Backorder_Prediction_CS

June 12, 2021

1 Backorder Prediction

2 1. Business Problem

2.1 1.1. Description

- **Source**: https://www.kaggle.com/ Currently the page is not available
- Data Source: https://github.com/rodrigosantis1/backorder_prediction/blob/master/dataset.rar
- **Problem Statement**: Determining beforehand, whether or not a product will go to backorder based on the provided historical data.

2.2 1.2. Source/Useful Links

Some articles and reference blogs about the problem statement

- 1. https://www.researchgate.net/publication/319553365_Predicting_Material_Backorders_in_Inventory_Ma
- 2. https://journalofbigdata.springeropen.com/articles/10.1186/s40537-020-00345-2
- 3. https://machinelearningmastery.com/tour-of-evaluation-metrics-for-imbalanced-classification/
- 4. https://machinelearningmastery.com/data-sampling-methods-for-imbalanced-classification/

2.3 1.3. Real-world/Business objectives and constraints.

- No low-latency requirement.
- Interpretability is important.

3 2. Machine Learning Problem Formulation

3.1 2.1. Data

3.1.1 2.1.1. Data Overview

- Source: https://github.com/rodrigosantis1/backorder_prediction/blob/master/dataset.rar
- We have two data files: one for training and another for testing.

3.2 2.2. Mapping the real-world problem to an ML problem

3.2.1 2.2.1. Type of Machine Learning Problem

Binary Classification Problem: Since the target variable has two classes - 'Yes' and 'No' which corresponds to whether the product went ot backorder or not.

3.2.2 2.2.2. Performance Metric

Since this is an imbalance classification problem having positive class points very less we have to choose performance metrics accordingly. For this case False Negative is a bigger concern than False Positive. Hence for this Recall is more Important for us than Precision. This is because it is okay to predict a product will go to backorder than it is actually to backorder as it can be dealt with easily. But if fail to predict product going to backorder, when it actually went to backorder, it will very negatively impact the company's sales and its reputation along with an additional pressure on the whole supply chain.

- Area under Precision Recall curve: Here we calculate area under the plot of Precision vs Recall. We use this score instead of roc_auc_score. Because this will allow the people on the business side to decide the tradeoff between Precision and Recall. Also Precision-Curve focuses mainly on minority class.
- F2-Score: F2 score is used for the case of imbalanced data classification where we want to
 focus more on the minority class or in other words we want to emphasize more on the Recall.
- **Recall Score**: Recall is the ability of the model to correctly indentify the positive class in the dataset. It is given as (TP/(TP+FN)).

3.2.3 2.2.3. Machine Learing Objectives and Constraints

Objective: Predict whether a product would go to Backorder or not **Constraints**:

- Interpretability
- No Latency constraints

3.3 2.3. Train, CV and Test Datasets

Split the dataset randomly into three parts train, cross validation and test with 60%,20%, 20% of data respectively

4 3. Exploratory Data Analysis

4.1 3.1. Libraries

[]: !pip install pca

Collecting pca

Downloading pca-1.5.2-py3-none-any.whl (24 kB)

Requirement already satisfied: tqdm in /opt/conda/lib/python3.7/site-packages

```
(from pca) (4.56.2)
Requirement already satisfied: pandas in /opt/conda/lib/python3.7/site-packages
(from pca) (1.2.2)
Requirement already satisfied: scipy in /opt/conda/lib/python3.7/site-packages
(from pca) (1.5.4)
Requirement already satisfied: sklearn in /opt/conda/lib/python3.7/site-packages
(from pca) (0.0)
Requirement already satisfied: matplotlib in /opt/conda/lib/python3.7/site-
packages (from pca) (3.4.0)
Requirement already satisfied: numpy in /opt/conda/lib/python3.7/site-packages
(from pca) (1.19.5)
Collecting colourmap
  Downloading colourmap-0.1.1-py3-none-any.whl (5.5 kB)
Collecting wget
  Downloading wget-3.2.zip (10 kB)
Requirement already satisfied: cycler>=0.10 in /opt/conda/lib/python3.7/site-
packages (from matplotlib->pca) (0.10.0)
Requirement already satisfied: pillow>=6.2.0 in /opt/conda/lib/python3.7/site-
packages (from matplotlib->pca) (7.2.0)
Requirement already satisfied: python-dateutil>=2.7 in /opt/conda/lib/python3.7
/site-packages (from matplotlib->pca) (2.8.1)
Requirement already satisfied: kiwisolver>=1.0.1 in /opt/conda/lib/python3.7
/site-packages (from matplotlib->pca) (1.3.1)
Requirement already satisfied: pyparsing>=2.2.1 in /opt/conda/lib/python3.7
/site-packages (from matplotlib->pca) (2.4.7)
Requirement already satisfied: six in /opt/conda/lib/python3.7/site-packages
(from cycler>=0.10->matplotlib->pca) (1.15.0)
Requirement already satisfied: pytz>=2017.3 in /opt/conda/lib/python3.7/site-
packages (from pandas->pca) (2021.1)
Requirement already satisfied: scikit-learn in /opt/conda/lib/python3.7/site-
packages (from sklearn->pca) (0.24.1)
Requirement already satisfied: joblib>=0.11 in /opt/conda/lib/python3.7/site-
packages (from scikit-learn->sklearn->pca) (1.0.1)
Requirement already satisfied: threadpoolctl>=2.0.0 in /opt/conda/lib/python3.7
/site-packages (from scikit-learn->sklearn->pca) (2.1.0)
Building wheels for collected packages: wget
 Building wheel for wget (setup.py) ... done
  Created wheel for wget: filename=wget-3.2-py3-none-any.whl size=9680
Stored in directory: /root/.cache/pip/wheels/a1/b6/7c/0e63e34eb06634181c63adac
ca38b79ff8f35c37e3c13e3c02
Successfully built wget
Installing collected packages: wget, colourmap, pca
Successfully installed colourmap-0.1.1 pca-1.5.2 wget-3.2
```

```
[]: import numpy as np import pandas as pd
```

```
import matplotlib.pyplot as plt
   %matplotlib inline
   import seaborn as sns
   import warnings
   warnings.filterwarnings("ignore")
   import scipy
   import scipy.stats as st
   from scipy.stats import chisquare
   import statistics
   from sklearn import ensemble, tree, linear model
   from sklearn.dummy import DummyClassifier
   from sklearn.metrics import f1_score, precision_score, recall_score,
    →roc_auc_score, fbeta_score
   from sklearn.metrics import confusion_matrix, fbeta_score
   from sklearn.metrics import average_precision_score
   from sklearn.metrics import precision_recall_curve
   from sklearn.metrics import plot precision recall curve
   from sklearn.metrics import roc_auc_score, plot_roc_curve, RocCurveDisplay
   from sklearn.metrics import plot confusion matrix
   from sklearn.metrics import roc_curve
   from sklearn.metrics import ConfusionMatrixDisplay
   from sklearn.model selection import GridSearchCV
   from sklearn.linear_model import LogisticRegression
   from sklearn.preprocessing import StandardScaler, RobustScaler, MaxAbsScaler,
    →PowerTransformer, QuantileTransformer
   from sklearn.experimental import enable_iterative_imputer
   from sklearn.impute import IterativeImputer, SimpleImputer
   from sklearn.naive bayes import GaussianNB
   from sklearn.svm import SVC
   from sklearn.neighbors import KNeighborsClassifier
   from sklearn.tree import DecisionTreeClassifier
   from sklearn.ensemble import RandomForestClassifier
   from xgboost import XGBClassifier
   from pca import pca
   import random
   import pickle
   from tqdm import tqdm
   from sklearn.metrics import PrecisionRecallDisplay
   from sklearn.model_selection import train_test_split
[]: !pip install rarfile
```

Collecting rarfile Downloading rarfile-4.0-py3-none-any.whl (28 kB) Installing collected packages: rarfile Successfully installed rarfile-4.0

4.2 3.2. Data

Data Source: Dataset was part of the competition 'Can you predict product backorders' which has been discontinued on the kaggle platform and hence the original links are not active. The dataset was taken from the github link: https://github.com/rodrigosantis1/backorder_prediction/blob/master/dataset.rar

```
[]: from google.colab import drive
    drive.mount('/content/drive')

[]: import rarfile
    rar_ref = rarfile.RarFile("/content/drive/MyDrive/dataset.rar", 'r')
    rar_ref.extractall('/content')
    rar_ref.close()
```

It was mentioned in the discussion forum that the 'perf_6_month_avg' and 'perf_12_month_avg' have values -99 which indicates missing values.

4.3 3.3. Utility Functions

```
[]: # function that returns a new dataframe given percentile values and the
    →corresponding feature
   def feature_percentile_dataframe(num1,num2,feature,data):
     df = data.copy()
     l_perc = np.percentile(df[feature], num1)
     h_perc = np.percentile(df[feature], num2)
     return df[(df[feature] > l_perc) & (df[feature] < h_perc)]</pre>
   # code taken from https://stackoverflow.com/a/62076347
   def without_hue(plot, feature):
       total = len(feature)
       for p in ax.patches:
           percentage = '{:.2f}%'.format(100 * p.get_height()/total)
           x = p.get_x() + p.get_width() / 2 - 0.05
           y = p.get_y() + p.get_height()
           ax.annotate(percentage, (x, y), size = 12)
       plt.show()
   # code taken from https://stackoverflow.com/a/62076347
   def with_hue(plot, feature, Number_of_categories, hue_categories):
       a = [p.get_height() for p in plot.patches]
       patch = [p for p in plot.patches]
```

4.4 3.4. High Level Statistics

4.4.1 3.4.1. Basic Statistics of Dataset

```
[]: print('Shape of the Dataset : ', train.shape)
print('Number of Rows : ', train.shape[0])
print('Number of Features : ', train.shape[1])
```

Shape of the Dataset: (1687861, 23)
Number of Rows: 1687861
Number of Features: 23

4.4.2 3.4.2. Columns/Features in the Dataset

```
[]: cols = train.columns
print('The Features of the dataset are:')
for i, col in enumerate(cols):
    print(str(i+1)+'. '+str(col))
```

The Features of the dataset are:

- 1. sku
- 2. national_inv
- 3. lead_time
- 4. in_transit_qty
- 5. forecast_3_month
- 6. forecast_6_month
- 7. forecast_9_month
- 8. sales_1_month
- 9. sales_3_month
- 10. sales_6_month
- 11. sales_9_month
- 12. min_bank
- 13. potential_issue
- 14. pieces_past_due
- 15. perf_6_month_avg

- 16. perf_12_month_avg
- 17. local_bo_qty
- 18. deck_risk
- 19. oe_constraint
- 20. ppap_risk
- 21. stop_auto_buy
- 22. rev_stop
- 23. went_on_backorder

4.4.3 3.4.3. Top 5 Rows of the Dataset

[]:	tr	crain.head()								
[]:		sku	nationa	l_inv	<pre>lead_time</pre>	in_tr	ansit_qty	forecast_3_mon	th \	
	0	1026827		0.0	NaN		0.0	0	0.0	
	1	1043384		2.0	9.0		0.0	0	0.0	
	2	1043696		2.0	NaN		0.0	0	0.0	
	3	1043852		7.0	8.0		0.0	0	0.0	
	4	1044048		8.0	NaN		0.0	0	0.0	
		forecast			cast_9_month		es_1_month			
	0		0.0		0.0		0.0	0.0		
	1		0.0		0.0		0.0	0.0)	
	2	0.0		0.0		0.0	0.0)		
	3	0.0		0.0		0.0		0.0		
	4	0.0		0.0	0.0		0.0)		
		sales_6_		pi			rf_6_month	_avg perf_12_mo		\
	0			• •	0			NaN	NaN	
	1			• •	0		(0.99	0.99	
	2			• •	0			NaN	NaN	
	3	0.0			0.0		0.10	0.13		
	4	0.0 0.0		. 0	NaN		NaN			
		1 h.		مام معاد						`
	Λ	local_bo	_qty de 0.0	ck_risl	-			stop_auto_buy Yes	_	\
	0		0.0	No		No	No	Yes	No	
			0.0			No No	No No	Yes	No No	
	2		0.0	Ye: No		No	No No	Yes	No No	
	4		0.0	Yes		No	No No	Yes	No No	
	7		0.0	16:	5	NO	NO	165	NO	
	went_on_backorder									
	0		No							
	1		No							
	2		No							
	3		No							
	4		No							

[5 rows x 23 columns]

4.4.4 3.4.4. Bottom 5 Rows of the Dataset

[]:	train.ta	rain.tail()							
[]:		sku n	ational_inv	lead_	time i	in_transit_	qty	\	
	1687856	1373987	-1.0		NaN	1	0.0		
	1687857	1524346	-1.0		9.0		0.0		
	1687858	1439563	62.0		9.0	1	6.0		
	1687859	1502009	19.0		4.0		0.0		
	1687860	(1687860 rows)	NaN		NaN NaN		NaN		
		forecast_3_month	forecast_6_month		forecast_9_month sa		sal	es_1_month	\
	1687856	5.0		7.0		9.0		1.0	
	1687857	7.0		9.0		11.0		0.0	
	1687858	39.0	87.0 0.0		126.0 0.0		35.0 2.0		
	1687859	0.0							
	1687860	NaN		NaN		NaN		NaN	
		sales_3_month sa	les_6_month		pieces	past_due	perf	_6_month_avg	: \
	1687856	3.0	3.0		-	0.0	_	NaN	
	1687857	8.0	11.0			0.0		0.86	;
	1687858	63.0	153.0			0.0		0.86	;
	1687859	7.0	12.0			0.0		0.73	}
	1687860	NaN	NaN			NaN		NaN	Ī
		perf_12_month_avg	local_bo_qt	v decl	k risk	oe_constr	aint	ppap_risk	\
	1687856	NaN	1.	•	- No	- · · · -	No	No	•
	1687857	0.84	1.	0	Yes		No	No	
	1687858	0.84	6.	0	No		No	No	
	1687859	0.78	1.	0	No		No	No	
	1687860	NaN	Na	N	NaN		NaN	NaN	
	stop_auto_buy rev_stop went_on_backorder								
	1687856	Yes	No		No				
	1687857	No	No		Yes				
	1687858	Yes	No		No				
	1687859	Yes	No		No				
	1687860	NaN	NaN		NaN				

[5 rows x 23 columns]

• It appears that the bottom row of the dataset is an invalid entry having all the values as NaN. Hence it would be wise to remove the last row.

```
[]: # Removing the last row from the dataset train.drop(train.tail(1).index,inplace=True)
```

4.4.5 3.4.5. Information about the type of feature and non-null count

[]: train.info()

<class 'pandas.core.frame.DataFrame'> Int64Index: 1687860 entries, 0 to 1687859 Data columns (total 23 columns):

#	Column	Non-Null Count	Dtype				
0	sku	1687860 non-null	object				
1	national_inv	1687860 non-null	float64				
2	<pre>lead_time</pre>	1586967 non-null	float64				
3	in_transit_qty	1687860 non-null	float64				
4	forecast_3_month	1687860 non-null	float64				
5	forecast_6_month	1687860 non-null	float64				
6	forecast_9_month	1687860 non-null	float64				
7	sales_1_month	1687860 non-null	float64				
8	sales_3_month	1687860 non-null	float64				
9	sales_6_month	1687860 non-null	float64				
10	sales_9_month	1687860 non-null	float64				
11	min_bank	1687860 non-null	float64				
12	potential_issue	1687860 non-null	object				
13	pieces_past_due	1687860 non-null	float64				
14	perf_6_month_avg	1558382 non-null	float64				
15	perf_12_month_avg	1565810 non-null	float64				
16	local_bo_qty	1687860 non-null	float64				
17	deck_risk	1687860 non-null	object				
18	oe_constraint	1687860 non-null	object				
19	ppap_risk	1687860 non-null	object				
20	stop_auto_buy	1687860 non-null	object				
21	rev_stop	1687860 non-null	object				
22	went_on_backorder	1687860 non-null	object				
<pre>dtypes: float64(15), object(8)</pre>							
memory usage: 309.1+ MB							

memory usage: 309.1+ MB

4.4.6 3.4.6. Statistics about the numerical features in the dataset

[]: train.describe() []: national_inv forecast_3_month lead_time in_transit_qty 1.687860e+06 1.586967e+06 1.687860e+06 1.687860e+06 count 4.961118e+02 7.872267e+00 4.405202e+01 1.781193e+02 mean std 2.961523e+04 7.056024e+00 1.342742e+03 5.026553e+03 0.000000e+00 0.000000e+00 min -2.725600e+04 0.000000e+00 25% 4.000000e+00 4.000000e+00 0.000000e+00 0.00000e+00 50% 1.500000e+01 8.000000e+00 0.000000e+00 0.000000e+00 0.000000e+00 75% 8.000000e+01 9.000000e+00 4.000000e+00 1.233440e+07 5.200000e+01 4.894080e+05 1.427612e+06 max

```
forecast_6_month
                          forecast_9_month
                                             sales_1_month
                                                            sales_3_month
count
           1.687860e+06
                              1.687860e+06
                                              1.687860e+06
                                                              1.687860e+06
           3.449867e+02
                              5.063644e+02
                                              5.592607e+01
                                                              1.750259e+02
mean
           9.795152e+03
                              1.437892e+04
                                                             5.192378e+03
std
                                              1.928196e+03
min
           0.000000e+00
                              0.000000e+00
                                              0.000000e+00
                                                             0.000000e+00
25%
           0.000000e+00
                              0.000000e+00
                                              0.000000e+00
                                                             0.000000e+00
50%
           0.000000e+00
                              0.000000e+00
                                              0.000000e+00
                                                              1.000000e+00
75%
                              2.000000e+01
           1.200000e+01
                                              4.000000e+00
                                                              1.500000e+01
           2.461360e+06
                              3.777304e+06
                                              7.417740e+05
                                                              1.105478e+06
max
       sales_6_month
                       sales_9_month
                                                     pieces_past_due
                                           min_bank
count
        1.687860e+06
                        1.687860e+06
                                       1.687860e+06
                                                        1.687860e+06
        3.417288e+02
                        5.252697e+02
                                      5.277230e+01
                                                        2.043724e+00
mean
std
        9.613167e+03
                        1.483861e+04
                                      1.254983e+03
                                                        2.360165e+02
min
        0.000000e+00
                        0.000000e+00
                                      0.000000e+00
                                                        0.000000e+00
25%
        0.000000e+00
                        0.000000e+00
                                      0.000000e+00
                                                        0.000000e+00
50%
        2.000000e+00
                        4.000000e+00
                                      0.000000e+00
                                                        0.000000e+00
75%
        3.100000e+01
                        4.700000e+01
                                       3.000000e+00
                                                        0.000000e+00
        2.146625e+06
                        3.205172e+06
                                      3.133190e+05
                                                        1.464960e+05
max
       perf_6_month_avg perf_12_month_avg
                                              local_bo_qty
           1.558382e+06
                               1.565810e+06
                                              1.687860e+06
count
mean
           7.823812e-01
                               7.769763e-01
                                              6.264507e-01
std
                                              3.372224e+01
           2.370141e-01
                               2.304902e-01
min
           0.000000e+00
                               0.000000e+00
                                              0.000000e+00
           7.00000e-01
                               6.900000e-01
25%
                                              0.00000e+00
50%
           8.500000e-01
                               8.300000e-01
                                              0.000000e+00
75%
           9.700000e-01
                               9.600000e-01
                                              0.000000e+00
           1.000000e+00
                               1.000000e+00
                                              1.253000e+04
max
```

4.4.7 3.4.7. Missing Values

```
[]: Total Missing Count % of Total Observations
Features
perf_6_month_avg 129478 0.076711
perf_12_month_avg 122050 0.072310
lead_time 100893 0.059776
sku 0 0.000000
```

```
potential_issue
                                        0
                                                           0.000000
                                        0
                                                           0.000000
rev_stop
stop_auto_buy
                                        0
                                                           0.000000
ppap_risk
                                        0
                                                           0.000000
                                        0
                                                           0.000000
oe_constraint
deck_risk
                                        0
                                                           0.000000
local_bo_qty
                                        0
                                                           0.000000
pieces_past_due
                                        0
                                                           0.000000
min bank
                                        0
                                                           0.000000
national_inv
                                        0
                                                           0.000000
sales_9_month
                                        0
                                                           0.000000
sales_6_month
                                        0
                                                           0.000000
sales_3_month
                                        0
                                                           0.000000
sales_1_month
                                        0
                                                           0.000000
forecast_9_month
                                        0
                                                           0.000000
forecast_6_month
                                        0
                                                           0.000000
forecast_3_month
                                        0
                                                           0.000000
in_transit_qty
                                        0
                                                           0.000000
went_on_backorder
                                        0
                                                           0.000000
```

• lead_time, perf_6_month_avg and perf_12_month_avg are the features having missing values.

4.4.8 3.4.8. Data Imabalance

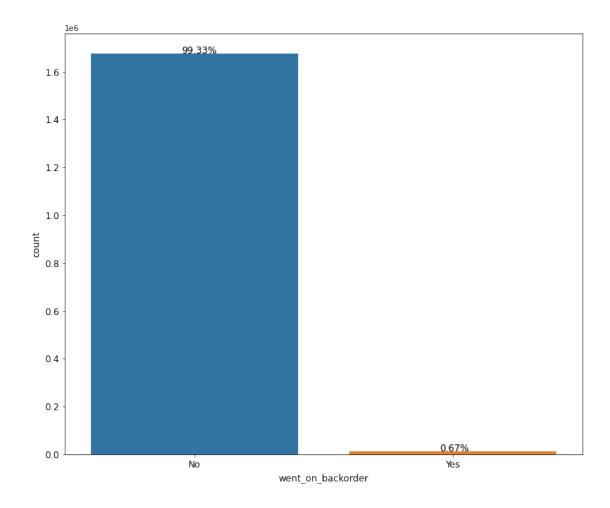
We check data imbalance by seeing the distribution of each class in the target varible.

```
[]: train['went_on_backorder'].value_counts()
[]: No     1676567
    Yes     11293
    Name: went_on_backorder, dtype: int64
```

- It can be seen that the majority class 'No' have more counts than the minority class 'Yes', which makes this an Imbalanced Dataset.
- Also Since the target variable has only two unique classes, this makes this problem as Binary Classification problem.

```
[]: feature = "went_on_backorder"
   plt.figure(figsize=(12,10))
   ax=sns.countplot(x= feature, data=train)
   plt.xticks(size=12)
   plt.xlabel(feature,size=12)
   plt.yticks(size=12)
   plt.yticks(size=12)
   plt.ylabel('count',size=12)

without_hue(ax, train[feature])
```



- We can verify the data imbalance through above plot.
- It also tells us the proportion of imbalance.
- 99.33% points are negative points.
- 0.67% of points are only positive points.

4.5 3.5. Feature-wise Analysis

4.5.1 3.5.1. Numeric Features

There are 15 numeric features in the dataset:

- national_inv
- 2. lead_time
- in_transit_qty
- 4. forecast_3_month
- 5. forecast_6_month
- 6. forecast_9_month
- 7. sales_1_month
- 8. sales_3_month
- 9. sales_6_month
- 10. sales_9_month
- 11. min_bank
- 12. pieces_past_due
- 13. perf_6_month_avg
- 14. perf_12_month_avg
- 15. local_bo_qty
 - There are total 15 numeric features.

```
[]: discrete_feature=[feature for feature in numeric_features if len(train[feature].

ounique())<25]
print("Discrete Variables Count: {}".format(len(discrete_feature)))
```

Discrete Variables Count: 0

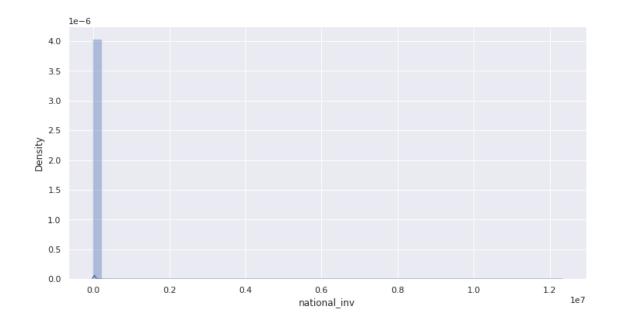
- There are 0 discrete features in the dataset.
- All the numeric features are continuous in nature.

```
[]: sns.set_theme() sns.set_style("darkgrid")
```

3.5.1.1. Numeric Feature: national_inv

PDF of 'national_inv'

```
[]: x = train['national_inv']
plt.figure(figsize=(12,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'national_inv' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

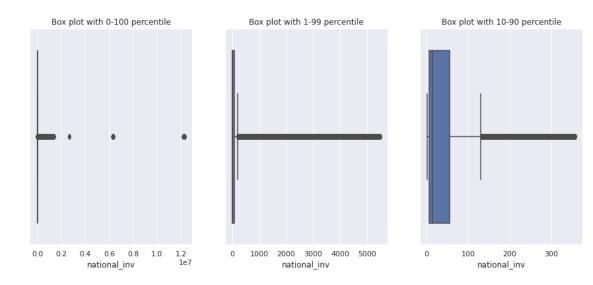
Boxplots of 'national_inv'

```
feature = 'national_inv'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v' , ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v' , ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v' , ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'national_inv' is small as compared to the range of its values.
- There seems to be outliers.
- From the discussion forum, it is being told that there are negative values in the feature, which are valid values, indicating that the shops ordered more than available.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'national_inv'

```
Mean of national_inv : 496.1117817828493

Median of national_inv : 15.0

Mode of national_inv : 0.0

Skewness of the 'national_inv' feature : 340.2858003326191

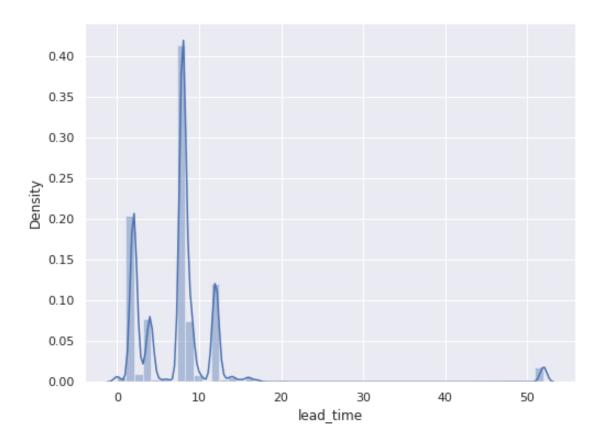
Kurtosis of the 'national_inv' feature : 131276.59257932162
```

- Mode < Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.2. Numeric Feature: lead_time

PDF of 'lead_time'

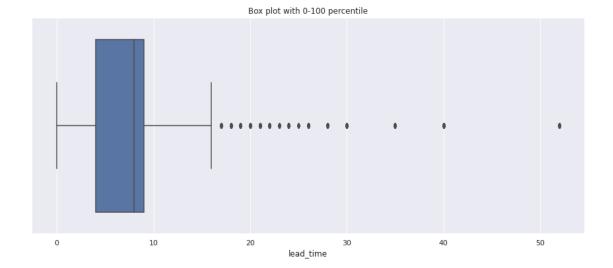
```
[]: x = train['lead_time']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



• The pdf of the feature 'lead_time' is highly right skewed but also have a lot of peaks.

Boxplots of 'lead_time'

```
[]: feature = 'lead_time'
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```



- IQR of the 'lead_time' is medium as compared to the range of its values.
- There seems to be outliers.
- From our previous analysis we know that there are a lot of missing values.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'lead_time'

```
Mean of lead_time : 7.872267035168343

Median of lead_time : nan

Mode of lead_time : 8.0

Skewness of the 'lead_time' feature : 4.556295427885091

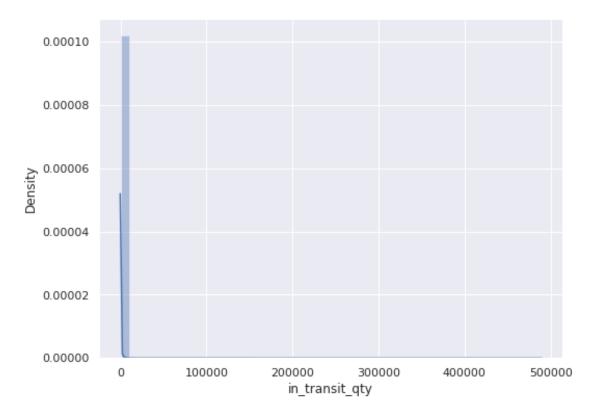
Kurtosis of the 'lead_time' feature : 26.23722750420738
```

- Feature a little bit right skewd as it has low positive skewdness value.
- Kurtosis value is also low impling that there are a some values located in the tail part of the distribution.

