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Laboratory 5: Differential Amplifiers

Introduction

This lab reviews differential amplifiers and compares the expected results obtained from equations learned in class to simulation results to results obtained with physical lab components. It examines where error might come from in both our calculations and in the physical system.

Procedure

Exercise 5.1: IC1, IC2 curves – Linear region of operation (Simulation)

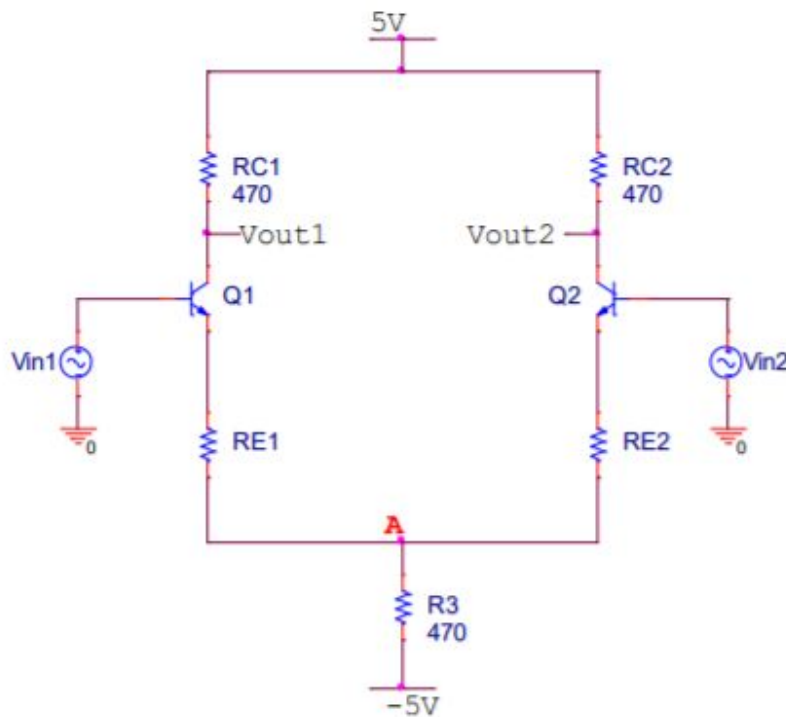


Figure 5.1.1 Circuit used for simulation

