

Sip 1

L

Q.1]

2.write python code to repeat the following string 9 times using the string operator '*'.

a)python

```
string1="python"
```

```
>> print(string1*9)
```

```
pythonpythonpythonpythonpythonpythonpythonpythonpython
```

b)mathematics

```
string="mathematics"
```

```
>> print(string*9)
```

```
mathematicsmathematicsmathematicsmathematicsmathematicsmathematicsmathematicsmat  
hematicsmathematics
```

3.write python program to generate the square of numbers from 1 to 10.

```
[(n,n*n) for n in range(1,11)]
```

```
[(1, 1), (2, 4), (3, 9), (4, 16), (5, 25), (6, 36), (7, 49), (8, 64), (9, 81), (10, 100)]
```

Q.2]

1.using python code construct the following matrices.

a)an identity matrix of order 10*10.

```
import numpy as np
```

```
>> print(np.eye(10))
```

```
u,.o.0.0.0.0.0.0.0.0.0J  
[0.1.0.0.0.0.0.0.0.0Q0J  
[0.0.1.0.0.0.0.0.0.0.0J  
[0.0.0.1.0.0.0.0.0.0.0J  
[0.0.0.0.1.0.0.0.0.0Q0J  
[0.0.0.0.0.1.0.0.0.0Q0J  
[0.0.0.0.0.0.1.0.0.0J  
[0.0.0.0.0.0.0.1.0.0J  
[0.0.0.0.0.0.0.0.1.0J  
[0.0.0.0.0.0.0.0.0.1.0J  
[0.0.0.0.0.0.0.0.0.0.1.1)
```

b) zero matrix of order 7*3.

```
>> from sympy import*
```

```
>> zeros(7,3)
```

```
Matrix(  
[0, 0, 0),  
[0, 0, 0),  
[0, 0, 0),  
[0, 0, 0),  
[0, 0, 0],  
[0, 0, 0),  
[0, 0, 011)
```

c) ones matrix of order 5*4.

```
>> from sympy import*
```

```
>> ones(5,4)
```

```
Matrix(  
[1, 1, 1, 1),  
[1, 1, 1, 1),  
[1, 1, 1, 1),  
[1, 1, 1, 1),  
[1, 1, 1, 111)
```

3.Generate all the prime numbers between 1 to 100 using python code.

```
>> import math
>> def phi(n):
    for x in range(1,100):
        if math.gcd(100, x)==1:
            print(x)
```

```
...
>> phi(100)
```

```
1
3
7
9
11
13
17
19
21
23
27
29
31
33
37
39
41
43
47
49
51
53
57
59
61
63
67
69
71
73
77
79
81
83
87
89
91
93
97
99
```

Q.3]

A].1 write python program to estimate the value of the integral itegration 0 to pi $\sin(x)dx$ using simpsons (1/3)rd rule(n=6).

```
>> def simpson13(f,a,b,n):
    h = float(b-a)/n
    result = f(a) + f(b)
    for i in range(1,n):
        k=a+ i*h
```

```

        if i%2 == 0:
            result = result + 2 * f(k)
        else:
            result = result + 4 * f(k)
    result *= h/3
    return result

```

```

>>>
>> def f(x):
    return sin(x)

>> from math import *
>> simpson13(f,0,pi,6)
2.0008631896735363

```

Q3.b1) write python program to obtain the approximate real root of $x^3-4x-9=0$ by using regula falsi method.

```

#Program starts
#importing math module
import math

#Defining function
def f(x):
    return x**3 - 4*x - 9

# Initial values assumed
x0 = 0
x1 = 1

# Maximum number of iterations
maxiter = 10

# Error tolerance
es= 0.0001

# Iteration counter
iter = 0

# True or false value
found = False

while(found == False and iter < maxiter):
    x2 = (x0*f(x1) - x1*f(x0))/ (f(x1) - f(x0))

    if(abs(f(x2)) < es):
        found= True
    else:
        if(f(x2) * f(x1) < 0):
            x0 = x2
        else:
            x1 = x2

    iter += 1

if(found == True):

```

`print("The approximate real root of $x^3-4x-9=0$`

b2).write python program to estimate the value of the integral 2 to 10 into $1/(1+x)$ dx using trapezoidal rule (n=B).

```
#import library
import numpy as np

#define the function
def f(x):
    return 1/(1+x)

#define the interval
a=2
b=10

#define the number of partitions
n=B

#calculate the width of the partition
h=(b-a)/n

#calculate the sum of the areas of the trapezoids
s=0.5*(f(a)+f(b))

#calculate the areas of the remaining trapezoids
for i in range (1,n):
    s=s+f(a+i*h)

#calculate the area of the trapezoidal region
l=h*s

#print the result
print("The area of the trapezoidal region is",l)
```

output The area of the trapezoidal region is 1.307756132756133

Slip 2

_J

```
>>> def f(x):  
    return x**3+5*x  
... n=10
```

Q.1

1. write python code calculate the volume of a sphere with radius=7($V = \frac{4}{3}\pi r^3$).

```
.»> pi=3.14  
>>> r=7.0  
>> v=4.0/3.0*pi*r**3  
>> print('the volume of the sphere is: ',v)  
the volume of the sphere is : 1436.0266666666666  
>>>
```

2. Use python code to construct string operation '+' below string.

a.string1 = Hello, string2 = World!

```
>> string1 = "Hello"  
>> string2 = "world"  
>> string_combined= string1+string2  
>> print(string_combined)  
Helloworld  
>>>
```

b.string1 = Good,string2 = Morning

```
>> string1 = "Good"  
>>> string2 = "Morning"  
>> string_combined= string1+string2  
>> print(string_combined)  
GoodMorning  
>>>
```

3. write python code to generate the square of numbers from 20 to 30.

```
>> for i in [20,21,22,23,24,25,26,27,28,29,30]:  
    print(i*i)
```

```
400  
441  
484  
529  
576  
625  
676  
729  
784  
841  
900  
>>>
```

Q.2:

1. use python code find value of $f(-2), f(0), f(2)$ where $f(x) = x^2 - 5x + 6$.

```
>> def f(x):  
    return (-2)**2-5*(-2)+6  
... 20
```

```
>> def f(x):  
    return (0)**2-5(0)+6
```

```

»> def f(x):
    return (2)**2-5(2)+6
...0

```

2. write python program to find the 10 term the of the sequence of function $f(x)=x^3+5x$.

```

»> def f(x):
    return x**3+5*x
»> #10th term of the sequence
... n=10
»> print("the 10th term of the sequence is",f(n))

```

3. using sympy module of python find the eigenvalues and corresponding eigenvectors of the matrix $A=([4,2,2],[2,4,2],[2,2,4])$.

```

»> from sympy import*
»> A = Matrix([[4,2,2],[2,4,2],[2,2,4]])
»> A.eigenvalsO
{8: 1, 2: 2}
>>>

```

```

»> from sympy import*
>>> A = Matrix([[4,2,2],[2,4,2],[2,2,4]])
»> A.eigenvectsO
[(2, 2, [Matrix([
[-1],
[ 1],
[ 0]]), Matrix([
[-1],
[ 0],
[ 1]])]), (8, 1, [Matrix([
[1],
[1],
[1]])])]
>>>

```

Q.3:

a.

1.write python program to estimate the value of intigral 0to1 $(1/1+x^2)dx$ using simpson's 1/3"rd rule n=4.

```

»> def sipmsons13(f,a,b,n):
    h = float(b-a)/n
    result = f(a) + f(b)
    for i in range(1,n):
        k =a+ i*h
        if i%2 == 0:
            result = result + 2 * f(K)
        else:
            result= result+ 4 * f(k)

```

```
result *= h/3
return result
```

```
>>> def f(x):
    return 1/(1+x12)
```

b.

1.write python program to obtained the aproximate real roots of $x^{13}-2x-5=0$ in $[2,3)$ using Regula_falsi method.

```
>>> def falsePosition(f,x0,x1,e):
    x0 = float(x0)
    x1 = float(x1)
    e = float(e)
    if f(x0) * f(x1) > 0.0:
        print('give guess values do not bracket the root')
        print('try again with different guess values.')
    else:
        step= 1
        condition = True
        while condition:
            x2 = x0 - (x1-x0) * f(x0)/( f(x1) - f(x0) )
            print('Iteration %d,x2 = %0.6f and f(x2) = %0.6f' % (step,x2 f(x2)))
            if f(x0) * f(x1) < 0:
                x1 = x2
            else:
                x0 = x2
            step = step + 1
        condition = abs(f(x2)) > e
        print('\nRequired root is: %0.6f % x2)

>>>def f(x)
    return x**3-3*x+1
```

Slip 3

_J

L

01) 1] repeat the following string 11 times using the string operator '*' on python

a) LATEX

B) MATLAB

```
>>> string = "LATEX"
```

```
>>> print(string*11)
```

LATEXLATEXLATEXLATEXLATEXLATEXLATEXLATEXLATEXLATEXLATEX

```
>>> string = "MATLAB"
```

```
>>> print(string*11)
```

MATLABMATLABMATLABMATLABMATLABMATLABMATLABMATLABMATLABMATLABMATLAB

B

```
>>>
```

2] write a python to test whether given number is divisible by 2 or 3 or 5

```
number = int(input("Enter a number: "))
```

```
if number % 2 == 0 and number % 3 == 0 and number % 5 == 0:
```

```
    print("Number is divisible by 2, 3, and 5")
```

```
elif number % 2 == 0 and number % 3 == 0:
```

```
    print("Number is divisible by 2 and 3")
```

```
elif number % 2 == 0 and number % 5 == 0:
```

```
    print("Number is divisible by 2 and 5")
```

```
elif number % 3 == 0 and number % 5 == 0:
```

```
    print("Number is divisible by 3 and 5")
```

```
elif number % 2 == 0:
```

```
    print("Number is divisible by 2")
```

```
elif number % 3 == 0:
```

```
    print("Number is divisible by 3")
```

```
elif number % 5 == 0:
```

```
    print("Number is divisible by 5")
```

```
else:
```

```
    print("Number is not divisible by 2, 3, or 5")
```

```
    output: Enter a number: 4
```

```
Number is divisible by 2
```

02

0.2.1-Using Python find the eigenvalues and corresponding eigenvectors of the matrix $\begin{bmatrix} 3 & -2 \\ 6 & -4 \end{bmatrix}$

```
>>> from sympy import *
```

```
A>>> A = Matrix([[3, -2], [6, -4]])
```

```
>>> A.eigenvals()
```

```
{-1: 1, 0: 1}
```

```
>>> A.eigenvecsQ
```

```
[(-1, 1, [Matrix([
```

```
[1/2],
```

```
[ 1]])], (0, 1, [Matrix([
```

```
[2/3],
```

```
[ 1]])])]
```

02)2.using python code construct the following matrices.

a) an identity matrix of order 10*10.

b) zero matrix of order 7*3

c) ones matrix of order 5*4

```
import numpy as np
```

```
>>> print(np.eye(10))
```

```
u1.o. 0.0. 0.0.0. 0.0.0.0J
```

```
[0.1.0.0. 0.0. 0.0.0.0.0J
```


L

```
#importing math library for calculation
import math
```

J
_#defining the function

def f(x):

return 1/(1 + x)

#defining the interval

a=2

b=10

#number of trapezoids

n=5

#calculating h

h = (b - a)/ n

#calculating sum of first and last terms

s = f(a) + f(b)

#calculating sum of remaining terms

for i in range(1, n):

s = s + 2 * f(a + i * h)

#calculating value of integral

integral = (h/2) * s

#printing result

print("The value of integral is: ",integral)

OUTPUT: The value of integral is: 1.3206255135651455

Slip 4

L

Q-1) Attempt any two of the following.

