#### Aim

1. train a decision tree model

```
In [21]: import os
          import random
          import matplotlib.pyplot as plt
          import numpy as np
          import pandas as pd
          import seaborn as sns
          from dtreeviz.trees import *
          from sklearn import tree
          from sklearn.metrics import confusion matrix, log loss
          from sklearn.model selection import train test split
          from sklearn.utils.class weight import compute class weight
In [2]: DATA_ROOT = f"../data"
In [3]: df train = pd.read pickle(f"{DATA ROOT}/train/model/data.pkl")
          df_test = pd.read_pickle(f"{DATA_ROOT}/test/model/data.pkl")
          df train.head()
Out[3]:
            zip_25_0 zip_02_0 kw_Accident kw_Northbound kw_Hwy kw_ramp kw_slow kw_Trl
          0
                   1
                            1
                                         1
                                                       0
                                                                0
                                                                         0
                                                                                  0
                                                                                         0
                                                        0
                                                                         0
                                                                                  0
                   2
                            2
                                         1
                                                                0
                                                                                          1
          2
                   2
                            2
                                         1
                                                       0
                                                                0
                                                                         0
                                                                                  0
                                                                                         0
          3
                   3
                                                                0
                                                                                  \cap
                                                                                         0
          4
                   4
                                         1
                                                        0
                                                                0
                                                                         0
                                                                                  0
                                                                                         0
         5 rows × 109 columns
```

- 1. We need to split train dataset into train set and cross validation set.
- 2. Since our model has been sorted on time stamps we cannot use k-fold cv
- 3. as that will hamper the order of data

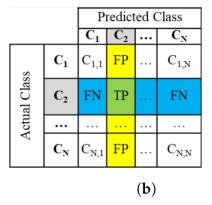
NOTE using single CV set for this assignment

```
In [13]: x_cv.shape, y_cv.shape
Out[13]: ((594886, 108), (594886,))
In [133... x_test, y_test = df_test.iloc[:, :-1], df_test.iloc[:, -1]
```

### **Evaluation setup**

#### **Precision Recall matrix**

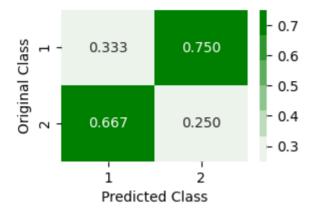
		Predicted Class	
		Positive	Negative
Actual Class	Positive	TP	FN
	Negative	FP	TN
		(a)	



- 1. We need to boost values of diagonal elements in the confusion matrix
- 2. In order to monitor the performance of our models we can create Precision Recall Matrices
- 3. Where in we divide Confusion matrix by
  - sum of confusion matrix across rows -> to get Precision matrix
  - sum of confusion matrix across columns -> to get Recall matrix

```
In [14]:
         # demo
         cm = confusion_matrix([1, 0, 1, 0, 1, 0, 0], [1, 1, 0, 1, 0, 1, 0])
         cm
         array([[1, 3],
Out[14]:
                 [2, 1]])
In [15]:
         cm / cm.sum(axis=0) # precision matrix -> dividing by predicted positives
         array([[0.33333333, 0.75
                                        ],
Out[15]:
                 [0.66666667, 0.25
                                        ]])
          (cm.T / cm.sum(axis=1)).T # recall matrix -> dividing by actual positives
In [108...
          array([[0.25
                             , 0.75
Out[108]:
                  [0.66666667, 0.33333333]])
In [110... plt.figure(figsize=(3, 2), dpi=100)
          cmap = sns.light_palette("green")
          labels = [1, 2]
          sns.heatmap(
              cm / cm.sum(axis=0),
              annot=True,
              cmap=cmap,
              fmt=".3f",
```

