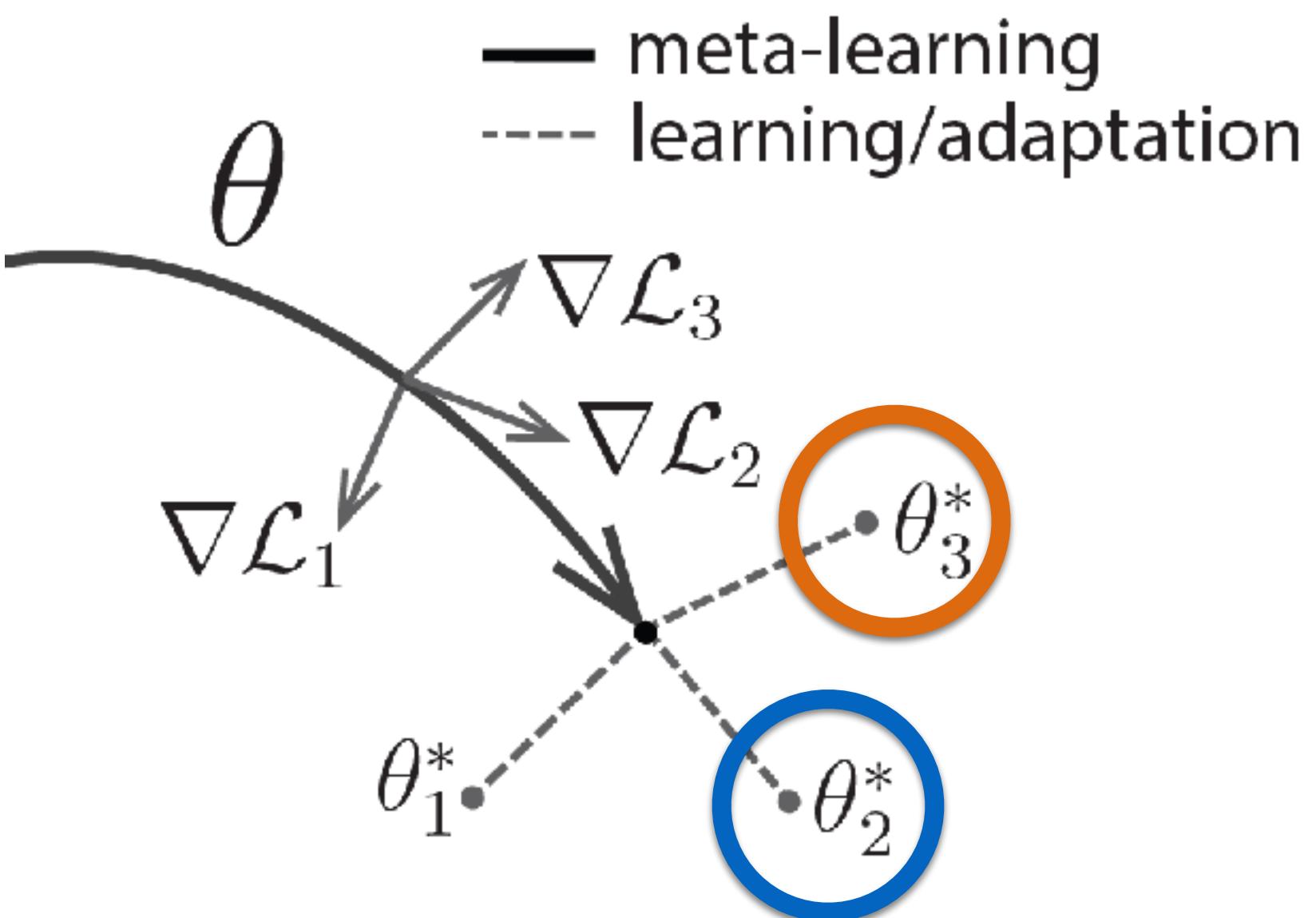


Example: MAML + policy gradient



two tasks: running backward, running forward

Example: MAML + policy gradient



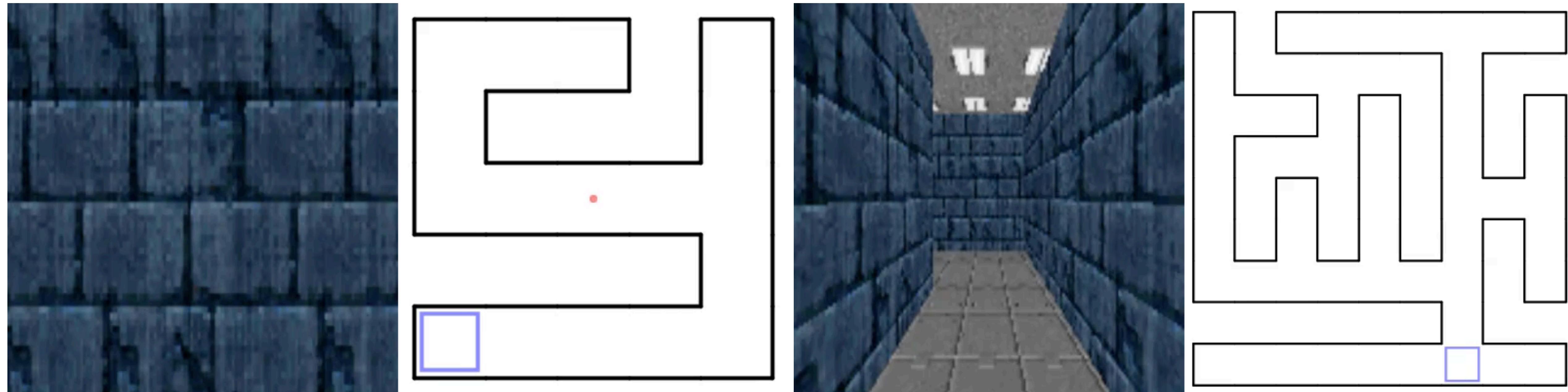
two tasks: running backward, running forward

There exists a representation under which RL is fast and efficient.

Example: Black-box meta-learning + policy gradient

Experiment: Learning to visually navigate a maze

- train on 1000 small mazes
- test on held-out small mazes and large mazes



Policy Gradients

policy gradient: $\nabla_{\theta} J(\theta) = \underline{E}_{\tau \sim \pi_{\theta}(\tau)} \left[\left(\sum_{t=1}^T \nabla_{\theta} \log \pi_{\theta}(\mathbf{a}_t | \mathbf{s}_t) \right) \left(\sum_{t=1}^T r(\mathbf{s}_t, \mathbf{a}_t) \right) \right]$

Pros:

- + Simple
- + Easy to combine with existing multi-task & meta-learning algorithms

Cons:

- Produces a **high-variance** gradient
 - Can be mitigated with baselines (used by all algorithms in practice), trust regions
- Requires **on-policy** data
 - Cannot reuse existing experience to estimate the gradient!
 - Importance weights can help, but also high variance

The Plan

Multi-task reinforcement learning problem

Policy gradients & their multi-task/meta counterparts

Q-learning

Multi-task Q-learning

Value-Based RL: Definitions

Value function: $V^\pi(\mathbf{s}_t) = \sum_{t'=t}^T \mathbb{E}_\pi [r(\mathbf{s}_{t'}, \mathbf{a}_{t'}) \mid \mathbf{s}_t]$ total reward starting from \mathbf{s} and following π
"how good is a state"

Q function: $Q^\pi(\mathbf{s}_t, \mathbf{a}_t) = \sum_{t'=t}^T \mathbb{E}_\pi [r(\mathbf{s}_{t'}, \mathbf{a}_{t'}) \mid \mathbf{s}_t, \mathbf{a}_t]$ total reward starting from \mathbf{s} , taking \mathbf{a} , and then following π
"how good is a state-action pair"

They're related: $V^\pi(\mathbf{s}_t) = \mathbb{E}_{\mathbf{a}_t \sim \pi(\cdot | \mathbf{s}_t)} [Q^\pi(\mathbf{s}_t, \mathbf{a}_t)]$

If you know Q^π , you can use it to **improve** π .