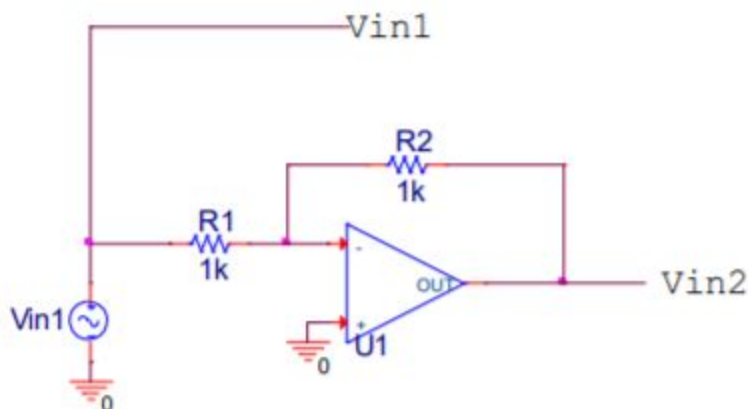


Figure 5.1.2 Inverting Op Amp used to get Vin1 and Vin2

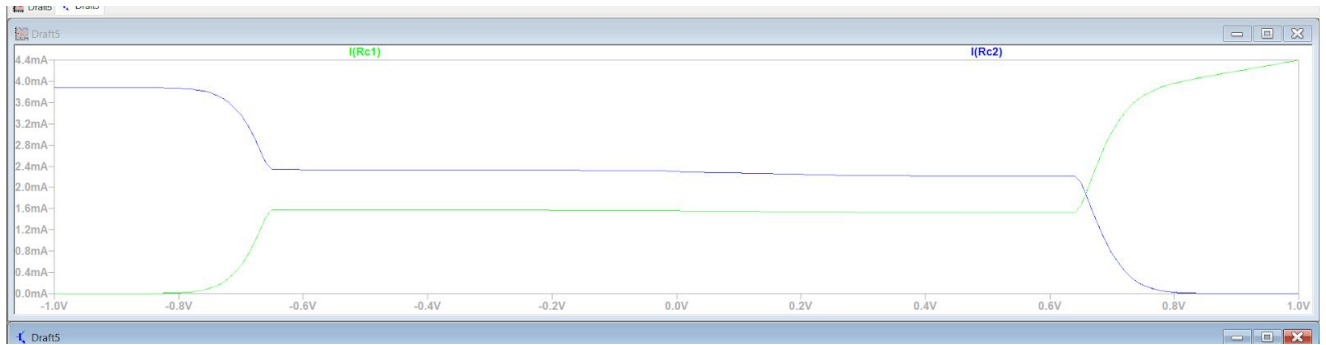


Figure 5.1.3 $I(Rc1)$ and $I(Rc2)$ vs V_{in1}

The range of VDM is about .62V to .7V.

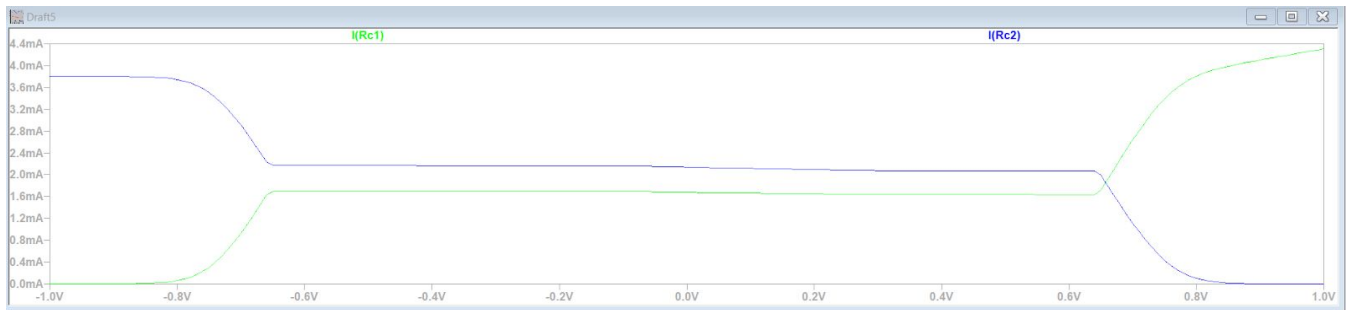


Figure 5.1.4 $I(Rc1)$ and $I(Rc2)$ vs V_{in1} $RE1 = RE2 = 10\Omega$

The range of VDM is about .62V to .78V.

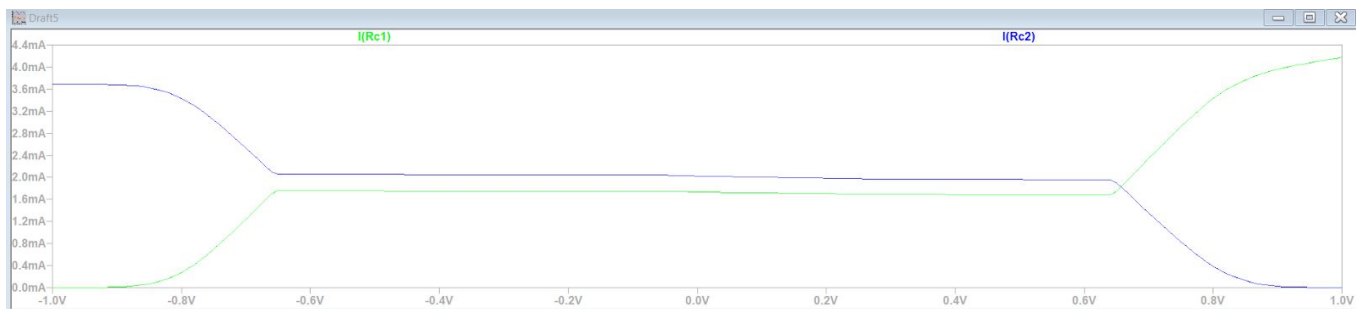


Figure 5.1.5 $I(Rc1)$ and $I(Rc2)$ vs V_{in1} $RE1 = RE2 = 25\Omega$

The range of VDM is about .65V to .82V.

