# Imputing the epigenome

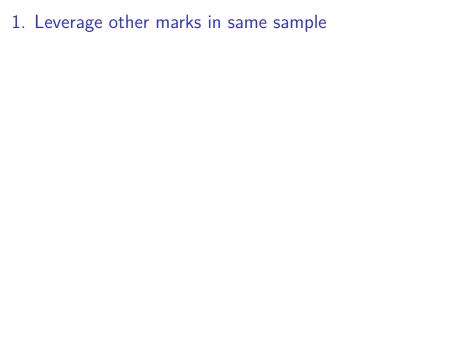
http://sahirbhatnagar.com/talks/

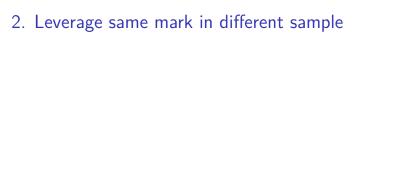
March 12, 2015

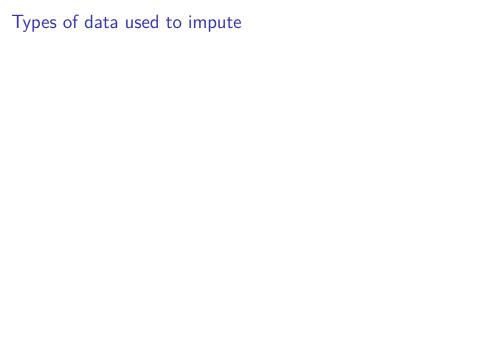


# Main Idea

# Matrix of Observed and Imputed Data







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- Chromatin state annotation

## Limitations

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- When the target mark has been mapped in only a few samples, the features pertaining to the same mark in other samples may be less informative or more biased e.g. TFBS
- For tissue samples that reflect mixtures of multiple cell types, our imputed maps will most likely reflect the same mixture as the observed data, though deconvolution of mixed samples is a potentially important direction for future work

# ChromImpute Software

- Command line tool written in JAVA
- http://www.biolchem.ucla.edu/labs/ernst/ChromImpute/



# Leo Breiman (1928-2005)

(Breiman 2001)

 ${\tt randomForest\ package\ in\ R}$ 

# MissForest

(Stekhoven and Bühlmann 2012)

missForest package in R

# Introduction to Regression Trees

# Some intuition behind the imputation approach

```
total sales = 7.1 + 0.0475 \times \# \text{ of TV's sold}
```

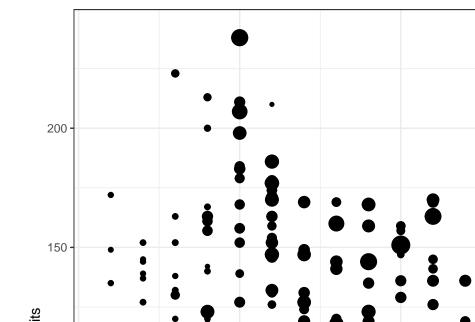
#### Tree-based Methods

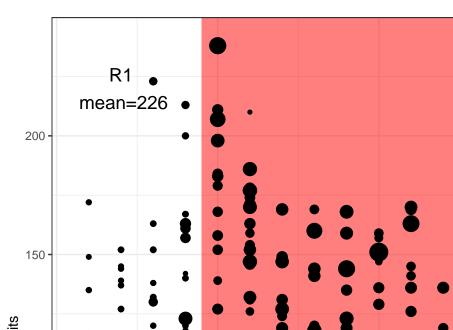
- ▶ Involves *splitting* the predictor space into simple regions
- Since the set of splitting rules used to segment the predictor space can be summarized in a tree, these types of approaches are known as decision-tree methods (James et al. 2013)

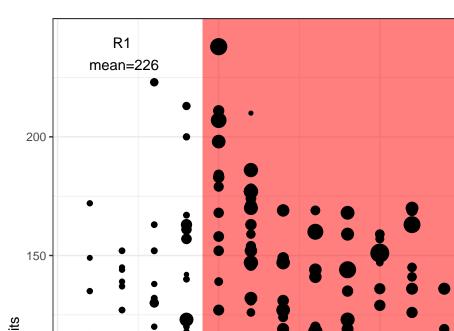
# Baseball Data

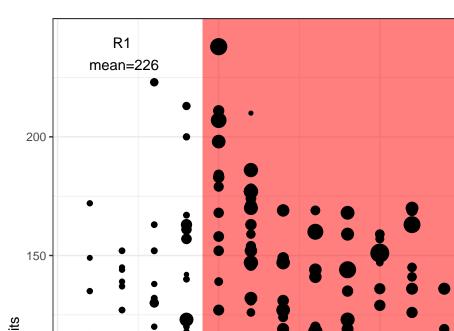
## PhantomJS not found. You can install it with webshot::in

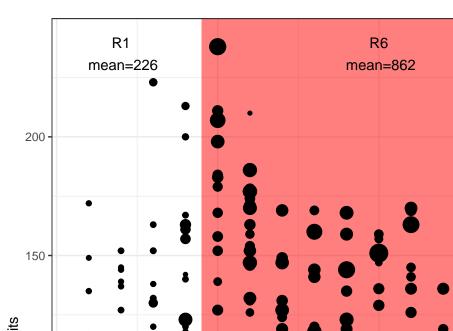
# Predict salary based on Hits and Years Played









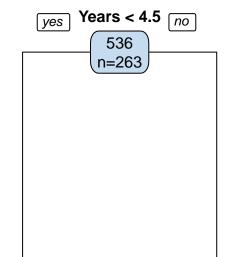


# Regression Tree for Baseball data

## Warning: Bad 'data' field in model 'call' (expected a data
## To silence this warning:

## 10 silence this warning:

## Call rpart.plot with roundint=FALSE,
## or rebuild the rpart model with model=TRUE.



# **Decision Tree**

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- Solution: take a top-down, greedy approach
- Begins at the top, and never looks back

#### Pros and Cons

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- Solution: Combining a large number of trees can often result in dramatic improvements in prediction accuracy, at the expense of some loss interpretation.

## Bagging

#### The Bootstrap

(James et al. 2013)

# Pull yourself up by your bootstraps

#### Random Forests

ETH Zurich Slides



## Regression tree slides are based on

Free PDF book



#### References

- ## No encoding supplied: defaulting to UTF-8.
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