Set $\pi(\mathbf{a} \mid \mathbf{s}) \leftarrow 1$ for $\mathbf{a} = \arg \max_{\bar{\mathbf{a}}} Q^\pi(\mathbf{s}, \bar{\mathbf{a}})$ New policy is at least as good as old policy.

Value-Based RL: Definitions

Value function: $V^\pi(s_t) = \sum_{t'=t}^T \mathbb{E}_\pi [r(s_{t'}, a_{t'}) \mid s_t]$ total reward starting from s and following π
"how good is a state"

Q function: $Q^\pi(s_t, a_t) = \sum_{t'=t}^T \mathbb{E}_\pi [r(s_{t'}, a_{t'}) \mid s_t, a_t]$ total reward starting from s , taking a , and then following π
"how good is a state-action pair"

For the optimal policy π^\star : $Q^\star(s_t, a_t) = \mathbb{E}_{s' \sim p(\cdot | s, a)} \left[r(s, a) + \gamma \max_{a'} Q^\star(s', a') \right]$

Bellman equation

Fitted Q-iteration Algorithm

full fitted Q-iteration algorithm:

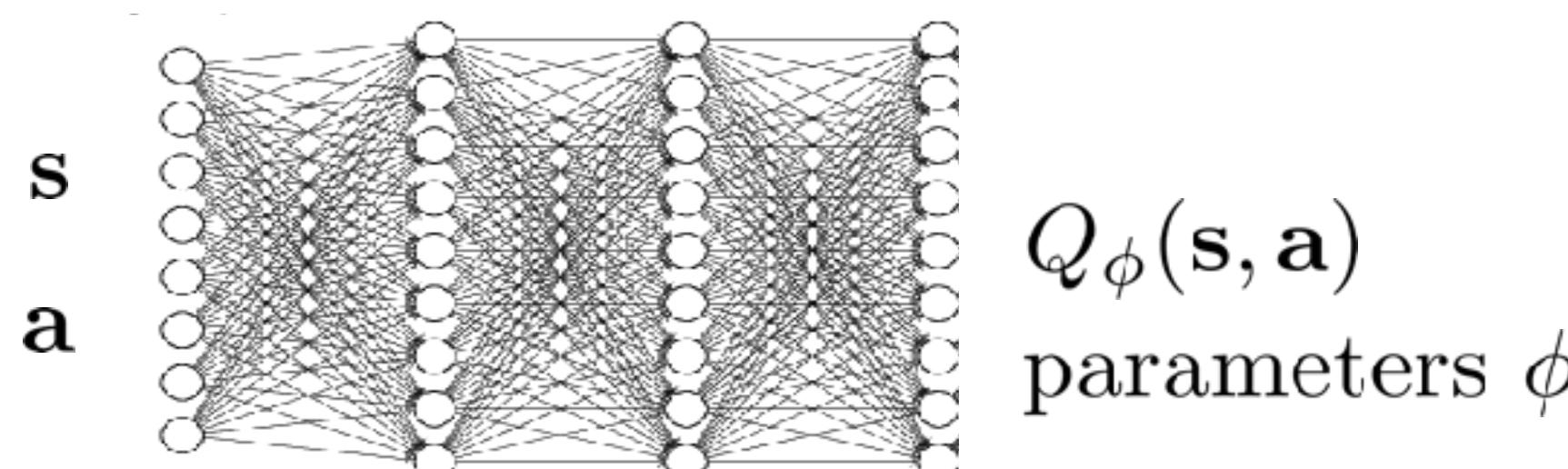
Algorithm hyperparameters

1. collect dataset $\{(\mathbf{s}_i, \mathbf{a}_i, \mathbf{s}'_i, r_i)\}$ using some policy
2. set $\mathbf{y}_i \leftarrow r(\mathbf{s}_i, \mathbf{a}_i) + \gamma \max_{\mathbf{a}'_i} Q_\phi(\mathbf{s}'_i, \mathbf{a}'_i)$
3. set $\phi \leftarrow \arg \min_\phi \frac{1}{2} \sum_i \|Q_\phi(\mathbf{s}_i, \mathbf{a}_i) - \mathbf{y}_i\|^2$

dataset size N , collection policy

iterations K

gradient steps S



Result: get a policy $\pi(\mathbf{a} | \mathbf{s})$ from $\arg \max_{\mathbf{a}} Q_\phi(\mathbf{s}, \mathbf{a})$

Important notes:

We can **reuse data** from previous policies!
an **off-policy** algorithm using replay buffers

This is not a gradient descent algorithm!

Can be readily extended to **multi-task/goal-conditioned** RL

The Plan

Multi-task reinforcement learning problem

Policy gradients & their multi-task/meta counterparts

Q-learning

Multi-task Q-learning

Multi-Task RL Algorithms

Policy: $\pi_\theta(\mathbf{a} | \bar{\mathbf{s}}) \rightarrow \pi_\theta(\mathbf{a} | \bar{\mathbf{s}}, \mathbf{z}_i)$

Q-function: $Q_\phi(\bar{\mathbf{s}}, \mathbf{a}) \rightarrow Q_\phi(\bar{\mathbf{s}}, \mathbf{a}, \mathbf{z}_i)$

Analogous to multi-task supervised learning: stratified sampling, soft/hard weight sharing, etc.

What is different about **reinforcement learning**?

The data distribution is controlled by the agent!

You may know what aspect(s) of the MDP are changing across tasks.

Should we share data in addition to sharing weights?

Can we leverage this knowledge?

An example

Task 1: passing



Task 2: shooting goals

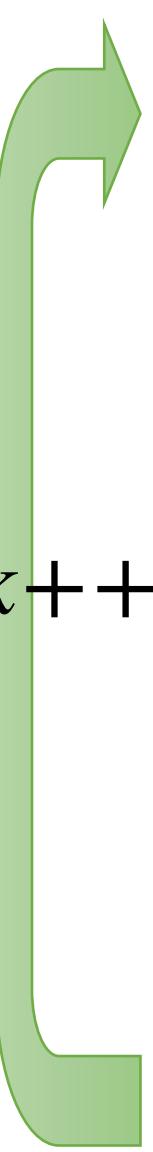


What if you accidentally perform a good pass when trying to shoot a goal?

Store experience as normal. *and* Relabel experience with task 2 ID & reward and store.

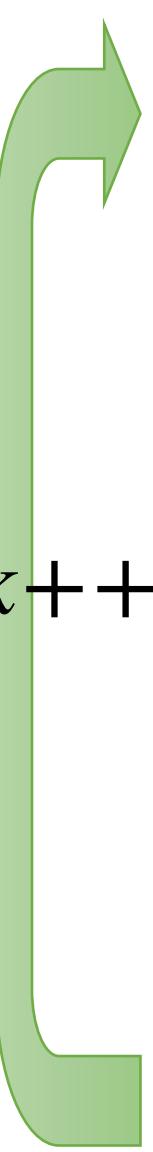
"hindsight relabeling" "hindsight experience replay" (HER)

Goal-conditioned RL with hindsight relabeling

- 
1. Collect data $\mathcal{D}_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T}, \mathbf{s}_g, r_{1:T})\}$ using some policy
 2. Store data in replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}_k$
 3. Perform **hindsight relabeling**:
 - a. Relabel experience in \mathcal{D}_k using last state as goal:
 $\mathcal{D}'_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T}, \mathbf{s}_T, r'_{1:T})\}$ where $r'_t = -d(\mathbf{s}_t, \mathbf{s}_T)$
 - b. Store relabeled data in replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}'_k$
 4. Update policy using replay buffer \mathcal{D}
- $k++$ \leftarrow Other relabeling strategies?
use **any state** from the trajectory

Result: exploration challenges alleviated

Multi-task RL with relabeling

- 
1. Collect data $\mathcal{D}_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T}, \mathbf{z}_i, r_{1:T})\}$ using some policy
 2. Store data in replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}_k$
 3. Perform **hindsight relabeling**:
 - a. Relabel experience in \mathcal{D}_k for task \mathcal{T}_j :
 $\mathcal{D}'_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T}, \mathbf{z}_j, r'_{1:T})\}$ where $r'_t = r_j(\mathbf{s}_t)$
 - b. Store relabeled data in replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}'_k$
 4. Update policy using replay buffer \mathcal{D}
- $k++$
- ← Which task \mathcal{T}_j to choose?
- randomly
 - task(s) in which the trajectory gets high reward

When can we apply relabeling?

