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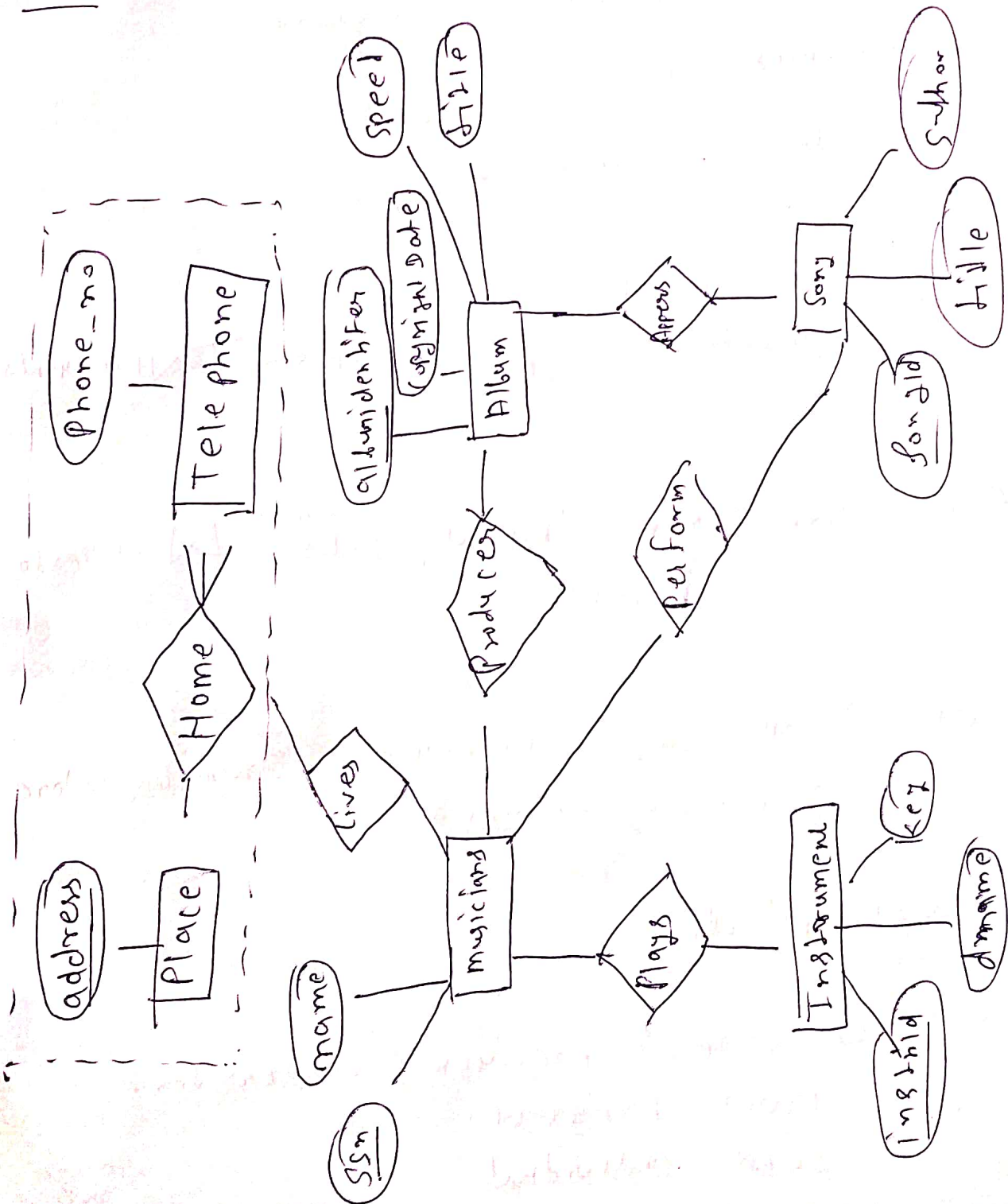
ID - 2019KUEEC2021

Sid. DBMS

5th
Midsem - 2021

Sign - Akashsahu

81



Q.2 - division operation.

T

P	Q	R
p_1	q_1	r_1
p_1	q_1	r_2
p_1	q_2	r_1
p_2	q_2	r_1
p_3	q_1	r_2
p_2	q_2	r_2
p_2	q_2	r_3
p_1	q_1	r_4

P	Q
p_1	q_1

we have
T as R

$$T_1 \leftarrow \neg(R - S)(R)$$

$$T_2 \leftarrow \neg(R - S)((S \times T_1) - R)$$

$$T \leftarrow T_1 - T_2$$

where $T = R \div S$

$$R - S = \begin{vmatrix} R \\ r_1 \\ r_2 \\ r_3 \end{vmatrix}$$

$$T_{12} = \neg(R - S) \begin{vmatrix} R \\ R \\ r_1 \\ r_2 \\ r_3 \end{vmatrix}$$

