

18. 4Sum

Medium

Topics

Companies

Given an array `nums` of `n` integers, return an array of all the **unique** quadruplets `[nums[a], nums[b], nums[c], nums[d]]` such that:

- `0 <= a, b, c, d < n`
- `a, b, c, and d` are **distinct**.
- `nums[a] + nums[b] + nums[c] + nums[d] == target`

You may return the answer in **any order**.

Example 1:

Input: `nums = [1,0,-1,0,-2,2], target = 0`
Output: `[[-2,-1,1,2], [-2,0,0,2], [-1,0,0,1]]`

Example 2:

Input: `nums = [2,2,2,2,2], target = 8`
Output: `[[2,2,2,2]]`

Constraints:

- `1 <= nums.length <= 200`
- `-109 <= nums[i] <= 109`
- `-109 <= target <= 109`

Approach 1:

$T(n) : O(n^4)$

$S(n) : \text{Set to check for duplicate quadruplets}$

Approach 2:

keeping `a` and `b` and then doing
4Sum implementation with required value as
 $\text{Target} - (a+b)$

$T(n) : O(n^3)$

$S(n) : 2 \text{ sets}$

This implementation results slower running time which leads to TLE error becoz of sets and their respective function calls and multiple Sort() calls.

Approach 3:

Sorting and Two pointers approach

```
class Solution {    let a,b,c,d
public:
    vector<vector<int>> fourSum(vector<int>& nums, int target) {
        vector<vector<int>> ans;
        sort(nums.begin(), nums.end());
        int n = nums.size();
        for(int i=0; i<=n-4; i++){
            if(i>0 && nums[i]==nums[i-1]) continue; skipping duplicate a's
            for(int j=i+1; j<=n-3; j++){
                if(j>i+1 && nums[j]==nums[j-1]) continue; skipping duplicate b's
                int l=j+1, r=n-1;
                long int val=(long int)target-(nums[i]+nums[j]);
                while(l<r){
                    if(nums[l]+nums[r] == val){
                        ans.push_back({nums[i], nums[j], nums[l++], nums[r--]});
                        while(l<r && nums[l]==nums[l-1]) l++; skipping duplicate c's
                        while(l<r && nums[r]==nums[r+1]) r--; skipping duplicate d's
                    }
                    else if(nums[l]+nums[r] < val) l++;
                    else r--;
                }
            }
        }
        return ans;
    }
};
```

if we don't type cast, it gives overflow error for large values.

$$T(n) : O(n \log n) + O(n^3)$$

$S(n) : \text{no space}$

