

Q1.1 Type Intersections

1.1.1

$T1 = \{a:\text{number}[]\}; T2 = \{b:\text{string}\};$

Typescript type expressions: type $T1\&T2 = \{a:\text{number}[], b:\text{string}\}$

Examples:

$\{a:[3], b:\text{"soldin"}\}$

$\{a:[1,2,3], b:\text{"sagiv"}\}$

$\{a:[], b:\text{"boo"}\}$

1.1.2

$T1 = \{a:\{b:\text{number}\}\} T2 = \{a:\{c:\text{string}\}\};$

Typescript type expression: $T1\&T2 = \{a:\{b:\text{number}, c:\text{string}\}\}$

Examples:

$\{a:\{b: 3, c:\text{"Shalom"}\}\}$

$\{a:\{b: -6, c:\text{"shabat"}\}\}$

$\{a:\{b: 5, c:\text{"purim"}\}\}$

1.1.3

$T1 = \{a: \text{number}[] \}; T2 = \{a: \text{number}\};$

Typescript type expression: type $T1\&T2 = \{\text{null}, \text{undefined}\}|\{a:\text{null}|\text{undefined}\}$

Examples:

let $t2: T1 \& T2 = \text{null};$

let $t3: T1 \& T2 = \text{undefined};$

let $t4: T1 \& T2 = \{a: \text{null}\};$

Q1.2 Type Inclusion

1.2.1

type $T1 = \{a:\text{number}, b:\{\}\}[]$ type $T2 = \{a:\text{number}\}[]$

$T1 < T2$, $T1$ type is a subtype of $T2$. $T1$ has all the keys of $T2$, and

more, and the value is of the same type.

1.2.2

type T1 = {a: {c: any}, b: any} type T2 = {a: {c: number}, b: number}

T2 < T1, T2 type is a subtype of T1. The 'any' type could be type, including number. so, T2 has all the keys of T1.
any

1.2.3

type T1 = {a:number, b:undefined} type T2 = {a:number, b:any}

T1 < T2, T1 type is a subtype of T2. Undefined is subtype of any type, including any.

Q1.3 Type Inference

1.3.1

Answer: Type of v1 is: (name: string ,age: number)

let v1 = { name:"eran", age:29 };

1.3.2

Answer: Type of v2 is: {children: ({name:string}|{age:number})[] };

v2 = { children: [{name: "Roy"}, {age:25}] };

1.3.3

Answer: type V3 = (number) => number;

v3 = (x) => x + 50;

1.3.4

Answer: type v4 = <T>(f: (x:T) =>T, l: T []|{}) => T[]|{};

v4 = (f, l) => map((x)=>f(f(x)), l);

Q1.4 Type Definitions

1.4.1

It is not possible, since there's no way to represent an infinite subset of an atomic type

(string) in TS. If it was a finite subset of values we could use the | operator (e.g. type T=

"a"|"b"|"c";) , but this is not the case.

1.4.2

It's not possible, for the same reason above: number is an atomic type, hence as mentioned

above there's no way to represent a non-finite subset of its elements in TS.

$|\{1,2,\dots\}| = \infty$.

Q3.2 sorted?

sorted? should return #t on both an empty list and a list with a single element, since both are

sorted by any comparator by definition (vacuously true).