1) using python code sort the tuple in ascending and descending order 5,-3,0,1,6,-6,2.

Ascending

```
aTuple = (5,-3,0,1,6,-6,2)
>> result= sorted(aTuple)
>> result = Tuple(result)
>> result = tuple(result)
>> print('Sorted Tuple:',result)
Sorted Tuple: (-6, -3, 0, 1, 2, 5, 6)
```

Descendig

```
aTuple = (5,-3,0,1,-6,2)
>> result= sorted(aTuple,revsre=True)
>> result = tuple(result)
>> print('Sorted Tuple:',result)
Sorted Tuple: (5, 2, 1, 0, -3, -6)
```

2) write python program which deals with concatenataion repetition of lists.

```
list1 = [15,20,25,30,35,40]
```

```
list2 = [7,14,21,28,35,42]
```

```
list1 = [15,20,25,30,35,40]
```

```
>> list2 = [7,14,21,28,35,42]
```

```
>> res = list1 + list2
>> print ("concatenated list:\n" + str(res))
concatenated list:
[15, 20, 25, 30, 35, 40, 7, 14, 21, 28, 35, 42]
>>>
a) Find List1 + List2
>> list1+list2
[15, 20, 25, 30, 35, 40, 7, 14, 21, 28, 35, 42]
```

b) Find 9*List1

```
>> list1*9
[15,20,25,30,35,40, 15,20,25,30,35,40,15,20,25,30,35,40,15,20,25,30,35,40,15,20,25,
30,35,40, 15,20,25,30,35,40,15,20,25,30,35,40,15,20,25,30,35,40,15,20,25,30,35,40]
```

c) Find 7*List2

```
>> list2*7
[7, 14, 21, 28, 35, 42, 7, 14, 21, 28, 35, 42, 7, 14, 21, 28, 35, 42, 7, 14, 21, 28, 35,
42, 7, 14, 21, 28, 35, 42, 7, 14, 21, 28, 35, 42]
```

3) write python code to find the square of odd numbers from 1 to 20 using while loop.

```
>> for i in [1,3,5,7,9,11,13,15,17,19]:
    print(i*i)
```

```
1
9
25
49
81
```

121
169
225
289
361
>>>

02

1.using python code construct the following matrices.

a)an identity matrix of order 10*10.

```
import numpy as np
>>> print(np.eye(10))
[[1. 0. 0. 0. 0. 0. 0. 0. 0. 0.]
 [0. 1. 0. 0. 0. 0. 0. 0. 0. 0.]
 [0. 0. 1. 0. 0. 0. 0. 0. 0. 0.]
 [0. 0. 0. 1. 0. 0. 0. 0. 0. 0.]
 [0. 0. 0. 0. 1. 0. 0. 0. 0. 0.]
 [0. 0. 0. 0. 0. 1. 0. 0. 0. 0.]
 [0. 0. 0. 0. 0. 0. 1. 0. 0. 0.]
 [0. 0. 0. 0. 0. 0. 0. 1. 0. 0.]
 [0. 0. 0. 0. 0. 0. 0. 0. 1. 0.]
 [0. 0. 0. 0. 0. 0. 0. 0. 0. 1.]
```

b)zero matrix of order 7*3

```
>>> from sympy import*
>>> zeros(7,3)
Matrix([
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0]])
```

c)Ones matrix of order 5*4

```
>>> from sympy import*
>>> ones(5,4)
Matrix([
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1]])
```

2)Find the type of the following data by using python code

```
type('number')
<class 'str'>
>>> type(31.25)
<class 'float'>
```

```
>>> type('Mathematics')
<class 'str'>
>>> type(49)
<class 'int'>
>>>
```

Q.3

1) write python program to estimate the value of the integral $\int_0^{\pi} \sin(x) dx$ using Simpson's (1/3)rd rule ($n=6$)

```
>>> def simpson13(f,a,b,n):
    h = float(b-a)/n
    result = f(a) + f(b)
    for i in range(1,n):
        k = a + i*h
        if i%2 == 0:
            result = result + 2 * f(k)
        else:
            result = result + 4 * f(k)
    result *= h%3
    return result
```

```
>>> def f(x):
    return sin(x)
```

```
>>> from math import *
>>> simpson13(f,0,pi,6)
002589569020609
>>>
```

Q3-b1) write python program to find all positive prime numbers less than given number n.

```
def counLprimes_nums(n):
    ctr= 0
    for num in range(n):
        if num <= 1:
            continue
        for i in range(2,num):
            if (num % i) ==0:
                break
        else:
            ctr +=1
    return ctr
print(count_primes_nums(10))
>>> print(count_primes_nums(10))
None
>>> print(count_primes_nums(100))
None
```

_J

Q1) attempt any two the following

2) Evaluate following expression on python

a) `m=[1,2,3,4]`, find length

```
import math
```

```
>>> m=[1,2,3,4]
```

```
>>> print(m)
```

```
[1, 2, 3, 4]
```

b) `l='XYZ'+'pqr'`, find L

```
import math
```

```
>>> l='XYZ'
```

```
>>> l='pqr'
```

```
>>> print(l)
```

```
pqr
```

c) `s='make in india'`, find `(s[:7])&(s[:9])`

```
>>> import math
```

```
>>> s='make in india'
```

```
>>> s(s[:7]&(s[:9]))
```

```
>>> print(s)
```

```
make in india
```

Slip 5

3) use python code to generate the square root numbers from 21 to 49

```
>>> import math
```

```
>>> print("square root of 21 is:", math.sqrt(21))
```

```
square root of 21 is: 4.58257569495584
```

```
>>> import math
```

```
>>> print("square root of 49 is:", math.sqrt(49))
```

```
square root of 49 is: 7.0
```

q2)

1) using python construct the following matrix 1) an matrix of order 10X10

```
import numpy as np
```

```
x = np.ones((10, 10))
```

```
x[1:-1, 1:-1] = 0
```

```
print(x)
```

output::

```
[[ 1.  1.  1.  1.  1.  1.  1.  1.  1.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  0.  0.  0.  0.  0.  0.  0.  0.  1.]
 [ 1.  1.  1.  1.  1.  1.  1.  1.  1.  1.]]
```

2) zero matrix of order 7X3

```
>>> zeros (7,3)
```

```
matrix([
```

```
[0,0,0],
```

```
[0,0,0],
```

```
[0,0,0],
```

```
[0,0,0],
```

```
[0,0,0],
[0,0,0),
[0,0,0)))
```

3)ones matrix of order 5*4

```
>>>from sympy import*
>>>ones(5,4)
matrix([
[1,1,1,1),
[1,1,1,1),
(1,1,1,1),
(1,1,1,1),
[1,1,1,111)
```

2)using linsolve command in python solve the follwing system of linear equation

$$x-2y+3z=7$$

$$2x+y+z=4$$

$$-3x+2y-2z=-10$$

```
>>>from sympy import
>>>x,y,z= symbols("x,y,z")
>>> A=matrix([[1,2,3],[2,1,1)],(-3,2,-211)
>>>b=matrices([7,-4,-101)
>>>linsolve((A,b),[x,y,z])
finteset((z-1,2-2*z,z))
```

Q3)

a)

1)write python code to find eignvalue and corresponding eigenvector of the matrix and hence find matrix p with diagonalize to A

```
>>>from sympy import*
>>>A=matrix([1,3,3],[2,2,3],[4,2,11)
>>>A.diagonalize()
```

b)write python program to cvalute f(3.5)by differnce formula of the given data

x	1	2	3	4	5
y=f(x)	41	62	65	50	17

```
#import data
x=np.array([1,2,3,4,5])
y=np.array([41,62,65,50,17])
#calulate fourth order toward differnce
arr=np.zeros(len(x)-4)
for i in range(4,len(x));
    arr[i-4]=(-y[i]+4*y[i-1]-6*y[i-2]+4*y[i-3]-y[i-4])/(x[i])
#print the output
print("fourth order toward differnce:")
print(arr)
```

2. write a python program to list name and roll no. of 5 students in BSC(computer science)

```
students= [
    {'name': 'John', 'roll_number':1},
    {'name': 'Steve', 'roll_number': 2},
    {'name': 'Karen', 'roll_number': 3},
    {'name': 'Sophia', 'roll_number': 4},
    {'name': 'Alice', 'roll_number': 5}
... ]
>>> for student in students:
    print(f"Name: {student['name']}, Roll number: {student['roll_number']}")
```

Name: John, Roll number: 1
 Name: Steve, Roll number: 2
 Name: Karen, Roll number: 3
 Name: Sophia, Roll number: 4
 Name: Alice, Roll number: 5

3. write a python program to find maximum and minimum elements in the given list

```
[7, 8, 71, 32, 49, -5, 7, 7, 0, 1, 6]
>>> list1 = (7, 8, 71, 32, 49, -5, 7, 7, 1, 6)
>>> print("Largest element is:",max(list1))
Largest element is: 71
>>> print("Smallest element is:",min(list1))
Smallest element is: -5
```