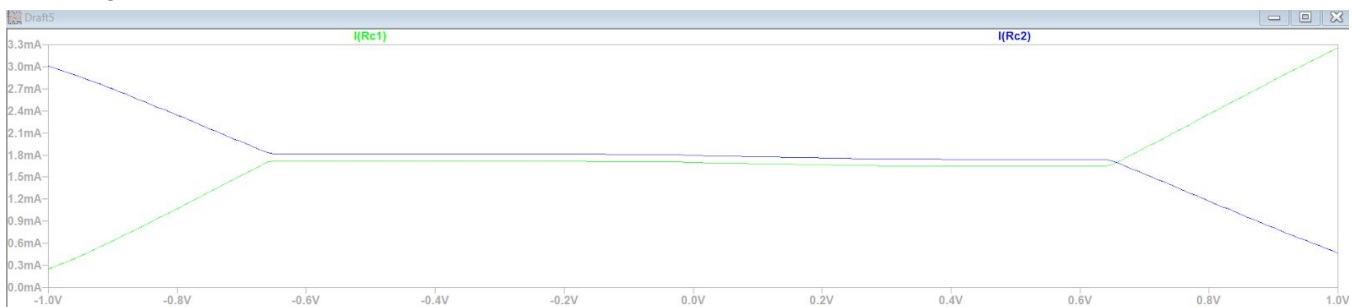


Figure 5.1.6 $I(Rc1)$ and $I(Rc2)$ vs V_{in1} $RE1 = RE2 = 100\Omega$

The range of VDM is about .65V to 1V.

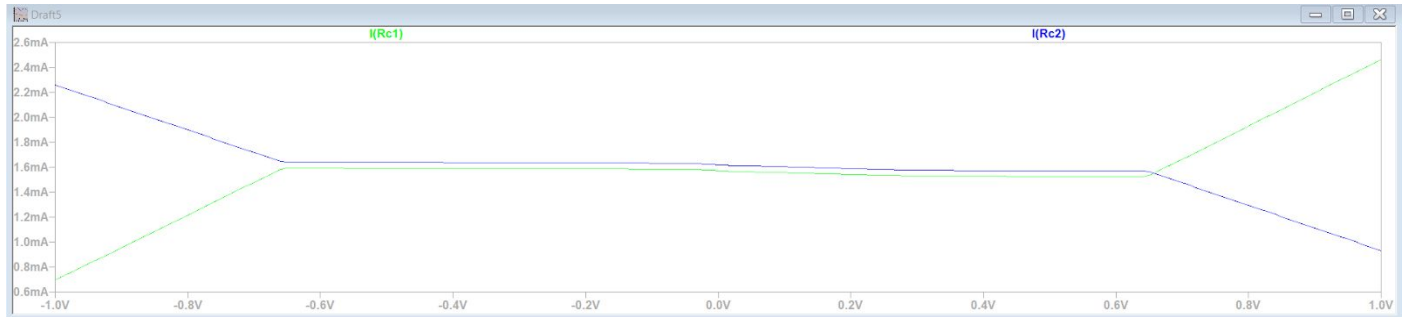
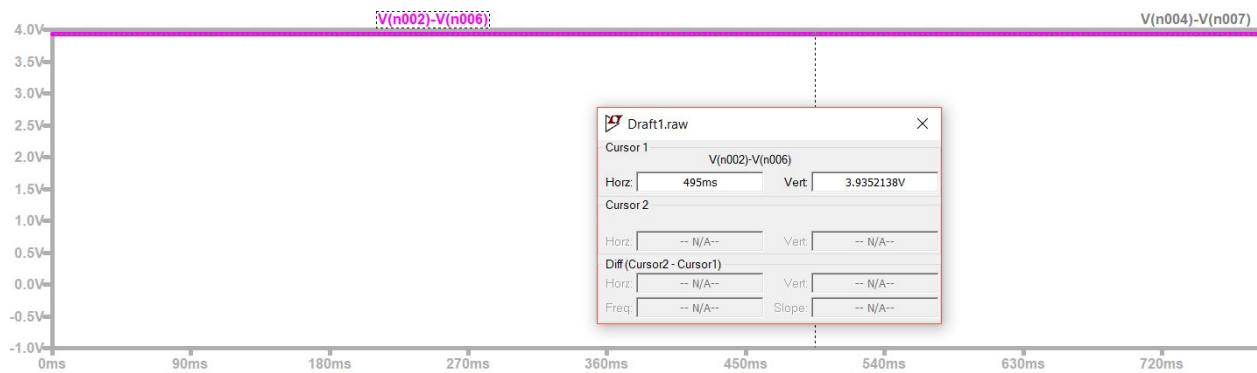


