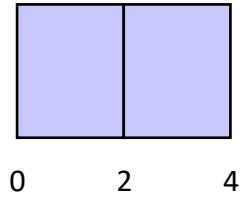


# Problem Statement

- Processes with Arrival and Burst Times:
- P1: Arrival = 2, Burst = 6
- P2: Arrival = 5, Burst = 2
- P3: Arrival = 1, Burst = 8
- P4: Arrival = 0, Burst = 3
- P5: Arrival = 4, Burst = 4
- Time Slice: 2 Units

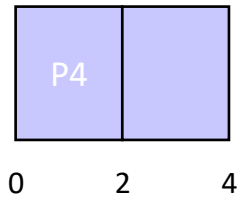
Process	Arrival Time	Burst Time
P1	2	6
P2	5	2
P3	1	8
P4	0	3
P5	4	4

## Step 1 – Initialize Gantt chart



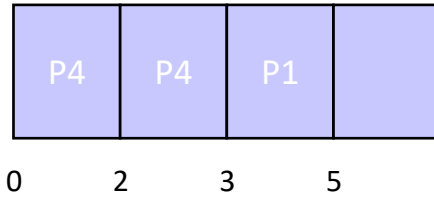
## Step 2 - Execute P4

- Process P4: First 2 units  $\rightarrow [0, 2]$ ; Remaining 1 unit  $\rightarrow [2, 3]$ .
- Add P4 to the Gantt chart.



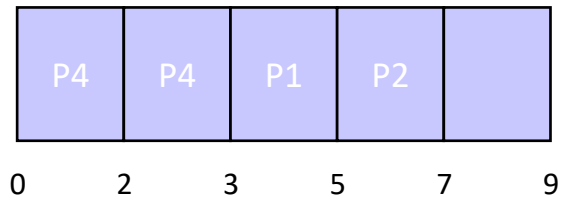
### Step 3 - Execute P1

- Process P1: Arrival time 2 with burst time 6, executed fully  $\rightarrow [3, 5]$ .
- Add P1 to the Gantt chart. Remaining Burst time is 4



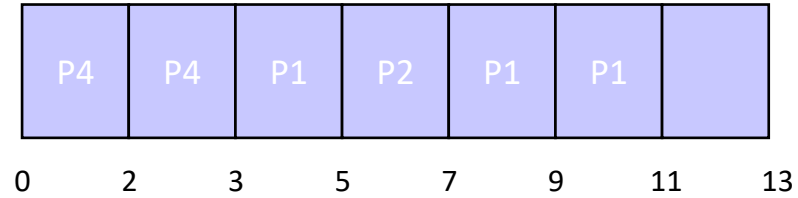
### Step 4 - Execute P2

- Process P2: , Arrival time 5 with Burst time 2  $\rightarrow [5, 7]$ .
- Add P2 to the Gantt chart.



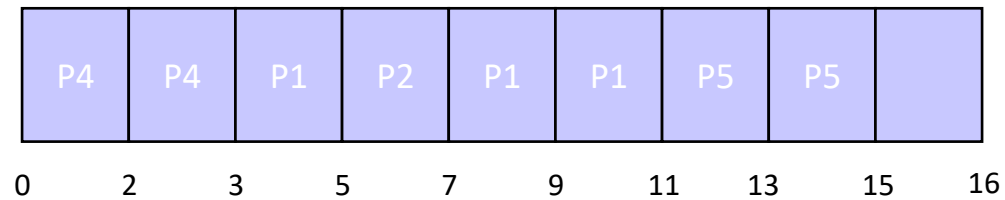
### Step 5 - Execute P1

- Process P1: With remaining burst time 4, executed fully  $\rightarrow$  [7, 9] and [9,11].
- Add P1 to the Gantt chart.



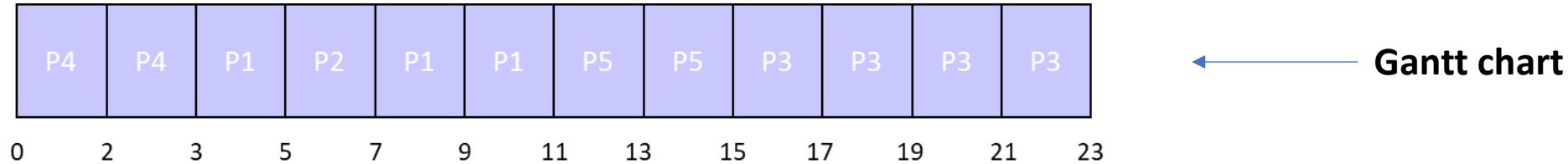
### Step 6 - Execute P5

- Process P5: Arrival time is 4 with burst 4 , executed fully  $\rightarrow$  [11, 13] and [13,15].
- Add P2 to the Gantt chart.



## Step 7- Execute P3

- Process P3:Arrival time is 1 with maximum burst time of 8 , executed fully  $\rightarrow [15,23]$
- Add P1 to the Gantt chart.



### Waiting time

For each process:

- P4**:  $TAT=3-0=3$
- P1**:  $TAT=11-2=9$
- P2**:  $TAT=7-5=2$
- P5**:  $TAT=15-4=11$
- P3**:  $TAT=23-1=22$

Average TAT=Number of Processes/Sum of all TATs  
 $= (3+9+2+11+22)/5=47/5$   
 $=9.4\text{units}$

### Turn-around time

For each process:

- P4**:  $WT=3-3=0$
- P1**:  $WT=9-6=3$
- P2**:  $WT=2-2=0$
- P5**:  $WT=11-4=7$
- P3**:  $WT=22-8=14$

Average WT=Number of Processes/Sum of all WTs  
 $= 0+3+0+7+14/5=24/5$   
 $=4.8\text{units}$