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Accelerating Distributed ML Training via Selective Synchronization

Sahil Tyagi and Martin Swany

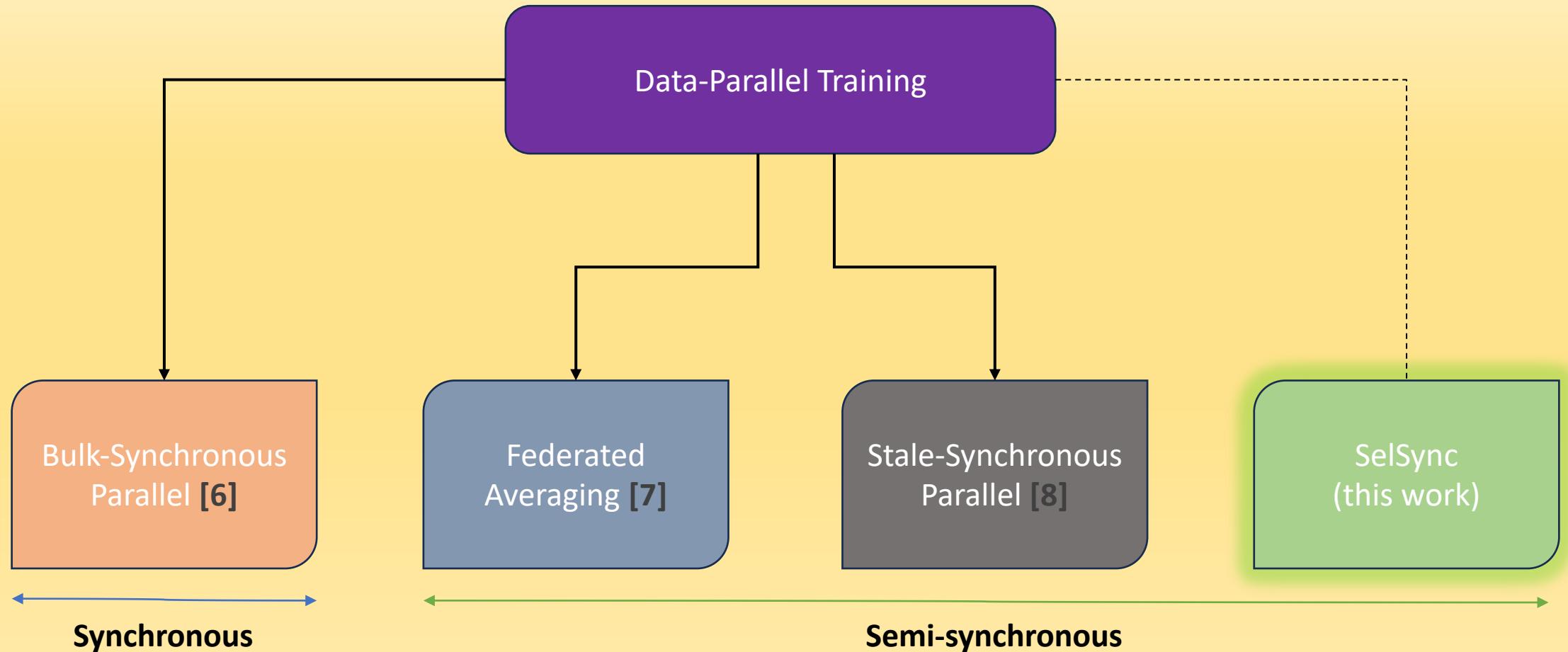
Why is Distributed ML Training important?

- Exponentially growing size of neural networks in recent years
 - **2020**: BART (140 million), Turing-NLG (17 billion)
 - **2021**: ViT (630 million), DALL-E (12 billion)
 - **2022**: Stable Diffusion (890 million), GPT-3.5 (1.3-175 billion)
 - **2023**: GPT-4 (1.8 trillion)
- Massive repositories of potential training data
- Maintain Data Privacy and security (federated learning)
- Reduce training time and cost/energy of running jobs in the cloud/data-center

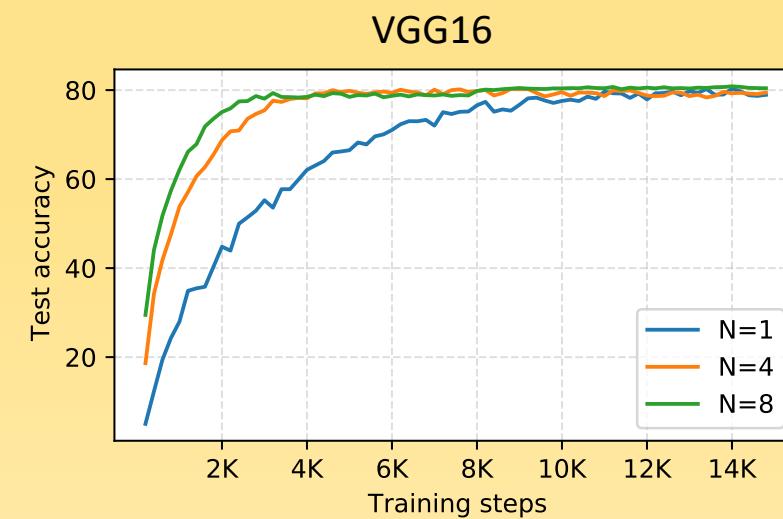
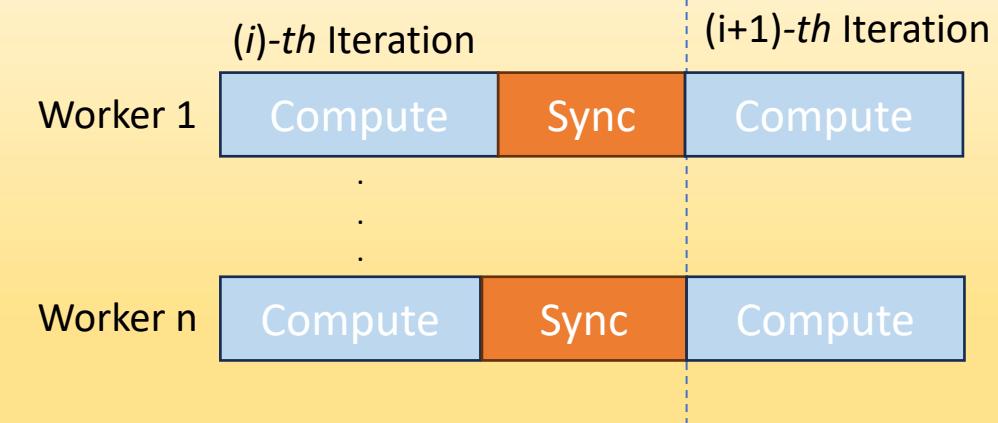
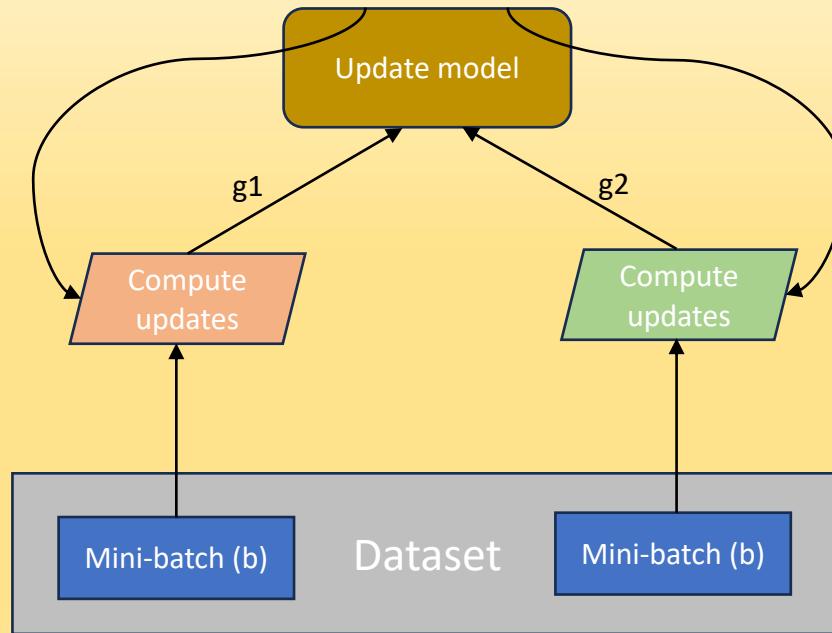
# Params	Params-size (MB)
1e6	4
1e7	40
1e8	400
1e9	4000