Figure 5.1.6 $I(Rc1)$ and $I(Rc2)$ vs $Vin1$ $RE1 = RE2 = 200\Omega$

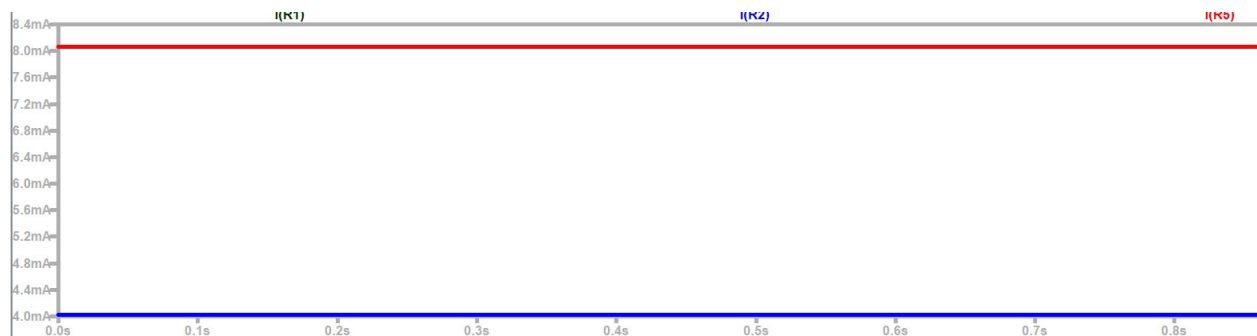
The range of VDM is about .65V to 1V.

Exercise 5.2:

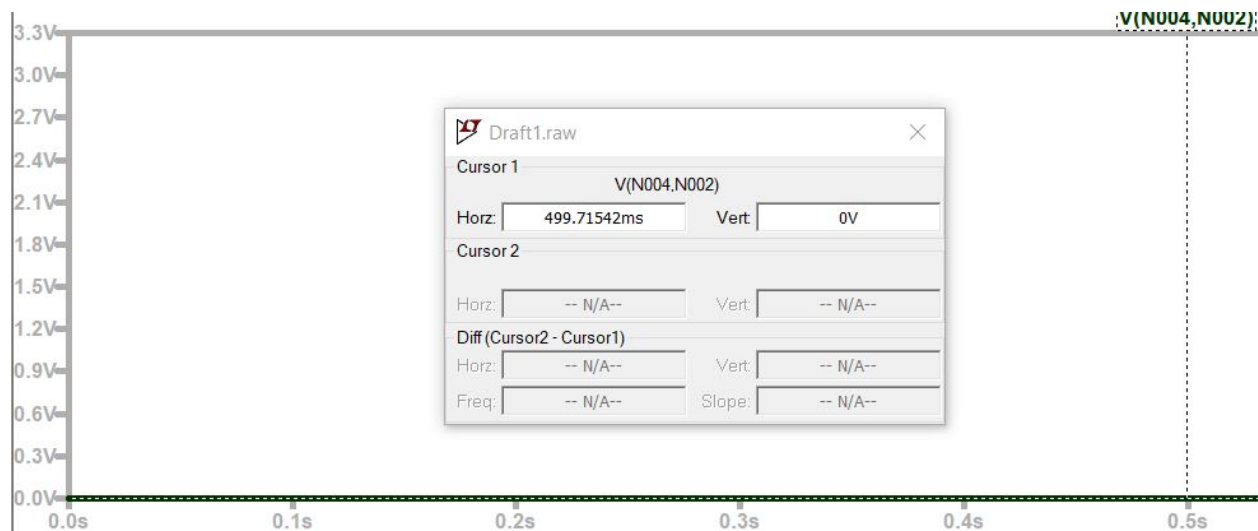
Simulation of Common Mode Inputs



We that $V_C - V_E$ for both transistors are greater than 0.2 so they are both forward active.

