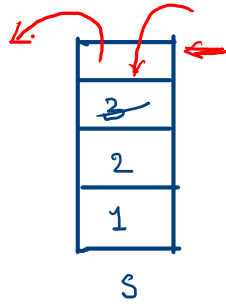


Day-6

① Stack [L I F O / F I L O]

$\left\{ \begin{array}{l} \rightarrow \text{push}(x) \rightarrow \text{add} \rightarrow \text{OF} \\ \rightarrow \text{pop}() \rightarrow \text{delete} \rightarrow \text{OF} \end{array} \right.$



$\left\{ \begin{array}{l} \text{push}(1) \\ \text{push}(2) \\ \text{push}(3) \end{array} \right.$

$\text{pop}() \rightarrow 3 \checkmark$

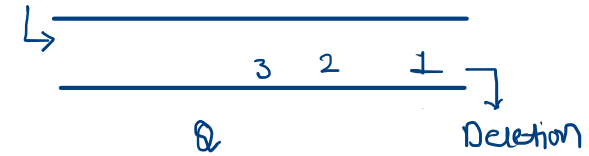
$\text{pop}(1) \times$
 $\underbrace{\hspace{1cm}}_{\times}$

② Queue

$\rightarrow \text{Enqueue}(x) \rightarrow \text{add}$

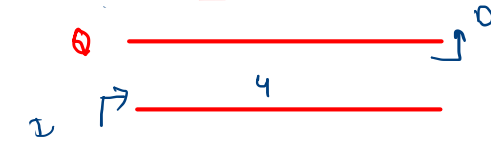
$\rightarrow \text{Dequeue}() \rightarrow \text{delete}$

insertion



$E(1), E(2), E(3), \underbrace{D(1)}_1$

① Implement Q using Stacks

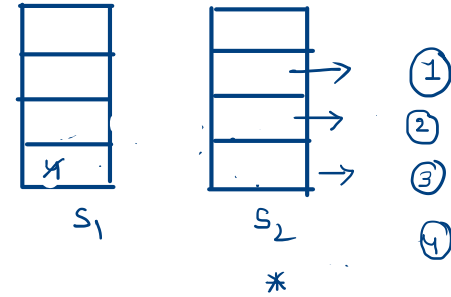


$E(1), E(2), E(3), D(1), D(2) \mid E(4), D(3) \mid D(4)$
 $\hookrightarrow 1 \quad \hookrightarrow 2 \quad \hookrightarrow 3 \quad \hookrightarrow 4$

```

E Q ( )
{
    push(S1, x)
}
D Q ( )
{

```



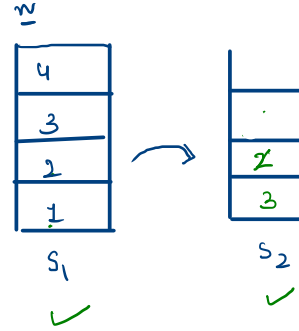
→ void enqueue(Q,x)
 {
 push(S1,x)
 }
 } → O(1) ✓

Single element

→ dequeue(Q)
 {
 if(S2.isEmpty())
 {
 if(S1.isEmpty())
 {
 print("Q is empty")
 return
 }
 else
 {
 while(!S1.isEmpty())
 {
 x=S1.pop()
 S2.push(S2,x)
 }
 }
 x=S2.pop()
 return x
 }
 }
 }

*
 → O(n)

Q.



. E(1)

E(2)

E(3)

O(1) → ①

O(1) → ②

n → delete ✓
 n → push ✓
 1 → pop ✓
 } O(n)

d(1)
 ④
 Q(1)

② Implement Stack using Queues

push()

{

→

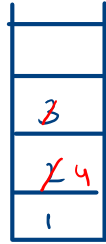
}

pop()

{

}

→ push()
→ pop()



S

pop()

{

Beque(a1) ✓

}

push(1), push(2), push(3), pop(), pop(), push(4),



push()

{

1) add to a2

2) delete all elements
a1

3) swap contents of a1 and a2

}

pop()
→ 4

move
to
→ a2

Let Q1, Q2 be two Queues

~~size 0~~

1 element

→ void push(x)
{

Q2.enqueue(x) → ~~0~~ 1

while(!Q1.isEmpty())

{

Q2.enqueue(Q1.front()) } → n

Q1.dequeue()

