Comparative Analysis of Bucket and Radix Sorting With Their Applications and Advantages

COSC 610 Section 002

Adv OO Data Structures (610)

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***<u>Abstract</u>*—**

sorting algorithm is an essential component in numerous sorts of computer applications. Particularly when a lot of information is to be sorted, productivity turns into a noteworthy issue. Sorting issue in software engineering is utilized as a sub venture as a part of numerous applications and in light of the fact that it is a basic, combinatorial problem with numerous fascinating and assorted arrangements. Sorting is likewise an essential benchmark for parallel supercomputers. It requires significant correspondence transmission capacity among processors, dissimilar to numerous other supercomputer benchmarks, and the most proficient sorting calculations impart information in unpredictable examples. There are a wide range of sorting calculations and considerably more courses in which they can be executed. The efficiency of actual implementations is often at least as significant as the theoretical efficacy of the algorithm . A considerable measure of sorting calculations has been created to improve the execution as far as computational intricacy, memory and different variables. Bucket sort and RADIX sort are two surely understood whole number sorting calculations. In this paper how these algorithm works and comparison of these algorithms is explained. This paper also measures experimentally what is the time complexity and space complexity for various types of data groupings by these algorithms. The calculations are thought about both from a hypothetical point of view additionally on how well they do in diverse cases utilizing randomized successions of numbers. The estimations give information on how great they are in various genuine circumstances.

Keywords— Bucket sort; RADIX sort; Sorting algorithm; Space complexity; Time complexity

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II. INTRODUCTION

SORTING has a long history and endless calculations have been formulated. Countless of algorithms have been devised. Most projects use sorting and sorting calculations ought to in this way be as quick as could reasonably be expected. One ordinary application is for databases which may need to sort countless items. Making a speedier sorting calculation for a specific use case can spare critical measures of cash. It is essential to have great exact information on sorting calculations to pick the best sorting calculation for every utilization case. No single sorting calculation is best for all utilization cases. The fundamental components in picking the calculation are time use, memory utilization and simplicity of usage.

This paper looks at two surely understood sorting calculations, can sort and RADIX sort. Basin sort and RADIX sort are whole number sorts, which are utilized to sort a grouping of whole numbers rather than the more broad examination sorts. Related studies by Curtis [3] and [6] have concentrated on examination sorting calculations. Whole number sorting calculations can likewise be utilized to sort content strings for instance, following every string can be changed over into a whole number.

Every number is put into a bucket in view of the whole number quality. A general way is to divide the input element by the integer value range, so defining an integer range for every bucket. All buckets are then sorted. After that, the buckets are concatenated into a single list of items, which is the expected output of the algorithm.

RADIX is a whole number sort which sorts all components utilizing a solitary digit at once. This sorting calculation was utilized by extremely old card-sorting machines The exhibit is initially sorted on the premise of the biggest digit. After that, all cards are sorted utilizing the second biggest digit in these criteria. While it is instinctive to sort utilizing the MSD (most significant digit) in the first place, it is very proficient to sort regarding the minimum huge digit. In spite of the fact that the LSD (least significant digit) RADIX sort is unintuitive, it works as well. This paper utilizes the LSD variant of the RADIX sort.

Hypothetical time complexities don't enlighten much regarding how quick sorting calculations are, all things considered, applications. The information cluster does not frequently have a uniform dispersion, the number reach might be little or truly huge and in some cases the exhibit is now sorted. This paper will observationally quantify the time use and memory utilization on these inputs and will likewise contrast them with a uniform conveyance of whole number qualities. Every test sorts up to 100 million keys.

This paper answers the issue of how well these sorting calculations do, all things considered, use cases. Information groupings can be one-sided from various perspectives, in this manner six unique cases are chosen for the benchmark alongside a uniform dispersion of arbitrary whole numbers which is utilized as a control. The calculations are benchmarked with expanding size of the info information, and the development rate of the time and the total time for the biggest data will tell which is better for the chose use cases.

The outcomes demonstrate that bucket sort is quicker in all experiments, yet it additionally utilizes more memory than the RADIX sort now and again. Container sort is moderate with extensive number wraths[5]. RADIX sort is similarly as quick for sorted inputs as it is for unsorted inputs. The time utilization increments straightly as for the measure of the info as are anticipated by hypothesis.

The paper is sorted out into six areas. After presentation, the Section I quickly portrays sorting calculations hypothesis, and how number sorting varies from examination sorting. Both calculations are likewise depicted in subtle element [8]. Section III is about comparison of the radix and bucket sort. Segment IV and V depicts what information clusters are picked and how they are created. The testing technique is clarified in point of interest. Section 5 is all about results and analysis. At long last, the Section VI depicts the outcomes and how they can help in picking the right sorting calculation.