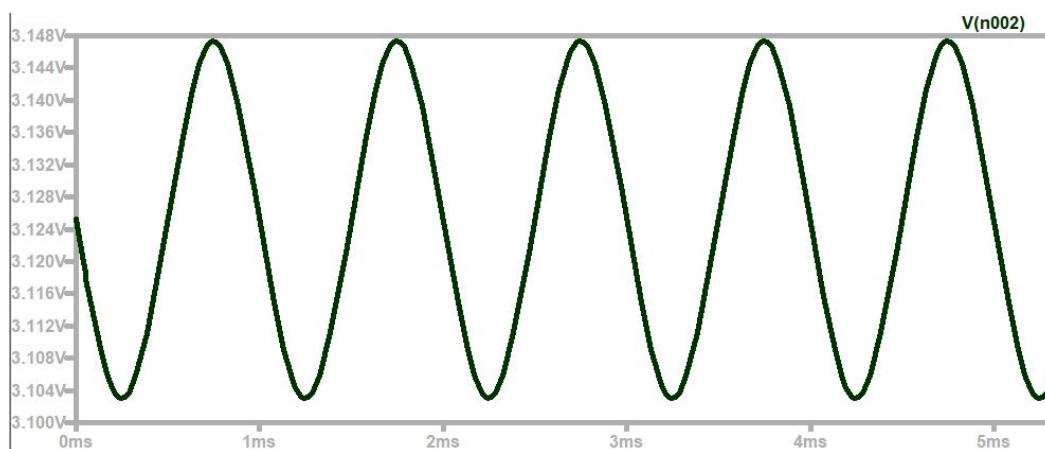


We see that I_{RE1} and I_{RE2} are equal and $I_{R3} = I_{RE1} + I_{RE2}$
KCL does apply at Node A for the given currents.



We see that the output (V_{out} in black) is 0V. This means that our simulated gain $A_{cm} = V_{out}/V_{in} = 0$

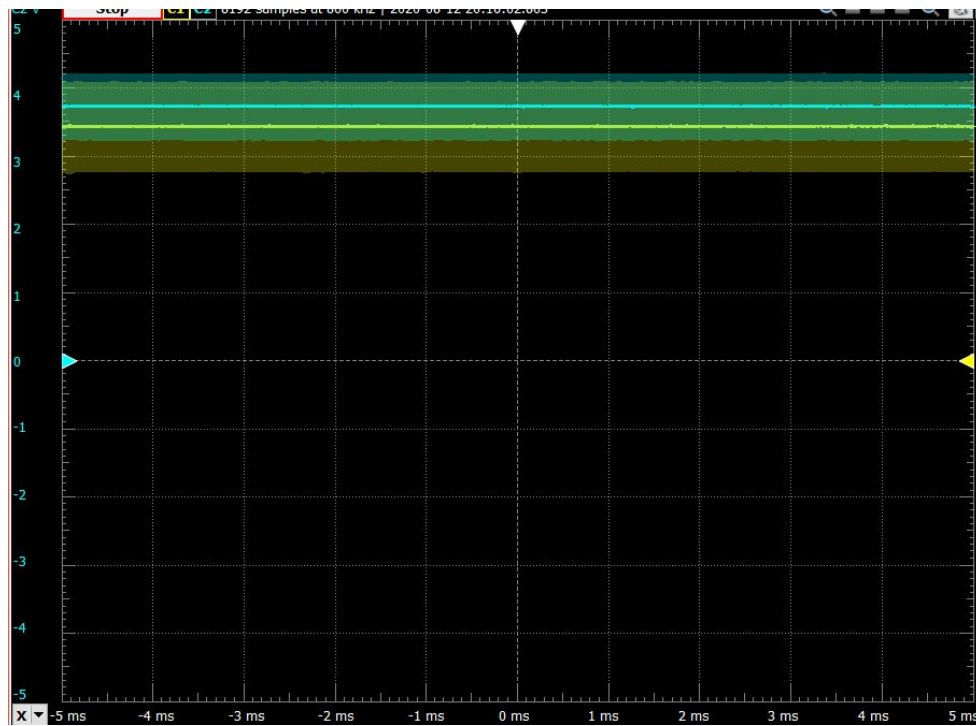
For ideal simulation this is what we expect.



We have $V_{out} = (3.148 - 3.104)/2 = 0.022$ (amplitude). Thus $A_{cmhc} = 0.44$

