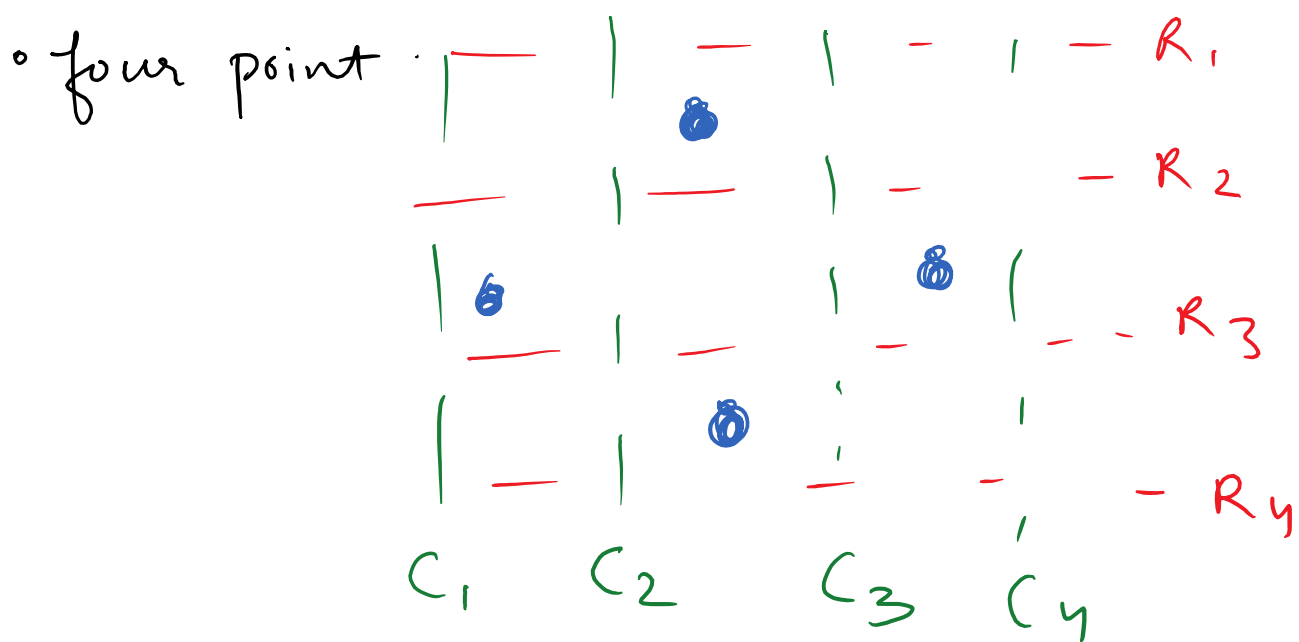
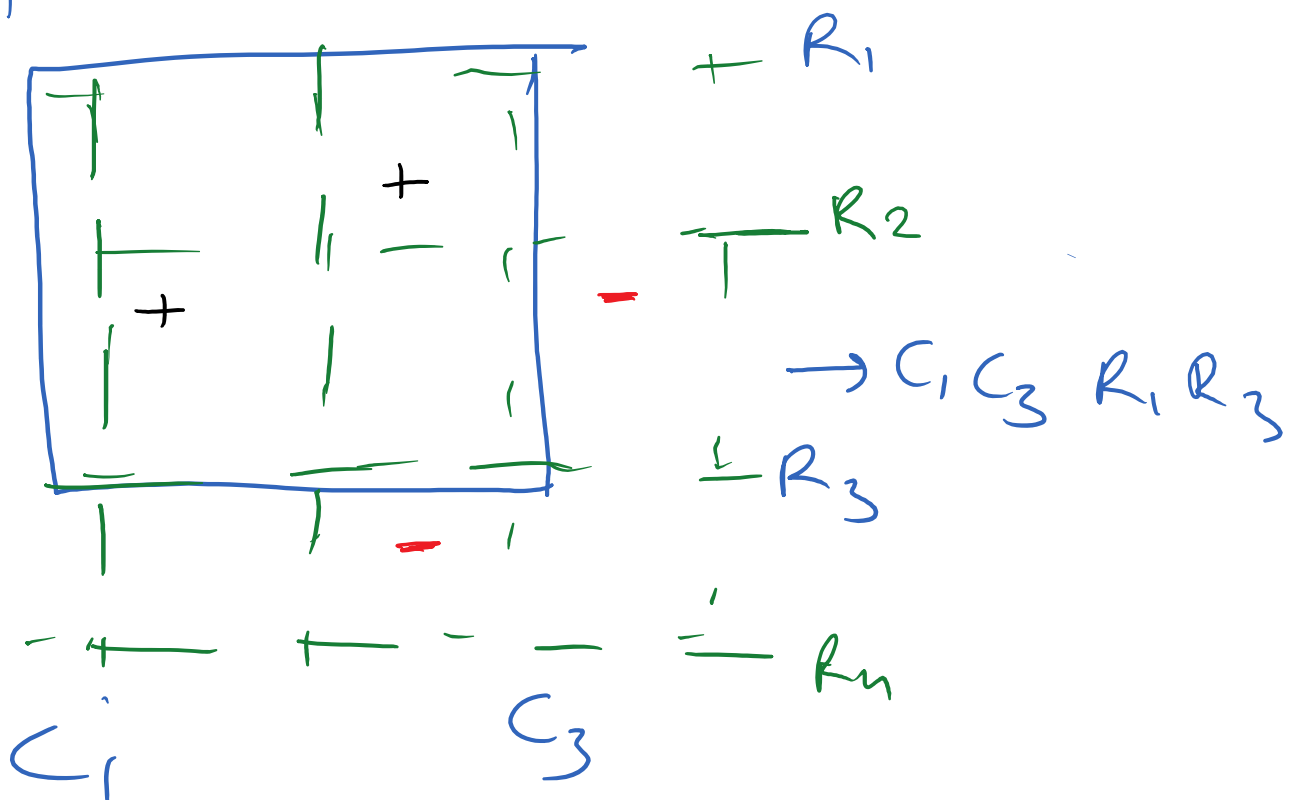


