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Question: Is set of odd numbers with binary operations (+), i.e. <0,+> an abelian group?

Solution:

1. Clousure: if a, b \ 0 then a+b \ 0

the 3+3 = 8 not 60

60, condition fails this requirement.

2. Identify element: O is even numbers, so in eta & G is work out.

3. Associative: if ta, b, c & 0 then a+(b+c) = (a+b)+c & 0

then, 3+(5-3)=(3+6)-3=60

so, this condition is satisfying.

4. Inverse Element: if a, a' EO and (a+a') = e EO

then, 3-3=000

so, the set is not satisfying the inverse property.

5. Communicative: if $\forall a, b \in 0$, the $(a+b)=b+a \in 0$

let, a = 5 b=7

then,
8+7=7+8=12 not €0

So, this condition is satisfying.

Here, given odd numbers set is not an abelian, because it is not passe the all condition of abelian.

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