- reward function form is known, evaluable
- dynamics consistent across goals/tasks
- using an off-policy algorithm*

Hindsight relabeling for goal-conditioned RL

Example: goal-conditioned RL, simulated robot manipulation

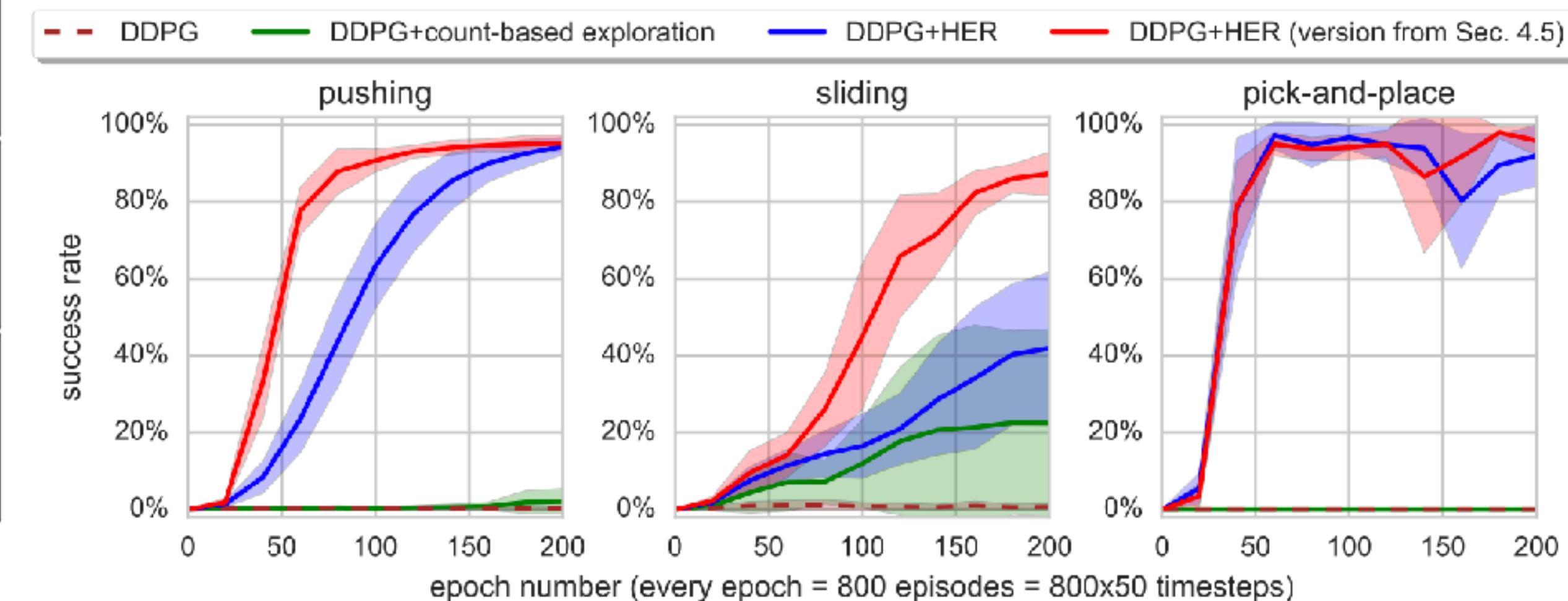
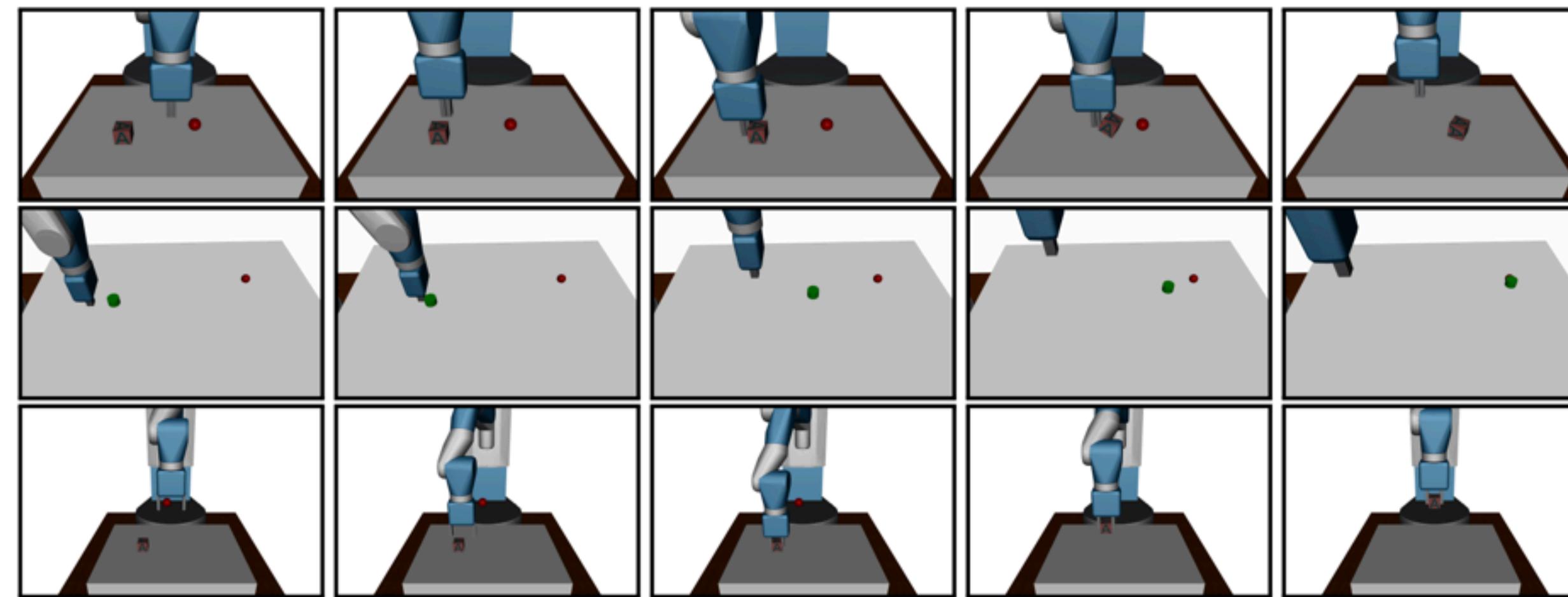


Figure 2: Different tasks: *pushing* (top row), *sliding* (middle row) and *pick-and-place* (bottom row). The red ball denotes the goal position.

Time Permitting: What about image observations?

Recall: need a distance function between current and goal state!

$$r'_t = -d(\mathbf{s}_t, \mathbf{s}_T)$$

Use binary 0/1 reward? Sparse, but accurate.