3.5.1.3. Numeric Feature: in_transit_qty

PDF of 'in_transit_qty'

```
[]: x = train['in_transit_qty']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'in_transit_qty' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'in_transit_qty'

```
[]: feature = 'in_transit_qty'
    x = train[feature]

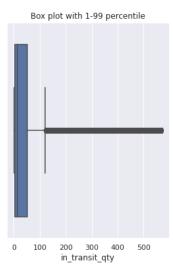
df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

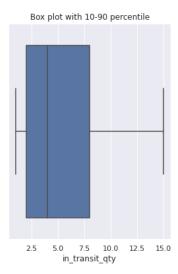
df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v', ax=axes[2])
```

```
axes[0].title.set_text('Box plot with 0-100 percentile')
axes[1].title.set_text('Box plot with 1-99 percentile')
axes[2].title.set_text('Box plot with 10-90 percentile')
```







- IQR of the 'in_transit_qty' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'in_transit_qty'

```
Mean of in_transit_qty : 44.05202208713993

Median of in_transit_qty : 0.0

Mode of in_transit_qty : 0.0

Skewness of the 'in_transit_qty' feature : 166.18340424761558

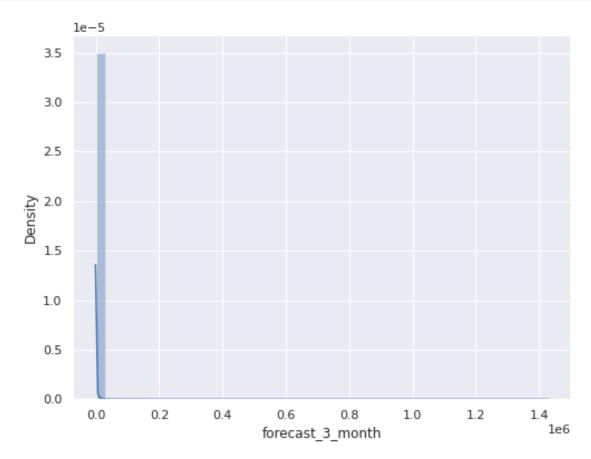
Kurtosis of the 'in_transit_qty' feature : 39606.10405290813
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.4. Numeric Feature: forecast_3_month

PDF of 'forecast_3_month'

```
[]: x = train['forecast_3_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'forecast_3_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'forecast_3_month'

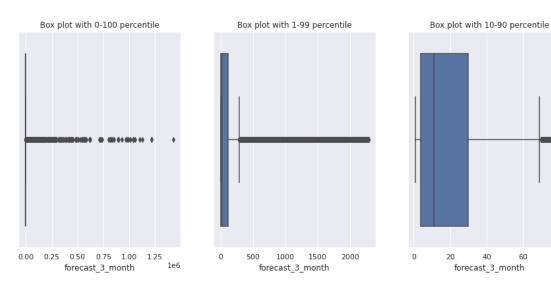
```
[]: feature = 'forecast_3_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
```

```
x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
sns.boxplot(x= x, data=train, orient='v' , ax=axes[0])
sns.boxplot(x= x1, data=df1, orient='v' , ax=axes[1])
sns.boxplot(x= x2, data=df2, orient='v' , ax=axes[2])
axes[0].title.set_text('Box plot with 0-100 percentile')
axes[1].title.set_text('Box plot with 1-99 percentile')
axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'forecast_3_month' is small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'forecast_3_month'

Mean of forecast_3_month : 178.1192835898712 Median of forecast_3_month : 0.0 Mode of forecast_3_month : 0.0

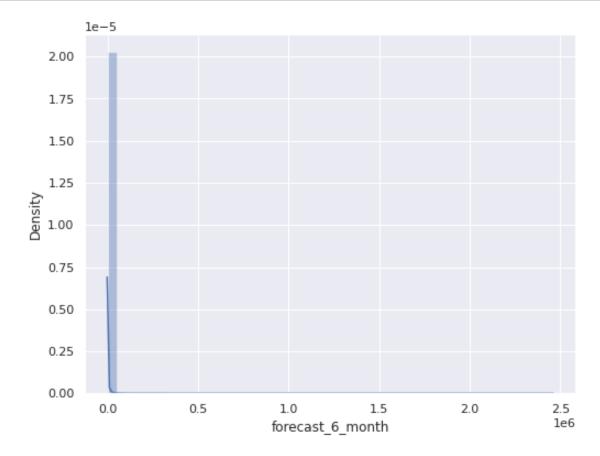
```
Skewness of the 'forecast_3_month' feature : 138.96832519579834 Kurtosis of the 'forecast_3_month' feature : 25637.55029993227
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.5. Numeric Feature: forecast_6_month

PDF of 'forecast_6_month'

```
[]: x = train['forecast_6_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'forecast_6_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

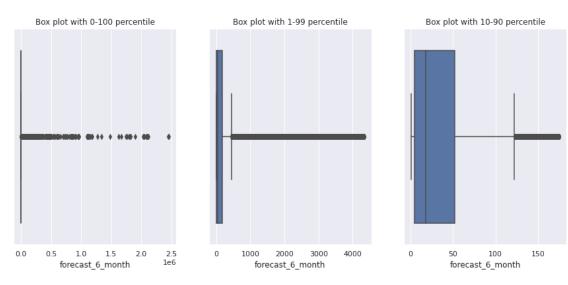
Boxplots of 'forecast_6_month'

```
[]: feature = 'forecast_6_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v' , ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v' , ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v' , ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'forecast_6_month' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'forecast_6_month'

 ${\tt Mean\ of\ forecast_6_month\ :\ 344.98666358584245}$

Median of forecast_6_month : 0.0 Mode of forecast_6_month : 0.0

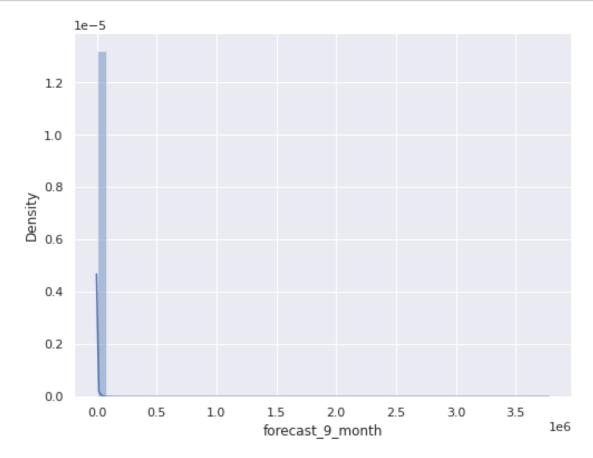
Skewness of the 'forecast_6_month' feature : 138.96142721254265 Kurtosis of the 'forecast_6_month' feature : 25189.903788272073

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.6. Numeric Feature: forecast_9_month

PDF of 'forecast_9_month'

```
[]: x = train['forecast_9_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'forecast_9_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

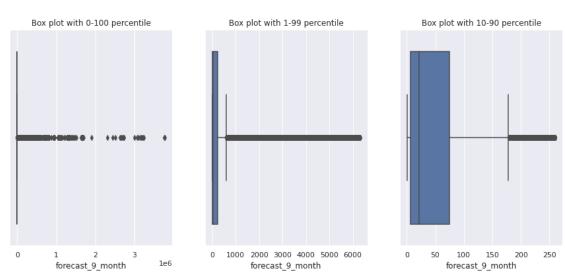
Boxplots of 'forecast_9_month'

```
[]: feature = 'forecast_9_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v', ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'forecast_9_month' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'forecast_9_month'

```
Mean of forecast_9_month: 506.3644306992286

Median of forecast_9_month: 0.0

Mode of forecast_9_month: 0.0

Skewness of the 'forecast_9_month' feature: 143.298874740098

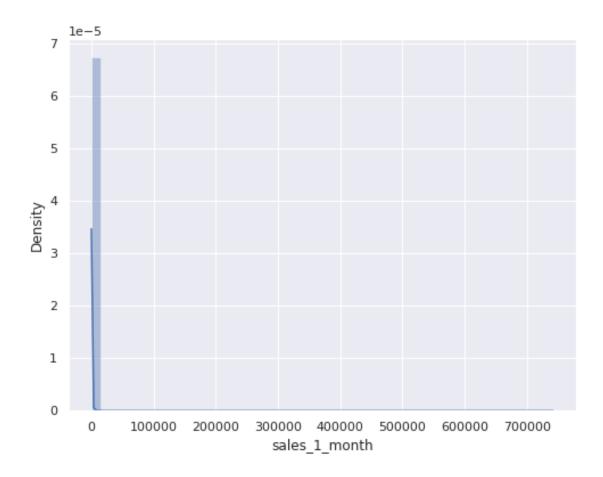
Kurtosis of the 'forecast_9_month' feature: 27048.452312581445
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.7. Numeric Feature: sales_1_month

PDF of 'sales 1 month'

```
[]: x = train['sales_1_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'sales_1_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'sales_1_month'

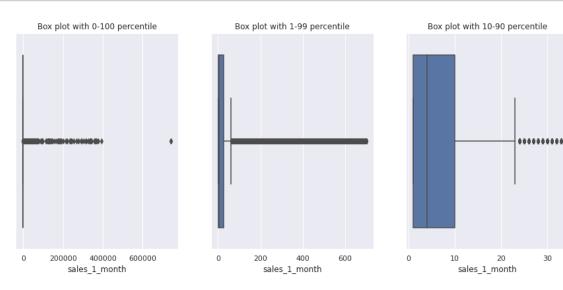
```
[]: feature = 'sales_1_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v', ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
```

```
axes[1].title.set_text('Box plot with 1-99 percentile')
axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'sales_1_month' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'sales_1_month'

```
Mean of sales_1_month : 55.926068512791346

Median of sales_1_month : 0.0

Mode of sales_1_month : 0.0

Skewness of the 'sales_1_month' feature : 196.1199898556541

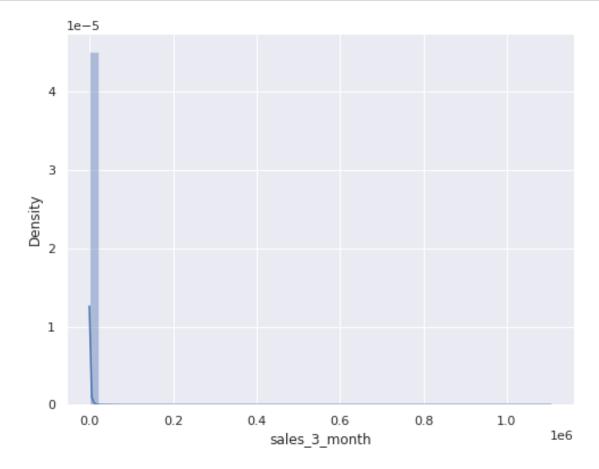
Kurtosis of the 'sales_1_month' feature : 53855.92556025887
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.8. Numeric Feature: sales_3_month

PDF of 'sales_3_month'

```
[]: x = train['sales_3_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'sales_3_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'sales_3_month'

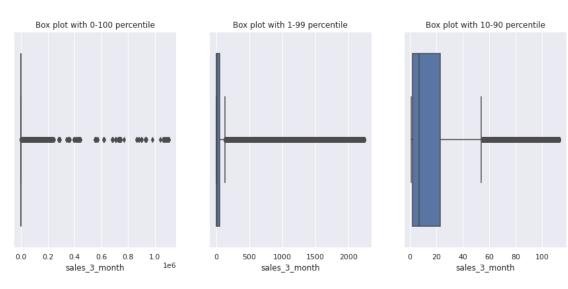
```
[]: feature = 'sales_3_month'
x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
```

```
x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
sns.boxplot(x= x, data=train, orient='v' , ax=axes[0])
sns.boxplot(x= x1, data=df1, orient='v' , ax=axes[1])
sns.boxplot(x= x2, data=df2, orient='v' , ax=axes[2])
axes[0].title.set_text('Box plot with 0-100 percentile')
axes[1].title.set_text('Box plot with 1-99 percentile')
axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'sales_3_month' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'sales_3_month'

Mean of sales_3_month : 175.0259304681668 Median of sales_3_month : 1.0 Mode of sales_3_month : 0.0

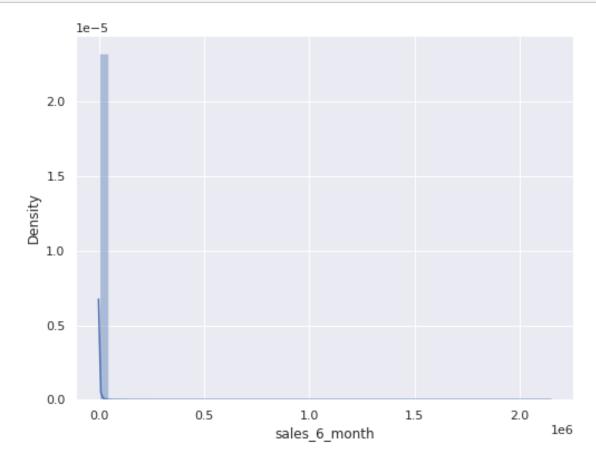
```
Skewness of the 'sales_3_month' feature: 141.2863795444832
Kurtosis of the 'sales_3_month' feature: 24198.860650933373
```

- Mode < Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.9. Numeric Feature: sales_6_month

PDF of 'sales_6_month'

```
[]: x = train['sales_6_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'sales_6_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

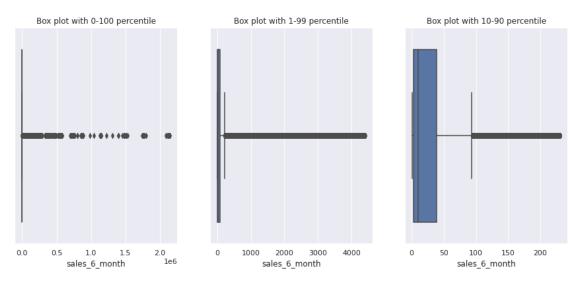
Boxplots of 'sales_6_month'

```
[]: feature = 'sales_6_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v', ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'sales_6_month' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'sales_6_month'

Mean of sales_6_month : 341.7288394772078

Median of sales_6_month : 2.0 Mode of sales_6_month : 0.0

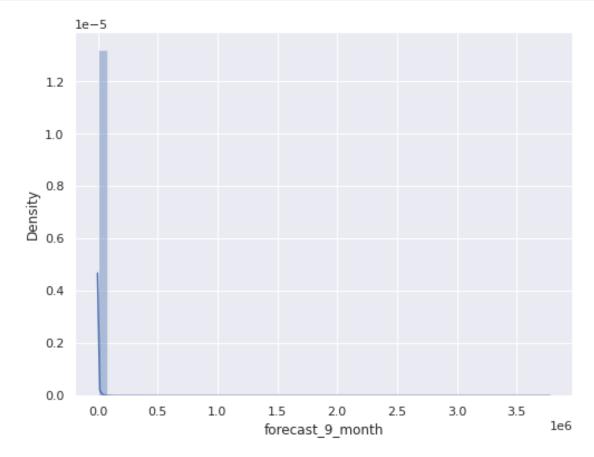
Skewness of the 'sales_6_month' feature : 139.17671201086372 Kurtosis of the 'sales_6_month' feature : 24305.44501338931

- Mode < Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.10. Numeric Feature: sales_9_month

PDF of 'forecast_9_month'

```
[]: x = train['forecast_9_month']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'sales_9_month' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

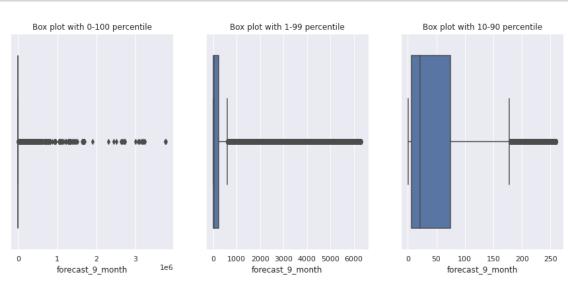
Boxplots of 'forecast_9_month'

```
[]: feature = 'forecast_9_month'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v' , ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v' , ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v' , ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'sales_9_month' is small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'forecast_9_month'

```
Mean of forecast_9_month: 506.3644306992286

Median of forecast_9_month: 0.0

Mode of forecast_9_month: 0.0

Skewness of the 'forecast_9_month' feature: 143.298874740098

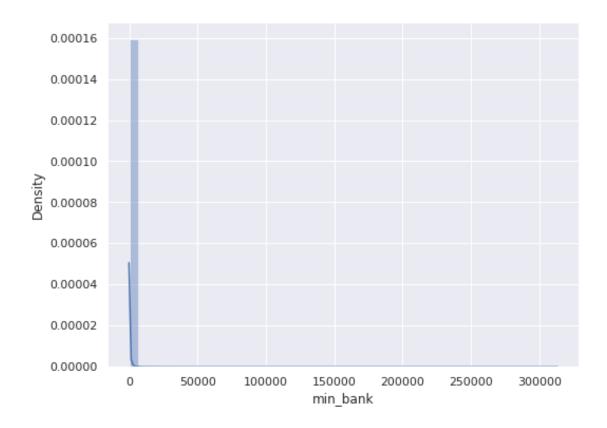
Kurtosis of the 'forecast_9_month' feature: 27048.452312581445
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.11. Numeric Feature: min_bank

PDF of 'min bank'

```
[]: x = train['min_bank']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'min_bank' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

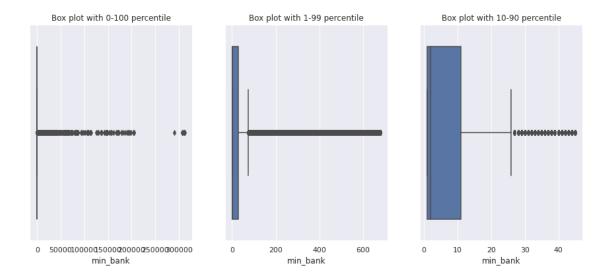
Boxplots of 'min_bank'

```
[]: feature = 'min_bank'
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 3, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
    sns.boxplot(x= x2, data=df2, orient='v', ax=axes[2])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
    axes[2].title.set_text('Box plot with 10-90 percentile')
```



- IQR of the 'min_bank' is very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'min_bank'

Mean of min_bank : 52.772303390091594

Median of min_bank : 0.0 Mode of min bank : 0.0

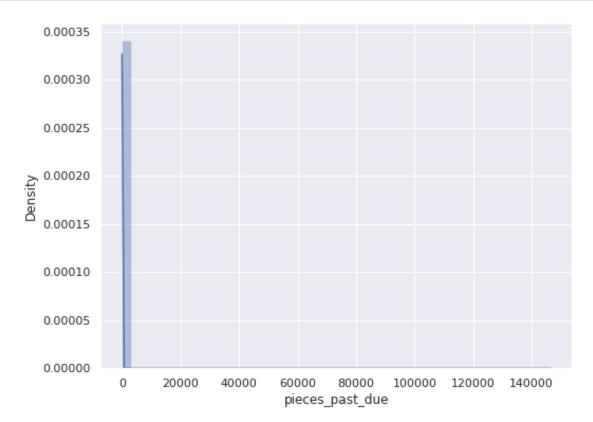
Skewness of the 'min_bank' feature : 131.21264893012795 Kurtosis of the 'min_bank' feature : 23549.240091008585

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.12. Numeric Feature: pieces_past_due

PDF of 'pieces_past_due'

```
[]: x = train['pieces_past_due']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'pieces_past_due' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'pieces_past_due'

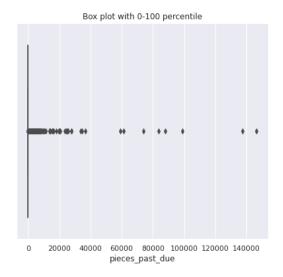
```
[]: feature = 'pieces_past_due'
    x = train[feature]

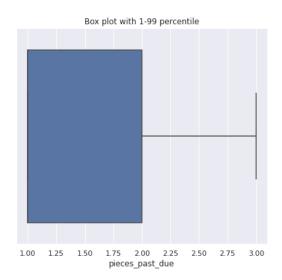
df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
    x2 = df2[feature]

f, axes = plt.subplots(1, 2, figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes[0])
    sns.boxplot(x= x1, data=df1, orient='v', ax=axes[1])
```

```
axes[0].title.set_text('Box plot with 0-100 percentile')
axes[1].title.set_text('Box plot with 1-99 percentile')
```





- IQR of the 'pieces_past_due' is very very small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'pieces_past_due'

```
Mean of pieces_past_due : 2.0437240055454837

Median of pieces_past_due : 0.0

Mode of pieces_past_due : 0.0

Skewness of the 'pieces_past_due' feature : 412.39190039252696

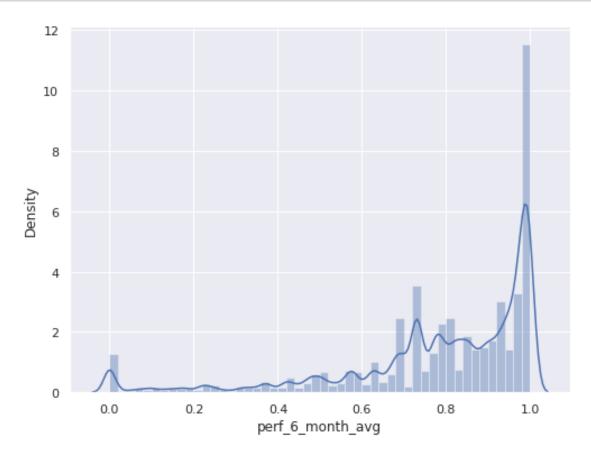
Kurtosis of the 'pieces_past_due' feature : 207663.2258415861
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1..13. Numeric Feature: perf_6_month_avg

PDF of 'perf_6_month_avg'

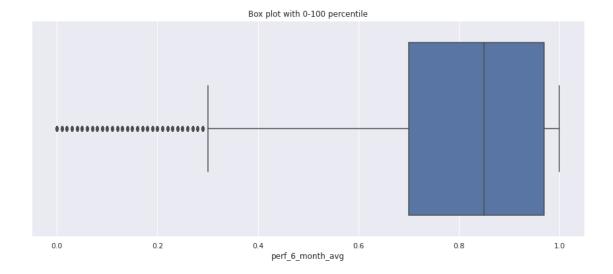
```
[]: x = train['perf_6_month_avg']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'perf_6_month_avg' is highly left skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.
- The box plots appear to be like this due to left skewdness.

Boxplots of 'perf_6_month_avg'

```
[]: feature = 'perf_6_month_avg'
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```



- IQR of the 'perf_6_month_avg' is large as compared to the range of its values.
- There seems to be outliers.

Some statistics of 'perf_6_month_avg'

```
Mean of perf_6_month_avg : 0.7823811940800672

Median of perf_6_month_avg : nan

Mode of perf_6_month_avg : 0.99

Skewness of the 'perf_6_month_avg' feature : -1.5849790517782292

Kurtosis of the 'perf_6_month_avg' feature : 2.275871675113145
```

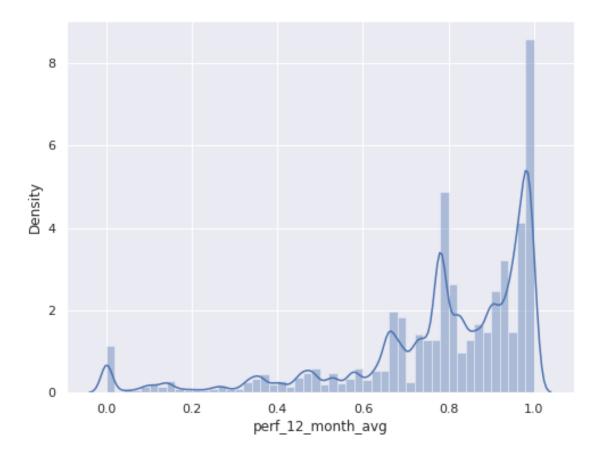
- Feature left skewd as it has low negative skewdness value.
- Kurtosis value is low impling that there are a some values located in the tail part of the distribution.

3.5.1.14. Numeric Feature: perf_12_month_avg

PDF of 'perf_12_month_avg'

```
[]: x = train['perf_12_month_avg']
plt.figure(figsize=(8,6))
```

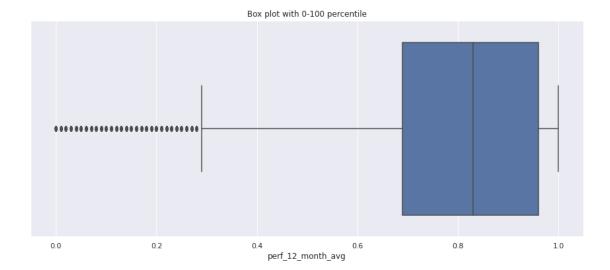
ax = sns.distplot(x, hist=True)



- The pdf of the feature 'perf_12_month_avg' is highly left skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'perf_12_month_avg'

```
[]: feature = 'perf_12_month_avg'
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x= x, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```



- IQR of the 'perf_12_month_avg' is large as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to left skewdness.

Some statistics of 'perf_12_month_avg'

```
Mean of perf_12_month_avg : 0.7769762678715476

Median of perf_12_month_avg : nan

Mode of perf_12_month_avg : 0.99

Skewness of the 'perf_12_month_avg' feature : -1.6177075400141825

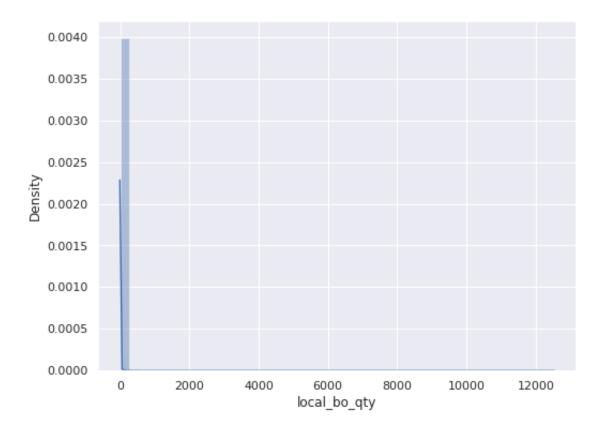
Kurtosis of the 'perf_12_month_avg' feature : 2.416416262597326
```

- Feature left skewd as it has low negative skewdness value.
- Kurtosis value is low impling that there are a some values located in the tail part of the distribution.

3.5.1.15. Numeric Feature: local_bo_qty

PDF of 'local_bo_qty'

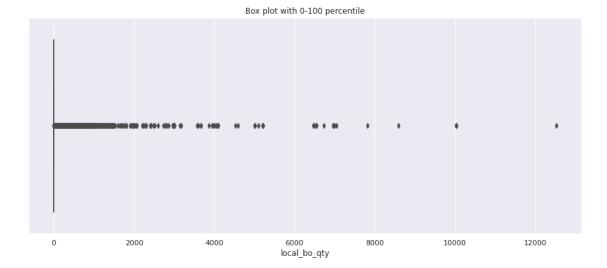
```
[]: x = train['local_bo_qty']
plt.figure(figsize=(8,6))
ax = sns.distplot(x, hist=True)
```



- The pdf of the feature 'local_bo_qty' is highly right skewed which can be seen through the plot.
- This can be due to outliers and need further investigation.

Boxplots of 'local_bo_qty'

```
[]: feature = 'local_bo_qty'
x = train[feature]
f, axes = plt.subplots(figsize=(15,6))
sns.boxplot(x= x, data=train, orient='v', ax=axes)
axes.title.set_text('Box plot with 0-100 percentile')
```



- IQR of the 'local_bo_qty' is small as compared to the range of its values.
- There seems to be outliers.
- The box plots appear to be like this due to right skewdness and a lot of values being present on the tail part of the distribution.

Some statistics of 'local_bo_qty'

```
Mean of local_bo_qty : 0.6264506534902183

Median of local_bo_qty : 0.0

Mode of local_bo_qty : 0.0

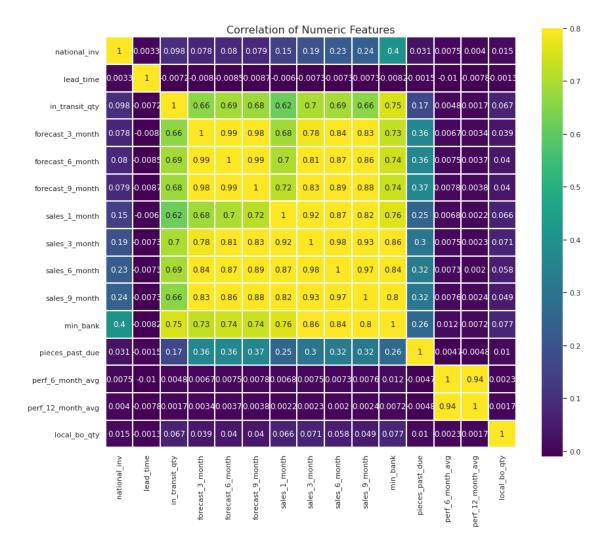
Skewness of the 'local_bo_qty' feature : 165.19054793748316

Kurtosis of the 'local_bo_qty' feature : 38154.955457397235
```

- Mode <= Median < Mean, this implies there is right skewdness.
- Feature heavily right skewd as it has high positive skewdness value.
- Kurtosis value is very high impling that there are a lot of values located in the tail part of the distribution.

