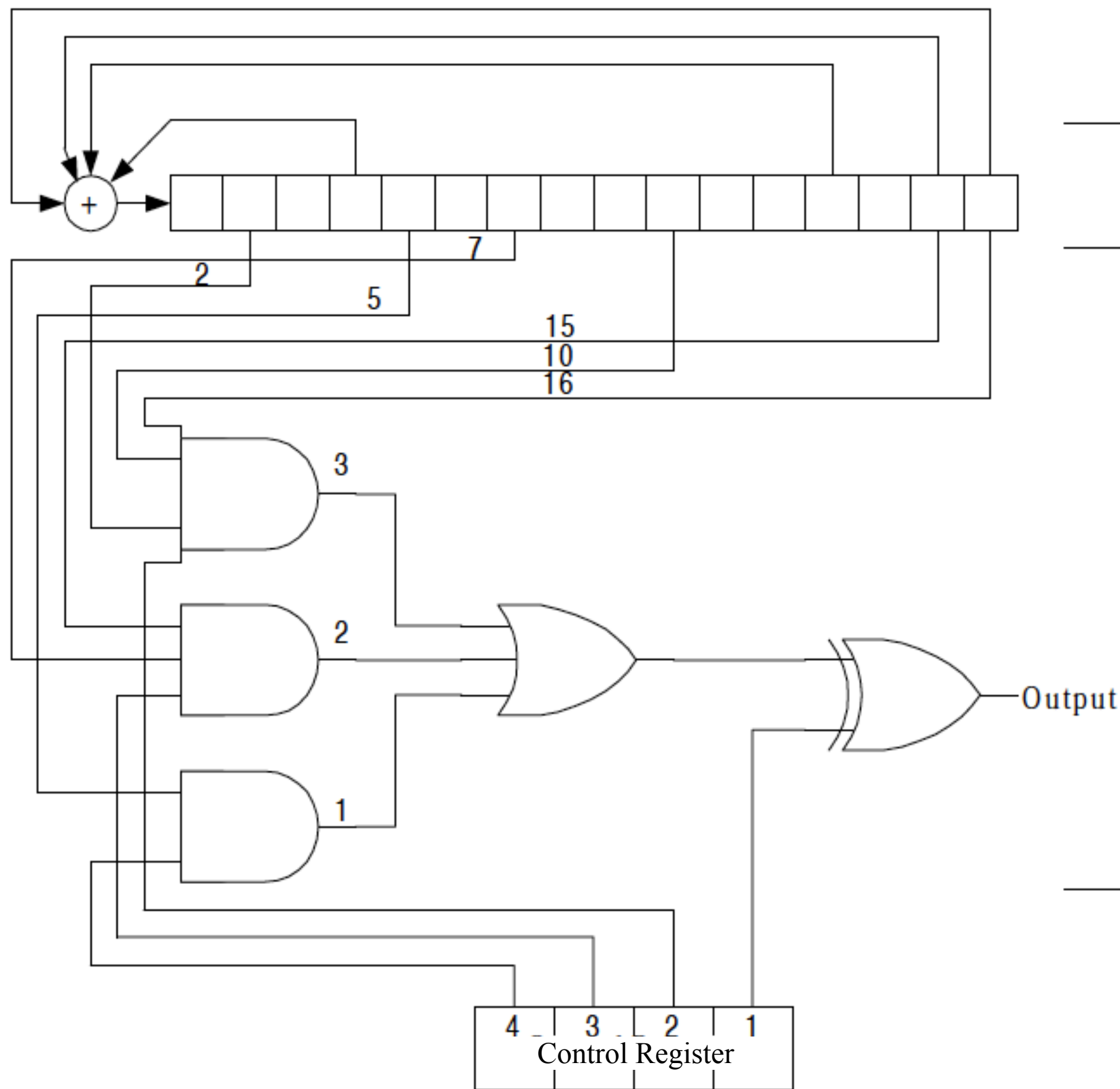
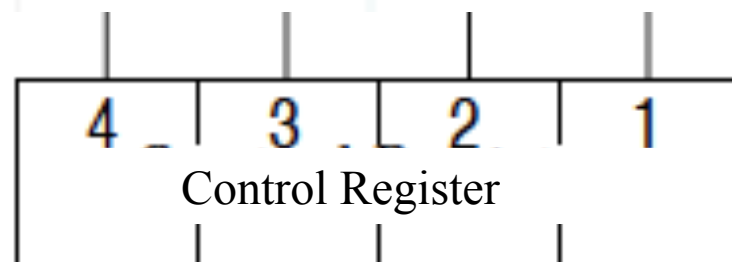


HW 02-1 Weighted Random Pattern Generation

- Complete the RHS table of the following table and explain how the signal probabilities are derived for all control register states.