Random, unlabeled interaction is *optimal* under the 0/1 reward of reaching the last state.

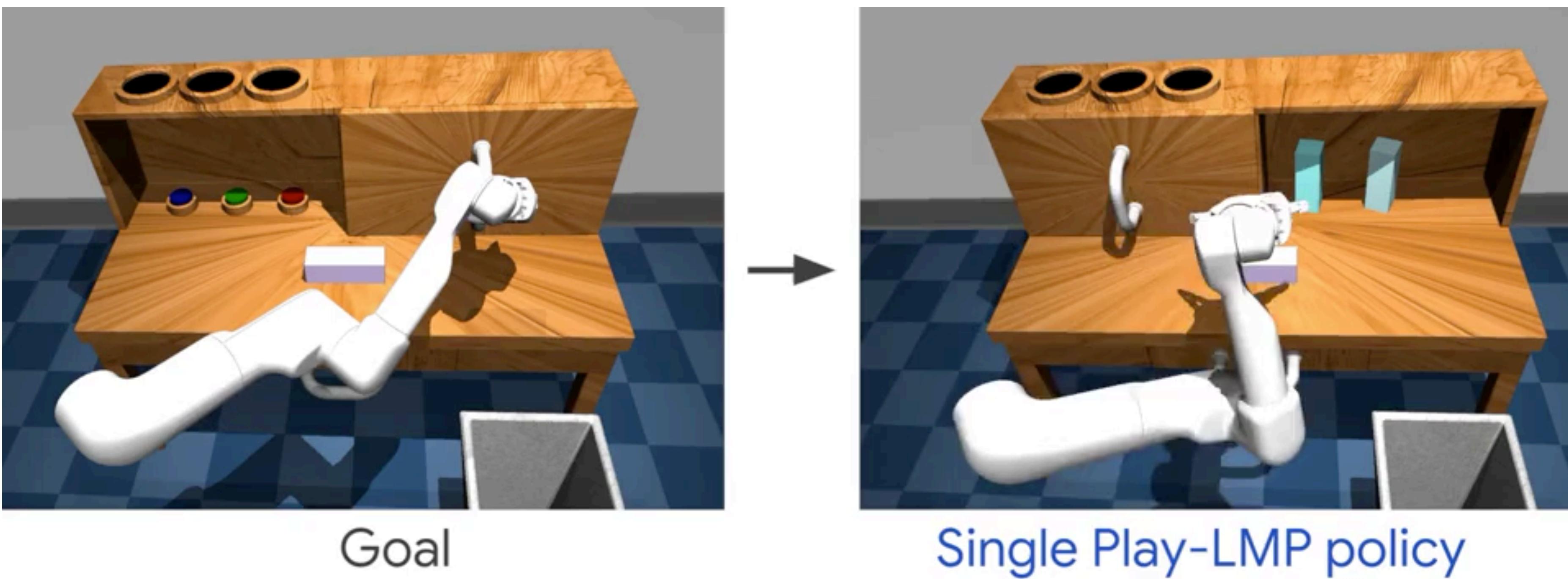
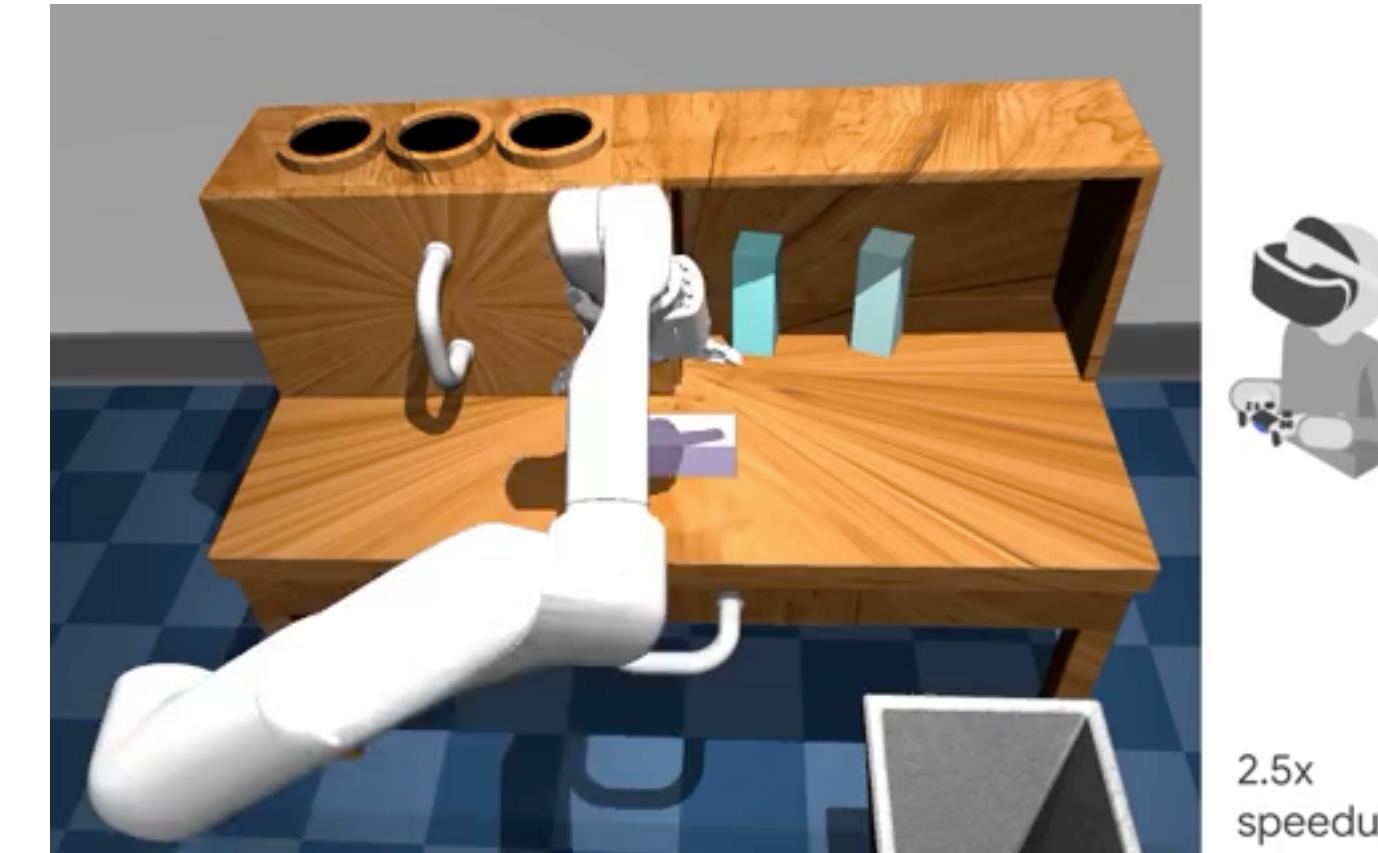


Can we use this insight for better learning?

If the data is **optimal**, can we use **supervised imitation learning**?

