41. First Missing Positive

Hard ⊘ Topics 🔓 Companies ♀ Hint

Given an unsorted integer array nums, return the smallest missing positive integer.

You must implement an algorithm that runs in O(n) time and uses O(1) auxiliary space.

Example 1:

Input: nums = [1,2,0]

Output: 3

Explanation: The numbers in the range [1,2] are all in the array.

Example 2:

Input: nums = [3,4,-1,1]

Output: 2

Explanation: 1 is in the array but 2 is missing.

Example 3:

Input: nums = [7,8,9,11,12]

Output: 1

Explanation: The smallest positive integer 1 is missing.

Constraints:

- 1 <= nums.length <= 10^5
- $-2^{31} \le \text{nums}[i] \le 2^{31} 1$

Approach 1: Using unordered map

> insert all array elements into a set .

+ now start checking from i: 1 to n
exists in array or not by using set

return array size +1

B: How is it the loop is from 1 to n?

An array of size on can contain max

n positives and as per our problem we need to

give first missing positive. So in worst case our

i/p array can contain values from 1 to n. and hence

first missing positive is n+1.

Approach 2:

if we see the above approach, we are using an explicit map to there if a number is existing in array or not.

Here the hint we need to catch is a we are supposed to check if i: I to n exists in the error so why can't we use array indices to mark that element 1: I to n is present in array or not."

keip an element i at index i-1.

As -1 is not positive we move index

As 9 is greater than array size. It 9 is there in array, it means there is missing element which is less than 9. So more index

3 is in cret position so move index

9 is > array size so move index

As -1 is negative move index

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now find first index where

\begin{vmatrix}
0 & 1 & 2 \\
1 & 2 & 3
\end{vmatrix} = 0

\begin{vmatrix}
0 & 1 & 2 \\
1 & 2 & 3
\end{vmatrix} = 4

So return 3+1 = 4
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 $\begin{array}{c} (n) : (n) \\ (n) : (n) \end{array}$