}

let temp be a Queue

temp=Q1

Q1=Q2

Q2=temp

}

$O(n)$

* pop()
{

return Q1.dequeue() → $O(1)$

}

* top()

{

return Q1.front()

}

a

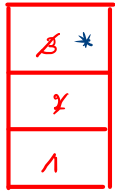
b

7
3

8 2

Stack
2

④ Reverse the contents of stack



s_1

LIFO


```

✓ declare a global stack called st
→ main()
{
    add some elements to stack
    reverse() // call the reverse function
}
reverse()
{
    if(st.size>0)
    {
        x=st.peak()
        st.pop()
        reverse()
        insert(x)
    }
}

insert(x)
{
    if(st.isEmpty())
        st.push(x)
    else
    {
        a=st.peak()
        st.pop()
        insert(x)
        st.push(a)
    }
}

```




Diagram illustrating a stack structure (labeled 'st') containing elements 1, 2, and 3, representing the state after the initial push operations.


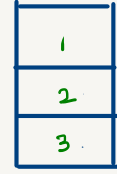


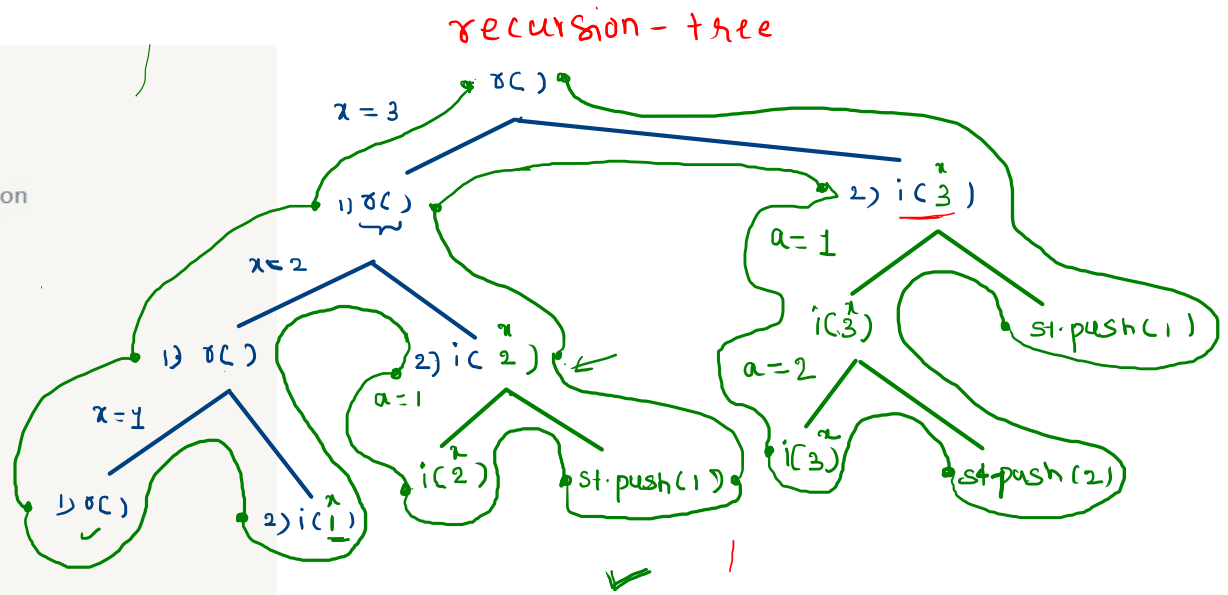
Diagram illustrating a stack structure (labeled 'st') containing elements 3, 2, and 1, representing the state after the recursive reverse function has completed its execution.



st



st



① $O(n) \rightarrow S.C$
(max-depth of Recursion tree)

② \checkmark \rightarrow t.c

Stock-Span Problem

$p[] = \{ 100, 80, 60, 70, 60, 75, 85 \}$

$s[] = \{ 1, 1, 1, 2, 1, 4, 6 \}$

```
findSpan(price[],n,span[])
{
    Stack st
    st.push(0)
    span[0]=1
    for(i=1;i<n;i++)
    {
        while(!isEmpty() && price[st[top]]<=price[i])
        {
            ele=st.pop()
        }
        span[i]=isEmpty()? i+1 : i-st[top]
        st.push(i)
    }
}
```