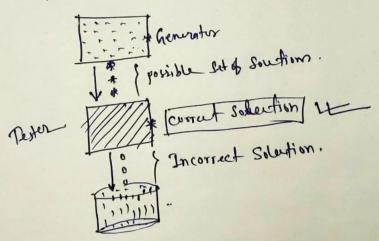
Generate & Test

henerate & Test Search algorithm in a very simple Algorithm which quarentees to find a solution it there exists a Solution & the process applied systematically.

Algerithm !-

- 1. Define current state on Initial state
- 2. Apply any possible operation on the current state & generate a possible solution.
- 3. compare newly generated solution with the goal state.
- 4. It the goal is acheived or no new state can be created, quit. Otherwise, networn to the step 2.



Generating complete Solution I genrating random solutions are two exotremes there exists another approach that whe search process lies in between. The approach is that the search process proceeds systematically but some path that unlikely to lead the Solution are ignored. This evaluation is performed by a houristic function. Deapth-first-Search trace with backtracking can be used to implement systematic generate-1-test procedual

HILL Climbing

optimization problem in the field of Antificial Intelligence

- of Given a large set of inputs of a good heuristic function, it tries to find out a sufficiently good solution to the problem. This solution may not be the global optimal maximum.
 - -> Hill climbing solves the problem where we need to maximize or minimize a given neal function by choosing values from a given input.
 - algorithm may not find the optimal solution.
 - -> A heuristic function can rank all the possible solutions at any branching step. in search algorithm based on the available information.

Varionts of Hill Climbing.

- Hou seen earlier. Pest algorithme une
- State space the search moves in that direction only which optimized the cost of function with the hope of finding the optimal solution at the end.

Types of Hill Climbing:

Simple Hill Climbing! It examines the neighboring nodes one by one & Select the Arst neighboring node which ophnizes the current cost on negot node.

Algorithm for Simple Hill climbing.

Stepl: Evaluate the initial state. It is the initial state then stop of return

else make initial state as the curent state.

- Step 2: Loop until the solution state is found on there are no new operator powerest which can be applied to current state.
 - 'a) select a state that has not been yet applied to the current state. 'I apply ito to generate a new state.
 - b) perform these to evaluate new state
 - i. It the current state is a goal state then step & neturn success.
 - ii. It it is better then the current state then make it current & proceed further
 - iii. It is not better than the current state.

then continue in the loop until a solution by found.

step 3: Exit.

2. Steepest-Ascent Hill climbing! It tiest expanines all the neighbouring nodes and then selects the node closest to the solution state as next node.

Atepon thm

step1: Evalente the Initial State.

If it is goal state to

then exit
else make the current state as initial state

stepl: Repeat these steps until a solution is found or current state does not change.

- i. Let taget be a state such that any successor of the current state will be better than it.
- ii. for each operator that applies to the current state

 q. apply the new operator & create a new state

 b. evaluate the new state
 - C. If there state is a goal state than quit else compare with tanget
 - d. If this state is better than target set this state as target
 - e. If farget is better than current state
 set current state to target

Steps: Exit.

3. Stotchastic Kill Climbing! It does not examine all & the neighbouring nodes before deciding which node to select. It just selects a neighbouring node at random & decide (based on the amount of improvement in that heighbour) whether to move to that neighbour or to examine another.

Algorithm:

Step1: Set current state to a gardomly generated state.

Step 2: Repeat the following steps while a solution is found or current state does not change.

i. Set the target state to a random state neighbouring to the current state

ii. if tanget state is better than the current state

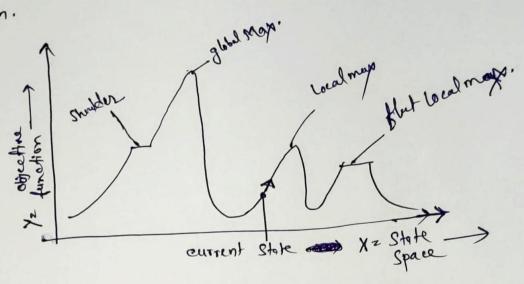
set the franch state on tanget shate as

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step3: Exit.

State Space Diagram for hill climbing!

It's a graphical sugressintation of the set of states our search algorithm can reach us the value of our objective function.



- 1. Local Maxima! At local maxima all neighbouring states have a values which is wrose than the current state. Since his climbing lives a greedy approach, it will not explore other options that I terminate itself. The process will end even though a better solution many exist.
- Overcoming local maxima: we should utilize back-tracking technique. Maintain a list of visited state if search reaches a undesirable point. It can back-track to the previous configuration of explore new path.
- 2. Global majoima: It's the best possible state in the state space shapeam. at this state the objective function has highest value.

To overcome platua: Make a big jump. Randomly select a state for away from current state. chances are that we will land at a non-pleatua region.

4. <u>Ridge!</u> It is a state region ophich is trighen than the neighbours but itself has a slope. It is a special Kind of local maxima.

Any point on the ridge can book like peak because movement in all possible direction is downward. Hence the Algerithm stope when it neaches this state.

Pooun come Lidge! In this Kind of obstacle, use two or more rules before testing, It implies moving in several direction at once.

- 5. Current State! The oneyion of state space diagram where we are currently present. Luring the Search.
- 6. Shoulder. It is a plantice that has an uphil edge.