

JAIN (Deemed-to-be-University)

SCHOOL OF COMPUTER SCIENCE AND IT

DEPARTMENT OF BACHELOR OF COMPUTER APPLICATIONS

V Semester (General)

A lab Manual on:

Analysis and Design of Algorithms

(16BCA5CD12L)

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ANALYSIS AND DESIGN OF ALGORITHM LABORATORY

Subject Code-16BCA5CD12L

Course :BCA

Sem/Specialisation : 5th/General

Teaching Hours: 15

List Of Programs

- 1 Write a program to sort a given set of elements using the Quick sort method and determine the time required to sort elements.
- 2 Write a program to sort a given set of elements using the Merge sort method and determine the time required to sort elements. The elements can be generated using the random number generator.
- 3 Write a program to print all the nodes reachable from a given starting node in a digraph using BFS method.
- 4 Write a program to check whether a given graph is connected or not using DFS method.
- 5 Write a program to obtain the Topological ordering of vertices in a given digraph.
- 6 Write a program to find shortest paths to other vertices from a given vertex in a weighted connected graph, using Single Source Shortest path algorithm.
- 7 Write a program to find Minimum Cost Spanning Tree of a given undirected graph using Prim's algorithm.
- 8 Write a program to find Minimum Cost Spanning Tree of a given undirected graph using Kruskal algorithm.
- 9 Write a program to sort a given set of elements by implementing Radix Sort.
- 10 Write a program to compute the transitive closure of a given directed graph using Warshall's algorithm.
- 11 Write a program to implement All-Pairs Shortest Paths Problem using Floyd's algorithm.
- 12 Write a program to compute Binomial Co-Efficient using Dynamic Programming.

Program : 01

Write a program to sort a given set of elements using the Quick sort method and determine the time required to sort elements.

Algorithm

Algorithm QuickSort(a,low,high)

//Purpose :Sort the given array using quicksort

//Inputs: low: The position of first element in array a

high: The position of the last element of array a

a: It is an array consisting of unsorted elements

//Output a:It is an array consisting of sorted elements

if (low>high) return

//No elements to partition

k<--partition(a,low,high)

//Divide the array into two parts

QuickSort(a,low,k-1)

//Sort the left part of the array

QuickSort(a,k+1,high) //Sort the right part of the array

“algorithm QuickSort Ends here”

Algorithm partition(a,low,high)

//Purpose :Divide the array in two parts such that elements towards left part of pivot element are \leq pivot element // and elements towards right of key are \geq pivot element

//Inputs: low: The position of first element in array a

//high: The position of the last element of array a

//A : It is an array consisting of unsorted elements

key \leftarrow a[low]

i \leftarrow low

j \leftarrow high+1

while(i \leq j)

do i \leftarrow i+1 **while**(key \geq a[i])

do j \leftarrow j-1 **while**(key $<$ a[j])

end while

If (i $<$ j) exchange(a[low],a[j])

return j //End of the algorithm Partition

Implementation

```
#include<stdio.h>
#include<conio.h>
#include<time.h>
int partition(int a[],int low,int high)
{
    int i,j,temp,key;
    key=a[low];
    i=low+1;
    j=high;
    while(1)
    {
        while(i<high && key>=a[i])
            i++;
        while(key<a[j])
            j--;
        if(i<j)
        {
            temp=a[i];
            a[i]=a[j];
            a[j]=temp;
        }
        else
        {
            temp=a[low];
            a[low]=a[j];
            a[j]=temp;
            return j;
        }
    }
}
```

```
        }
    }
}

void quicksort(int a[],int low,int high)
{
    int j;
    if(low<high)
    {
        j=partition(a,low,high);
        quicksort(a,low,j-1);
        quicksort(a,j+1,high);
    }
}

void main()
{
    int i,n,a[20];
    float duration;
    clock_t start,end;
    clrscr();
    do{
        printf("\nEnter the no. of elements:\n");
        scanf("%d",&n);
    } while(n>10)
    printf("Random numbers are \n");
    for(i=0;i<n;i++)
    {
        a[i]=rand()%100
        printf("%d",a[i]);
    }
}
```

```
}  
  
    start=clock();  
    quicksort(a,0,n-1);  
    delay(100);  
    end=clock();  
    printf("\nSorted elements are:\n");  
    for(i=0;i<n;i++)  
        printf("%d\n",a[i]);  
    duration=(end-start)/CLK_TCK;  
    printf("Time taken is in ms: %f",duration);  
    getch();  
}
```

Output:

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Program 2:

Write a program to sort a given set of elements using the Merge sort method and determine the time required to sort elements. The elements can be generated using the random number generator.

