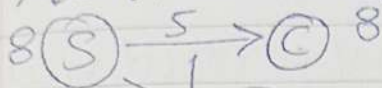


Q.1)  
(a) A\*

It works on a formula of calculating actual cost plus heuristic value (h(n))

Now,  $[f(n) = g(n) + h(n)]$

Aim: to reach from S to G1 hence,



$f(A) = 3 + 2 = 5$



$f(B) = 1 + 1 = 2$

$f(C) = 8 + 5 = 13$

Not check cuz found 'G' as one of the potential ans

Now,  $f(B)$  looks least cost hence we will go that way,



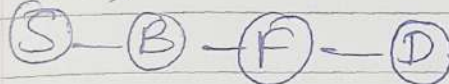
$f(F) = 1 + 2 + 3 = 6$



$f(D) = 1 + 4 + 4 = 9$

(Never check again)

hence,



$f(D) = 4 + 4 = 8$

now,



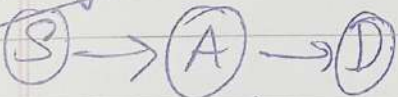
$f(E) = 1 + 2 + 1 + 2 + 1 = 7$

now,

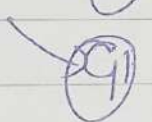
S (5)  $\rightarrow$  B (1)  $\rightarrow$  F (3)  $\rightarrow$  D (4)  $\rightarrow$  E (2)  $\rightarrow$  G1 (2) =  $1 + 2 + 1 + 2 + 2 = 8$

But  $f(A) = 5$  { we might can have a better option, we have check over there too!! }

let's try



$f(D) = 3 + 4 + 4 = 11$  x rejected



$f(G1) = 3 + 10 = 13$  x rejected

hence, according to A\*

S  $\rightarrow$  B  $\rightarrow$  F  $\rightarrow$  D  $\rightarrow$  E  $\rightarrow$  G1 Total cost = 8

$\downarrow$   
This is 'B'

## (B) Uniform cost Search

- Insert the root node into the priority queue
- Remove the element with highest priority
- If the removed node is the goal node
- print total cost and stop the algo
- Else
- Enqueue all the children of the current node to the priority queue, with their cumulative cost from the root as priority and the current node to the visited list

(S  
8)

Let the priority  $\nearrow$  queue be PQ

PQ: ~~S(0)~~

PQ: ~~B(1)~~ A(3) C(5)

PQ: ~~A(3)~~ F(3) E(5) D(5)

PQ: ~~F(3)~~ C(5) D(5) D(7) G<sub>1</sub>(13)

PQ: ~~D(4)~~ C(5) D(5) D(7) G<sub>1</sub>(13)

PQ: ~~C(5)~~ D(5) E(6) D(7) G<sub>1</sub>(13)

PQ: ~~E(6)~~ D(7) ~~D(7)~~ G<sub>1</sub>(13)

PQ: ~~D(7)~~ E(7) G<sub>1</sub>(8) G<sub>1</sub>(13)

PQ: ~~E(7)~~ G<sub>1</sub>(8) E(9) G<sub>1</sub>(13)

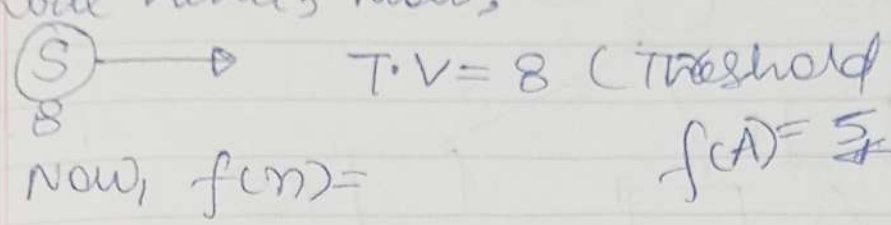
PQ: ~~G<sub>1</sub>(8)~~ G<sub>1</sub>(9) E(9) G<sub>1</sub>(13)

found the goal hence cost is 8 and path is  
S  $\rightarrow$  B  $\rightarrow$  F  $\rightarrow$  D  $\rightarrow$  E  $\rightarrow$  G<sub>1</sub>

