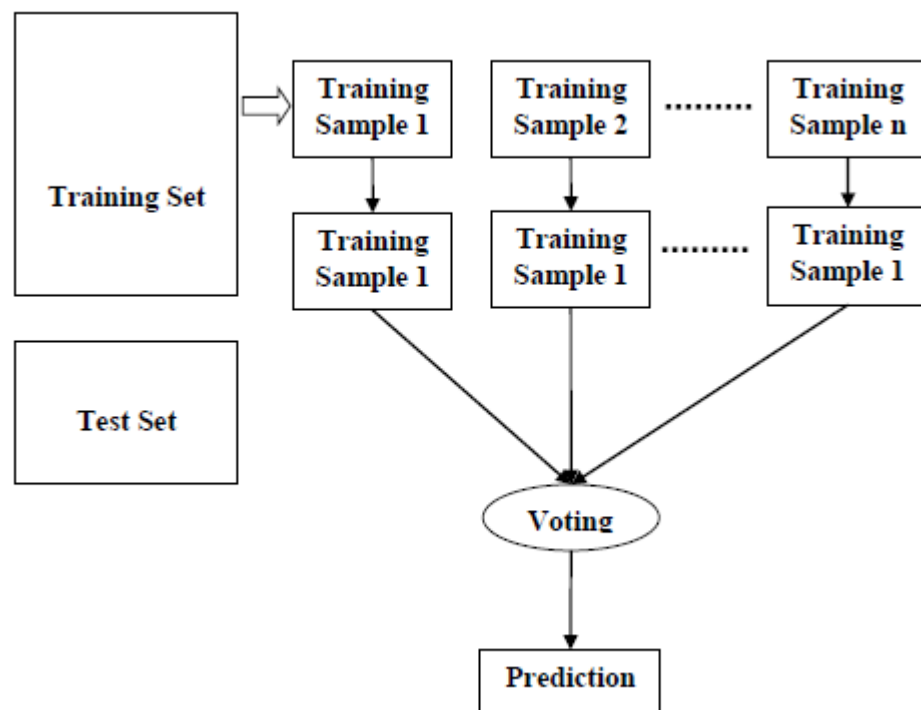


Random Forest

- Random forest algorithm creates decision trees on data samples and then gets the prediction from each of them and finally selects the best solution by means of voting.
- It is an ensemble method which is better than a single decision tree because it reduces the over-fitting by averaging the result.

Steps Involved:

- Step 1 – First, start with the selection of random samples from a given dataset.
- Step 2 – Next, this algorithm will construct a decision tree for every sample. Then it will get the prediction result from every decision tree.
- Step 3 – In this step, voting will be performed for every predicted result.
- Step 4 – At last, select the most voted prediction result as the final prediction result.



Pros and Cons of Random Forest Algorithm:

Pros:

- It overcomes the problem of overfitting by averaging or combining the results of different decision trees.
- Random forests work well for a large range of data items than a single decision tree does.

- Random forest has less variance than single decision tree.
- Random forests are very flexible and possess very high accuracy.
- Random Forest algorithms maintain good accuracy even a large proportion of the data is missing.

Scaling of data does not require in random forest algorithm. It maintains good accuracy even after providing data without scaling.

Cons:

- Complexity is the main disadvantage of Random forest algorithms.
- Construction of Random forests are much harder and time-consuming than decision trees.
- More computational resources are required to implement Random Forest algorithm.
- It is less intuitive in case when we have a large collection of decision trees.
- The prediction process using random forests is very time-consuming in comparison with other algorithms.

```
In [1]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
```

```
In [2]: dataset = pd.read_csv('Position_Salaries.csv')
```

```
In [3]: X = dataset.iloc[:,1:2].values
y = dataset.iloc[:,2].values
```

