

# EE5609: Matrix Theory

## Assignment-3

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**Abstract**—This document contains a problem based on properties of triangle.

Download the python codes from

[https://github.com/sahilsin/MatrixTheory/tree/master/Assignment3\\_1/codes](https://github.com/sahilsin/MatrixTheory/tree/master/Assignment3_1/codes)

and latex-tikz codes from

[https://github.com/sahilsin/MatrixTheory/tree/master/Assignment3\\_1/figs](https://github.com/sahilsin/MatrixTheory/tree/master/Assignment3_1/figs)

### 1 PROBLEM

In triangle PQR,  $PR > PQ$  and PS bisects  $\angle QPR$ . Prove that  $\angle PSR > \angle PSQ$ .

### 2 SOLUTION

**Given:**  $PR > PQ$  and  $\angle QPS = \angle RPS$

**To Prove:**  $\angle PSR = \angle PSQ$

**Proof:**

As PS bisects  $\angle QPR$

$$\angle QPS = \angle RPS \quad (2.0.1)$$

Using property angle opposite to larger side is always larger.

$$\angle PQR > \angle PRQ \quad (2.0.2)$$

Using property of sum of exterior angle is equal to sum of opposite interior angles.

$$\angle PSR = \angle PQR + \angle QPS \quad (2.0.3)$$

$$\angle PSQ = \angle RPS + \angle PRQ \quad (2.0.4)$$

Adding 2.0.1 and 2.0.2 and using above properties we get :

$$\angle PQR + \angle QPS > \angle PRQ + \angle RPS \quad (2.0.5)$$

$$\angle PSR > \angle PSQ \quad (2.0.6)$$

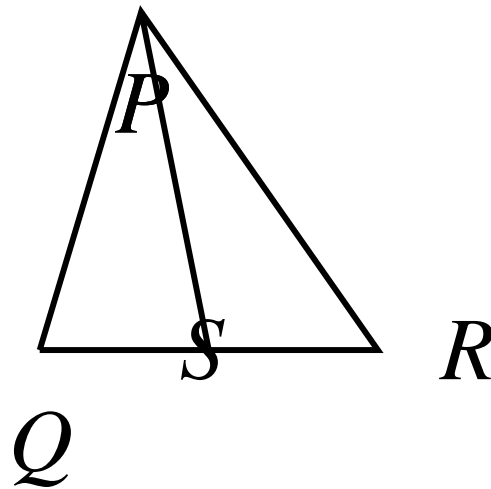


Fig. 0: Right Angled Triangle