III. Sorting Algorithm

A Sorting algorithm takes as an input a sequence of items, and produce outputs a permutation of that item sequence. Moreover, all elements in the output item sequence must be in (e.g. no decreasing) order, using some comes comparison function. Common sorting algorithms, like merge sort, are neutral with respect to the type of data[9]. In essence they work for all type of data which can be compared.

A. Annotation

Asymptotic notations are used in asymptotic analysis to describe how an algorithm behaves with respect to input size. They can describe how much memory or time consumption increases when the input size is increased[12]. Usually we are interested in only the asymptotic growth rate, which means that we are only interested in the largest term and not constants factors. The input size n depends on the problem to be studied. It can be the number of items in the input array, the number of bits needed to represent the input, or it can even be two different numbers if the input would be a graph[10]. The running time f (n) is the number of operations or steps executed. The time required to execute each line in pseudo code is constant[11]. In real life, different computers execute different operations using different amounts of time, but when n grows large enough, these differences become insignificant.

Definitions 1, 2 and 3 are used to describe the growth rate of an algorithm. Note that some publications use set theory notation instead of the equality sign.

Definition 1. We say that $f(n) = O(g(n))$, if it exist constant $c > 0$ and
N such that $f(n) \leq cg(n)$ for all $n \geq N$ [1, p. 25]

In general practical terminology the O-notation in Definition 1 presents the worst-case scenario of the algorithm. It assures that the longest time the algorithm can use is less than or equal to g(n) as $n \to \infty$.

For example, if the growth rate for the worst case would be f (n) = 2n2, we can say f (n) = O(n2).

Definition 2. We say that $f(n) = \Omega(g(n))$, if there exist constant c, N such that $f(n) \geq cg(n)$ for all $n \geq N$ [1, p. 25]
The Ω-notation in Definition 2 tells the best-case behavior of the algorithm. It tells us the minimum running time of the algorithm.

Definition 3. We say that $f(n) = \Theta(g(n))$, if $f(n) = O(g(n))$ and $g(n) = O(f(n))$ [1, p. 25]

B. Bucket sort

This paper utilizes the generic type of bucket sort. It is expected that every whole number is somewhere around 0 and M . B[1 . . . n] is a variety of basins (for an aggregate number of n containers) which in this usage are connected records. Every information component is embedded into a bucket $B[n \bullet A[i]/M]$. They are then sorted with the insertion sort. A pseudo-code adaptation of pail sort is appeared in Algorithm 1.

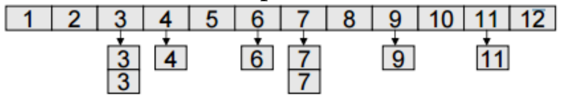
Algorithm 1 BUCKET-SORT(A)

```
n ← length[A]
for i ← 1 → n do
insert A[i] into list B[n · A[i]/M]
end for
for i ← 0 → n − 1 do
sort list B[i] with insertion sort
end for
concatenate lists B[0],B[1], . . ., B[n −1] together
```

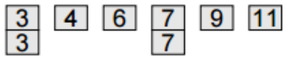
Fig. 1. Pseudo code of the bucket sort algorithm

The sorting calculation accepts that the numbers to be sorted have a tendency to have a uniform circulation, which is the way to the execution of this calculation [14,15,16]. For instance, if n whole numbers are sorted precisely into n cans, the running time is $\Theta(n)$[13]. On the off chance that the whole numbers are not consistently conveyed, the calculation may in any case keep running in direct time if the entirety of the squares of the bucket sizes is straight in the aggregate number of components [4,17, 20].
Example:
sort 8 numbers 3,6,7,4,11,3,9,7 all between 1 to 12.

Step 1: scan the list and put the elements in the queues



Step 2: concatenate the queues



3,3,4,6,7,7,9,11

Time complexity: O(n+k).

Fig.2. Bucket sort example

In this example we sort 8 numbers 3,6,7,4,11,3,5,7.
All between 1 to 12.

The method: Use an array of k queues. Queue j (for $1 \le j \le k$) keeps the input numbers whose value is j. Each queue is denoted ‘a bucket’. Scan the list and put the elements in the buckets. Output the content of the buckets from 1 to k.

C. RADIX sort

RADIX is a sorting calculation which sorts all components on the premise of a solitary digit at once. RADIX sort is not constrained to sorting numbers, since whole numbers can speak to strings. There are two principle varieties of the RADIX. The first begins from the most critical digit (MSD) and the second from the minimum noteworthy digit (LSD). RADIX sort is additionally valuable when sorting records with various fields, similar to year, month and day. RADIX sort could first sort it on the day, then the month lastly the year[20,29,30].