3.5.1.16. Correlation between Numeric Features

[]: <AxesSubplot:title={'center':'Correlation of Numeric Features'}>



Above correlation analysis reveals that: - Forecast columns are very much correlated with each other. - Sales columns are also very much correlated with each other. - Forecast and sales columns are also very much correlated with each other. These correlations seems logical as forecast depends on sales and previous forecasts - Performance columns are also very much correlated with each other. - 'pieces_past_due' also shows some correlation with forecast, sales and 'min_bank' columns. - 'min_bank' column showing alot of correlation with forecast, sales and 'in_transit_qty' columns. - 'in_transit_qty' is also correlated to forecast and sales columns. - 'national_inv' is showing some correlation with 'min_bank' column.

4.5.2 3.5.2. Categorical Features

There are 8 categorical features in the dataset

- 1. sku
- 2. potential_issue
- 3. deck_risk
- 4. oe_constraint
- 5. ppap_risk
- 6. stop_auto_buy
- 7. rev_stop
- 8. went_on_backorder
 - There are 7 categorical features
 - 8th feature is the target variable.

```
[]: for col in categorical_columns:
    print('Number of unique categories in {} feature : {}'. format(col, 
    →train[col].nunique()))
```

```
Number of unique categories in sku feature: 1687860

Number of unique categories in potential_issue feature: 2

Number of unique categories in deck_risk feature: 2

Number of unique categories in oe_constraint feature: 2

Number of unique categories in ppap_risk feature: 2

Number of unique categories in stop_auto_buy feature: 2

Number of unique categories in rev_stop feature: 2

Number of unique categories in went_on_backorder feature: 2
```

- Out of 8 categorical features only one feature have a lot of unique values 'sku' which appears to be equal to length of the dataset.
- It implies that 'sku' which is the unique product id is acting same as the index hence there is no utility of this feature.

3.5.2.1. Categorical Featuere: sku

```
[]: # Removing the 'sku' column from the dataset train.drop(['sku'], axis = 1,inplace=True)
```

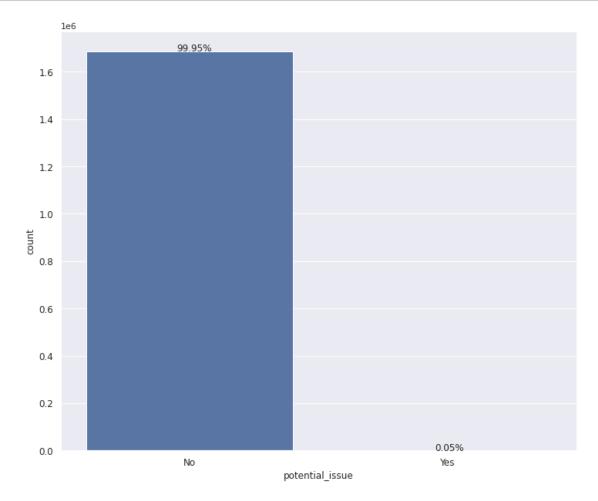
```
[]: # Shape of the dataset after removing the 'sku' column print("Shape of the Dataset after removal of 'sku' column: ", train.shape)
```

Shape of the Dataset after removal of 'sku' column: (1687860, 22)

3.5.2.2. Categorical Featuere: potential_issue

```
[]: feature = "potential_issue"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)

without_hue(ax, train[feature])
```



• 99.95% of data points have 'potential_issue' flag as 'No'.

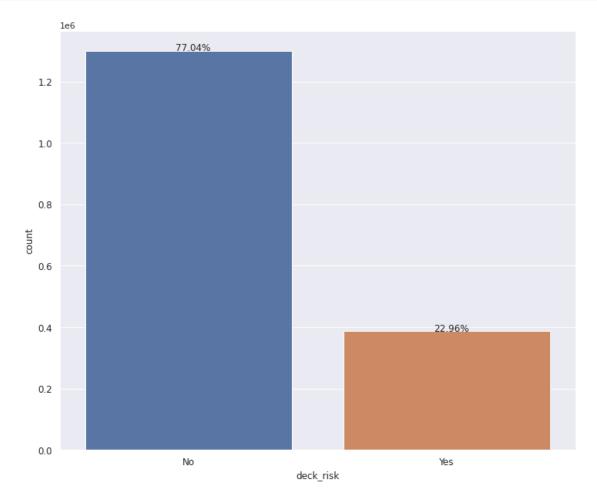
- 0.05% of data points have 'potential_issue' flag as 'Yes'.
- There is imbalance in the distribution of points for the two values of 'potential_issue'.

```
[]: train["potential_issue"].value_counts()
[]: No     1686953
     Yes     907
     Name: potential_issue, dtype: int64
```

3.5.2.3. Categorical Featuere: deck_risk

```
[]: feature = "deck_risk"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)

without_hue(ax, train[feature])
```



- 77.04% of data points have 'deck_risk' flag as 'No'.
- 22.96% of data points have 'deck_risk' flag as 'Yes'.
- There is imbalance in the distribution of points for the two values of 'deck_risk'.

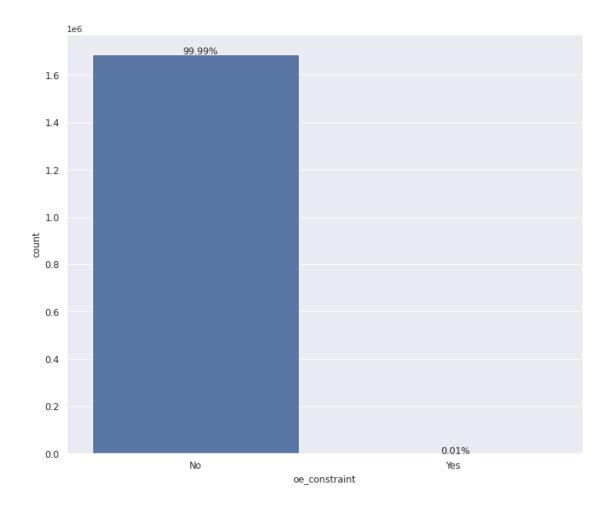
```
[]: train["deck_risk"].value_counts()

[]: No    1300377
    Yes    387483
    Name: deck_risk, dtype: int64
```

3.5.2.4. Categorical Featuere: oe_constraint

```
[]: feature = "oe_constraint"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)

without_hue(ax, train[feature])
```



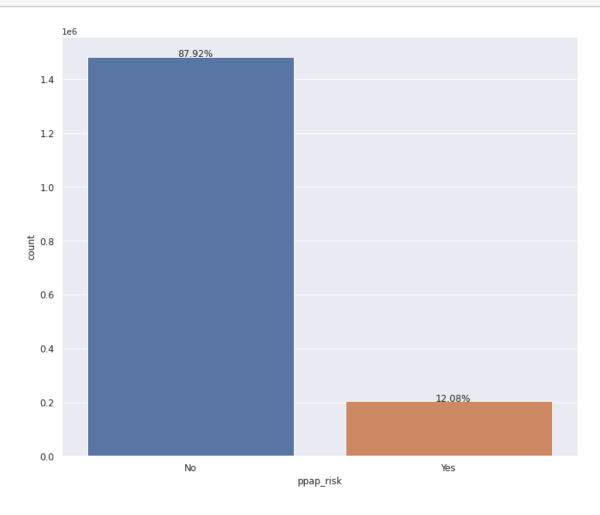
- 99.99% of data points have 'oe_constraint' flag as 'No'.
- 0.01% of data points have 'oe_constraint' flag as 'Yes'.
- There is imbalance in the distribution of points for the two values of 'oe_constraint'.

```
[]: train["oe_constraint"].value_counts()
[]: No     1687615
     Yes     245
     Name: oe_constraint, dtype: int64
```

3.5.2.5. Categorical Featuere: ppap_risk

```
[]: feature = "ppap_risk"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)
```

without_hue(ax, train[feature])



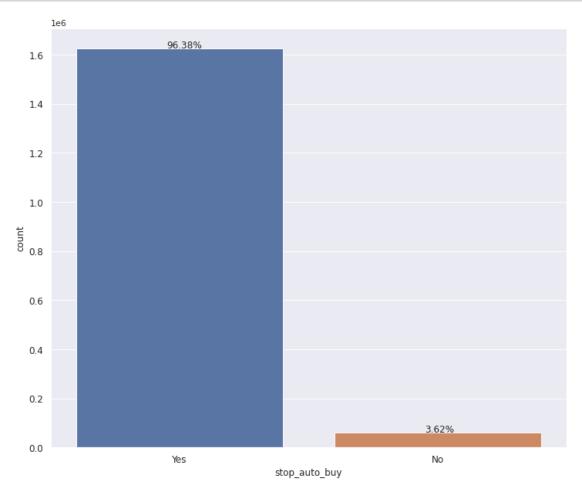
- 87.92% of data points have 'ppap_risk' flag as 'No'.
- 12.08% of data points have 'ppap_risk' flag as 'Yes'.
- There is imbalance in the distribution of points for the two values of 'ppap_risk'.

```
[]: train["ppap_risk"].value_counts()
[]: No    1484026
    Yes    203834
    Name: ppap_risk, dtype: int64
```

3.5.2.6. Categorical Featuere: stop_auto_buy

```
[]: feature = "stop_auto_buy"
plt.figure(figsize=(12,10))
ax=sns.countplot(x= feature, data=train)
```

```
plt.xticks(size=12)
plt.xlabel(feature,size=12)
plt.yticks(size=12)
plt.ylabel('count',size=12)
without_hue(ax, train[feature])
```



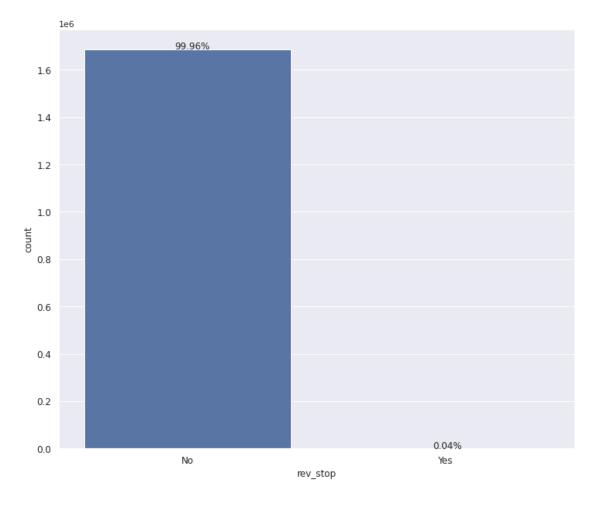
- 96.38% of data points have 'stop_auto_buy' flag as 'Yes'.
- 3.62% of data points have 'stop_auto_buy' flag as 'No'.
- There is imbalance in the distribution of points for the two values of 'stop_auto_buy'.

```
[]: train["stop_auto_buy"].value_counts()
[]: Yes    1626774
    No    61086
    Name: stop_auto_buy, dtype: int64
```

3.5.2.7. Categorical Featuere: rev_stop

```
[]: feature = "rev_stop"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)

without_hue(ax, train[feature])
```



- 99.96% of data points have 'rev_stop' flag as 'No'.
- 0.04% of data points have 'rev_stop' flag as 'Yes'.
- There is imbalance in the distribution of points for the two values of 'rev_stop'.

```
[]: train["rev_stop"].value_counts()
[]: No 1687129
Yes 731
```

Name: rev_stop, dtype: int64

3.5.2.8. Correlation between Categorical Features: chisquare test

```
[]: # referred from https://stackoverflow.com/a/48035423

df = categorical_features.drop(['went_on_backorder', 'sku'], axis=1)

df=df.apply(lambda x : pd.factorize(x)[0])+1

pd.DataFrame([chisquare(df[x].values,f_exp=df.values.T,axis=1)[0] for x in df],

→columns=df.columns, index=df.columns)
```

[]:		potential_issue	deck_risk	oe_constraint	ppap_risk	\
	potential_issue	0.0	194278.0	1019.0	102489.5	
	deck_risk	387566.0	0.0	387517.0	406313.5	
	oe_constraint	688.0	193898.0	0.0	102081.0	
	ppap_risk	203953.0	314489.0	203875.5	0.0	
	stop_auto_buy	61517.0	205957.5	61208.5	146798.5	
	rev_stop	1184.5	194414.0	853.5	102175.5	

	stop_auto_buy	rev_stop
potential_issue	31427.5	1272.5
deck_risk	369156.0	387790.0
oe_constraint	30788.0	610.5
ppap_risk	218172.5	203727.0
stop_auto_buy	0.0	60919.0
rev_stop	30741.5	0.0

- There could be some correlation between 'potential_issue' and 'oe_constraint'.
- There could be some correlation between 'rev_stop' and 'oe_constraint'.
- There could be some correlation between 'rev_stop' and 'potential_issue'.
- Although the scores are high, but comparatively scores of above features are the lowest.

4.6 3.6. Bivariate Analysis

Here we will analayise each features with the target variable

4.6.1 3.6.1. Numeric Features vs Target variable

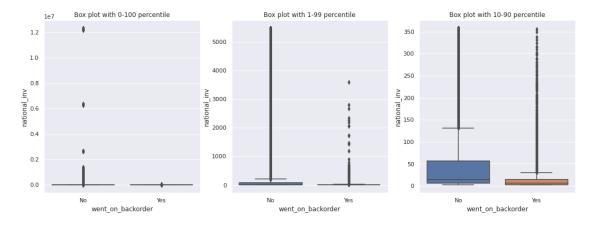
3.6.1.1. 'national_inv' vs 'went_on_backorder'

Count plot of 'national_inv' vs 'went_on_backorder'

```
[]: feature = 'national_inv'
x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
```



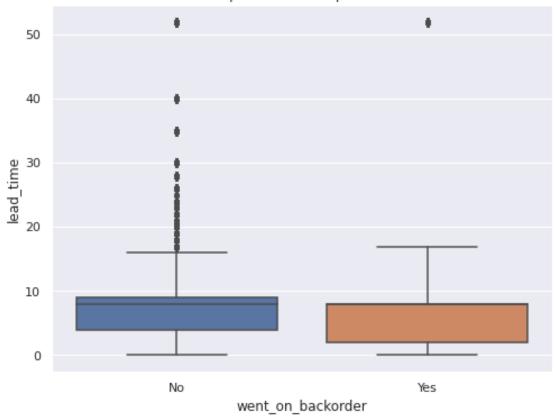
- IQR appear to be small for 'Yes' class and large for 'No' class.
- For both the classes, IQR is overlapping. Median values are different. This featuer could help in classifying whether or not product went to backorder.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.2. 'lead_time' vs 'went_on_backorder'

Count plot of 'lead_time' vs 'went_on_backorder'

```
[]: feature = "lead_time"
    x = train[feature]
    f, axes = plt.subplots(figsize=(8,6))
    sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```

Box plot with 0-100 percentile



- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Hence, this feature doesn't seem helpful for classification.
- There seems to be a problem of outlier for the minority class 'No'.
- This feature also has missing values.

3.6.1.3. 'in_transit_qty' vs 'went_on_backorder'

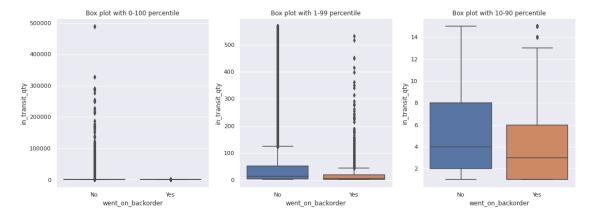
Count plot of 'in_transit_qty' vs 'went_on_backorder'

```
feature = "in_transit_qty"
x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
x1 = df1[feature]

df2 = feature_percentile_dataframe(10,90,feature,train)
x2 = df2[feature]

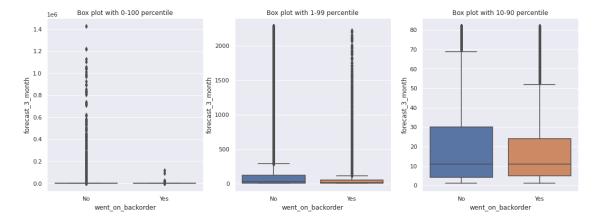
f, axes = plt.subplots(1, 3, figsize=(18,6))
```



- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Median values are different. This featuer could help in classifying whether or not product went to backorder.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.4. 'forecast_3_month' vs 'went_on_backorder'

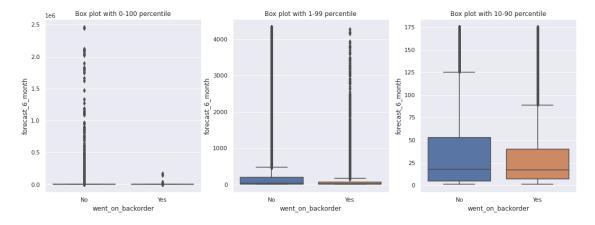
Count plot of 'forecast_3_month' vs 'went_on_backorder'



- For both the classes, IQR appear to be medium.
- For both the classes, IQR is overlapping. Median values also appears to be almost same. Hence, this feature doesn't seem helpful for classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.5. 'forecast_6_month' vs 'went_on_backorder'

Count plot of 'forecast_6_month' vs 'went_on_backorder'

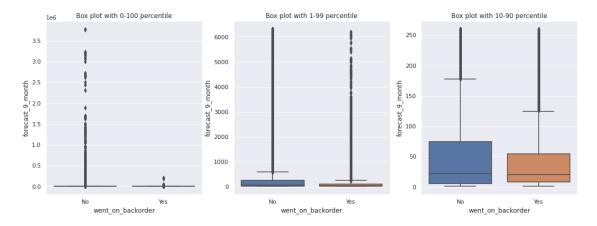


- For both the classes, IQR appear to be medium.
- For both the classes, IQR is overlapping. Median values also appears to be almost same. Hence, this feature doesn't seem helpful for classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.6. 'forecast_9_month' vs 'went_on_backorder'

Count plot of 'forecast_9_month' vs 'went_on_backorder'

```
axes[1].title.set_text('Box plot with 1-99 percentile')
axes[2].title.set_text('Box plot with 10-90 percentile')
```

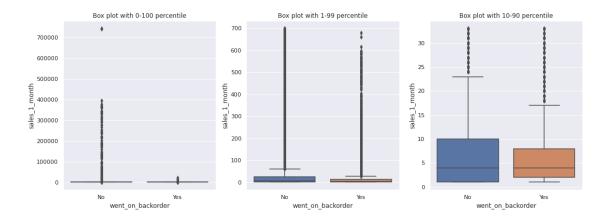


- For both the classes, IQR appear to be large.
- For both the classes, IQR is overlapping. Median values also appears to be almost same. Hence, this feature doesn't seem helpful for classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.7. 'sales_1_month' vs 'went_on_backorder'

Count plot of 'sales_1_month' vs 'went_on_backorder'

```
[]: feature = "sales 1 month"
   x = train[feature]
   df1 = feature_percentile_dataframe(1,99,feature,train)
   x1 = df1[feature]
   df2 = feature_percentile_dataframe(10,90,feature,train)
   x2 = df2[feature]
   f, axes = plt.subplots(1, 3, figsize=(18,6))
   sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', ,_
     \rightarrowax=axes[0])
   sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', ,__
    \rightarrowax=axes[1])
   sns.boxplot(x='went on backorder', y=feature, data=df2, orient='v', ,__
    \rightarrowax=axes[2])
   axes[0].title.set_text('Box plot with 0-100 percentile')
   axes[1].title.set_text('Box plot with 1-99 percentile')
   axes[2].title.set text('Box plot with 10-90 percentile')
```

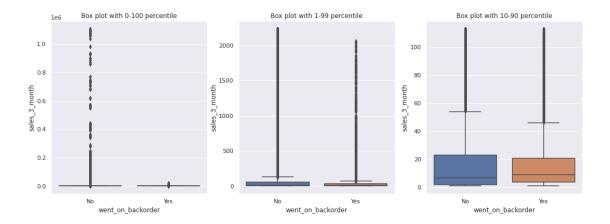


- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Median values also overlapping. Hence, this feature doesn't seems helpful for determing whether product went to backorder or not,
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.8. 'sales_3_month' vs 'went_on_backorder'

Count plot of 'sales_3_month' vs 'went_on_backorder'

```
[]: feature = "sales_3_month"
   x = train[feature]
   df1 = feature_percentile_dataframe(1,99,feature,train)
   x1 = df1[feature]
   df2 = feature_percentile_dataframe(10,90,feature,train)
   x2 = df2[feature]
   f, axes = plt.subplots(1, 3, figsize=(18,6))
   sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', u
    \rightarrowax=axes[0])
   sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', u
    \rightarrowax=axes[1])
   sns.boxplot(x='went_on_backorder', y=feature, data=df2, orient='v', ,_
    \rightarrowax=axes[2])
   axes[0].title.set_text('Box plot with 0-100 percentile')
   axes[1].title.set_text('Box plot with 1-99 percentile')
   axes[2].title.set_text('Box plot with 10-90 percentile')
```

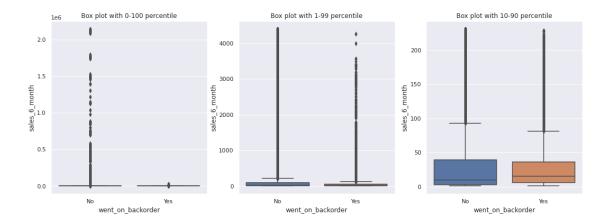


- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Median values appears to be different. Hence, this feature could be helpful in classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.9. 'sales_6_month' vs 'went_on_backorder'

Count plot of 'sales_6_month' vs 'went_on_backorder'

```
[]: feature = "sales_6_month"
   x = train[feature]
   df1 = feature_percentile_dataframe(1,99,feature,train)
   x1 = df1[feature]
   df2 = feature_percentile_dataframe(10,90,feature,train)
   x2 = df2[feature]
   f, axes = plt.subplots(1, 3, figsize=(18,6))
   sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', u
    \rightarrowax=axes[0])
   sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', ,_
    \rightarrowax=axes[1])
   sns.boxplot(x='went_on_backorder', y=feature, data=df2, orient='v', u
    \rightarrowax=axes[2])
   axes[0].title.set_text('Box plot with 0-100 percentile')
   axes[1].title.set_text('Box plot with 1-99 percentile')
   axes[2].title.set_text('Box plot with 10-90 percentile')
```

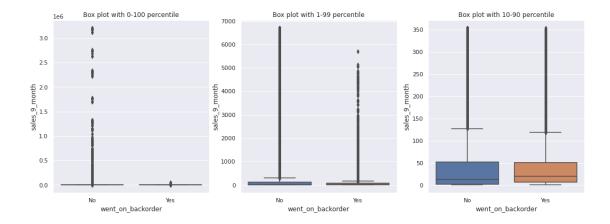


- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Median values appears to be different. Hence, this feature could be helpful in classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.10. 'sales_9_month' vs 'went_on_backorder'

Count plot of 'sales_9_month' vs 'went_on_backorder'

```
[]: feature = "sales_9_month"
   x = train[feature]
   df1 = feature_percentile_dataframe(1,99,feature,train)
   x1 = df1[feature]
   df2 = feature_percentile_dataframe(10,90,feature,train)
   x2 = df2[feature]
   f, axes = plt.subplots(1, 3, figsize=(18,6))
   sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', u
    \rightarrowax=axes[0])
   sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', ,_
    \rightarrowax=axes[1])
   sns.boxplot(x='went_on_backorder', y=feature, data=df2, orient='v', u
    \rightarrowax=axes[2])
   axes[0].title.set_text('Box plot with 0-100 percentile')
   axes[1].title.set_text('Box plot with 1-99 percentile')
   axes[2].title.set_text('Box plot with 10-90 percentile')
```

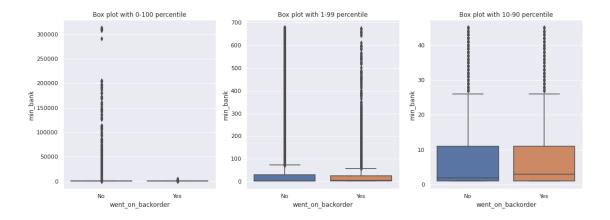


- For both the classes, IQR appear to be medium.
- For both the classes, IQR is overlapping. Median values appears to be different. Hence, this feature could be helpful in classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.11. 'min_bank' vs 'went_on_backorder'

Count plot of 'min_bank' vs 'went_on_backorder'

```
[]: feature = "min_bank"
   x = train[feature]
   df1 = feature_percentile_dataframe(1,99,feature,train)
   x1 = df1[feature]
   df2 = feature_percentile_dataframe(10,90,feature,train)
   x2 = df2[feature]
   f, axes = plt.subplots(1, 3, figsize=(18,6))
   sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', u
    \rightarrowax=axes[0])
   sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', ,u
    \rightarrowax=axes[1])
   sns.boxplot(x='went_on_backorder', y=feature, data=df2, orient='v', u
    \rightarrowax=axes[2])
   axes[0].title.set_text('Box plot with 0-100 percentile')
   axes[1].title.set_text('Box plot with 1-99 percentile')
   axes[2].title.set_text('Box plot with 10-90 percentile')
```



- For both the classes, IQR appear to be small.
- For both the classes, IQR is overlapping. Median values although different but appears to be close. Hence, this feature will not be helpful in differentiating classes.
- There seems to be a problem of outlier for the minority class 'No'.

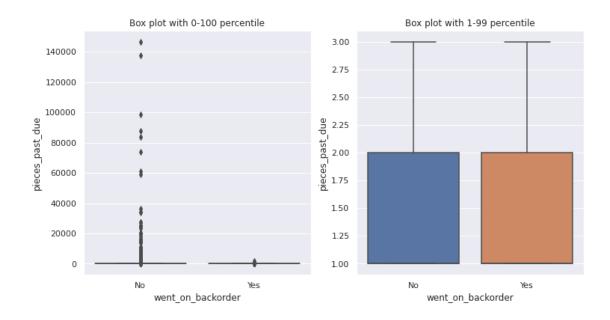
3.6.1.12. 'pieces_past_due' vs 'went_on_backorder'

Count plot of 'pieces_past_due' vs 'went_on_backorder'

```
[]: feature = "pieces_past_due"
    x = train[feature]

df1 = feature_percentile_dataframe(1,99,feature,train)
    x1 = df1[feature]

f, axes = plt.subplots(1, 2, figsize=(12,6))
    sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', u=ax=axes[0])
    sns.boxplot(x='went_on_backorder', y=feature, data=df1, orient='v', u=ax=axes[1])
    axes[0].title.set_text('Box plot with 0-100 percentile')
    axes[1].title.set_text('Box plot with 1-99 percentile')
```

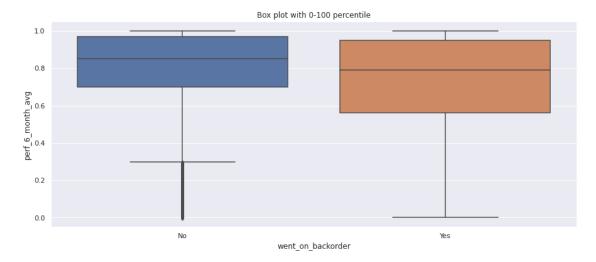


- For both the classes, IQR appear to be very small.
- For both the classes, IQR is overlapping completely. Hence, this feature is not helpful in classification.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.13. 'perf_6_month_avg' vs 'went_on_backorder'

Count plot of 'perf_6_month_avg' vs 'went_on_backorder'

```
[]: feature = "perf_6_month_avg"
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```

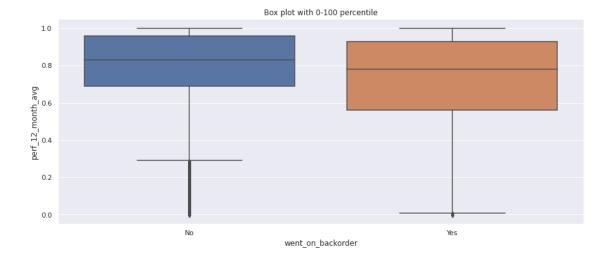


- For both the classes, IQR appear to be very small.
- For both the classes, IQR is overlapping. But median values are different for each class, also lower percentile is much lower for 'Yes' class then 'No' class. Hence could be somewhat helpful in differentiating.
- There seems to be a problem of outlier for the minority class 'No'.
- This feature also has missing values.