This value is consistent with the analytical values

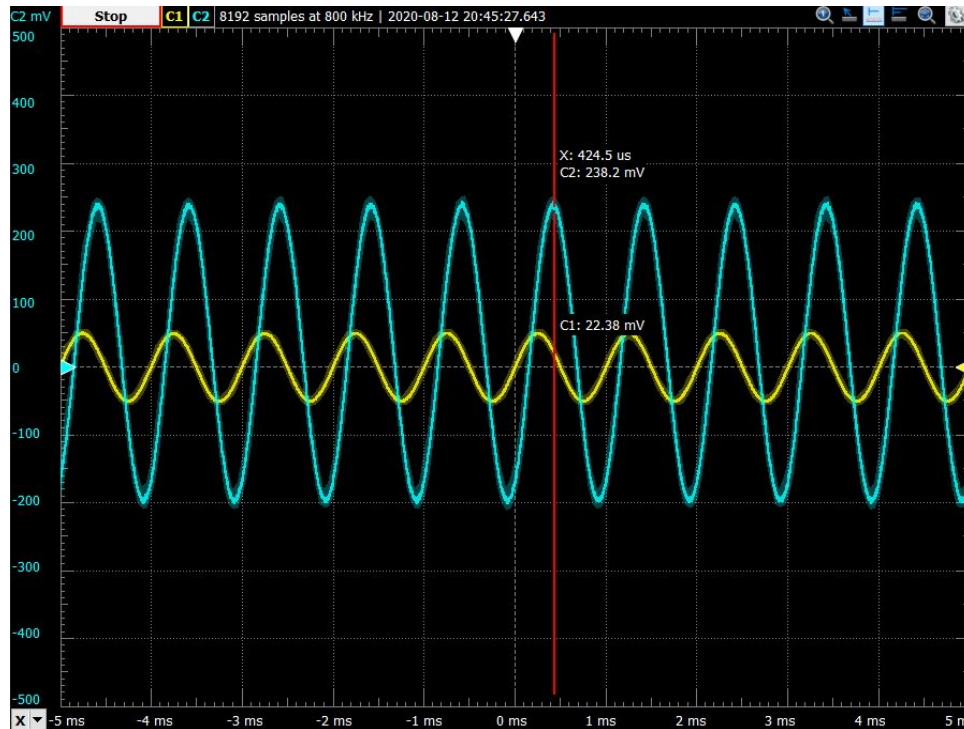
Experiment of Common Mode Inputs:



Both Transistors are clearly in the forward active operation



Above we have $I_{R3} = 8.2\text{mA}$ and $I_{RE1} = 4.1\text{mA}$. We know from KCL that $I_{R3} = I_{RE1} + I_{RE2}$. Thus from our above values we have $I_{RE2} = 4.1\text{mA}$. So KCL still applies and it matches simulation



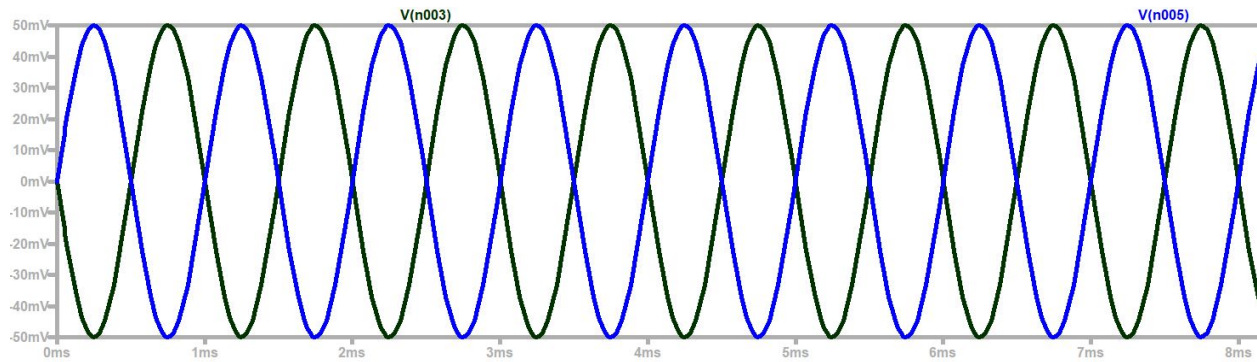
We have $V_{out} / V_{in} = 0.238 / 0.05 = 4.76 = A_{cm}$

The experimental A_{cm} is nonzero because of the tolerances of the components. At certain voltages, or if they run for a long time, or at certain frequencies the components begin to change how they act. We even see a phase shift from output to input to show that the component is not 100% working as intended.

