

2.

$$h_{a,b}(k) = ((ak+b) \bmod p) \bmod m$$

Level 1

$$a=3, b=42, p=101, m=9$$

$$\therefore h_{3,42}(k) = ((3k+42) \bmod 101) \bmod 9$$

0		→	10	// No of elements = 1 ( $n_0$ )
1				
2		→	60 72 75	// No of elements = 3 ( $n_2$ )
3				
4				
5		→	70	// No of elements = 1 ( $n_5$ )
6				
7		→	22 37 40 52	// No of elements = 4 ( $n_7$ )
8				

$$\therefore \sum_{j=0}^{m-1} (n_j)^2 = 1^2 + 0^2 + 3^2 + 0^2 + 0^2 + 1^2 + 0^2 + 4^2 + 0^2$$

$$= 1 + 9 + 1 + 16$$

$$= 27$$

$$4n = 4 \times 9$$

$$= 36$$

$\sum_{j=0}^{m-1} (n_j)^2 \leq 4n$ , we can use this hashing for level 1



Level 2 :-

$n_0$

Since there's only one element in  $n_0$ , the size of level 2 hash table of  $n_0$  would be  $1^2$

Let  $a = 7, b = 5, p = 101, m = 1$

$$h_{a,b}(k) = ((7k + 5) \bmod 101) \bmod 1$$

0	→	10
1		
2	→	60 72 75
3		
4		
5	→	70
6		
7	→	22 37 40 52
8		

$n_2$

Since there are 3 elements in  $n_2$ , the size of level 2 hash table of  $n_2$  would be  $3^2$ .

Let  $a = 7, b = 5, p = 101, m = 9$

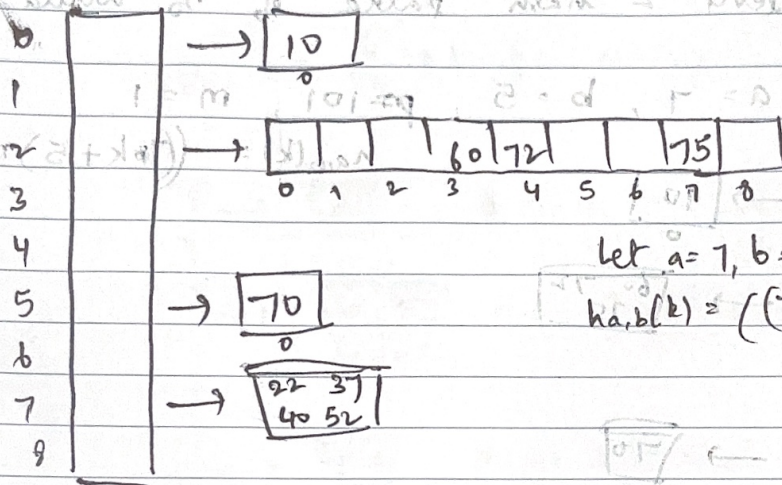
$$h_{a,b}(k) = ((7k + 5) \bmod 101) \bmod 9$$

0	→	10
1		
2	→	60 72 75
3		
4		
5	→	70
6		
7	→	22 37 40 52
8		



$n_3$

Since there's only 1 element in  $n_3$ , the size of level 2 hash table at  $n_3$  would be  $1^2$ .



Let  $a=7, b=5, p=101, m=1$

$h_{a,b}(k) = ((7 \times k + 5) \bmod 101) \bmod 1$

$n_7$

Since there are 4 elements in  $n_7$  bucket, the size of level 2 hash table at  $n_7$  would be  $4^2$ .

Let  $a=7, b=5, p=101, m=16$

$h_{a,b}(k) = ((7 \times k + 5) \bmod 101) \bmod 16$