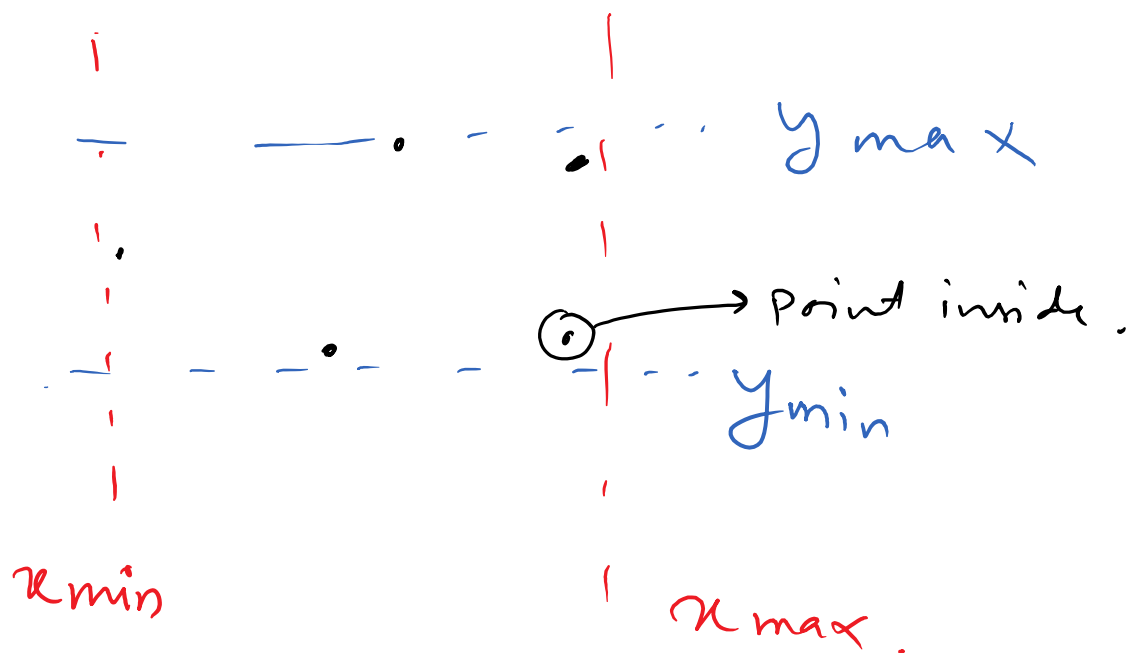
Pl. Q2.



