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ahmed's 7

Colo HW F11

Problem 1:

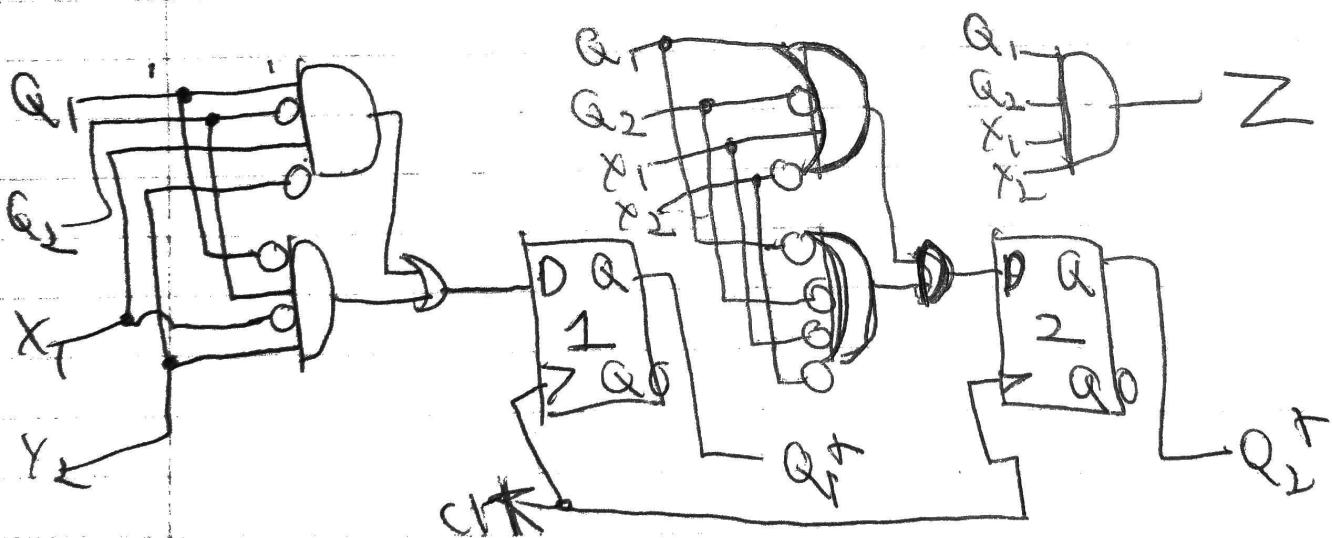
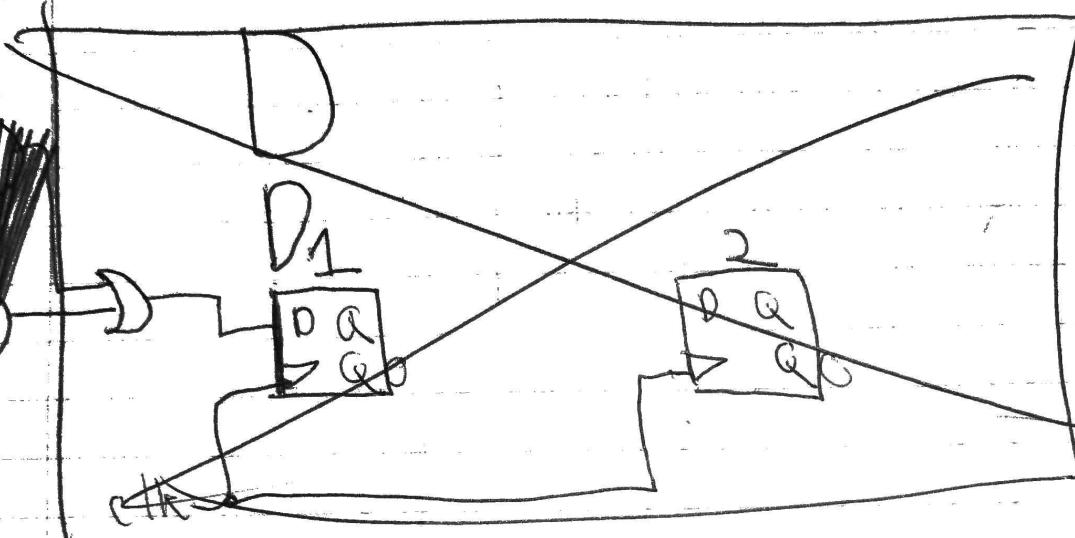
State: Start 000 Got X_1 00
Got X_1 001 Got $X_1 X_2$ 01
Got $X_1 X_2$ 010 Got $X_1 X_2 X_2$ 10
Got $X_1 X_2 X_2$ 011 Got $X_1 X_2 X_2 X_1$ 11
Got $X_1 X_2 X_2 X_1$ 100

