

# Assignment . 6

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Que  $A = [3, 2]$  base address is 1000 and width is 2 calculate the memory address of location  $A[1, 1]$  using (CMO)

$$\begin{aligned} 1) \text{ Loc}(A[1, 1]) &= 1000 + 2[3 \times (1 - 0) + (1 - 0)] \\ &= 1000 + 2[3 \times 1 + 1] \\ &= 1000 + 2[3 + 1] \\ &= 1000 + 8 \\ &= 1008 \end{aligned}$$

$$\begin{aligned} 2) \text{ Loc}(A[2, 0]) &= 1000 + 2[3 \times (2 - 0) + (0 - 0)] \\ &= 1000 + 2[3 \times 2 + 0] \\ &= 1000 + 2[6 + 0] \\ &= 1000 + 12 \\ &= 1012 \end{aligned}$$

Que  $A = [-2 \dots 2, 3 \dots 7]$  of element the starting location is 2000. Each element occupies two memory cell. Calculate the location of  $A[0, 5]$  using (CMO).



$$\begin{aligned}
 1) \text{ Loc}(A = [-1, 4]) &= 2000 + 2[5 \times (4-3) + (-1-(-2))] \\
 &= 2000 + 2[5 \times (1) + (1)] \\
 &= 2000 + 2[5 + 1] \\
 &= 2000 + 12 \\
 &= 2012
 \end{aligned}$$

$$\begin{aligned}
 2) \text{ Loc}(A = [2, 6]) &= 2000 + 2[5 \times (6-3) + (2-(-2))] \\
 &= 2000 + 2[5 \times (3) + (4)] \\
 &= 2000 + 2[15 + 4] \\
 &= 2000 + 2[19] \\
 &= 2000 + 38 \\
 &= 2038
 \end{aligned}$$

$$\begin{aligned}
 3) \text{ Loc}(A = [0, 6]) &= 2000 + 2[5 \times (6-3) + (0-(-2))] \\
 &= 2000 + 2[5 \times (3) + (2)] \\
 &= 2000 + 2[15 + 2] \\
 &= 2000 + 2[17] \\
 &= 2000 + 34 \\
 &= 2034
 \end{aligned}$$

multistack write a algorithm for  
2 stack push, pop, & traverse  
function

Step 1  $\rightarrow$  global declaration stacks  
# define size 10  
stack[size];  
top1 = -1, top2 = stack size.

Step 2  $\rightarrow$  overflow & push element

```
if (Stack[top1] != Stack[top2])  
{ Stack[top1] = insert element  
  top1++;  
  Stack[top2] = insert element  
  top2--;  
  exit; }
```

```
else {  
  print("Stack one or two is overflow")  
}
```

Step 3  $\rightarrow$  underflow or pop element

```
if (Stack[top1] < 0)  
{ print("Stack is underflow") }  
else {  
  Stack[top1] = delete  
  Stack[top2] = top - 1; // assign  
}
```



```

if (Stack[top2] > Stack[max size - 1])
{ print("stack is underflow")}
else {
    Stack[top2] = delete;
    Stack → top2 = Top2 + 1; // assign
    exit;
}

```

Step 4 → traverse

```

if (Top1 == -1 or Top2 > Stack -
    [max size - 1]) {
    print("Stack is under flow")
} else {
    for (i = 0; i < Top2; i++) {
        print("Traverse stack(1)" Stack[i])
    }
    for (i = Top1 + 1; i < Stack of max size; i++)
        print("Traverse stack(2)" Stack[i]);
    exit;
}

```