For T_2 $S \times T_1$

P	Q
p_1	q_1

 \times

T ₁
R
r_1
r_2
r_3

 $S \times T_1 =$

P	Q	R
p_1	q_1	r_1
p_1	q_1	r_2
p_1	q_1	r_3
p_1	q_1	r_4

$$(S \times T_1) - R = S \times T_1$$

P	Q	R
p ₁	q ₁	r ₁
p ₁	q ₁	r ₂
p ₁	q ₁	r ₃
p ₁	q ₁	r ₄

-

R		
P	Q	R
p ₁	q ₁	r ₁
p ₁	q ₁	r ₂
p ₁	q ₁	r ₁
p ₂	q ₂	r ₁
p ₃	q ₁	r ₂
p ₂	q ₂	r ₂
p ₂	q ₁	r ₃
p ₁	q ₁	r ₄

$$(S \times T_1) - R =$$

P	Q	R
p ₁	q ₁	r ₃

$$T_2 = \pi_{(R-S)}((S \times T_1) - R) =$$

R
r ₃

$$T_1 - T_2 = (\pi_{(R)} \times R) \div S$$

$$\Rightarrow$$

R
r ₁
r ₂
r ₃
r ₄

-

R
r ₃

$$\rightarrow$$

R
r ₁
r ₂
r ₁

Finally - $R \div S$ as $T \div S$

R
r ₁
r ₂
r ₄

Q.3 - individual (name age, gender)

frequents (name, burgerstore)

consumes (name burger)

provides (burgerstore, burger, price)

(a)

π burgerstore (σ age $<$ 20 (person) \bowtie frequents)

(b) π burgerstore (σ name = 'Rahul' ($\overset{\text{consumes}}{\text{Eats}}$) \bowtie σ price $<$ 80 (serves))

(c) $\text{Eats} \rightarrow \pi$ name, burger (frequents $- \pi$ name, burgerstore ($\text{Eats} \bowtie \text{serves}$))

using - SQL Application

Part a

```
SELECT frequents.burgerstore
FROM frequents
JOIN Individual
on frequents.name = Individual.name
where Individual.age < 20
```


Q ③ →

(6) SELECT provides, burgerstore
FROM provides
JOIN consumers
ON provides.burger = consumers.burger.
WHERE consumers.name = 'Rahul'
AND provides.price < 50

(1) ~~SELECT Individuals name~~
~~Consumers burger~~
~~FROM Individuals~~

Q.4 (a) Cartesian Product

no of maximum tuples in
Cartesian product is $m \times n$

min. no of tuples :- \max

(b) Join : \min
~~max~~ no of tuples in
relation = $\begin{matrix} 0 \\ 0 \end{matrix}$ (Intersection)

max. no of tuples in resulting relation = $m \times n$
(if no matching key contains join
will produce product)

(c) Left outer join :

max is $m \times n$ (same as natural join)

min is n (no of tuple left join)

(d) Right outer join :

max = $n \times m$

(all rows in left table matching
with all rows in right
table)

min = m

Q1. Full outer join

$\text{max} = n * m$ (if all rows in left table matching with all rows in right table)

$\text{min} = n + m$

(if no tuple matching b/w the two table but still we have to include all the tuple)

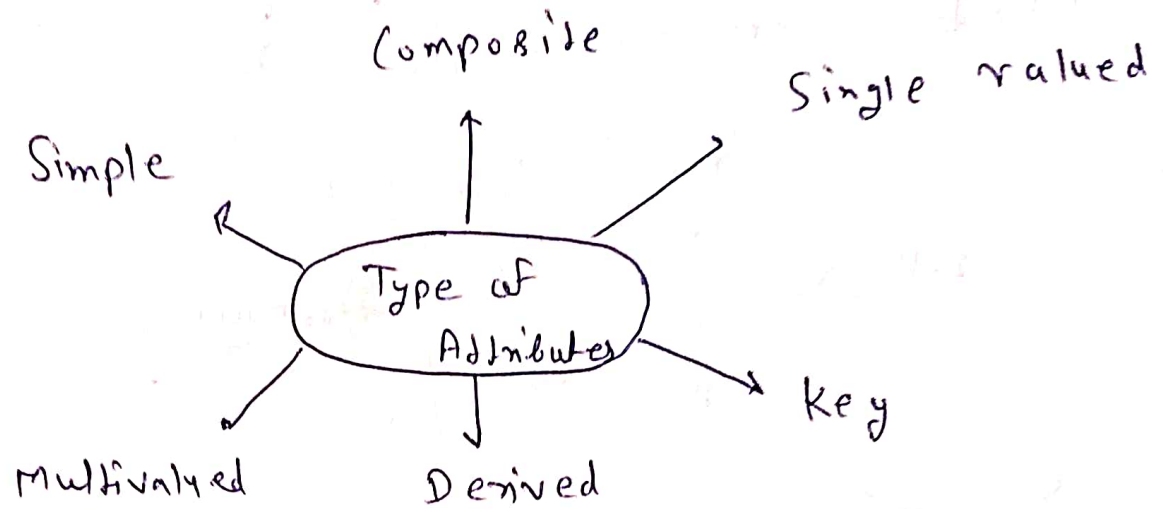
(f) Union: $\text{max} = n + m$

(Union we add all the tuples from both relations)

