Question 3: Logistic Regression

```
In [1]:
         #Import all the required libraries
         # Import libraries
         %matplotlib inline
         import numpy as np
         import pandas as pd
         import matplotlib.pyplot as plt
         plt.rcParams['figure.figsize'] = (10.0, 6.0)
         from mpl_toolkits.mplot3d import Axes3D
         import time
         import math
```

Load the data

```
In [2]:
        # load the data
         class0 = pd.read_csv('class0-input.csv').values
         class1 = pd.read_csv('class1-input.csv').values
         labels = pd.read csv('labels.csv').values
         # Perform important operations on the data
         # Cast dataset into matrices and vectors
         bias = np.ones((10000,1))
         X = np.concatenate((class0,class1))
        X = np.concatenate((bias,X),axis=1)
        Y = np.array(labels)
```

Check the shape

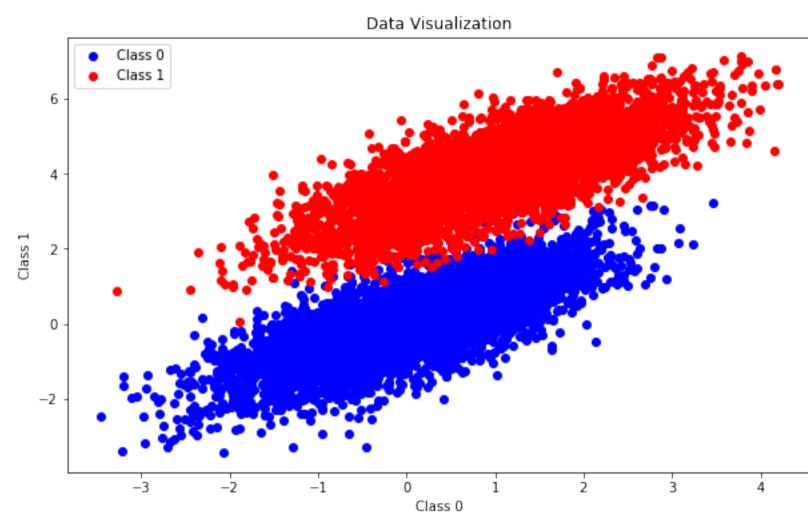
```
In [3]:
        # Shape of X
        print(np.shape(X))
         # Shape of Y
         print(np.shape(Y))
        (10000, 3)
```

Visualize the data

(10000, 1)

```
# Use different colors for each class
plt.scatter(X[0:5000,1],X[0:5000,2],c = 'b',label = 'Class 0')
plt.scatter(X[5000:10000,1],X[5000:10000,2],c = 'r',label = 'Class 1')
# Dont forget to add axes titles, graph title, legend
plt.xlabel('Class 0')
plt.ylabel('Class 1')
plt.title('Data Visualization')
plt.legend()
```

Out[4]: <matplotlib.legend.Legend at 0x7fe578620070>



Define the required functions

Pass in the required arguments

```
# Implement the sigmoid function
         def sigmoid(X):
             return 1 / (1 + np.exp(-X))
In [6]:
        # Pass in the required arguments
         # The function should return the gradients
         def calculate_gradients(X, Y, y_pred):
            N = X.shape[0]
            # we use y pred here since it is the sigmoid of X and the weights
            grad = -np.dot(X.T,Y - y_pred)/N
            return grad
```

Update the weights using gradients calculated using above function and learning rate # The function should return the updated weights to be used in the next step def update_weights(prev_weights, current_grads, learning_rate): newweights = prev_weights-current_grads*learning_rate return newweights

Use the implemented functions in the main function # 'main' fucntion should return weights after all the iterations # Dont forget to divide by the number of datapoints wherever necessary! # Initialize the intial weigths randomly initial_weights = np.random.random((3,1)) def main(X, Y, weights, learning_rate = 0.0005, num_steps = 500000): for i in range(num_steps): y pred = predict(X,weights) current_grads = calculate_gradients(X,Y,y_pred) weights = update_weights(weights,current_grads,learning_rate) return(weights)