Current Approaches in Distributed Data-Parallel Training



Background: Synchronous Data-Parallel (BSP) Training



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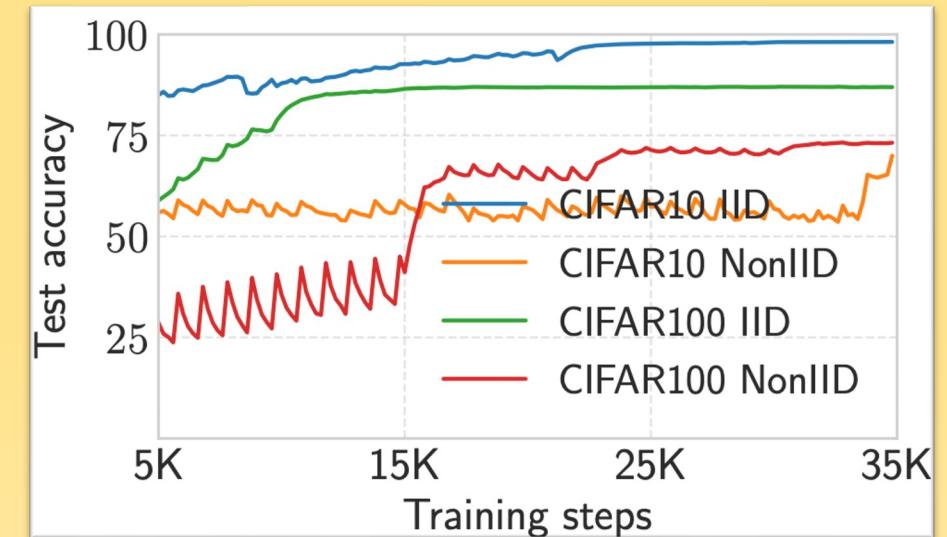


Background: Federated Averaging

- Federated learning crucial for on-device, data-local training
- **FedAvg [7]** is a low-frequency, high-volume federated learning approach in settings with balanced and unbalanced data distributions
- Updates from fraction of clients (C) aggregated infrequently (E) on a central server. for e.g., $(C, E) = (0.5, 0.25)$

Data distribution significantly affects model convergence!

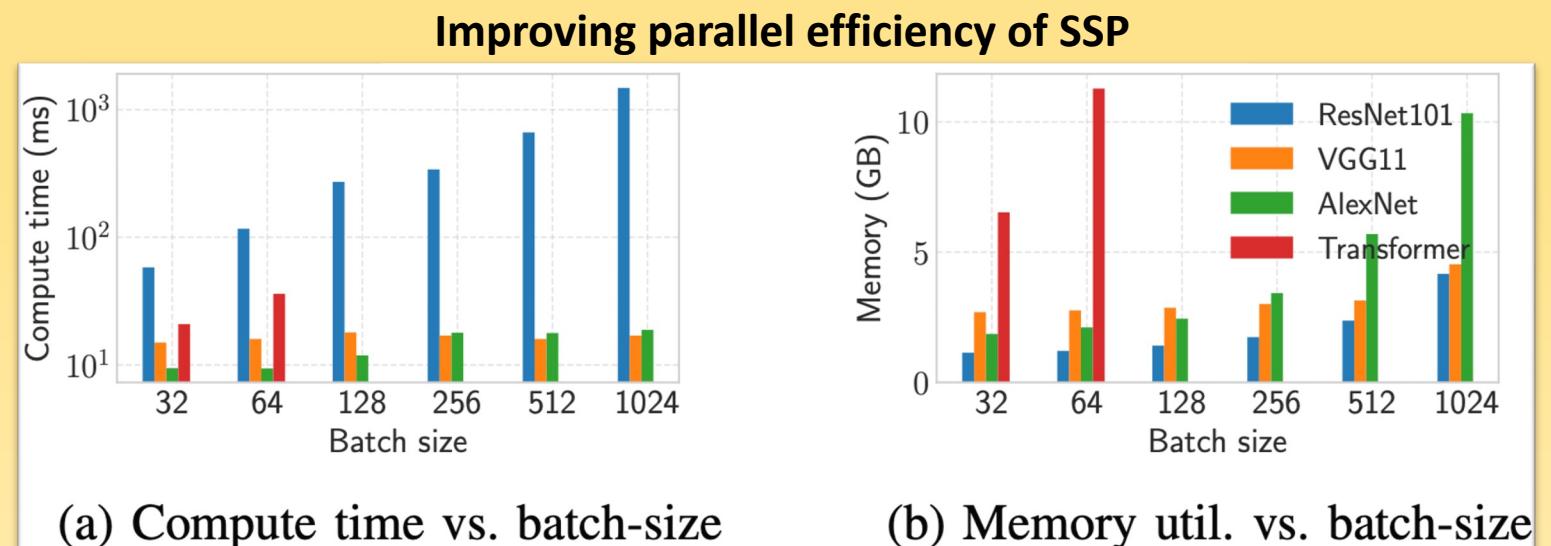
FedAvg: ResNet101 on CIFAR10 and VGG11 on CIFAR100 with (1, 0.1)



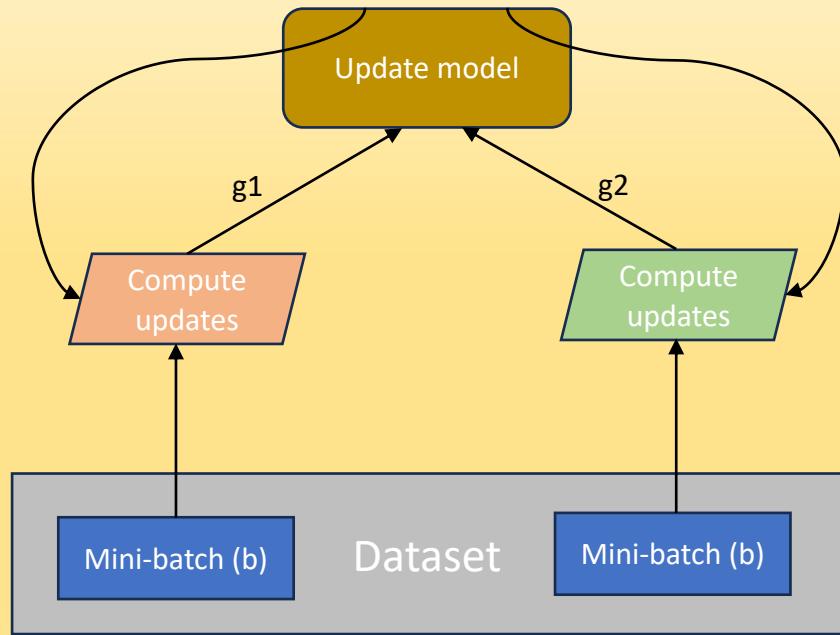
Background: Stale-Synchronous Parallel Training