Combination of 2 C_s & 2 R_s & group points inside a box.



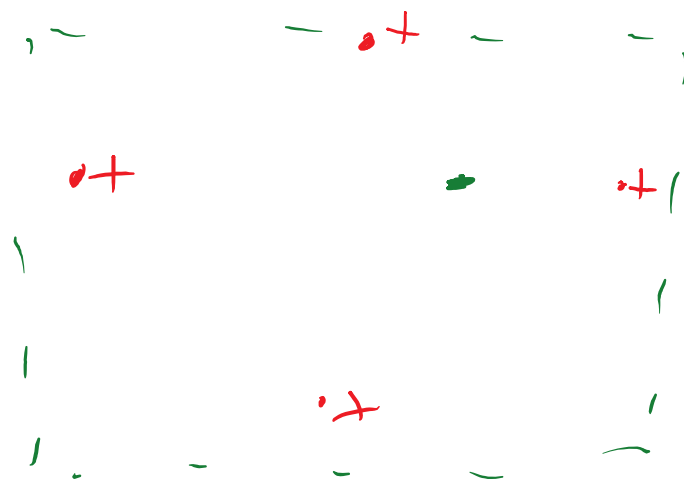
• $n=5$



By choosing x_{min} x_{max} y_{min} y_{max}

\exists point inside it.

in that case



$\rightarrow \max VC = 4$

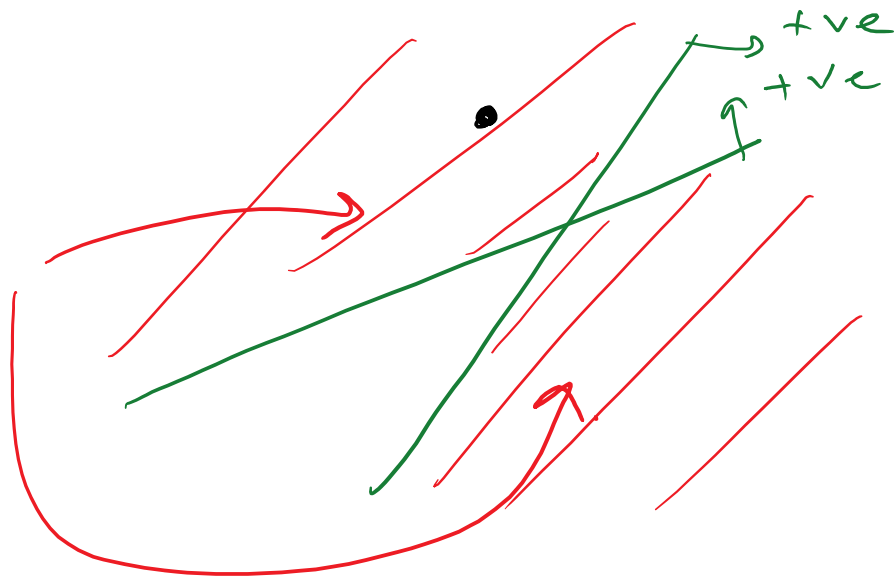
// since it can shatter 4 \rightarrow it can

Shatter 3 → take img. point.

$$Q_3 \rightarrow K=1 \rightarrow VC=0$$

$$K=2$$

Point in
this
region.