To start with, the exhibit is sorted utilizing the LSD. For every pass a calculation sorts it by a digit. This paper utilizes the including sort, in light of the fact that it is effective if the whole number reach is little (e.g. 0 . . . 9) and it is additionally steady[22, 23,26]. Next step is to sort it utilizing the second LSD et cetera. The last step sorts it utilizing the MSD. At last, every one of the components are sorted. RADIX sort is steady, as the picked fundamental digit sorting calculation is steady. [4, p. 150]. On the off chance that the information whole numbers have at most d-digits, then the calculation will experience the cluster d times, once for every digit. The pseudo-code for RADIX sort is appeared in Algorithm 2.

```
Algorithm 2 RADIX-SORT(B, c)
for j ← 1 → c do
sort array Bon digit j
end for
```

Fig.3. radix sort pseudo code

In the pseudo code the cluster to be sorted is An and the quantity of digits in the biggest whole number is d. On the off chance that we utilize the checking sort every pass will utilize $\Theta(n + k)$ time, where every digit is in the scope of $0 \ldots k - 1$. The entire sort takes d passes, so the aggregate time use is $\Theta(d(n + k))$. [4].

Example for radix sort ,

- It is multi-pass bucket sort of integers in the range 0 to B^P-1
- Bucket-sort from least significant to most significant “digit” (base B)
- Requires P(B+N) operations where P is the number of passes (the number of base B digits in the largest possible input number).

Below diagram shows different phases of radix sort.

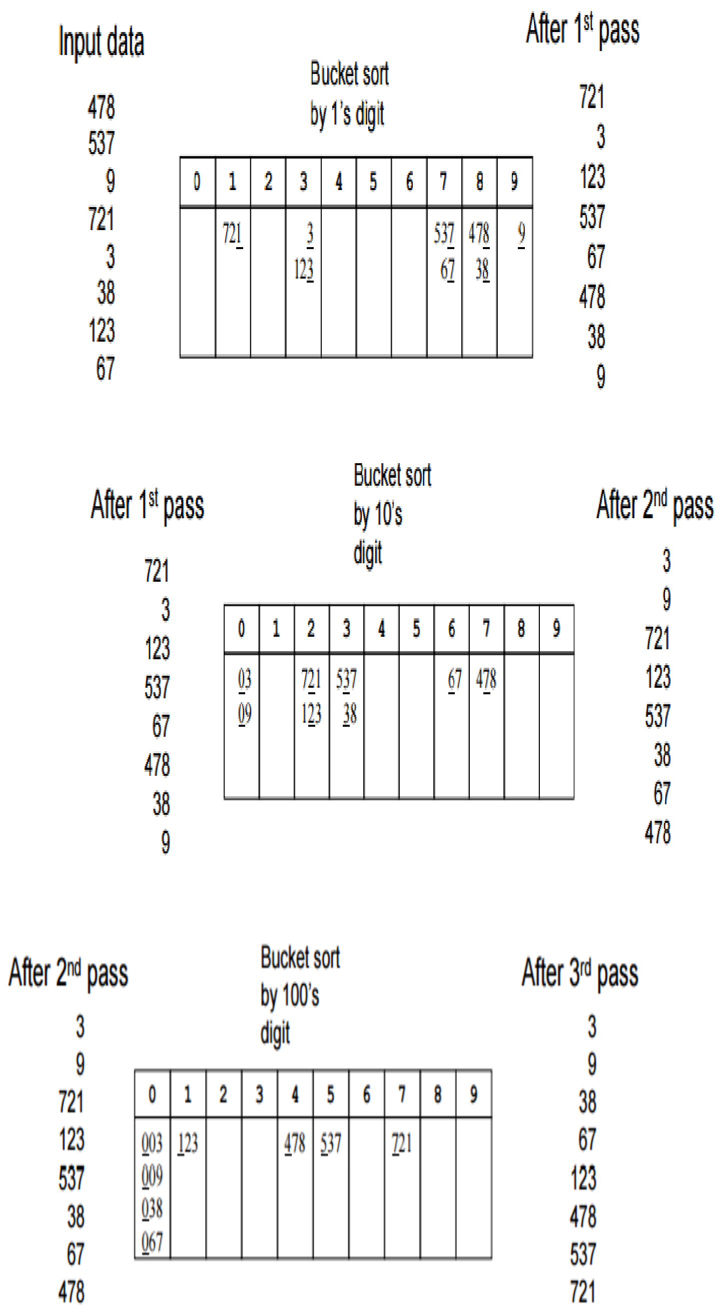


Fig.4. Invariant: after k passes the low order k digits are sorted.

IV. Comparison of Bucket and Radix Sort

It has been demonstrated that examination based sorting calculations have a lower bound of O(n log n), where n is size of the information [26,27, 28]. Notwithstanding, bring down bound does not have any significant bearing to whole number sorting, which is an uncommon instance of sorting [2]. Whole number sorts can be quicker than examination based sorting calculations since they make suppositions about the info exhibit. Both the RADIX sort and the pail sort are whole number sorting calculations.

A sorting calculation is steady, if the request of equivalent components in the information cluster continues as before in the yield exhibit [4]. On account of RADIX, stableness relies on upon the basic digit sorting calculation [4]. Pail sort is additionally steady, if the basic sorting calculation is steady.