- SSP [8] allows workers to asynchronously send updates to central server
- Asynchronicity is however conditional; determined by *staleness-threshold* parameter ‘s’
- Parallel scaling can be improved by performing more work per-iteration (using larger batch-sizes)

Thus, there are computational limits to how much we can scale SSP proportional to BSP



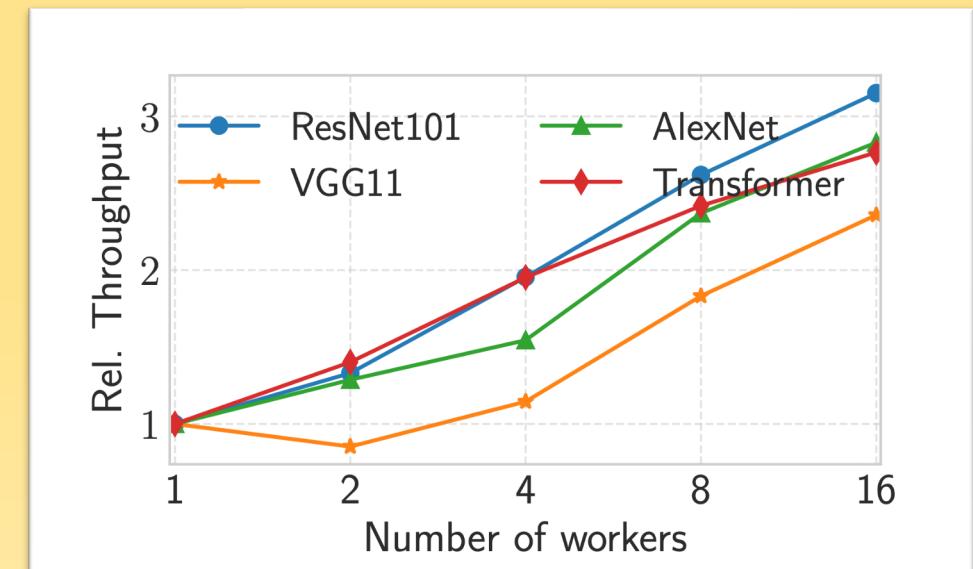
Parallel Efficiency in Distributed Training



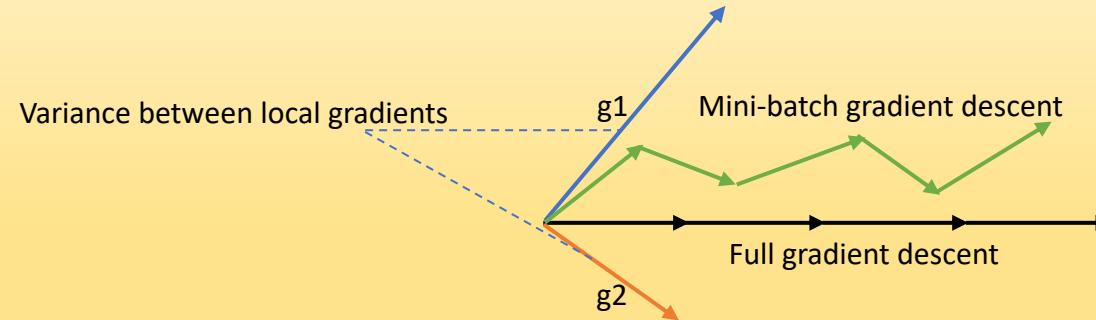
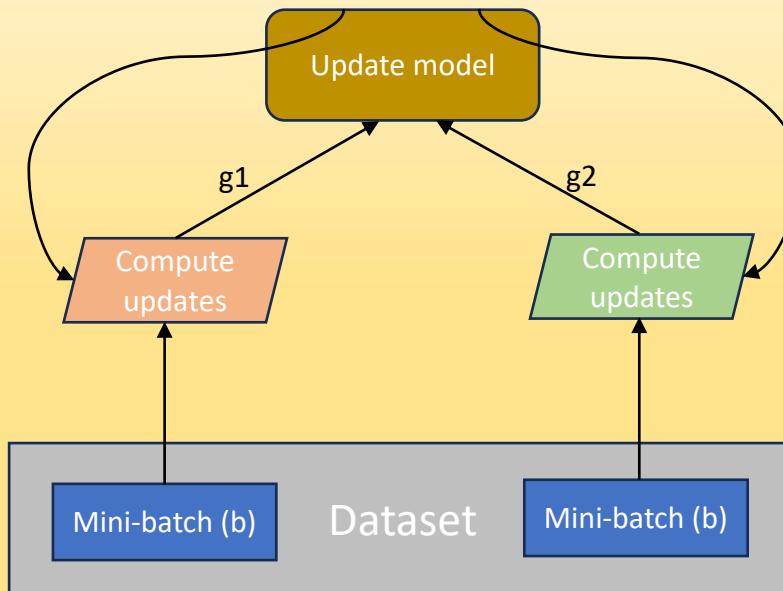
Iteration/Step-time comprised of:

$$t_{step} = t_{compute} + t_{sync} + t_{IO}$$

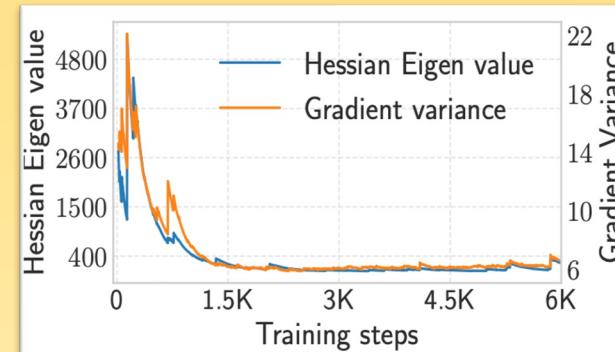
Synchronization cost prevents linear scaling of distributed training jobs and slows convergence [1, 2]



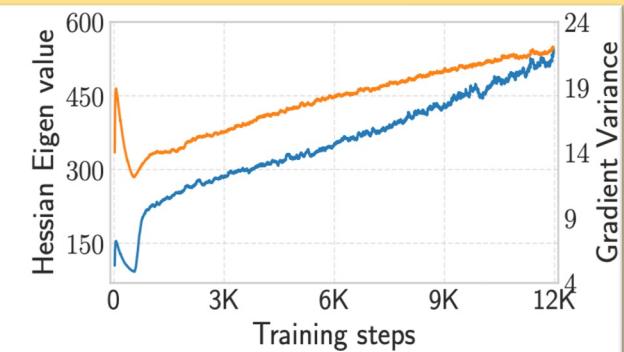
Statistical Efficiency in Distributed Training