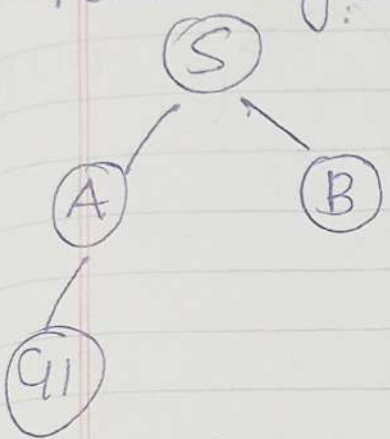


# (c) Iterative deepening A\*

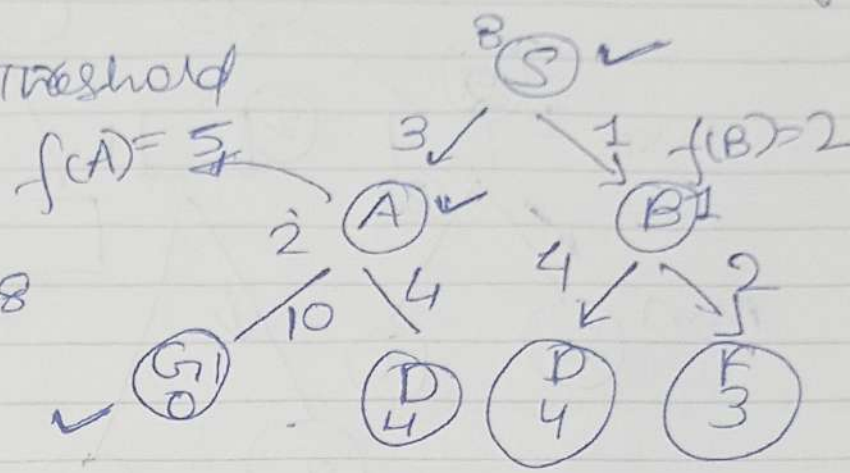
Threshold value initially be the heuristic value of starting node here, Now,



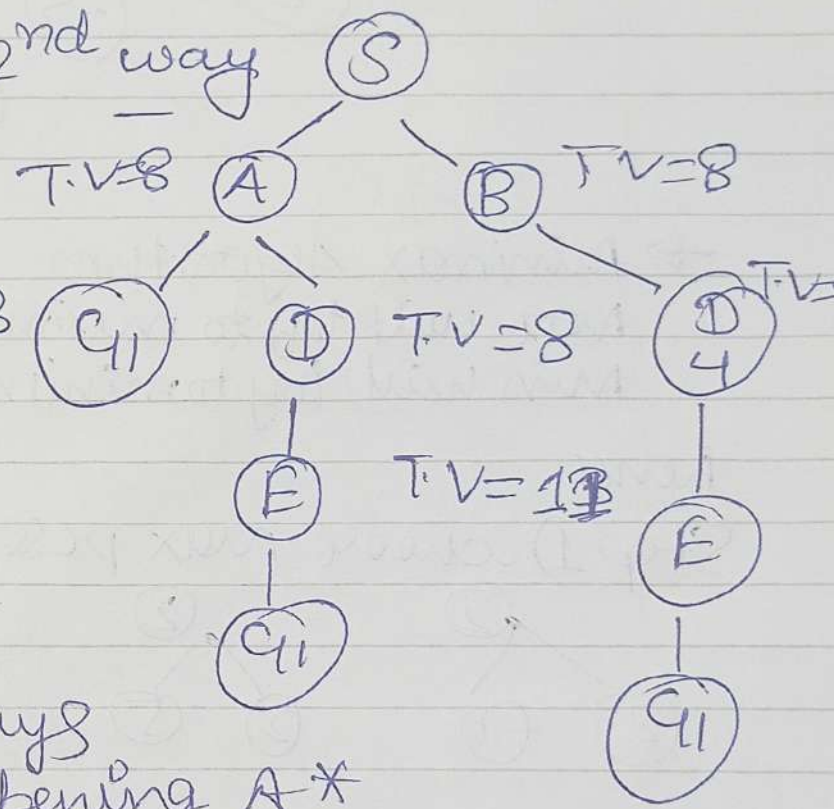
hence by threshold = 8



reached the goal.