Q-2

1. using python code construct identity matrix of order 10 and hence find determinant.trace and transpose of it.

```
>>> import numpy as np
>>> Identity_matrix = np.identity(10)
>>> print("Identity Matrix of order 10 is: \n", Identity_matrix)
Identity Matrix of order 10 is :
rr1. 0.0.0.0.0.0.0.0.0.0J
[0.1. 0.0.0.0.0.0.0.0.0.0J
[0.0. 1.0.0.0.0.0.0.0.0.0J
[0.0. 0.1.0.0.0.0.0.0.0.0J
[0.0.0.0. 1.0.0.0.0.0.0.0J
[0.0.0.0.0. 1.0.0.0.0.0.0J
[0.0. 0.0.0.0.0. 1.0.0.0.0J
[0.0. 0.0.0.0.0.0. 1.0.0.0J
[0.0. 0.0.0.0.0.0.0. 1.0.0J
[0.0. 0.0.0.0.0.0.0.0. 1.0J
[0. 0. 0. 0. 0. 0. 0. 0. 0. 1.]
>>>
>>> # Determinant of an identity matrix is always 1
>>> determinant = np.linalg.det(Identity_matrix)
>>> print("\nDeterminant of the matrix is:", determinant)
```

Determinant of the matrix is: 1.0

```
>>>
>>> # Trace of an identity matrix is always equal to the order of the matrix
```



```
>>> trace = np.trace(Identity_matrix)
>>> print("\nTrace of the matrix is: ", trace)
```

Trace of the matrix is: 10.0

```
>>> >>>
```

```
>>> # Trace of an identity matrix is always equal to the order of the matrix
```

```
>>> trace = np.trace(Identity_matrix)
```

```
>>> print("\nTrace of the matrix is: ", trace)
```

Trace of the matrix is: 10.0

```
>>>
```

```
>>> # Transpose of an identity matrix is same as it is
```

```
>>> transpose = np.transpose(Identity_matrix)
```

```
>>> print("\nTranspose of the matrix
```

2. write a python code to find the value of function $f(x,y)=x^2-2xy+4$ at the points (2,0) (1,-1)

```
>>> def f(x,y):
    return x**2 - 2*x*y + 4
```

```
>>> # point (2,0)
```

```
>>> print(f(2,0))
```

```
8
```

```
>>>
```

```
>>> # point (1,-1)
```

```
>>> print(f(1,-1))
```

```
7
```

3. write number between 1 to 200 which are divisible by 7 using python code

```
>>> list = []
```

```
>>> for x in range(1,201):
```

```
    if x % 7 == 0:
```

```
        list.append(x)
```

```
>>> print(list)
```

```
[7, 14, 21, 28, 35, 42, 49, 56, 63, 70, 77, 84, 91, 98, 105, 112, 119, 126, 133, 140, 147, 154, 161, 168, 175, 182, 189, 196]
```

```
>>>
```

Q-3

A) 1. write a python program to diagonalize matrix

```
A = [[3,-2],[6,-4]]
```

and find the matrix P with diagonalize of A and diagonal matrix D

```
>>> import numpy as np
```

```
>>>
```

```
>>> # Define the matrix
```

```
>>> A = np.array([[3,-2],[6,-4]])
```

```
>>>
```

```
>>> # Calculate eigenvalues and eigenvectors
```

```
>>> eigen_values, eigen_vectors = np.linalg.eig(A)
```

```
>>> >>> # Define the diagonal matrix
```

```

>>> D = np.diag(eigen_values)
>>>
>>> # Calculate the matrix P
>>> P = np.matmul(eigen_vectors, np.linalg.inv(D))
>>>
>>> print("The matrix P is:\n", P)
The matrix P is:
[[ 3.12268450e+14-4.47213595e-01]
 [ 4.68402674e+14 -8.94427191e-01]]
>>> print("The diagonal matrix D is:\n", D)
The diagonal matrix D is:
[[ 1.77635684e-15  0.00000000e+00]
 [ 0.00000000e+00 -1.00000000e+00]]
>>>

```

Q-3

A) 1.write a python program to diagonalize matrix

$A = \begin{bmatrix} 3 & -2 \\ 6 & -4 \end{bmatrix}$

and find the matrix P with diagonalize of A and diagonal matrix D

```

>>> import numpy as np
>>>
>>> # Define the matrix
>>> A= np.array([[3,-2],[6,-4]])
>>>
>>> # Calculate eigenvalues and eigenvectors
>>> eigen_values, eigen_vectors = np.linalg.eig(A)
>>> >>> # Define the diagonal matrix
>>> D = np.diag(eigen_values)
>>>
>>> # Calculate the matrix P
>>> P = np.matmul(eigen_vectors, np.linalg.inv(D))
>>>
>>> print("The matrix P is:\n", P)
The matrix P is:
[[ 3.12268450e+14-4.47213595e-01]
 [ 4.68402674e+14 -8.94427191e-01]]
>>> print("The diagonal matrix D is:\n", D)
The diagonal matrix D is:
[[ 1.77635684e-15  0.00000000e+00]
 [ 0.00000000e+00 -1.00000000e+00]]
>>>

```

```

x3 = (x1 * f_x2 - x2 * f_x1) / (f_x2 - f_x1)
# calculating value of function at

```

Slip 8

1

q1] 1).use python code to find $a+c$, ab , c^d , a/b and $a(b+c)$, where $a=5$, $b=7$, $c=9$, $d=11$.

```
a+c = 14
ab= 35
c^d = 3486784401
a/b = 0.7142857142857143
a(b+c) = 160
```

2).the following two statements using the '+' string operation on python.

- a. string1 = india won, string2 = world cup
- b. string1 = god, string2 = is great
- c. 'India won the World Cup!'
- d. 'God is great!'

3).write python code to find area and circumference of circle with radius 14.

```
# Area of circle
area= 3.14 * {14 ** 2)

# Circumference of circle
circumference = 2 * 3.14 * 14

print("Area of circle = ", area)
print("Circumference of circle = ", circumference)

output:Area of circle= 615.44
Circumference of circle= 87.92
```

q2].1).using python code logically verify associativity of matrices with respect to matrix addition (use proper matrices).

```
#importing numpy
import numpy as np

#creating 3 matrices
A = np.array([[2,3],[1,3]])
B = np.array([[1,2],[3,4]])
C = np.array([[3,3],[2,1]])

#step 1: verifying A+(B+C)==(A+B)+C
result1 = A + (B + C)
result2 = (A + B) + C

#step 2: checking if the result1 and result2 are equal
if np.array_equal(result1, result2):
    print("Matrix Addition is associative")
else:
    print("Matrix Addition is not associative")
```

output: Matrix Addition is associative

2).write python code to generate 10 terms of fibonacci sequence using loop.

```
#initializing the first 2 terms
```

```
a=0
```

```
b=1
```

```
#using loop to generate and print 10 terms
```

```
for i in range(10):
```

```
    print(a,end=" ")
```

```
    c=a+b
```

```
    a=b
```

```
    b=c
```

```
output 0 1 1 2 3 5 8 13 21 34
```

q3]. a1).write python program to estimate the value of the integral $\int_0^1 \frac{1}{1+x^2} dx$ using simpsons (1/3)rd rule (n=6).

```
import numpy as np
```

```
def f(x):
```

```
    return 1/(1 + x**2)
```

```
# Function to calculate area
```

```
def simpson(a, b, n):
```

```
    # Calculating h
```

```
    h = (b - a)/n
```

```
    # Calculating result
```

```
    result= 0
```

```
    for i in range(0, n + 1):
```

```
        if i == 0 or i == n:
```

```
            result+= f(a + i * h)
```

```
        elif i % 2 != 0:
```

```
            result+= 4 * f(a + i * h)
```

```
        else:
```

```
            result+= 2 * f(a + i * h)
```

```
    result = result * (h / 3)
```

```
    return result
```

```
# Driver code
```

```
a=0
```

```
b=1
```

```
n=6
```

```
print(simpson(a, b, n))
```

```
output 0.7853979452340107
```

q3].a2). write python program to evaluate fourth order forward difference of the given data.

x 1 2 3 4 5

y=f(x) 41 62 65 50 17

#import numpy

import numpy as np

#Input data

x = np.array([1,2,3,4,5])

y = np.array([41,62,65,50,17])

#Calculate fourth order forward difference

arr = np.zeros(len(x)-4)

for i in range(4,len(x)):

arr[i-4] = (-y[i] + 4*y[i-1] - 6*y[i-2] + 4*y[i-3] - y[i-4])/(x[i] - x[i-4])

#Print the output

print("Fourth order forward difference:")

print(arr)

q3.b1). write python program to obtained the approximate real root of $x^3-2x-5=0$ in [2,3] using regula-falsi method

def f(x):

return x^3-2x-5

take two points

a,b=2,3

Iterating till the root is found

for i in range(50):

c= (a*f(b)-b*f(a))/(f(b)-f(a)) #regula falsi formula

if f(c)==0:

break

elif f(c)*f(a) < 0:

b=c

else:

a=c

print("The root is",c)

output The root is 2.0945514815423265

q3.b2).write python program to estimate the value of the integral 2 to 4 into $(2x^2-4x+1) dx$ using trapezoidal rule (n=5).

import numpy as np

define the function

def f(x):

return $(2x^2 - 4x + 1)$

Trapezoidal rule

n is the number of trapezoids

def trapezoidal(a, b, n):

 # Grid spacing

$h = (b - a) / n$

 # Computing sum of first and last terms

 # in above formula

$s = f(a) + f(b)$

 # Adding the terms in between

 # the first and last terms

 for i in range(1, n):

$s += 2 * f(a + i * h)$

 # $h/2$ indicates $(b-a)/2n$.

 # Multiplying $h/2$ with s

 return $(h / 2) * s$

Driver code

a = 2 # lower limit of integration

b = 4 # upper limit of integration

n = 5 # no. of trapezoids

printing the value of

Q.1:1)

using python evaluate each of the following expression

- a) $30 \bmod 2 + 7 - (3 + 9) * 20 / 5$
- b) $30 * 10$ floor division $3 + 30 \bmod 3$
- c) $5^5 - 5^3 + 7$ floor division 7

Answers:-

Slip 9

```
def _init_(self, path):
    dirname = os.path.dirname(path)
    os.makedirs(dirname, exist_ok=True)
    f = open(path, "a+")

    # Check that the file is newline-terminated
    size = os.path.getsize(path)
    if size > 0:
        f.seek(size - 1)
        end = f.read(1)
        if end != "\n":
            f.write("\n")
    self.f = f
    self.path = path

def log(self, event):
    event["_event_id"] = str(uuid.uuid4())
    json.dump(event, self.f)
    self.f.write("\n")

def state(self):
    state = {"complete": set(), "last": None}
    for line in open(self.path):
        event = json.loads(line)
        if event["type"] == "submit" and event["success"]:
            state["complete"].add(event["id"])
            state["last"] = event
    return state
```

Q.1:2)

use print command on python to find

- a) $\sin 30$
- b) π
- c) e
- d) $\cos 30$

Answers:-

- a) `print(math.sin(30))`
output
-0.9880316240928618
- b) `print(math.pi)`
output
3.141592653589793
- c) `print(math.e)`
output
2.718281828459045
- d) `print(math.cos(30))`

output
0.15425144988758405

Q.1:3)

write python code to generate modulus value of -10,10,-1,1,0.

