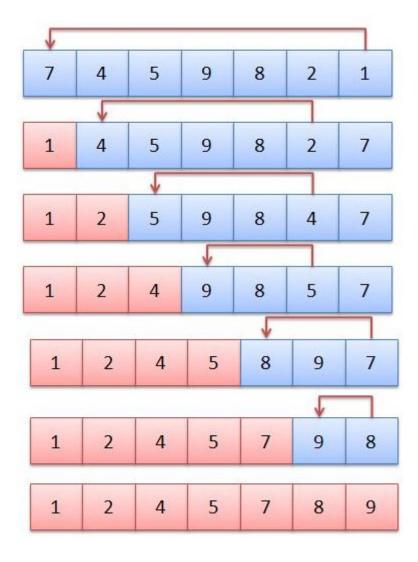
## **Selection Sort**

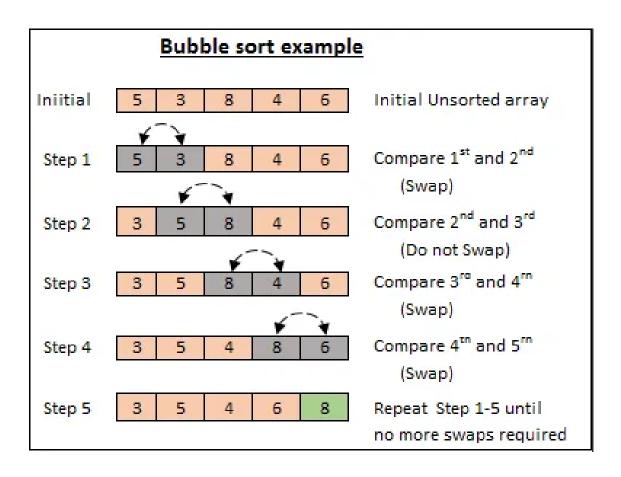
Selection sort is <u>a sorting algorithm</u> that selects the smallest element from an unsorted list in each iteration and places that element at the beginning of the unsorted list.

### Selection Sort:



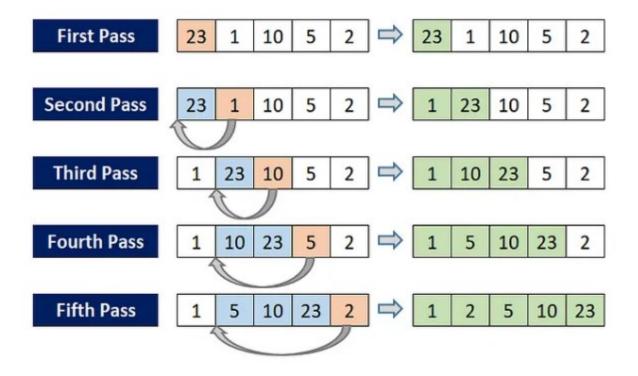
### **Bubble Sort**

**Bubble sort** is <u>a sorting algorithm</u> that compares two adjacent elements and swaps them until they are in the intended order.



## **Insertion Sort**

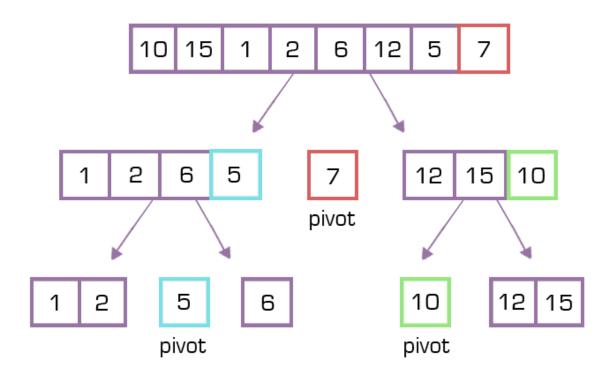
Insertion sort is <u>a sorting algorithm</u> that places an unsorted element at its suitable place in each iteration.



