



# East West University

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## Assignment-02

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**Section:** 04

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Answer to the question no. 1

1(a)

Given, offset = 200

HLEN = 5

Total length field = 120

We know,

$$\begin{aligned}\text{First byte} &= \text{offset} \times 8 \\ &= 200 \times 8\end{aligned}$$

$$= 1600$$

Number of first byte = 1600 bytes

Here, header length =  $(5 \times 4) = 20$  bytes

$$\begin{aligned}\therefore \text{payload size} &= 120 - 20 \\ &= 100\end{aligned}$$

That means here is 100 bytes in this datagram.

$$\begin{aligned}\therefore \text{Number of last byte} &= (1600 + 100 - 1) \\ &= 1699 \text{ bytes}\end{aligned}$$

1(b)

Given,  $m=0$

$M=0$  indicates that, this packet is the last packet among all fragments of original packet. There is no more fragment, the fragment is the last one.

Answer to the question no. 22(a)

Given, payload size = 1400 bytes and header = 20 bytes

So, original packet size =  $1400 + 20 = 1420$  bytes

Link AB:

here, LL1, Maximum Transmission Unit (MTU) = 1500B

which is greater than data packet size.

So, here is no fragmentation.

Link BC:

Given, LL2, Maximum Transmission Unit (MTU) = 700B. And

our data size 1420B.

So, in this transmission we needed fragmentation.

$$\therefore \text{Number of fragmentation} = \frac{1420}{700} = 3$$

1st Fragmentation:

Flag Field = 1 = 001; This is MF and DF Flag not set.

Fragment offset =  $(0000\ 0000)_2 = (0)_{10}$

The fragment offset field is set to zero as this is 1st fragment.

A total length field is 696. The maximum possible 700 bytes packet has not been used, because the fragment offset field in the following fragment must be a multiple of 8 bytes - as the header is 20 bytes,

So, this packet contains 676 bytes of data, with  $(1420 - 676) = 744$  bytes remaining.

### 2nd Fragment:

Here, The DF flag not set and  $MF = 1$ .

So, Flag Field = 1 = 001

The fragment offset field is set to  $(744/8) = 93$

$\therefore$  Fragment offset :  $(0101\ 1101)_2 = (93)_{10}$

A total length field of 696. This packet also contains 676 bytes of data with  $(744 - 676) = 68$  bytes remaining.

### 3rd Fragment:

Here DF flag not set and  $MF = 0$

So, Flag Field = 0 = 000

The fragment offset field is set to  $(676 + 676) = 1352$   
 $= 169$

$\therefore$  Fragment offset :  $(1010\ 1001)_2 = (169)_{10}$

A total length field is 68. This packet contains 48 bytes of data.

Link CD:

Given, LL3, Maximum Transmission Unit (MTU) = 2048B  
which is greater than our packet size.

So, here is no fragmentation.

Link	Total Length	Identification	DF	MF	Fragment offset	Time to Live
AB	1420	45654	0	0	0	255
BC 1st	696	45654	0	1	0	254
BC 2nd	696		0	1	93	254
BC 3rd	68		0	0	169	254
CD	1420	45654	0	0	0	253



2(b)

We know, The fragments are reassembled by the receiving host.

In this whole transmission, only router C needed to fragment reassembled.

Because, transmitted the packet along Bc path; LL2 maximum transmission unit (MTU) is 700B, which is lower than our packet size.

On the other side Router A is the sending host. In this router packet is non-fragment type.

And,

Router B and D do not need to reassemble the packet.

Because the LL1 maximum transmission unit (MTU) and LL3 maximum transmission unit (MTU) is larger than the packet size. Router B and D receive non-fragment packet.

Answer to the question no. 33(a)

Given, administrator wants to create 512 subnets

$$\text{So, } 2^n = 512$$

$$n = \log_2(512)$$

$$n = 9$$

$$\text{default mask} = 16$$

$$\begin{aligned}\text{Total subnet mask} &= 16 + 9 \\ &= 25\end{aligned}$$

In binary notation:

11111111 11111111 11111111 10000000

$$\therefore \text{The subnet mask} = 255.255.255.128/25$$

3(b)

IP address length is 32.

$$\text{Remaining bits for addressing} = 32 - 25 = 7 \text{ bits}$$

$$\therefore \text{Total address} = 2^7 = 128$$

We know that, 1st and last address can not allocated.

So, The number of address in each subnet is 126.

3(c)

The first allocatable address in subnet 1:

142.242.0.1 because 142.242.0.0 is reserved.

And,

The last allocatable address in subnet 1:

142.242.0.126 because 142.242.0.127 is allocated for broadcast address.