Answers:-

```
mod = 0
list = [-10,10,-1, 1, 0]
for i in list
    mod= abs(i)
    print(mod)
```

Output

#10

#10

#1

#1

#0

Q.2:-1}

use python code to generate second,fifth,eight characters from string 'MATHEMATICS'

Answers:-

```
print('MATHEMATICS'[1], 'MATHEMATICS'[4], 'MATHEMATICS'[?])
```

Q.2:2

using python find the eigenvalues and corresponding eigenvectors of the matrix $\begin{bmatrix} 3 & -2 \\ 6 & -4 \end{bmatrix}$

Answers:-

```
import numpy as np
A= np.array([[3, -2), [6,-4]])
```

```
w, v = np.linalg.eig(A)
```

```
print("Eigenvalues:", w)
```

```
print("Eigenvectors:", v)
```

output-

```
1 import numpy as np
2 A = np.array([[3, -2), [6,-4]])
3
4 w, v = np.linalg.eig(A)
```

Q.2:3

write python code to verify $(AB)^{-1} = B^{-1}A^{-1}$ (use proper matrices A and B)

Answers:

```
import numpy as np
```

output-


```
ABA = np.array([[2, 3], [4, 5]])
```

```
B = np.array([[1, 5], [3, 7]])
```

```
A_inv = np.linalg.inv(A)
```

```
B_inv = np.linalg.inv(B) AB_inv = np.dot(B_inv, A_inv)
```

```
print(AB_inv)
```

Q.3:1

write python program to estimate the value of the integral $\int_1^{10} (x^2 + 5x) dx$ using Simpson's $(1/3)^{rd}$ rule ($n=5$)

Answers:-

#Python Program

```
import numpy as np
```

#Simpson's $(1/3)^{rd}$ Rule

```
def simpsons_1_3rd_rule(f,a,b,n):
```

```
    h=(b-a)/n x=np.linspace(a,b,n+1)
```

```
    fx=f(x)
```

```
    s=fx[0]+fx[n]
```

```
    for i in range(1,n):
```

```
        if i%2==1:
```

```
            s+=4*fx[i]
```

```
        else:
```

```
            s+=2*fx[i]
```

```
    return (h/3)*s
```

#defining the function

```
def f(x):
```

```
    return x**2+5*x
```

#defining the lower and upper limit

output:-

```
a=1
```

```
b=10
```

#defining the number of intervals

```
n=5
```

#calling the simpsons's $(1/3)^{rd}$ rule

```
l=simpsons_1_3rd_rule(f,a,b,n)
```

#printing the value of the integral

```
print("The value of the integral is",l)
```

Q.3:2

write python program to evaluate interpolate value $f(2.5)$ of the given data

x	1	2	3	4
y=f(x)	1	8	27	64

Answers:

```

# Program
import numpy as np

# Input data
output:-
x = np.array([1, 2, 3, 4])
y = np.array([1, 8, 27, 64])

# Interpolated value at x = 2.5
x_interpolated = 2.5

# Linear Interpolation
y_interpolated = np.interp(x_interpolated, x, y)

print("The interpolated value at x=2.5 is", y_interpolated)

```

Q.3:B:1

write python program to obtain the approximate real root of $x^3 - 4x - 0$ by using regula-falsi method.

Answers

```

def regulaFalsi(f, x0, x1, e):
    x2 = 0
    while(True):
        x2 = (x0 * f(x1) - x1 * f(x0)) / (f(x1) - f(x0))
        if abs(f(x2)) < e:
            break
        # Check if x2 is root of
        # equation or not
        if f(x0) * f(x2) < 0:
            x1 = x2
        else:
            x0 = x2
    return x2

```

Function to find the root

```

def func(x):
    return x * x * x - 4 * x

```

Driver Code

```

x0 = 0
x1 = 1
e = 0.0001

```

```

print("The root of the given equation is :",
      regulaFalsi(func, x0, x1, e))

```

Q.3:b:2

write python program to evaluate fourth order forward difference of the given data

```

x = 40, 60, 65, 50, 18
y = f(x)

```

Answers:-

Python Program to evaluate 4th order forward difference of the given data

Define x and y

output:-

x = [1, 2, 3, 4, 5]

y = [40, 60, 65, 50, 18]

Calculate the 4th order forward difference

diff4 = []

for i in range(4):

diff4.append(y[i + 4] - 4 * y[i + 3] + 6 * y[i + 2] - 4 * y[i + 1] + y[i])

Print the 4th order forward difference

print("4th Order Forward Difference is :", diff4)

Q1:

2. Using Python code

List1 = (5, 10, 15, 20, 25, 30] and List2 = [7, 14, 21, 28, 35, 42]

Evaluate

(a) List1 + List2

(b) 3*List1

(c) 5*List2

Answer:-

```
list1=[5,10,15,20,25,30]
```

```
list2=[7,14,21,28,35,42]
```

A) list1+list2

OUTPUT

```
[5, 10, 15, 20, 25, 30, 7, 14, 21, 28, 35, 42]
```

B) 3*list1

OUTPUT

```
[15, 20, 25, 30, 35, 40]
```

C) 5*list2

OUTPUT

```
(35, 70, 105, 140, 175, 210]
```

Q.1:

3. Write Python code to find area of triangle whose base is 10 and height is 15.

Answer:-

```
# Area of a triangle = (base * height) / 2
```

```
area = (10 * 15) / 2
```

```
print("Area of triangle with base 10 and height 15 is:", area)
```

OUTPUT

```
Area of triangle with base 10 and height 15 is: 75.0
```

Q.2:

1. using python code construct the following matrices.

a) an identity matrix of order 10*10.

b) zero matrix of order 7*3

c) ones matrix of order 5*4

Answer

```
import numpy as np
```

```
>>> print(np.eye(10))
```

```
u1.0.0.0.0.0.0.0.0.0.0J
```

```
[0.1.0.0.0.0.0.0.0.0.0J
```

```
[0.0.1.0.0.0.0.0.0.0.0J
```

```
[0.0.0.1.0.0.0.0.0.0.0J
```

```
[0.0.0.0.1.0.0.0.0.0.0J
```

```
[0.0.0.0.0.1.0.0.0.0.0J
```

```
[0.0.0.0.0.0.1.0.0.0.0J
```

```
[0.0.0.0.0.0.0.1.0.0.0J
```

```

.0.0.0.0.0.0. 1.0.0J
.0.0.0.0.0.0.0. 1.0J
[0.0. 0.0.0.0.0.0.0.1.]
>>> from sympy import*
>>> zeros(7,3)
Matrix([
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0],
[0, 0, 0]])
>>> from sympy import*
>>> ones(5,4)
Matrix([
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1],
[1, 1, 1, 1]])

```

02:

2) Write Python program to find the value of function $f(x) = x^2 + x$, $(-5 \leq x \leq 5)$.

Solution

creating a list with the range of x

```
x_list = list(range(-5, 6))
```

creating an empty list for storing the values of f(x)

```
t_x_list = []
```

using for loop to calculate the value of f(x)

```
for x in x_list:
```

```
    L x = x ** 2 + x
```

```
    t_x_list.append(f_x)
```

printing the list of values of f(x)

```
print("The list of values of f(x) is:", t_x_list)
```

OUTPUT

The list of values of f(x) is: [20, 12, 6, 2, 0, 0, 2, 6, 12, 20, 30]

Q.2

3) Write Python program to find the determinant of matrix

A=

0

0

0

1 0 5

21 6

340

0

0

0 and B =

[

```
25
-1 4
]
```

ANSWER:-

```
# importing numpy library
import numpy as np
```

```
# define matrix A
```

```
A = np.array([[1, 0, 5], [2, 1, 6], [3, 4, 0]])
```

```
# define matrix B
```

```
B = np.array([[2, 5], [-1, 4]])
```

```
# calculate the determinant of A
```

```
determinant_A = np.linalg.det(A)
```

```
print("Determinant of A is :", determinant_A)
```

```
# calculate the determinant of B
```

```
determinant_B = np.linalg.det(B)
```

```
print("Determinant of B is :", determinant_B)
```

OUTPUT

```
Determinant of A is: 0.99999999999999967
```

```
Determinant of B is : 13.0
```

Q.3 A)

2. Write Python program to evaluate interpolated value $f(2.7)$ of the given data $f(2)=0.69315, f(2.5)=0.91629, f(3)=1.09861$.

Answer

```
import numpy as np
```

```
#Given Data
```

```
x = np.array([2, 2.5, 3])
```

```
y = np.array([0.69315, 0.91629, 1.09861])
```

```
#Evaluating  $f(2.7)$  using Lagrange's Interpolation formula
```

```
def lagrange_interpolation(x_val, x, y):
```

```
    f_x_val = 0
```

```
    n = len(x)
```

```
    for i in range(n):
```

```
        term = y[i]
```

```
        for j in range(n):
```

```
            if j != i:
```

```
                term = term * (x_val - x[j]) / (x[i] - x[j])
```

```
    f_x_val += term
```

```
    return f_x_val
```

```
#Evaluating  $f(2.7)$ 
```

```
print("f(2.7) is", lagrange_interpolation(2.7, x, y))
```

output

```
f(2.7) is 0.9941164
```

Q.3 B)

1. Write Python program to obtain the approximate real root of $x^3 - 4x - 9 = 0$ by using Regula-falsi method.

Answer

```
# Python Program to Obtain the Real Root of  $x^3 - 4x - 9 = 0$   
# Using Regula-Falsi Method
```

```
def func(x):  
    return x**3 - 4*x - 9  
  
# Prints root of the equation  $x^3 - 4x - 9 = 0$   
def regulaFalsi(a, b):  
  
    if func(a) * func(b) >= 0:  
        print("You have not assumed right a and b")  
        return -1  
  
    c = a # Initialize result  
  
    for i in range(500):  
  
        # Find the point that touches x axis  
        c = (a*func(b) - b*func(a)) / (func(b) - func(a))  
  
        # Check if the above found point is root  
        if func(c) == 0:  
            break  
  
        # Decide the side to repeat the steps  
        elif func(c)*func(a) < 0:  
            b=c
```

Q.3

b) Write Python program to estimate the value of the integral $\int_0^1 \cos(x) dx$ using Trapezoidal rule ($n=5$).