First-order information effectively approximates second-order gradients



(a) ResNet101



(b) VGG11



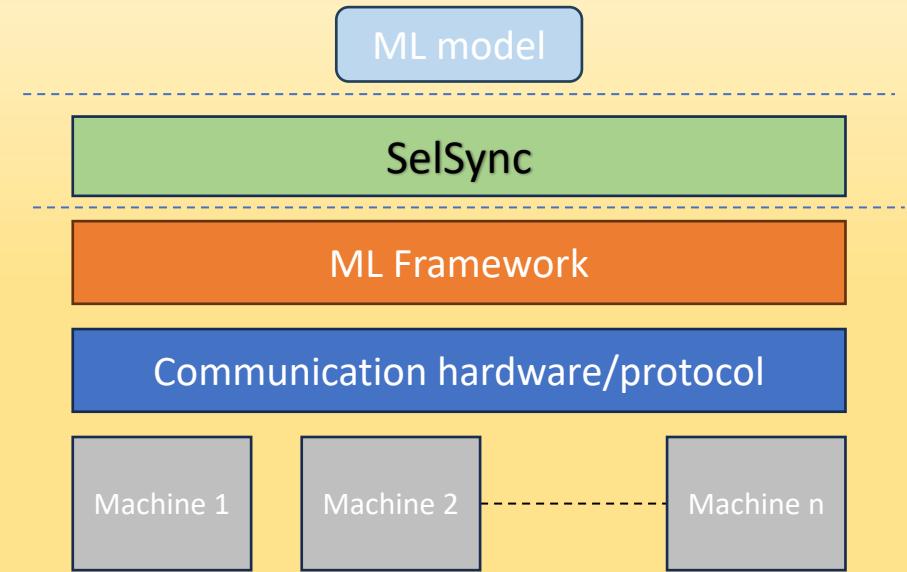
Summarizing prior methods

- DDP methods either maximize useful work by iterative aggregation of worker updates (BSP) or speedup training by reducing communication frequency (FedAvg) or loosening constraints on synchronization (SSP)
- Compared to BSP, semi-synchronous methods attain significant training speedup
- However, they primarily consider the parallel efficiency and *not* the statistical efficiency of distributed training
- **This reflects in the final model accuracy/eval metric of FedAvg and SSP under different (C, E) and staleness-threshold configurations!**



SelSync's approach

- Ideal approach should consider both the parallel and statistical efficiency in distributed training
- Improve *parallel efficiency* by reducing communication cost
- Improve *statistical efficiency* by identifying critical/sensitive sections of training phase followed by synchronization; gradients tend to be more volatile in these regions



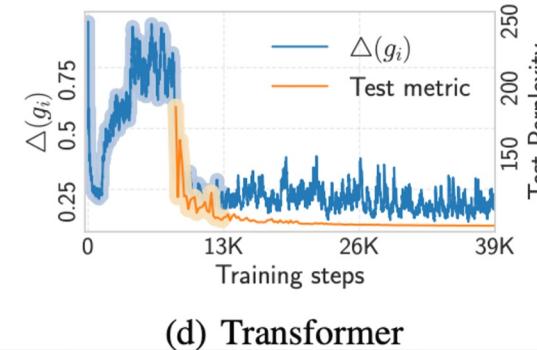
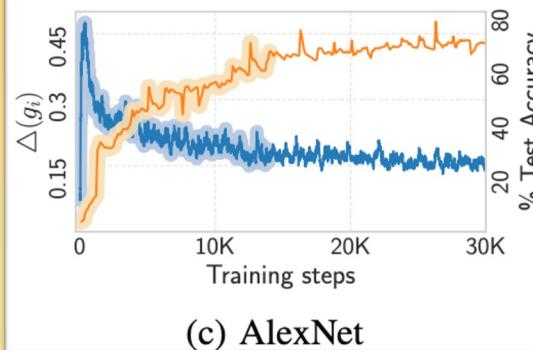
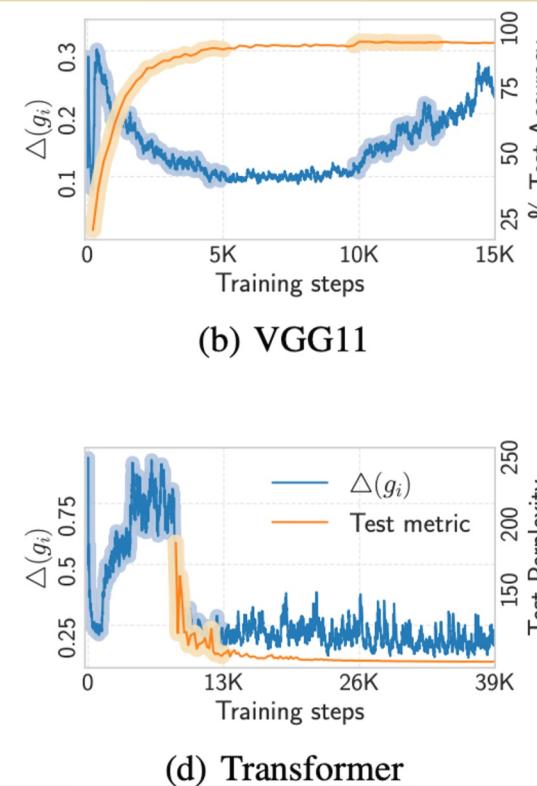
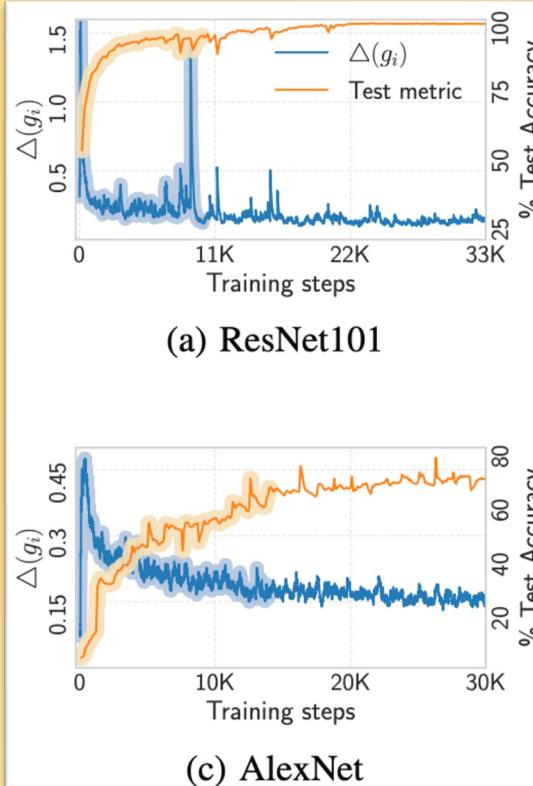
Can we communicate updates among workers only if they are critical/important and avoid expensive synchronization cost when they are not?

SelSync = {Sel}ective {Sync}hronization



SelSync's approach cont'd...

