

# Statistics

- ① ANOVA (F-Test)  $\rightarrow$  1 hour  $\}$   
② KDA  $\rightarrow$  {Solve some Examples.}  $\}$

ANOVA  $\div$  { Analysis of Variance }

ANOVA is a statistical method used to compare the means of 2 or more group

ANOVA  $\div$

① Factors (variables) <u>Measure</u>	② Levels <u>{ Dosage }</u>	<u>Anxiety reducing</u>			<u>Gender</u>	
	<u>0mg</u>	<u>50mg</u>	<u>100mg</u>	<u>M</u>	<u>F</u>	
factor : Dosage	9	7	4			
Levels : 0mg, 50mg,	8	6	3			
100mg	7	6	2			
	8	7	3			
	6	8				

Types of ANOVA

One way ANOVA  $\div$  One factor with atleast 2 levels, levels are independent.

② Repeated Measures ANOVA - One factor with atleast 2 levels, but levels are { dependent }

Factor  
Levels

Running kms

KARTIK

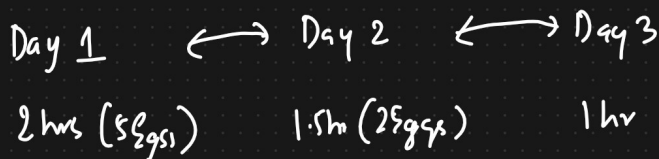


99% Study hours of KARTIK

#### ④ Factorial ANOVA



Gym



⑥ Factorial ANOVA : Two or more factor (each of which with atleast 2 levels), levels can be either independent, dependent or both (mixed)

Eg

	factor	factor		
		Day 1	Day 2	Day 3
Men		9	7	4
		8	6	3
		7	5	2
Women		8	7	3
		8	8	4
		9	7	3

One way ANOVA (F-test)  $\Rightarrow$  Inferential stats



Comparing means of 2 or more groups

\* Researchers want to test a new anxiety medication. They split participants into 3 conditions (0mg, 50mg, 100mg), then ask them to rate their anxiety level on scale of 1-10. Are there any differences between the 3 conditions using  $\alpha = 0.05$ ?

	0mg	50mg	100mg
$\rightarrow$	9	7	4
$\rightarrow$	8	6	3
$\rightarrow$	7	6	2
$\rightarrow$	8	7	3
$\rightarrow$	8	8	4
$\rightarrow$	9	7	3
$\rightarrow$	8	6	2

$$\begin{aligned} H_0 &= \mu_{0mg} = \mu_{50mg} = \mu_{100mg} \\ H_1 &= \text{not all } \mu\text{'s are equal} \end{aligned} \quad \left. \vphantom{\begin{aligned} H_0 &= \mu_{0mg} = \mu_{50mg} = \mu_{100mg} \\ H_1 &= \text{not all } \mu\text{'s are equal} \end{aligned}} \right\}$$

(2) State  $\alpha$  and C.I

$$\alpha = 0.05 \quad C.I = 95\%$$

(3) Calculate the Degree of freedom

Statistics

$\Downarrow$   
 $N = 21$

$\Downarrow$   
 $n = 7$   
 $=$

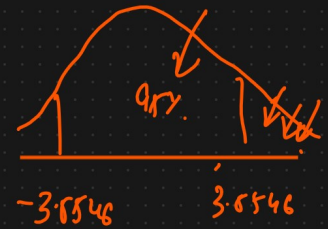
$$\begin{aligned} \rightarrow df_{\text{Between}} &= a - 1 = 3 - 1 = 2 \\ \rightarrow df_{\text{Within}} &= N - a = 21 - 3 = 18 \\ \rightarrow df_{\text{Total}} &= N - 1 = 21 - 1 = 20 \end{aligned} \quad \left. \vphantom{\begin{aligned} df_{\text{Between}} &= a - 1 = 3 - 1 = 2 \\ df_{\text{Within}} &= N - a = 21 - 3 = 18 \\ df_{\text{Total}} &= N - 1 = 21 - 1 = 20 \end{aligned}} \right\}$$