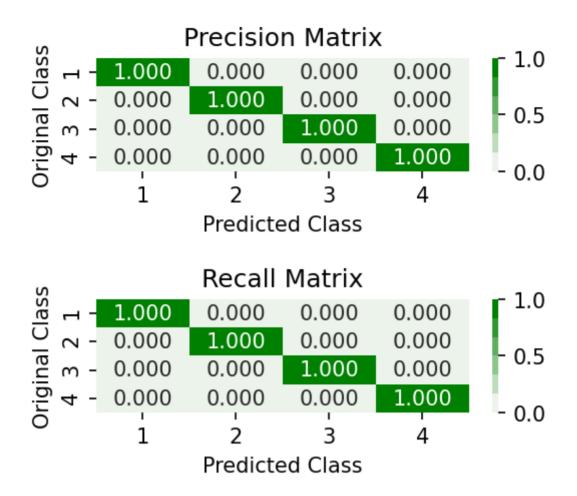
```
xticklabels=labels,
  yticklabels=labels,
)
plt.xlabel("Predicted Class")
plt.ylabel("Original Class")
plt.show()
```



```
In [112... np.seterr(divide="ignore", invalid="ignore")
         def get_pr_matrix(y_true, y_pred):
             Get precision recall matrix
             cm = confusion_matrix(y_true, y_pred)
             # avoid nans in matrix, replace with 0
             pr matrix = cm / cm.sum(axis=0)
             pr_matrix = np.nan_to_num(pr_matrix)
             re_matrix = (cm.T / cm.sum(axis=1)).T
             re_matrix = np.nan_to_num(re_matrix)
             return pr matrix, re matrix
         def plot matrix heatmap(mat, labels=[1, 2, 3, 4], title="None"):
             plt.figure(figsize=(4, 1), dpi=150)
             plt.title(title)
             cmap = sns.light palette("green")
             sns.heatmap(
                 mat, annot=True, cmap=cmap, fmt=".3f", xticklabels=labels, yticklabe
             plt.xlabel("Predicted Class")
             plt.ylabel("Original Class")
             plt.show()
         def plot pr matrix heatmaps(y true, y pred):
             p, r = get_pr_matrix(y_true, y_pred)
             plot matrix heatmap(p, title="Precision Matrix")
             plot_matrix_heatmap(r, title="Recall Matrix")
```

Ideally how should a Precision Recall matrix look?

```
In [19]: plot_pr_matrix_heatmaps(y_train, y_train)
```



### Log loss

```
In [22]: # demo
log_loss(
       [0, 1, 1, 0], # true labels
       [[0.1, 0.9], [0.8, 0.2], [0.1, 0.9], [0.3, 0.7]], # probability scores
)
Out[22]: 1.3053390813529768
```

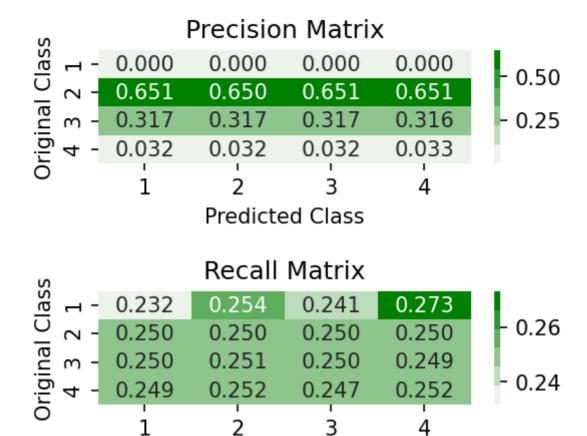
## Random model performance

Let us check how a random model performs. Our decision tree should atleast perform better than random model.

```
In [24]: k_train = x_train.shape[0]
y_train_pred_random = np.random.randint(low=1, high=5, size=k_train)
```

### Random model Precision Recall matrix

```
In [113... plot_pr_matrix_heatmaps(y_train, y_train_pred_random) # on train set
```



1. From recall matrix it is evident that performance of random model is random in nature

4

2. all the classes are being classified and missclassified with same percentage

Predicted Class

3. similar result can be observed in precision matrix

### Random model Logloss

```
In [26]:
        random_log_loss_train = log_loss(
             [np.random.rand(1, 4)[0] for i in range(y train.shape[0])],
             labels=[1, 2, 3, 4],
            # on train set
             f"log loss on predicting probabilities randomly on test set {random log
```

log loss on predicting probabilities randomly on test set 1.6454627287245502

### Observations on random model

- 1. random model is giving log loss around 1.64 in both train and test
- 2. our decision tree should give a better log loss i.e < 1.64