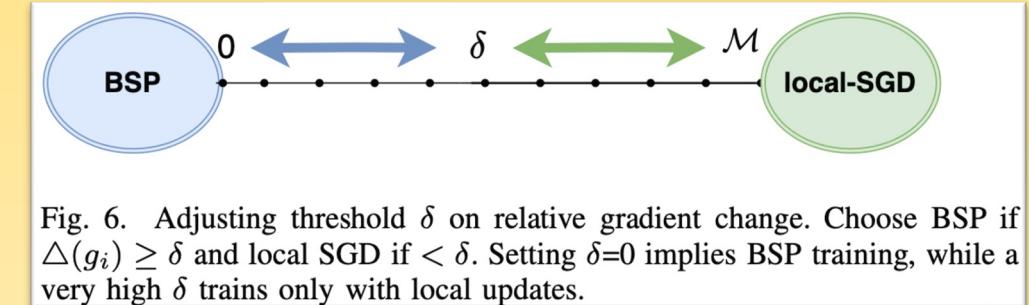
- First-order gradient information works as an effective heuristic to measure significance of model updates; ***measure changes in the variance of inter-iteration gradients***



We define ***Relative Gradient Change*** as:

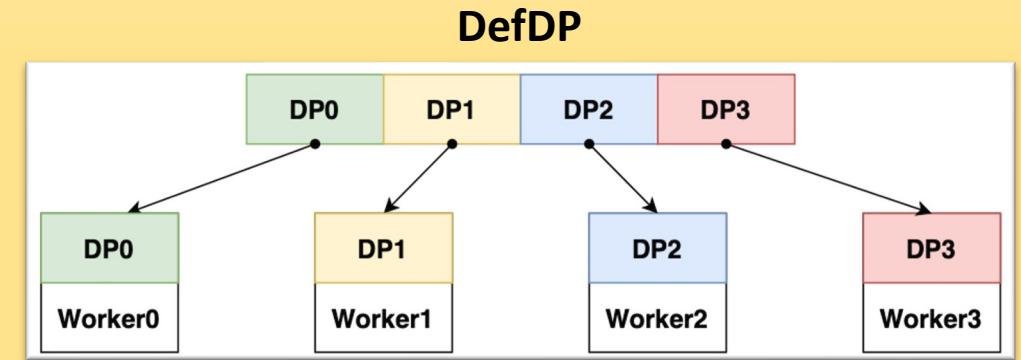
$$\Delta(g_i) = \left| \frac{\mathbb{E}[||\nabla \mathcal{F}_{(i)}||^2] - \mathbb{E}[||\nabla \mathcal{F}_{(i-1)}||^2]}{\mathbb{E}[||\nabla \mathcal{F}_{(i-1)}||^2]} \right|$$

Delta-based selective synchronization



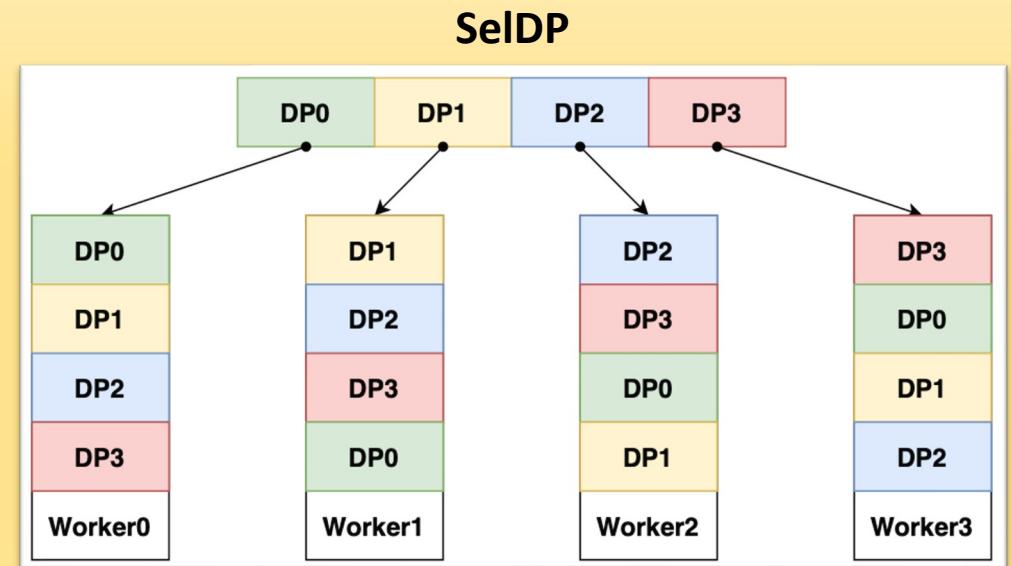
Data-partitioning in Synchronous Training

- In traditional BSP, split dataset D into N unique partitions across N workers
- Referred to as ***Default Data-Partitioning (DefDP)***
- Does not work well in context of semi-synchronous training
- Local models may fail to learn features from data partitions on other workers in settings with low communication and largely local training



Data-partitioning in Semi-Synchronous Training

- Partitioning scheme optimal for hybrid of local and synchronous updates
- Instead of partitioning into subset of unique chunks, shuffle chunks of D based on worker ID
- Referred as **SelSync Data-Partitioning (SelDP)**
- Local model replicas are thus not skewed from *mostly* local training
- During synchronization step, each worker update comes from a unique chunk



Data-partitioning in Semi-Synchronous Training cont'd...

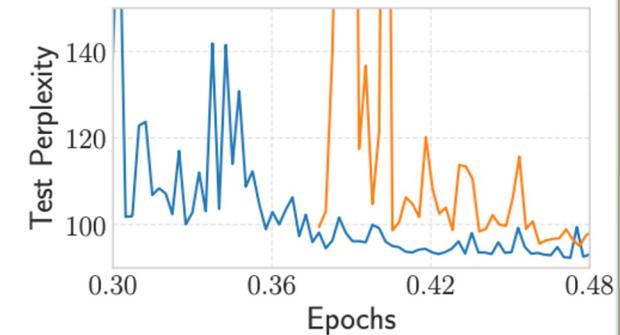
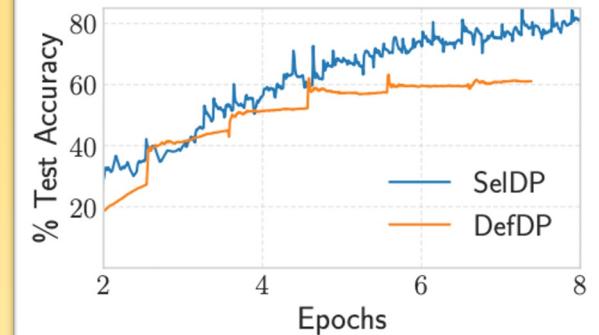
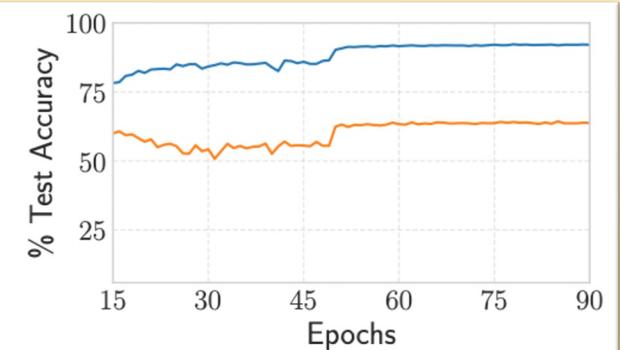
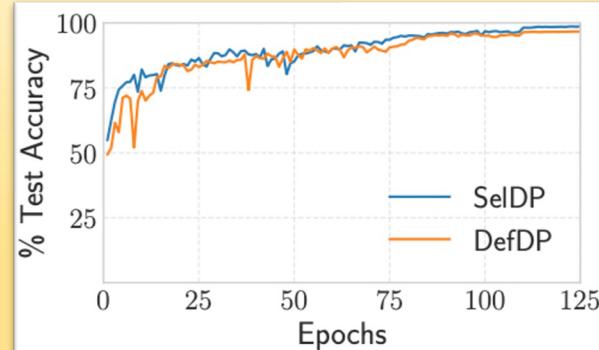
ResNet101 on CIFAR10