The time complexities of basin sort and RADIX sort are understood, however they fluctuate contingent upon which variation of the sort is utilized. Ordinary pail sort has time multifaceted nature of $\Theta(n + r)$ where r is the scope of numbers [4, p. 155]. RADIX sort has a period many-sided quality of $\Theta(d(n + k))$ [4], where d is the quantity of digits in the biggest whole number and every digit can take k values. The normal time intricacy is the same as the most pessimistic scenario for both calculations.

The calculations in this paper are composed in pseudo code documentation. This pseudo code documentation is anything but difficult to decipher into a genuine programming dialect. Appointment is composed utilizing. Circles start with for or while and are shut with end. The to-provision in the for circle is shown with →Length [A] alludes to the length of the cluster

A. In some cases operations are depicted in plain English, e.g. stable sort exhibit An, as any steady sort is suitable for the calculation.

The sorting calculations are currently thought about exactly by measuring time use and memory utilization. To gauge the sorting calculation taking after inputs are utilized, where n is the quantity of components to be sorted. All data cases are measured utilizing three distinct sizes: n = 106 , n = 107 and n = 108 .All info whole numbers are somewhere around 0 and M.

A. Advantage of bucket sort and its application

bucket sort is a dissemination sorting calculation and not a correlation sort. Like checking sort it expect a few elements, for example, the data is extricated from a uniform conveyance which makes it work speedier. The system behind this calculation is to part the given cluster into various sub exhibits called containers. Every basin is then sorted freely either utilizing different sorting calculations or recursively actualize the same method. It is a direct sorting calculation furthermore saves the relative request of a component with equivalent keys. The calculation for pail sort is as per the following.

Execution Analysis Bucket sort has a most pessimistic scenario computational many-sided quality of $O(n\ 2\ )$ and a normal case unpredictability of $O(n + k)$. It utilizes an insertion sort to embed components into a can which expand the running time in a most dire outcome imaginable. It required $O(n•k)$ memory space for putting away clusters even under the least favorable conditions case situation.

Focal points and Disadvantages One of the benefits of can sort is that it keeps running in direct time in the normal case and it is not suitable for substantial information sets. Then again, to know what number of cans we need to know the greatest estimation of a component that can be found in the data exhibit then we can set up cans or else it would be troublesome. Another disservice is that it required enormous memory to set up enough cans.
Note that this recursive sorting calculation has specific application to parallel processing, as each of the receptacles can be sorted autonomously. For this situation, every receptacle is gone to the following accessible processor. A solitary processor would be utilized toward the begin (the most critical digit). By the second or third digit, every single accessible processor would likely be locked in. Preferably, as every subdivision is completely sorted, less and less processors would be used. In the most pessimistic scenario, the greater part of the keys will be indistinguishable or about indistinguishable to each other, with the outcome that there will be next to zero favorable position to utilizing parallel registering to sort the keys.

In the top level of recursion, open door for parallelism is in the Counting sort segment of the calculation. Numbering is profoundly parallel, manageable to the parallel reduce example, and parts the function admirably over various centers until achieving memory data transmission limit. This bit of the calculation has information autonomous parallelism. Handling every receptacle in consequent recursion levels is information subordinate, in any case. For instance, on the off chance that all keys were of the same quality, then there would be just a solitary canister with any components in it, and no parallelism would be accessible. For arbitrary inputs all containers would be close similarly populated and a lot of parallelism opportunity would be available.[8]

1) Application to parallel computing

Note that there are quicker sorting calculations accessible, for instance ideal multifaceted nature O(log(n)) are those of the Three Hungarians and Richard Cole[9][10] and Batcher's bi tonic blend sort has an algorithmic many-sided quality of O(log2(n)), all of which have a lower algorithmic time many-sided quality to radix sort on a CREW-PRAM. The speediest known PRAM sorts were depicted in 1991 by David Powers with a parallelized quicksort that can work in O(log(n)) time on a CRCW-PRAM with n processors by performing parceling verifiably, and a radix sort that works utilizing the same trap as a part of O(k), where k is the most extreme key length.[11] However, neither the PRAM design or a solitary successive processor can really be inherent a way that will scale without the quantity of steady fan-out entryway delays per cycle expanding as O(log(n)), so that as a result a pipelined rendition of Batcher's bi tonic merge sort and the O(log(n)) PRAM sorts are all O(log2(n)) as far as clock cycles, with Powers recognizing that Batcher's would have lower consistent as far as door postponements than his Parallel quicksort and radix sort, or Cole's consolidation sort, for a key length-autonomous sorting system of O(nlog2(n))