3.6.1.14. 'perf_12_month_avg' vs 'went_on_backorder'

Count plot of 'perf_12_month_avg' vs 'went_on_backorder'

```
[]: feature = "perf_12_month_avg"
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```

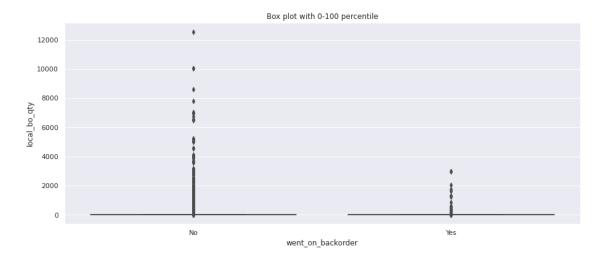


- For both the classes, IQR appear to be very small.
- For both the classes, IQR is overlapping. But median values are different for each class, also lower percentile is much lower for 'Yes' class then 'No' class. Hence could be somewhat helpful in differentiating.
- There seems to be a problem of outlier for the minority class 'No'.

3.6.1.15. 'local_bo_qty' vs 'went_on_backorder'

Count plot of 'local_bo_qty' vs 'went_on_backorder'

```
[]: feature = "local_bo_qty"
    x = train[feature]
    f, axes = plt.subplots(figsize=(15,6))
    sns.boxplot(x='went_on_backorder', y=feature, data=train, orient='v', ax=axes)
    axes.title.set_text('Box plot with 0-100 percentile')
```



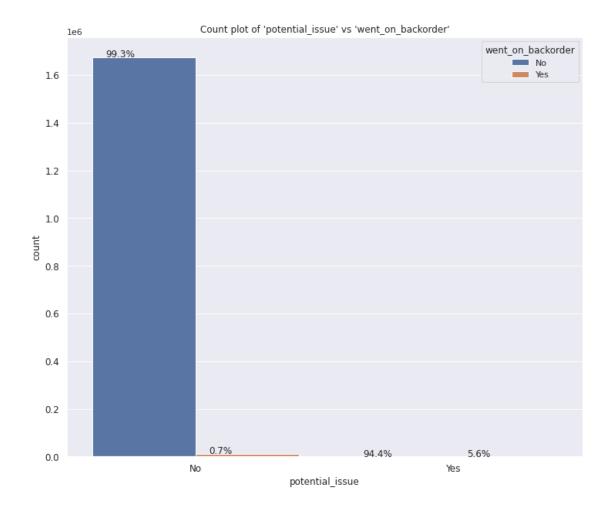
- For both the classes, IQR appear to be small.
- For both the classes, IQR seems to similar. Hence can't differentiate as it is.
- There seems to be a problem of outlier for the minority class 'No'.
- This feature also has missing values.

4.6.2 3.6.2. Categorical Features vs Target Variable

3.6.2.1. 'potential_issue' vs 'went_on_backorder'

Count plot of 'potential_issue' vs 'went_on_backorder'

```
[]: feature = "potential_issue"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)
  plt.title("Count plot of 'potential_issue' vs 'went_on_backorder'")
  with_hue(ax, train[feature], 2, 2)
```

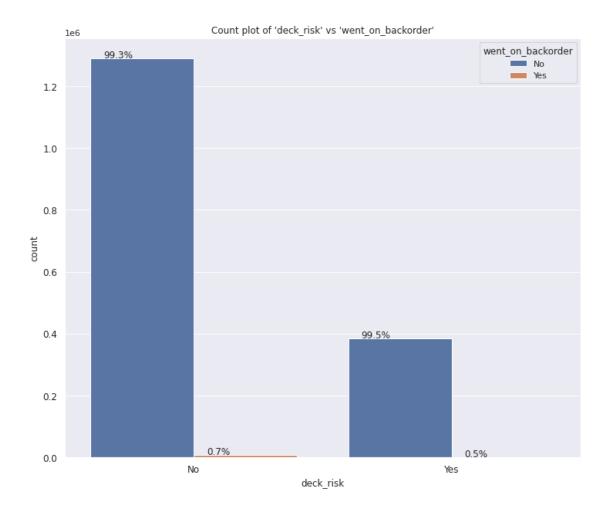


- When 'potential_issue' is 'No', 0.7% products went to backorder.
- When 'potential_issue' is 'Yes', 5.6% products went to backorder.
- When 'potential_issue' is 'Yes', there 8 times more probability of product going to backorder.

3.6.2.2. 'deck_risk' vs 'went_on_backorder'

Count plot of 'deck_risk' vs 'went_on_backorder'

```
[]: feature = "deck_risk"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)
  plt.title("Count plot of 'deck_risk' vs 'went_on_backorder'")
  with_hue(ax, train[feature], 2, 2)
```



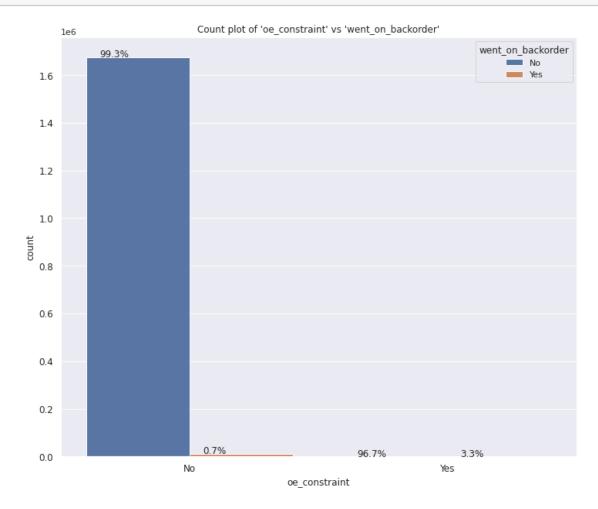
- When 'deck_risk' is 'No', 0.7% products went to backorder.
- When 'deck_risk' is 'Yes', 0.5% products went to backorder.
- Since distribution of points, when product went to backorder is almost similar in this case, this feature doesn't seem helpful in determining whether or not product went ot backorder.

3.6.2.3. 'oe_constraint' vs 'went_on_backorder'

Count plot of 'oe_constraint' vs 'went_on_backorder'

```
[]: feature = "oe_constraint"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)
  plt.title("Count plot of 'oe_constraint' vs 'went_on_backorder'")
```

with_hue(ax, train[feature], 2, 2)



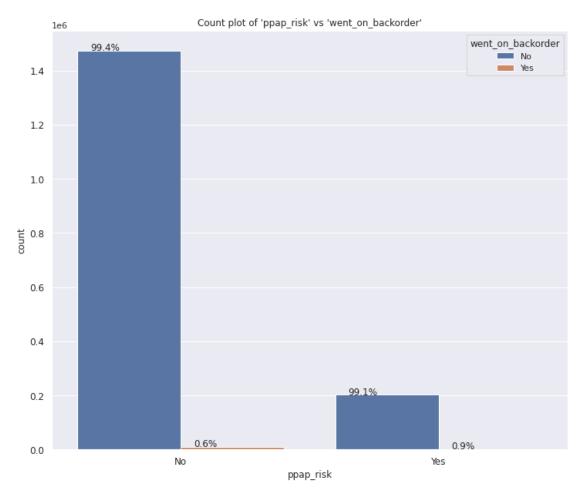
- When 'oe_constraint' is 'No', 0.7% products went to backorder.
- When 'oe_constraint' is 'Yes', 3.3% products went to backorder.
- So, it means it 'oe_constraint' value is 'Yes' there are approx 5% more probability of product going to backorder. Hence, this feature is important.

3.6.2.4. 'ppap_risk' vs 'went_on_backorder'

Count plot of 'ppap_risk' vs 'went_on_backorder'

```
[]: feature = "ppap_risk"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
  plt.yticks(size=12)
  plt.ylabel('count',size=12)
```

```
plt.title("Count plot of 'ppap_risk' vs 'went_on_backorder'")
with_hue(ax, train[feature], 2, 2)
```



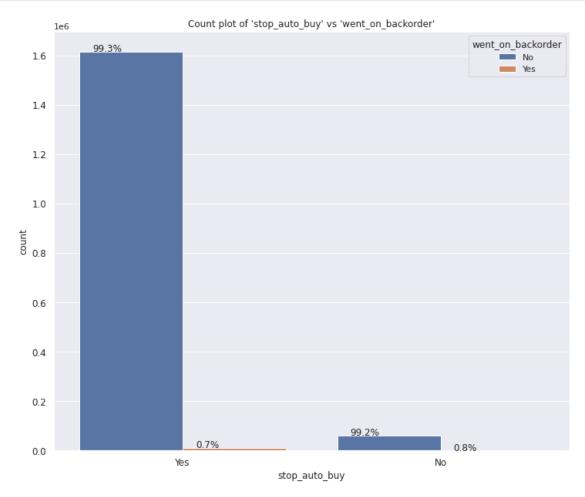
- When 'ppap_risk' is 'No', 0.6% of product goes to backorder.
- When 'ppap_risk' is 'Yes', 0.9% of product goes to backorder.
- This feature also doesn't seem to be helpful as it is not providing much distinction between product went to backorder or not.

3.6.2.5. 'stop_auto_buy' vs 'went_on_backorder'

Count plot of 'stop_auto_buy' vs 'went_on_backorder'

```
[]: feature = "stop_auto_buy"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
  plt.xticks(size=12)
  plt.xlabel(feature,size=12)
```

```
plt.yticks(size=12)
plt.ylabel('count',size=12)
plt.title("Count plot of 'stop_auto_buy' vs 'went_on_backorder'")
with_hue(ax, train[feature], 2, 2)
```



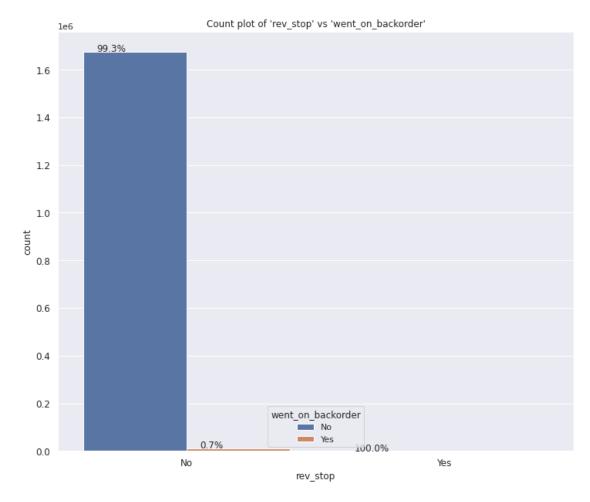
- When 'stop_auto_buy' was 'Yes', about 0.7% of the products went to backorder.
- When 'stop_auto_buy' was 'No', about 0.8% of the products went to backorder.
- This feature is not helping much in classification, as it have almost equal distribution of points.

3.6.2.6. 'rev_stop' vs 'went_on_backorder'

Count plot of 'rev_stop' vs 'went_on_backorder'

```
[]: feature = "rev_stop"
  plt.figure(figsize=(12,10))
  ax=sns.countplot(x= feature, hue = 'went_on_backorder', data=train)
```

```
plt.xticks(size=12)
plt.xlabel(feature,size=12)
plt.yticks(size=12)
plt.ylabel('count',size=12)
plt.title("Count plot of 'rev_stop' vs 'went_on_backorder'")
with_hue(ax, train[feature], 2, 2)
```



- When 'rev_stop' is 'Yes', no product went ot backorder.
- When 'rev_stop' is 'No', about 0.7% of products went to backorder.
- This feature could be helpful in classification, as products goes to backorder when it set to 'No' only.

3.6.2.7. Correlation between categorical features and target variable

```
[]: # referred from https://stackoverflow.com/a/48035423
df = categorical_features.drop(['sku'], axis=1)
df=df.apply(lambda x : pd.factorize(x)[0])+1
```

```
pd.DataFrame([chisquare(df[x].values,f_exp=df.values.T,axis=1)[0] for x in_u

→['went_on_backorder']], columns=df.columns, index=['went_on_backorder'])

[]: potential_issue deck_risk oe_constraint ppap_risk \
went_on_backorder 11670.0 202160.5 11403.5 110571.5

stop_auto_buy rev_stop went_on_backorder
went_on_backorder 41129.5 11658.5 0.0
```

• The features doesn't seems to be much correlated to the target variable individually.

5 4. Feature Engineering

```
[]: train.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 1687860 entries, 0 to 1687859
Data columns (total 22 columns):
```

#	Column	Non-Null Count	Dtype	
0	national_inv	1687860 non-null	float64	
1	<pre>lead_time</pre>	1586967 non-null	float64	
2	in_transit_qty	1687860 non-null	float64	
3	forecast_3_month	1687860 non-null	float64	
4	forecast_6_month	1687860 non-null	float64	
5	forecast_9_month	1687860 non-null	float64	
6	sales_1_month	1687860 non-null	float64	
7	sales_3_month	1687860 non-null	float64	
8	sales_6_month	1687860 non-null	float64	
9	sales_9_month	1687860 non-null	float64	
10	min_bank	1687860 non-null	float64	
11	potential_issue	1687860 non-null	object	
12	pieces_past_due	1687860 non-null	float64	
13	perf_6_month_avg	1558382 non-null	float64	
14	perf_12_month_avg	1565810 non-null	float64	
15	local_bo_qty	1687860 non-null	float64	
16	deck_risk	1687860 non-null	object	
17	oe_constraint	1687860 non-null	object	
18	ppap_risk	1687860 non-null	object	
19	stop_auto_buy	1687860 non-null	object	
20	rev_stop	1687860 non-null	object	
21	went_on_backorder	1687860 non-null	object	
<pre>dtypes: float64(15), object(7)</pre>				

memory usage: 296.2+ MB

5.1 4.1. Converting values of categorical features from 'No' and 'Yes' to 0 and 1

```
[]: # Change categorical features from string to numerical

cat_cols = ['potential_issue', 'deck_risk', 'oe_constraint', 'ppap_risk',

→'stop_auto_buy', 'rev_stop', 'went_on_backorder']

for col_name in cat_cols:

    train[col_name] = train[col_name].map({'No':0.0, 'Yes':1.0})

    #test[col_name] = test[col_name].map({'No':0, 'Yes':1})

train.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 1687860 entries, 0 to 1687859
Data columns (total 22 columns):
```

даоа	G-1	•	D+
#	Column	Non-Null Count	Dtype
	notional inv	1687860 non-null	float64
0	national_inv		
1	lead_time	1586967 non-null	float64
2	<pre>in_transit_qty</pre>	1687860 non-null	float64
3	forecast_3_month	1687860 non-null	float64
4	forecast_6_month	1687860 non-null	float64
5	forecast_9_month	1687860 non-null	float64
6	sales_1_month	1687860 non-null	float64
7	sales_3_month	1687860 non-null	float64
8	sales_6_month	1687860 non-null	float64
9	sales_9_month	1687860 non-null	float64
10	min_bank	1687860 non-null	float64
11	potential_issue	1687860 non-null	float64
12	pieces_past_due	1687860 non-null	float64
13	perf_6_month_avg	1558382 non-null	float64
14	perf_12_month_avg	1565810 non-null	float64
15	local_bo_qty	1687860 non-null	float64
16	deck_risk	1687860 non-null	float64
17	oe_constraint	1687860 non-null	float64
18	ppap_risk	1687860 non-null	float64
19	stop_auto_buy	1687860 non-null	float64
20	rev_stop	1687860 non-null	float64
21	went_on_backorder	1687860 non-null	float64
dtypes: float64(22)			
memory usage: 296.2 MB			
	· -		

5.2 4.2. Train Test Split

```
[]: X_train.shape, X_test.shape
[]: ((1350288, 21), (337572, 21))
```

5.3 4.3. Missing Value Imputation

5.3.1 IterativeImputer

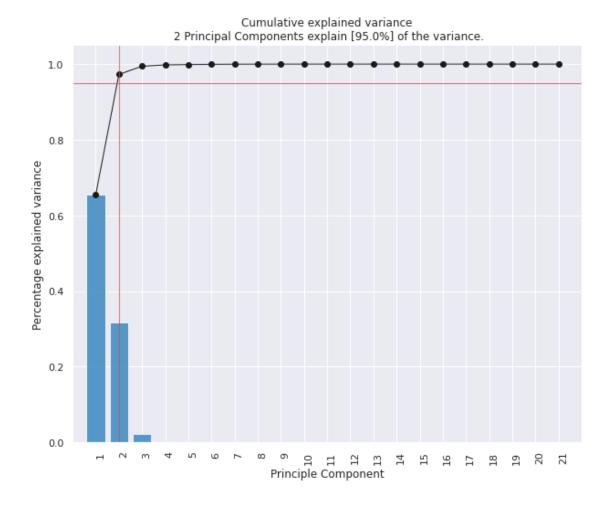
```
[]: X_train_iter = X_train.copy()
X_test_iter = X_test.copy()
imp1 = IterativeImputer(max_iter=10, random_state=10)
imp1.fit(X_train_iter)
X_train_iter[:] = imp1.transform(X_train_iter)
X_test_iter[:] = imp1.transform(X_test_iter)
```

5.4 4.4. Feature Importance using PCA

```
[]: # https://pypi.org/project/pca/
   model = pca()
   X = X_train_iter.copy()
   out = model.fit_transform(X)
   print(out['topfeat'])
   [pca] >Processing dataframe..
   [pca] >The PCA reduction is performed to capture [95.0%] explained variance
  using the [21] columns of the input data.
   [pca] >Fitting using PCA..
   [pca] >Computing loadings and PCs..
   [pca] >Computing explained variance..
   [pca] >Number of components is [2] that covers the [95.00%] explained variance.
   [pca] >Outlier detection using Hotelling T2 test with alpha=[0.05] and
  n_components=[2]
   [pca] >Outlier detection using SPE/DmodX with n_std=[2]
         PC
                       feature
                                 loading type
  0
        PC1
                  national_inv 0.971436
                                          best
   1
        PC2
              forecast_9_month 0.559187
                                          best
   2
        PC3
                 sales_9_month -0.615937
                                          best
  3
       PC4
                 sales_6_month -0.594502
                                          best
  4
       PC5
              forecast_3_month 0.510635
                                          best
   5
       PC6
                in_transit_qty 0.881047
                                          best
  6
       PC7
                 sales_1_month 0.600598
                                          best
  7
       PC8
                 sales_3_month 0.648945
                                          best
  8
       PC9
                      min_bank -0.753766
                                          best
  9
      PC10
              forecast_6_month 0.679198
                                          best
  10 PC11
              pieces_past_due  0.998755
                                          best
  11 PC12
                  local_bo_qty 0.999996
                                          best
   12 PC13
                     lead_time 0.999911
                                          best
```

```
13 PC14
                  deck_risk -0.963392
                                       best
14
   PC15
                 ppap_risk
                            0.891371
                                       best
   PC16
15
           perf_6_month_avg 0.634980
                                       best
16 PC17
              stop_auto_buy -0.996545
                                       best
         perf_12_month_avg
17 PC18
                            0.722002
                                       best
18 PC19
           potential_issue
                             0.999929
                                       best
19
  PC20
                   rev_stop
                             0.999938
                                       best
   PC21
              oe constraint
20
                             0.999936
                                       best
```

[]: # plot of explained variance vs features model.plot()



<Figure size 432x288 with 0 Axes>

• The top three features in our PCA analysis are: 'national_inv', 'forecast_9_month' and 'sales_9_month'

5.5 4.5. Correlation between numeric features and target variable using Point Biserial correlation

```
]: print('Correlation between numeric features and target variable')
   for col in numeric_columns:
     a = y_train
     b = X_train_iter[col]
     corr_ = scipy.stats.pointbiserialr(a, b)
     print('{} and {} - {}'.format(col, 'went_on_backorder', corr_))
  Correlation between numeric features and target variable
  national_inv and went_on_backorder -
  PointbiserialrResult(correlation=-0.0012441913453430627,
  pvalue=0.14824084776230778)
  lead_time and went_on_backorder -
  PointbiserialrResult(correlation=-0.018142329865244784,
  pvalue=1.1285890734951374e-98)
  in_transit_qty and went_on_backorder -
  PointbiserialrResult(correlation=-0.0024593248654882277,
  pvalue=0.004266110443474301)
  forecast_3_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.00018926436587514623,
  pvalue=0.8259267820442655)
  forecast_6_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.0007287474341123539,
  pvalue=0.39709677229314755)
  forecast_9_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.000936538142668886,
  pvalue=0.2764740397206987)
  sales_1_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.0010425183959958996,
  pvalue=0.22573243972392734)
  sales_3_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.0015100206870143186,
  pvalue=0.0793154275920313)
  sales_6_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.0017198172166031814,
  pvalue=0.04566683467639474)
  sales_9_month and went_on_backorder -
  PointbiserialrResult(correlation=-0.0017455500772442084,
  pvalue=0.04252332513973882)
  min_bank and went_on_backorder -
  PointbiserialrResult(correlation=-0.001954336421353688,
  pvalue=0.023148431558388128)
  pieces_past_due and went_on_backorder -
```

```
PointbiserialrResult(correlation=0.0006686094911764213, pvalue=0.43719638014964046)

perf_6_month_avg and went_on_backorder -
PointbiserialrResult(correlation=-0.02689311859225319, pvalue=1.8541038121739665e-214)

perf_12_month_avg and went_on_backorder -
PointbiserialrResult(correlation=-0.026907974025253936, pvalue=1.079890117448039e-214)

local_bo_qty and went_on_backorder -
PointbiserialrResult(correlation=0.010362633494216265, pvalue=2.1399993060243743e-33)
```

- 'local_bo_qty' and 'pieces_past_due' are the only features which are positively correlated with the target variable.
- Rest all the features are negatively correlated with the target variable.
- Most of the correlations does not seem to be that significant.

5.6 4.6. Feature Transformation

5.6.1 4.6.1. Raw Data + Robust Scaling

```
[]: X_train_iter_robust = X_train_iter.copy()
X_test_iter_robust = X_test_iter.copy()
scaler = RobustScaler()
scaler.fit(X_train_iter_robust)
X_train_iter_robust[:] = scaler.transform(X_train_iter_robust)
X_test_iter_robust[:] = scaler.transform(X_test_iter_robust)
```

5.6.2 4.6.2. Log Transformation and Standard Scaling

```
[]: scaler = StandardScaler()
    scaler.fit(X_train_iter_log)
    X_train_iter_log[:] = scaler.transform(X_train_iter_log)
    X_test_iter_log[:] = scaler.transform(X_test_iter_log)
```

5.6.3 4.6.3. Quantile Transformer

```
[]: X_train_iter_quantile = X_train_iter.copy()
X_test_iter_quantile = X_test_iter.copy()
scaler = QuantileTransformer(output_distribution='normal')
scaler.fit(X_train_iter_quantile)
X_train_iter_quantile[:] = scaler.transform(X_train_iter_quantile)
X_test_iter_quantile[:] = scaler.transform(X_test_iter_quantile)
```

5.6.4 4.6.4. Max Absolute Scaling

```
[]: X_train_iter_maxabs = X_train_iter.copy()
    X_test_iter_maxabs = X_test_iter.copy()
    scaler = MaxAbsScaler()
    scaler.fit(X_train_iter_maxabs)
    X_train_iter_maxabs[:] = scaler.transform(X_train_iter_maxabs)
    X_test_iter_maxabs[:] = scaler.transform(X_test_iter_maxabs)
```

5.6.5 4.6.5. Power Law Transformer

```
[]: X_train_iter_power = X_train_iter.copy()
    X_test_iter_power = X_test_iter.copy()
    scaler = PowerTransformer()
    scaler.fit(X_train_iter_power)
    X_train_iter_power[:] = scaler.transform(X_train_iter_power)
    X_test_iter_power[:] = scaler.transform(X_test_iter_power)
```

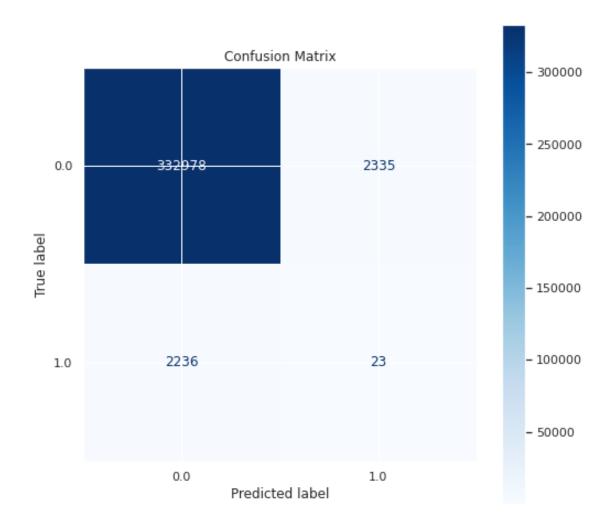
6 5. Summary of EDA and Feature Engineering

- The dataset is a highly imbalanced dataset with 99.99% of points of majority(negative) class rest is minority(positive) class.
- The problem we are trying to address is a binary classification problem where we have to predict whether or not a product will go to backorder.
- In the dataset there are 15 numerical feature all of which are highly skewed.
- Three features have missing values 'leat_time', 'perf_6_month_avg' and 'perf_12_month_avg'.
- 'perf_6_month_avg' and 'perf_12_month_avg' are the only two features which are heavily left skewed rest all the features are right skewed.
- All the numerical features have small IQR and some have negative values also which are valid entries.

- Features of sales, forecast and performance have a alot of correlations.
- There are 8 categorical features, out of which 'went_to_backorder' is the target variable and 'sku' is acting as the index.
- Most of the categorical features are highly imbalanced in their classes too.
- 'potential_issue', 'oe_constraint' and 'rev_stop' were the categorical features which seems helpful in the classification.
- As part of feature engineering first categorical features were converted to numerical features.
- Then dataset was split into train and test dataset with 80:20.
- After that IterativeImputer was used for missing value imputation.
- PCA was also performed to determine feature importance.
- 5 different types of feature transformation were applied on the dataset.
- Robust Scaling
- PowerLaw Transform
- Log Transform
- MaxAbs Scaling
- Quantile Tranform

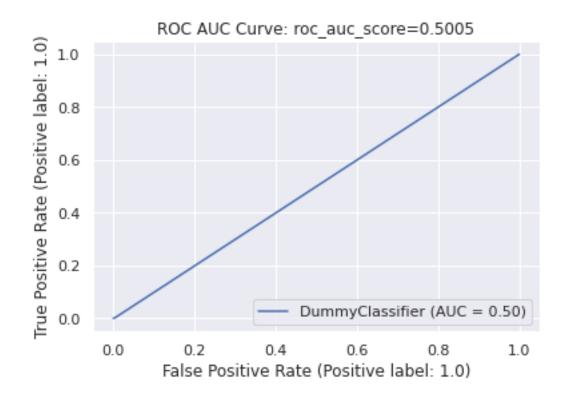
7 6. Baseline Model - Random Model

```
F2-Score: 0.9866
Recall Score: 0.0066
ROC AUC Score: 0.5005
Average Precision-Recall score: 0.0067
```

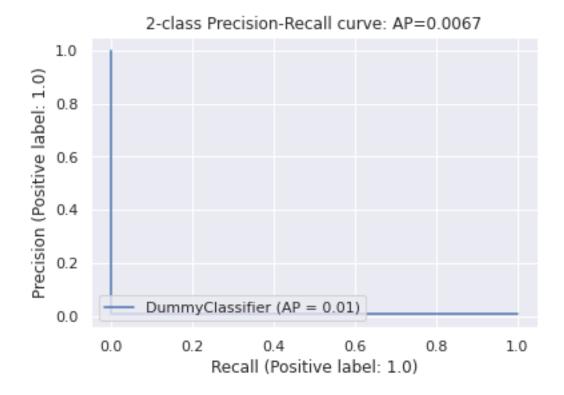


```
[]: disp = plot_roc_curve(dummy_clf, X_test_iter_robust, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.5005')



Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.0067')