Pass in the required arguments (final weights and input) # The function should return the predictions obtained using sigmoid function. def predict(X, weights): return sigmoid(np.dot(X, weights))

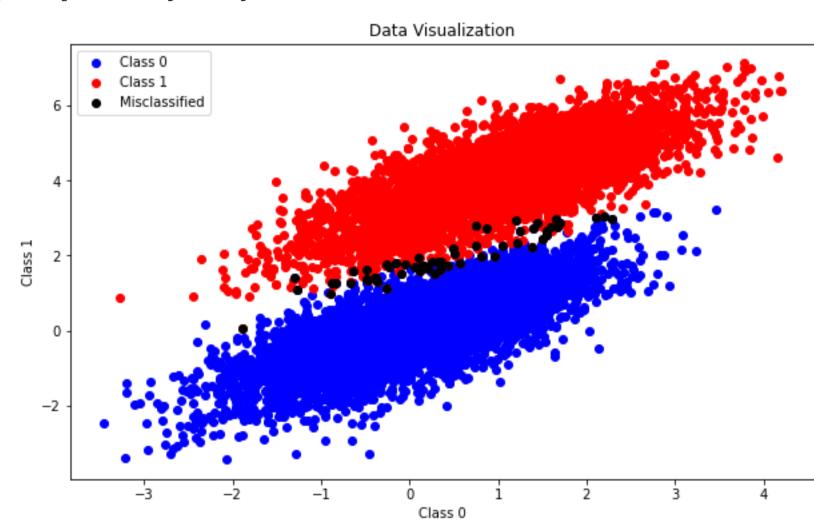
In [10]: # Use the final weights to perform prediction using predict funtion final_weights = main(X,Y,initial_weights) Y_predict = predict(X, final_weights)[:,0] Y_predict[np.where(Y_predict >= 0.5)] = 1 Y_predict[np.where(Y_predict < 0.5)] = 0</pre> # print accuracy count = 0 for i in range(Y_predict.shape[0]): count += int(Y_predict[i] == Y[i]) print("Accuracy is %0.2f " %((float(count)/Y_predict.shape[0])*100))

Accuracy is 99.42

Visualize the misclassification

```
In [11]:
         # Use different colors for class 0, class 1 and misclassified datapoints
          mcd = []
          for i in range(Y_predict.shape[0]):
              if Y_predict[i]-Y[i] != 0:
                  mcd.append(X[i,1:])
          mcd = np.array(mcd)
          # Use plt.scatter
          plt.scatter(X[0:5000,1],X[0:5000,2],c = 'b',label = 'Class 0')
          plt.scatter(X[5000:10000,1],X[5000:10000,2],c = 'r',label = 'Class 1')
         plt.scatter(mcd[:,0],mcd[:,1],c = 'black',label = 'Misclassified')
          # Dont forget to add axes titles, graph title, legend
          plt.xlabel('Class 0')
         plt.ylabel('Class 1')
         plt.title('Data Visualization')
         plt.legend()
```

Out[11]: <matplotlib.legend.Legend at 0x7fe5b8b08c40>



Compare the results with sklearn's Logistic Regression

```
In [12]:
          # import sklearn and necessary libraries
          from sklearn.datasets import load iris
          from sklearn.linear_model import LogisticRegression
          logistic_regression = LogisticRegression()
          logistic_regression.fit(X[:,1:],Y.ravel())
          sklearn_pred = logistic_regression.predict(X[:,1:])
          sklearn_pred[np.where(sklearn_pred >= 0.5)] = 1
          sklearn_pred[np.where(sklearn_pred < 0.5)] = 0</pre>
          # print accuracy
          count = 0
          for i in range(sklearn_pred.shape[0]):
              count += int(sklearn_pred[i] == Y[i])
          print("Accuracy is %0.2f " %((float(count)/sklearn_pred.shape[0])*100))
```

sklearn's model accuracy is slightly higher (by about 0.06) than my model's accuracy. To improve accuracy, higher number of iterations can be used and a larger training data set can be used.

Accuracy is 99.48