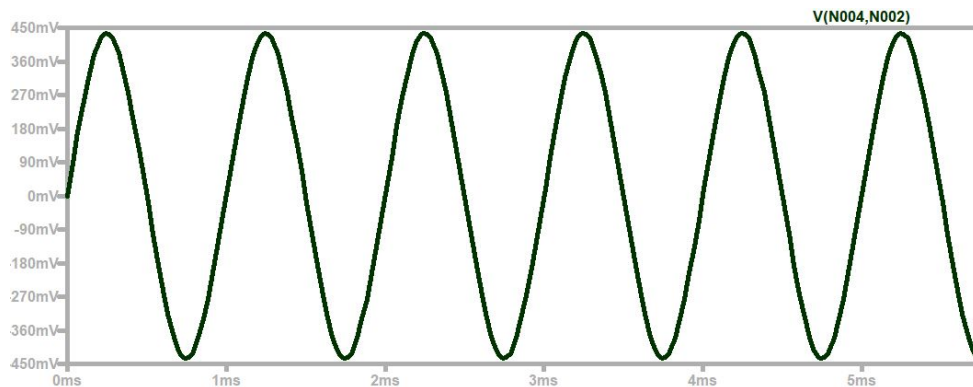
As stated in lab document simulation of A_{cmhc} is sufficient

Exercise 5.3

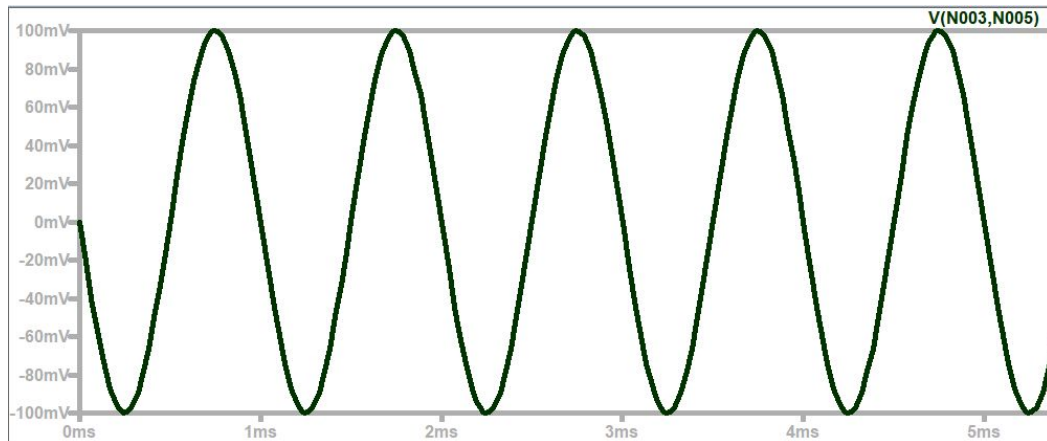
Simulation of Differential gain



From the above picture we know that the input voltages are 180 degrees out of phase.



We have that $V_{out2} - V_{out1} = V_{out} = 450\text{mV}$ (amplitude)