B. Advantage of Radix sort and its application

Radix sort is a straight sorting calculation and works without looking at any components not at all like other sorting strategies, for example, insertion sort and speedy sort. Radix sort works by sorting information components with keys. Keys are typically spoken to in numbers for the most part twofold digits and some of the time it considers a letters in order as keys for strings. Radix sort works by sorting every digit on the information component and for each of the digits in that component. When all is said in done, it may begin with slightest noteworthy digit and after that took after by next critical digit till the huge digit. This procedure fairly thought to be outlandish more often than not. Radix sort is a steady sort for the reason that it safeguards the relative request of component with equivalent keys. There are two characterizations of radix sort, for example, minimum critical digit (LSD) and most noteworthy digit (MSD). The Least huge digit technique works by handling the whole number representation beginning from the minimum digit and movement with a specific end goal to get the most critical digit. In like manner the Most noteworthy digit works the inverse way. The calculation for radix sort is as per the following.

Execution Analysis The productivity of radix sort is hard to depict when contrasted with other refined calculations. In principle, the normal run time unpredictability of radix sort is O(d•n). The viable productivity relies on upon the estimation of d, where d is the quantity of digits in every cluster esteem. On the off chance that the quantity of digits is steady for every one of the qualities in the cluster,

Execution of radix sort would be more productive than other complex calculations. Be that as it may, with various number of digits in cluster values, the calculation required O(log n) computational time, which is practically indistinguishable to other advanced calculations, for example, snappy sort and union sort. In this manner radix sort would get to be wasteful for applications with particular exhibit values. It is realized that breaking the O(n log n) computational many-sided quality is troublesome for any key examination strategy, however the radix sort can possibly sort N keys in O(N) operations. On account of this, numerous variations are progressed, for example, A Fast Radix Sort [10] which is speedier than any brisk sort variations and Forward Radix Sort [4] which consolidates the upsides of the traditional left-to-right and right-to-left radix sort, along these lines it will work extremely well by and by.

Preferences and Disadvantages One of the upsides of radix sort is that its proficiency does not reflect upon with the sort and size of information being sorted. In like manner, when contrasted with the other whole number sorting calculation, radix sort can deal with bigger keys all the more productively On the other hand it is less adaptable and complex to program for a wide assortment of usefulness and prerequisites. Besides radix sort consumes more memory room than other advanced calculation, henceforth an issue with the memory storage room is regularly considered as essential concern then radix sort won't be a decent decision.

As the other two linear time sorting algorithms (radix sort and counting sort) bucket sort depends so much on the input. The main thing we should be aware of is the way the input data is dispersed over an interval. Another crucial thing is the number of buckets that can dramatically improve or worse the performance of the algorithm. This makes bucket sort ideal in cases we know in advance that the input is well dispersed

V. IMPLEMENTATION

A. *Quantities of Interest*

One of the primary goals of this proposal is to think about the sorting calculation from a down to earth point of view. For the reason that there are three components that intrigued the entire time of study. They are characterized and clarified in the accompanying segments.

1) Overall Running Time There are two noteworthy motivations to ascertain the running time of a calculation, the agriculturist is to see how the time develops as a capacity regarding its information parameters and the last is to think about two or more calculations for the same issue. The general running time or the time multifaceted nature of a calculation expresses that the measure of time taken by a calculation with respect to the measure of info information to the calculation. Generally the time taken incorporates the quantity of memory gets to performed, the quantity of correlations in the middle of whole numbers, and the quantity of times some internal circle is executed. Similarly there are different elements not identified with calculations can likewise influence the running time.

2) Number of Operations Performed by and large, there are two distinct sorts of operations are performed in the greater part of the sorting calculations, for example, examination operation and task operation. Case in point, to sort a variety of numbers the calculation needs to contrast every component in that cluster with discover the fitting position in the last sorted exhibit, this technique is called as examination operation. It influences the general running time of a calculation, because of the way that if the info size develops, then the quantity of examinations will likewise increment. In task operation, every time when the sought position found, the calculation need to swap the component by utilizing an impermanent variable. This will likewise influence the running time of a calculation, however when contrasted with examination operation the impact of a task operation in the running time is similarly less.

3) Memory Consumption The memory required for a calculation amid run time is another imperative concern while selecting an ideal calculation for a given issue. When we discuss the memory utilization, it by and large means fundamental memory or RAM. Memory or space intricacy expresses that measure of memory brought by a calculation with respect to the measure of information of a calculation. Positively every system required some measure of memory to store the project itself furthermore the information required amid execution. In addition, the real thought is the extra measure of memory used by the project, for the reason that some calculation may require additional memory, as per the span of data and it is not suitable for the machine with least asset.

4) Software Profiling Software profiling is the examination of a project's conduct utilizing data gathered amid the execution of the system. The point of this examination is to figure out which part of a project need to enhance keeping in mind the end goal to amplify its productivity. A portion of the execution improvement measures are expanding the general rate, minimizing the memory utilization, deciding the need of tedious capacities and calls, dodging the pointless calculation, keeping away from re-calculation by putting away the outcomes for future use. There are different systems utilized by profilers in view of the distinctive amounts of interest, for example, occasion based, measurable, instrumented and reproduction strategies.