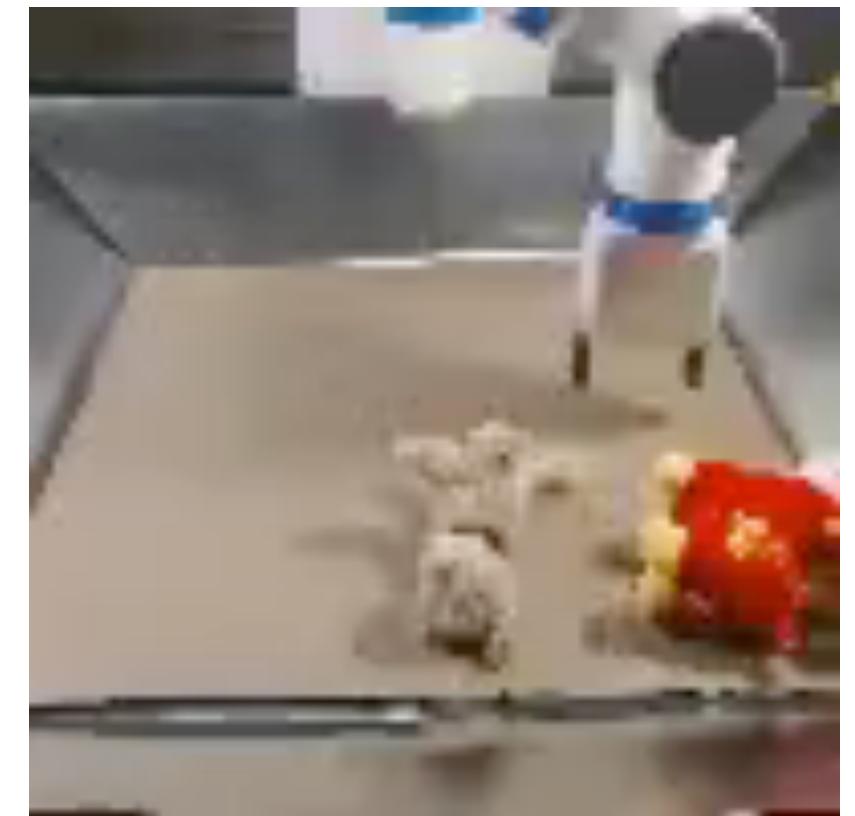
1. Collect data $\mathcal{D}_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T})\}$ using some policy
2. Perform **hindsight relabeling**:
 - a. Relabel experience in \mathcal{D}_k using last state as goal:
$$\mathcal{D}'_k = \{(\mathbf{s}_{1:T}, \mathbf{a}_{1:T}, \mathbf{s}_T, r'_{1:T})\} \text{ where } r'_t = -d(\mathbf{s}_t, \mathbf{s}_T)$$
 - b. Store relabeled data in replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}'_k$
3. Update policy using **supervised imitation** on replay buffer \mathcal{D}

Collect data from "human play", perform goal-conditioned imitation.



Can we use this insight to learn a better goal representation?

Which representation, when used as a reward function, will cause a planner to choose the observed actions?

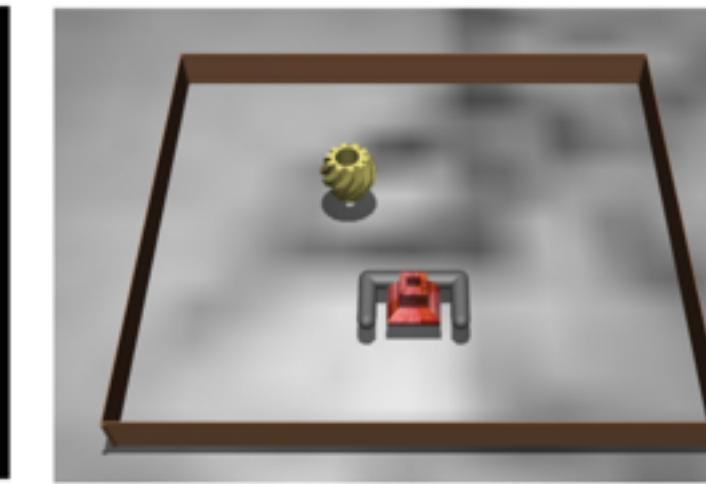
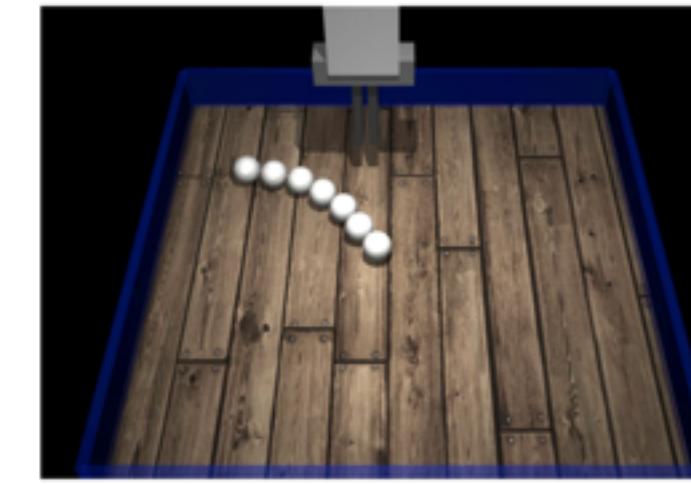
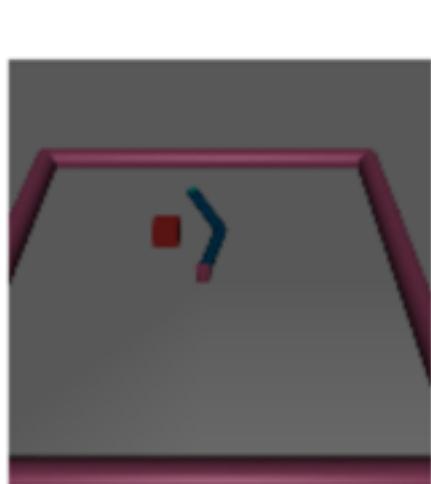


1. Collect random, unlabeled interaction data: $\{(s_1, a_1, \dots, a_{t-1}, s_t)\}$
2. Train a latent state representation $s \rightarrow x$ & latent state model $f(x' | x, a)$ s.t. if we plan a sequence of actions w.r.t. goal state s_t , we recover the observed action sequence.
3. Throw away latent space model, return goal representation x .

“distributional planning networks”