$a = 3 \rightarrow \{ \text{No. of levels} \}$

#### ④ State Decision Rule

$$df_{\text{Between}} = a - 1 = 3 - 1 = 2 \quad \{(2, 18)\}$$

$$df_{\text{Within}} = N - a = 21 - 3 = 18$$



If F test is greater than 3.5546, Reject the Null Hypothesis

If F test is less than -3.5546 " " " "

#### ⑤ Calculate F Test Statistic

$$F_{\text{Test}} = \frac{MS_{\text{Between}}}{MS_{\text{Within}}} = \frac{49.34}{0.57} =$$

	SS	df	MS	F Test
Between	98.67	2	49.34	<u><u>86.56</u></u>
Within	10.29	18	0.57	
Total	108.96	20		

$$SS_{\text{Between}} = \left[ \frac{\sum (\sum a_i)^2}{n} \right] - \frac{T^2}{N}$$

$$N = 21 \quad n = 7 //$$

$$T^2 = [57 + 47 + 21]^2 = (125)^2$$

$$\sum (\sum a_i)^2 = (9 + 8 + 7 + 8 + 8 + 9 + 8)^2 + (7 + 6 + 6 + 7 + 8 + 7 + 6)^2$$

$$(4 + 3 + 2 + 3 + 4 + 3 + 2)^2$$

$$= 57^2 + 47^2 + 21^2$$

$$SS_{\text{Between}} = \frac{57^2 + 47^2 + 21^2}{7} - \frac{125^2}{21} = 98.67$$

$$② SS_{within} = \sum y^2 - \frac{(\sum a_i)^2}{n}$$

$$\left. \begin{array}{l} p = 0.75 \\ \alpha = 0.05 \end{array} \right\} = \sum_{\substack{\downarrow \\ 853}} y^2 - \left[ \frac{57^2 + 47^2 + 21^2}{7} \right] = \underline{\underline{10.29}}$$

$$\sum y^2 = 9^2 + 8^2 + 7^2 + 8^2 + 8^2 + 9^2 + \dots + 2^2 = \underline{\underline{853}}$$

$$\underline{\underline{0.75 > 0.05}}$$

Accept

Final Conclusion

86.56 > 35546 so we reject the Null hypothesis?

$H_0 : \mu = \text{Some value}$

$H_1 : \mu \neq \text{Some value} \} \rightarrow \underline{\underline{95\% C.I}}$

Virginia

Petzl Width

	=	=
	-	-
	-	-
	-	-
	-	-
	-	-



$$\rightarrow H_0 = \mu_{\text{virgin}} = \mu_{\text{swiss}} = \mu_{\text{...}}$$

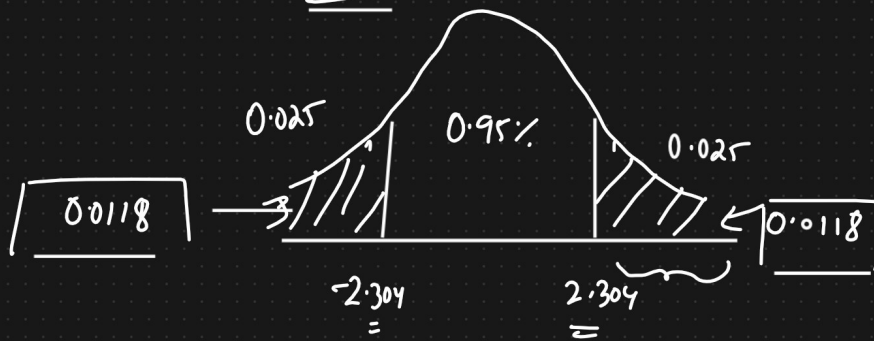
$$H_1 = \neq \text{pr} \text{ value } \neq \rightarrow \text{Reject the Null Hypothesis}$$

$$\begin{array}{r} 0.0118 \\ 0.0118 \\ \hline 0.0228 \end{array}$$

$$0.0228 < 0.05 \quad 1 - 0.025 = 0.975$$

$$\alpha =$$

$$\underline{\underline{Z_{test} \text{ is higher}}}$$



$$Z = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$$

$$Z = 2.304$$

$$2.304 > 1.96 \text{ Reject}$$