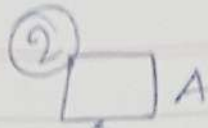
by 2nd way



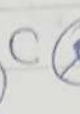
hence there are three ways in which iterative deepening A\* can reach up to goal with Threshold values: 8, 9, 11

Q-2)

MAX



PART C) Min



max



min

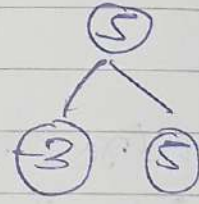
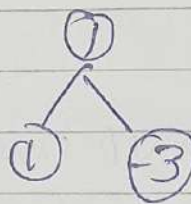
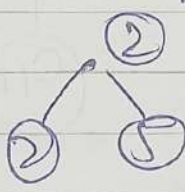
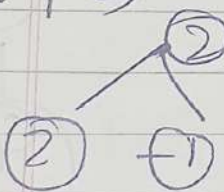


→ Minimax Algorithm

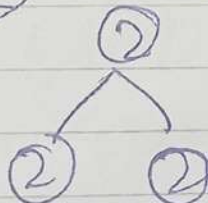
Max will try to maximize its possibility of winning  
min will try to minimize ~~the~~ <sup>others</sup> possibility of winning

hence

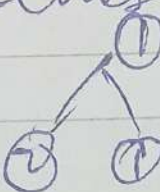
Step 1) choose max possible from root value node



