WEEK 7: SYMBOLIC, AUTOMATA, LOGICAL PROGRAMMING PARADIGM

<u>AIM</u>: To implement various aspects of symbolic, automata, logical programming paradigm.

Symbolic programming paradigm

```
#Code Q1
     import sympy as sym
    print((sym.sqrt(2)).evalf(100))
 [2] #Code Q2
     import sympy as sym
    print(sym.Rational(1,2)+sym.Rational(1,3))
[4] #Code Q3
     import-sympy-as-sym
    x=sym.Symbol('x')
y=sym.Symbol('y')
    print(sym.expand((x+y)**6))
     x^{**}6 + 6^*x^{**}5^*y + 15^*x^{**}4^*y^{**}2 + 20^*x^{**}3^*y^{**}3 + 15^*x^{**}2^*y^{**}4 + 6^*x^*y^{**}5 + y^{**}6
[5] #Code Q4
     from sympy import *
     x = symbols('x')
     print(trigsimp(sin(x) / cos(x)))
    tan(x)
 [6] #Code Q5
      from sympy import *
      x = symbols('x')
      expr = (\sin(x)-x)/x^{**3};
      limit_expr = limit(expr, x, 0)
      print(limit_expr)
      -1/6
 [7] #Code Q6
      from sympy import *
      x = symbols('x')
      expr = log(x)
      print("Expression : {} ".format(expr))
      expr_diff = Derivative(expr, x)
      print("Derivative of expression with respect to x : {}".format(expr_diff))
      print("Value of the derivative : {} ".format(expr_diff.doit()))
      Expression : log(x)
      Derivative of expression with respect to x : Derivative(log(x), x)
      Value of the derivative : 1/x
```

```
[9] #Code Q7
     import sympy as sp
      x, y = sp.symbols('x, y')
     eq1 = sp.Eq(x + y, 2)
     eq2 = sp.Eq(2*x + y, 0)
ans = sp.solve((eq1, eq2), (x, y))
     print(ans)
     \{x: -2, y: 4\}
[10] #Code Q8
      from sympy import ^{\ast}
      x = symbols('x')
      exp = sin(x)
     print("Before Integration : {}".format(exp))
     # Use sympy.integrate() method
     intr = integrate(exp, x)
     print("After Integration : {}".format(intr))
     Before Integration : sin(x)
     After Integration : -\cos(x)
[13] #Code Q9
        from sympy import *
        import sympy as sym
        x = symbols('x')
        f=sym.Function('f')(x)
        ans=sym.dsolve(f.diff(x,x)+9*f,0)
       print(ans)
       Eq(f(x), C1*sin(3*x) + C2*cos(3*x))
       #Code Q10
        import numpy as np
        A=np.array([[3,7],[4,-2]])
        B=np.array([12,5])
        print(np.linalg.solve(A,B))
        [1.73529412 0.97058824]
```

LOGICAL PROGRAMMING PARADIGM

1

```
from pyDatalog import pyDatalog as py
py.create_terms("brother,father,cousin,grandson,descendent,X,Y,Z,W,a,b,c,d,e,f")
+father('a','b')
+father('a','c')
+father('b','d')
+father('b','e')
+father('c','f')
brother(X,Y) \leftarrow (father(Z,X)) & (father(Z,Y)) & \sim(X==Y)
cousin(X,Y) <= (father(Z,X)) & (father(W,Y)) & (brother(Z,W))</pre>
grandson(X,Y)<= (father(Y,Z)) & (father(Z,X))</pre>
descendent(X,Y) <= (father(Y,X))</pre>
descendent(X,Y) <= (father(Z,X)) & (descendent(Z,X))</pre>
print(brother(X,Y))
print(cousin(X,Y))
print(grandson(X,Y))
print(descendent(X,Y))
X \mid Y
--|--
e d
d e
c b
b c
X Y
--|--
f | e
f d
d | f
e | f
X Y
--|--
f | a
e a
d a
X Y
--|--
b a
са
d b
e b
f c
```

```
from pyDatalog import pyDatalog
 pyDatalog.create_terms('Bear,Elephant,Cat,Black,Gray,Brown,Big,small,size,color,)
 +size("Bear", "Big")
 +size("Elephant", "Big")
 +size("Cat","small")
 +color("Bear","Brown")
+color("Cat","Black")
 +color("Elephant","Gray")
 dark(X) <= (color(X,"Black"))</pre>
 dark(X) <= (color(X,"Brown"))</pre>
 print(dark(X) &(size(X,'Big')))
 Х
 Bear
3
from pyDatalog import pyDatalog
pyDatalog.create_terms("N,Factorial")
Factorial[N]=N*Factorial[N-1]
Factorial[1]=1
print(Factorial[4]==N)
Ν
--
24
```

AUTOMATA PROGRAMMING PARADIGM

1.

```
from automata.fa.dfa import DFA
# lang accepts even number of '0's and even number of '1's
dfa = DFA(
    states={'q0', 'q1', 'q2','q3'},
    input_symbols={'0', '1'},
    transitions={
        'q0': {'0': 'q2', '1': 'q1'},
        'q1': {'1': 'q0', '0': 'q3'},
        'q2': {'0': 'q0', '1': 'q3'},
        'q3': {'0': 'q1', '1': 'q2'}
    initial_state='q0',
    final_states={'q0'}
if dfa.accepts_input('101101'):
    print('accepted')
else:
   print('rejected')
```

```
PS C:\Users\91800\OneDrive\Desktop\Week 7> python -u "c:\Users\91800\OneDrive\Desktop\Week 7\automata4.py"
accepted
PS C:\Users\91800\OneDrive\Desktop\Week 7>
```

```
from automata.fa.dfa import DFA
# lang accepts only '101'

dfa = DFA(
    states={'q0', 'q1', 'q2','q3','d'},
    input_symbols={'0', '1'},
    transitions={
        'q0': {'0': 'd', '1': 'q1'},
        'q1': {'1': 'd', '0': 'q2'},
        'q2': {'0': 'd', '1': 'q3'},
        'q3': {'0': 'd', '1': 'q3'},
        'd': {'0': 'q0', '1': 'q3'}
    },
    initial_state='q0',
    final_states={'q3'}
)

if dfa.accepts_input('101'):
    print('accepted')
else:
    print('rejected')
```

```
PS C:\Users\91800\OneDrive\Desktop\Week 7> python -u "c:\Users\91800\OneDrive\Desktop\Week 7\automata4.py" accepted
PS C:\Users\91800\OneDrive\Desktop\Week 7>
```

```
from automata.fa.dfa import DFA
# lang accepts consecutive three 1's
dfa = DFA(
    states={'q0', 'q1', 'q2', 'q3'},
    input_symbols={'0', '1'},
    transitions={
         'q0': {'0': 'q0', '1': 'q1'},
         'q1': {'1': 'q2', '0': 'q0'}, 'q2': {'0': 'q0', '1': 'q3'},
         'q3': {'0': 'q3', '1': 'q3'}
    },
    initial_state='q0',
    final states={'q3'}
if dfa.accepts_input('01110'):
    print('accepted')
else:
    print('rejected')
```

```
PS C:\Users\91800\OneDrive\Desktop\Week 7> python -u "c:\Users\91800\OneDrive\Desktop\Week 7\automata2.py" accepted
PS C:\Users\91800\OneDrive\Desktop\Week 7>
```