Algorithm

Algorithm MergeSort(a,low,high)

//Purpose :Sort the given array between lower bound and upper bound

//Inputs: a is an array consisting of unsorted elements with low and high as lower bound and

// upper bound

//Output a:It is an array consisting of sorted elements

if (low>high) **return** //No elements to partition mid<-

 (low+high)/2 //Divide the array into two parts

 MergeSort(a,low,mid) //Sort the left part of the array

 MergeSort(a,mid+1,high)//Sort the right part of the array

 SimpleMerge(a,low,mid,high) // Merge the left part and

 right part //End of the algorithm MergeSort

//Purpose: Merge two sorted arrays where the first array starts from low to mid and the second

// starts from mid+1 to high

//Input : a is sorted from the index position low to mid

// a is sorted from index position mid+1 to

high //Output : a is sorted from index low to high

i<-low

J<- mid+1

k<-low

while(i<=mid and j<=high)

if(a[i]<a[j]) **then**

 c[k]<-a[i] //Copy the lowest elements from first part of a to

 i<-i+1 c //Point to next item in the left part of a //Pont to

 k<-k+1 next item in C

else

 c[k]<-a[j] //Copy the lowest elements from second part of a to

 j<-j+1 c //Point to next item in the right part of a //Pont to

 k<-k+1 next item in C

end if

end while

while(i<=mid) //Copy the remaining items from left part of a to c

 c[k]<-a[i]

 k<-k+1,i<-i+1

end while

while(j<=high) // Copy the remaining items from right part of a to c

 c[k]<-a[j]

 k<-k+1,j<-j+1

end while

for i=low to high // Copy the elements from c to a a[i]<-

c[i]

end for //End of Algorithm SimpleMerge

Implementation of Merge Sort

```
#include<stdio.h>

void ms(int a[ ],int low,int high);

main()
{
    int a[100],n,i;
    printf("\n enter the num of elements\n");
    scanf("%d",&n);
    printf("enter elements before sorting\n");
    for(i=0;i<n;i++)
    {
        a[i]=rand()%100;
        printf("%d\n",a[i]);
    }
    ms(a,0,n-1);
    printf("array elements after sorting are\t");
    for(i=0;i<n;i++)
    printf("%d\n",a[i]);
    getch();
    return 0;
}

void sm(int a[],int low,int mid,int high)
{
    int i=low,j=mid+1,k=low,c[100];
```

```
while(i<=mid && j<=high)
{
    if(a[i]<a[j])
    {
        c[k++]=a[i++];
    }
    else
    {
        c[k++]=a[j++];
    }
}
while(i<=mid)
{
    c[k++]=a[i++];
}
while(j<=high)
{
    c[k++]=a[j++];
}
for(i=low;i<=high;i++)
{
    a[i]=c[i];
}
}
```

```
void ms(int a[],int low,int high)
{
    int mid,i;
    if(low<high)
    {
        mid=(low+high)/2;
        {
            ms(a,low,mid);
            ms(a,mid+1,high);
            sm(a,low,mid,high);
        }
    }
}
```

Output

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Program 3:

Write a program to print all the nodes reachable from a given starting node in a digraph using BFS method.

Algorithm $BFS(a,n,source,T)$

//Purpose: Traverse the graph from the given source node in BFS

//Input: a-adjacency matrix of the given graph

// n-the number of nodes in the graph

// source-from where the traversal is initiated

//Output:

// (u,v)-the nodes v reachable from u are stored in vector T

for i<-0 to n-1 **do**

 s[i]=0

end for

f<-r<-0

q[r]<-source

s[source]<-1

k<-0

while(f<=r)

 u<-q[r]

 f<-f+1

for every v adjacent to u **do**

if v is not visited

 s[v]<-1

```
        r<-r+1
        q[r]<-v
        T[k,1]<-u
        T[k,2]<-v,k<-k+1
    end if
end for
end while //End of algorithm BFS
```