8 7. Machine Learning Models

8.1 7.1. Robust Scaling

8.1.1 7.1.1. Random Under Sampling

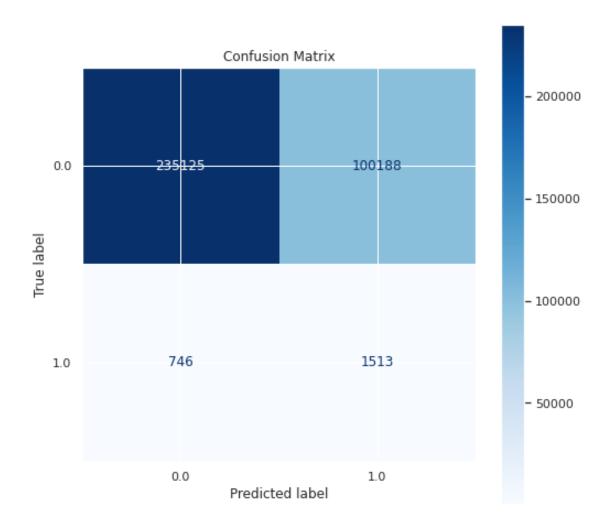
```
[]: from imblearn.under_sampling import RandomUnderSampler
    rus = RandomUnderSampler(random_state=42)
    X_res, y_res = rus.fit_resample(X_train_iter_robust, y_train)

[]: Xsampled = pd.DataFrame(X_res, columns=X_train_iter_robust.columns)
    Xsampled['went_on_backorder'] = y_res
    Xsampled.to_csv('robust_randomundersampling.csv', index=False)

[]: df = pd.read_csv('robust_randomundersampling.csv')
    X_res = df.drop(['went_on_backorder'], axis = 1)
    y_res = df['went_on_backorder']
```

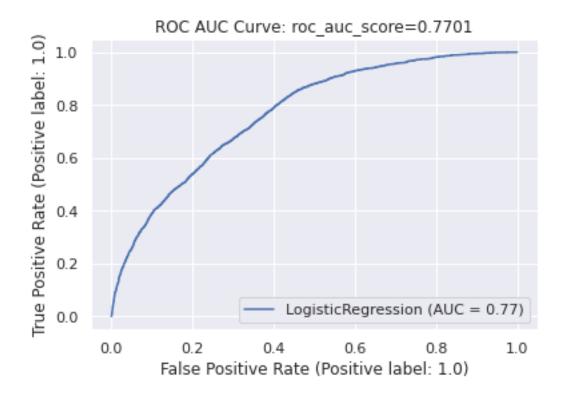
8.1.2 7.1.2. Logistic Regression

```
[]: model = LogisticRegression(n_jobs = -1)
   parameters = {'penalty' : ['11', '12'] , 'C' : [0.1, 1.0, 10.0, 100.0, 1000.0]}
   clf = GridSearchCV(model, parameters,scoring = 'average_precision')
   gs = clf.fit(X_res, y_res)
   print("Best Params : " , gs.best_params_)
   print("Best Score : " , gs.best_score_)
  Best Params : {'C': 0.1, 'penalty': '12'}
  Best Score: 0.7559268208414174
[]: model = LogisticRegression(penalty = gs.best_params_['penalty'], C = gs.
    →best_params_['C'],n_jobs=-1)
   model.fit(X_res, y_res)
   y_pred = model.predict(X_test_iter_robust)
   y_scores = model.predict_proba(X_test_iter_robust)[:,1]
   print("F2-Score: ", round(fbeta_score(y_test,y_pred, pos_label =_
    →1,average='weighted', beta=2),4))
   print("Recall Score: ", round(recall_score(y_test, y_pred),4))
   roc_auc = roc_auc_score(y_test, y_scores, average='weighted')
   print("ROC AUC Score: ", round(roc_auc,4))
   average_precision = average_precision_score(y_test, y_scores)
   print('Average Precision-Recall score: ', round(average_precision,4))
  F2-Score: 0.7409
  Recall Score: 0.6698
  ROC AUC Score: 0.7701
  Average Precision-Recall score: 0.0261
[]: fig, ax = plt.subplots(figsize=(8,8))
   ax.set_title('Confusion Matrix')
   disp = plot_confusion_matrix(model, X_test_iter_robust, y_test, cmap=plt.cm.
    →Blues, ax=ax, values_format='d')
```

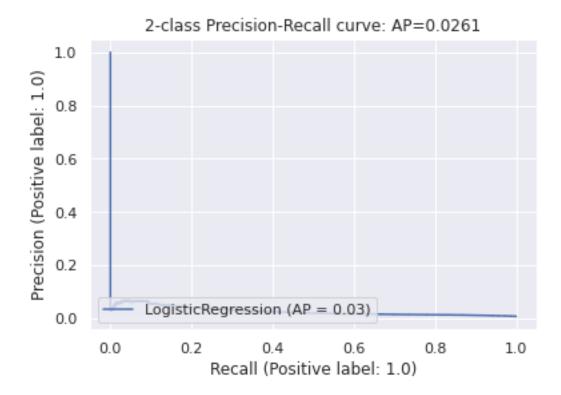


```
[]: disp = plot_roc_curve(model, X_test_iter_robust, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.7701')



[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.0261')

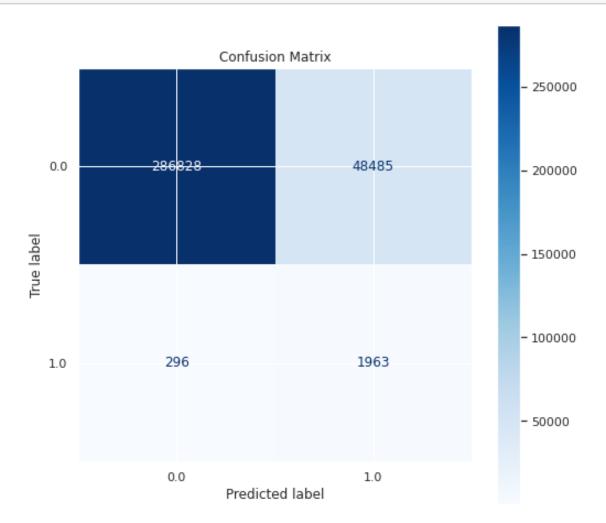


8.1.3 **7.1.3.** Decision Tree

[]: model = DecisionTreeClassifier()

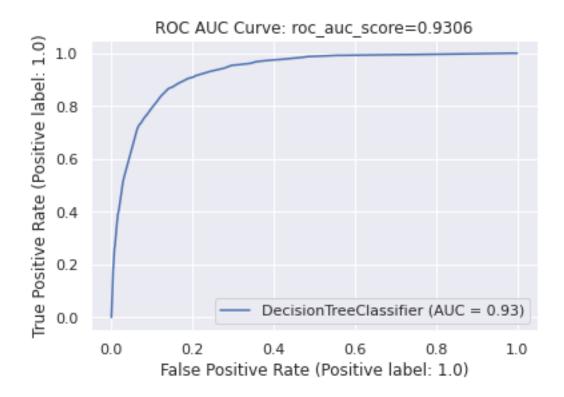
F2-Score: 0.8759
Recall Score: 0.869
ROC AUC Score: 0.9306

Average Precision-Recall score: 0.1132



```
[]: disp = plot_roc_curve(model, X_test_iter_robust, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

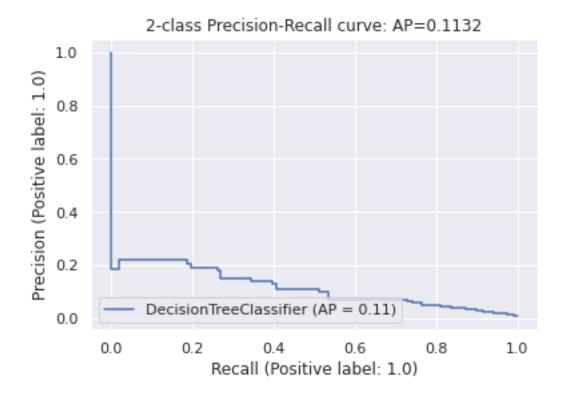
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9306')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_robust, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1132')

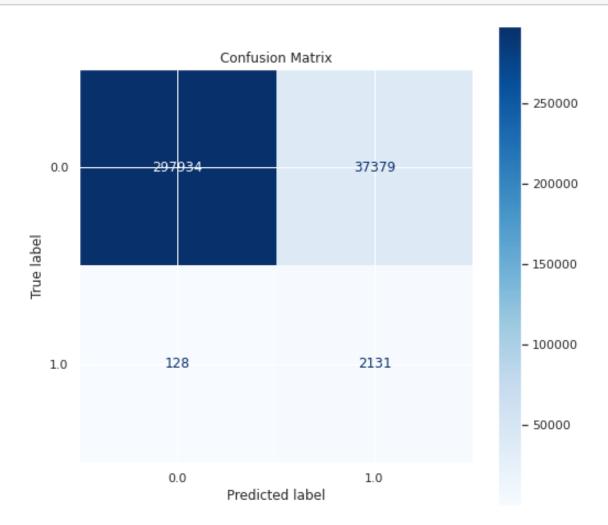


8.1.4 7.1.4. Random Forest

[]: model = RandomForestClassifier()

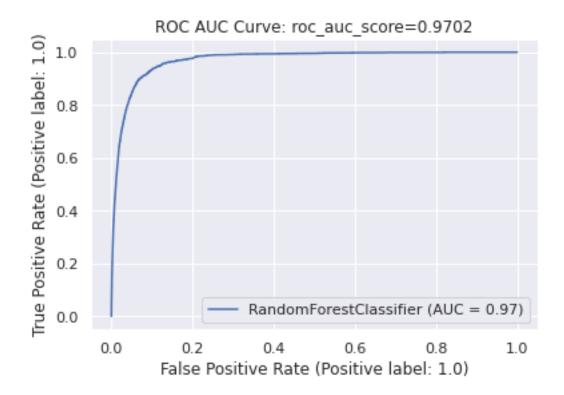
F2-Score: 0.9041
Recall Score: 0.9433
ROC AUC Score: 0.9702

Average Precision-Recall score: 0.2583



```
[]: disp = plot_roc_curve(model, X_test_iter_robust, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

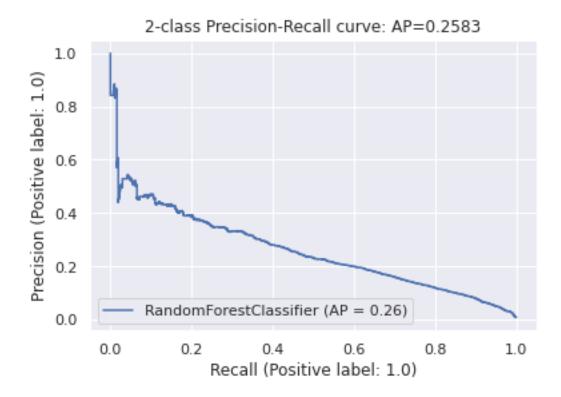
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9702')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_robust, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2583')

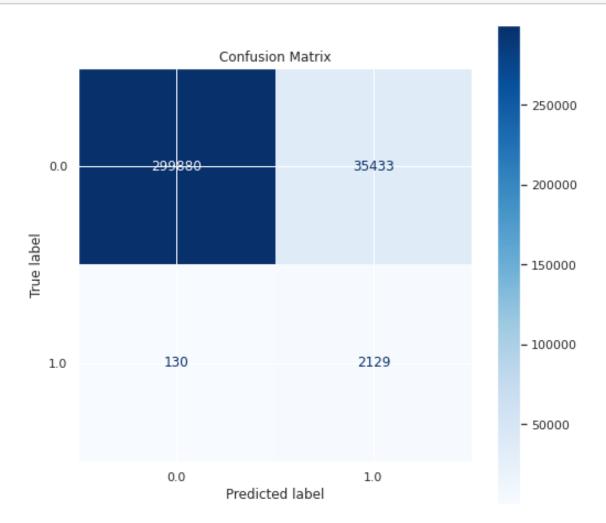


8.1.5 7.1.5. Xgboost

[]: model = XGBClassifier(n_jobs=-1, eval_metric='aucpr')

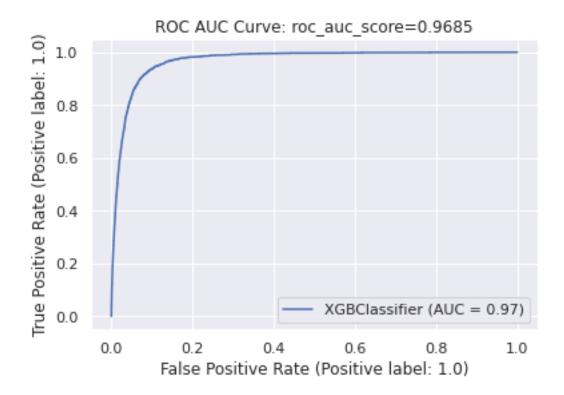
F2-Score: 0.909
Recall Score: 0.9425
ROC AUC Score: 0.9685

Average Precision-Recall score: 0.2083



```
[]: disp = plot_roc_curve(model, X_test_iter_robust, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

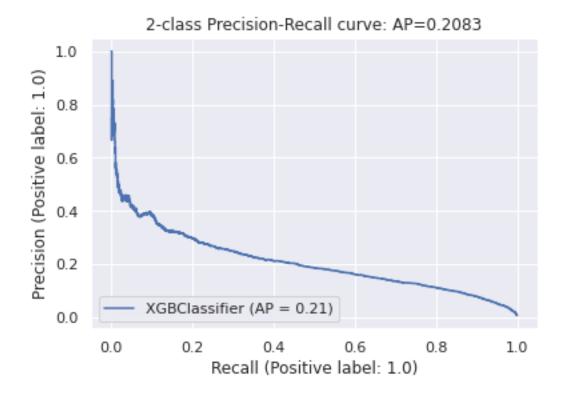
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9685')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_robust, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2083')



8.1.6 7.1.6. Custom Ensemble

Utility Functions for custom ensemble model

```
[]: # Function that split dataset

def data_split(X,y):
    """

This function takes X and y as input then split into train and test dataset
    with 80:20.

It then again splits the train dataset into two parts with 50:50.
    """

X_train, X_test, y_train, y_test = train_test_split(X,y, stratify=y,□
    ¬random_state=11, test_size=0.20)

X_D1, X_D2, y_D1, y_D2 = train_test_split(X_train, y_train, stratify=y_train,□
    ¬random_state=11, test_size=0.50)
    return X_test, y_test, X_D1, y_D1, X_D2, y_D2

# Function for preprocessing the datasets
def preprocessing_df(scaler, X_test, X_D1, X_D2):
    """

This function will perform missing value imputations and feature scaling on□
    → the provided datasets.
    """
```

```
imp = IterativeImputer(max_iter=10, random_state=10)
  imp.fit(X_D1)
  X_D1 = imp.transform(X_D1)
  X_D2 = imp.transform(X_D2)
  X_test = imp.transform(X_test)
  scaler = scaler
  scaler.fit(X D1)
 X D1 = scaler.transform(X D1)
 X_D2 = scaler.transform(X_D2)
 X test = scaler.transform(X test)
 return X_D1, X_D2, X_test
# Function to perform random sampling of the dataset
def sampling_df_random(X_D1, y_D1, num_splits):
  11 11 11
  This function will create the random samples, specified by the user, of the \Box
 \rightarrow dataset for training.
  11 11 11
  size = int(np.ceil(len(X_D1)/num_splits))
 X sampled = []
 y sampled = []
  for i in range(num_splits):
    idx_list = range(X_D1.shape[0])
    sampled_idx = np.random.choice(idx_list, size = size, replace=True)
    X_sampled.append(X_D1[sampled_idx])
    y_sampled.append(y_D1.values[sampled_idx])
 return X_sampled, y_sampled
# Function to perform balanced sampling of the dataset
def sampling_df_balanced(X_D1, y_D1, num_splits):
  This function will create the balanced samples corresponding to the classes, \Box
 ⇒specified by the user, of the dataset for training.
 X_{sampled} = []
 y_sampled = []
 pos_idx = np.where(y_D1.values==1)[0]
 neg_idx = np.where(y_D1.values==0)[0]
 for i in range(num_splits):
    sampled_idx = []
    sampled_idx.extend(pos_idx)
    samples = np.random.choice(neg_idx, size = len(pos_idx), replace=True)
    sampled_idx.extend(samples)
    random.shuffle(sampled_idx)
    X_sampled.append(X_D1[sampled_idx])
    y_sampled.append(y_D1.values[sampled_idx])
```

```
return X_sampled, y_sampled
# Function to perform training of base learners
def base model training(base model, X sampled, y sampled, num splits):
  This function will train the base learners corresponding to each data sample.
 base_models = []
  for i in range(num splits):
   model = base model
   X = X_{sampled[i]}
    y = y_sampled[i]
    model.fit(X,y)
    filename = 'model'+str(i+1)+'.pkl'
    base_models.append(filename)
    with open(filename, 'wb') as file:
      pickle.dump(model, file)
  return base_models
# Function to get predictions from the base learners
def base_model_predictions(base_models, X_D2, y_D2, num_splits):
  .....
  This function will get the predictions from each base learner and will return
 \rightarrowa dataset of all the predictions and the true labels.
  11 11 11
 df = pd.DataFrame()
  for i in range(num_splits):
    with open(base_models[i], 'rb') as file:
      model = pickle.load(file)
    preds = model.predict(X_D2)
    col_name = 'model'+str(i+1)
    df[col_name] = preds
  df['y'] = y_D2.values
  return df
# Function to perform training of the meta model
def meta_model_training(meta_model, df):
 X = df.drop(['y'], axis=1)
 y = df['y']
 return meta_model.fit(X,y)
# Function to get predictions from the meta model
def meta_model_predictions(trained_meta_model, df):
  This function will get the predictions from the meta model and return the ...
 -average precision score, predictions and predictions probabilities
```

```
X = df.drop(['y'], axis=1)
     y = df['y']
     y_pred = trained_meta_model.predict(X)
     y_scores = trained_meta_model.predict_proba(X)[:,1]
     average_precision = average_precision_score(y_test, y_scores)
     return average_precision, y_pred, y_scores
   # Function that will perform the custom ensemble model training and predictions ___
    →by using random sampling
   def custom ensemble random(base model, meta_model, X_D1, X_D2, X_test, y_D1,__
    →y_D2, y_test, scaler, num_splits):
     X sampled, y sampled = sampling df random(X D1, y D1, num splits)
     base_models = base_model_training(base_model, X_sampled, y_sampled,_u
    →num_splits)
     df = base model_predictions(base_models, X_D2, y_D2, num_splits)
     trained_meta_model = meta_model_training(meta_model, df)
     df2 = base_model_predictions(base_models, X_test, y_test, num_splits)
     average_precision, y_pred, y_scores =__
    →meta_model_predictions(trained_meta_model, df2)
     return average_precision, y_pred, y_scores
   # Function that will perform the custom ensemble model training and predictions,
    →by using balanced sampling
   def custom ensemble balanced(base model, meta_model, X_D1, X_D2, X_test, y_D1,__
    →y_D2, y_test, scaler, num_splits):
     X_sampled, y_sampled = sampling_df_balanced(X_D1, y_D1, num_splits)
     base_models = base_model_training(base_model, X_sampled, y_sampled,_u
    →num splits)
     df = base_model_predictions(base_models, X_D2, y_D2, num_splits)
     trained_meta_model = meta_model_training(meta_model, df)
     df2 = base_model_predictions(base_models, X_test, y_test, num_splits)
     average_precision, y_pred, y_scores =__
    →meta_model_predictions(trained_meta_model, df2)
     return average_precision, y_pred, y_scores
[]: | X = train.drop(['went on backorder'], axis=1)
   y = train['went_on_backorder']
   scaler = RobustScaler()
   X_t, y_t, X_D1, y_D1, X_D2, y_D2 = data_split(X,y)
   X_D1, X_D2, X_t = preprocessing_df(scaler, X_t, X_D1, X_D2)
```

7.1.6.1. Random Sampling

```
[]: params = []
scores = []
n_estimators = [100, 200, 300]
num_splits = [20,30,40,50]
```

100%|| 4/4 [25:14<00:00, 378.58s/it]

Best parameters are: num_splits - 50, n_estimators - 200

F2-Score: 0.9925
Recall Score: 0.0899
ROC AUC Score: 0.8352

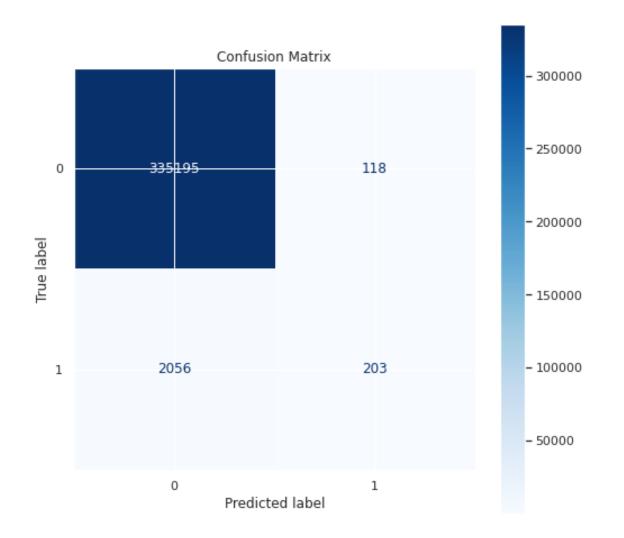
Average Precision-Recall score: 0.245

```
[]: from sklearn.metrics import ConfusionMatrixDisplay
```

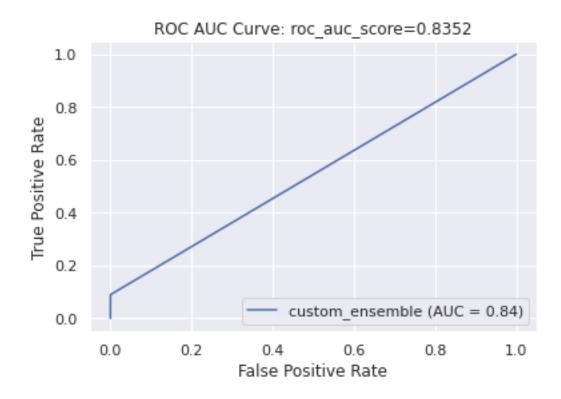
```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots(figsize=(8,8))
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
```

```
disp.plot(cmap=plt.cm.Blues, ax=ax, values_format='d')
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21bc5cd710>

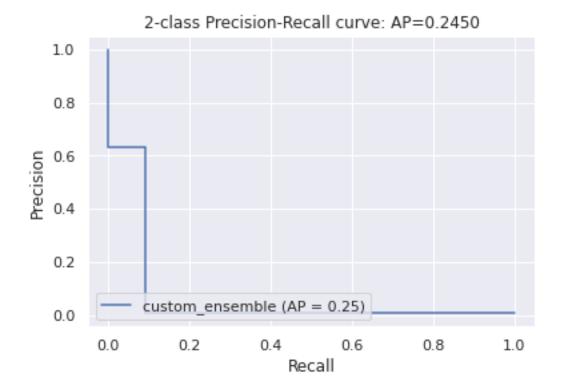


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21bcaf9850>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21bcd433d0>



7.1.6.2. Balanced Sampling

100%|| 4/4 [30:47<00:00, 461.81s/it]

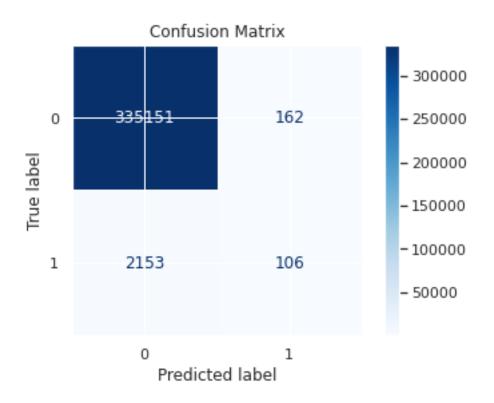
Best parameters are: num_splits - 50, n_estimators - 100

F2-Score: 0.992
Recall Score: 0.0469
ROC AUC Score: 0.9347

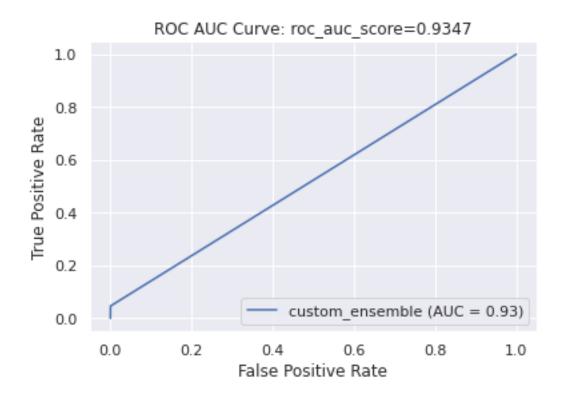
Average Precision-Recall score: 0.2517

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21cb121750>

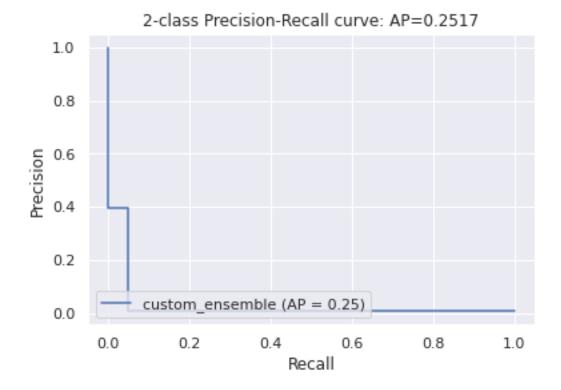


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21c8074f90>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21c80b2a50>



8.2 7.2. Power Transform

8.2.1 7.2.1. Random Under Sampling

```
[]: from imblearn.under_sampling import RandomUnderSampler
    rus = RandomUnderSampler(random_state=42)
    X_res, y_res = rus.fit_resample(X_train_iter_power, y_train)

[]: Xsampled = pd.DataFrame(X_res, columns=X_train_iter_power.columns)
    Xsampled['went_on_backorder'] = y_res
    Xsampled.to_csv('power_randomundersampling.csv', index=False)

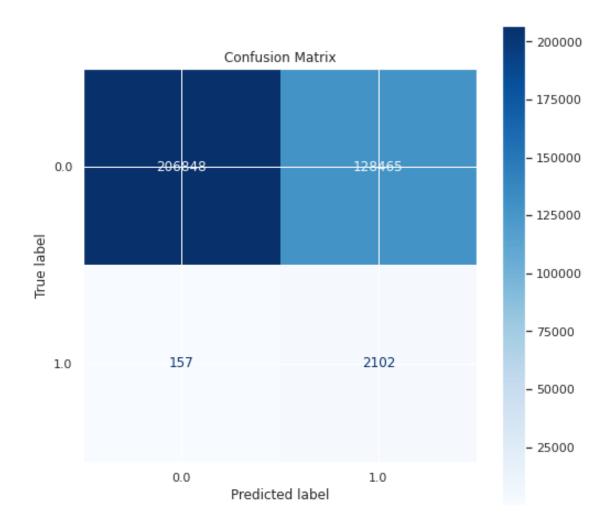
[]: df = pd.read_csv('power_randomundersampling.csv')
    X_res = df.drop(['went_on_backorder'], axis = 1)
    y_res = df['went_on_backorder']
```

8.2.2 7.2.2. Logistic Regression

```
[]: model = LogisticRegression(n_jobs = -1)
  parameters = {'penalty' : ['11', '12'] , 'C' : [0.1, 1.0, 10.0, 100.0, 1000.0]}
  clf = GridSearchCV(model, parameters, scoring = 'average_precision')