B. Simulation

Different scenarios and three different input sizes are empirically measured to find out how the algorithms perform.

1. n integers evenly distributed and in random order, $M = 10^6$
2. n integers already sorted, $M = 10^6$
3. n integers of which 95% already sorted , $M = 10^6$
4. n integers with small range of $M = 10^4$
5. n integers with large range of $M = 10^8$

The above inputs demonstrate how the two calculations work in various genuine use cases. Time use and memory utilization is measured. The primary information is utilized as a control, as sorting calculations frequently accept that the information is consistently disseminated. Sorting calculations are regularly dissected and tried utilizing a uniform circulation [4, p. 1]. The second information is critical to quantify, subsequent to regularly the information is as of now sorted and the calculation ought to at present perform well.

The third data cluster is a typical use case, following the inputs are regularly verging on sorted. The fourth checks how well the calculation functions for countless with a little range (e.g. numerous qualities may be the same). The fifth test is for an expansive extent, which is tried since some number sort usage are moderate with vast whole number reaches. The 6th and last case is to check how well the calculation adapts to countless same quality. Can sort is required to experience the ill effects of this utilization case a great deal.

The calculations were executed utilizing the java programming dialect. The same java program additionally made the inputs. Arbitrary numbers are made utilizing rand () capacity. The seed number was not randomized, so that every test could be run numerous times with the same info. The execution utilizes the vector<int> holder. Time use is measured utilizing clock() capacity. At the point when sorting the same data exhibit utilizing the same calculation different times, the time use changed under 5%, so time estimation is thought to be adequately accurate. Memory utilization is measured utilizing the errand supervisor. A standard portable workstation with an Intel i7 processor was utilized for the benchmark utilizing the GNU/Linux working framework. The outcomes are appeared in Table 1 and Table 2.

VI. RESULTS

Table 1 condenses the time utilization and Table 2 outlines the memory utilization. Figure 5 demonstrates a chart for info cases 1, 2 and 3 and the Figure

6 for inputs 4, 5 and 6. The outlines are in logarithmic scale. The time use increments straightly as indicated by the outcomes as is anticipated by hypothesis.

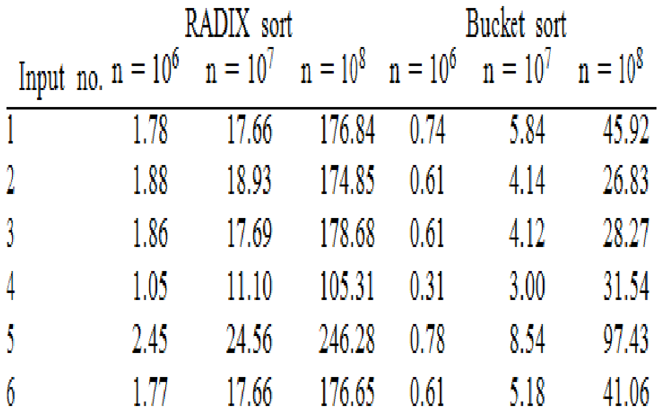
All in all, basin sort is quicker in all cases, however utilizes fundamentally more memory, with the exception of when n = 108 . In the fifth data case the pail sort utilizes a request of size more memory than RADIX. The motivation behind why can sort is speedier in all cases might be usage particular. A further study with a vary ent execution may illuminate regardless of whether the reason is usage particular.

The outcomes for inputs no. 2 and 3 show that RADIX sort executes too for unsorted and sorted inputs. Pail sort then again is unmistakably speedier for sorted exhibits. The reason may be that the basic insertion sort is quick for sorted info clusters. The outcomes for the fourth info grouping shows that RADIX sort performs well with littler whole numbers, since then d is littler. Container sort is likewise quicker than the default case.

Both calculations are entirely moderate in the fifth info exhibit with the substantial scope of M = 108 , and RADIX is moderate due to the higher number of digits d. This is the slowest enter cluster for both of the calculations.

RADIX performs pretty much as quick for the 6th data grouping as it accomplishes for the control arrangement with uniform conveyance. The same is valid for pail sort, despite the fact that basin sort needs to utilize the insertion sort for third of the numbers.