Step 2) choose min possible then

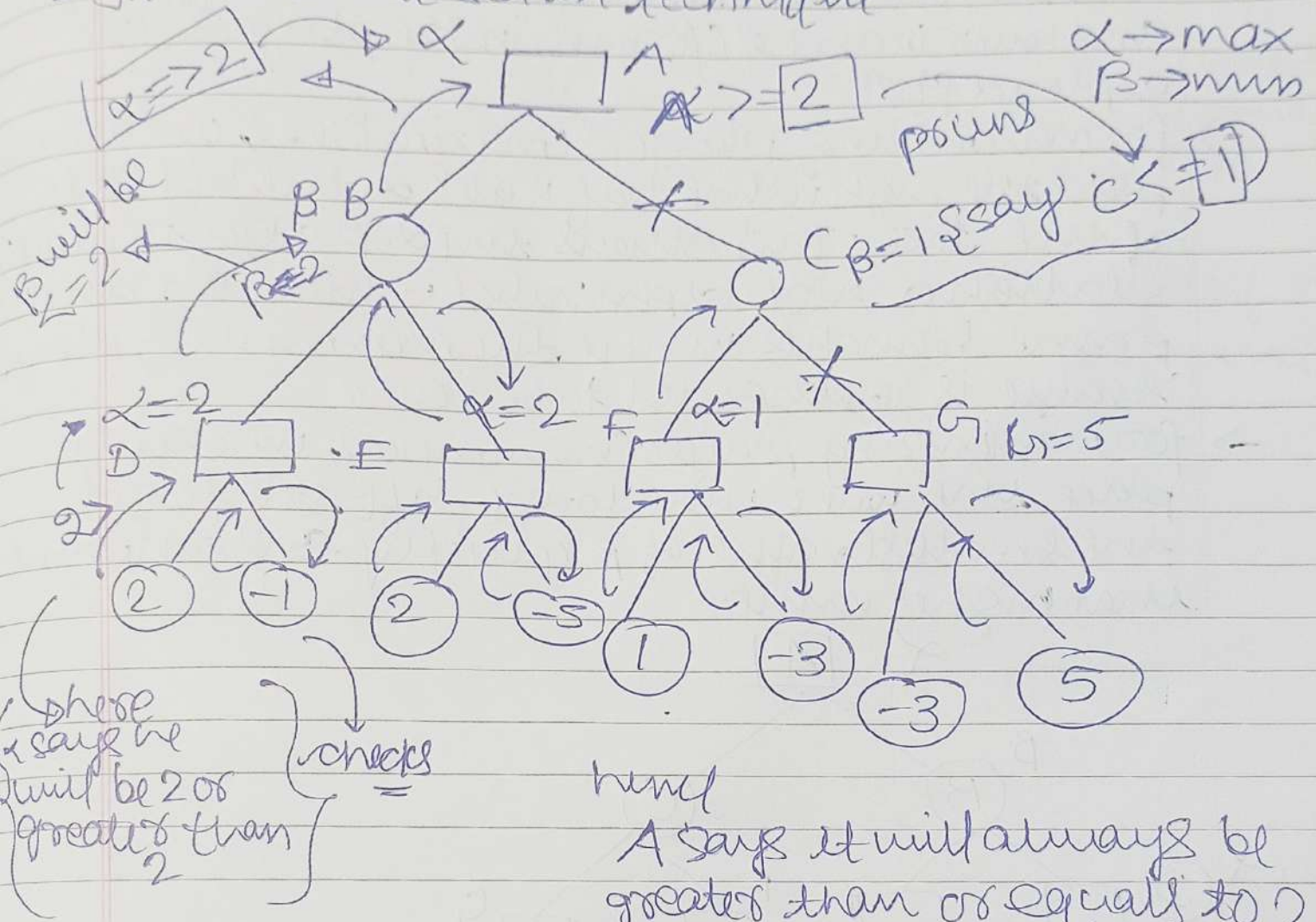


Step 3) choose max hence,





- Solving it via alpha-beta pruning ( $\alpha$ - $\beta$ )
- Search it as  $\alpha$  be always max and  $\beta$  be always min
  - It is faster than max-min algo.
  - It is faster because it doesn't go through unnecessarily paths.
  - It's a smart search technique.



hence  
A says it will always be greater than or equals to 2 and C says it will always be less than or equals to 1 hence it will prune branch A \* C because it won't get anything greater than 2.

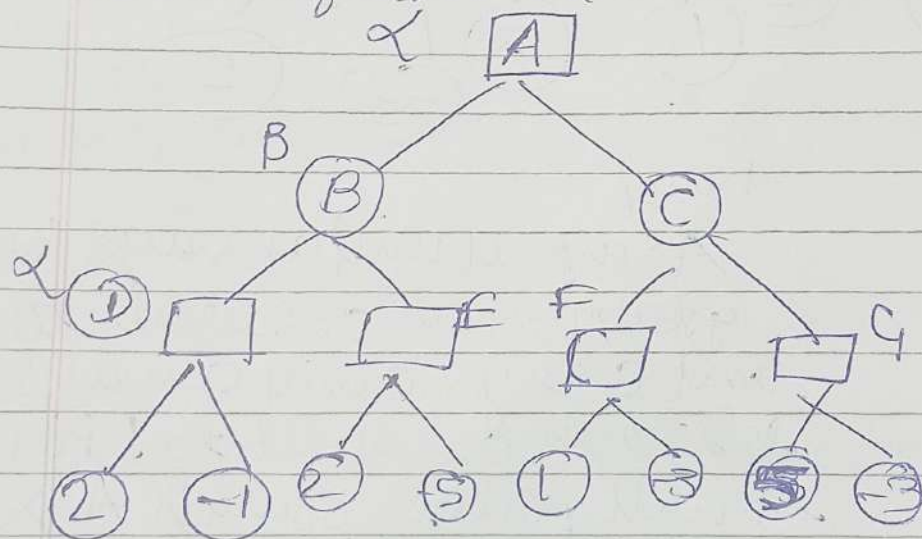


## Part (B)

(a) In the best case scenario for alpha-beta pruning you want to maximize the number of pruned nodes. To do this rearrange the nodes such that the pruning happens as early as possible i.e. highest value branches (for maximizing players) and lowest branches (for minimizing players) are explored first.