Implementation

```
#include<stdio.h>

#include<conio.h>

int visited[10];

void bfs(int n,int a[10][10],int source)
{
    int i,g[10],u;
    int front=1,rear=1;
    visited[source]=1;

    while(front<=rear)
    {
        u=g[front];
        front=front+1;
        for(i=1;i<=n;i++)
            if(a[u][i]==1 && visited[i]==0)
            {
                rear=rear+1;
                g[rear]=i;
                visited[i]=1;
            }
    }
}

void main()
{
    int n,a[10][10],i,j,source;
```

```
clrscr();
printf("\n Enter the no. of nodes:");
scanf("%d",&n);
printf("\n Enter the adjacency matrix:");
for(i=1;i<=n;i++)
for(j=1;j<=n;j++)
scanf("%d",&a[i][j]);
printf("\n Enter the source:");
scanf("%d",&source);
for(i=1;i<=n;i++)
visited[i]=0;
bfs(n,a,source);
for(i=1;i<=n;i++)
{
    if(visited[i]==0)
        printf("\n The node %d is not reachable.",i); else
        printf("\n The node %d is reachable.",i);
}
getch();}
```

Output:

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Program 4 :

Write a program to check whether a given graph is connected or not using DFS method.

Algorithm

Algorithm DFS(u,n,a)

//Purpose: To obtain the sequence of jobs to be executed resulting in topological order

//Input :

// u-From where the DFS traversal start

// n-the number of vertices in the graph

// a-adjacency matrix of the given graph

//Global variables:

// s-to know what are the nodes visited and what are the nodes that are not visited

// j-index variable to store the vertices(only those nodes which are dead ends or those nodes

// whose nodes are completely explored

// res-an array which hold the order in which the vertices are popped

//Output:

// res-indicates the vertices in reverse order that are to be

executed Step 1:[Visit the vertex u]

S[u]<-1

Step 2:[Traverse deeper into the graph till we get the dead end or till all vertices are visited

```
for v<-0 to n-1 do
    if(a[u][v]=1 and s[v]=0) then
        DFS(v,n,a)
    end if
end for
```

Step 3:[store the dead vertex or which is completely explored]

```
j<-j+1
res[j]<-u
```

Step4:[Finished]

```
return
```

//End of DFS Algorithm

Implementation

```
#include<stdio.h>
#include<conio.h>

int visited[10];

void dfs(int n,int a[10][10],int source)
{
    int i;
    visited[source]=1;
    for(i=1;i<=n;i++)
        if(a[source][i]==1 && visited[i]==0)
            dfs(n,a,i);
}

void main()
{
    int n,a[10][10],i,j,source,count=0;
    clrscr();
    printf("\n Enter the no. of nodes:");
    scanf("%d",&n);
    printf("\n Enter the cost matrix,0-no edge and 1-if edge:\n");
    for(i=1;i<=n;i++)
        for(j=1;j<=n;j++)
            scanf("%d",&a[i][j]);
    printf("\n Enter the source vertex:");
    scanf("%d",&source);
    for(i=1;i<=n;i++)
        visited[i]=0;
    dfs(n,a,source);
}
```

```
    if(visited[i])
        count=count+1;
    if(count==n)
        printf("\n Graph is connected.");
    else
        printf("\n Graph is not connected.");
    getch();
}
```

Output:

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Program 5:

Write a program to obtain the Topological ordering of vertices in a given digraph.

Algorithm DFS(u,n,a)

//Purpose: To obtain the sequence of jobs to be executed resulting in topological order

//Input :

// u-From where the DFS traversal start

// n-the number of vertices in the graph

// a-adjacency matrix of the given graph

//Global variables:

// s-to know what are the nodes visited and what are the nodes that are not visited

// j-index variable to store the vertices(only those nodes which are dead ends or those nodes

// whose nodes are completely explored

// res-an array which hold the order in which the vertices are popped

//Output:

// res-indicates the vertices in reverse order that are to be

executed Step 1:[Visit the vertex u]

S[u]<-1

Step 2:[Traverse deeper into the graph till we get the dead end or till all vertices are visited]

```
for v<-0 to n-1 do
    if(a[u][v]=1 and s[v]=0) then
        DFS(v,n,a)
    end if
end for
```

Step 3:[store the dead vertex or which is completely explored]

```
j<-j+1
res[j]<-u
```

Step4:[Finished]

```
return    //End of DFS Algorithm
```

Algorithm topological_order(a,n)

///Purpose: To obtain the sequence of jobs to be executed resulting in topological order

///Input :

// n-the number of vertices in the graph

// a-adjacency matrix of the given graph

///Global variables:

// s-to know what are the nodes visited and what are the nodes that are not visited

