904. Fruit Into Baskets



You are visiting a farm that has a single row of fruit trees arranged from left to right. The trees are represented by an integer array fruits where fruits[i] is the **type** of fruit the ith tree produces.

You want to collect as much fruit as possible. However, the owner has some strict rules that you must follow:

- You only have **two** baskets, and each basket can only hold a **single type** of fruit. There is no limit on the amount of fruit each basket can hold.
- Starting from any tree of your choice, you must pick **exactly one fruit** from **every** tree (including the start tree) while moving to the right. The picked fruits must fit in one of your baskets.
- Once you reach a tree with fruit that cannot fit in your baskets, you must stop.

Given the integer array fruits, return the maximum number of fruits you can pick.

Example 1:

Input: fruits = [1,2,1]

Output: 3

Explanation: We can pick from all 3 trees.

Example 2:

Input: fruits = [0, 1, 2, 2]

Output: 3

Explanation: We can pick from trees [1,2,2].

If we had started at the first tree, we would only pick from trees [0,1].

Example 3:

Input: fruits = [1,2,3,2,2]

Output: 4

Explanation: We can pick from trees [2,3,2,2].

If we had started at the first tree, we would only pick from trees [1,2].

Constraints:

- 1 <= fruits.length <= 10^5
- 0 <= fruits[i] < fruits.length

Approach: Brute force with the help of hashset

push a; into set

? (n): O(n²) S (n): O(a)

Approach a: sliding window + hash map

here you can't use hashset brong we can't keep track of cret window it we delete an element from hash set.

i.e. d 3 3 3 1 1 2 4 5 6

here we found that $\omega_s > 2.5$

now we need to shrink the window size to a by removing dement pointing by I pointer. If we remove 3 from set, set size becomes a but I pointer etill points to the next occurrence of 3 in window which is wrong window.

So we make use of hashmap to store frequency also of an element and implement sliding window approach cruly.

$$l=0$$
, $r=0$

while $(r < n)$

of

 $m(a_r) + t$

while (
$$l < n & & m & size > a$$
)

of

 $m(a_l) == 0$)

 $m \cdot erase(a_l)$

ons = $max(ans, T-l+1)$
 $m \cdot erase(a_l)$