\checkmark VC at least 1

// since \rightarrow distinct linear

$\exists \rightarrow$ region where $y_1 \cdot y_2 < 0$

So $\min = \underline{1}$

$\max = \underline{1}$ as.

any 2 points can have 4 cases

+

+

-

-

+

-

+

-

* 2 linear equations can only cover 2 diff

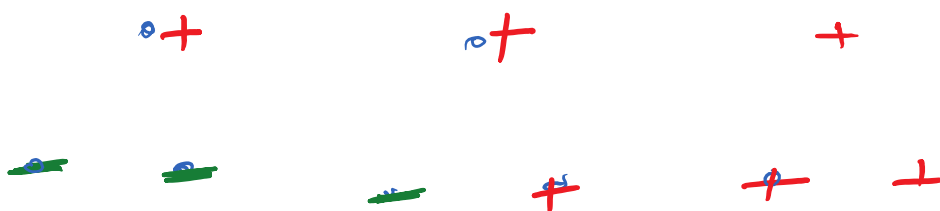
* 2 linear separator has only cover 2 diff cases.

• $K=3$.

linear separator \rightarrow 2 region.

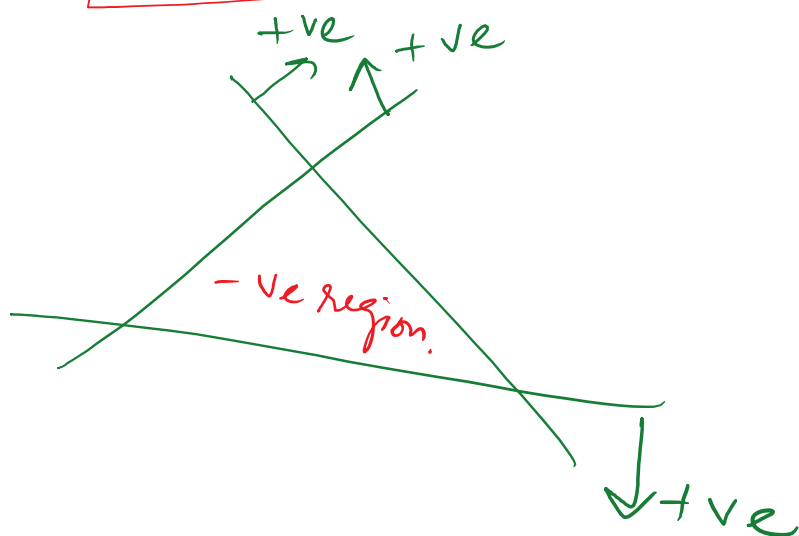
max VC = 1 only as.

can cover only 2 case.



8 cases. \rightarrow

• $\min VC = 1, \max VC = 1$



Q. 1.

(a) if VC dim is ∞

$$M \geq \frac{1}{\epsilon} \sqrt{4 \ln \frac{2}{\delta} + 8 \cdot VC(H) \ln \frac{13}{\epsilon}}$$

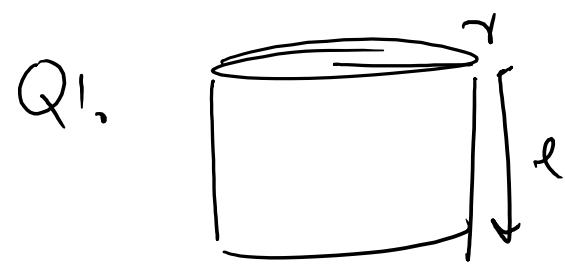
$$\epsilon = 0.2 \quad \delta = 0.05$$

$$M \geq \frac{1}{0.2} \sqrt{4 \times \ln \frac{2}{0.05} + 8 \cdot VC(H) \ln \frac{13}{0.2}}$$

$VC = 5$ // for cylinder.