// j-index variable to store the vertices(only those nodes which are dead ends or those nodes

// whose nodes are completely explored

// res-an array which hold the order in which the vertices are popped

//Output:

// res-indicates the vertices in reverse order that are to be executed

Step 1:[Initialization to indicate that no vertex has been visited]

for i<-0 to n-1 **do**

 s[i]<-0

end for

j<-0

Step 2:[process each vertex in the graph]

for u<-0 to n-1 **do**

 if(s[u]=0) call DFS(u,n,a)

end for

Step 3:[Output the topological sequence by printing in the reverse order of popped sequence]

for i<-n-1 to 0 **do**

 print res[i]

end for

Step4:[Finished]

return **//End of Topological ordering Algorithm**

Implementation

```
#include<stdio.h>
#include<conio.h>

int res[20],s[20],j=0;

void dfs(int u,int n,int cost[20][20])
{
    int v;
    s[u]=1;
    for(v=0;v<n;v++)
    {
        if(cost[u][v]==1 && s[v]==0)
        {
            dfs(v,n,cost);
        }
    }
    res[j++]=u;
}

void depth_first_traversal(int n,int a[20][20])
{
    int i;
    for(i=0;i<n;i++)
    s[i]=0;
    j=0;
    for(i=0;i<n;i++)
    {
        if(s[i]==0)
        dfs(i,n,a);
    }
}
```



```
void main()
{
    int i,j,k,n,cost[20][20];
    clrscr();
    printf("enter the no of nodes\n");
    scanf("%d",&n);

    printf("enter the adjacency matrix\n");
    for(i=0;i<n;i++)
    {
        for(j=0;j<n;j++)
            scanf("%d",&cost[i][j]);
    }
    depth_first_traversal(n,cost);

    printf("topological sequence is:\n");
    for(i=n-1;i>=0;i--)
        printf("%d\t",res[i]);

    getch();
}
```

Output:

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Program 6:

Write a program to find shortest paths to other vertices from a given vertex in a weighted connected graph, using Single Source Shortest path algorithm.

Algorithm

Algorithm Dijkstra(n,w,source,destination,d,p)

//Purpose: To compute the shortest distance and shortest path from given source to

// destination

//Input: n-no of vertices in the graph

// w-Cost adjacency matrix with values ≥ 0

// source-source vertex

// destination-destination vertex

//Output: d-shortest distance between source to all nodes

// p-shortest path from source to destination

// s-gives the nodes that are so far visited and the nodes that are not visited

for i<-0 to n-1 **do**

 d[i]=cost[source][i]

 p[i]=source

 s[i]=0

end for

s[source]=1

//add source to s

```
for i<-0 to n-1 do  
    find u and d[u] such that d[u] is minimum and u  $\in$   
    v-s add u to s  
    if(u=destination) break;  
for every v  $\in$  v-s do (i.e,for v=0 to n-1)  
    if(d[u]+w[u,v]<d[v]  
        d[v]=d[u]+w[u,v]  
        p[v]=u  
    end if  
end for  
end for  
//End of Dijkstra's algorithm
```

Implementation

```
#include<stdio.h>

#include<conio.h>
#define INFINITY 999

void dijkstra(int cost[10][10],int n,int source,int distance[10])
{
    int visited[10],min,u,i,j;
    for(i=1;i<=n;i++)
    {
        distance[i]=cost[source][i];
        visited[i]=0;
    }

    visited[source]=1;
    for(i=1;i<=n;i++)
    {
        min=INFINITY;
        for(j=1;j<=n;j++)
            if(visited[j]==0 && distance[j]<min)
            {
                min=distance[j];
                u=j;
            }

        visited[u]=1;
        for(j=1;j<=n;j++)
            if(visited[j]==0 && (distance[u]+cost[u][j])<distance[j])
            {
                distance[j]=distance[u]+cost[u][j];
            }
    }
}
```

```
}

void main()
{

    int n,cost[10][10],distance[10];
    int i,j,source,num;
    clrscr();
    printf("\nEnter the no. of nodes:");
    scanf("%d",&n);
    printf("\nCost matrix\nEnter 999 for no
        edge:\n");

    for(i=1;i<=n;i++)
    for(j=1;j<=n;j++)
        scanf("%d",&cost[i][j]);
    printf("\nEnter the source node:");
    scanf("%d",&source);

    dijkstra(cost,n,source,distance);

    for(i=1;i<=n;i++)
    printf("\nShortest distance from %d to %d
        is %d\n",source,i,distance[i]); getch();
}
```

Output:

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Program 7:

Write a program to find Minimum Cost Spanning Tree of a given undirected graph using Prim's algorithm.