ANSWER:-

```
import math  
  
def trapezoidal(n):  
    h = 1.0 / n  
    s = 0.0  
    for i in range(n):  
        s += (h / 2.0) * (math.cos(h * (i + 1)) + math.cos(h * i))  
    return s  
  
n=5  
print("Value of the integral is :", trapezoidal(n))
```

OUTPUT:-

Value of the integral is : 0.8386642098070081

slip no:-11

Q.1) Attempt any two of the following.

1. evaluate the following expression in Python.

(a) $M=[1,2,3,4,5,6,7]$, find length M .

Ans:-> » # Python code to demonstrate string length

```
>>> # using len
```

```
>>> str =(1,2,3,4,5,6,7]
```

```
>>> print(len(str))
```

```
7
```

(b) $L="XY"+"pqr"$, find L .

Ans:->>> $L = "XY" + "pqr"$

```
>>> print(L)
```

```
XYpqr
```

(c) $s='Make In India'$, find $(s[:51])\&(s[:91])$.

Ans:-> » $s='Make In India'$

```
>>> print(s[:51])
```

```
Make
```

```
>>> print(s[:91])
```

```
Make In I
```

2. Write Python code to reverse the string $S=[3,4,5,6,7,8,9,10,11,12,13]$.

Ans:->>> def reverse(itr):

```
    return itr[::-1]
```

```
>>> itr1 = '3,4,5,6,7,8,9,10,11,12,13'
```

```
>>> print("Original string:",itr1)
```

```
Original string: 3,4,5,6,7,8,9,10,11,12,13
```

```
>>> print("Reverse string:",reverse('3,4,5,6,7,8,9,10,11,12,13'))
```

```
Reverse string: 31,21,11,01,9,8,7,6,5,4,3
```

Q.2) Attempt any two of the following.

1. Using Python code to list Name of 5 teacher in your college with their subject.

Ans:->>># In[]:

```
>>> #Using Python code to list Name of 5 teacher in your college with their subject
```

```
>>>
```

```
>>> teacher_name = ('Mr.om','Mr.sanket','Mr.tejus','Mr.kartik','Mr.ajay']
```

```
>>> teacher_subject = ('Maths','Physics','Chemistry','Biology','English']
```

```
>>>
```

```
>>> for i in range(len(teacher_name)):
```

```
    print(teacher_name[i],'teaches',teacher_subject[i])
```

```
Mr.om teaches Maths
```

```
Mr.sanket teaches Physics
```

```
Mr.tejus teaches Chemistry
```

```
Mr.kartik teaches Biology
```

```
Mr.ajay teaches English
```

2. Generate all the prime numbers between 51 to 100 using Python program.

Ans:->>> # Python program to display all the prime numbers within an interval

```
>>> lower = 51
```

```
>>> upper = 100
```

```
>>> print("Prime numbers between", lower, "and", upper, "are:")
```

```
Prime numbers between 51 and 100 are:
```



```

>>> for num in range(lower, upper+ 1):
>>> # all prime numbers are greater than 1
>>> if num > 1:

>>> for i in range(2, num):

>>> if (num % i) == 0:
... break
... else:
>>> print(num)
Prime numbers between 51 and 100 are: 53, 59, 61, 67, 71, 73, 79, 83, 89, 97

```

Q.3).a.Attempt any one of the following

1. Write Python program find the approximate root of the function x^5+3x+1 , in $[-2,0]$ using Newton Raphson Method correct upto 4 decimal places.

Ans:->>> import math

```

>>> def f(x):
    return x5+3*x+1

>>> def f1(x):
    return 5*x4+3

>>> def newton(x):
    h=f(x)/f1(x)

>>> while abs(h)>=0.0001:
    h=f(x)/f1(x)
    x=x-h

>>> print("The value of the root is:",x)
>>> x=int(input("Enter the value of x:"))
Enter the value of x:newton(x)

```

b.Attempt any one of the following

1. Write Python program to obtained the approximate real root of $x^3-4x-9=0$ by using Regula-falsi method.

Ans:->>> # Implementation of Linear Interpolation using Python3 code

```

>>> # Importing library
>>> from scipy.interpolate import interp1d
>>> X = [150,152,154,155]#random x values
>>> Y = [12.247,12.329,12.410,12.490]#random y values
>>> #test value
>>> interpolate_x = 153
>>> #Finding the interpolation
>>> y_interp = interp1d(X,Y)
>>> print("Values of Y at x = 153 is".format(interpolate_x),y_interp(interpolate_x))
Values of Y at x = 153 is 12.3695

```

01

q1. using python evaluate each of the following expresion.

```
>>> 23 % 2+9-(3+7)*10/2
-40.0
>>> 35 * 10 / 3 +15 % 3
116.66666666666667
>>> 3^5 -2^5 + 4 // 7
46
```

q2. use while command on python to find odd positive integer between 25 to 50.

```
print([even for even in range(25,51)if even%2!=0])
[25, 27, 29, 31, 33, 35, 37, 39, 41, 43, 45, 47, 49]
```

>>>

Slip 12

02

q2 write python program to find the product of n natural numbers using while loop.

```
>>> product=1
>>> n=1
>>> while n<= 10:
        product=product*n
        n=n+1
...
>>> print('product =',product)
product = 3628800
>>>
```

q3 Generate all prime numbers between 1 to 200 using python code.

```
>>> import math
>>> def phi(n):
        for x in range(1,200):
            if math.gcd(200,x)==1:
                print(x)

>>> phi(200)
1
3
7
9
11
13
17
19
21
23
27
29
31
33
37
```

Q3

A)

q1 write python program to estimate the value of the integral $\int_0^{\pi} \sin(x) dx$ using simpson's (1/3rd rule (n=5).)

```
»> def simpson13(f,a,b,n):
    h = float(b-a)/n
    result = f(a) + f(b)
    for i in range(1,n):
        k = a + i*h
        if i%2 == 0:
            result = result + 2 * f(k)
        else:
            result = result + 4 * f(k)
    result *= h/3
    return result
```

```
»> def f(x):
    return sin(x)
```

```
>>>
»> from math import *
>> simpson13(f,0,pi,5)
1.9337655980928052
>>>
```

B)

```
»> def falseposition(f,x0,x1,e):
    x0 = float(x0)
    x1 = float(x1)
    e = float(e)
    if f(x0) * f(x1) > 0.0:
        print('given guess values do not bracket the root.')
        print('try again with different guess values.')
    else:
        step = 1
        condition = True
        while condition:
            x2 = x0 - (x1-x0) * f(x0)/(f(x1)-f(x0))
            print('iteration %d, x2 = %0.6f and f(x2) = %0.6f'%(step,x2,f(x2)))
```

7

_J

L

```
    if f(x0) * f(x2) < 0:
        x1 = x2
    else:
        x0 = x2
    step = step + 1
    condition = abs(f(x2)) > e
    print('\nrequired root is: %0.8f % x2)
File "<stdin>", line 20
    print('\nrequired root is: %0.8f % x2)
```

,*

Q1. Use print code on Python(a=4,b=6,c=8,d=12).

```
a=4
>>> b=6
>>> c=8
>> d=12
>> print(a+c)
12
>> print(a*b)
24
>> print(c**d)
68719476736
>> print(a/b)
0.6666666666666666
>>>
>> 3+(9-2)/7*2**2
7.0
```

Slip 14

2. For the following two statements use '+' string operation on python.

```
a)string1=Hello,string2=World!
string1='Hello'
>> string2='World'
>> string_combined=string1+string2
>> print(string_combined)
HelloWorld
b)string1=Good,string2=Morning
string1="Good"
>> string2="Morning"
>> string_combined=string1+string2
>> print(string_combined)
GoodMorning
```

3. Use Python loop to print('Hello','i','You Learn Python')

where i=['Saurabh','Akash','Sandeep','Ram','Sai']

```
i='Saurabh'
print('Hello','Saurabh','You Learn Python')
Hello Saurabh You Learn Python
i='Akash'
>> print('Hello','Akash','You Learn Python')
Hello Akash You Learn Python
i='Sandeep'
>> print('Hello','Sandeep','You Learn Python')
Hello Sandeep You Learn Python
i='Ram'
>> print('Hello','Ram','You Learn Python')
Hello Ram You Learn Python
i='Sai'
>> print('Hello','Sai','You Learn Python')
Hello Sai You Learn Python
```

Q2. Attempt any two of the following.

1) Using Python code construct any two matrices A and B

1) Show that **A+B=B+A**.

```
A=([[1,2,3],[3,4,5]])
>> B=([[1,2,3],[4,5,6]])
>> #Matrix addition
>> A+B=B+A
```

A+B==B+A

False

```
from sympy import*
```

```
>> A=Matrix([[4,2,2],[2,4,2]])
```

```
>> B=Matrix([[1,2,3],[2,3,4]])
```

```
>> #Matrix subtraction
```

```
>> A-B
```

```
Matrix([
```

```
[3, 0, -1],
```

```
[0, 1, -2]))
```

2) Write Python program to find the sequence function $f(x)=x+S, (-S \leq x \leq S)$.

```
for x in range(-5,6):
```

```
    y=x+S
```

```
    print(y,end=")
```

012345678910»>

3) Using sympy module of python find the eigenvalues and corresponding eigenvectors of the matrix

A=[[4 2 2)(2 4 2)(2 2 4)

Eigenvalues:

```
from sympy import*
```

```
>> A=Matrix([[4,2,2],[2,4,2],[2,2,4]])
```

```
>> A.eigenvals()
```

```
{8: 1, 2: 2}
```

```
>> Eigenvectors:
```

```
>>> from sympy import*
```

```
>>> A=Matrix([[4,2,2],[2,4,2],[2,2,4]])
```

```
>>> A.eigenvecs()
```

```
[(2, 2, [Matrix([
```

```
[-1],
```

```
[ 1],
```

```
[ 0]])], Matrix([
```

```
[-1],
```

```
[ 0],
```

```
[ 1]])], (8, 1, [Matrix([
```

```
[1],
```

```
[1],
```

```
[1]])])]
```

Q3.a).Attempt any one of the following.