VGG11 on CIFAR100

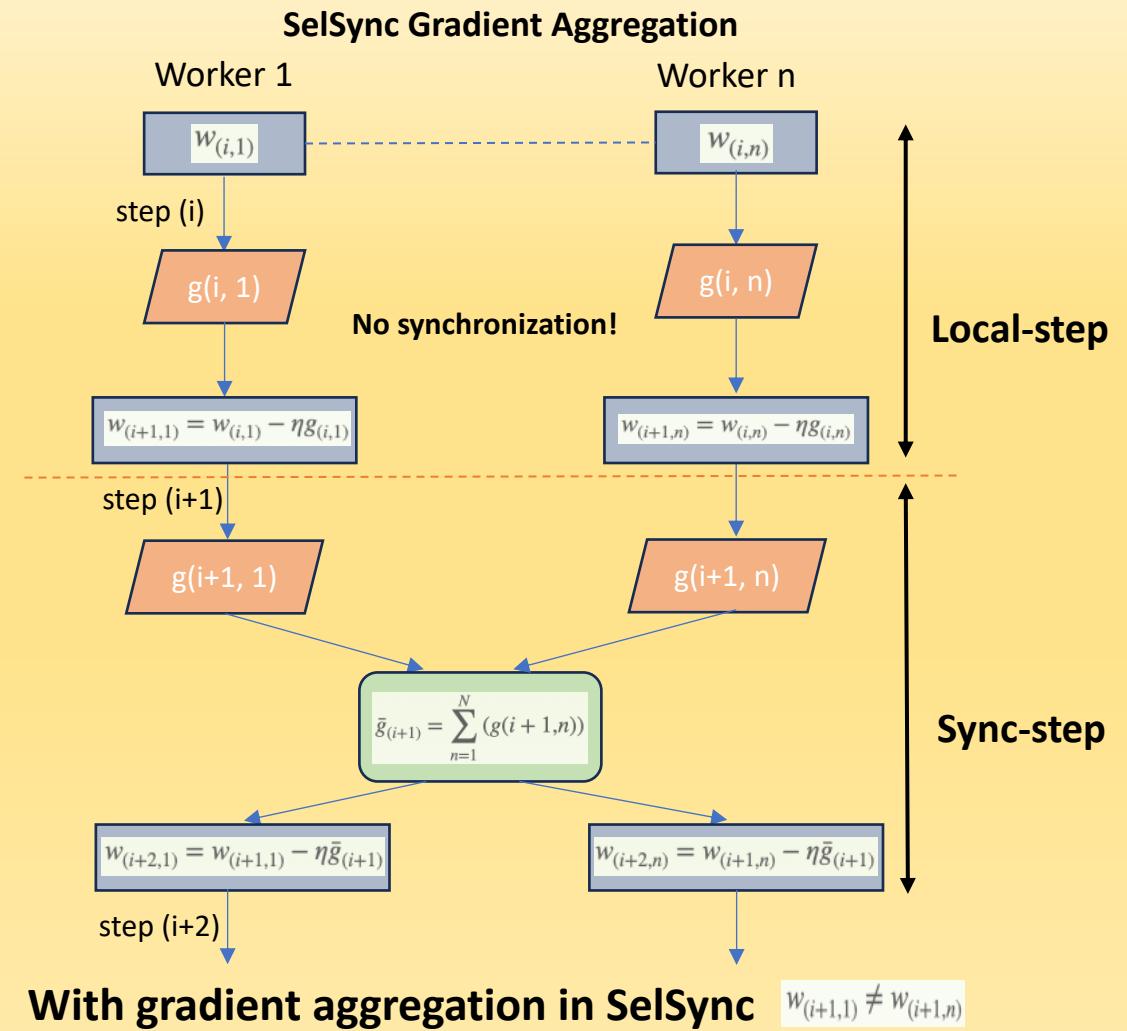
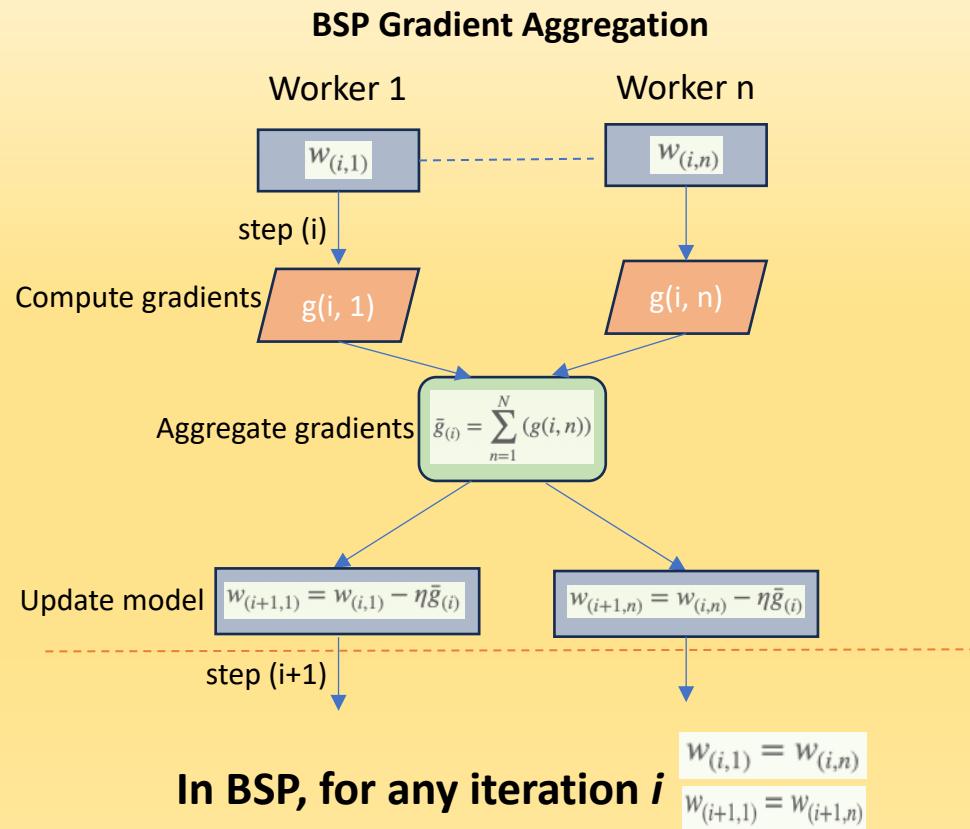
AlexNet on ImageNet-1K