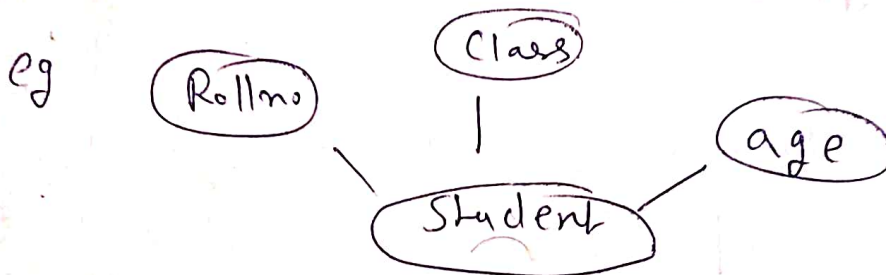
$\text{min} =$ the minimum is m

(the greater of two size m and n)

8.5 - Type of Attributes:

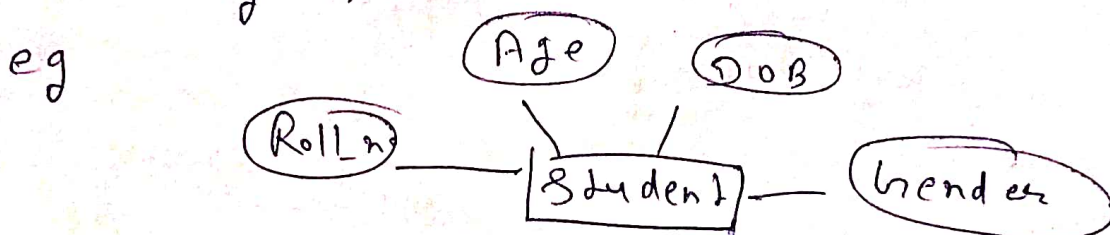


(1) Simple: Simple Attributes are those which cannot be divided further.



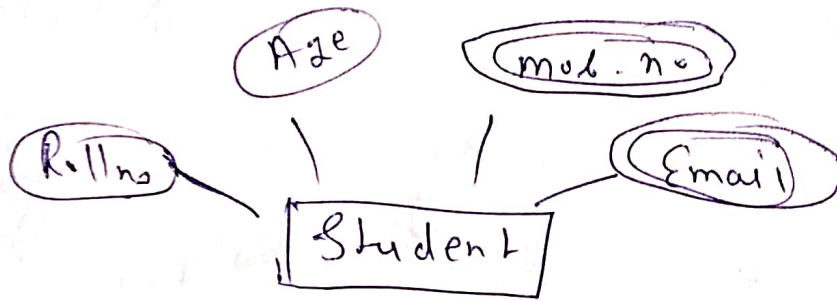
(2) Composite: these are those which are composed of many other simple attributes.

(3) Single Valued are those attributes which can take only one value for a given entity set.



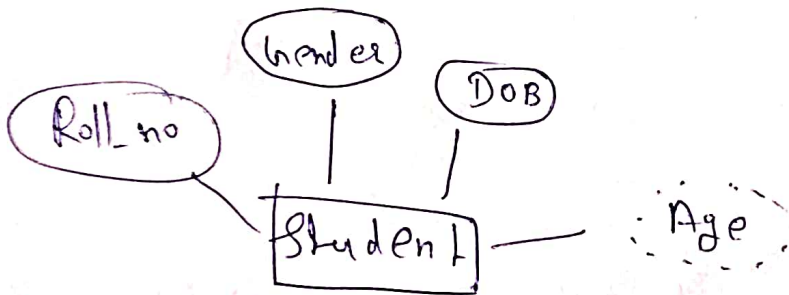
(4) Multivalued: are those which can take more than one value for a given entity from an entity set.

eg



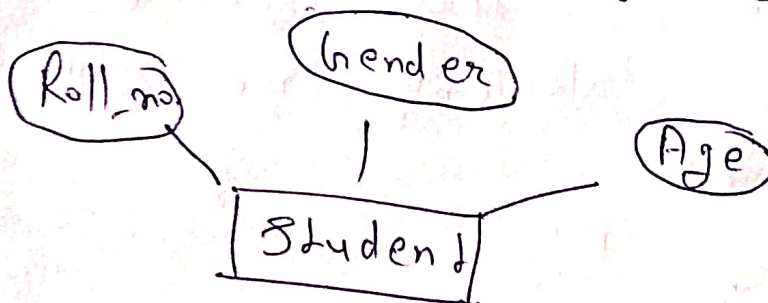
(5) Derived: Derived Attributes are which can be derived from other attributes.

eg:



(6) Key: which can identify an entity uniquely in an entity set.

eg:



(?) Weak entity set: is an set that does not contain sufficient attributes to uniquely identify its entities and primary key does not exist for this entity set.

it contains a partial key called as discriminator

Primary key of weak entity set

= its own discriminator + Primary key of strong entity set