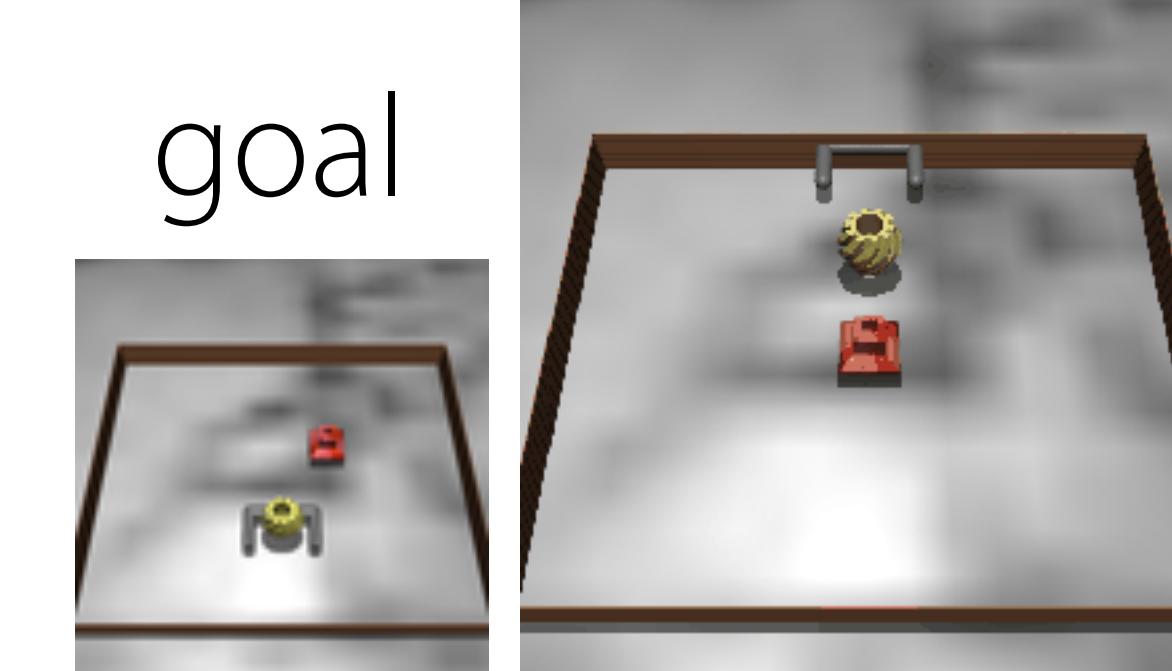
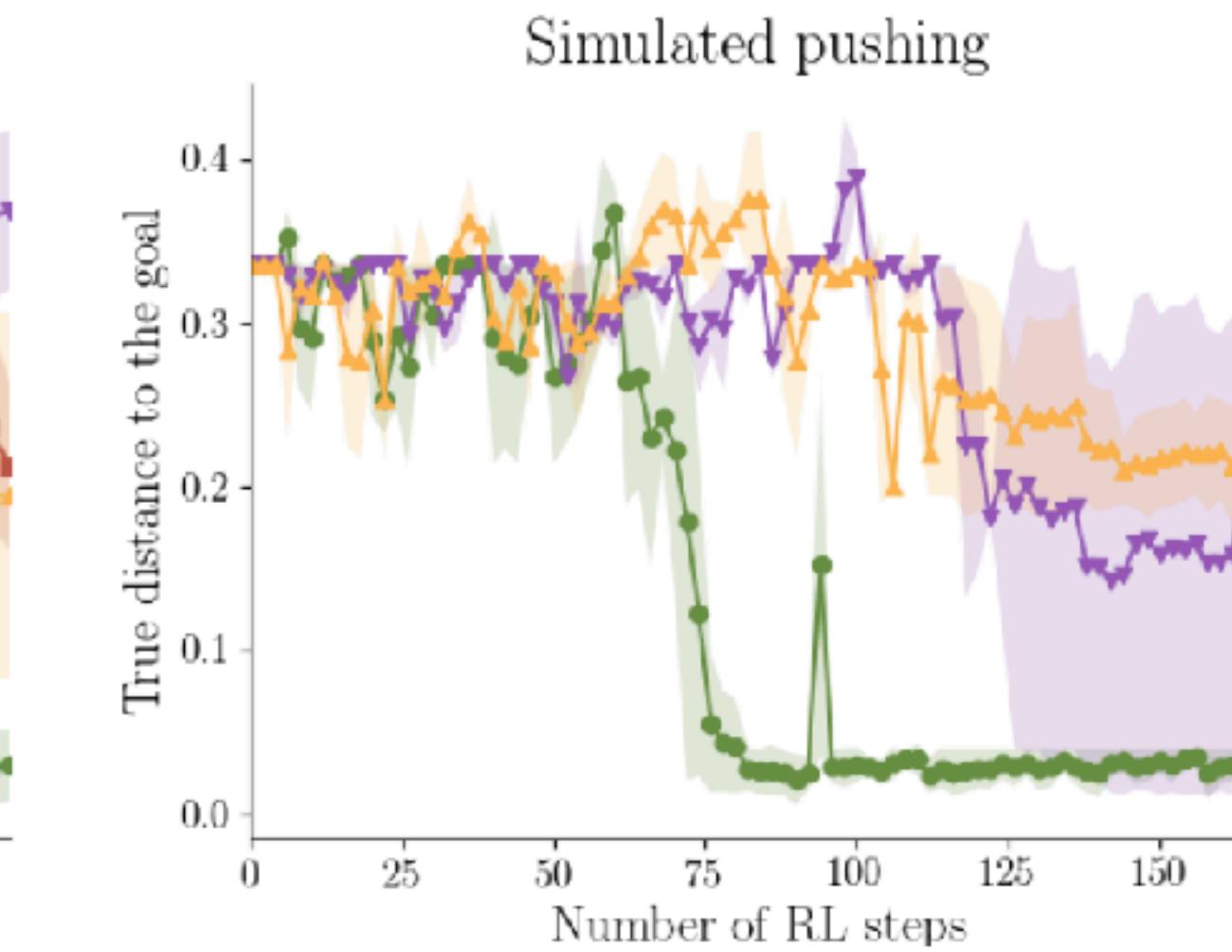
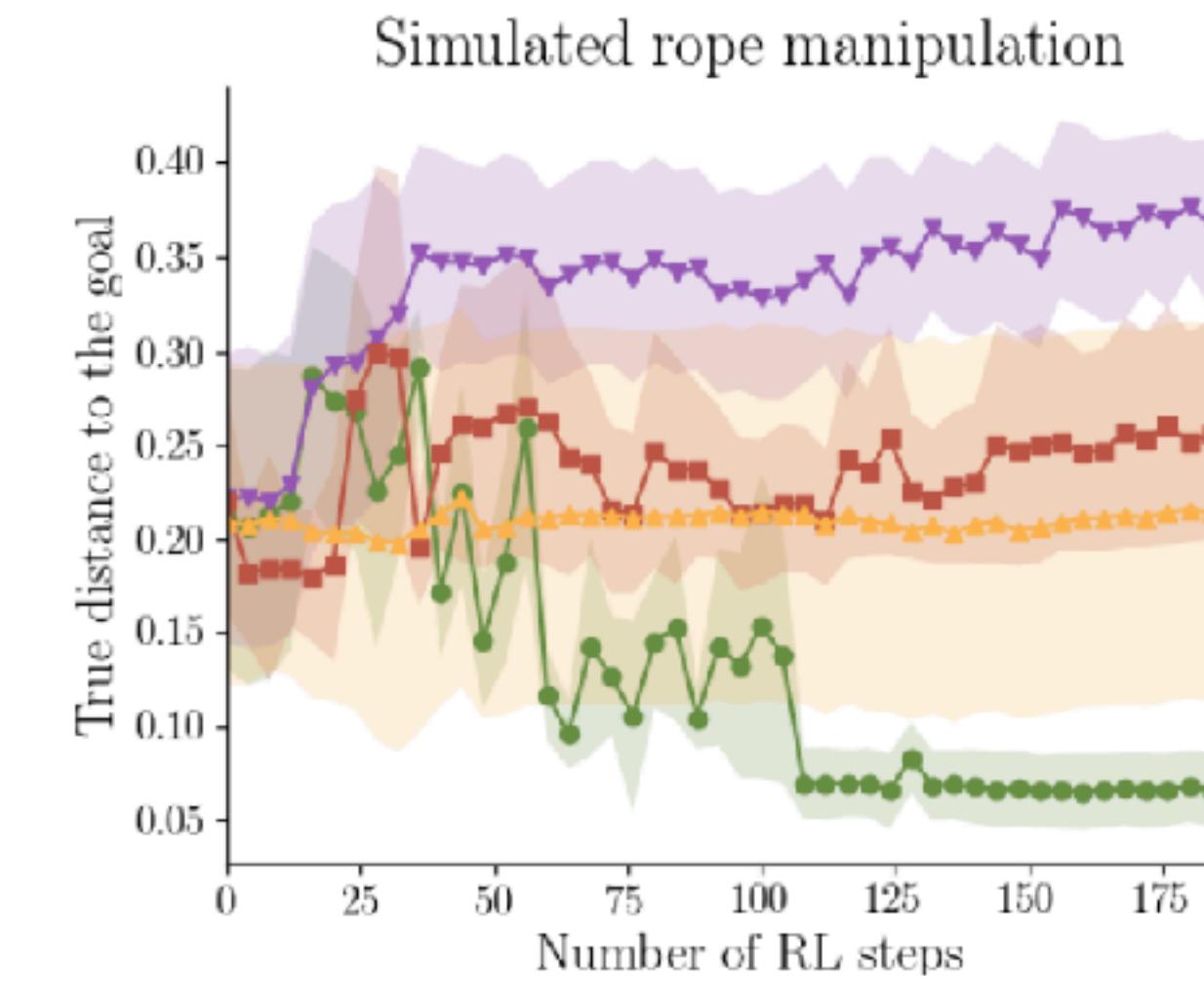
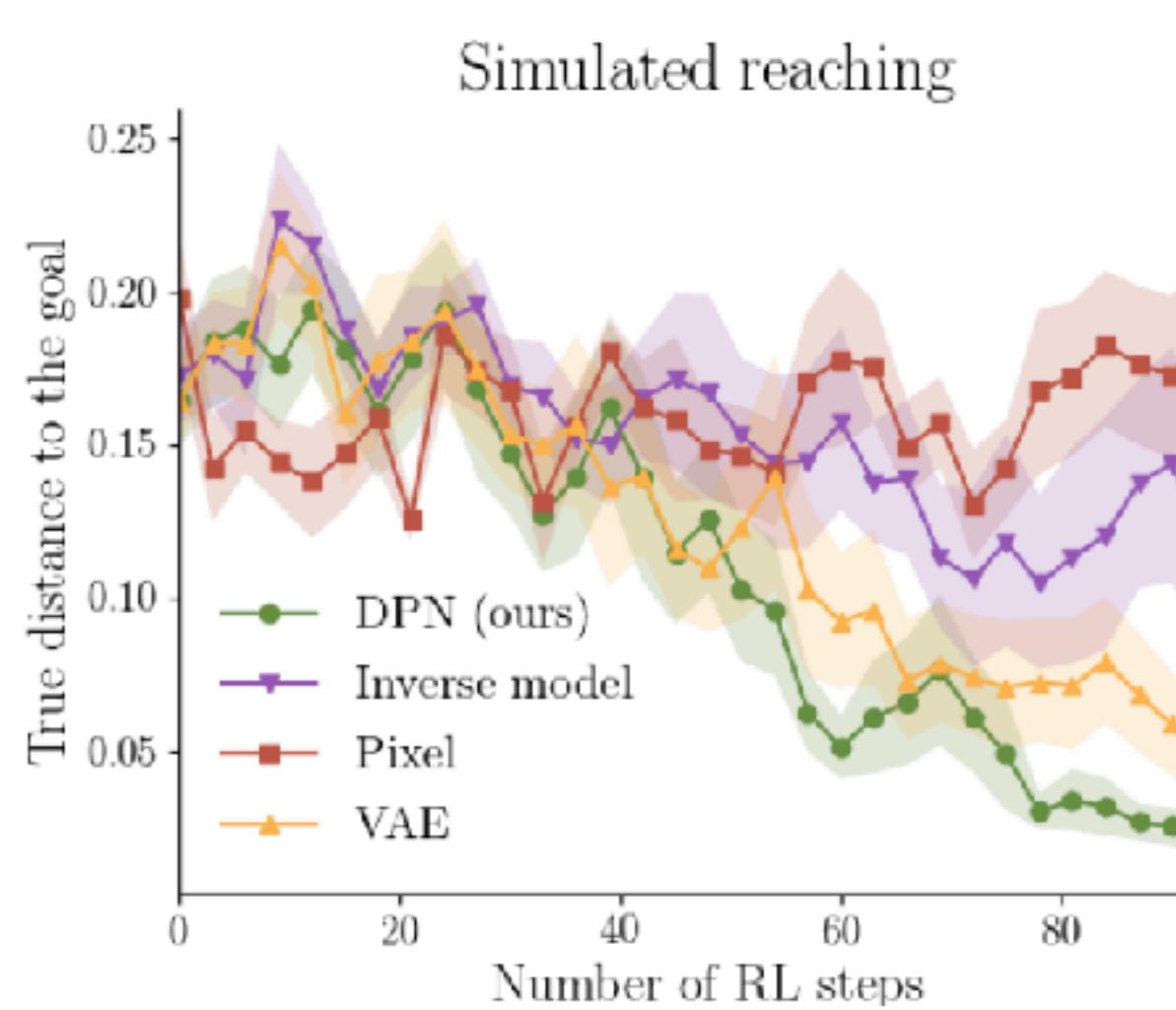
Evaluate metrics on achieving variety of goal images