Algorithm

Algorithm Prim(n,w)

//Purpose: To Compute the minimum spanning tree using Kruskal's algorithm

//Input: n-Number of vertices in the graph // w-Cost adjacency matrix //Output: The spanning tree if exists

Step1:[Obtain an edge with least cost from the adjacency

matrix] min<-999;

source<-1

for i<-1 to n **do**

for j<-1 to n **do**

if(a[i][j]!=0 && a[i][j]<=min)

 min<-a[i][j]

 source<-i;

end if

end for

end for

Step2:[initialization to find minimum spanning tree]

for i<-1 to n **do**

 s[i]<-0

 d[i]<-w[source,i]

 p[i]<-source

end for

Step3:[find minimum spanning tree]

s[source]<-1

sum<-0; k<-0

for i<-1 to n **do**

 find u and d[u] such that d[u] is minimum and

 u \in V-S Add u to s

 Add cost to selected edge to get total cost of minimum spanning

 tree **for** every v \in V-S **do**

if(w[u,v]<d[v]

 d[v]<-w[u,v]

 p[v]<-u

end if

end for

end for

if(sum \geq 999)

 write "Spanning Tree does not exist"

else

 write "Spanning tree exists and print the minimum spanning tree
 is"

end if

Step4:[Finished]

return //End of Prim's algorithm

Implementation

```
#include<stdio.h>
#include<conio.h>
#define INFINITY 999
int prim(int cost[10][10],int source,int n)
{
    I      int i,j,visited[10],vertex[10],cmp[10];
           int min,u,v,sum=0;
           for(i=1;i<=n;i++)

               {
                   vertex[i]=source;
                   visited[i]=0;
                   cmp[i]=cost[source][i];
               }

    visited[source]=1;
    for(i=1;i<=n-1;i++)

        {

            min=INFINITY;
            for(j=1;j<=n;j++)
                if(!visited[j] && cmp[j]<min)

                    {

                        min=cmp[j];
                        u=j;
                    }

            visited[u]=1;
            sum=sum+cmp[u];
            printf("\n %d->%d sum=%d",vertex[u],u,sum);
            for(v=1;v<=n;v++)
                if(!visited[v] && cost[u][v]<cmp[v])

                    {
```

```
        cmp[v]=cost[u][v];
        vertex[v]=u;
    }

}

return sum;
}

void main()
{
    int a[10][10],n,i,j,m,source;
    clrscr();
    printf("\n Enter the no. of vertices:");
    scanf("%d",&n);
    printf("\n Enter the cost matrix, 0-self loop and 999-no edge:\n");
    for(i=1;i<=n;i++)
        for(j=1;j<=n;j++)
            scanf("%d",&a[i][j]);
    printf("\n Enter the source:");
    scanf("%d",&source);
    m=prim(a,source,n);
    printf("\n\n Cost=%d",m);
    getch();
}
```

Output:

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Program 8 :

Write a program to find Minimum Cost Spanning Tree of a given undirected graph using Kruskal algorithm

Algorithm Kruskal(n,m,E)

//Purpose: To Compute the minimum spanning tree using Kruskal's algorithm

//Input: n-Number of vertices in the graph

// m-Number of edges in the graph

// E-edge list consisting of set of edges along with equivalent weights

//Output: The spanning tree

count<-0

k<-0

sum<-0

//Create forest with n vertices

for i<-1 to n **do**

 parent[i]<-i

end for

while(count!=n-1 and E!= \emptyset)

 select an edge (u,v) with least cost

 j<-find(u,parent) //find the root for the vertex u

 j<-find(v,parent) //find the root for the vertex v

if(i!=j) //if the roots of vertex u and v are different

 t[k][0]<-u //Select the edge(u,v) as the edge ofMSt

 t[k][1]<-v

 k++

 count++ //Update number of edges selected for MST

 sum<-sum+cost(u,v) //Update the cost of MST

 union(i,j,parent); //Merge the two trees with roots i and j

end if

//delete the edge (u,v)from the list

end while

if(count!=n-1)

 write("Spanning tree does not exist")

return

end if

```
write ("the spanning tree is shown below")
for i<-1 to n-1 do
    write(t[i][0],t[i][1])
end for
write("cost of spanning tree is" sum)
//End of kruskal algorithm
```