Building a regressor model.

```
In [4]: from sklearn.ensemble import RandomForestRegressor
```

```
In [5]: def r_forest(n, objective):
    """
    n = Number of estimators.
    objective = X_value whose y_value has to be predicted.
    """
    regressor = RandomForestRegressor(n_estimators = n, random_state = 0)
    regressor.fit(X,y)
    return regressor.predict(np.array(objective).reshape(-1,1))
```

```
In [6]: # Creating a list of tuples containing varying values of n_estimators & corresponding response
mylist = []
for ii in range(10,500+1,10):
    mylist.append((ii,r_forest(ii,6.5)[0]))
```

```
In [7]: mylist[:5]
```

```
Out[7]: [(10, 167000.0),  
        (20, 166000.0),  
        (30, 164333.33333333334),  
        (40, 161250.0),  
        (50, 161200.0)]
```

```
In [8]: # Separation for plot.  
x_grid,y_grid = np.array(mylist).T
```

```
In [9]: # Getting the index for which the predicted value is the closest to 160k.  
epsilon = np.abs(y_grid-(np.ones(len(y_grid))*160000))  
min_index = np.where(epsilon == min(epsilon))[0]  
min_index
```

```
Out[9]: array([14], dtype=int64)
```

Visualization using plot:

- Here, we see for what value of 'n_estimators', the predicted value of the salary will be the closest to 160k.

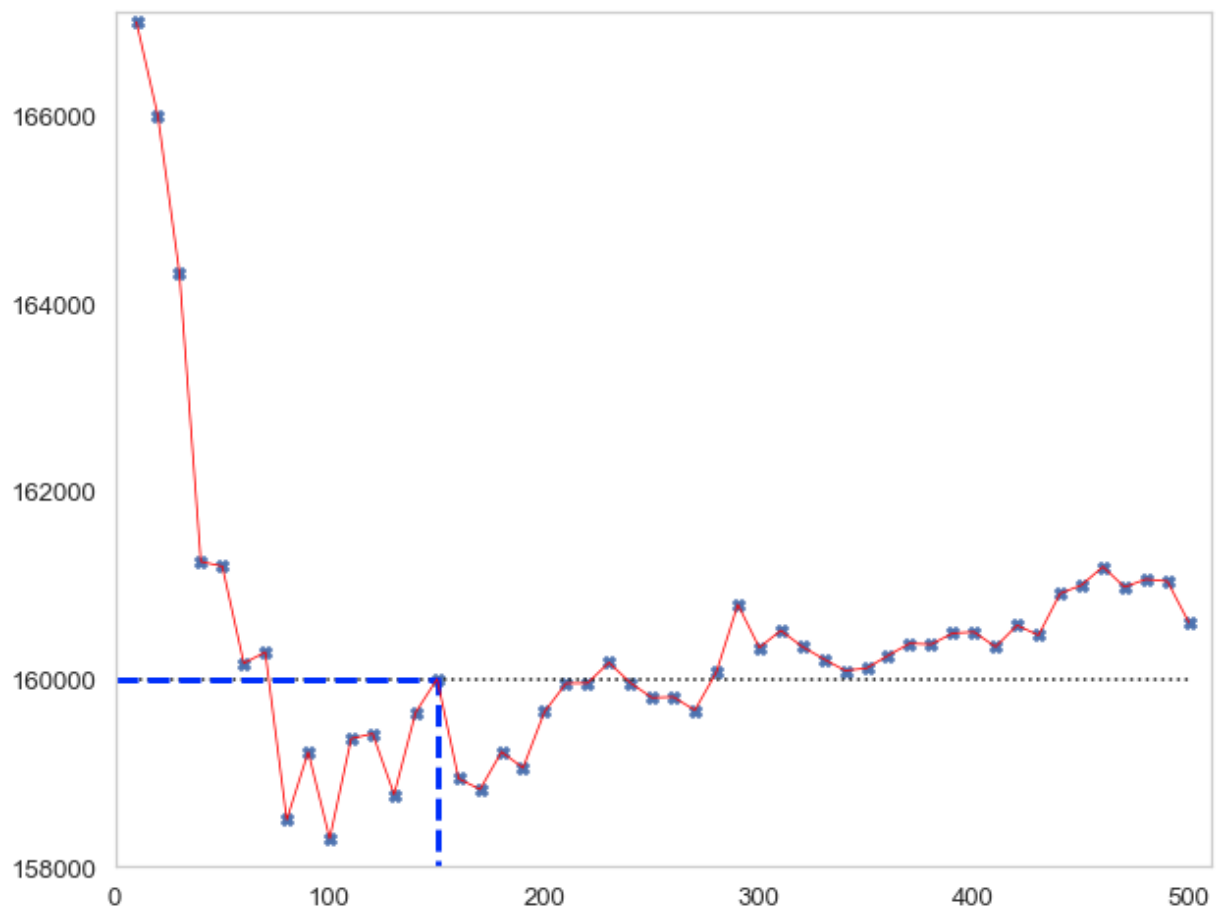
```

In [10]: plt.figure(figsize = (10,8))
sns.set(style = 'whitegrid', font_scale = 1.2)

plt.scatter(x_grid, y_grid, marker = 'X')
plt.plot(x_grid, y_grid, color = 'red', linewidth = 0.8)
plt.hlines(160000, 0, 501, linestyle = 'dotted')
plt.hlines(y_grid[min_index], 0, x_grid[min_index]+1, linestyle = 'dashed',
          linewidth = 3, color = '#002ffa')
plt.vlines(x_grid[min_index], 157500, y_grid[min_index]+1, linestyle = 'dashed',
          linewidth = 3, color = '#002ffa')

plt.xlim(0,510)
plt.ylim(158000, max(y_grid)+100)
plt.grid(0)
plt.show()

