



# Fair Virtual Conference Scheduling

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# PROBLEM DESCRIPTION

- Pandemic-induced restrictions on travel and social gatherings
  - Conferences going virtual
- Report a Schedule  such that:

## Challenges Involved

- People from around the globe can attend (as per **Participant-Availability**)
- Maximum # of talks can be attended (as per **Participant-Interests**)
- It is **Fair** to both the participants & speakers

- Data at Hand:

AVLBTY	Slot-1	Slot-2	...	Slot-N
Prcpnt-1	0.8	0.0	...	0.4
Prcpnt-2	0.4	0.6	...	0.9
...	...	...	...	...
Prcpnt-P	0.7	1.0	...	0.3

How much  
AVAILABLE  
is the  $P^{\text{th}}$   
Participant  
in the  $N^{\text{th}}$   
slot ?

INTEREST	Talk-1	Talk-2	...	Talk-M
Prcpnt-1	0.5	0.3	...	0.3
Prcpnt-2	0.9	0.7	...	0.3
...	...	...	...	...
Prcpnt-P	0.4	1.0	...	0.5

How much  
INTERESTED  
is the  $P^{\text{th}}$   
Participant  
to attend  
 $M^{\text{th}}$  talk ?

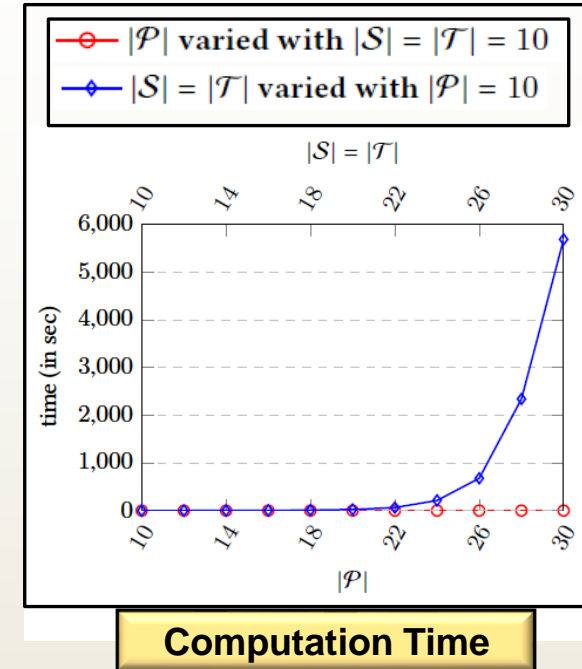


[1] Image source: <https://www.colourbox.com/vector/online-tutor-concept-vector-illustration-vector-40140428>

# RELATED WORK & OUR CONTRIBUTIONS

- Different from **Job and Network Scheduling** [2] (one stakeholder) and **Event Scheduling** [3] (binary availability, non-attendee's interest not considered)
- Fair Virtual Conference Scheduling [4]

$$\begin{aligned}
 & \underset{X}{\operatorname{argmax}} \\
 & \text{s.t.} \\
 & X_{t,s} \in \{0,1\} \forall t \in \mathcal{T}, s \in \mathcal{S} \\
 & \sum_{s \in \mathcal{S}} X_{t,s} = 1, \forall t \in \mathcal{T} \\
 & \sum_{t \in \mathcal{T}} X_{t,s} \leq 1, \forall s \in \mathcal{S}
 \end{aligned}
 +
 \begin{aligned}
 & \frac{1}{mn} \sum_{t \in \mathcal{T}} \sum_{p \in \mathcal{P}} \sum_{s \in \mathcal{S}} V_p(t) \cdot A_p(s) \cdot X_{t,s} && \text{Maximizing Total Expected Participation} \\
 & \lambda_1 \left[ \min_{p_j \in \mathcal{P}} \sum_{t \in \mathcal{T}} \sum_{s \in \mathcal{S}} \frac{V_{p_j}(t) \cdot A_{p_j}(s)}{ICG(p_j)} \cdot X_{t,s} \right. \\
 & \quad \left. - \max_{p_i \in \mathcal{P}} \sum_{t \in \mathcal{T}} \sum_{s \in \mathcal{S}} \frac{V_{p_i}(t) \cdot A_{p_i}(s)}{ICG(p_i)} \cdot X_{t,s} \right] && \text{Minimizing Participant Unfairness} \\
 & \lambda_2 \left[ \min_{t_j \in \mathcal{T}} \sum_{p \in \mathcal{P}} \sum_{s \in \mathcal{S}} \frac{V_p(t_j) \cdot A_p(s)}{IEC(t_j)} \cdot X_{t_j,s} \right. \\
 & \quad \left. - \max_{t_i \in \mathcal{T}} \sum_{p \in \mathcal{P}} \sum_{s \in \mathcal{S}} \frac{V_p(t_i) \cdot A_p(s)}{IEC(t_i)} \cdot X_{t_i,s} \right] && \text{Minimizing Speaker Unfairness}
 \end{aligned}$$