3(d)

The first allocatable address in subnet 28:

142.242.13.129 because 142.242.13.128 is reserved.

And,

The last allocatable address in subnet 28:

142.242.13.254 because 142.242.13.255 is allocated for broadcast address.



Answer to the question no. 4.

Given Ip address = 198.15.128.0

Current mask = 255.255.255.0

For 25 hosts, number of address needed =  $25 + 2 = 27$

Bits needed for 27 address =  $2^5 = 32$  possible address

Bits needed for 10 subnet =  $2^4 = 16$  possible subnets

∴ Final subnet mask = 255.255.255.224

Here,

<u>Network part</u>	<u>subnet part</u>	<u>Host part</u>
23 bit	4 bit	5 bit

List the address on host 1 on subnet 0, 1, 2, 3, 10 below:

subnet 0, host 1 : 198.15.128.1

subnet 1, host 1 : 198.15.128.33

subnet 2, host 1 : 198.15.128.65

subnet 3, host 1 : 198.15.128.97

subnet 10, host 1 : 198.15.129.65

Answer to the question no. 5

Given,

starting address 155.100.0.0/16

For first group:

Each customer needs 256 address. Total customer = 80

$$\text{now, } 256 = 2^8$$

so, 8 bits are needed each host.

$$\therefore \text{prefix length} = 32 - 8 = 24$$

The address of first customer 1:

$$155.100.0.0/24 \text{ to } 155.100.0.255/24$$

The address of last customer 80:

$$155.100.79.0/24 \text{ to } 155.100.79.255/24$$

For second group:

Each customer needs 16 address. Total customer 400.

$$\text{now, } 16 = 2^4$$

so, 4 bits are needed each host.

$$\therefore \text{prefix length} = 32 - 4 = 28$$

The address of first customer 1:

$$155.100.80.0/28 \text{ to } 155.100.80.15/28$$

The last customer (400) address :

155.100.104.240/28 to 155.100.104.255/28

For third group :

Each customer needs 4 address. Total customer = 2000

now,  $4 = 2^2$

So, 2 bits are needed each host

$\therefore$  prefix length = 30

The address of first customer 1 :

155.100.105.0/30 to 155.100.105.3/30

The address of last customer 2000 :

155.100.136.60/30 to 155.100.136.63/30

Design the subbbeks below:

Isp

First Group:

Address Length:

155.100.0.0 to 155.100.79.255

customer 1 : 155.100.0.0/24

...

customer 80 : 155.100.79.0/24

Second Group:

Address Length:

155.100.80.0 to 155.100.104.255

customer 1 : 155.100.80.0/28

...

Customer 400 : 155.100.104.240/28

Third Group:

Address Length:

155.100.105.0 to 155.100.136.36

Customer 1 : 155.100.105.0/30

...

Customer 2000 : 155.100.136.60/30

Total number of available address =  $2^{16} = 65,536$

Total number of allocated address =  $(80 \times 256) + (400 \times 16) + (2000 \times 4)$   
 $= 20480 + 6400 + 8000$   
 $= 34,880$

$\therefore$  Available address after allocation =  $(65,536 - 34,880)$   
 $= 30,656$

Answer to the question no. 6

6(a)

From the given router table:

We can move A to B with the cost 1; Then

we can move B to E with the cost 1.

So, total cost =  $1+1=2$

And, Taken path =  $A \rightarrow B \rightarrow E$

6(b)

From the given router table:

we can move C to B with the cost 1; Then

we can move B to D with the cost 1.

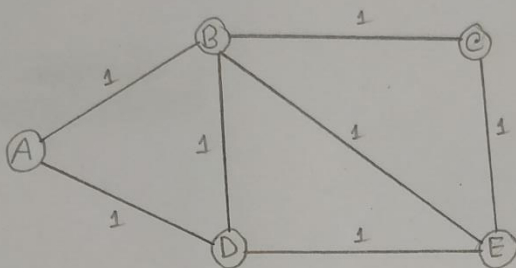
So, total cost =  $1+1=2$

And, Taken path =  $C \rightarrow B \rightarrow D$



S(c)

From these given tables, possible network diagram below:



This diagram is similar to given table.

i.e. in routing A, we can move to e with the cost 2 and next hop B and in this design same as our given network table.

so, this is the possible diagram.