A
B
C
D

State	Input	Next State	Unlock
00	00	00	0
	01	01	0
	10	00	0
	11	00	0
01	00	00	0
	01	00	0
	10	00	0
	11	00	0
10	00	00	0
	01	00	0
	10	11	0
	11	00	10
11	00	00	0
	01	00	0
	10	00	0
	11	00	11
Q ₁ /Q ₂	X ₁ /X ₂	Q ₁ /Q ₂	

From Espresso

$$Q_1^+ = Q_1 \bar{Q}_2 X_1 \bar{X}_2 + \bar{Q}_1 Q_2 \bar{X}_1 \bar{X}_2 + X_1 \\ Q_2^+ = Q_1 Q_2 (Q_1 + Q_2 + \bar{X}_1 + \bar{X}_2) (\bar{Q}_1 + \bar{Q}_2 + \bar{X}_1 + \bar{X}_2) \\ Z = Q_1 Q_2 X_1 X_2$$



Assumptions: Every state I made was an assumption. I also invalidated double button presses - To compensate for this I assumed that everyone would at least start with X_1 . Pressing X_1 brings you back to the OG state so it ends up working out.

Problem 2:

~~States~~ States

Floor 1 or floor 2 : Q

Inputs: button pressed for each floor : A
door open/door close : B 1 = door open 0 = door close

Output: "merry" : Z

State Input Next State

0	0 0	0
0	0 1	0
1	1 0	0
1	1 1	0
1	0 0	1
1	0 1	1
1	1 0	1
1	1 1	0
Q	A B	Q ⁺

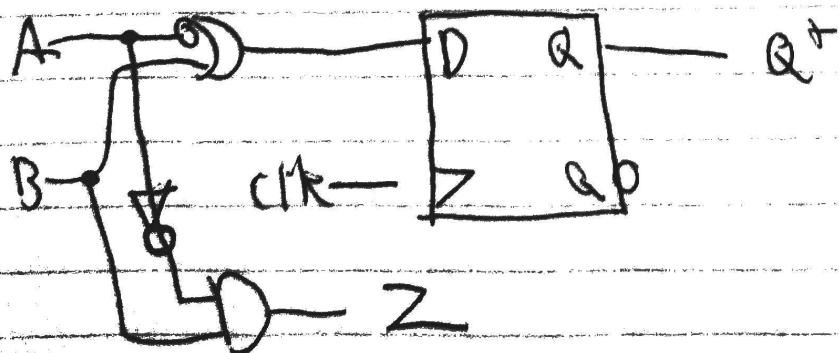
2
0
0
1
0
0
0
0
0

Use D flip flops

From expresso

$$Q^+ = (\bar{A} + B)$$

$$Z = \bar{A} B$$



#Hw 11 Problem 1 Input

.i 4

..

.o 3

0000 000

0001 010

0010 000

0011 000

0100 000

0101 100

0110 000

0111 000

1000 000

1001 000

1010 110

1011 000

1100 000

1101 010

1110 000

1111 001

#Hw 11 Problem 1 Output

.i 4

..

