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Follow-up. Solve it! (Hint: integration by parts.)

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3. Consider the ODE $(x^2 - 1)y' = yx - y$.

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- (B) Linear but not separable.
- (C) Both linear and separable.
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A simple version of *Newton's law of cooling* says that, if an object of temperature T is placed in an environment of constant ambient temperature A, then dT/dt is proportional to A-T.

4. True or False?

$$\lim_{t\to\infty}T=A.$$

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Follow-up. Do all solutions to this ODE form a vector space?