Implementation

```
#include<stdio.h>

#include<conio.h>
#define INFINITY 999
#define max 100

int parent[max],cost[max][max],t[max][2];

int find(int v)
{
    while(parent[v])
    {
        v=parent[v];
    }
    return v;
}

void union1(int i,int j)
{
    parent[j]=i;
}

void kruskal(int n)
```

```
{
    int i,j,k,u,v,res1,res2,sum=0,mincost;
    for(k=1;k<n;k++)

    {
        mincost=INFINITY;
        for(i=1;i<n;i++)
        {
            for(j=1;j<=n;j++)

            {
                if(i==j)continue;
                if(cost[i][j]<mincost)

                {
                    u=find(i);

                    v=find(j);
                    if(u!=v)

                    {
                        res1=i;
                        res2=j;
                        mincost=cost[i][j];
                    }
                }
            }
        }

        union1(res1,find(res2));
        t[k][1]=res1;
        t[k][2]=res2;
        sum=sum+mincost;
    }
```

```
printf("\n Cost of spanning tree
is %d\n",sum); printf("\n Edges of spanning
tree are:\n");
    for(i=1;i<n;i++)
printf("%d->%d\n",t[i][1],t[i][2]);
}
```

```
void main()
```

```
{
    int i,j,n;
    clrscr();
    printf("\n Enter the no. of vertices:");
    scanf("%d",&n);
    for(i=1;i<=n;i++)
    parent[i]=0;
    printf("\n Enter the cost matrix,0-self edge and 999-no edge:\n");

    for(i=1;i<=n;i++)
    for(j=1;j<=n;j++)
    scanf("%d",&cost[i][j]);

    kruskal(n);

    getch();
}
```

Output:

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Program 9:

Write a program to sort a given set of elements by implementing Radix Sort

Implementation

```
#include <stdio.h>

#include <conio.h>
int largest (int arr[], int n);
void radix_sort (int arr[], int n);
void main ()
{
    int arr[10], i, n , j ,k;
    clrscr ();
    printf("\n Enter the number of elements in the array :
    " ); scanf("%d", &n);
    printf("\n Enter the elements of the array");
    for(i = 0;i < n;i++)
    {
        printf("\n arr[%d] = ", i);
        scanf ("%d", &arr [i]);
    }

    radix_sort (arr, n);
    printf ("\n The sorted array is: \n" );
    for(i = 0;i < n;i++)
    {
        printf ("%d\t", arr [i]);
    }

    getch ();
}

int largest (int arr[], int n)
{
    int large=arr[0], i;
    for(i = 1;i < n;i++)
    {
        if(arr[i]> large)
        {
            large = arr[i];
        }
    }
}
```

```
        }

    }

    return large;

}

void radix_sort (int arr[], int n)
{
    int bucket [10] [10], bucket_count [10];
    int i, j , k , remainder, NOP=0, divisor=1, large,
    pass; large = largest (arr, n);
    while (large > 0)
    {
        NOP++;
        large=large/10;
        for(pass = 0;pass < NOP;pass++)
        {
            /*Initialize the buckets */
            for(i = 0;i < 10;i++)
            {
                bucket_count[i]=0;
            }
            for(i = 0;i < n;i++)
            {
                /* sort the numbers according to the digit at the place specified by
                pass */ remainder= (arr[i]/divisor)%10;
                bucket [remainder] [bucket_count[remainder]] =
                arr[i]; bucket_count[remainder] += 1;
            }
        }

        /* collect the numbers after PASS pass
        */ i=0;
        for(k=0;k < 10;k++)
        {
            for(j=0;j< bucket_count[k];j++)
            {
                arr [i] = bucket [k] [j];
                i++;
            }
        }
    }
}
```

```
    }  
    divisor = divisor * 10;  
  }  
}
```

Output :

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Program 10 :

Write a program to compute the transitive closure of a given directed graph using Warshall's algorithm

Algorithm

Algorithm warshall(n,a,p)

//Purpose :To Compute transitive closure(path matrix)