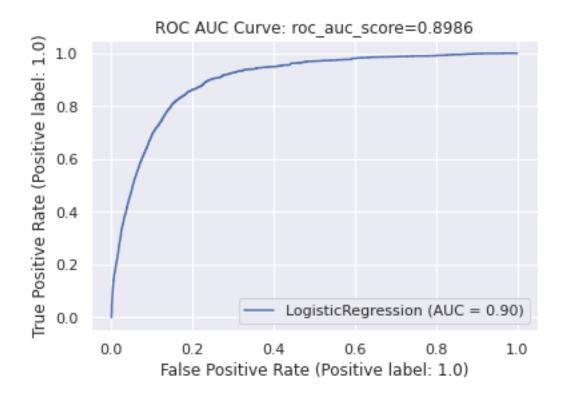
gs = clf.fit(X_res, y_res)
```

```
print("Best Params : " , gs.best_params_)
   print("Best Score : " , gs.best_score_)
  Best Params : {'C': 1000.0, 'penalty': '12'}
  Best Score: 0.879596800746083
[]: model = LogisticRegression(penalty = gs.best_params_['penalty'],C = gs.
   →best_params_['C'],n_jobs=-1)
   model.fit(X_res, y_res)
   y_pred = model.predict(X_test_iter_power)
   y_scores = model.predict_proba(X_test_iter_power)[:,1]
   print("F2-Score: ", round(fbeta_score(y_test,y_pred, pos_label =_
    print("Recall Score: ", round(recall_score(y_test, y_pred),4))
   roc_auc = roc_auc_score(y_test, y_scores, average='weighted')
   print("ROC AUC Score: ", round(roc_auc,4))
   average_precision = average_precision_score(y_test, y_scores)
   print('Average Precision-Recall score: ', round(average_precision,4))
  F2-Score: 0.8536
  Recall Score: 0.8336
  ROC AUC Score: 0.8986
  Average Precision-Recall score: 0.0732
[]: fig, ax = plt.subplots(figsize=(8,8))
   ax.set_title('Confusion Matrix')
   disp = plot_confusion_matrix(model, X_test_iter_robust, y_test, cmap=plt.cm.
    →Blues, ax=ax, values_format='d')
```

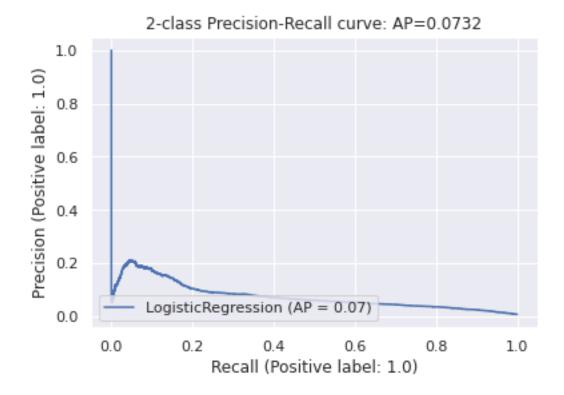


```
[]: disp = plot_roc_curve(model, X_test_iter_power, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.8986')



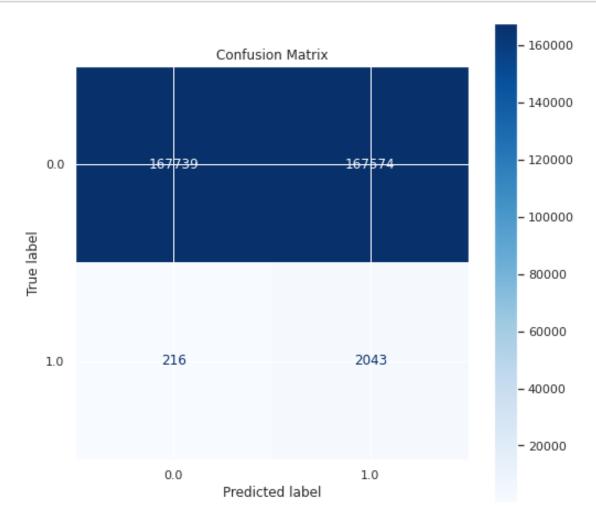
[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.0732')



8.2.3 7.2.3. Decision Tree

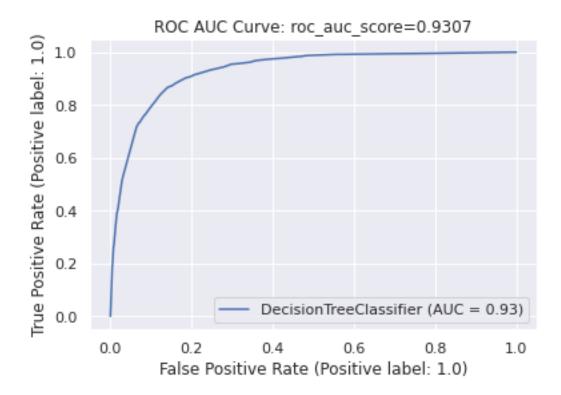
F2-Score: 0.8758
Recall Score: 0.8694
ROC AUC Score: 0.9307

Average Precision-Recall score: 0.1131



```
[]: disp = plot_roc_curve(model, X_test_iter_power, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

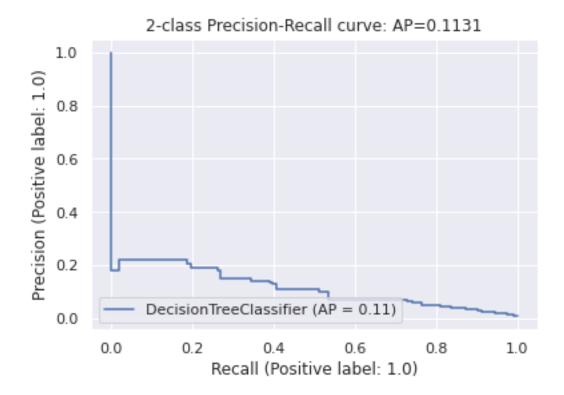
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9307')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_power, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

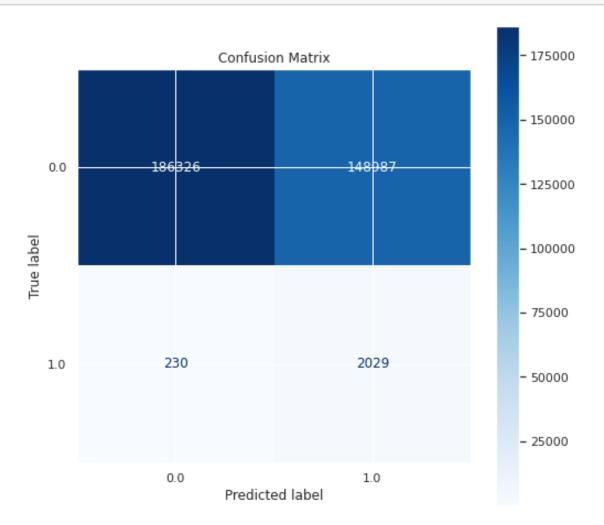
[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1131')



8.2.4 7.2.4. Random Forest

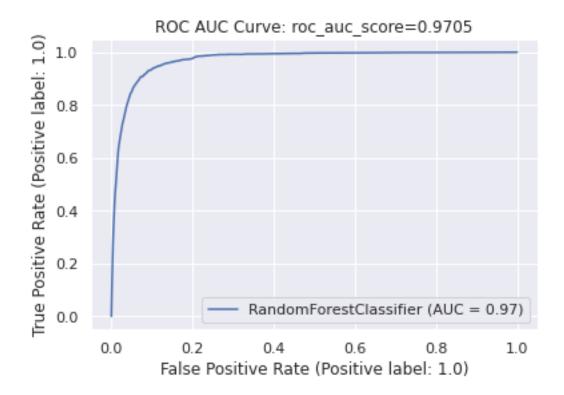
F2-Score: 0.9051
Recall Score: 0.9442
ROC AUC Score: 0.9705

Average Precision-Recall score: 0.2265



```
[]: disp = plot_roc_curve(model, X_test_iter_power, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

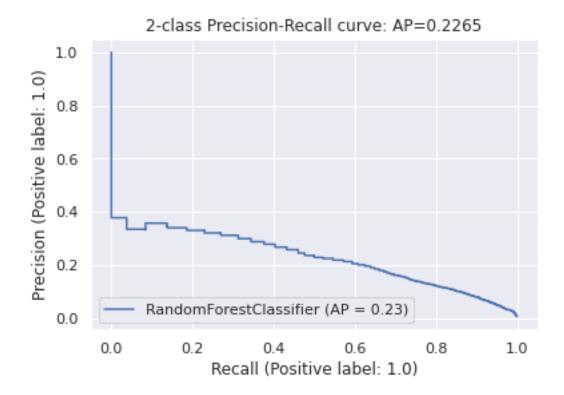
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9705')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_power, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2265')

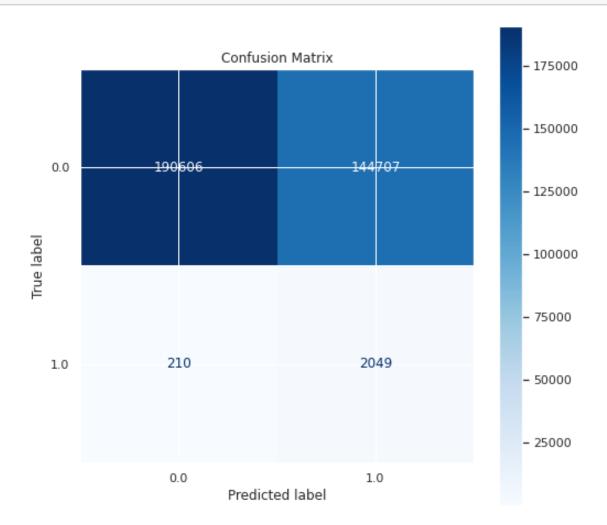


8.2.5 7.2.5. Xgboost

[]: model = XGBClassifier(n_jobs=-1, eval_metric='aucpr')

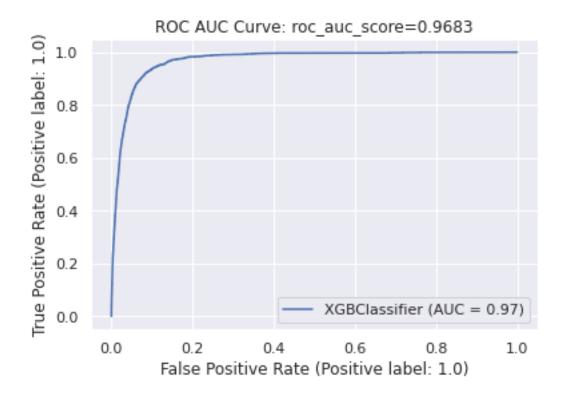
F2-Score: 0.9088
Recall Score: 0.9433
ROC AUC Score: 0.9683

Average Precision-Recall score: 0.2017



```
[]: disp = plot_roc_curve(model, X_test_iter_power, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

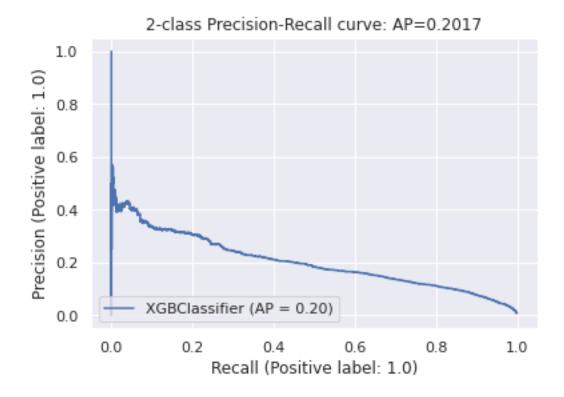
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9683')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_power, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2017')



8.2.6 7.2.6. Custom Ensemble

```
[]: X = train.drop(['went_on_backorder'], axis=1)
y = train['went_on_backorder']
scaler = PowerTransformer()
X_t, y_t, X_D1, y_D1, X_D2, y_D2 = data_split(X,y)
X_D1, X_D2, X_t = preprocessing_df(scaler, X_t, X_D1, X_D2)
```

7.2.6.1. Random Sampling

```
100%|| 4/4 [27:07<00:00, 406.88s/it]
```

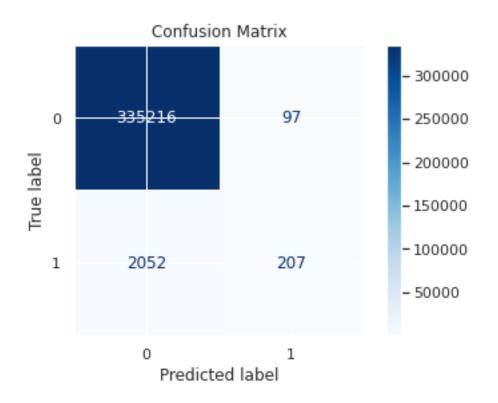
Best parameters are: num_splits - 50, n_estimators - 200

F2-Score: 0.9926
Recall Score: 0.0916
ROC AUC Score: 0.833

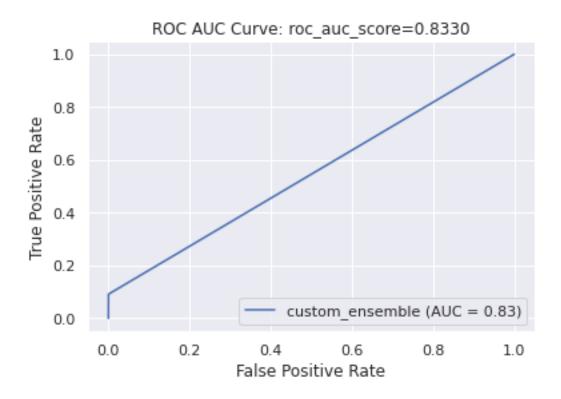
Average Precision-Recall score: 0.2578

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21bc418710>

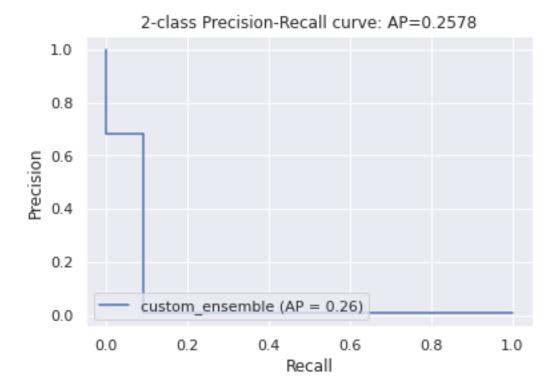


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21caf58d10>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21bc27e710>



7.2.6.2. Balanced Sampling

100%|| 4/4 [30:29<00:00, 457.32s/it]

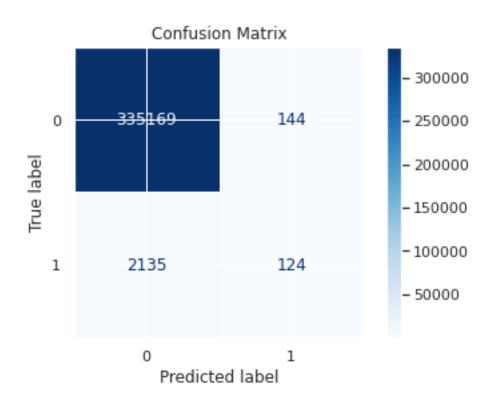
Best parameters are: num_splits - 50, n_estimators - 200

F2-Score: 0.9921
Recall Score: 0.0549
ROC AUC Score: 0.9402

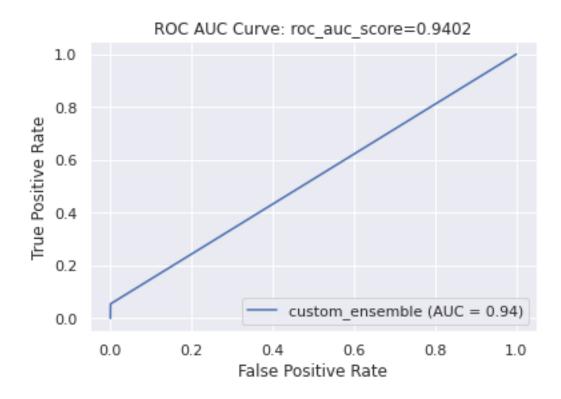
Average Precision-Recall score: 0.2641

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm)
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21bc1b11d0>

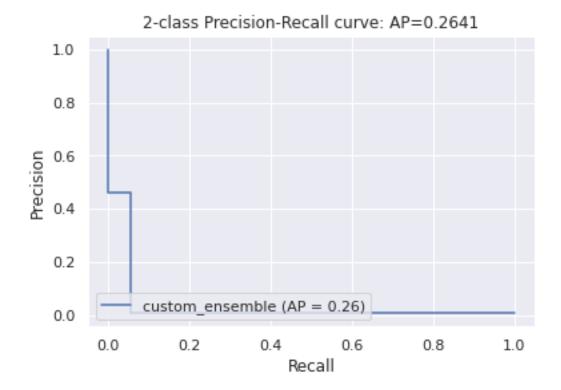


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21bc17bd10>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21a3483750>



8.3 7.3. Log Transform

8.3.1 7.3.1. Random Under Sampling

```
[]: from imblearn.under_sampling import RandomUnderSampler
    rus = RandomUnderSampler(random_state=42)
    X_res, y_res = rus.fit_resample(X_train_iter_log, y_train)

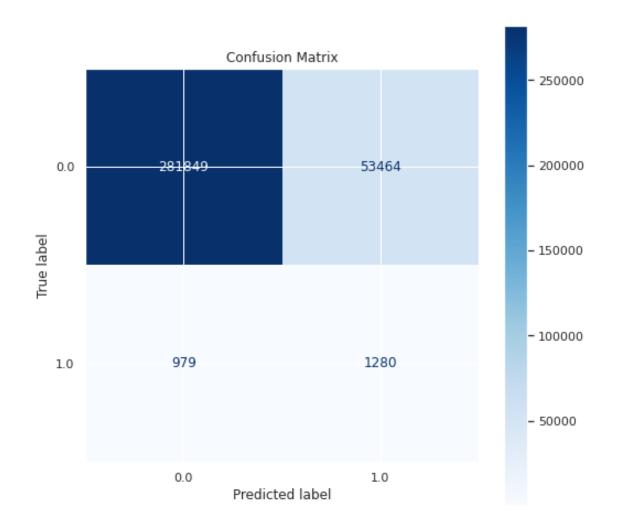
[]: Xsampled = pd.DataFrame(X_res, columns=X_train_iter_log.columns)
    Xsampled['went_on_backorder'] = y_res
    Xsampled.to_csv('log_randomundersampling.csv', index=False)

[]: df = pd.read_csv('log_randomundersampling.csv')
    X_res = df.drop(['went_on_backorder'], axis = 1)
    y_res = df['went_on_backorder']
```

8.3.2 7.3.2. Logistic Regression

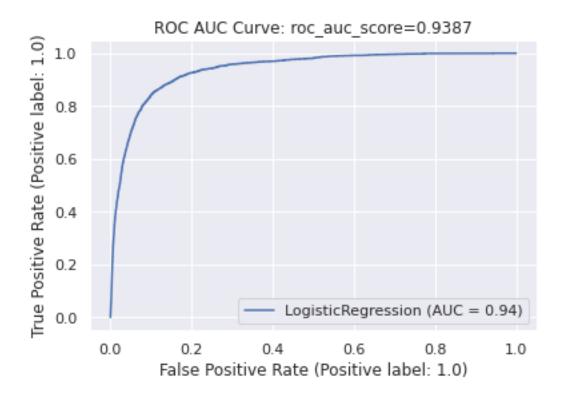
```
[]: model = LogisticRegression(n_jobs = -1)
  parameters = {'penalty' : ['ll', 'l2'] , 'C' : [0.1, 1.0, 10.0, 100.0, 1000.0]}
  clf = GridSearchCV(model, parameters, scoring = 'average_precision')
  gs = clf.fit(X_res, y_res)
```

```
print("Best Params : " , gs.best_params_)
   print("Best Score : " , gs.best_score_)
  Best Params : {'C': 1000.0, 'penalty': '12'}
  Best Score: 0.9308343623507864
[]: model = LogisticRegression(penalty = gs.best_params_['penalty'],C = gs.
   →best_params_['C'],n_jobs=-1)
   model.fit(X_res, y_res)
   y_pred = model.predict(X_test_iter_log)
   y_scores = model.predict_proba(X_test_iter_log)[:,1]
   print("F2-Score: ", round(fbeta_score(y_test,y_pred, pos_label =_
    print("Recall Score: ", round(recall_score(y_test, y_pred),4))
   roc_auc = roc_auc_score(y_test, y_scores, average='weighted')
   print("ROC AUC Score: ", round(roc_auc,4))
   average_precision = average_precision_score(y_test, y_scores)
   print('Average Precision-Recall score: ', round(average_precision,4))
  F2-Score: 0.8743
  Recall Score: 0.8889
  ROC AUC Score: 0.9387
  Average Precision-Recall score: 0.1303
[]: fig, ax = plt.subplots(figsize=(8,8))
   ax.set_title('Confusion Matrix')
   disp = plot_confusion_matrix(model, X_test_iter_robust, y_test, cmap=plt.cm.
    →Blues, ax=ax, values_format='d')
```

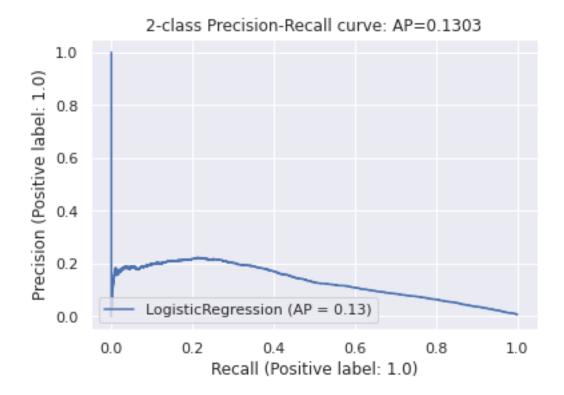


```
[]: disp = plot_roc_curve(model, X_test_iter_log, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9387')



[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1303')

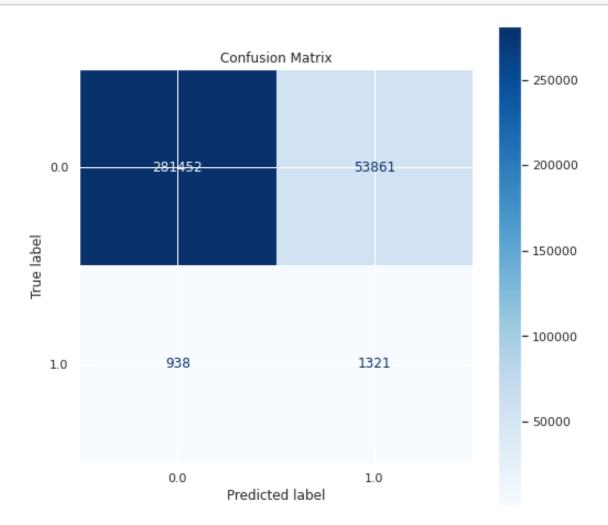


8.3.3 7.3.3. Decision Tree

[]: model = DecisionTreeClassifier()

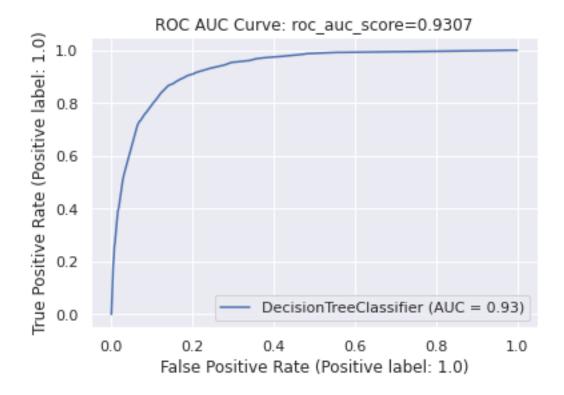
F2-Score: 0.8758
Recall Score: 0.8694
ROC AUC Score: 0.9307

Average Precision-Recall score: 0.1131



```
[]: disp = plot_roc_curve(model, X_test_iter_log, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

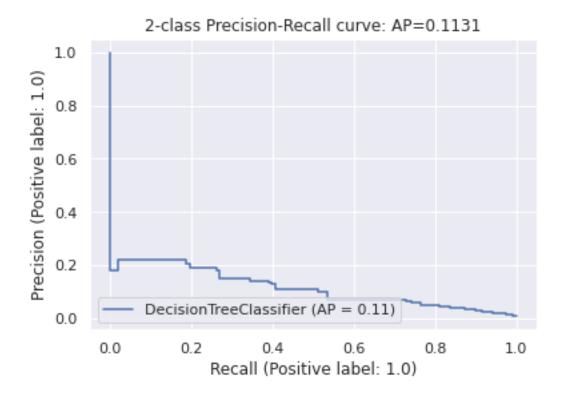
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9307')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_log, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

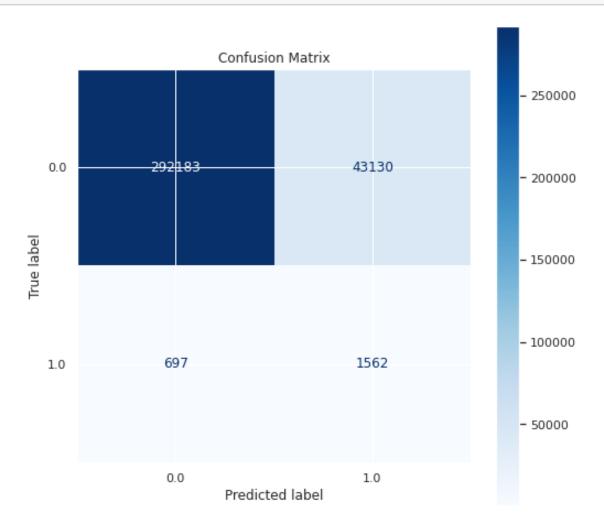
[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1131')



8.3.4 7.3.4. Random Forest

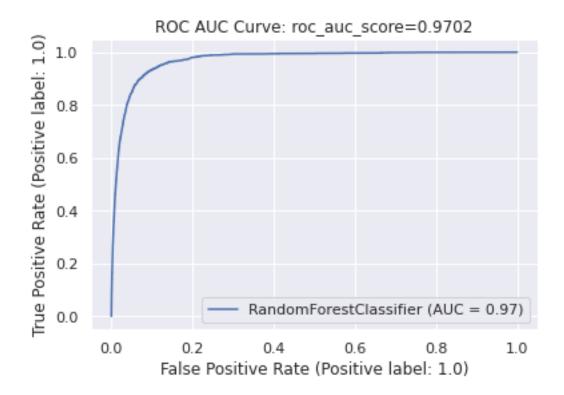
F2-Score: 0.9043
Recall Score: 0.942
ROC AUC Score: 0.9702

Average Precision-Recall score: 0.2599



```
[]: disp = plot_roc_curve(model, X_test_iter_log, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

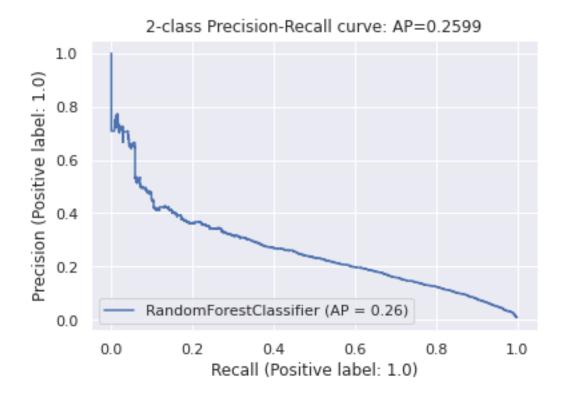
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9702')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_log, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2599')

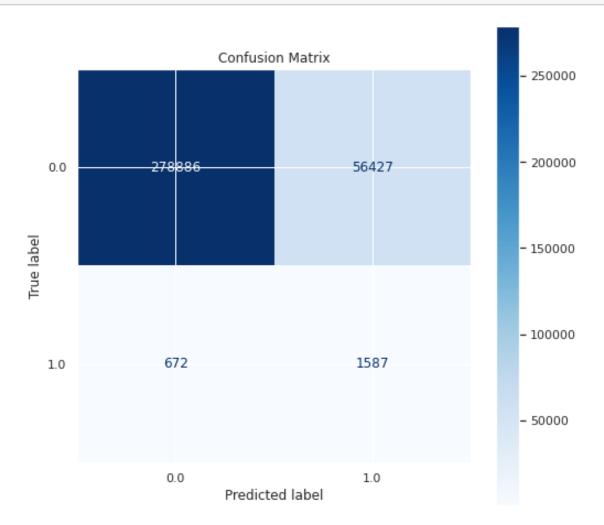


8.3.5 7.3.5. Xgboost

[]: model = XGBClassifier(n_jobs=-1, eval_metric='aucpr')

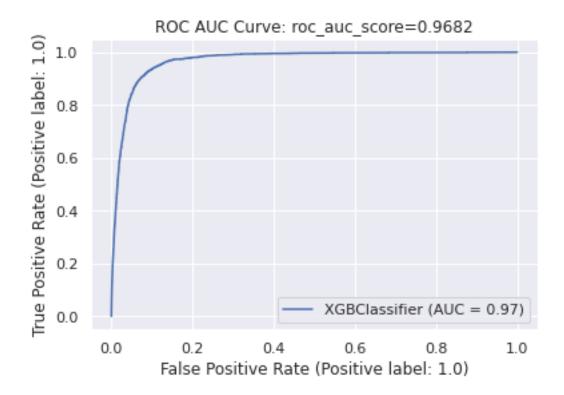
F2-Score: 0.9086
Recall Score: 0.942
ROC AUC Score: 0.9682