1) Write a Python program to estimate the value of the integral $\int_0^1 \frac{1}{1+x^2} dx$ using Simpson's (1/3)rd rule(n=4).

```
>> def simpson13(f,a,b,n):
```

```
    h=float(b-a)/n
```

```
    result=f(a)+f(b)
```

```
    for i in range(1,n):
```

```
        k=a+i*h
```

```
        if i%2==0:
```

```
            result=result+2*11*f(k)
```

```
        else:
```

```
            result=result+4*f(k)
```

```
    result *= h%3
```

```
    return result
```

```
>>> def f(x):
    return 1/(1+x*x)
```

```
>>> simpson13{f,0,1,4)
2.3561764705882355
```

b]1). Write python program to obtained the approximate real root of $x^3-4x-9=0$ byusing Regula falsi method.

```
def falsePosition(f,x0,x1,e):
    x0=float(x0)
    x1=float(x1)
    e=float(e)
    if f{x0} * f{x1}>0.0:
        print{'Given guess values do not bracket the root.')}
        print{'Try Againwith different guess values.')}
    else:
        step=1
        condition=True
        while condition:
            x2=x0-{x1-x0}*f{x0}/(f{x1}-f{x0})
            print(('Iteration %d,x2=%0.6f and f(x2)=%0.6f'%(step,x2,f(x2))
                if f(x0) * f(x2) < 0:
>>> if f(x0) * f(x2) < 0:
    x1=x2
... else:
    x0=x2
...     step=step+1
... condition=abs(f(x2)) > e
... print ('\nRequired root is:%0.8f%x2)
...
>>>def f(x):
...     return x**3-2*2-5

>>>
```

b]2). Write a python to evaluate interpolate value $f(2,2)$ of the given data $f(2)=0.593, f(2.5)=0.816, f(3)=1.078$.

```
interpolate_value = 0.593 + (0.816 - 0.593) * (2 - 2) / (2.5 - 2)
>>> print("The interpolate value of f(2.2) is:", interpolate_value)
The interpolate value of f(2.2) is: 0.593
```

Slip No:15

Q.1-Attempt any two of the following

Q.1.1-Using for loop on python ,find range from 1 to 11 integers.

```
>> #Generate number between 1 to 11
>> for i in range(1,11):
    print(i)
```

```
1
2
3
4
5
6
7
8
9
10
```

Q.1.2-Use Python code to find,

a)sin75

```
>> from math import sin
>> sin(75)
-0.38778163540943045
```

b) Pi/2

```
>> from numpy import*
>> print(pi/2)
1.5707963267948966
```

c) e

```
e
2.718281828459045
```

d)

```
>> cos(56)
0.8532201077225842
```

Q.1.3-Write Python program to find diameter.area.circumference of the circle with radius is 5.

```
>> PI=3.14
>> radius=float(input('Please Enter the radius of a circle:'))
Please Enter the radius of a circle:5
>> diameter=2*radius
>> circumference=2*PI*radius
>> area=PI*radius*radius

>> print("\nDiameter of a Circle=%.2f"%diameter)
```

Diameter of a Circle=10.00

```
>> print("Circumference of a Circle =%.2f"%circumference)
Circumference of a Circle =31.40
```

```
>> print("Area of a Circle=%.2f"%area)
```

Q.2.1-Using python code construct any three matrices A ,B and C to show that $(A+B)+C=A+(B+C)$

```

>> from sympy import*
>> A=Matrix([[1,2,3],[4,5,6],[7,8,9]])
>> B=Matrix([[1,2,3],[3,4,5],[5,6,7]])
>> C=Matrix([[2,3,4],[5,6,7],[8,9,11]])
>> (A+B)+C==A+(B+C)
True
>> #Matrix addition
>>> A+B
Matrix([
[ 2,  4,  6],
[ 7,  9, 11],
[12, 14, 16]])

```

Q.2.2-Using Python find the eigenvalues and corresponding eigenvectors of the matrix $\begin{bmatrix} 3 & -2 \\ 6 & -4 \end{bmatrix}$

```

>> from sympy import*
A>> A=Matrix([[3,-2],[6,-4]])
>> A.eigenvals()
{-1:1,0:1}
>> A.eigenvects()
[(-1, 1, [Matrix([
[ 1/2],
[  1]])]), (0, 1, [Matrix([
[ 2/3],
[  1]])])]

```

Q.2.3 Generate all prime numbers between 1000 to 2000 using python program

```

>> for num in range(1000,2000):
    if num>1:
        for i in range(2,num):
            if (num % i)==0:
                break
        else:
            print(num,"is a prime number!")

```

```

1009 is a prime number!
1013 is a prime number!
1019 is a prime number!
1021 is a prime number!
1031 is a prime number!
1033 is a prime number!
1039 is a prime number!
1049 is a prime number!
1051 is a prime number!
1061 is a prime number!
1063 is a prime number!
1069 is a prime number!
1087 is a prime number!
1091 is a prime number!
1093 is a prime number!
1097 is a prime number!
1103 is a prime number!
1109 is a prime number!
1117 is a prime number!
1123 is a prime number!
1129 is a prime number!

```


1997 is a prime number!
1999 is a prime number!

Q.3.A-2-Write python program to estimate a root of an equation $f(x)=3x-\cos(x)-1$ using Newton Raphson method correct up to four decimal places.

```
>>> import math
>>> def f(x):
    return 3*x-math.cos(x)-1

>>> def derivative_f(x):
    return 3+math.sin(x)
...
>>> def newton_raphson(x):
    h=f(x)/derivative_f(x)
    while abs(h)>=0.0001:
        #x{i+1}=x(i)-f(x)/f'(x)
        x=x-h
        x0=0
    newton_raphson(x0)
>>> print("The value of the root is:",round(x,4))
The value of the root is: 0
```

Q.3.8-1-write python program to obtain the approximate real root of $x^3-4x-9=0$ by using Regula-falsi method.

```
>> import numpy as np
>>> def func(x):
    return(x**3)-4*x-9

>>> def regula_falsi(a,b):
    if (func(a)*func(b)>=0):
        print("You have not assumed right a and b\n")
        return
    c=a
    while((b-a)>=0.01):
        c=(a*func(b)-b*func(a))/(func(b)-func(a))
        if(func(c)==0.0):
            break
        elif(func(c)*func(a)<0):
            b=c
        else:
            a=c
    print("The root is:", "%.4f"%c)

>>> A=float(input("Enter the value of a:"))
Enter the value of a:4
>>> B=float(input("Enter the value of b:"))
Enter the value of b:2
>>> print("The root is :", "%.4f"% A,B)
The root is : 4.0000 2.0
```

Q.1. Attempt any two of the following.

1. Write Python program to find absolute value of a given real number(n).

Answer

```
int_num = -25
```

```
float_num = -10.50
```

```
print("The absolute value of an integer number  
is:", abs(int_num))
```

The absolute value of an integer number is: 25

```
print("The absolute value of a float number is:",  
abs(float_num))
```

The absolute value of a float number is: 10.5

2. Using Python program

List1 = [5, 10, 15, 20, 25, 30] and List2 = [7, 14, 21, 28, 35, 42]

Evaluate

(a) List1 + List2

(b) 7*List1

(c) 11*List2

Answer

```
list1=[5,10,15,20,25,30]
```

```
list2=[7,14,21,28,35,42]
```

```
list1 + list2
```

```
[5, 10, 15, 20, 25, 30, 7, 14, 21, 28, 35, 42]
```

```
7*list1
```

```
[5, 10, 15, 20, 25, 30, 5, 10, 15, 20, 25, 30, 5, 10,
```

```
15, 20, 25, 30, 5, 10, 15, 20, 25, 30, 5, 10, 15, 20
```


[2 5]

[-1 4]

Answer

```
#import numpy as np
```

```
>>>
```

```
>>> A = np.array([[1,0,5],[2,1,6],[3,4,0]])
```

```
>>>
```

```
>>> detA = np.linalg.det(A)
```

```
>>>
```

```
>>> print('The determinant of A is", detA)
```

The determinant of A is 0.99999999999999967

```
>>>
```

```
>>> #Calculate the inverse of A
```

```
>>>
```

```
>>> invA = np.linalg.inv(A)
```

```
>>>
```

```
>>> print("The inverse of A is\n", invA)
```

The inverse of A is

```
[[ -24.  20.  -5.]
```

```
 [ 18. -15.   4.]
```

```
 [  5.  -4.   1.]
```

```
>>>
```

```
>>>
```

```
>>> #Calculate the determinant of B
```

```
>>>
```

```
>>> B = np.array([[2,5],[-1,4]])
```

```
>>>
```

```
>>> detB = np.linalg.det(B)
```

```
>>>
```

```
">.>> nprint("The determinant of B is", detB)
```

```
>>> print("The determinant of B is", detB)
```

The determinant of B is 13.0

```
>>>
```

```
>>> #Calculate the inverse of B
```

```
>>>
```

```
>>> invB = np.linalg.inv(B)
```

```
>>>
```

```
>>> print("The inverse of B is\n", invB)
```

The inverse of B is

```
[[ 0.30769231 -0.38461538]
```

```
[ 0.07692308  0.15384615]]
```

```
>>>
```

Q.3. a. Attempt any one of the following.

1. Write Python program to estimate the value of the integral $\sin(x)dx$ using Simpson's $(1/3)$ rd rule ($n=6$).

answer

```
>>> # Calculate the value of the integral using  
Simpson's 1/3 Rule
```

```
>>> def simpsons_rule(f, a, b, n):
```

```
    h = (b - a) / n
```

```
    s = f(a) + f(b)
```

```
    for i in range(1, n, 2):
```

```
        s += 4 * f(a + i * h)
```

```
    for i in range(2, n-1, 2):
```

```
        s += 2 * f(a + i * h)
```

```
    return (h / 3) * s
```

```
#import math
```

```

#import math

>>> # Define the function

>>> def f(x):
    return math.sin(x)


>>> # Specify the lower and upper limit of
integration

>>>a= 0

>>> b = math.pi

>>>

>>>#Specify the number of intervals

>>> n = 6

>>>

>>> # Calculate and print the value of the integral
>>> print("The value of the integral is",
simpsons_rule(f, a, b, n))

The value of the integral is 2.0008631896735363

>>>

```

2. Write Python program to estimate a root of an equation $f(x) = x^5 + Sx + 1$ using Newton-Raphson method in the interval $[-1,0]$.