Answer to the question no. 6 (2nd)6(a)

Derive the initial routing table for all the routers below:

t routers:

$D_v \text{ in } t$
$D_t(t) = 0$
$D_t(u) = 2$
$D_t(v) = 4$
$D_t(w) = \infty$
$D_t(x) = \infty$
$D_t(y) = 7$
$D_t(z) = \infty$

u routers:

$D_v \text{ in } u$
$D_u(u) = 0$
$D_u(t) = 2$
$D_u(v) = 3$
$D_u(w) = 3$
$D_u(x) = \infty$
$D_u(y) = \infty$
$D_u(z) = \infty$

v routers:

$D_v \text{ in } v$
$D_v(t) = 4$
$D_v(u) = 3$
$D_v(v) = 0$
$D_v(w) = 4$
$D_v(x) = 3$
$D_v(y) = 8$
$D_v(z) = \infty$

w routers:

$D_v \text{ in } w$
$D_w(t) = \infty$
$D_w(u) = 3$
$D_w(v) = 4$
$D_w(w) = 0$
$D_w(x) = 6$
$D_w(y) = \infty$
$D_w(z) = \infty$

x routers:

$D_v \text{ in } x$
$D_x(t) = \infty$
$D_x(u) = \infty$
$D_x(w) = 6$
$D_x(v) = 3$
$D_x(x) = 0$
$D_x(y) = 6$
$D_x(z) = 8$

y routers:

$D_v \text{ in } y$
$D_y(t) = 7$
$D_y(u) = \infty$
$D_y(v) = 8$
$D_y(w) = \infty$
$D_y(x) = 6$
$D_y(y) = 0$
$D_y(z) = 12$

z routers:

$D_v \text{ in } z$
$D_z(t) = \infty$
$D_z(u) = \infty$
$D_z(v) = \infty$
$D_z(w) = \infty$
$D_z(x) = 8$
$D_z(y) = 12$
$D_z(z) = 0$

5(b)

Given, in the next time slot, router  $t$  receives route  $u, v$  and  $y$ .

$D_v \text{ in } t$	$D_v \text{ in } u$	$D_v \text{ in } v$	$D_v \text{ in } y$
$D_t(t) = 0$	$D_u(t) = 0$	$D_v(t) = 4$	$D_y(t) = 7$
$D_t(u) = 2$	$D_u(u) = 2$	$D_v(u) = 3$	$D_y(u) = \infty$
$D_t(v) = 4$	$D_u(v) = 3$	$D_v(v) = 0$	$D_y(v) = 4$
$D_t(w) = \infty$	$D_u(w) = 3$	$D_v(w) = 4$	$D_y(w) = \infty$
$D_t(x) = \infty$	$D_u(x) = \infty$	$D_v(x) = 3$	$D_y(x) = 6$
$D_t(y) = 7$	$D_u(y) = \infty$	$D_v(y) = 8$	$D_y(y) = 0$
$D_t(z) = \infty$	$D_u(z) = \infty$	$D_v(z) = \infty$	$D_y(z) = 12$

now compute  $t$  router:

$$D_t(u) = \min(c_{t,u} + D_u(u), c_{t,v} + D_v(u), c_{t,y} + D_y(u))$$

$$= \min(2, 7, 10) = 2$$

$$D_t(v) = \min(c_{t,u} + D_u(v), c_{t,v} + D_v(v), c_{t,y} + D_y(v))$$

$$= \min(5, 4, 11) = 4$$

$$D_t(w) = \min(c_{t,u} + D_u(w), c_{t,v} + D_v(w), c_{t,y} + D_y(w))$$

$$= \min(5, 8, \infty)$$

$$= 5$$

$$D_t(x) = \min(c_{t,u} + D_u(x), c_{t,v} + D_v(x), c_{t,y} + D_y(x))$$

$$= \min(\infty, 7, 13)$$

$$= 7$$

$$D_t(y) = \min(c_{t,u} + D_u(y), c_{t,v} + D_v(y), c_{t,y} + D_y(y))$$
$$= \min(\infty, 12, 7) = 7$$

$$D_t(z) = \min(c_{t,u} + D_u(z), c_{t,v} + D_v(z), c_{t,y} + D_y(z))$$
$$= \min(\infty, \infty, 19) = 19$$

$\therefore$  t's new router table :

Dv in t
$D_t(t) = 0$
$D_t(u) = 2$
$D_t(v) = 4$
$D_t(w) = 5$
$D_t(x) = 7$
$D_t(y) = 7$
$D_t(z) = 19$



6(c)

Given. in next time slot, router u receives route t, v, and w.