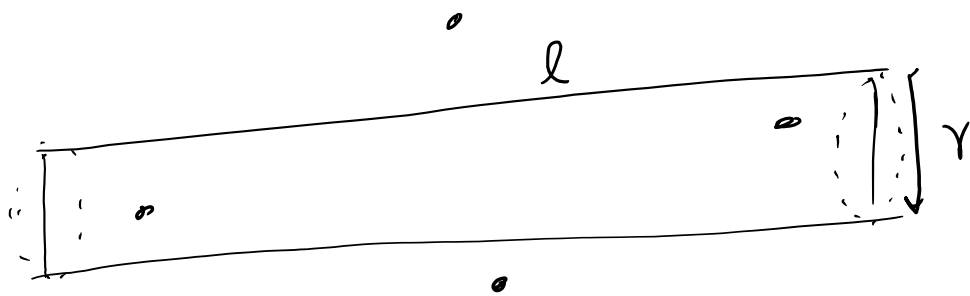
$$M \geq 67.4$$

$$\boxed{M \geq 68}$$



- VC dimension

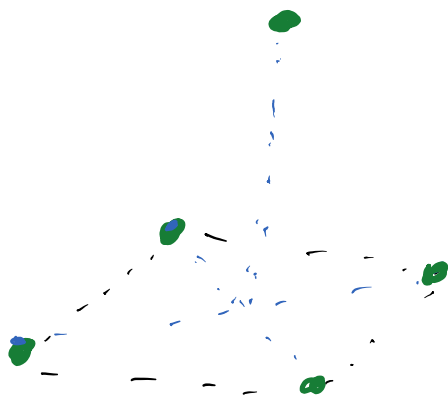
In 2D it can shatter 4 points as it forms a rectangle



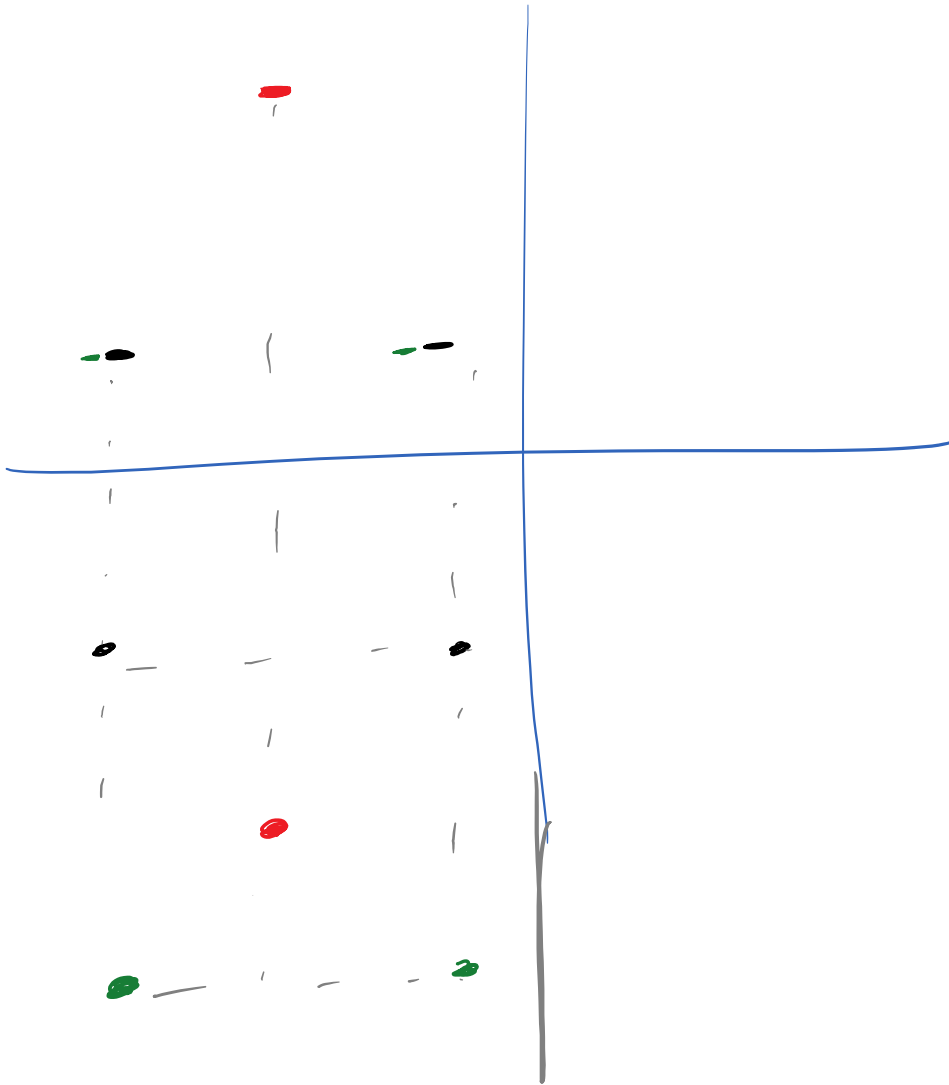
$l = \max$ distance b/w 2 points
 $r < \min$ distance b/w any 2 points.

