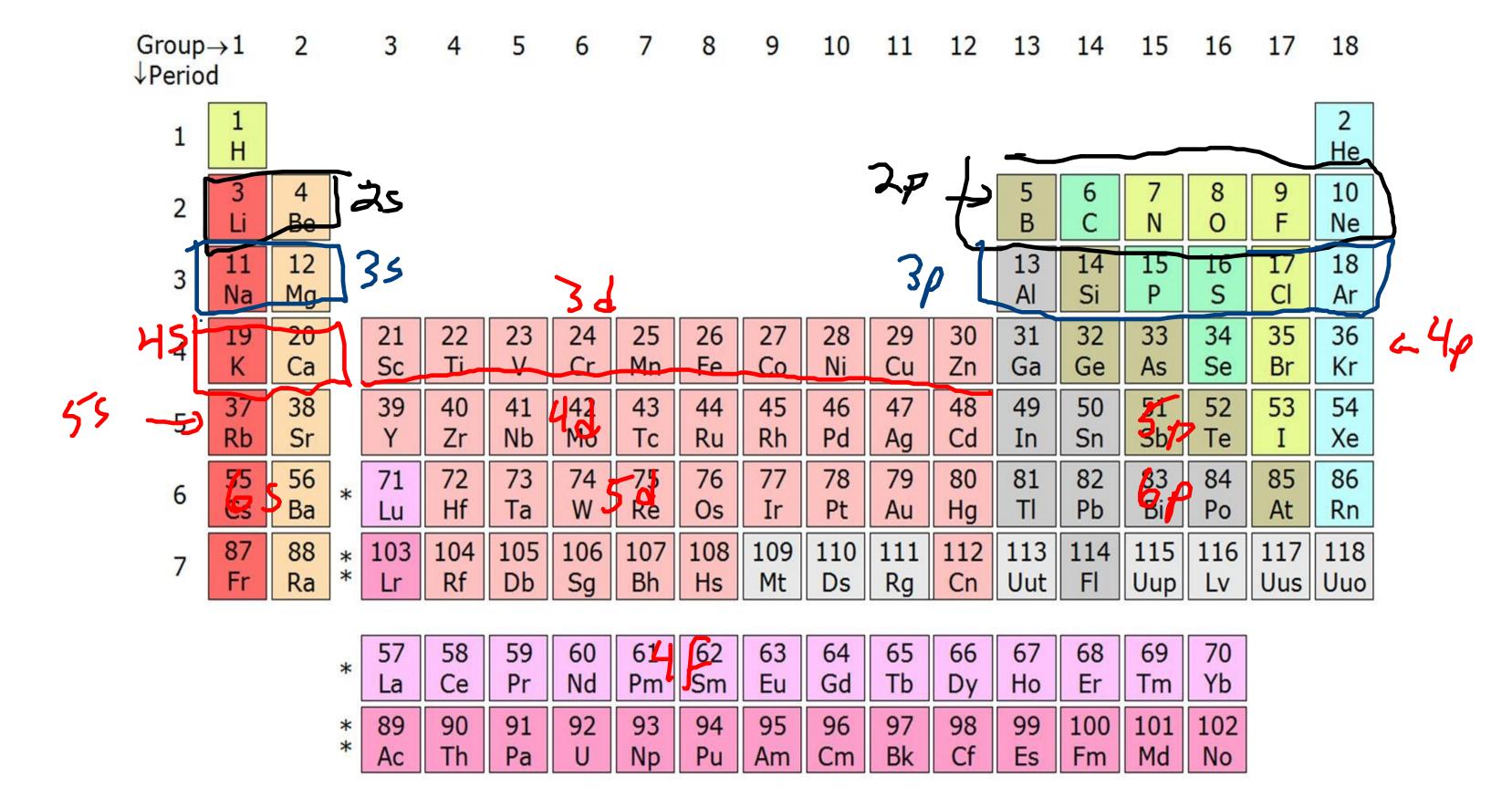
```
Atoms in general
  if he ignore e-e interactions
   · then electrons each exist in a
      "hydrogenic" state nlm
            \alpha \rightarrow \frac{1}{2}a E \rightarrow 2^2E
(assuming nucleus is a point)
but only two electrons can have some values
      of n, l, m.
Electrons fill up hydrogenic "orbitals"
       starting from lovest energy up.
           n=1, l=0, m=0
           n=2, l=0, m=0
          n=2, l=1, m=-1,0,+1
                              (al+1) 2 electrons
in each subshell
                    l:0: 5
                   1=1: P
                   1=2: d
                      4;9
                   E = -\frac{E_1}{n^2} no l dependence.
   in hydrogen
    in atoms, E depends on 1 too.
                                         larger l,
electron hongs
out forther
away
                         2p sees an effective nucleur charge
                           smaller than Ze.
                    inner electrons shield the nucleus
                     result is a higher energy
                                      (less regative)
   so larger l -> larger energy
          (b/c of e-e interactions)
          n=2. L=1
          n=3, L=0 Na & Mg
           n=3, l=1 Al-Ac
          n=4, l=0
for

N=3, l=2 (- l=2 shelding is

so effective that

it raises every above

the chell's s substable
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Volence electrons in a solid become detacho) in a solid become detacho) in a solid become detacho) in a countries of from atoms a roam fixely through moderial i.e. yolence electrons are affected by total potential inside solid from all atoms, not just one atom-

1) Fire Electron Gase

- put electrons in a box

$$V: 0 \text{ inside}$$
 $V: \infty \text{ outside}$

$$V: \infty \text{ outside}$$

$$E = E_X + U_Y + U_Z +$$

$$E = \frac{h^2 \pi^2}{2m} \left(\frac{n_x^2}{l_x^2} + \frac{n_y^2}{l_y^2} + \frac{n_z^2}{l_z^2} \right) =$$

$$Define \quad k = k_x \hat{\chi} + k_y \hat{\chi} + k_z \hat{z} \quad k_x = \frac{n_x \pi}{l_x}$$

$$E = \frac{h^2 |k|^2}{2m}$$

$$k_y \quad k_z = \frac{h^2 |k|^2}{2m}$$

$$k_y \quad k_z = \frac{n_x \pi}{l_x}$$

$$k_z \quad k_z = \frac{n_z \pi}{l_x}$$

Lith N electrons they fill up states 2 at a time from smallest energy upword forms on & th sphere

Fermi surface

Volume of sphere is

$$\frac{1}{8} \left(\frac{4}{3} \pi k_p^3 \right) = 2 \sqrt{\frac{1}{8}} N$$

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Ex =
$$\frac{h^2}{2m}k_F^2$$
 Fermi energy largest energy of an electron in a solid in its ground state