From (a)	From (b)	From (a)	From (a)
Dv in v	Dt in t	Du in u	Dw in w
Dv(t) = 4	Dt(t) = 0	Du(t) = 0	Dw(t) = ∞
Dv(u) = 3	Dt(u) = 2	Du(u) = 2	Dw(u) = 3
Dv(v) = 0	Dt(v) = 4	Du(v) = 3	Dw(v) = 4
Dv(w) = 4	Dt(w) = 5	Du(w) = 3	Dw(w) = 0
Dv(x) = 3	Dt(x) = 7	Du(x) = ∞	Dw(x) = 6
Dv(y) = 8	Dt(y) = 7	Du(y) = ∞	Dw(y) = ∞
Dv(z) = ∞	Dt(z) = 19	Du(z) = ∞	Dw(z) = ∞

Now compute u router:

$$Du(t) = \min(c_{u,t} + Dt(t), c_{u,v} + Dv(t), c_{u,w} + Dw(t))$$

$$= \min(2, 7, \infty) = 2$$

$$Du(v) = \min(c_{u,t} + Dt(v), c_{u,v} + Dv(v), c_{u,w} + Dw(v))$$

$$= \min(6, 3, 7)$$

$$= 3$$

$$Du(w) = \min(c_{u,t} + Dt(w), c_{u,v} + Dv(w), c_{u,w} + Dw(w))$$

$$= \min(7, 7, 3) = 3$$

$$Du(x) = \min(c_{u,t} + Dt(x), c_{u,v} + Dv(x), c_{u,w} + Dw(x))$$

$$= \min(9, 6, 9)$$

$$= 6$$



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(18)

$$\begin{aligned} D_u(Y) &= \min(C_{u,t} + D_t(Y), C_{u,v} + D_v(Y), C_{u,w} + D_w(Y)) \\ &= \min(9, 11, \infty) \\ &= 9 \end{aligned}$$

$$\begin{aligned} D_u(Z) &= \min(C_{u,t} + D_t(Z), C_{u,v} + D_v(Z), C_{u,w} + D_w(Z)) \\ &= \min(21, \infty, \infty) \\ &= 21 \end{aligned}$$

u's new shortest table :

Dv in u
$D_u(t) = 2$
$D_u(u) = 0$
$D_u(v) = 3$
$D_u(w) = 3$
$D_u(x) = 6$
$D_u(y) = 9$
$D_u(z) = 21$

Answer to the question no. 7

Using the Dijkstra shortest-path algorithm, compute the shortest path below the table:

node	$D(t), P(t)$	$D(v), P(v)$	$D(w), P(w)$	$D(x), P(x)$	$D(y), P(y)$	$D(z), P(z)$
u	2, u	3, u	3, u	$\infty$	$\infty$	$\infty$
ut	2, u	3, u	3, u	$\infty$	9, t	$\infty$
utv	2, u	3, u	3, u	6, v	9, t	$\infty$
utvw	2, u	3, u	3, u	6, v	9, t	$\infty$
utvw x	2, u	3, u	3, u	6, v	9, t	14, x
utvw xy	2, u	3, u	3, u	6, v	9, t	14, x
utvw xyz	2, u	3, u	3, u	6, v	9, t	14, x

Shortest path:

node	path	cost
t	ut	2
v	uv	3
w	uw	3
x	uvx	6
y	uty	9
z	uvxz	14

Answer to the question no. 8

Show the all step below:

Step 1:

The host 10.0.0.3 sends a packet to 142.122.40.180

Source: 10.0.0.3, 4334

Destination: 142.122.40.180, 80

Step 2:

NAT router changes the packet source address from 10.0.0.3, 4334 to 138.76.29.7, 4032

Source: 138.76.29.7, 4032

Destination: 142.122.40.180, 80

Step 3:

Now reply the destination address:

Source: 142.122.40.180, 80

Destination: 138.76.29.7, 4032

Step 4:

Now NAT router send host message

Source: 142.122.40.180, 80

Destination: 10.0.0.3, 4334

NAT Transmission Table:

WAN side Address	LAN side Address
138.76.29.7, 4032	10.0.0.3, 4334

Answer to the question no. 99(a)

As A updates the routing table and declares the new path "Ax" for destination X to B and C.

∴ C learns a new path to reach "CAx".

9(b)

If B announces the new path for destination X to C.

It will go through B. So, the new path is "CBAx".

9(c)

There are two ways to reach the destination, one is "CBAx" and another one is "CAx".

There is a significant amount of delay for traffic to pass through B in addition to passing through C, A and X.

So, we will choose the shortest path for the forwarding packets. The shortest path is "CAx" and it takes shorter delay will satisfy Z better.



9(d)

There are two path " $CBAx$ " and " $CAx$ ". From (c) we know the shortest path " $CAx$ ", but  $C$  careless of the customer's satisfaction and  $B$  charges less per unit traffic to forward for  $C$  and  $A$  charges more.

In this situation " $CBAx$ " path would  $C$  prefer to announce to  $Z$  because it will cost less for the same transfer, it does not matter the path is long.