- Too slow on direct conversion to ILP → 26 Talks, 48 Slots, 32 Participants → **30+ Hours!**
- With LP-Repeated-Rounding heuristic, we explore various graph clustering techniques:
  - K-Spanning Tree, Shared Nearest Neighbours, Betweenness Centrality, Maximal Clique Enumeration

[2] J.P. Lozi, et al. (2016). "The Linux Scheduler: A Decade of Wasted Cores." *Proceedings of the Eleventh European Conference on Computer Systems*.

[3] H. Lee and A. Goel (2016). Probabilistic Matrix Inspection and Group Scheduling. In *IJCAI* (pp. 322-328).

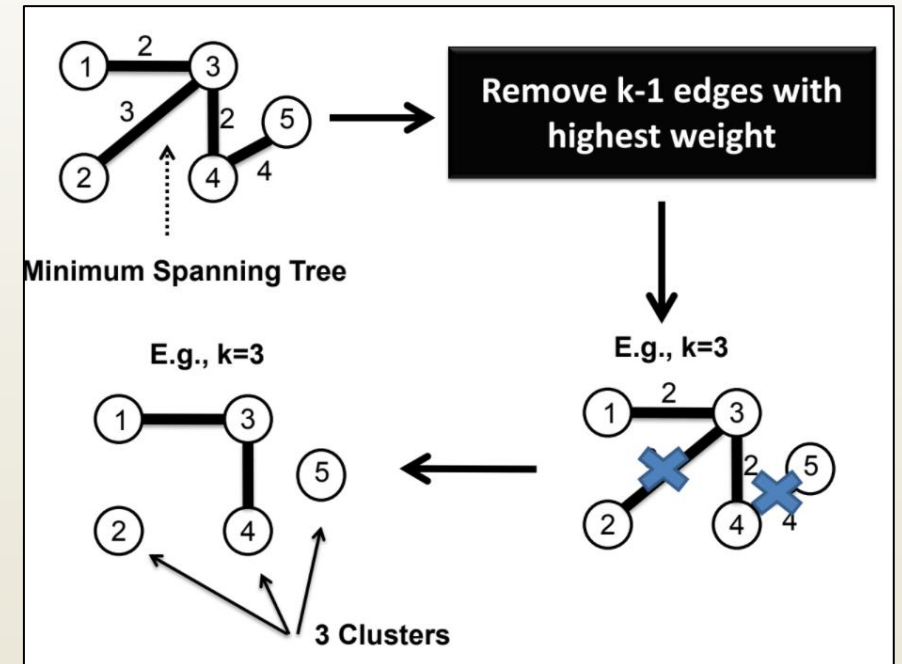
[4] G.K. Patro, A. Chakraborty, N. Ganguly and K.P. Gummadi (2020). On Fair Virtual Conference Scheduling: Achieving Equitable Participant and Speaker Satisfaction. arXiv preprint arXiv:2010.14624.

# PROFILE CLUSTERING: USING K-SPANNING TREE

- **Minimum Spanning Tree** : Spanning tree of a graph with minimum possible sum of edge-weights (edge weights  $\equiv$  distance)
- **Clustering (an application of MST)** : Given an undirected graph and distance between each node pair  $d(u,v)$ . Here,  $d(u,v)$  can be actual distance or dissimilarity between nodes.
- **Goal** : Divide  $n$  nodes into  $k$  groups so that, the minimum distance/dissimilarity between items in different groups is maximized

## ALGORITHM:

1. Construct Dissimilarity matrix using the Interest and Availability matrix of the users, where similarity measure is Jaccard Similarity.
2. From the above matrix, construct a graph  $G$ .
3. Find MST of graph  $G$ .
4. Now, to get  $k$  clusters, remove  $(k-1)$  most dissimilar edges from MST
5. Return the reduced Interest and Availability Matrices.