reaching rope manipulation pushing



Compare:

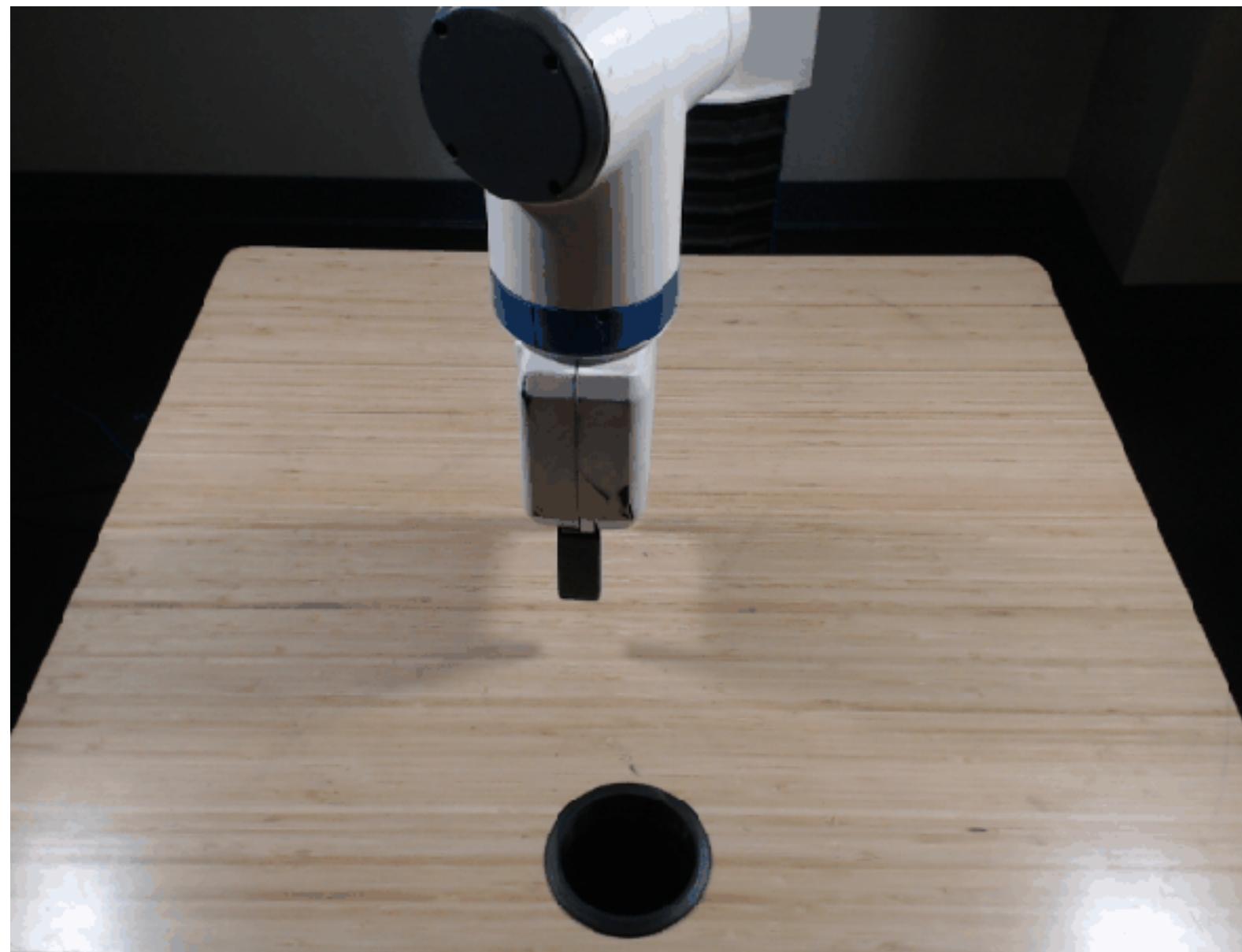
- metric from **DPN** (ours)
- **pixel distance**
- distance in **VAE** latent space
- distance in **inverse model** latent space