# **Training loop**

### Class weight

- 1. each class has a different number of occurences
- 2. adding class weight will handle imabalances in the labels distributions

```
In [27]: """
         for "balanced"
         w = n_samples / (n_classes * np.bincount(y))
         classes = [1, 2, 3, 4]
         w = compute class weight("balanced", classes=classes, y=y train,)
         class_weights = {i: j for i, j in zip(classes, w)}
          # get value counts
         value counts = df train["Severity"].value counts().to dict()
In [28]: print("value counts of labels in train set:")
         print(dict(sorted(value counts.items(), key=lambda x: x[0])))
         print("\nweights of labels:")
         print(dict(sorted(class weights.items(), key=lambda x: x[0])))
         value counts of labels in train set:
         {1: 969, 2: 1993515, 3: 887615, 4: 92331}
         weights of labels:
         {1: 706.5154394299287, 2: 0.3841190881137882, 3: 0.7897401721565233, 4: 7.75
         27758953239845}
         There is a high imbalance in dataset. Class 1 has very low number of training examples.
```

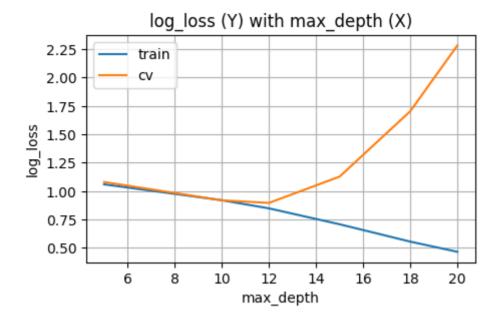
Hyperparameter chosen for tuning model: max depth

```
In [114...] max depth = [5, 10, 12, 15, 18, 20]
         errors log = []
         for d in max depth:
             print(f"{'-'*30} max depth={d} {'-'*30}")
             clf = tree.DecisionTreeClassifier(max depth=d, class weight=class weight
             clf = clf.fit(x train, y train)
             # get log los train
             ll_train = log_loss(y_train, clf.predict_proba(x_train), labels=[1, 2, 3
             # get pr matrix train
             p_train, r_train = get_pr_matrix(y_train, clf.predict(x_train))
             # get log los cv set
             11 test = log loss(y cv, clf.predict proba(x cv), labels=[1, 2, 3, 4])
             # get pr matrix cv set
             p_test, r_test = get_pr_matrix(y_cv, clf.predict(x_cv))
             # append logs to dictionary
             obj = {
                  "max depth": d,
                  "log loss train": 11 train,
                  "log loss cv": 11 test,
```

```
"p_train": p_train,
     "r_train": r_train,
     "p_test": p_test,
     "r test": r test,
  errors log.append(obj)
  print(f"log loss train {obj['log loss train']:.4f}")
  print(f"log loss cv {obj['log_loss_cv']:.4f}")
  ----- max depth=5 ------
log loss train 1.0597
log loss cv 1.0803
----- max depth=10 ------
log loss train 0.9199
log loss cv 0.9192
----- max depth=12 ------
log loss train 0.8483
log loss cv 0.8962
----- max_depth=15 ------
log loss train 0.7082
log loss cv 1.1280
----- max depth=18 ------
log loss train 0.5553
log loss cv 1.7039
----- max_depth=20 ------
log loss train 0.4657
log loss cv 2.2831
```

#### Plot train cy losses

```
In [117... 1 = []
         for i in errors log:
            l.append([i["max_depth"], i["log_loss_train"], i["log_loss_cv"]])
         l = np.array(1)
         1
Out[117]: array([[ 5. , 1.05969125, 1.08028904],
                           , 0.9198995 , 0.91923486],
                 [10.
                 [12.
                           , 0.84829702, 0.89621954],
                           , 0.70816129, 1.12801279],
                 [15.
                           , 0.55532408, 1.70394803],
                 [18.
                 [20.
                            , 0.46567863, 2.283116 ]])
In [151... plt.figure(figsize=[5, 3], dpi=100)
         plt.title("log_loss (Y) with max_depth (X)")
         plt.plot(1[:, 0], 1[:, 1])
         plt.plot(1[:, 0], 1[:, 2])
         plt.ylabel("log loss")
         plt.xlabel("max_depth")
         plt.grid()
         plt.legend(["train", "cv"])
         plt.show()
```



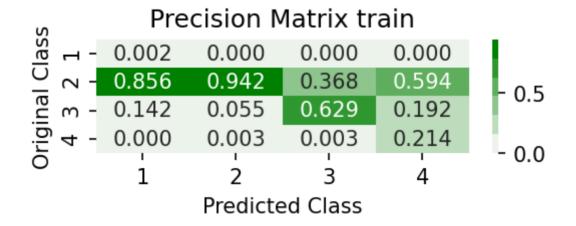
- 1. We can observe that model starts overfitting after max\_depth > 12
- 2. choosing 12 as best hyper paramter