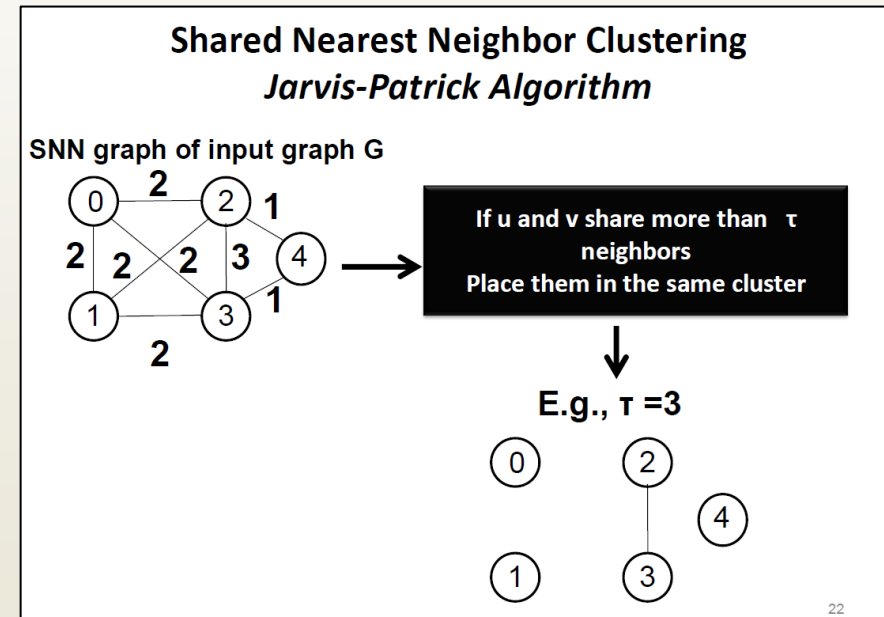
[5] Image Courtesy: Lecture Notes of Prof. B. S. Panda, Dept. of Maths, IIT Delhi. <https://web.iitd.ac.in/~bspanda/graphclustering.pdf>

# PROFILE CLUSTERING: USING SHARED NEAREST NEIGHBORS

- Vertices (**Sparsified similarity graph (G)**) :
  - $V = \{P_i\} : \{P_i\} = \{ \text{Availability}_i \text{ concat. Interest}_i \}$
- Edges (**Sparsified similarity graph (G)**) :
  - $Wt = \text{similarity}(v_i, v_j)$ , if  $\text{similarity}(v_i, v_j) \geq \text{threshold}$   
 $= \infty$ , otherwise

## ALGORITHM:

1. Obtain the count of shared neighbours among the set of all pairs of connected participants ( $P_i$ ) in  $G$  using union find.
2. Replace the edge weights in  $G$  by the count of shared neighbours among vertices of each edge ( $v_i, v_j$ ).
3. If vertices  $u$  and  $v$  share more than  $\tau$  neighbors, place them in the same cluster.



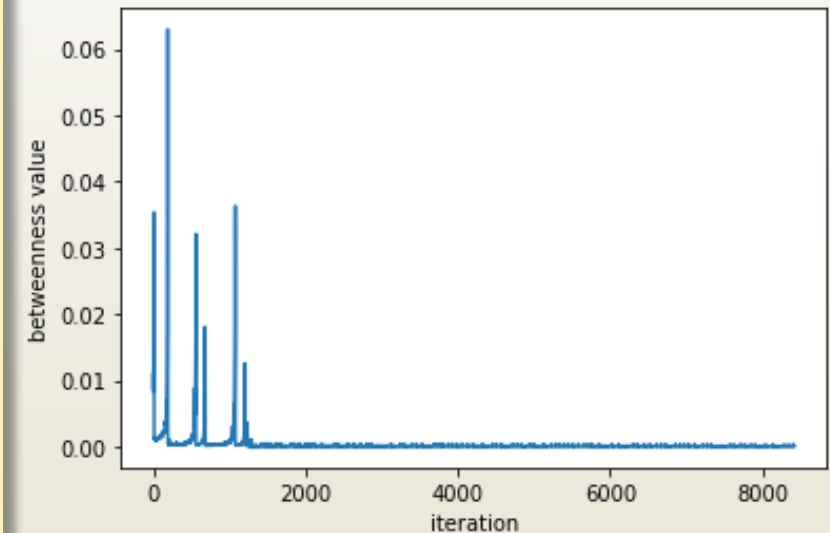
[5] Image Courtesy: Lecture Notes of Prof. B. S. Panda, Dept. of Maths, IIT Delhi. <https://web.iitd.ac.in/~bspanda/graphclustering.pdf>



