Cinstein Solid

N boxes

9 quanta

of energy

N=6

9 = 9

If system is isolated, g is fixed

How many accessible microstates?

— How many ways can I put g bells in N boxes?

one-to-one correspondence between arrangements of lives & dots, e microclates

$$\Omega = \binom{N-1+g}{g} = \frac{(N-1+g)!}{(N-1)! g!}$$

$$N = 6$$

$$q = 9$$

$$\Omega = \binom{14}{9} = \frac{14!}{9!5!} = \frac{14\cdot13\cdot12\cdot11\cdot18}{5\cdot4\cdot3\cdot8\cdot1} = \frac{14\cdot13\cdot11:2002}{5\cdot4\cdot3\cdot8\cdot1} = \frac{14\cdot13\cdot11:2002}{5\cdot4\cdot3\cdot8\cdot1}$$

Einstein Solid w/ N oscillatore & g energy

2 = (N+9-1)

g

Why a solid?

Soul Services

A solid (in 3D)

with N atoms

has 3N springs
3N oscillators

Generally

$$a_1b >> 1$$
 $Cereally$
 $a_1b >> 1$
 $a_1b >$

Energy can flow between solids at a slower rate

than it does within each solid

If q_A is a certain value independent so long as q_A is free $\Omega(q_A) = \Omega_A(q_A) \Omega_B(q_B) = \frac{N_A + q_A - 1}{q_A} \left(N_B + q_B - 1\right)$ $= \left(N_A + q_A - 1\right) \left(N_B + q_B - 1\right)$ $= \left(N_A + q_A - 1\right) \left(N_B + q_B - 1\right)$

Nov, suppose 9A con. change.

Probability that 9A has a particular value?

BA defenes a macrostate of system

()(0) 10)

$$P(g_A) = \frac{\Omega(g_A)}{\Omega_{all}} \qquad \Omega_{all} = \frac{g}{g_A=0} \Omega(g_A)$$

$$= \frac{N+g-1}{g}$$

$$P(q_A) = \frac{\left[N_A + q_A - I \right] \left(N_R + q_B - I \right]}{\left(N_R + q_B - I \right)}$$

What macrostate is most likely?