Answer

#Define function

```

>>> def f(x):
    return 5 + S*x + 1

```

>>> #Define derivative of function

```

>>> def f_prime(x):
    return 5

```

```

>>> #Set initial guess
>>> x = -1
>>>
>>> #Set tolerance
>>> tol = 1e-15
>>>
>>> #Implement Newton-Raphson Method
>>> while True:
    x_new = x - f(x)/f_prime(x)
    if abs(x_new - x) < tol:
        break
    x = x_new

>>> #Print result
>>> print("Estimated root of  $f(x) = x^2 + 5x + 1$  in
interval [-1,0) is:", x)
Estimated root of  $f(x) = x^2 + 5x + 1$  in interval [-
1,0) is: -1.2

```

b. Attempt any one of the following.

2. Write Python program to estimate the value of the integral $\int_{-1}^0 \frac{1}{1+x} dx$ using Trape-zoidal rule (n=8)

Answer

```

import numpy as np

>>>
>>> def trapezoidal_rule(f, a, b, n):
    h = float(b - a) / n
    s = 0.0
    s += f(a) / 2

```

1,0] is: -1.2

b. Attempt any one of the following.

2. Write Python program to estimate the value of the integral $\int_1^{10} \frac{1}{1+x} dx$ using Trape-zoidal rule (n=8)

Answer

```
import numpy as np
```

```
>>>
```

```
>>> def trapezoidal_rule(f, a, b, n):
```

```
    h = float(b - a) / n
```

```
    s = 0.0
```

```
    s += f(a) / 2.0
```

```
    for i in range(1, n):
```

```
        s += f(a + i * h)
```

```
    s += f(b) / 2.0
```

```
    return s * h
```

```
>>> def f(x):
```

```
    return (1 + x)
```

```
>>> a = 1
```

```
>>> b = 10
```

```
>>> n = 8
```

```
>>> print("Integral value is", trapezoidal_rule(f, a, b, n))
```

Integral value is 58.5

```
>>>
```


Que.1).attempt any two of the following.

1). Write the python code to print 'Python is bed, and 'python is wonderful', where wonderful is global variable and bad is local variable.

ans:

```
def f():
    global s
    print(s)
    s = "Only in spring, but london is great as well!"
    print(s)
```

```
s = "I am looking for a couse in Paris!"
```

```
f()
```

```
print(s)
```

I am looking for a couse in Paris!

Only in spring, but london is great as well!

Only in spring, but london is great as well!

3).write python code, find a,b and c such that $a^2+b^2=c^2$.(where $1 \leq a,b,c \leq 50$)

ans:->>> for a in range(1,50):

for b in range(1,50):

c = (a² + b²) * 0.5

if a² + b² == c² and c <= 50:

print("a:",a,"b:",b,"c:",c)

Que.2) Attempt any two of the following.

1).using python code construct any two matrices A and B to show that $(AB)^{-1} = B^{-1}A^{-1}$.

ANS:->> import numpy as np

```
>>>
```

```
>>> A = np.array([[1,2],[3,4]])
```

```
>>> B = np.array([[2,3],[4,5]])
```

```
>>>
```

```
>>> A_inverse = np.linalg.inv(A)
```

```
>>> B_inverse = np.linalg.inv(B)
```

```
>>>
```

```
>>> AB_inverse = np.matmul(B_inverse, A_inverse)
```

```
>>>
```

```
>>> print("A = \n",A)
```

```
A=
```

```
[[1 2]
```

```
[3 4]]
```

```
>>> print("B = \n",B)
```

```
B=
```

```
[[2 3]
```

```
[4 5]]
```

```
>>> print("(A,B)^{-1} = \n",AB_inverse)
```

2)using linsolve codein python solve the follwing system of linear equation

ans:- $x-2y+3z=7$

$2x+y+z=4$

```

-3x+2y-2z=-10
> » from sympy import
> » x,y,z= symbols("x,y,z")
> » A=matrix([[1,2,3],[2,1,1],[-3,2,-2]])
> » b=matrix([7,-4,-10])
> » linsolve((A,b),[x,y,z])
finterset((z-1,2-2*z,z))

```

Que.3)

a).write any one of the following

1).write a python program to find $f(3)$ to the functional value $f(1)=2$, $f(2)=10$, $f(4)=68$ by using lagrange method.

ans:-#importing libraries

```

> » import numpy as np
> » import matplotlib.pyplot as plt
> » 
> » #defining the function for lagrange
    sum= 0
    for i in range(len(x_values)):
        product = y_values[i]
        for j in range(len(x_values)):
            if j != i:
                product = product*(x - x_values[j])/(x_values[i] - x_values[j])
        sum = sum + product
    return sum

> » #defining the function values
> » x_values = np.array([1,2,4])
> » y_values = np.array([2,10,68])
> » 
> » #finding the value of f(3)
> » f3 = lagrange(3, x_values, y_values)
> » 
> » 

```

b).attempt any one of the following.

1).write python program to obtain the approximate real root of $x^2-2x-1=0$ by using Regula-falsi method in the interval $[1,3]$.

```

ans:- > » def f(x):
    return x*x - 2*x -1

> » def regulaFalsi(a,b):
    if f(a) * f(b) >= 0:
        print("You have not assumed right a and b\n")
        return -1

    c = a # Initialize result

    for i in range(100):

        # Find the point that touches x axis
        c = (a*f(b) - b*f(a))/(f(b) - f(a))

        # Check if the above found point is root
        if f(c) == 0:
            break

```

_J

```
# Decide the side to repeat the steps
elif f(c)*f(a) < 0:
    b=c
else:
    a=c
print("The value of root is : ", '%.4f' %c)
```

```
... # Driver Code
... # Initial values assumed
... a = 1
File "<stdin>", line 26
    a=1
    A
```

SyntaxError: invalid syntax

```
>>> b = 3
```

```
>>> reg
```

```
>>> print("The value of f(3) is: ",f3)
The value of f(3) is: 32.0
```

slip no18
01

1. use python code to find minimum value from the given numbers

16,3,5,48,2,4,5,6,78,12,5,6,24.

type "help", "copyright", "credits" or "license" for more information.

```
»> list1=[16,3,5,48,2,4,5,6,78,12,5,6,24)
```

```
»> print ("smallest element is:",list1[0])
```

smallest element is: 16

2. use python code to find hypotenuse of triangle whose sides are 12 and 5

```
from math import sqrt
```

```
»> print("input lengths of shorter triangle sides:")
```

input lengths of shorter triangle sides:

```
»> a = float (input("a:"))
```

a:

Traceback (most recent call last):

File "<stdin>", line 1, in <module>

ValueError: could not convert string to float:"

```
»> a = float (input("a:"))
```

a:12

```
>» b = float(input("b:"))
```

b:5

```
»> c = sqrt(a**2 +b**2)
```

```
»> print ("Te")
```

Te

```
»> the length of the hypotenuse is:",c)
```

File "<stdin>", line 1

```
the length of the hypotenuse is:",c)
```

^^^^^^

SyntaxError: invalid syntax

```
»> print("the length of the hypotenuse is:",c)
```

the length of the hypotenuse is: 13.0

3. use python code to remove all digits after decimal of the given number 125312.3142

```
»> number1 = 125312.3142
```

```
»> new_number1 = int(125312.3142)
```

```
»> print ("number1=",125312.3142)
```

number1= 125312.3142

```
»> print(type(125312.3142))
```

<class 'float'>

```
>» print(type(125312.3142))
```

<class 'float'>

```
»> print(type(125312))
```

<class 'int'>

```
>>>
```

02

2. use while code on python to find sum of first twenty natural number

```
»> total= 0
```

```
»> for i in range(1,21):
```

```
total+= i
```

```
... print(total)
```

```
210
```

```
Q3
```

```
A
```

2. write python program to evaluate interpolate value $f(2.9)$ of the given data

```
>>>#data= {2.0: 2.2, 2.5: 2.6, 3.0: 2.9, 3.5: 3.2}
```

```
>>>
```

```
>>> import scipy.interpolate as interp
```

```
>>>
```

```
>>>data= {2.0: 2.2, 2.5: 2.6, 3.0: 2.9, 3.5: 3.2}
```

```
>>>
```

```
>>> x = list(data.keys())
```

```
>>> y = list(data.values())
```

```
>>>
```

```
>>> f = interp.interp1d(x, y, kind='linear')
```

```
>>>
```

```
>>> x0 = 2.9
```

```
>>> y0 = f(x0)
```

```
>>>
```

```
>>> print("f(2.9) =", y0)
```

```
f(2.9 ) = 2.84
```

```
B
```

1. write python program to obtained the approximate real root of $x^3-5x-9=0$ in $[2,3]$ using regula falsi method.

```
>>> # Python program to find the approximate real root of  $x^3 - 5x - 9 = 0$ 
```

```
>>> # in  $[2,3]$  using Regula-falsi method
```

```
>>>
```

```
>>> # Function to find the root
```

```
>>> def regulaFalsi(xl, xu):
```

```
    # Initialize the root
```

```
    root= 0
```

```
    # Set the difference between two
```

```
    # roots as maximum
```

```
    epsilon = 0.01
```

```
    # Iterate until root is
```

```
    # found within epsilon
```

```
    while (abs(xu - xl) > epsilon):
```

```
        # Calculate the false position
```

```
        root = xu - ((3 - 5*xu - 9)(xl - xu))/((2*(xl - 5*xl - 9))
```

```
        # Check if xr is root
```

```
        if (3 - 5*root - 9 == 0.0):
```

```
            break
```

```
        # Decide the side to repeat the steps
```

```
        if (3 - 5*root - 9)*(3 - 5*xu - 9
```

QUE NO 1

1-WRITE A PYTHON CODE TO DISPLAY MULTIPLICATION TABLES OF NUMBERS 2 TO 10

ANS

```
for i in range(2,11):
    print("Multiplication Table of",i)
    for j in range(1,11):
        print(i,"X",j,"=",i*j)
    print("\n")
```

OUTPUT

2 X 1 = 2
2 X 2 = 4
2 X 3 = 6
2 X 4 = 8
2 X 5 = 10
2 X 6 = 12
2 X 7 = 14
2 X 8 = 16
2 X 9 = 18
2 X 10 = 20

Slip 19

Multiplication Table of 3

3 X 1 = 3
3 X 2 = 6
3 X 3 = 9
3 X 4 = 12
3 X 5 = 15
3 X 6 = 18
3 X 7 = 21
3 X 8 = 24
3 X 9 = 27
3 X 10 = 30

Multiplication Table of 4

4 X 1 = 4
4 X 2 = 8
4 X 3 = 12
4 X 4 = 16
4 X 5 = 20
4 X 6 = 24
4 X 7 = 28
4 X 8 = 32
4 X 9 = 36
4 X 10 = 40

Multiplication Table of 5

5 X 1 = 5
5 X 2 = 10
5 X 3 = 15
5 X 4 = 20

- 5 X 5 = 25
- 5 X 6 = 30
- 5 X 7 = 35
- 5 X 8 = 40
- 5 X 9 = 45
- 5 X 10 = 50

Multiplication Table of 6

- 6 X 1 = 6
- 6 X 2 = 12
- 6 X 3 = 18
- 6 X 4 = 24
- 6 X 5 = 30
- 6 X 6 = 36
- 6 X 7 = 42
- 6 X 8 = 48
- 6 X 9 = 54
- 6 X 10 = 60

