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Chapter 1

Week 1

1.1 Supervised and Unsupervised Learning

The most basic thing to remember is that we already know what our correct output should look like in Supervised Learning. But, we have little or no idea about what our results should look like.

Supervised Learning:

- Classification: Spam/Not-spam.
- Regression: Predicting age.

Unsupervised Learning:

- Clustering: Grouping based on different variables.
- Non Clustering: Finding structure in chaotic environment.

1.2 Linear Regression with one variable

Regression being a part of Supervised Learning is used for estimating data (Real-valued output).

1.2.1 Cost Function

This function measures the performance of a Machine Learning model for given data.

Hypothesis: $h_{\theta}(x) = \theta_0 + \theta_1 x$

Parameters: θ_0, θ_1

Cost Function:

$$J(\theta_0, \theta_1) = 1/2m \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2 \quad (1.1)$$

Goal: Minimize cost function with θ_0, θ_1 as parameters.

1.2.2 Gradient Descent

Basic idea:

- Start with some θ_0, θ_1
- Keep changing θ_0, θ_1 to reduce $J(\theta_0, \theta_1)$ until we end up at minima.

Algorithm: repeat until convergence:

$$\theta_j := \theta_j - \alpha \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_j} \quad (1.2)$$

(for $j = 0, 1$, here).

Intuition: If α is too small, descent can be slow and if too large, descent may fail to converge or even diverge. Gradient descent can converge to a local minimum, even with fixed learning rate α . As we approach local minimum, gradient descent will automatically take smaller steps. So, no need to decrease α over time.

1.2.3 Gradient Descent for linear regression

Combining gradient descent algorithm with linear regression model, we get:

$$j = 0 : \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_0} = 1/2 \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) \quad (1.3)$$

$$j = 1 : \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_1} = 1/2 \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) \cdot x^{(i)} \quad (1.4)$$

Now, we can repeat 1.3 and 1.4 until convergence to obtain the minima.

"Batch" gradient descent: Each step of gradient descent uses all the training examples. For eq. "m" batches in equation 1.1.