#### **Quick Sort**

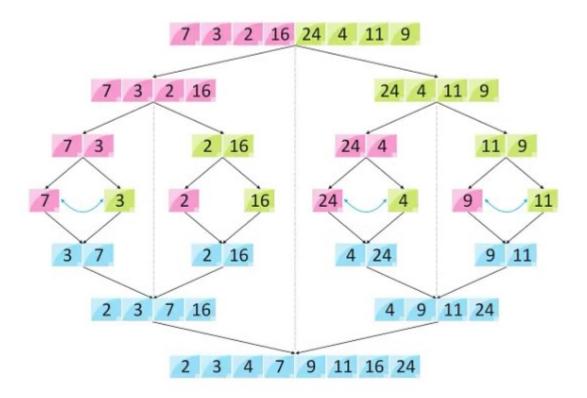
Quicksort is <u>a sorting algorithm</u> based on the **divide and conquer approach** where

- 1. An array is divided into subarrays by selecting a **pivot element** (element selected from the array).
  - While dividing the array, the pivot element should be positioned in such a way that elements less than pivot are kept on the left side and elements greater than pivot are on the right side of the pivot.
- 2. The left and right subarrays are also divided using the same approach. This process continues until each subarray contains a single element.
- 3. At this point, elements are already sorted. Finally, elements are combined to form a sorted array.



## Merge Sort

Merge Sort Algorithm is a classic 'Divide and Conquer' algorithm where the list to be sorted is divided into smaller parts, sorted individually, and then merged back together.

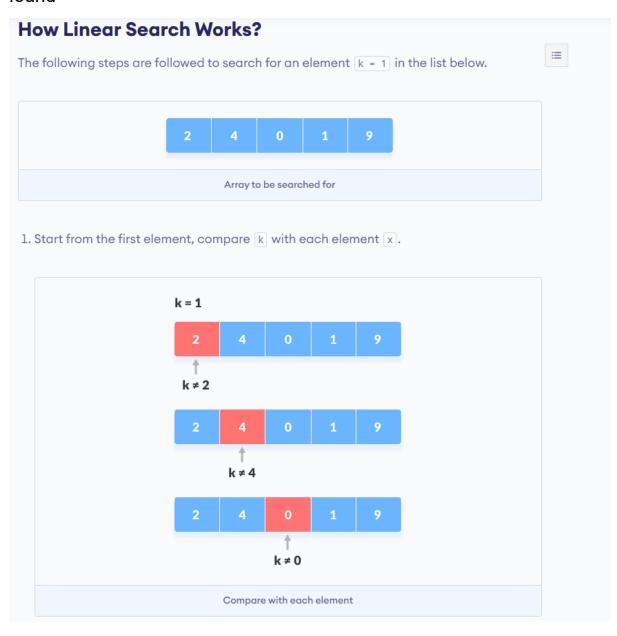


# Searching Alorithms

### Linear Search

### **Linear Search**

Linear search is a sequential searching algorithm where we start from one end and check every element of the list until the desired element is found



2. If x == k, return the index.



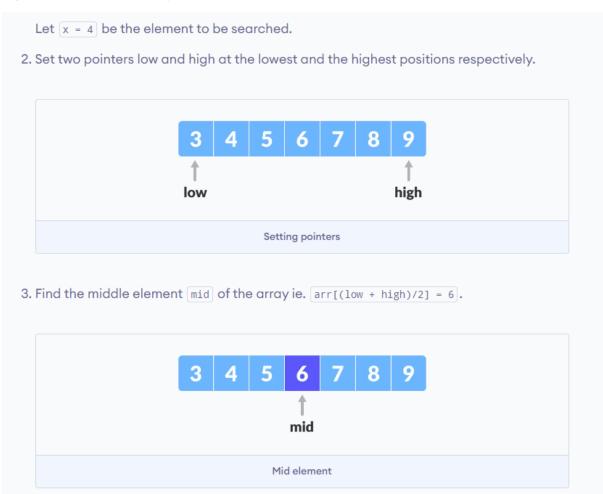
3. Else, return not found.

# **Binary Search**

Binary Search is a searching algorithm for finding an element's position in a sorted array.

In this approach, the element is always searched in the middle of a portion of an array.

The search element will be either on the left part of the array or on the right part of the array.



- 4. If x == mid, then return mid. Else, compare the element to be searched with m.
- 5. If x > mid, compare x with the middle element of the elements on the right side of mid. This is done by setting x = mid + 1.
- 6. Else, compare x with the middle element of the elements on the left side of mid. This is done by setting high to high = mid 1.



7. Repeat steps 3 to 6 until low meets high.



8. x = 4 is found.