→ for maximizing players (maximizers), we should place the high value leaf nodes on the left side of the tree. This allows the  $\alpha$ - $\beta$  algo to quickly establish a high  $\alpha$  value which can then prune branches where the maximizing player's value is guaranteed to be lower.

→ for minimizing players (minimizers), we should place the low value to the left side to get the smallest value of  $\beta$  quickly, and can prune that higher value.



highest value on the left side

Justification:- By prioritizing branches that will make the  $\alpha$  or  $\beta$  bound tightly early you force the algo to prune more branches before they are fully explored reducing no. of nodes evaluation.

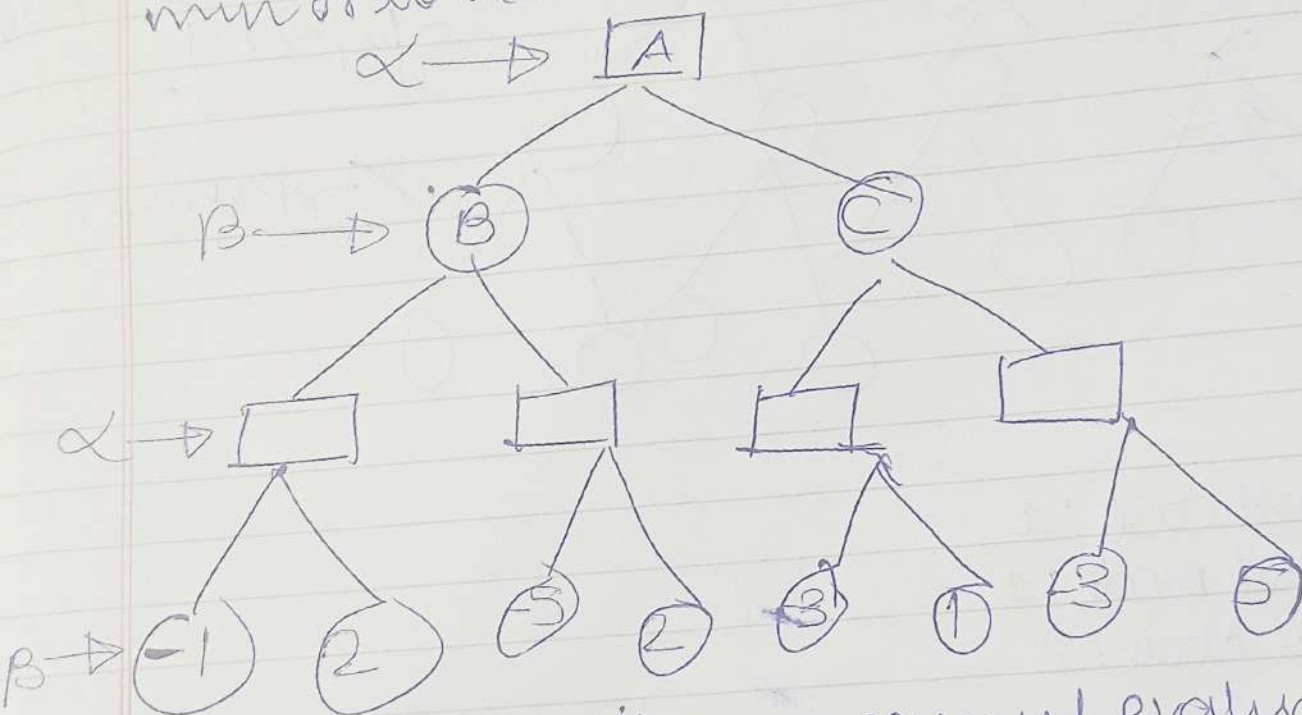


## 6) worst case

In the worst case, the pruning will be minimized hence if we are not pruning here it will force only (max. min) where we are exploring almost every node so for getting worst case to the following

maximized player: place the value of leaf nodes such that max values are on right and min or lower values are left side to that he has to explore other branch too

minimized player: place the value of leaf nodes as such that max values are at the left and min or lower values at the right



Justification: - In this arrangement evaluation the algo will not be able to prune as many branches because it will take longer to find a better branch leading to exploration of more unnecessary branches.