# PROFILE CLUSTERING: USING BETWEENNESS CENTRALITY

- ▶ The betweenness centrality<sup>[6]</sup> of a node  $v$  is given by the expression: 
$$c_B(e) = \sum_{s,t \in V} \frac{\sigma(s,t|e)}{\sigma(s,t)}$$
- ▶ Here,
  - ▶  $V$  = set of nodes
  - ▶  $\sigma(s,t)$  = no. of shortest  $(s,t)$ -paths
  - ▶  $\sigma(s,t|e)$  = number of those paths passing through edge  $e$
- ▶ Vertices and Edges with **High Betweenness** form good starting points to identify clusters

```
runGirvanNewman() is
while True:
    init_ncomp = number_connected_components(G)
    ncomp = init_ncomp
    while ncomp <= init_ncomp:
        bw = edge_betweenness_centrality(G)
        max_edge = max(bw)
        G.remove_edge(max_edge)
        ncomp = number_connected_components(G)
    if ncomp == cut_off:
        break
```



[6] U. Brandes. On Variants of Shortest-Path Betweenness Centrality and their Generic Computation. Social Networks 30(2):136-145, 2008. <http://www.inf.uni-konstanz.de/algo/publications/b-vspbc-08.pdf>

# PROFILE CLUSTERING: USING MAXIMAL CLIQUE ENUMERATION

## Undirected Graph

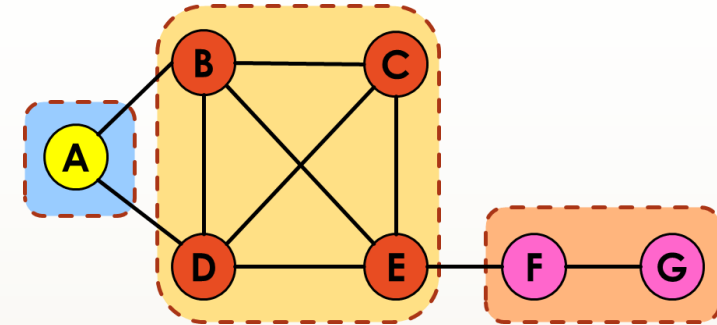
➤  $V = \{v_i\} : \{P_i\} = \{ \text{Availability}_i \text{ concat. Interest}_i \}$

➤  $E = \{ (v_i, v_j) \} : Wt = \begin{cases} \text{sim}(v_i, v_j), & \text{if } \text{sim}(v_i, v_j) \geq \text{threshold} \\ \infty, & \text{otherwise} \end{cases}$

Sparsification

## Using Bron and Kerbosch Algorithm with pivoting [5]:

```
BronKerbosch(R, P, X) is
  if P and X are both empty:
    report R as a maximal clique
  choose pivot vertex u in P ∪ X, having max |N(u) ∩ P|
  for each vertex v in P \ N(u) do
    BronKerbosch(R ∪ {v}, P ∩ N(v), X ∩ N(v))
  P := P \ {v}
  X := X ∪ {v}
```



**R** : vertices already chosen for MaxClique  
**P** : vertices that can be selected next  
**X** : vertices that cannot be selected next

Start with:  
(**R** =  $\emptyset$ , **P** =  $V$ , **X** =  $\emptyset$ )



- Choose max-sized maximal clique recursively
  - Terminate when all vertices chosen