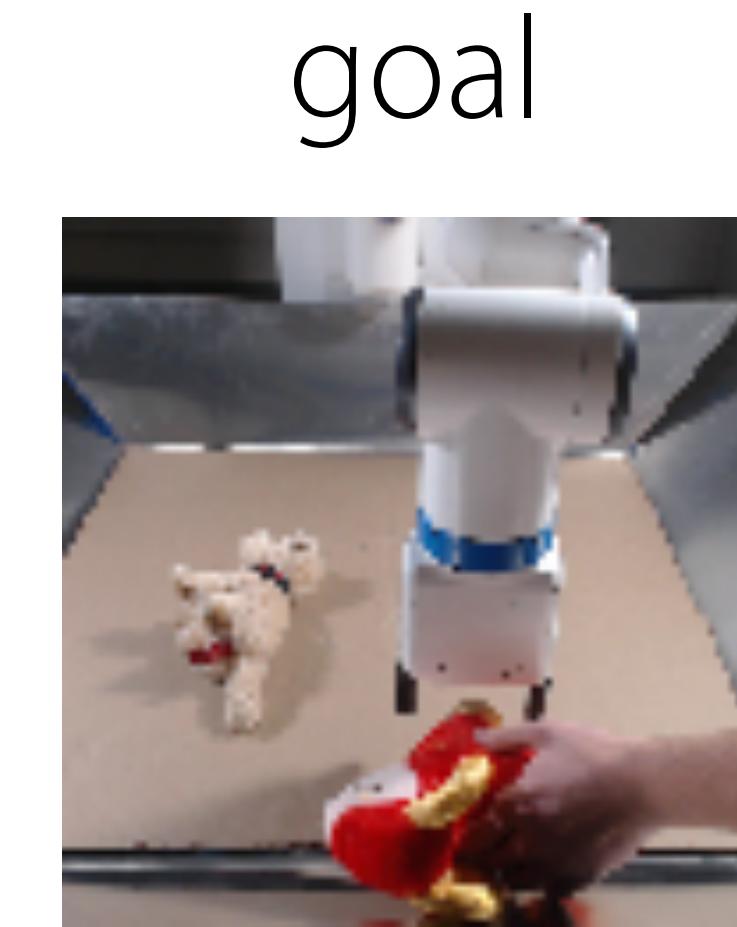
Evaluate metrics on achieving variety of goal images



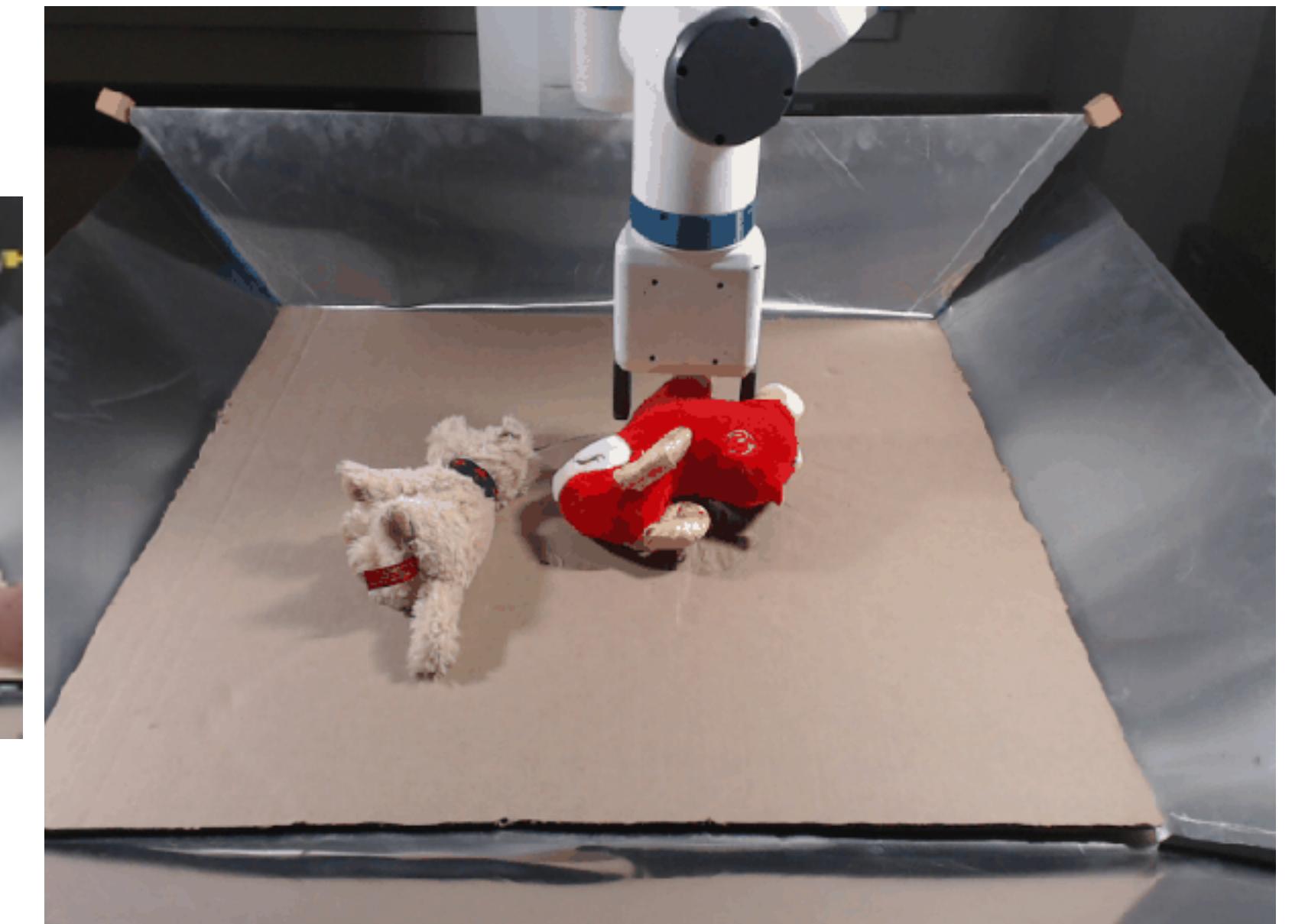
learned policy



goal



goal



learned policy

The Plan

Multi-task reinforcement learning problem

Policy gradients & their multi-task/meta counterparts

Q-learning

Multi-task Q-learning

How **data** can be **shared** across tasks.

Many Remaining Questions: The Next Two Weeks

Can we use **auxiliary tasks** to accelerate learning?

Wednesday paper presentations

Auxiliary tasks & state representation learning

What about **hierarchies** of tasks?

Monday paper presentations

Hierarchical reinforcement learning

Can we learn **exploration strategies** across tasks?

Next Wednesday:

Meta-Reinforcement Learning
(Kate Rakelly guest lecture)

What do meta-RL algorithms learn?

Monday 11/4:

Emergent Phenomenon

Additional RL Resources

Stanford CS234: Reinforcement Learning

UCL Course from David Silver: Reinforcement Learning

Berkeley CS285: Deep Reinforcement Learning

Reminders

Homework 2 due **Wednesday**.

Homework 3 out on **Wednesday**.

Project proposal due **next Wednesday**.