```



```

In [11]: print('The best predicted salary for level 6.5 is ', y_grid[min_index][0], '.\n'
          'For this, we use n_estimators = ',int( x_grid[min_index][0]), '.')

```

The best predicted salary for level 6.5 is 160000.0 .
 For this, we use n_estimators = 150 .

Testing for level = 9.

```
In [13]: r_forest(150, 9)[0].round(2)
```

```
Out[13]: 480666.67
```

```
In [14]: dataset.iloc[-2,:]
```

```
Out[14]: Position      C-level
Level                9
Salary              500000
Name: 8, dtype: object
```

Checking whether we can do any better prediction than this.

```
In [15]: def minimum_index(objective,truevalue):
# Creating a list of tuples containing varyig values of n_estimators & corres
mylist = []
for ii in range(10,500+1,10):
    mylist.append((ii,r_forest(ii,objective)[0]))

# Separation for plot.
x_grid,y_grid = np.array(mylist).T

# Getting the index for which the predicted value is the closest to 160k.
epsilon = np.abs(y_grid-(np.ones(len(y_grid))*truevalue))
min_index = np.where(epsilon == min(epsilon))[0]
return (min_index, x_grid[min_index], y_grid[min_index])
```

```
In [31]: minimum_index(9,500000)
```

```
Out[31]: (array([3], dtype=int64), array([40.]), array([502500.]))
```

This means, for determining the best predicted value for level 9, we set $n_estimators = 40$ and doing so, we get the optimal predicted salary as 502500.

Determining the optimal number of estimators for all the levels.

```
In [17]: true_values = dataset.iloc[:,2].values
objectives = dataset.iloc[:,1].values

optimal_estimators = []
for ii in range(len(objectives)):
    optimal_estimators.append(minimum_index(objectives[ii], true_values[ii])[1])

optimal_estimators
```

```
Out[17]: [array([10.]),
array([150.]),
array([240.]),
array([70.]),
array([60.]),
array([480.]),
array([20.]),
array([ 10., 200.]),
array([40.]),
array([10.])]
```

Adding optimal estimators into the original dataset.

```
In [68]: dataset['opt_estimators'] = [optimal_estimators[ii][0] for ii in range(len(optimal_estimators))]
dataset['opt_estimators'].values
```

```
Out[68]: array([ 10., 150., 240.,  70.,  60., 480.,  20.,  10.,  40.,  10.])
```