.o 3

.p 5

1010 110

0101 100

0001 010

1111 001

1101 010

.e

#Hw 11 Problem 2 Input

.i 3

..

.o 2

000 00

001 00

010 11

011 00

100 10

101 10

110 01

111 10

#Hw 11 Problem 2 Output

.i 3

.
..

.o 2

.p 4

010 10

-10 01

1-1 10

10- 10

.e

HW #11 ReSub

S states:

A: 000 : Start

B: x_1 : 001

C: $x_1 x_2$: 010

D: $x_1 x_2 x_3$: 011

E: $x_1 x_2 x_3 x_4$: 100

Table:

$Q_1 Q_2 Q_3$	X_1	X_2	00	01	10	11	Unlock
0 0 0	000	000	000	000	001	000	0
0 0 1	000	010	000	010	000	000	0
0 1 0	000	011	000	011	000	000	0
0 1 1	000	000	000	000	000	000	0
1 0 0	000	000	000	000	001	000	1

$Q_1^+ Q_2^+ Q_3^+$

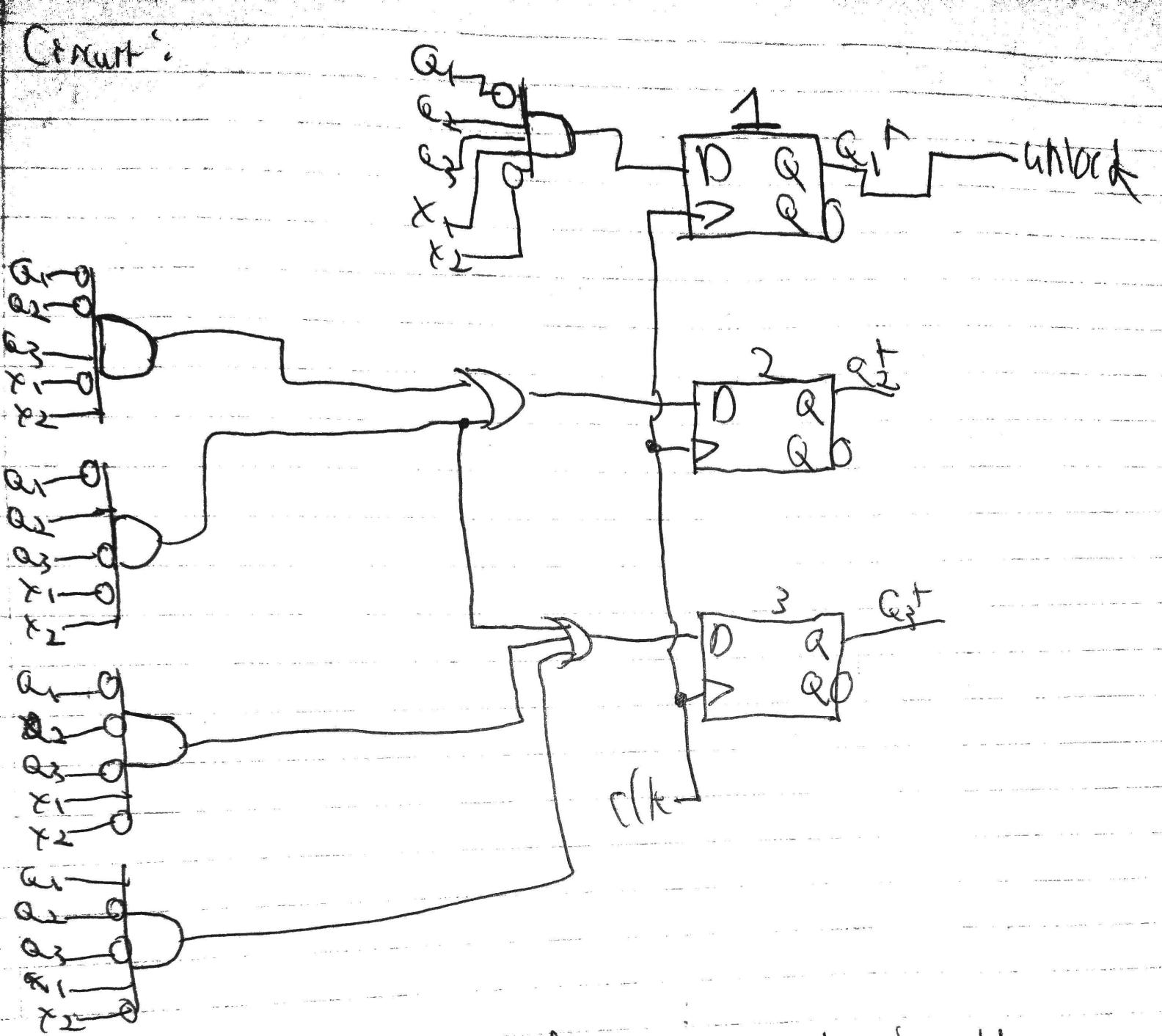
Boolean expressions for next states! Used D flip flops