Transformer on WikiText-103

Set delta to 0.25



Gradient vs. Parameter Aggregation in SelSync

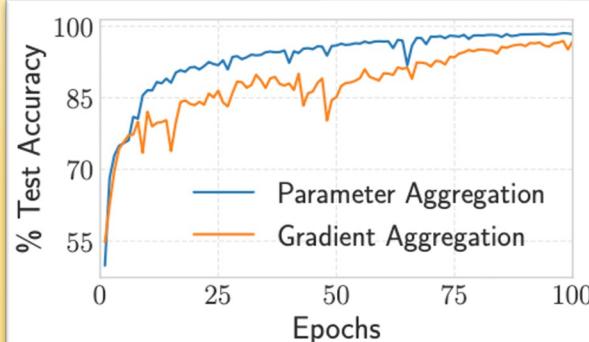


Assuming all workers start with the same model state

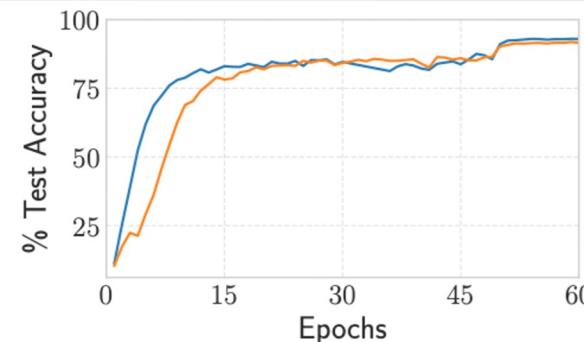


Gradient vs. Parameter Aggregation in SelSync

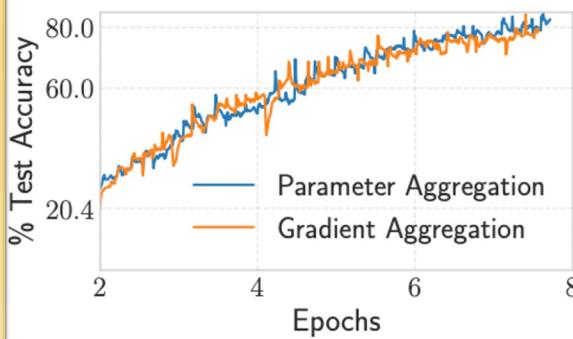
Set delta = 0.25 with SelDP scheme



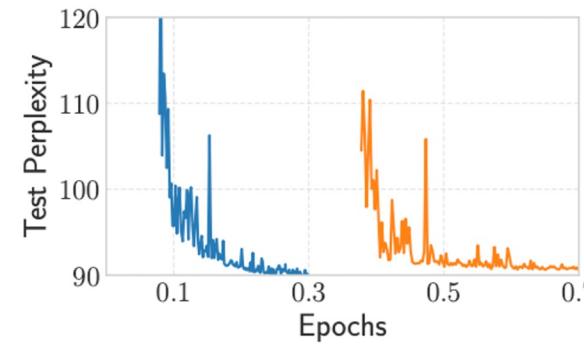
(a) ResNet101



(b) VGG11



(c) AlexNet



(d) Transformer

ResNet101



(a) Epoch 25



(b) Epoch 50

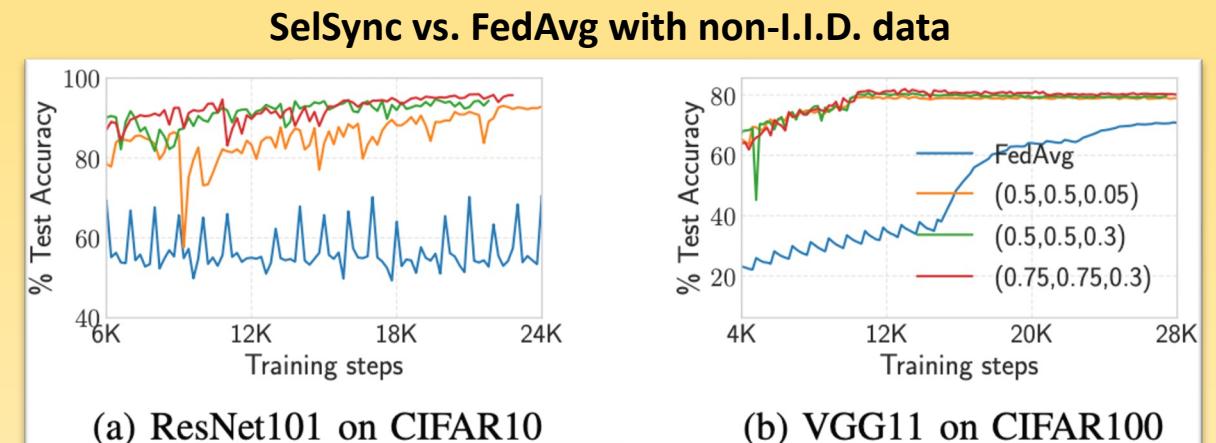


Training on unbalanced and Non-I.I.D. data

- Federated learning suffers from low convergence due to unbalanced and skewed data distribution
- *Randomized Data-injection* [9] improves distribution while preserving privacy
- Random subset of workers share partial training data at each iteration with (alpha, beta) params
- **However, batch-size is a sensitive hyperparameter that affects final model quality**

$$b' = \frac{b}{(1 + \alpha\beta N)}$$

Data-injection in SelSync needs (alpha, beta, delta) config



Implementation and Evaluation

Algorithm 1: {Sel}ective {Sync}hronization

```
1 Input: learning rate  $\eta$ , gradient change threshold  $\delta$ ,  
    cluster-size  $N$ , training data  $\mathcal{D}_n$  on worker with id  $n$   
2 procedure train():  
3      $w_{(n,0)} = \text{pullFromPS}()$   $\triangleright$  initialize parameters  
4     for  $i=0,1,\dots,I$  on worker id  $n$   $\triangleright$  training iterations  
5         bit  $[N]$  flags = 0  $\triangleright$  synchronization status  
6          $d_{(i,n)} \in \mathcal{D}_n$   $\triangleright$  sample mini-batch from data  
7          $g_i = \nabla \mathcal{F}(x_{(i,k)}, w_{(n,i)})$   $\triangleright$  compute gradient at  $i$   
8          $\Delta(g_i) = \text{RelativeGradChange}(\|g_i\|^2)$   
9          $w_{(n,i+1)} = w_{(n,i)} - \eta \cdot g_i$   $\triangleright$  apply local updates  
10        if  $\Delta(g_i) \geq \delta$  :  
11            flags[n] = 1  $\triangleright$  synchronize called by  
                worker  $n$  as its gradient change exceeds  $\delta$   
12        flags = allgather_status(flags)  $\triangleright$   
            call all-gather on flags such that index  $n$   
            holds worker  $n$ 's synchronization status bit  
13        if 1  $\in$  flags :  
14            pushToPS( $w_{(n,i+1)}$ )  $\triangleright$  push local updates  
15             $w_{(n,i+1)} = \text{pullFromPS}()$   $\triangleright$  pull global
```

- Implemented in PyTorch over PS architecture
- Tested on a 16 V100 GPU cluster for IID data, 10-nodes for non-IID data
- Models trained: ResNet101, VGG11, AlexNet, Transformer
- Datasets used: CIFAR10, CIFAR100, ImageNet, WikiText-103

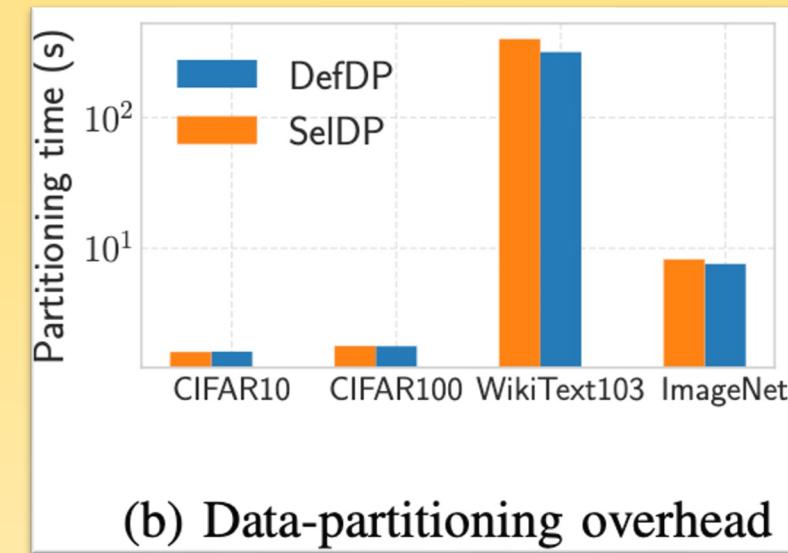
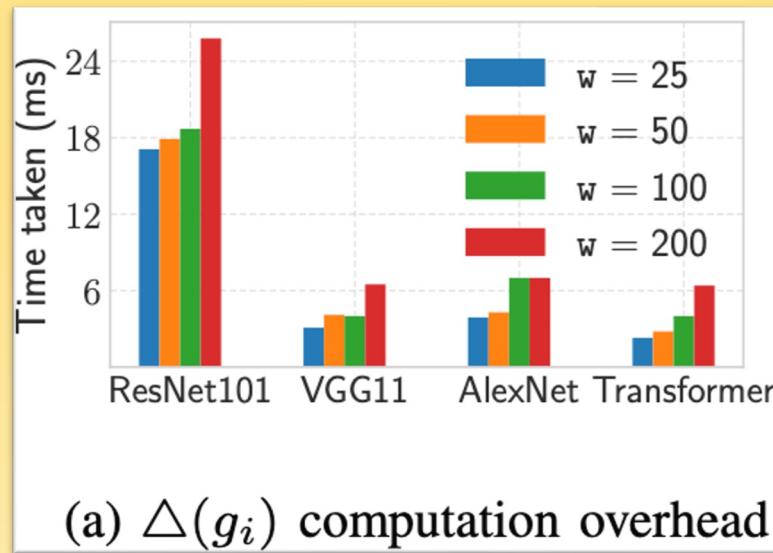
We compare SelSync with BSP, FedAvg and SSP