Table 1
Measured time consumptions [s]



	RADIX sort			Bucket sort		
Input no.	$n = 10^6$	$n = 10^7$	$n = 10^8$	$n = 10^6$	$n = 10^7$	$n = 10^8$
1	1.78	17.66	176.84	0.74	5.84	45.92
2	1.88	18.93	174.85	0.61	4.14	26.83
3	1.86	17.69	178.68	0.61	4.12	28.27
4	1.05	11.10	105.31	0.31	3.00	31.54
5	2.45	24.56	246.28	0.78	8.54	97.43
6	1.77	17.66	176.65	0.61	5.18	41.06

Table 2
Measured memory usage [MB]

	RADIX sort			Bucket sort		
Input no.	$n = 10^6$	$n = 10^7$	$n = 10^8$	$n = 10^6$	$n = 10^7$	$n = 10^8$
1	5.1	39.4	382.7	24.4	117.4	382.8
2	20.6	79.2	382.9	47.2	117.4	382.8
3	19.5	76.7	382.9	24.4	109.4	382.8
4	5.1	39.4	382.7	31.9	39.5	382.8
5	5.1	39.4	382.7	24.4	232.8	2344.0
6	5.1	39.4	382.7	19.9	96.7	382.8

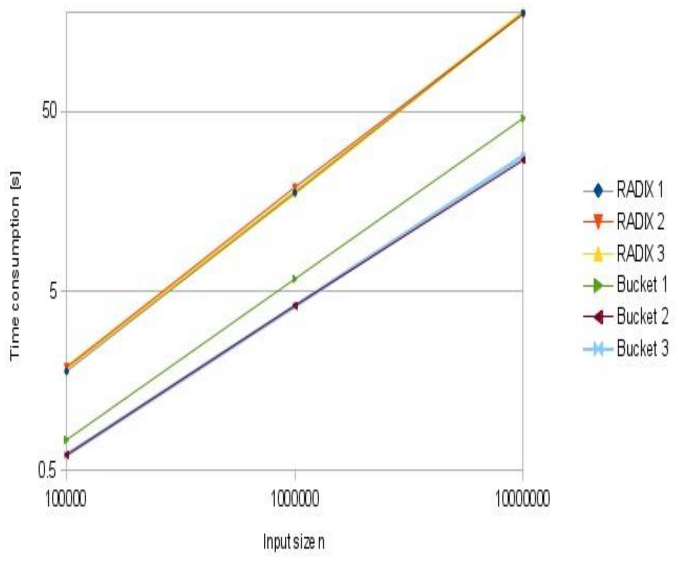


Fig. 5. Time consumption for inputs 1, 2 and 3

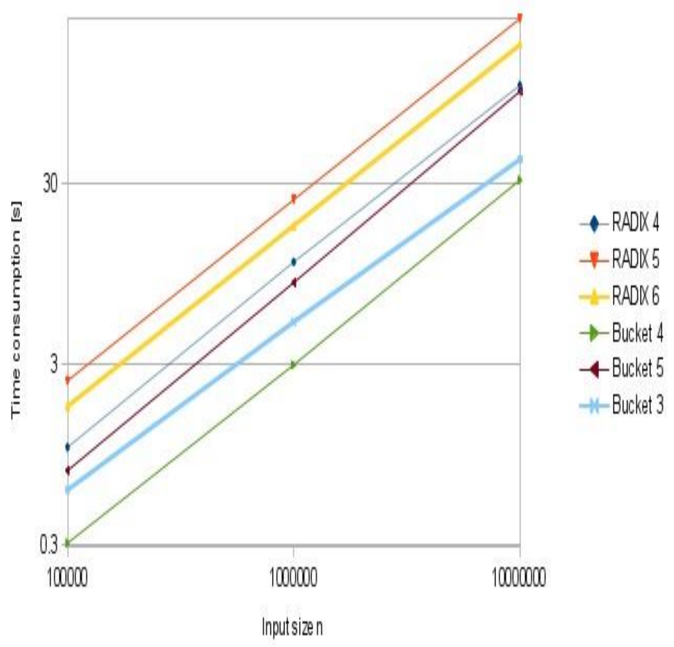


Fig .6. Time consumption for inputs 4, 5

Figure 5 and 6 presents implementation result of radix and bucket sort in different scenario.

VII. CONCLUSION AND FUTURE SCOPE

Two sorting calculations were looked at both observationally and hypothetically. Six diverse use cases were recognized and estimations were made utilizing three distinctive data sizes, extending three requests of greatness. The principal information had a uniform appropriation of arbitrary numbers. The second information was sorted, which tried how well the calculations perform with completely sorted data arrangements.

The third information had 95% of numbers sorted, which tried for almost sorted data exhibits. The fourth and fifth inputs had a little range and a huge reach, separately, to test how the calculation respond. The last case tried an info with a lot of numbers with a same worth.

RADIX sort utilized the slightest huge digit variant and the numbering sort. Pail sort utilized the insertion sort as the basic sorting calculation. The calculations and the formation of information exhibits were executed utilizing the java programming dialect. Time utilization and memory use were experimentally measured. The sorting took up to a hundred seconds with the biggest info.

It was discovered that basin sort is quicker in all cases. The execution of the RADIX sort is moderate just when the scope of the numbers is somewhat vast. The container sort was observed likewise to be moderate with substantial whole number extents. The container sort was observed to be very quick with little whole number extents, which is likewise valid for the RADIX sort. RADIX sort is as brisk for unsorted inputs as it is for sorted inputs. The memory utilization of the RADIX sort is marginally superior to the bucket sort when sorting a little number of whole numbers. Basin sort utilizes a lot of memory when sorting numbers with a vast reach.