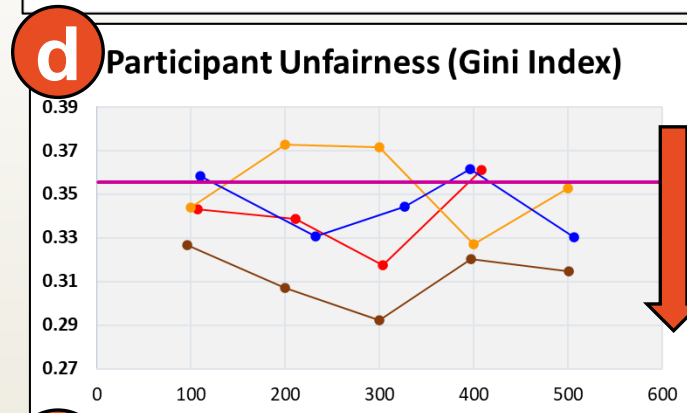
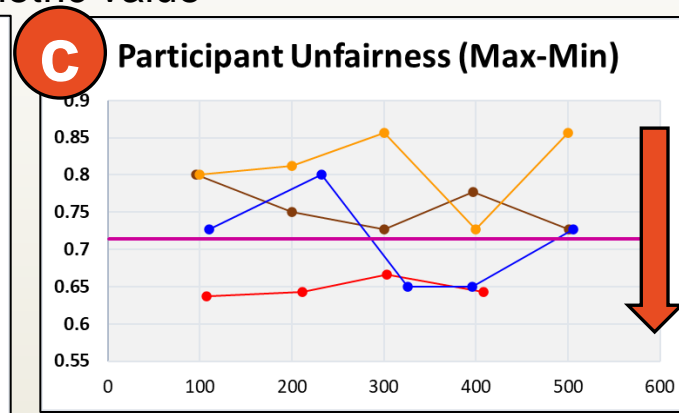
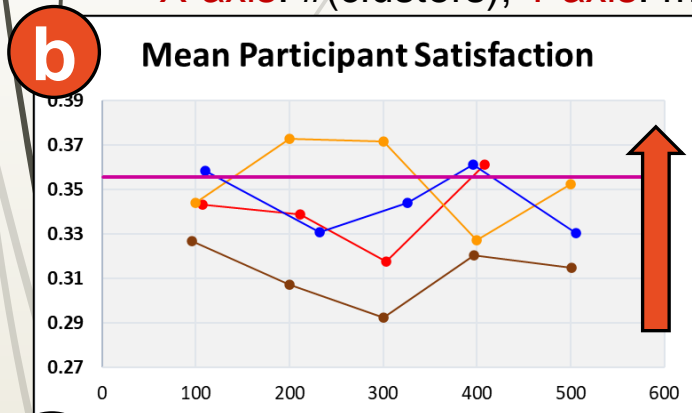
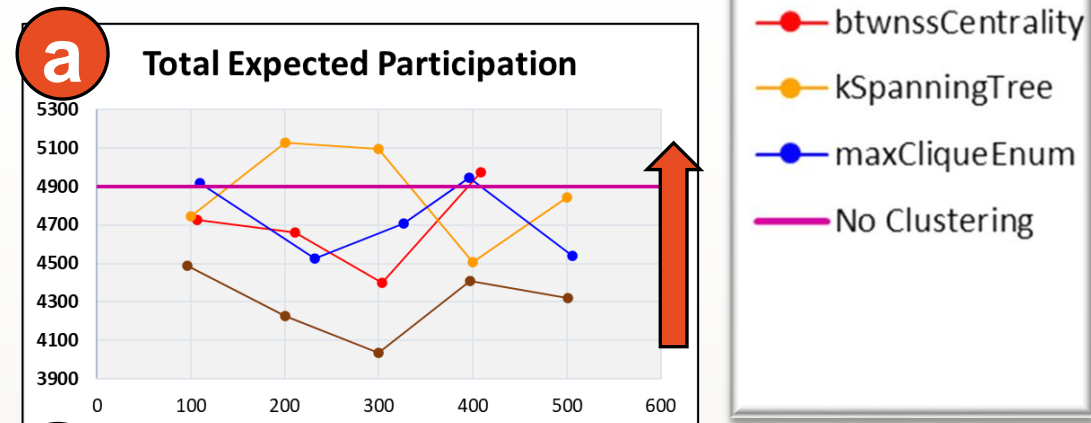
[7] E. Tomita, A. Tanaka, & H. Takahashi. (2006). The Worst-case Time Complexity for generating all Maximal Cliques and Computational Experiments. *Theoretical Computer Science*, 363(1), 28-42.