for $n=5$

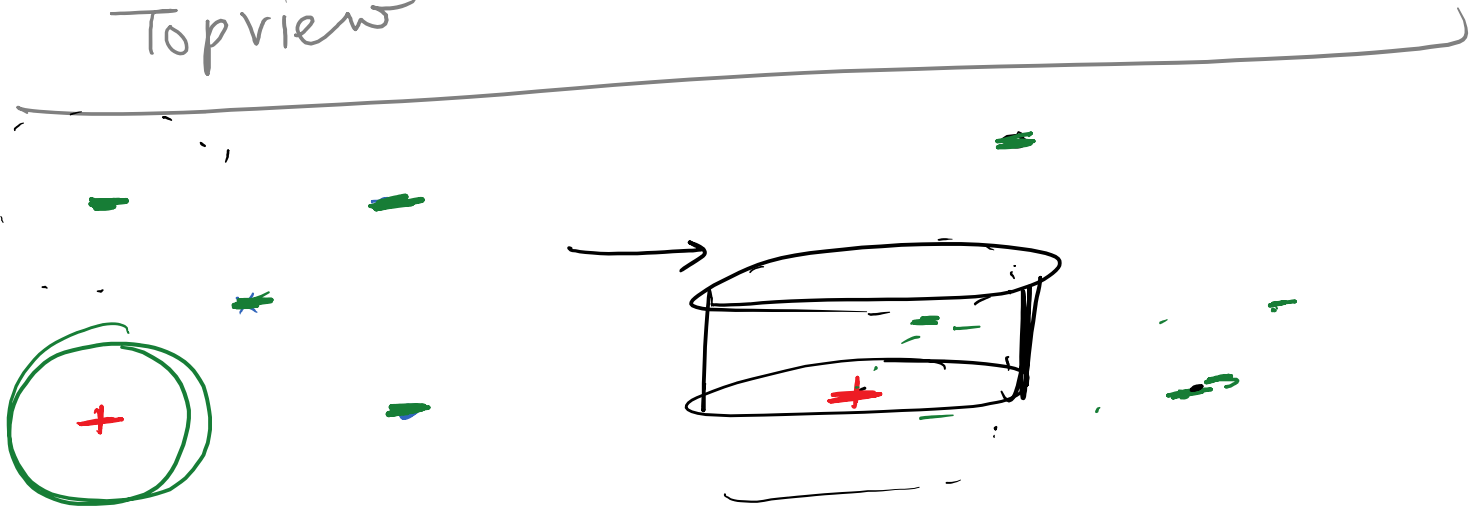
Consider space 4 points on square & one at the centre above height h .