Metrics: Final accuracy/perplexity, overall speedup over BSP



SelSync Overheads

- Gradients computed over each iteration can be noisy; smoothing applied on ***Relative Gradient Change***
- Additional overhead of partitioning training data with ***SelDP*** scheme



Training Performance

FA1: FedAvg (C, E) = (1, 0.25)

FA3: FedAvg (C, E) = (0.5, 0.25)

SSP1: SSP $s = 100$

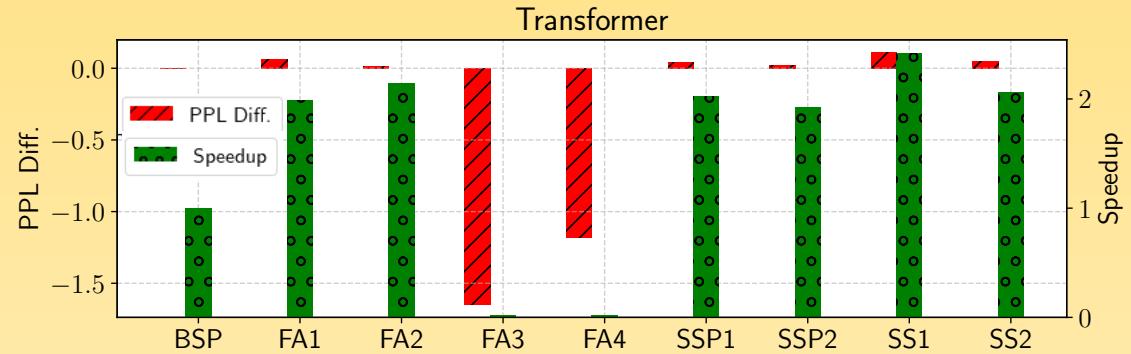
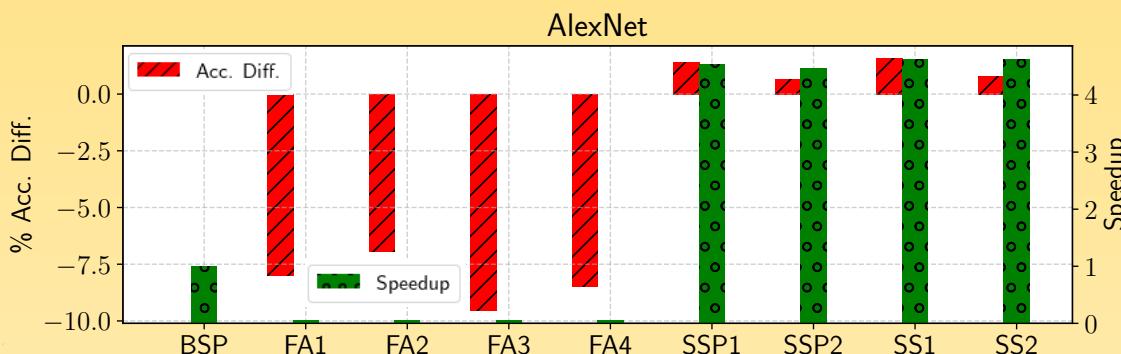
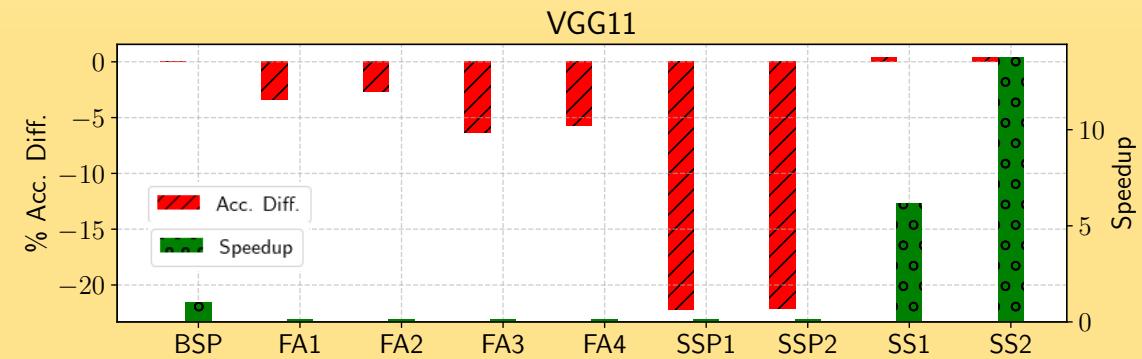
SS1: SelSync delta = 0.3

FA2: FedAvg (C, E) = (1, 0.125)

FA4: FedAvg (C, E) = (0.5, 0.125)

SSP2: SSP $s = 200$

SS2: SelSync delta = 0.5



Related Work

Parallel and Statistical efficiency in distributed training:

- [1] Scavenger: A Cloud Service for Optimizing Cost and Performance of ML Training
- [2] GraVAC: Adaptive Compression for Communication-Efficient Distributed DL Training

Sensitive/Critical Regions in DNN Training:

- [3] The Early Phase of Neural Network Training
- [4] Critical Learning Periods in Deep Neural Networks
- [5] Accordion: Adaptive Gradient Compression via Critical Learning Regime Identification

Related techniques/methods:

- [6] **BSP (on PS)**: Scaling Distributed Machine Learning with the Parameter Server
- [7] **FedAvg**: Communication-Efficient Learning of Deep Network from Decentralized Data
- [8] **SSP**: More Effective Distributed ML via a Stale-Synchronous Parameter Server
- [9] ScaDLES: Scalable Deep Learning over Streaming Data at the Edge



Conclusion

- ***Relative Gradient Change*** serves as an effective indicator of measuring the significance of each gradient update in DNN training
- **BSP** has high synchronization cost; **FedAvg** mitigates communication with infrequent aggregation but degrades model generalization; training with **SSP** saturates convergence due to stale updates
- **SelSync** achieves similar accuracy to BSP while reducing communication depending on delta value. Speeds up training by up to 14x in our evaluation
- Large delta raises the threshold for communication, prioritizing speedup over convergence. Small delta increases synchronization frequency and favors convergence quality.
- Randomized data-injection is effective in the context of semi-synchronous training when training data is skewed and unbalanced



Thank you!

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