

448. Find All Numbers Disappeared in an Array

Hint



Easy



8.8K

449



Companies

Given an array `nums` of `n` integers where `nums[i]` is in the range `[1, n]`, return an array of all the integers in the range `[1, n]` that do not appear in `nums`.

Example 1:

Input: `nums = [4,3,2,7,8,2,3,1]`

Output: `[5,6]`

Example 2:

Input: `nums = [1,1]`

Output: `[2]`

Constraints:

- `n == nums.length`
- `1 <= n <= 105`
- `1 <= nums[i] <= n`

Follow up: Could you do it without extra space and in `O(n)` runtime? You may assume the returned list does not count as extra space.

Approach 1: Using xtra array

As the elements are in range `[1, n]`. Take xtra array of size `n+1`. and scan the i/p array and while scanning make

`xtra[nums[i]] = seen.`

After whole array is scanned and xtra array is filled.

Run a scan on xtra array and while

scanning if

if $xtra[i] \neq \text{seen}$
add i to list.

$$T(n) = O(n)$$

$$S(n) = O(n)$$

Approach 2: Sorting and Scanning

$$T(n) = O(n \log n)$$

Approach 3: Using the fact that elements are in range $[1, n]$ and making two scans of given array.

while scanning, at every index i see if

$nums[i]$ is present at index $nums[i]-1$

if it is then just move forward

if its not perform swap and keep checking at that index.

After the scan is completed, scan again and at any index i

if $(nums[i] \neq i+1)$
add $i+1$ to list.

$$T(n) = O(n)$$

$$S(n) = O(1)$$

Solution 1: Using $\text{find}()$ of vector.

As the elements are in $[1, n]$

Just see if $i: 1$ to n exists in the given array or not using `find()`.

```
for (i: 1 to n)
  if (!nums.find(i))
    add i to list
```

$$T(n) = O(n^2)$$
$$S(n) = O(1)$$

becoz `find()` takes $O(n)$

Solution 2:

Optimization of above solution.
Instead of linear search we can
Sort + Binary Search

```
→ Sort nums
→ for (i: 1 to n)
  if (!BinarySearch(i))
    add i to list
```

$$T(n) = O(n \log n)$$
$$S(n) = \text{Sorting Space}$$

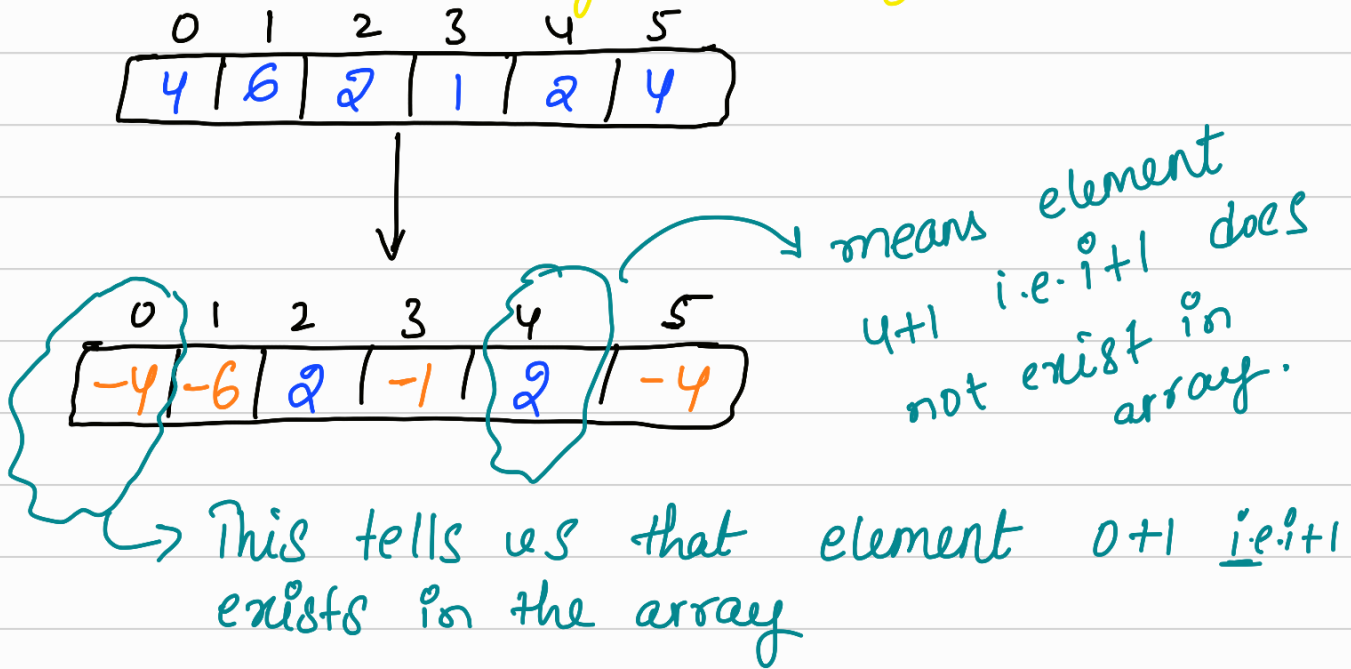
Solution 3:

Using negative marking

As it is given that all elements are

As it is given that all elements are positive. we can use negative marking idea.

do a linear scan, and for every index i just make element at index $\text{nums}[i]-1$ as negative if its already not negative.



note: we can make use of `abs()` function

$$T(n) = O(n)$$
$$S(n) = O(1)$$

TAKEAWAY:

If any range kind of thing is given then we can think of using

- negative marking
- placing elements at crt position
- XOR
- Summation