Control Register State	Approximate Signal Probability
1000	.5
0100	.25
0010	.125
0101	.75
0011	.875
1100	.625
1010	.5625
0110	.3437
.	
.	
.	

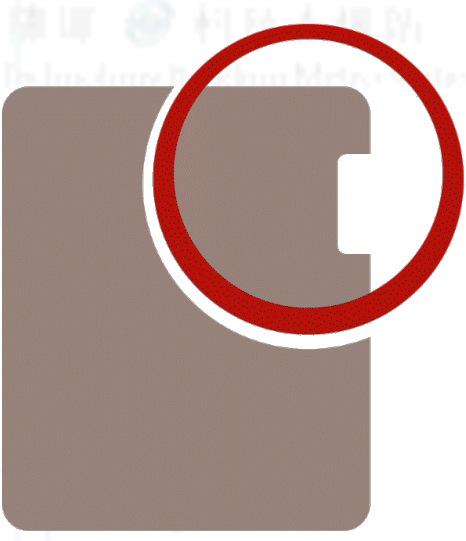


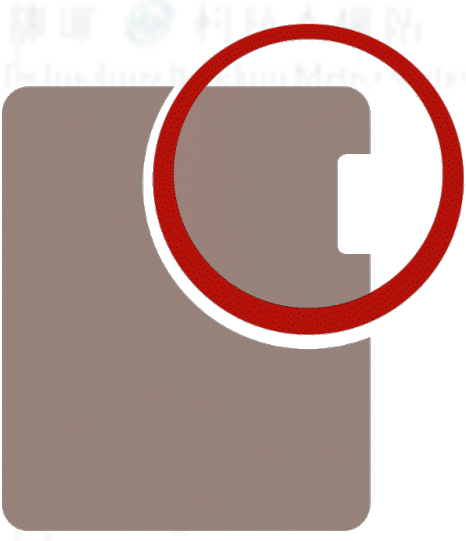
state	prob. 1	
1234		
0000	0	
0001	0.5	1/2
0010	0.25	1/4
0011	0.625	$1 - (3/4 * 1/2)$
0100	0.125	1/8
0101	0.5625	$1 - (7/8 * 1/2)$
0110	0.34375	$1 - (7/8 * 3/4)$
0111	0.671875	$1 - (7/8 * 3/4 * 1/2)$
1000	1	
1001	0.5	$1 - 1/2$
1010	0.75	$1 - 1/4$
1011	0.375	$3/4 * 1/2$
1100	0.875	$1 - 1/8$
1101	0.4375	$7/8 * 1/2$
1110	0.65625	$7/8 * 3/4$
1111	0.328125	

state	prob. 1	
4321		
0000	0	
0001	1	
0010	0.125	1/8
0011	0.875	$1 - 1/8$
0100	0.25	1/4
0101	0.75	$1 - 1/4$
0110	0.34375	$1 - (7/8 * 3/4)$
0111	0.65625	$7/8 * 3/4$
1000	0.5	1/2
1001	0.5	$1 - 1/2$
1010	0.5625	$1 - (7/8 * 1/2)$
1011	0.4375	$7/8 * 1/2$
1100	0.625	$1 - (3/4 * 1/2)$
1101	0.375	$3/4 * 1/2$
1110	0.671875	$1 - (7/8 * 3/4 * 1/2)$
1111	0.328125	

HW 02-2 Aliasing Probability

- Derive the aliasing probabilities of SISR and MISR.





- Solution for SISR:

- Assume (1) an n -bit SISR and an L -bit sequence, and (2) the 2^L patterns are uniformly mapped to the 2^n possible signatures.
- The number of faulty patterns is $2^L - 1$.
- The number of patterns mapped to the good signature is $2^L \cdot \frac{1}{2^n} = 2^{L-n}$, out of which one is the fault-free pattern.
- Aliasing probability = $\frac{2^{L-n} - 1}{2^L - 1} \approx 2^{-n}$ if $L \gg n$.



- Solution for MISR:

- Assume (1) an n -bit MISR and m L -bit sequences, and (2) the 2^{mL} patterns are uniformly mapped to the 2^n possible signatures.
- The number of faulty patterns is $2^{mL} - 1$.
- The number of patterns mapped to the good signature is $2^{mL} \cdot \frac{1}{2^n} = 2^{mL-n}$, out of which one is the fault-free pattern.
- Aliasing probability = $\frac{2^{mL-n} - 1}{2^{mL} - 1} \approx 2^{-n}$ if $L \gg n$.