### Plot PR matrix of best params

```
In [119... p_train = errors_log[2]["p_train"]
    r_train = errors_log[2]["r_train"]
    p_cv = errors_log[2]["p_test"] # this key should be p_cv please ignore this
    r_cv = errors_log[2]["r_test"] # this key should be r_cv please ignore this
```

#### Train

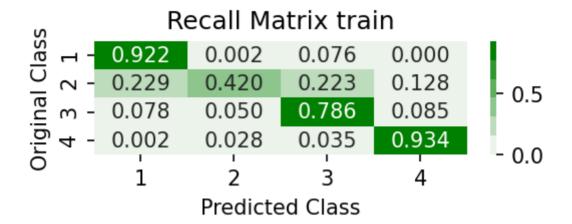
In [120... plot\_matrix\_heatmap(p\_train, title="Precision Matrix train")



- 1. predictions of class 1 actually belonged to class 1 only 0.2% times
  - A. 85.6% mis-classifications belonged to class 2
  - B. 14.2% mis-classifications belonged to class 3
- 2. predictions of class 2 actually belonged to class 2 94.2% times
  - A. 5.5% mis-classifications belonged to class 3

- B. 0.3% mis-classifications belonged to class 4
- C. this is due to imbalance in the labels
- 3. similar observations can be made for class 3 and 4
- 4. due to extremely less train samples with class 1 we are not able to predict it well

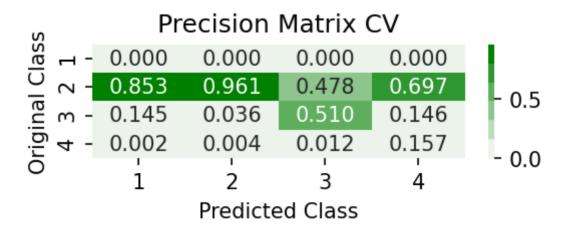
In [121... plot\_matrix\_heatmap(r\_train, title="Recall Matrix train")



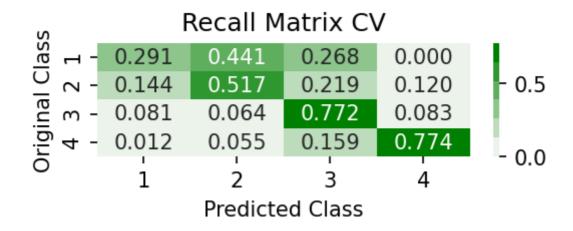
- 1. 92% of actual class 1 items were predicted as class 1
- 2. 42% of actual class 2 items were predicted as class 2 A. mis-classifications seen across class 1,3,4
- 3.78% of actual class 3 items were predicted as class 3
- 4. 93.4% of actual class 4 items were predicted as class 4
- 5. Recall of model on all classes except class 2 is fairly good as compared to Precision

#### CV

In [122... plot\_matrix\_heatmap(p\_cv, title="Precision Matrix CV")



In [123... plot\_matrix\_heatmap(r\_cv, title="Recall Matrix CV")



- 1. Predictions on cross validation set also shows similar precision recall matrices
- 2. similar observations can be made as for the train set

## Re-train on best params

using complete train set [train + cv]

```
In [126... x_train_full = pd.concat([x_train, x_cv], axis=0, ignore_index=True)
In [128... x_train.shape[0] + x_cv.shape[0] == x_train_full.shape[0]
Out[128]: True
In [129... y_train_full = pd.concat([y_train, y_cv], axis=0, ignore_index=True)
In [130... y_train.shape[0] + y_cv.shape[0] == y_train_full.shape[0]
Out[130]: True
In [131... # train on complete train set clf = tree.DecisionTreeClassifier(max_depth=12, class_weight=class_weights) clf = clf.fit(x_train_full, y_train_full)
In [132... # save model pd.to_pickle(clf, f"{DATA_ROOT}/dtree-12.pkl")
```

