MATHS ASSIGNMENT

1). Create a function that finds the maximum range of a triangle's third edge, where the side lengths are all integers.

Examples

nextEdge(8, 10) → 17
nextEdge(5, 7) → 11
nextEdge(9, 2) → 10

Notes

- (side1 + side2) - 1 = maximum range of third edge.
- The side lengths of the triangle are positive integers.
- Don't forget to return the result.

2). The **right shift** operation is similar to **floor division by powers of two**. Write a function that **mimics** (without the use of **>>**) the right shift operator and returns the result from the two given integers. Try to solve this challenge by recursion.

3). Create a function that takes numbers b and m as arguments and returns the second derivative of the function $f(x)=x^b +x* (e^{(b*m)})$ with respect to x evaluated at x=m, where b and m are constants.

4). This Triangular Number Sequence is generated from a pattern of dots that form a triangle. The first 5 numbers of the sequence, or dots, are:

1, 3, 6, 10, 15

This means that the first triangle has just one dot, the second one has three dots, the third one has 6 dots and so on.

Write a function that returns the cumulative sum of the number of all the previous (including current) dots when given its corresponding triangle number of the sequence.
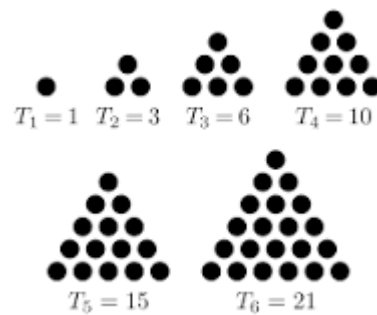

Figure: Triangular Number Sequence

Examples

triangle(1) → 1

triangle(6) → 56 (1+3+6+10+15+21)

5). Given a total due and an array representing the amount of change in your pocket, determine whether or not you are able to pay for the item. Change will always be represented in the following order: quarters, dimes, nickels, pennies.

To illustrate: changeEnough([25, 20, 5, 0], 4.25) should yield true, since having 25 quarters, 20 dimes, 5 nickels and 0 pennies gives you 6.25 + 2 + .25 + 0 = 8.50.

Examples

changeEnough([2, 100, 0, 0], 14.11) → false

changeEnough([0, 0, 20, 5], 0.75) → true

changeEnough([30, 40, 20, 5], 12.55) → true

Notes

- **quarter**: 25 cents / $0.25
- **dime**: 10 cents / $0.10
- **nickel**: 5 cents / $0.05
- **penny**: 1 cent / $0.01