# EVALUATION METRICS & RESULTS

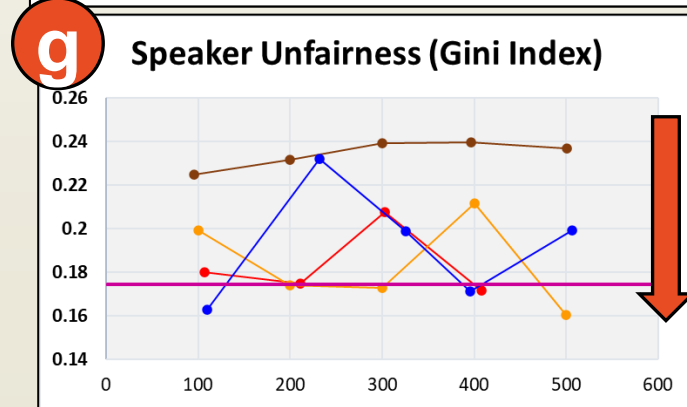
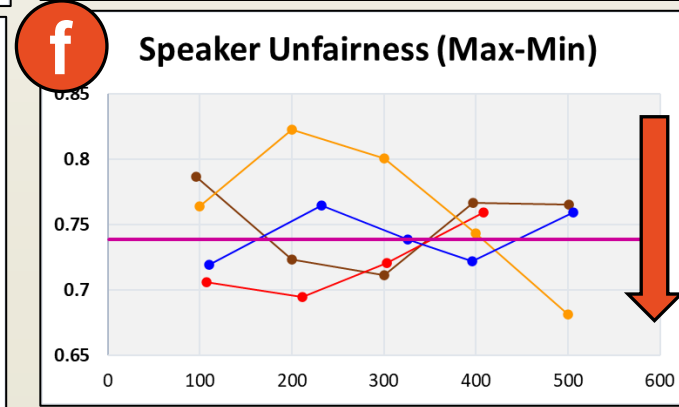
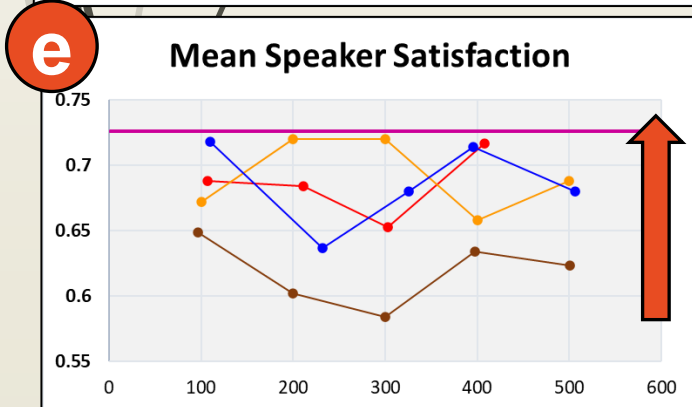
## 7 Evaluation Metrics:

- (a) Social Welfare
- (b-d) Participant-side
- (e-g) Speaker-side
- Tested on RecSys-2017 <sup>[8]</sup> data: 26 Talks, 48 Slots, 1112 Partcp.
- X-axis: #(clusters), Y-axis: metric value

 = Higher the better  
 = Lower the better



Participant-side Metrics



Speaker-side Metrics



# EPILOGUE & FURTHER PLANS TOWARDS COMPLETION

- Similarity metrics (Jaccard coeff., Cosine, tailored, etc.) affect cluster and scheduling performance?

Feature	Slot-1	Slot-2	Slot-3	Slot-4	...	Slot-N	Talk-1	Talk-2	Talk-3	Talk-4	...	Talk-M
Prcpnt-1												
Prcpnt-2												

Jaccard Coeff. if substantial slots match  
in a 24-hour time-span, else 0

+

Jaccard Coeff. for interest score for various  
research-tracks, taken together

- Try for even larger conferences like ICML (2200+ attendees), CVPR (9500+ attendees), etc.
- Compare how different similarity metrics and different thresholds (for sparsification) affect the same method's results.
- Try other clustering methods
- Think if any other LP-heuristics can improve overall computation time.



# Thank You!

26-Feb-2021

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