Characteristic equation $D = Q^+$

$$Q_1^+ = \overline{Q_1} Q_2 Q_3 X_1 \overline{X_2}$$

$$Q_2^+ = \overline{Q_1} \overline{Q_2} Q_3 \overline{X_1} X_2 + \overline{Q_1} Q_2 \overline{Q_3} \overline{X_1} X_2$$

$$Q_3^+ = \overline{Q_1} \overline{Q_2} \overline{Q_3} X_1 X_2 + \overline{Q_1} Q_2 \overline{Q_3} \overline{X_1} X_2 + Q_1 \overline{Q_2} Q_3 X_1 \overline{X_2}$$



* I believe my design was correct for the four states I created. I just had to add one more state and then develop the logic for that. I understand the design method for this FSM now.

Problem 22

States: $Q =$ elevator at floor 1
 $P =$ elevator at floor 2

Inputs: A: up button
 B: down button
 C: door open
 D: door close

~~Transition Program / excitation table~~

Inputs: A B C D

States	0000	0001	0010	0011	0100	0101	0110	0111
0	0	0	0	0	0	0	0	0
1	1	1	1	1	1	1	1	1

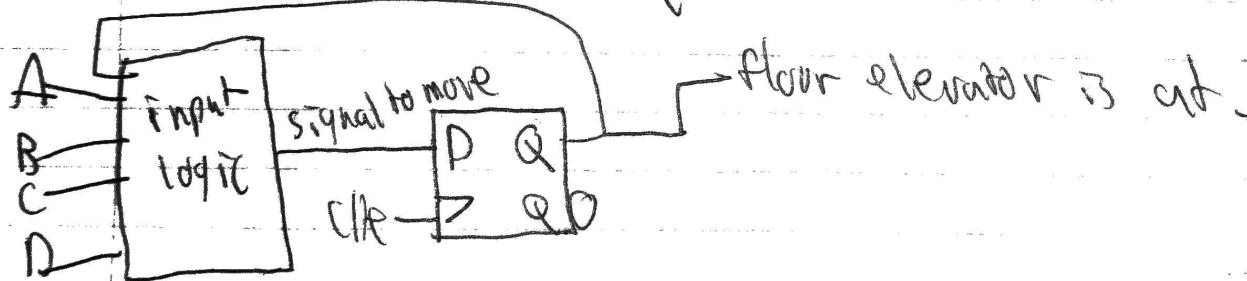
0000

Inputs: A B C D

States	1000	1001	1010	1011	1100	1101	1110	1111
0	0	1	1	1	0	1	0	1
1	1	1	1	1	1	1	1	1

Q

Q⁺



* In order to move the elevator the correct relative button must be pressed and the door must be closed. This is shown through the combinatorial logic. The elevator will then move to the respective floor as represented by the D flip flop. I made the assumption that pressing both elevator buttons and both door open and close is valid. The reason is, elevators in real life can handle that input.