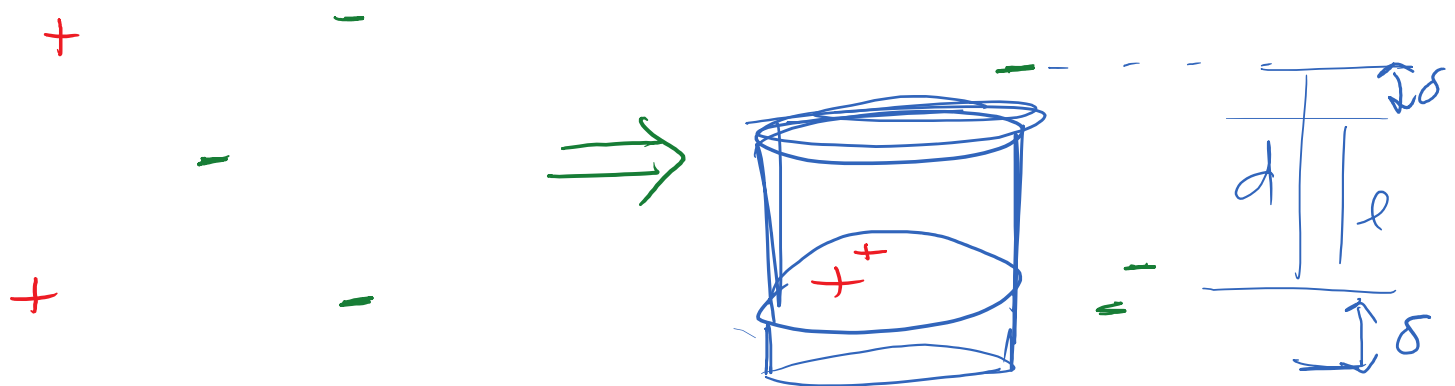
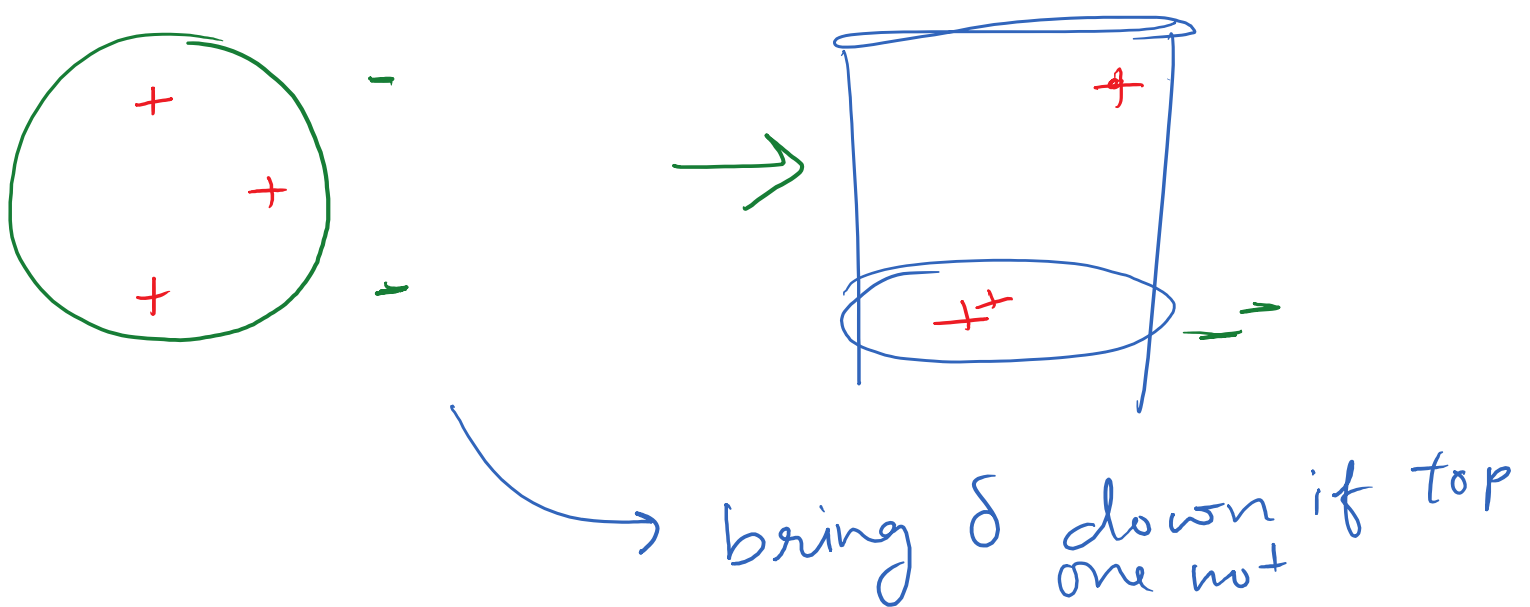
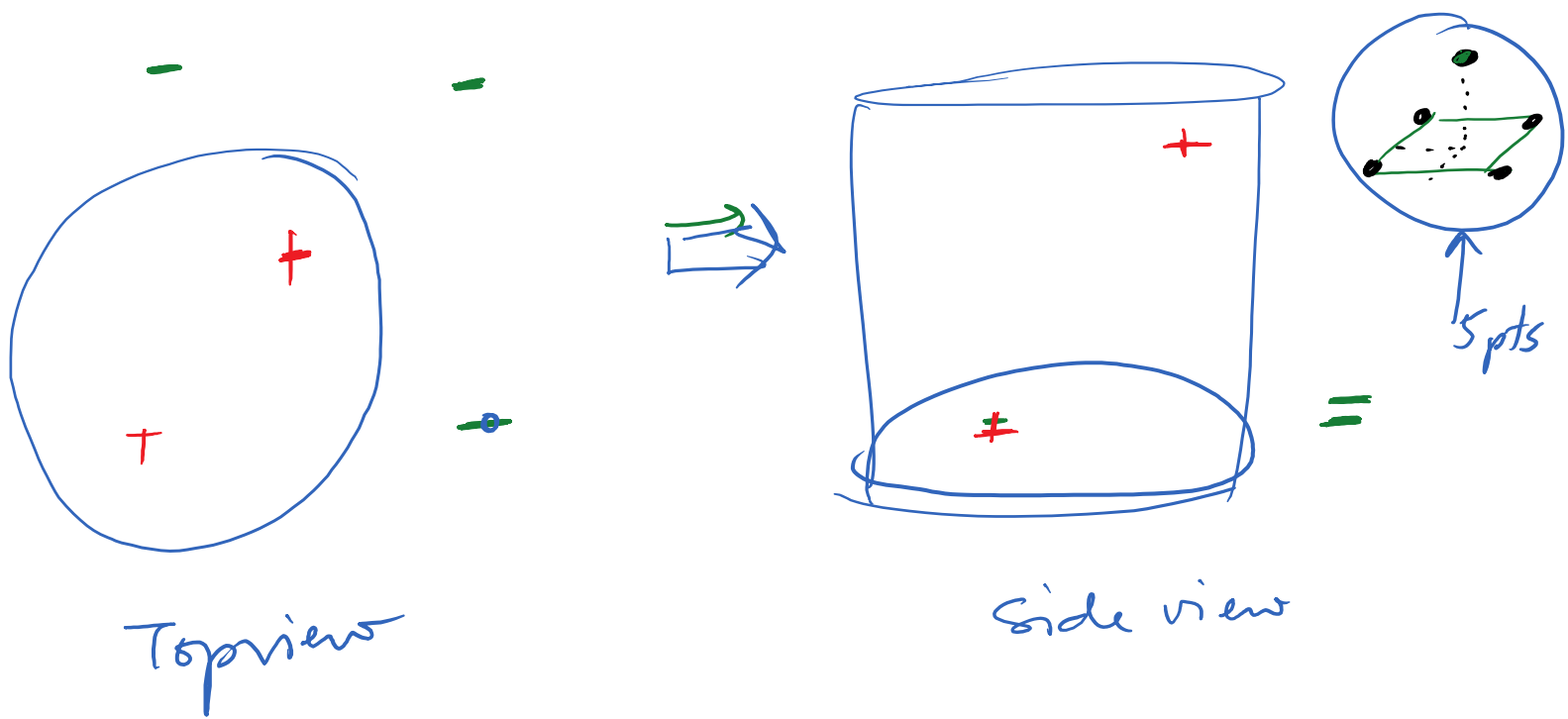


Side view



Top view

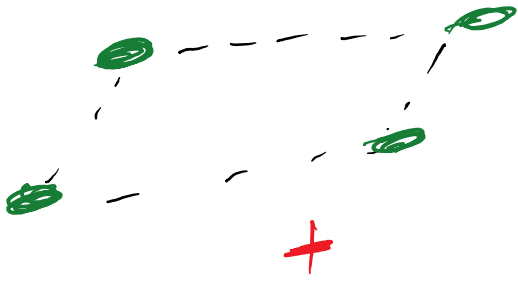




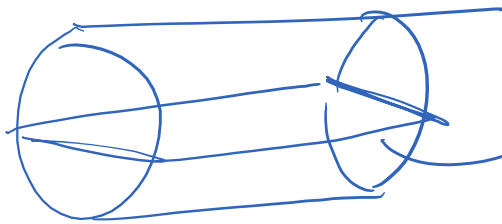
⇒ similarly 5 points in 3D can be shattered.

6 points

+



Q. 1. A VC changes when you add new cylinders.



→ Rectangle in 2D.

Q. 2 → In 2D. 4pt can only be shaded by rectangle.