Adding the best estimates into the original dataset.

```
In [35]: best_prediction = []
objectives = dataset.iloc[:,1].values

for ii in range(len(dataset['opt_estimators'].values)):
    regressor1 = RandomForestRegressor(n_estimators = int(dataset['opt_estimators'].values[ii]),
                                      random_state = 0)
    regressor1.fit(X,y)
    best_prediction.append(regressor1.predict(np.array(objectives[ii]).reshape(-1,1)))

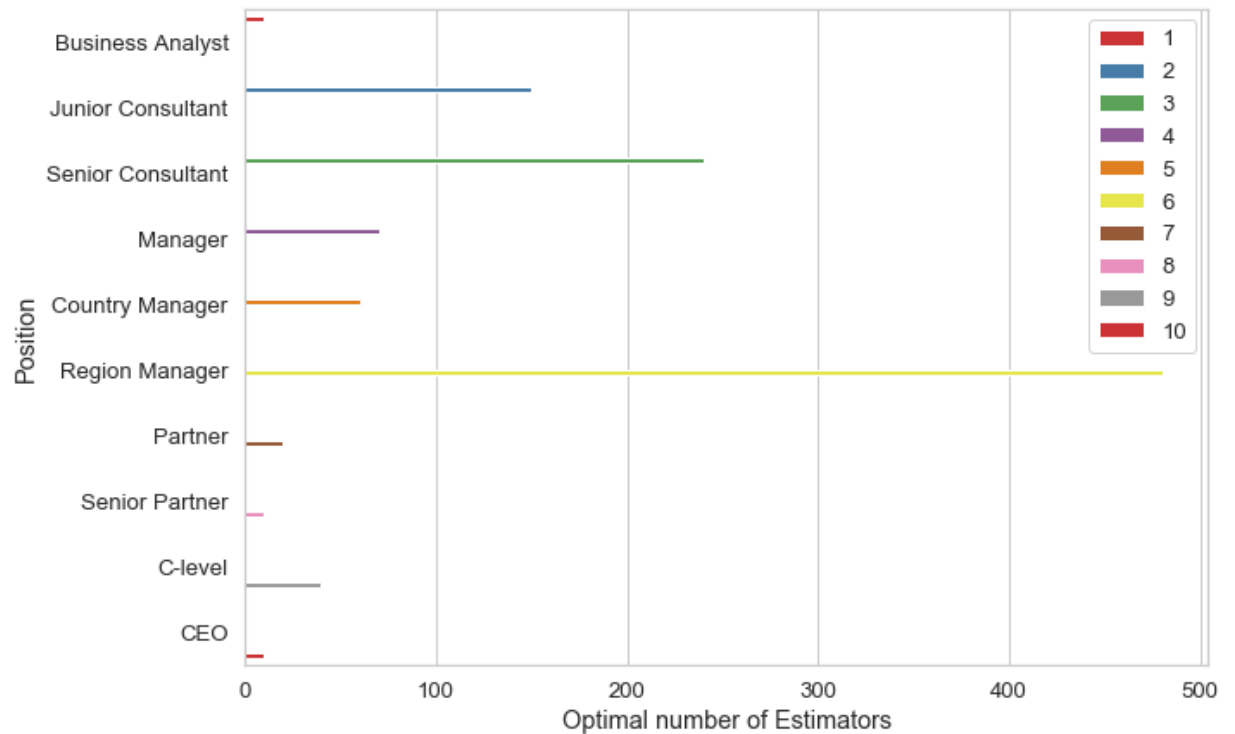
dataset['best_prediction'] = [best_prediction[ii][0].round(2) for ii in range(len(best_prediction))]
```

Optimal number of estimators for each level visualized in a bar plot.

```
In [67]: plt.figure(figsize = (10,7))
labels = [str(ii) for ii in np.arange(1,11)]
ax = sns.barplot(x = [optimal_estimators[ii][0] for ii in range(len(optimal_estimators))],
                 y = dataset['Position'], hue = dataset.Level, palette = 'Set1')

#h,l = ax.get_legend_handles_labels()

plt.xlabel('Optimal number of Estimators')
plt.legend(loc = 'upper right')
plt.show()
```



```
In [41]: dataset['Difference'] = -dataset['Salary'] + dataset['best_prediction']  
dataset
```

Out[41]:

	Position	Level	Salary	opt_estimators	best_prediction	Difference
0	Business Analyst	1	45000	10.0	46000.00	1000.00
1	Junior Consultant	2	50000	150.0	50066.67	66.67
2	Senior Consultant	3	60000	240.0	59875.00	-125.00
3	Manager	4	80000	70.0	80142.86	142.86
4	Country Manager	5	110000	60.0	109833.33	-166.67
5	Region Manager	6	150000	480.0	143895.83	-6104.17
6	Partner	7	200000	20.0	200000.00	0.00
7	Senior Partner	8	300000	10.0	305000.00	5000.00
8	C-level	9	500000	40.0	502500.00	2500.00
9	CEO	10	1000000	10.0	850000.00	-150000.00

The End.