Average Precision-Recall score: 0.2014



```
[]: disp = plot_roc_curve(model, X_test_iter_log, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

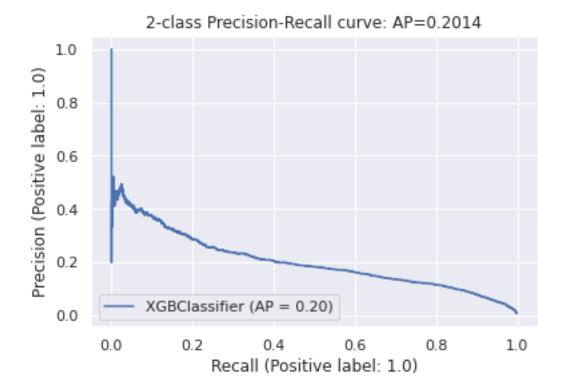
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9682')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_log, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2014')



8.3.6 7.3.6. Custom Ensemble

```
[]: log_columns = []
for i in skewed:
    log_columns.append(X.columns.get_loc(i))

[]: X = train.drop(['went_on_backorder'], axis=1)
    y = train['went_on_backorder']
    scaler = StandardScaler()
    X_t, y_t, X_D1, y_D1, X_D2, y_D2 = data_split(X,y)
    log_columns = []
    for i in skewed:
        log_columns.append(X.columns.get_loc(i))
    X_t[:] = np.apply_along_axis(log_transform, 1, X_t)
    X_D1[:] = np.apply_along_axis(log_transform, 1, X_D1)
    X_D2[:] = np.apply_along_axis(log_transform, 1, X_D2)

    X_D1, X_D2, X_t = preprocessing_df(scaler, X_t, X_D1, X_D2)
```

7.3.6.1. Random Sampling

```
[]: params = [] scores = []
```

100%|| 4/4 [27:13<00:00, 408.30s/it]

Best parameters are: num_splits - 50, n_estimators - 200

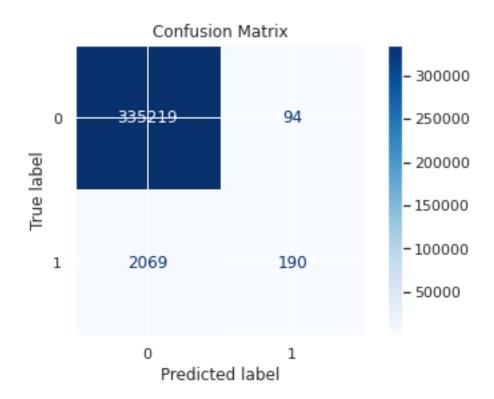
F2-Score: 0.9925
Recall Score: 0.0841
ROC AUC Score: 0.8444

Average Precision-Recall score: 0.266

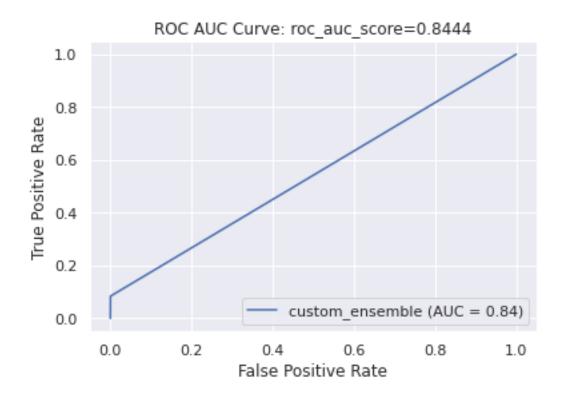
```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm)
ax.set_title('Confusion Matrix')
```

disp.plot(cmap=plt.cm.Blues, ax=ax)

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21a3504990>

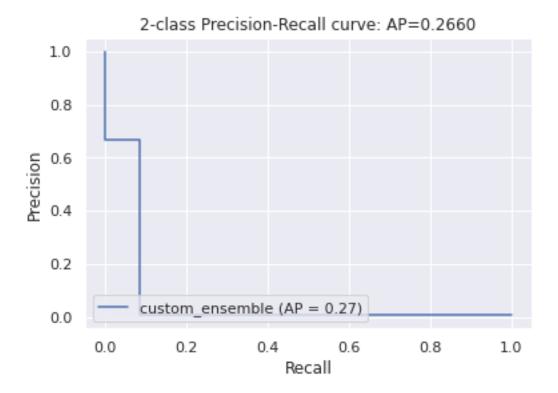


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f2196b5f590>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21bc7c4050>



7.3.6.2. Balanced Sampling

100%|| 4/4 [31:25<00:00, 471.33s/it]

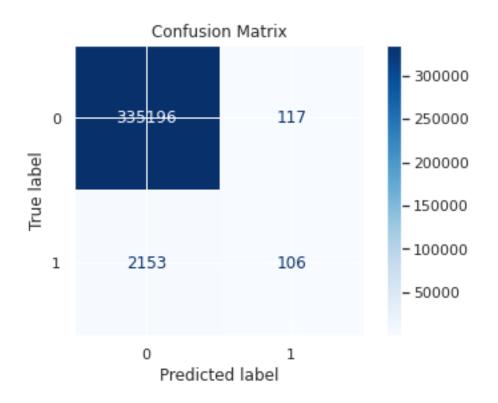
Best parameters are: num_splits - 50, n_estimators - 300

F2-Score: 0.9921
Recall Score: 0.0469
ROC AUC Score: 0.9433

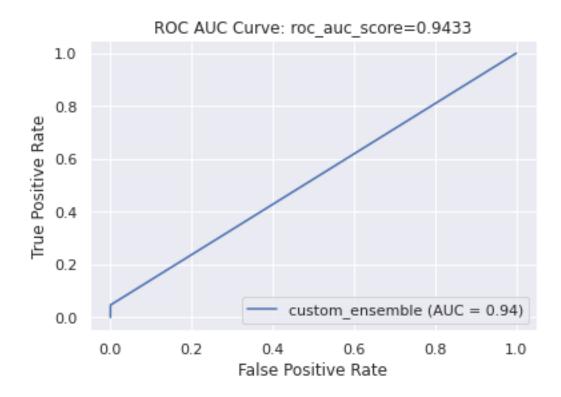
Average Precision-Recall score: 0.2685

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21bc74f210>

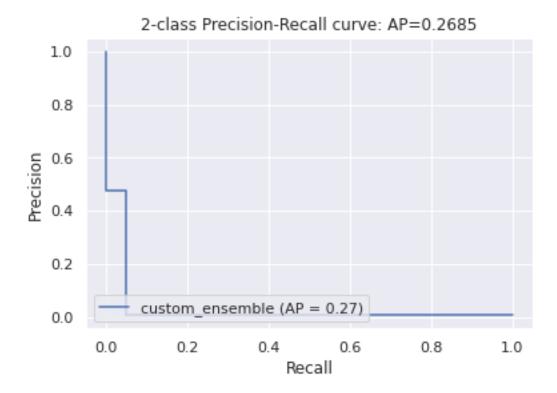


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f220b052850>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f220a83c610>



8.4 7.4. MaxAbs Scaling

8.4.1 7.4.1. Random Under Sampling

```
[]: from imblearn.under_sampling import RandomUnderSampler
    rus = RandomUnderSampler(random_state=42)
    X_res, y_res = rus.fit_resample(X_train_iter_maxabs, y_train)

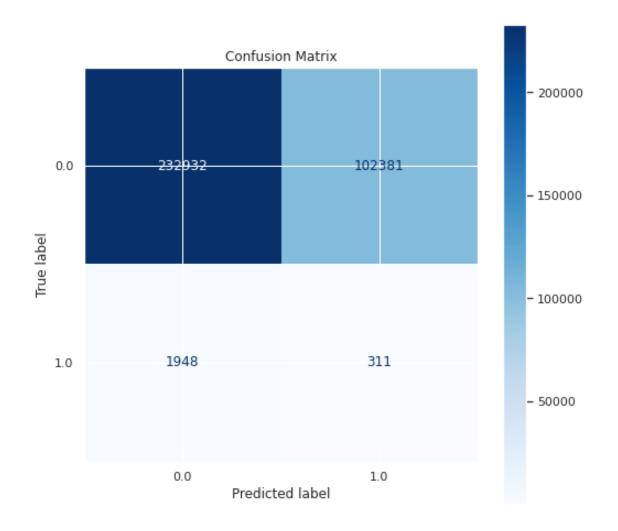
[]: Xsampled = pd.DataFrame(X_res, columns=X_train_iter_maxabs.columns)
    Xsampled['went_on_backorder'] = y_res
    Xsampled.to_csv('maxabs_randomundersampling.csv', index=False)

[]: df = pd.read_csv('maxabs_randomundersampling.csv')
    X_res = df.drop(['went_on_backorder'], axis = 1)
    y_res = df['went_on_backorder']
```

8.4.2 7.4.2. Logistic Regression

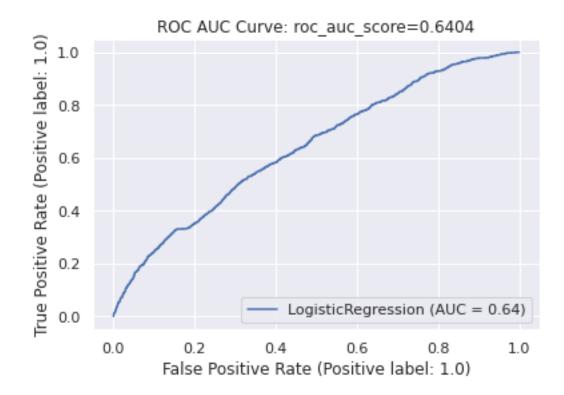
```
[]: model = LogisticRegression(n_jobs = -1)
  parameters = {'penalty' : ['ll', 'l2'] , 'C' : [0.1, 1.0, 10.0, 100.0, 1000.0]}
  clf = GridSearchCV(model, parameters, scoring = 'average_precision')
  gs = clf.fit(X_res, y_res)
```

```
print("Best Params : " , gs.best_params_)
   print("Best Score : " , gs.best_score_)
  Best Params : {'C': 1000.0, 'penalty': '12'}
  Best Score: 0.6334210398137068
[]: model = LogisticRegression(penalty = gs.best_params_['penalty'],C = gs.
   →best_params_['C'],n_jobs=-1)
   model.fit(X_res, y_res)
   y_pred = model.predict(X_test_iter_maxabs)
   y_scores = model.predict_proba(X_test_iter_maxabs)[:,1]
   print("F2-Score: ", round(fbeta_score(y_test,y_pred, pos_label =_
    print("Recall Score: ", round(recall_score(y_test, y_pred),4))
   roc_auc = roc_auc_score(y_test, y_scores, average='weighted')
   print("ROC AUC Score: ", round(roc_auc,4))
   average_precision = average_precision_score(y_test, y_scores)
   print('Average Precision-Recall score: ', round(average_precision,4))
  F2-Score: 0.678
  Recall Score: 0.5573
  ROC AUC Score: 0.6404
  Average Precision-Recall score: 0.0132
[]: fig, ax = plt.subplots(figsize=(8,8))
   ax.set_title('Confusion Matrix')
   disp = plot_confusion_matrix(model, X_test_iter_robust, y_test, cmap=plt.cm.
    →Blues, ax=ax, values_format='d')
```

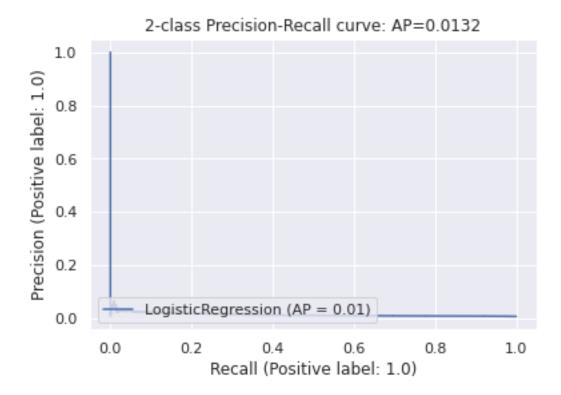


```
[]: disp = plot_roc_curve(model, X_test_iter_maxabs, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.6404')



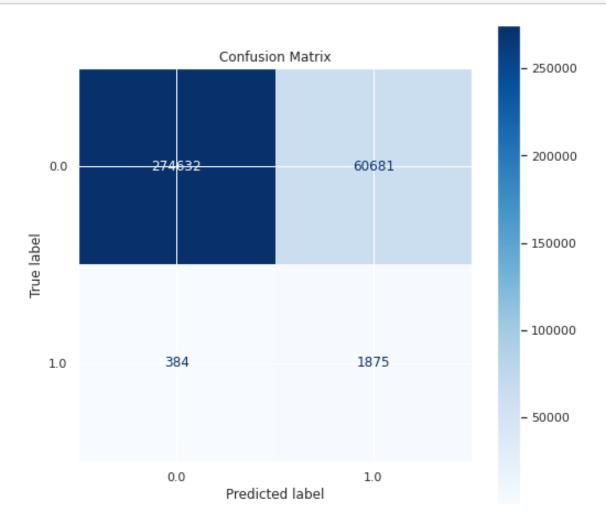
[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.0132')



8.4.3 7.4.3. Decision Tree

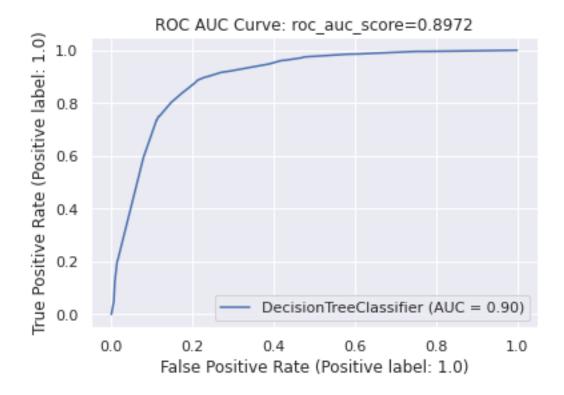
F2-Score: 0.8178
Recall Score: 0.8867
ROC AUC Score: 0.8972

Average Precision-Recall score: 0.0479



```
[]: disp = plot_roc_curve(model, X_test_iter_maxabs, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

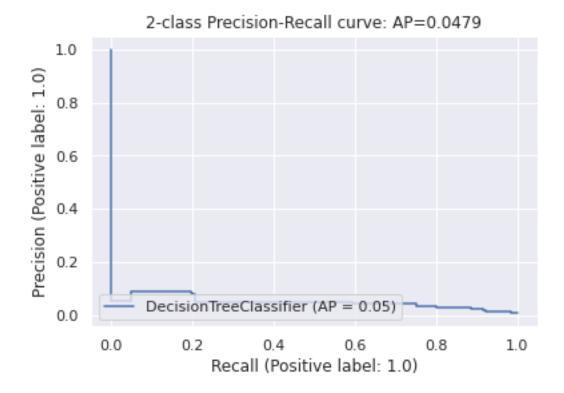
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.8972')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_maxabs, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.0479')

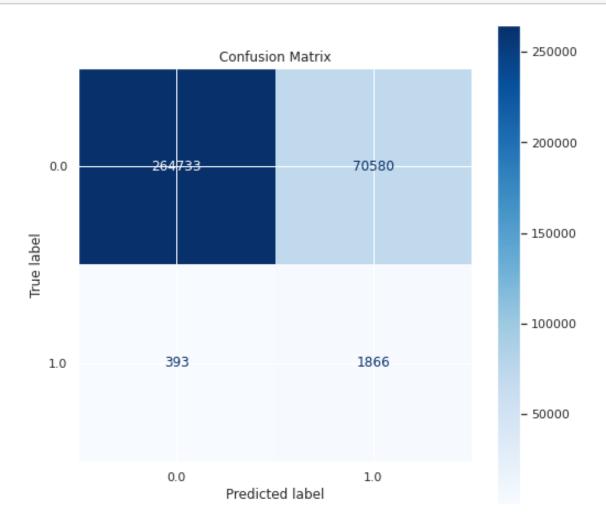


8.4.4 7.4.4. Random Forest

[]: model = RandomForestClassifier()

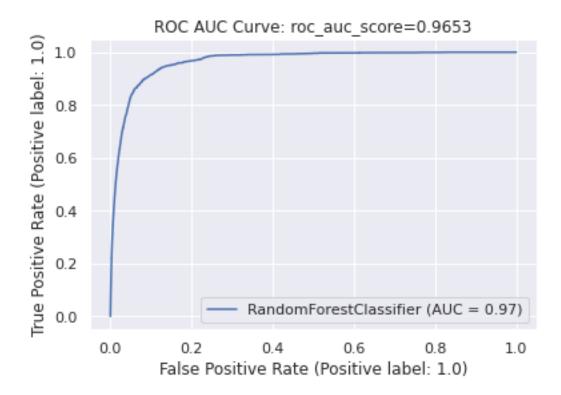
F2-Score: 0.8918
Recall Score: 0.9411
ROC AUC Score: 0.9653

Average Precision-Recall score: 0.2222



```
[]: disp = plot_roc_curve(model, X_test_iter_maxabs, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

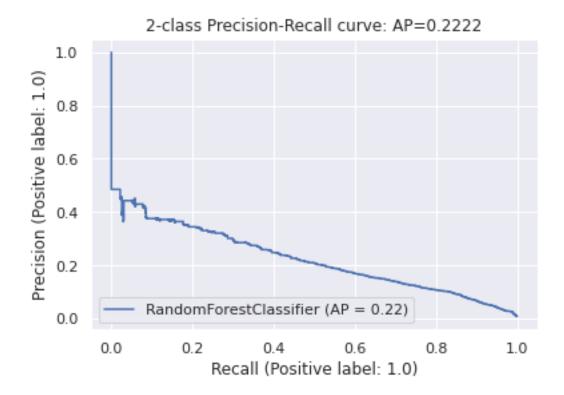
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9653')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_maxabs, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2222')

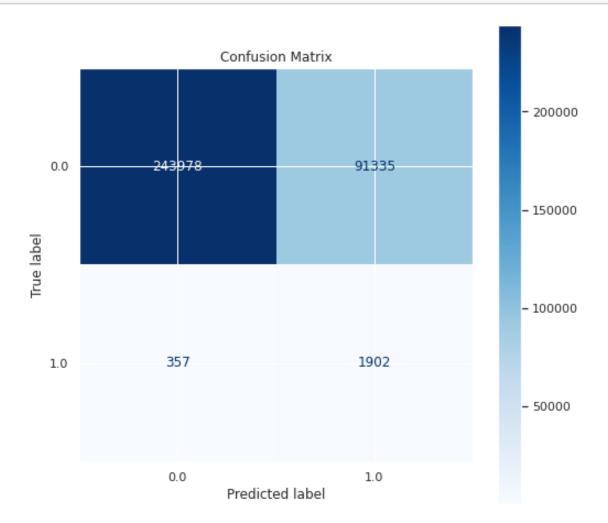


8.4.5 7.4.5. Xgboost

[]: model = XGBClassifier(n_jobs=-1, eval_metric='aucpr')

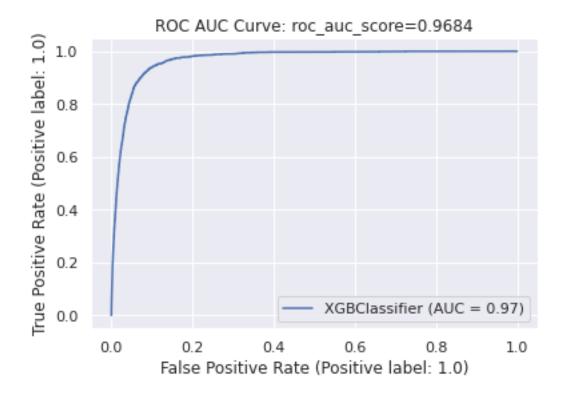
F2-Score: 0.9094
Recall Score: 0.9442
ROC AUC Score: 0.9684

Average Precision-Recall score: 0.2



```
[]: disp = plot_roc_curve(model, X_test_iter_maxabs, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

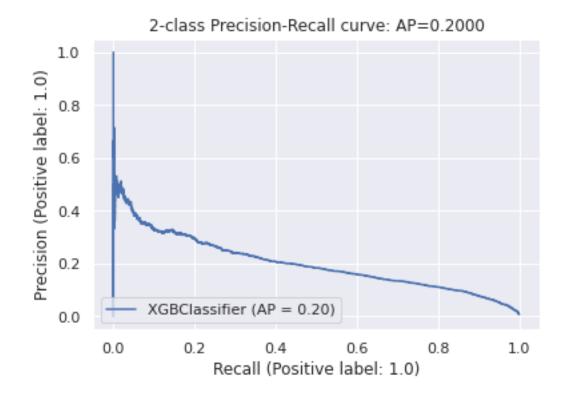
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9684')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_maxabs, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2000')



8.4.6 7.4.6. Custom Ensemble

```
[]: X = train.drop(['went_on_backorder'], axis=1)
y = train['went_on_backorder']
scaler = MaxAbsScaler()
X_t, y_t, X_D1, y_D1, X_D2, y_D2 = data_split(X,y)
X_D1, X_D2, X_t = preprocessing_df(scaler, X_t, X_D1, X_D2)
```

7.4.6.1. Random Sampling

```
params = []
scores = []
n_estimators = [100, 200, 300]
num_splits = [20,30,40,50]
for split in tqdm(num_splits):
    for num in n_estimators:
        base_model = DecisionTreeClassifier(max_depth=120)
        meta_model = RandomForestClassifier(n_estimators=num)
        score,_, = custom_ensemble_random(base_model, M_D1, M_D2, U)

AX_t, y_D1, y_D2, y_t, scaler, split)
        scores.append(score)
        params.append((split, num))
```

```
100%|| 4/4 [27:51<00:00, 417.87s/it]
```

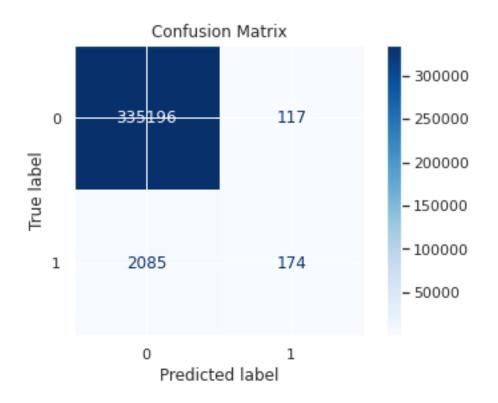
Best parameters are: num_splits - 50, n_estimators - 100

F2-Score: 0.9924
Recall Score: 0.077
ROC AUC Score: 0.8113

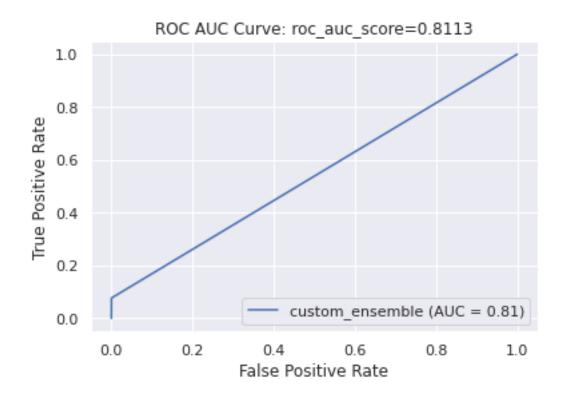
Average Precision-Recall score: 0.2019

```
[]: cm = confusion_matrix(y_t, y_pred)
    fig, ax = plt.subplots()
    disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
    ax.set_title('Confusion Matrix')
    disp.plot(cmap=plt.cm.Blues, ax=ax)
```

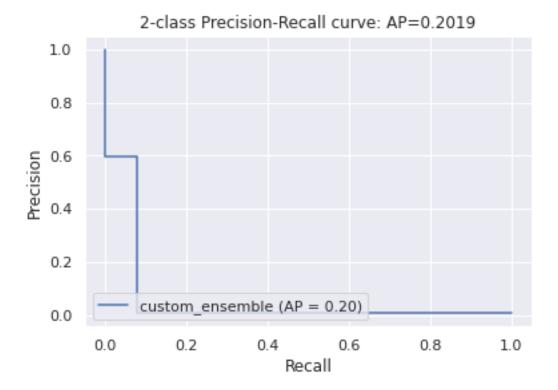
[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21a37c6210>



[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21a31d2110>



[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21a370bb50>



7.4.6.2. Balanced Sampling

100%|| 4/4 [31:48<00:00, 477.21s/it]

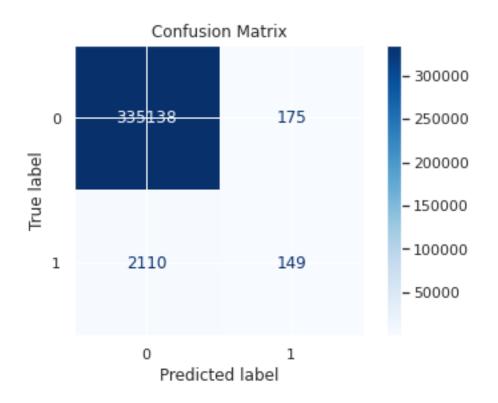
Best parameters are: num_splits - 50, n_estimators - 300

F2-Score: 0.9922
Recall Score: 0.066
ROC AUC Score: 0.9424

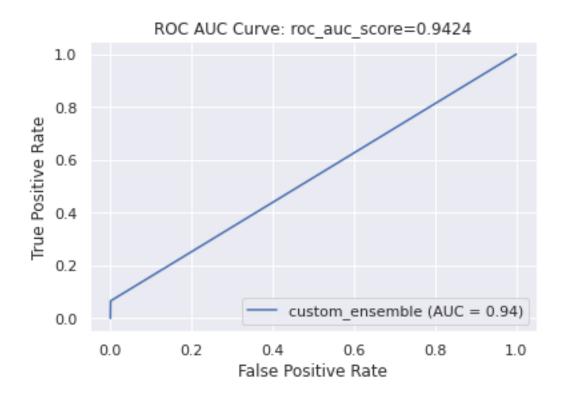
Average Precision-Recall score: 0.25

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f21a35ac6d0>

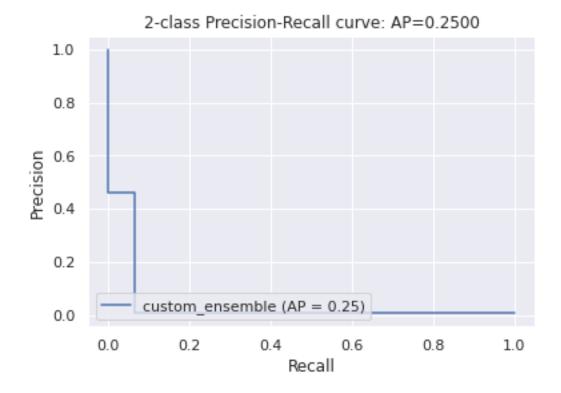


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21cb0ad050>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21a392fd10>



8.5 7.5. Quantile Transform

8.5.1 7.5.1. Random Under Sampling

```
[]: from imblearn.under_sampling import RandomUnderSampler
    rus = RandomUnderSampler(random_state=42)
    X_res, y_res = rus.fit_resample(X_train_iter_quantile, y_train)

[]: Xsampled = pd.DataFrame(X_res, columns=X_train_iter_quantile.columns)
    Xsampled['went_on_backorder'] = y_res
    Xsampled.to_csv('quantile_randomundersampling.csv', index=False)

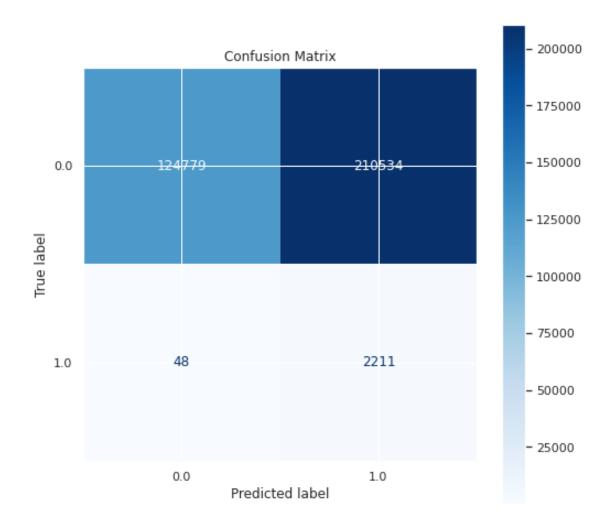
[]: df = pd.read_csv('quantile_randomundersampling.csv')
    X_res = df.drop(['went_on_backorder'], axis = 1)
    y_res = df['went_on_backorder']
```

8.5.2 7.5.2. Logistic Regression

