

543. Diameter of Binary Tree



Easy



12.4K



777



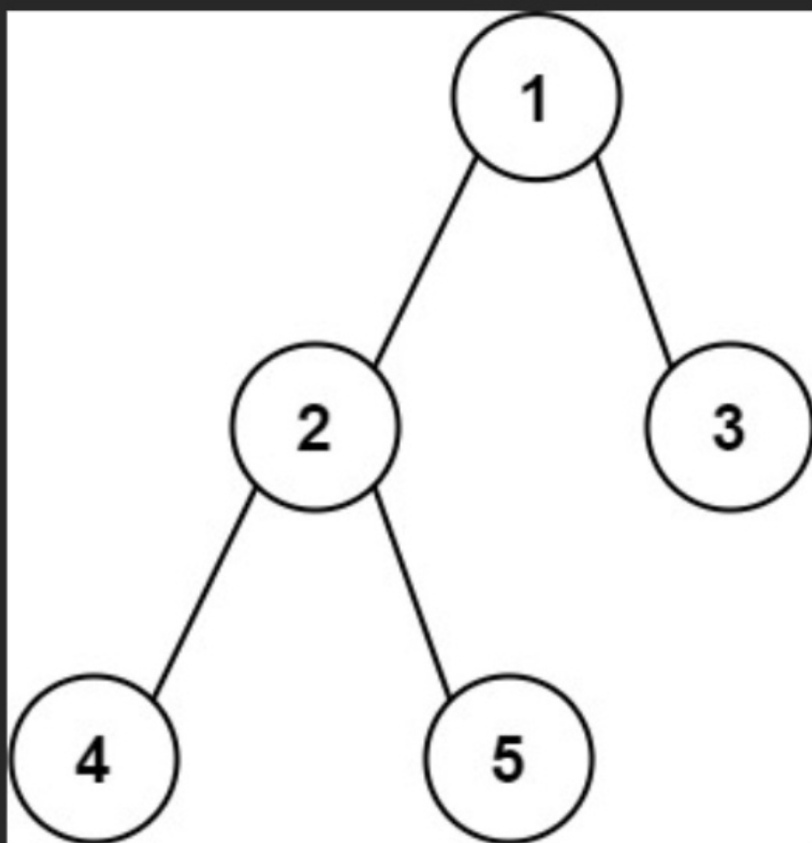
Companies

Given the `root` of a binary tree, return *the length of the **diameter** of the tree*.

The **diameter** of a binary tree is the **length** of the longest path between any two nodes in a tree. This path may or may not pass through the `root`.

The **length** of a path between two nodes is represented by the number of edges between them.

Example 1:



Input: `root = [1,2,3,4,5]`

Output: 3

Explanation: 3 is the length of the path `[4,2,1,3]` or `[5,2,1,3]`.

Example 2:

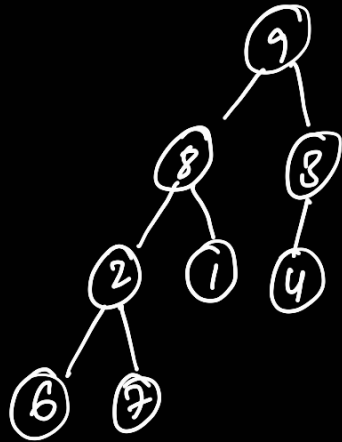
Input: `root = [1,2]`

Output: 1

Constraints:

- The number of nodes in the tree is in the range `[1, 104]`.
- `-100 <= Node.val <= 100`

Approach 1: Recursive Implementation



diameter: The distance b/w two nodes n_1 and n_2 i.e. no. of edges.

here n_1 and n_2 can be the same node and they also can be root

at each node:

$l = \text{max no. of edges in LST}$

$r = \text{max no. of edges in RST}$

if $(l + r > \text{currentmax})$

$\text{Currentmax} = l + r$

return $\max(l, r) + 1$ bcoz we might get even more distance that passes through ancestors of current node.

find (node, int& d)

if (node is null) return 0

int l = find (node → left, d)

int r = find (node → right, d)

if ($l+r > d$)
 $d = l+r$

return $\max(l, r) + 1$

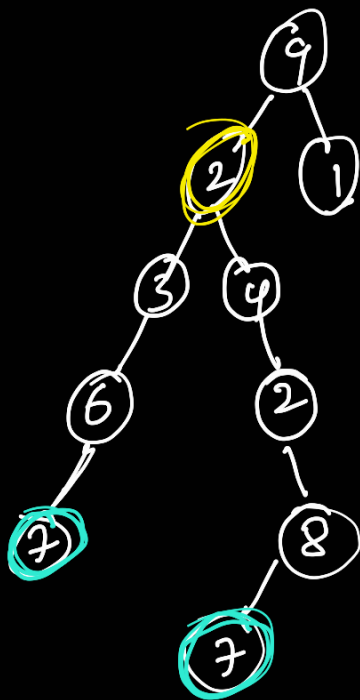
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$T(n) : O(n)$

Approach 2:

The diameter is basically the sum of

max height of LST + max height of RST
among all nodes



$$\text{diameter} = 3 + 4 \\ = 7$$

for (every node in tree)

int l = maxheight(node \rightarrow left)
int r = maxheight(node \rightarrow right)

$$\text{if } (1 + \delta > \text{currentmax})$$

$$\text{currentmax} = 1 + \delta$$

$$T(n) = O(n^2)$$

Q: How $T(n)$ is $O(n^2)$?

Let there is a skewed tree function