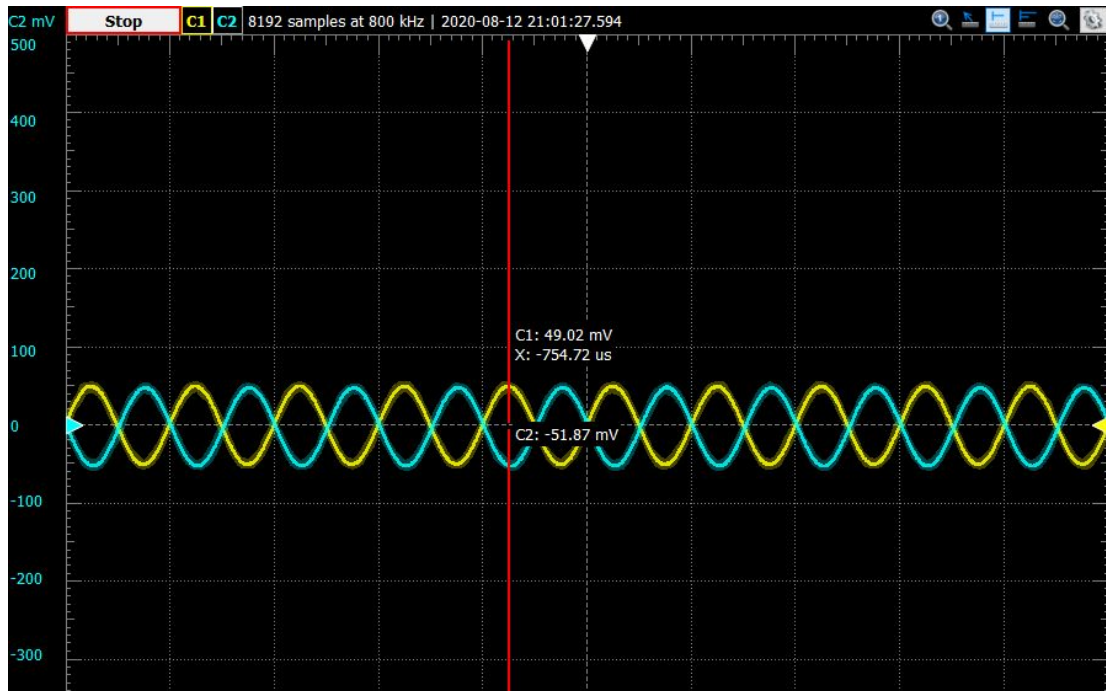


We measure $V_{dm} = 100\text{mV}$ (amplitude)

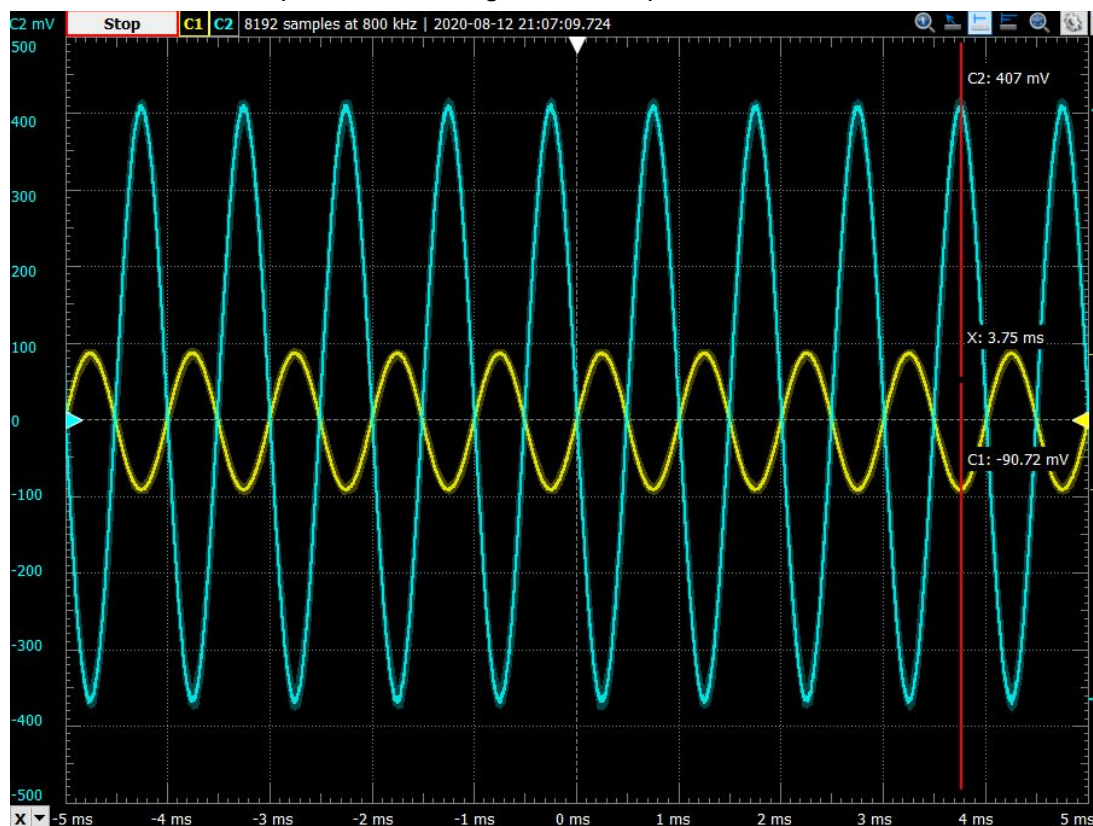
Thus we get the differential gain as $A_{DM} = 4.5$

From these simulated values we get $\text{CMRR} = 20.20$

Experiment of Differential Inputs:



We see that both inputs are 180 degrees out of phase.



We have C2 (Blue) as V_{out} and C1 (Yellow) as V_{dm} . Thus our $A_{dm} = V_{out}/V_{dm} = 4.47$
 This matches our simulation. From this we calculate $CMRR = -0.5$

Conclusion

Through this lab we were able to see the use of differential amplifiers and how they can be analyzed using half circuit models and comparing common mode outputs with differential mode outputs. With the common mode and differential mode half circuit gains we can determine the CMRR of the half circuit models and ultimately of the differential amplifier.