More research ought to be made later on to contrast these sorting algorithms and examination based ones like the union sort. Studies ought to likewise be made utilizing parallel forms of pail sort and RADIX sort.

VIII. Reference

[1] Eric Bach and Jeffrey Shallit. “Algorithmic Number Theory: Efficient Algo- rithms”, volume 1 of Foundations of Computing. August 1996.

[2] C. Canaan, M. S. Garai, and M. Daya:. “Popular sorting algorithms”. World Applied Programming, 1(1):42–50, April 2011.

[3] Curtis R. Cook and Do Jin Kim. “Best sorting algorithm for nearly sorted lists”. Commun. ACM, 23(11):620–624, November 1980.

[4] T. H. Cormen, C. E. Leiserson, R.L Rivest, and C. Stein. “Introduction toAlgorithms”. MIT Press, 2nd edition edition, August 2001.

[5] G. Graefe. “Implementing sorting in database systems”. ACM Comput.
Surv., 38, September 2006.

[6] Rudolf Loeser. “Some performance tests of quicksort and descendants”.Commun. ACM, 17(3):143–152, March 1974.

[7] N. Satish, M. Harris, and M. Garland. “Designing efficient sorting algorithms for manycore gpus”. In Parallel & Distributed Processing, pages 1–10, May2009.

[8] M.S. Garai Canaan.C and M. Daya. Popular sorting algorithms. World Applied Programming, 1:62–71, April 2011.

[9] Thomas H. Cormen, Charles E. Leiserson, Ronald L. Rivest, and Clifford Stein. Introduction to Algorithms. The MIT Press, 2009.

[10] Ian J. Davis. A fast radix sort. Comput. J., 35(6):636–642, 1992.

[11] E.H.Friend. Sorting on electronic computers. JACM 3(2), pages 34–168,
1956.

[12] Donald E.Knuth. The Art of Computer Programming Second Edition, volume 3. ADDISON-WESLEY, 1998.

[13] C.A.R. Hoare. Quicksort. Commun.ACM, 4:321, 1961.

[14] Daniel Jimenez. Complexity analysis. http://www.cs.utexas.edu/users/ djimenez/utsa/cs1723/lecture2.html, June 1998.

[15] Omar khan Durrani, Shreelakshmi V, Sushma Shetty, and Vinutha D C. Analysis and determination of asymptotic behavior range for popular sorting algorithms. Special Issue of International Journal of Computer Science Informatics(IJCSI), ISSN(PRINT):2231-5292, Vol-2, Issue-1,2.

[16] Seth Long. Quick sort and insertion sort combo. http://megocode3. wordpress.com/2008/01/28/8/, November 2013.

[17] N. Santoro M.D. Atkinson, J.-R. Sack and T.Strothotte. Min-max heaps and generalized priority queues. Communications of the ACM, October 1986.

[18] A.D. Mishra and D. Garg. Selection of Best Sorting Algorithm. International Journal of Intelligent Processing, 2(2):363–368, July-December 2008.

[19] Samanta Debasis Samanta. Classic Data Structure, Second Edition. PHI, 2009. [20] Pankaj Sareen. Comparison of sorting algorithms(on the basis of average case). IJARCSSE, 3:522–532, March 2013.

[21] Harold H Seward. Information sorting in the application of electronic digital computers to business operations. Master's thesis, M.I.T, 1954.

[22] Clifford A. Shaffer. A Practical Introduction to Data Structures and Algorithm Analysis Third Edition. Prentice Hall, April 2009.

[23] D. L. Shell. A high-speed sorting procedure. Commun. ACM, 2(7):30–32, July 1959. [24] Shunichi Toida. Recursive algorithm.http://www.cs.odu.edu/~toida/nerzic/content/recursive_alg/rec_alg.html, February 2014.

[25] Ingo Wegener. Bottom-up-heap sort, a new variant of heap sort beating on average quick sort (if n is not very small). In Branislav Rovan, editor, MFCS, volume 452 of Lecture Notes in Computer Science, pages 516–522. Springer, 1990. [26] Mark A. Weiss. Data Structures Algorithms Analysis in C++ (Third Edition). Prentice Hall, March 2006.

[27] J. W. J. Williams. Algorithm 232: Heapsort. Communications of the ACM, 7(6):347–348, 1964.

[28] Niklaus Wirth. Algorithms+DataStructures=Programs. Prentice Hall.

[29] Ray Wisman. The fundamentals: Algorithms, the integers, and matrices, June 1998.

[30] Gongjun Yan. Growth of function. http://www.cs.odu.edu/~ygongjun/courses/cs381/cs381content/function/growth.html, March 2014.