#### Predict on test set

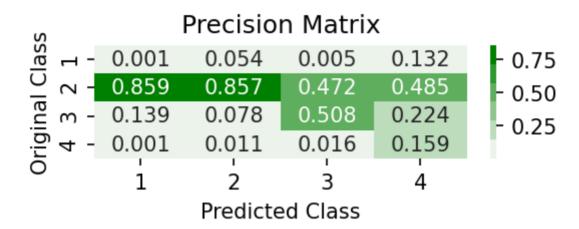
```
In [134... y_pred_test = clf.predict(x_test)
In [137... ll_test = log_loss(y_test, clf.predict_proba(x_test), labels=[1, 2, 3, 4])
    print(f"Test log loss {ll_test}")
    Test log loss 2.852740179426046
```

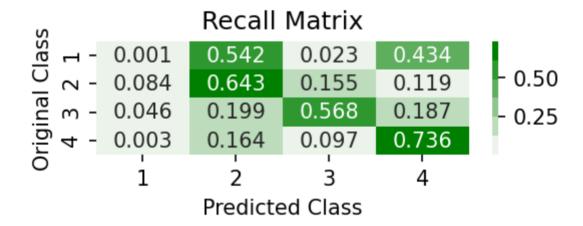
1. We can see that model has performed poorly on test data (looking at the log loss train)

- 2. It means the model has not generalised well
- 3. or model is seeing completely different samples which it has not seen earlier
- 4. or better modelling technique needs to be employed to learn the patterns of data better

# Plot PR matrix of test predictions







- 1. In precision matrix we can see that
  - 85% predictions of label 1 actually belonged to class 2
    - this might also be because of the class\_weight that was introduced
  - 85% of predictions of label 2 actually belonged to class 2
    - precision on class 2 is high because it is the most occuring class
- 2. In recall matrix we can see that
  - 54% of predictions that actually belonged to class 1 are being marked as class
  - 43% of predictions that actually belonged to class 1 are being marked as class  $\alpha$
  - similar observations can be made for other classes.

- 1. If we look at label distributions of train and test set
  - we can clearly see there is major difference in the occurence of class 1
- 2. This can be root cause of high log loss and poor precision recall on test set

# Interpretating predictions

```
In [145...
fn = x_train.columns
cn = [str(i) for i in [1, 2, 3, 4]]
for ix in np.random.randint(low=0, high=x_train.shape[0], size=5):
    print("Predicted class ", clf.predict([x_train.iloc[ix]]))
    print("Actual class ", [y_train[ix]], "\n")

print("Path taken:\n")
print(
    explain_prediction_path(
        clf,
        df_train.iloc[ix, :-1],
        feature_names=fn,
        class_names=cn,
        explanation_type="plain_english",
        ),
    )
    print("-" * 30)
```

```
Predicted class [2]
Actual class [2]
Path taken:
zip 02 0 < 84.0
kw ramp < 0.5
0.5 <= Astronomical Twilight 0
Timezone 2 < 0.5
State_1 < 0.5
0.5 <= State 4
0.5 <= Side 1
Source 0 < 0.5
0.0 <= Distance(mi) < 1.07
Traffic_Signal < 0.5</pre>
zip_len < 7.5
_____
Predicted class [1]
Actual class [2]
Path taken:
2.5 <= zip_02_0 < 15.5
County_2 < 0.5
City 1 < 0.5
0.5 <= Source 0
Distance(mi) < 0.01
29.74 <= Pressure(in)
3.5 <= Visibility(mi)</pre>
Wind Speed(mph) < 17.65
Traffic Signal < 0.5
7.5 <= zip_len
_____
Predicted class [4]
Actual class [2]
Path taken:
zip_02_0 < 72.0
Astronomical_Twilight_1 < 0.5
0.5 \le Timezone 1
Timezone 2 < 0.5
State_1 < 0.5
City_3 < 0.5
Side_0 < 0.5
Source_0 < 0.5
1.07 <= Distance(mi) < 1.88
zip len < 7.5
Predicted class [2]
Actual class [2]
Path taken:
47.0 \le zip 02 0 \le 82.5
kw Northbound < 0.5
kw Trl < 0.5
State 3 < 0.5
0.5 <= State_4
0.5 <= Source 0
232.5 <= TMC
```

```
Distance(mi) < 0.09
Traffic_Signal < 0.5
7.5 <= zip_len
Predicted class [3]
Actual class [3]
Path taken:
zip 02 0 < 46.5
0.5 <= kw Northbound
kw Hwy < 0.5
0.5 <= Airport Code 6
Airport Code 10 < 0.5
City 0 < 0.5
City 4 < 0.5
Side_0 < 0.5
0.5 <= Source 0
Distance(mi) < 1.41
Traffic Signal < 0.5
zip_len < 7.5
```