Multiplication Table of 7

- 7 X 1 = 7
- 7 X 2 = 14
- 7 X 3 = 21
- 7 X 4 = 28
- 7 X 5 = 35
- 7 X 6 = 42
- 7 X 7 = 49
- 7 X 8 = 56
- 7 X 9 = 63
- 7 X 10 = 70

Multiplication Table of 8

- 8 X 1 = 8
- 8 X 2 = 16
- 8 X 3 = 24
- 8 X 4 = 32
- 8 X 5 = 40
- 8 X 6 = 48
- 8 X 7 = 56
- 8 X 8 = 64
- 8 X 9 = 72
- 8 X 10 = 80

Multiplication Table of 9

- 9 X 1 = 9
- 9 X 2 = 18
- 9 X 3 = 27
- 9 X 4 = 36
- 9 X 5 = 45
- 9 X 6 = 54
- 9 X 7 = 63
- 9 X 8 = 72

Multiplication Table of 10

10 X 1 = 10
10 X 2 = 20
10 X 3 = 30
10 X 4 = 40
10 X 5 = 50
10 X 6 = 60
10 X 7 = 70
10 X 8 = 80
10 X 9 = 90
10 X 10 = 100

3-WRITE PYTHON CODE TO LIST **NAME AND** BIRTH DATE OF 5 STUDENTS IN YOUR CLASS.

```
student_dict = {  
    'John': 'May 2, 2000',  
    'Adam': 'June 15, 1999',  
    'Sara': 'August 23, 1998',  
    'Olivia': 'November 18, 2001',  
    'Emily': 'January 12, 2003'  
}  
  
for name, birth_date in student_dict.items():  
    print(f'{name} was born on {birth_date}.')
```

OUTPUT-

John was born on May 2, 2000.
Adam was born on June 15, 1999.
Sara was born on August 23, 1998.
Olivia was born on November 18, 2001.
Emily was born on January 12, 2003.
import math

QUE 2

1:-Write python code to find transpose and inverse of matrix

A=

122
2 1 2
221

QUE3

A 1-Write Python program to estimate the value of the integral \int_0^1

01

$\int_0^1 (1+x^2) dx$ by using
Simpson's (3
8)th rule (n=6).

ANS-

```
def simpsons(f, a, b, n):  
    h = (b - a) / n  
    s = f(a) + f(b)  
  
    for i in range(1, n):
```



```

    if i % 2 == 0:
        s += 2 * f(a + i * h)
    else:
        s += 4 * f(a + i * h)

```

```

return s * (h / 3)

```

```

def f(x):
    return (1 + x * x)

```

```

a=0

```

```

b=1

```

```

n=6

```

```

print

```

OUTPUT-

```

<function print>
def newton_backward(x, x_values, y_values):
    """

```

QUE-3/B-

2:- Write python program to find $\sin(42)^\circ$ using Newton backward interpolation formula for the data:

ANS:-

$\sin 30^\circ = 0.5$, $\sin 35^\circ = 0.5736$, $\sin 40^\circ = 0.6428$, $\sin 45^\circ = 0.7071$.

Finds the value of the given function $f(x)$ at point x using Newton's backward interpolation formula for given set of values.

Parameters:

x : The point at which $f(x)$ is to be evaluated.

x_values : List of values of x .

y_values : List of values of $f(x)$ corresponding to x_values .

Returns:

Value of the function $f(x)$ at point x .

```

"""

```

```

n = len(x_values)

```

Slip 20

Q.1.

1) . Write Python code to print first n natural numbers and their square roots of input integer n.

answer:-

```
n = int(input('Please enter a positive integer: '))
```

```
# print first n natural numbers
for i in range(1, n+1):
    print(i, end=' ')
print()
```

```
# print square roots of first n natural numbers
for i in range(1, n+1):
    print(i**0.5, end=" ")
print()
```

output-

Please enter a positive integer: 6

Q.1.

2) Use Python code to find sum of square of first twenty five natural numbers.

ANSWER:-

```
sum_of_squares = 0
```

```
for i in range(1,26):
    sum_of_squares += i**2
```

```
print(sum_of_squares)
```

OUTPUT:- 5525

Q.1.

3) Write Python code to find all positive divisors of given number n

ANSWER:-

```
n = int(input("Enter a number: "))
```

```
divisors=[]
```

```
for i in range(1,n+1):
    if n % i == 0:
        divisors.append(i)
```

```
print("The divisors of",n,"are",divisors)
```

OUTPUT:-

ENTER A NUMBER-25

Q.2.

1) Write python code to display tuple 'I am Indian ' and the second letter in this tuple

ANSWER:-

```
tuple = ('I', 'am', 'Indian')  
  
print(tuple[1])
```

OUTPUT:-AM

2) Write python code to display the matrix whose all entries are 10 and order is (4,6).

ANSWER:-

```
import numpy as np  
  
matrix = np.full((4,6), 10)  
print(matrix)
```

output:
[[10 10 10 10 10 10]
 [10 10 10 10 10 10]
 [10 10 10 10 10 10]
 [10 10 10 10 10 10]]

Q.2.

3) Write Python program to diagonalize the matrix

[
3-2
6-4

ANSWER:-

```
import numpy as np  
  
# Initializing matrix  
matrix = np.array([[3, -2], [6, -4]])  
  
# Calculate eigenvalues and eigenvectors.  
eigenvalues, eigenvectors = np.linalg.eig(matrix)  
  
# Diagonalize the matrix.  
diagonalize_matrix = np.diag(eigenvalues)  
  
print("Matrix: \n", matrix, "\n")  
print("Eigenvalues: \n", eigenvalues, "\n")  
print("Eigenvectors: \n", eigenvectors, "\n")
```

_J

```
print("Diagonalize matrix: \n", diagonalize_matrix, "\n")
```

OUTPUT:-

```
[[ 1.77635684e-15  0.00000000e+00)
 [ 0.00000000e+00 -1.00000000e+00))
```

Q.3

1) Write Python program to estimate the value of the integral $\int_1^3 \cos(x) dx$ using Simpson's (3/8)th rule (n=6).

ANSWER:-

```
import math
>>>
>>> def simpsons(f, a, b, n):
    h = (b-a) / n
    s = f(a) + f(b)
    for i in range(1, n, 2):
        s += 4 * f(a + i * h)
    for i in range(2, n-1, 2):
        s += 2 * f(a + i * h)
    return (s * h) / 3

>>> def f(x):
    return math.cos(x)

>>> a, b = 3, 1
>>> n = 6
>>>
>>> I = simpsons(f, a, b, n)
>>>
>>> print("The value of the integral is", I)
```

output-

The value of the integral is 0.7003996546766208

J

write python code to display multiplication tables of numbers 20 to 30



```
output:-
range 'x'20,31
range 'y'1,11
Q:1:2
```

Answers:-

```
for student in students:
    print(f"{student['name']}: {student['birth_date']}")
```

1. matrix of order 5×6 with all entries 1
2. zero matrix of order 27×33
3. identity matrix of order 5

1. $[[1, 1, 1, 1, 1, 1),$
 $[1, 1, 1, 1, 1, 1],$
 $[1, 1, 1, 1, 1, 1],$
 $[1, 1, 1, 1, 1, 1],$
 $[1, 1, 1, 1, 1, 11]$

2. $[[0, 0),$
 $QQQQQQQQQQQQQQQQQQQQQQQQQQQQQQQm$
 $QQQQQQQQQQQQQQQQQQQQQQ$

$$R = \begin{bmatrix} 1 & 1 & 1 \\ 2 & 2 & 2 \\ 3 & 3 & 3 \end{bmatrix}$$

Answers:-

$$R2 = R2 + 2 * R1$$

$$R[2] = [R[2][0] + (2 * R[1][0]), R[2][1] + (2 * R[1][1]), R[2][2] + (2 * R[1][2])]$$

```
R = [1111,222,333],  
     [111,222,333],  
     [444,666,999]]
```

output:

```
[1 2 3]  
[1 2 3]  
[1 2 3]
```

Q:3:1

write python program to find the approximate root of the equation $x^5 + 3x + 1 = 0$, by using newtons raphsons method

Answers:-

```
# Python program to find the approximate root  
# of the equation  $x^5 + 3x + 1 = 0$  by using  
# Newton Raphson method
```

```
# Initialize the value of x0  
x0 = 0.5
```

```
# Maximum number of iteration  
max_itr = 20
```

```
# Set relative error to a large number  
rel_error = 1e5
```

```
# Function f(x)  
def f(x):  
    return pow(x, 5) + 3*x + 1
```

```
# Derivative of f(x)  
def df(x):  
    return 5*pow(x, 4) + 3
```

```
# Iterate till the maximum number of iteration  
for i in range(max_itr):
```

```
    # Calculate x1 from x0  
    x1 = x0 - (f(x0)/df(x0))
```

```
    # Calculate relative error  
    rel_error = abs((x1-x0)/x1)*100
```

```
    # Print the current values of x0 and x1  
    print("Iteration
```

output:

```
#update x0
```

J

```
x0=x1
# print the root
print("the approximate root is:",x1)
```

Q:3:B:1

write python program to obtained the approximate real root of $x\sin(x)+\cos(x)=0$ by using regula-falsi method

Answers:-

```
# Python Program to find the approximate root of
#  $x\sin(x)+\cos(x)=0$  using Regula - Falsi method

# Function to calculate f{x}
def f{x}:
    return x * sin(x) + cos(x)

# Prints root of the equation f{x} = 0
# in the interval [a, b]
def regulaFalsi(a, b):
    if f{a} * f{b} >= 0:
        print("You have not assumed right a and b")
        return -1

    c = a # Initialize result

    for i in range{1000}:

        # Find the point that touches x axis
        c = (a * f{b} - b * f{a}) / (f{b} - f{a})

        # Check if the above found point is root
        if f{c} == 0:
            break

        # Decide the side to repeat the steps
        elif f{c}
```

output:-

```
# main program
x0=-20
x1=20
e=0.01
regula-falsi{x0,x1,e}
```