//Inputs: Adjacency matrix a of size n x n

//Output : Transitive Closure(path matrix) of size n

x n Step 1:[Make a copy of the adjacency matrix]

for i<-0 to n-1 **do**

for j<-0 to n-1 **do**

p[i,j]=a[i,j]

end for

end for

Step 2:[Find transitive closure(path matrix)] **for** k<-0 to n-1 **do**

for i<-0 to n-1 **do**

for j<-0 to n-1 **do**

if(p[i,j]=0 and (if(p[i,k]=1 and p[k,j]=1))

then p[i,j]=1

end if

end for

end for

end for

Step 3:[Finished] **Return** //End of Warshall Algorithm

Implementation

```
#include<stdio.h>
#include<conio.h>

void warsh(int p[10][10],int n)
{
    int i,j,k;
    for(k=1;k<=n;k++)
        for(i=1;i<=n;i++)
            for(j=1;j<=n;j++)
                p[i][j]=p[i][j]||(p[i][k] && p[k][j]);
}

void main()
{
    int a[10][10],n,i,j;
    clrscr();
    printf("\n Enter the no. of vertices:");
    scanf("%d",&n);
    printf("\n Enter the cost matrix, 0-self loop and 1-for
edge\n"); for(i=1;i<=n;i++)
        for(j=1;j<=n;j++)
            scanf("%d",&a[i][j]);
    warsh(a,n);
    printf("\n Resultant matrix is:\n");
    for(i=1;i<=n;i++)
    {
        for(j=1;j<=n;j++)
            printf("%d\t",a[i][j]);
        printf("\n");
    }
    getch();
}
```

Output:

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Program 11:

Write a program to implement All-Pairs Shortest Paths Problem using Floyd's algorithm.

Algorithm

Algorithm Flyod(n,cost,D)

//Purpose :To Compute all pair shortest distance

matrix //Inputs: Adjacency matrix a of size n x n

//Output : Shortest distance matrix of size n

```
    x n for i<-1 to n do
        for j<-1 to n do
            D[i,j]=cost{I,j}
        end for
    end for

for k<-1 to n do
    for i<-1 to n do
        for j<-1 to n do
            D[I,j]=min(D[i,j],D[i,k]+D[k,j])
        end for
    end for
end for

return

//end of Algorithm Floyd
```

Implementation

```
#include<stdio.h>
#include<conio.h>
#include<omp.h>
#define INFINITY 999

int min(int a,int b)
{
    return a<b?a:b;
}
void floyd(int w[10][10],int n)
{
    int i,j,k;

#pragma omp parallel for private(i, j, k) shared(w)
    for(k=1;k<=n;k++)
        for(i=1;i<=n;i++)
            for(j=1;j<=n;j++)
                w[i][j]=min(w[i][j],w[i][k]+w[k][j]);
}
void main()
{
    int a[10][10],n,i,j;
    double startTime,endTime;
    printf("\n Enter the no. of vertices:");
    scanf("%d",&n);
    printf("\n Enter the cost matrix, 0-self loop and 999-no
edge\n"); for(i=1;i<=n;i++)
        for(j=1;j<=n;j++)
            scanf("%d",&a[i][j]);
    startTime=omp_get_wtime();
    floyd(a,n);
    endTime = omp_get_wtime();
    printf("\n Shortest path matrix:\n");
    for(i=1;i<=n;i++)
    {
        for(j=1;j<=n;j++)
```



```
        printf("%d\t",a[i][j]);
        printf("\n");
    }
    printf("Time taken is %10.9f\n",(double)(endTime-startTime));

    getch();
}
```

Output

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Program 12:

Write a program to compute Binomial Co-Efficient using Dynamic programming.

```
#include<stdio.h>

//      Prototype of a utility function that returns minimum of two
integers int min(int a, int b);

// Returns value of Binomial Coefficient C(n, k)
int binomialCoeff(int n, int k)
{
    int C[n+1][k+1];
    int i, j;

    //  Caculate value of Binomial Coefficient in bottom up
    manner for (i = 0; i <= n; i++)
    {
        for (j = 0; j <= min(i, k); j++)
        {
            // Base Cases
            if (j == 0 || j == i)
                C[i][j] = 1;

            //  Calculate value using previosly stored
            values else
                C[i][j] = C[i-1][j-1] + C[i-1][j];
        }
    }

    return C[n][k];
}

//      A utility function to return minimum of two
integers int min(int a, int b)
{
    return (a<b)? a: b;
}

/* Drier program to test above function*/
int main()
```

```
{  
    int n = 5, k = 2;  
    printf ("Value of C(%d, %d) is %d ", n, k, binomialCoeff(n,k) );  
    return 0;  
}
```

Output :

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