## Understanding dtrees prediction

```
Predicted class [3]
Actual class [3]

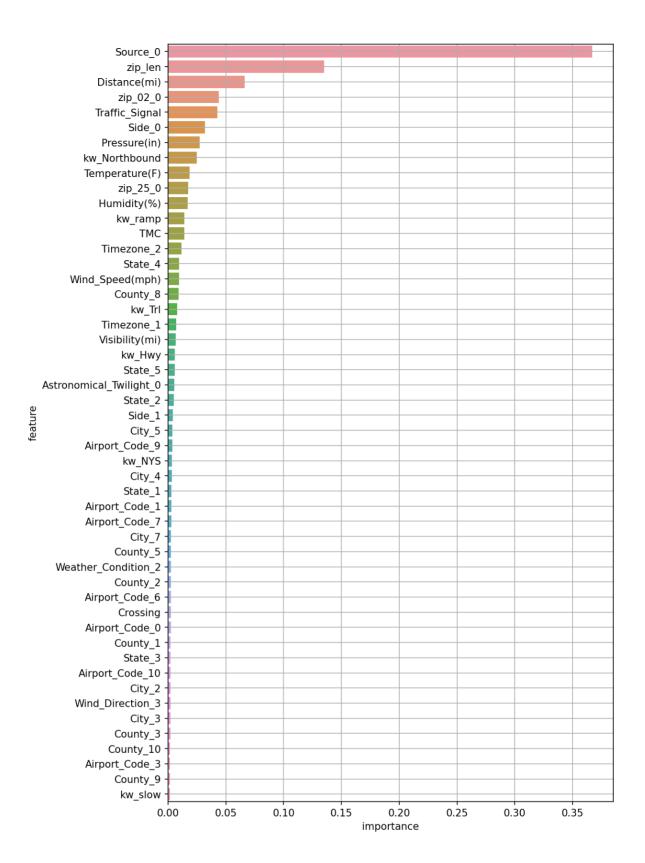
Path taken:

zip_02_0 < 46.5
0.5 <= kw_Northbound
kw_Hwy < 0.5
0.5 <= Airport_Code_6
Airport_Code_10 < 0.5
City_0 < 0.5
City_4 < 0.5
Side_0 < 0.5
O.5 <= Source_0
Distance(mi) < 1.41
Traffic_Signal < 0.5
zip_len < 7.5
```

- 1. we can see various features coming into play for predicting severity
- 2. we can see that query point has
  - zip\_02\_0 (i.e 0th dimension of zip\_02 feature) < 46.5
  - kw\_Northbound (i.e keyword Northbound) < 0</li>
  - and so on
- 3. steps are taken by decision tree in order to predict severity of the accident

# Feature importances

```
columns={0: "feature", 1: "importance"}
          df_fimp = df_fimp.sort_values(by=["importance"], ascending=False,).reset_ind
              drop=True
In [171... # top 5 features
          df fimp.head()
Out[171]:
                   feature importance
           0
                             0.366916
                  Source_0
            1
                   zip_len
                             0.135073
           2
               Distance(mi)
                            0.0663942
           3
                  zip_02_0
                            0.0437097
           4 Traffic_Signal
                           0.0427681
In [173...
          # bottom 5 features
          df_fimp.tail()
                           feature importance
Out[173]:
           103
                                            0
                     kw_Cedarhurst
           104
                        Roundabout
                                            0
           105
                      Turning_Loop
                                            0
           106 Weather_Condition_0
                                            0
           107
                                            0
                             Bump
In [182... plt.figure(figsize=[8, 14], dpi=150)
          sns.barplot(y="feature", x="importance", data=df_fimp.head(50))
          plt.grid()
          plt.show()
```



- 1. Source, zip\_len, Traffic\_Signal (bool) variables have relatively high importance
- 2. Some of the engineered features like kw\_Hwy, kw\_Tri have some importance
- 3. Some weather variables like pressure temperature and humidity also show high importance

# Final thoughts

1. Model currently is performing poorly on test set due to class imbalance

- 2. If we train the model regularly at proper intervals, model might perform well
- 3. Text features can be extracted and tried out to improve model performance
- 4. Based on feature importances model can be trained on selected features and reiterated upon
- 5. The above model could serve as a baseline model
- 6. In order to improve performance ensemble methods like random forest and xgboost can be used