

A) Fri, Nov 11

B) Mon, Nov 14

C) Etlar is fine

## Exam 2

- torque & equilibrium (including force)
- angular kinematics
- momentum

# Potential Energy

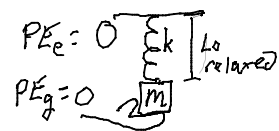
$$PE_e = \frac{1}{2} k (\Delta L)^2$$

$k$ : stiffness

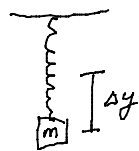
$\Delta L = L - L_0$   
amount spring  
has been stretched  
or squished

$$PE_g = mgh \leftarrow \text{measure height from any reference point we want.}$$

Only  $\Delta PE$  are physically significant.



$E_i = 0$   $\leftarrow$  should be same



$$PE_e = \frac{1}{2} k (\Delta y)^2$$

$$PE_g = -mg \Delta y$$

$$\frac{1}{2} k (\Delta y)^2 - mg \Delta y = 0$$

$$\frac{1}{2} k \Delta y = mg$$

$$\Delta y = \frac{2mg}{k}$$

$\leftarrow$  how much  
spring stretches

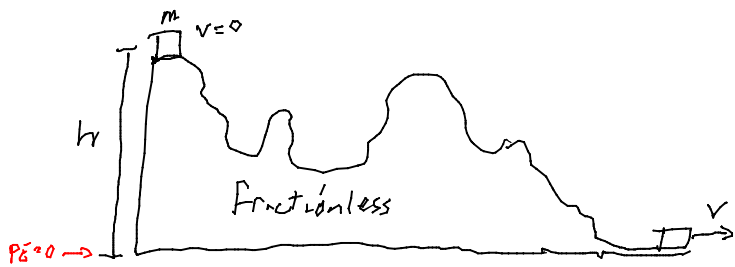
$$\Delta y \sim m$$

more mass,  
more stretch

$$\Delta y \sim \frac{1}{k}$$

more stiffness,

less stretch



$$E_i = KE + PE$$

$$= 0 + mgh = mgh$$

$$E_f = KE + PE$$

$$\frac{1}{2}mv^2 + 0 = \frac{1}{2}mv^2$$

$$W = 0 \quad (\text{ignore gravity because already have } PE)$$

$$E_f = E_i + W$$

$$\frac{1}{2}mv^2 = mgh + 0$$

$$v^2 = 2gh \rightarrow v = \sqrt{2gh}$$



Doesn't work if  $E = mgh + KE > mgh$