```
[]: model = LogisticRegression(n_jobs = -1)
  parameters = {'penalty' : ['ll', 'l2'] , 'C' : [0.1, 1.0, 10.0, 100.0, 1000.0]}
  clf = GridSearchCV(model, parameters, scoring = 'average_precision')

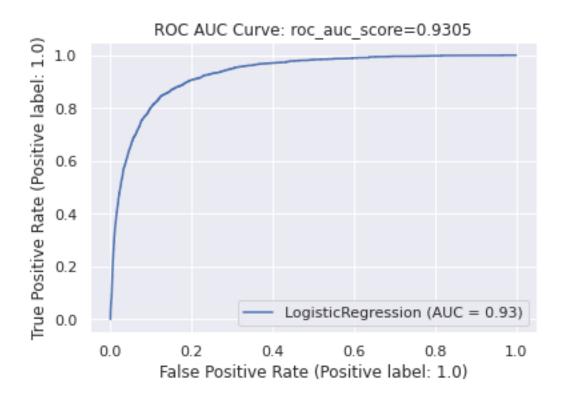
gs = clf.fit(X_res, y_res)
```

```
print("Best Params : " , gs.best_params_)
   print("Best Score : " , gs.best_score_)
  Best Params : {'C': 100.0, 'penalty': '12'}
  Best Score: 0.9231529921467289
[]: model = LogisticRegression(penalty = gs.best_params_['penalty'],C = gs.
   →best_params_['C'],n_jobs=-1)
   model.fit(X_res, y_res)
   y_pred = model.predict(X_test_iter_quantile)
   y_scores = model.predict_proba(X_test_iter_quantile)[:,1]
   print("F2-Score: ", round(fbeta_score(y_test,y_pred, pos_label =_
    print("Recall Score: ", round(recall_score(y_test, y_pred),4))
   roc_auc = roc_auc_score(y_test, y_scores, average='weighted')
   print("ROC AUC Score: ", round(roc_auc,4))
   average_precision = average_precision_score(y_test, y_scores)
   print('Average Precision-Recall score: ', round(average_precision,4))
  F2-Score: 0.8735
  Recall Score: 0.865
  ROC AUC Score: 0.9305
  Average Precision-Recall score: 0.121
[]: fig, ax = plt.subplots(figsize=(8,8))
   ax.set_title('Confusion Matrix')
   disp = plot_confusion_matrix(model, X_test_iter_robust, y_test, cmap=plt.cm.
    →Blues, ax=ax, values_format='d')
```

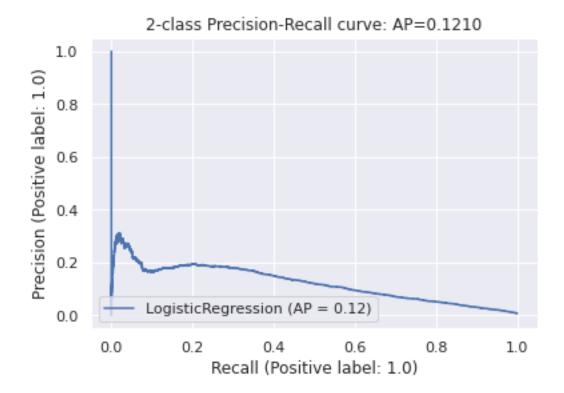


```
[]: disp = plot_roc_curve(model, X_test_iter_quantile, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9305')



[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1210')

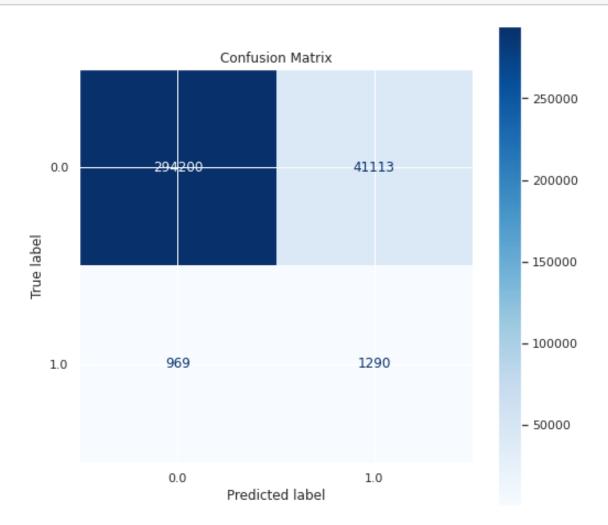


8.5.3 7.5.3. Decision Tree

[]: model = DecisionTreeClassifier()

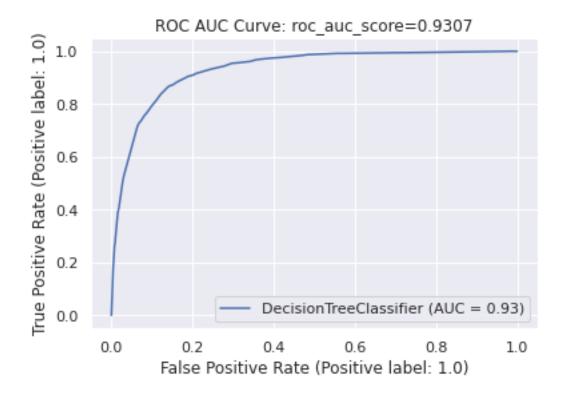
F2-Score: 0.8758
Recall Score: 0.8694
ROC AUC Score: 0.9307

Average Precision-Recall score: 0.1132



```
[]: disp = plot_roc_curve(model, X_test_iter_quantile, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

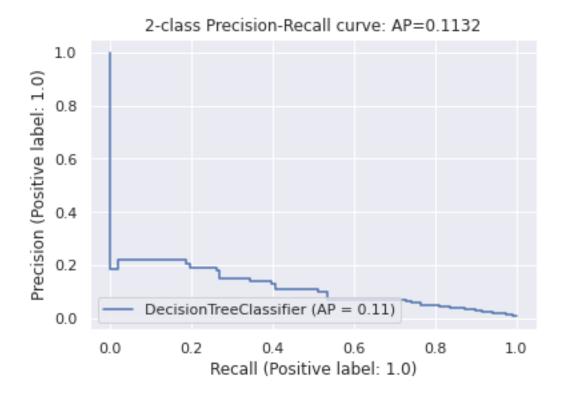
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9307')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_quantile, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

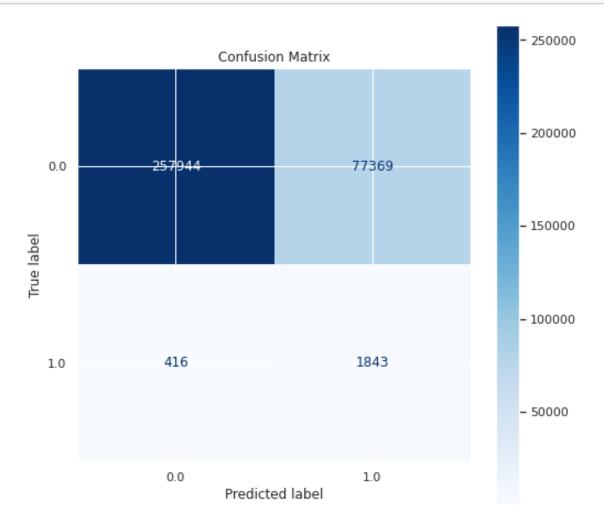
[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1132')



8.5.4 7.5.4. Random Forest

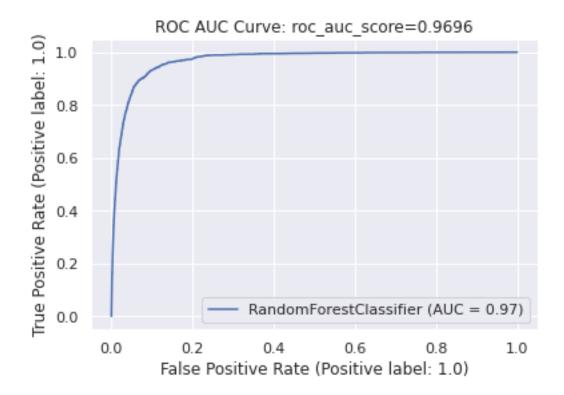
F2-Score: 0.9044
Recall Score: 0.942
ROC AUC Score: 0.9696

Average Precision-Recall score: 0.24



```
[]: disp = plot_roc_curve(model, X_test_iter_quantile, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

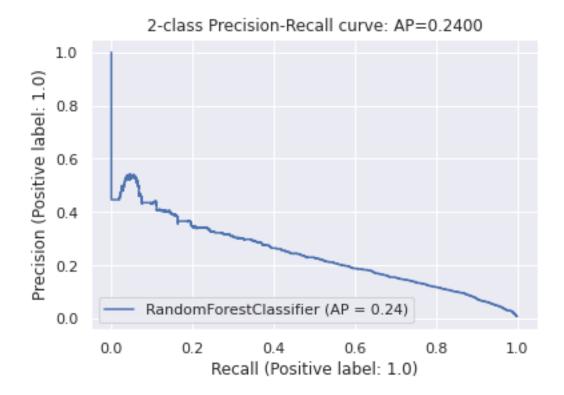
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9696')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_quantile, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.2400')

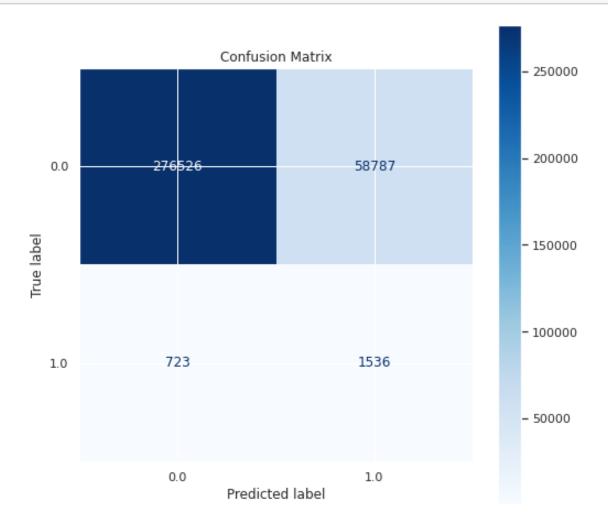


8.5.5 7.5.5. Xgboost

[]: model = XGBClassifier(n_jobs=-1, eval_metric='aucpr')

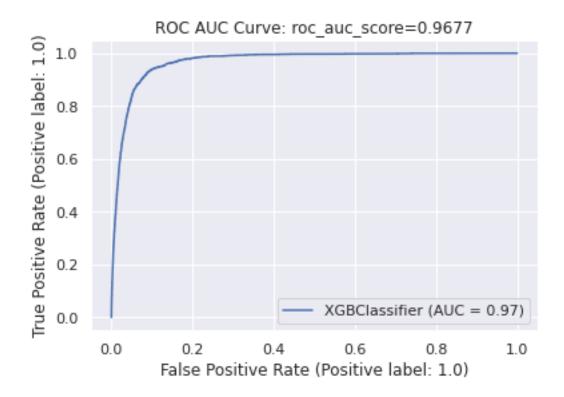
F2-Score: 0.9088
Recall Score: 0.9429
ROC AUC Score: 0.9677

Average Precision-Recall score: 0.1942



```
[]: disp = plot_roc_curve(model, X_test_iter_quantile, y_test)
disp.ax_.set_title('ROC AUC Curve: roc_auc_score={0:0.4f}'.format(roc_auc))
```

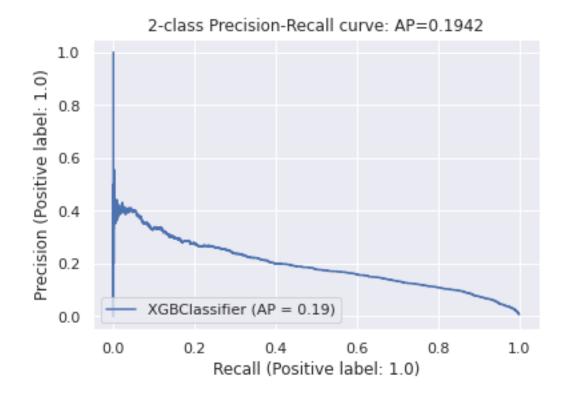
[]: Text(0.5, 1.0, 'ROC AUC Curve: roc_auc_score=0.9677')



```
[]: disp = plot_precision_recall_curve(model, X_test_iter_quantile, y_test) disp.ax_.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.

→format(average_precision))
```

[]: Text(0.5, 1.0, '2-class Precision-Recall curve: AP=0.1942')



8.5.6 7.5.6. Custom Ensemble Model

```
[]: X = train.drop(['went_on_backorder'], axis=1)
y = train['went_on_backorder']
scaler = QuantileTransformer()
X_t, y_t, X_D1, y_D1, X_D2, y_D2 = data_split(X,y)
X_D1, X_D2, X_t = preprocessing_df(scaler, X_t, X_D1, X_D2)
```

7.5.6.1. Random Sampling

```
100%|| 4/4 [26:51<00:00, 402.77s/it]
```

Best parameters are: num_splits - 50, n_estimators - 200

```
[]: base_model = DecisionTreeClassifier(max_depth=120)
meta_model = RandomForestClassifier(n_estimators=best_num)
score,y_pred,y_scores = custom_ensemble_random(base_model, meta_model, X_D1,

→X_D2, X_t, y_D1, y_D2, y_t, scaler, best_split)

print("F2-Score: ", round(fbeta_score(y_t,y_pred, pos_label = 
→1,average='weighted', beta=2),4))
print("Recall Score: ", round(recall_score(y_t, y_pred),4))

roc_auc = roc_auc_score(y_t, y_scores, average='weighted')
print("ROC AUC Score: ", round(roc_auc,4))

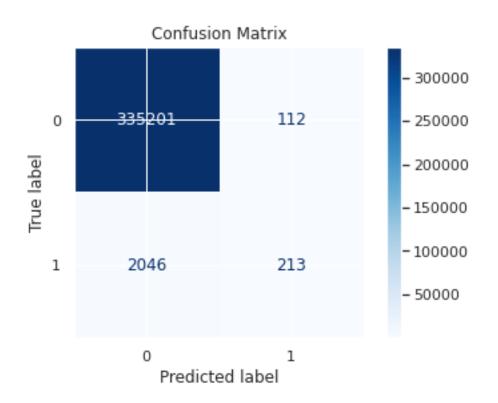
average_precision = average_precision_score(y_t, y_scores)
print('Average Precision-Recall score: ', round(average_precision,4))
```

F2-Score: 0.9926
Recall Score: 0.0943
ROC AUC Score: 0.8345

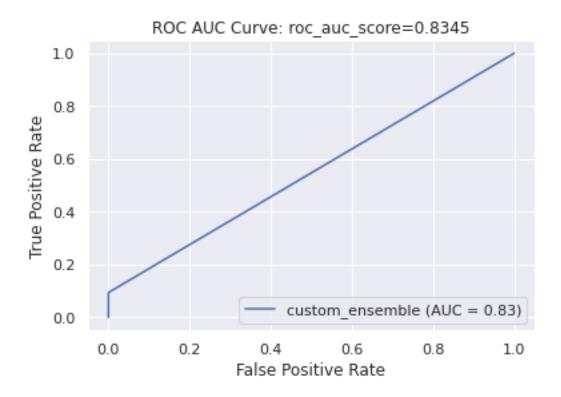
Average Precision-Recall score: 0.2477

```
[]: cm = confusion_matrix(y_t, y_pred)
    fig, ax = plt.subplots()
    disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
    ax.set_title('Confusion Matrix')
    disp.plot(cmap=plt.cm.Blues, ax=ax)
```

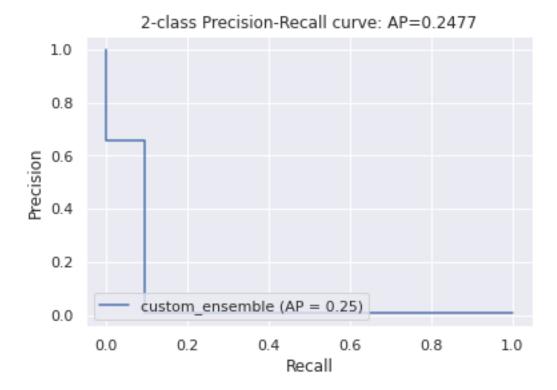
[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f219686b110>



[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f21bc454890>



[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f2194ecd390>



7.5.6.1. Balanced Sampling

100%|| 4/4 [31:01<00:00, 465.48s/it]

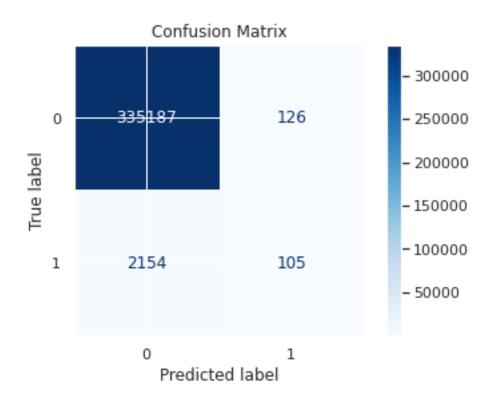
Best parameters are: num_splits - 50, n_estimators - 100

F2-Score: 0.9921
Recall Score: 0.0465
ROC AUC Score: 0.9276

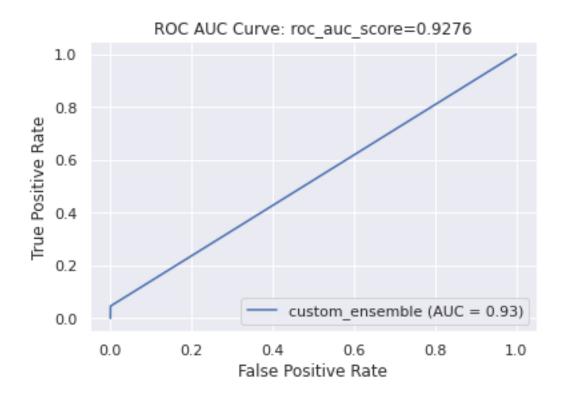
Average Precision-Recall score: 0.2562

```
[]: cm = confusion_matrix(y_t, y_pred)
fig, ax = plt.subplots()
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=[0,1])
ax.set_title('Confusion Matrix')
disp.plot(cmap=plt.cm.Blues, ax=ax)
```

[]: <sklearn.metrics._plot.confusion_matrix.ConfusionMatrixDisplay at 0x7f2194bf9bd0>

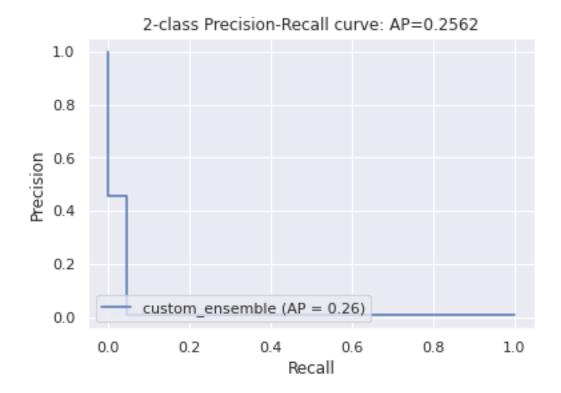


[]: <sklearn.metrics._plot.roc_curve.RocCurveDisplay at 0x7f2194abd450>



```
[]: precision, recall, _ = precision_recall_curve(y_t, y_pred)
fig, ax = plt.subplots()
disp = PrecisionRecallDisplay(precision=precision, recall=recall,
average_precision= average_precision, estimator_name='custom_ensemble')
ax.set_title('2-class Precision-Recall curve: AP={0:0.4f}'.
aformat(average_precision))
disp.plot(ax)
```

[]: <sklearn.metrics._plot.precision_recall_curve.PrecisionRecallDisplay at 0x7f21a36d4490>



9 8. Conclusion

9.1 8.1. Comparison of models on the basis of their 'Average Precision Score'

```
+-----+----
   -+----+
| Feature Transform | Logistic Regression | Decision Tree | Random Forest |
Xgboost | Custom Ensemble(Random Sampling) | Custom Ensemble(Balanced Sampling)
    ___________
  Robust Scaling
              1
                     0.0261
                                  0.1132
                                              0.2583
0.2083 I
               0.2450
                              1
                                         0.2517
                                  0.1131
| Powerlaw Transform |
                     0.0732
                              0.2265
0.2017 |
               0.2578
                                         0.2641
  Log Transform
              0.1303
                              1
                                  0.1131
                                         0.2599
0.2014 |
                                         0.2685
               0.2660
  MaxAbs Scaling
                     0.0132
                                   0.0479
                                              0.2222
                                         0.2000 |
               0.2019
                                         0.2500
                                  0.1132
| Quantile Transform |
                     0.1210
                              0.2400
0.1942 |
               0.2477
                                         0.2562
```

9.2 8.2. Comparison of models on the basis of their 'ROC AUC Score'

```
[]: myTable = PrettyTable(["Feature Transform", "Logistic Regression", "Decision |
   →Tree", "Random Forest", "Xgboost", "Custom Ensemble(Random Sampling)", □
   →"Custom Ensemble(Balanced Sampling)"])
[]: myTable.add_row(["Robust Scaling", "0.7701", "0.9306", "0.9702", "0.9685", "0.
   →8352", "0.9347"])
  myTable.add_row(["Powerlaw Transform", "0.8986", "0.9307", "0.9705", "0.9683", __

¬"0.8330", "0.9402"])
  myTable.add_row(["Log Transform", "0.9387", "0.9307", "0.9702", "0.9682", "0.
   \rightarrow8444", "0.9433"])
  myTable.add_row(["MaxAbs Scaling", "0.6404", "0.8972", "0.9653", "0.9684", "0.
   →8113", "0.9424"])
  myTable.add_row(["Quantile Transform", "0.9305", "0.9307", "0.9696", "0.9677", __
   →"0.8345", "0.9276"])
  print(myTable)
  +----+
  | Feature Transform | Logistic Regression | Decision Tree | Random Forest |
  Xgboost | Custom Ensemble(Random Sampling) | Custom Ensemble(Balanced Sampling)
          0.7701
                                                       0.9702
                                    -
                                          0.9306
                                                  Robust Scaling |
  0.9685 |
                    0.8352
                                    0.9347
```

```
| Powerlaw Transform |
                               0.8986
                                            1
                                                   0.9307
                                                            0.9705
0.9683 I
                       0.8330
                                           I
                                                            0.9402
    Log Transform
                               0.9387
                                                   0.9307
                                                                   0.9702
                                                            0.9682 |
                                                            0.9433
                       0.8444
    MaxAbs Scaling
                               0.6404
                                                   0.8972
                                                            - 1
                                                                   0.9653
                                                            0.9424
0.9684 I
                       0.8113
| Quantile Transform |
                               0.9305
                                                   0.9307
                                                            0.9696
0.9677 |
                       0.8345
                                                            0.9276
```

9.3 8.3. Comparison of models on the basis of their 'Recall Score'

```
[]: myTable = PrettyTable(["Feature Transform", "Logistic Regression", "Decision |
           →Tree", "Random Forest", "Xgboost", "Custom Ensemble(Random Sampling)", □
           →"Custom Ensemble(Balanced Sampling)"])
[]: myTable.add row(["Robust Scaling", "0.6698", "0.8690", "0.9433", "0.9425", "0.
           →0899", "0.0469"])
        myTable.add row(["Powerlaw Transform", "0.8336", "0.8694", "0.9442", "0.9433", "0.9433", "0.9442", "0.9433", "0.9442", "0.9433", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442", "0.9442
          →"0.0916", "0.0549"])
        myTable.add row(["Log Transform", "0.8889", "0.8694", "0.9420", "0.9420", "0.
           \rightarrow0841", "0.0469"])
        myTable.add_row(["MaxAbs Scaling", "0.5573", "0.8867", "0.9411", "0.9442", "0.
          →0770", "0.0660"])
        myTable.add row(["Quantile Transform", "0.8650", "0.8694", "0.9420", "0.9429", "
          →"0.0943", "0.0465"])
        print(myTable)
       +----+
       | Feature Transform | Logistic Regression | Decision Tree | Random Forest |
      Xgboost | Custom Ensemble(Random Sampling) | Custom Ensemble(Balanced Sampling)
                Robust Scaling
                                                                              0.6698
                                                                                                              1
                                                                                                                            0.8690
                                                                                                                                                    1
                                                                                                                                                                   0.9433
                                                            0.0899
      0.9425
                                                                                                                                                  0.0469
       | Powerlaw Transform |
                                                                              0.8336
                                                                                                                            0.8694
                                                                                                                                                  0.9442
      0.9433 |
                                                            0.0916
                                                                                                                                                  0.0549
                                                                              0.8889
                Log Transform
                                                                                                              0.8694
                                                                                                                                                   0.9420
                                                            0.0841
      0.9420 |
                                                                                                                                                  0.0469
                MaxAbs Scaling
                                                                              0.5573
                                                                                                                            0.8867
                                                                                                                                                    0.9411
      0.9442 \mid
                                                            0.0770
                                                                                                                                                  0.0660
       | Quantile Transform |
                                                                              0.8650
                                                                                                                            0.8694
                                                                                                                                                                  0.9420
                                                                                                              -
                                                                                                                                                    0.9429 I
                                                           0.0943
                                                                                                                                                  0.0465
```

9.4 8.4. Comparison of models on the basis of their 'F2 Score'

```
[]: myTable = PrettyTable(["Feature Transform", "Logistic Regression", "Decision⊔
    →Tree", "Random Forest", "Xgboost", "Custom Ensemble(Random Sampling)", □
    →"Custom Ensemble(Balanced Sampling)"])
[]: myTable.add_row(["Robust Scaling", "0.7409", "0.8759", "0.9041", "0.9090", "0.
   \rightarrow9925", "0.9920"])
   myTable.add_row(["Powerlaw Transform", "0.8536", "0.8758", "0.9051", "0.9088", __
   \rightarrow"0.9926", "0.9921"])
   myTable.add_row(["Log Transform", "0.8743", "0.8758", "0.9043", "0.9086", "0.
   9925", "0.9921"])
   myTable.add row(["MaxAbs Scaling", "0.6780", "0.8178", "0.8918", "0.9094", "0.
   \rightarrow9924", "0.9922"])
   myTable.add_row(["Quantile Transform", "0.8735", "0.8758", "0.9044", "0.9068", __
   \rightarrow"0.9926", "0.9921"])
   print(myTable)
  ____+__
  | Feature Transform | Logistic Regression | Decision Tree | Random Forest |
  Xgboost | Custom Ensemble(Random Sampling) | Custom Ensemble(Balanced Sampling)
           __________
                                       Robust Scaling
                    0.7409
                                             0.8759
                                                     0.9041
  0.9090 |
                     0.9925
                                       1
                                                    0.9920
                                                                       1
  | Powerlaw Transform |
                                       - 1
                                                    0.8536
                                             0.8758
                                                          0.9051
  0.9088 |
                     0.9926
                                                    0.9921
                                                     Log Transform |
                            0.8743
                                       0.8758
                                                           0.9043
                                                    0.9921
  0.9086 l
                     0.9925
                                       MaxAbs Scaling
                    0.6780
                                       1
                                             0.8178
                                                     0.8918
  0.9094 I
                     0.9924
                                       1
                                                    0.9922
  | Quantile Transform |
                            0.8735
                                                           0.9044
                                       0.8758
                                                     0.9068 |
                     0.9926
                                                     0.9921
```

9.5 8.5. Observations

- Logistic Regression performs best with Log Transform with Avergae-Precision Score = 0.1303, ROC AUC Score = 0.9387, Recall Score = 0.8889 adn F2 Score = 0.8743.
- Decision Tree performed worst with MaxAbsScaling and with other four it performance was similar.
- Random Forest performed best with Powerlaw Transform with Avergae-Precision Score = 0.2265, ROC AUC Score = 0.9705, Recall Score = 0.9442 adn F2 Score = 0.9051.
- Xgboost performed was comparable with Robust Scaling and MaxAbsScaling.
- Custom Ensemble with Random Sampling performed best with Log Transform.

- Custom Ensemble with Balanced Sampling performed best with Log Transform.
- If we consider F2 score alone the Custom Ensemble models seem to be performing best but this incorrect if we consider Recall score also.
- By seeing Recall score it becomes clear that the Custom Ensemble models are performing worst and seems unfit for predictions.
- The reason for Custom Ensemble models having high F2 scores and Average Precision-Recall score could be because they were predicting majority classes more.
- Overall the best performing model is Random Forest Classifier with PowerLaw Transformer.