



```
# include < stdio.h>
# include < conio.h>
# include < math.h>
main()
{
    int a, b, L, W, x, SF, BM, RA, RB;
    clrscr();
    printf("enter the values of a,b,L,W");
    scanf ("%d %d %d %d", &a, &b, &L, &W);
    printf("enter the value of x from left");
    scanf ("%d", &x);
    RB = w(b-a) / 2;
    RA = w(b-a) - RB;
    If (x < a)
    {
        SF = RA;
        BM = RA * x;
        printf ("the values of SF=%d, BM=%d", SF, BM);
    }
    else
    {
        if (x < b)
        {
            SF = RA - W * (x-a);
            BM = RA * x - (W * (x-a)^2) / 2;
            printf ("the values of SF=%d, BM=%d", SF, BM);
        }
        else
        {
            SF = -RB;
            BM = -RB * (1-x);
            printf ("the values of SF=%d, BM=%d", SF, BM);
        }
    }
}
```



{}

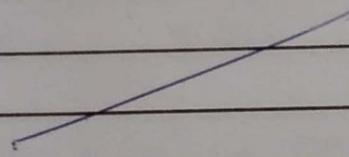
getch();
}Output:

enter the values of a, b, L, w

5 15 20 10

enter the value of x from left

3

 $R_A = 50, R_B = 50$ $SF = 50, BM = 150$ ~~17/3/81 8:14~~



```
# include < stdio.h>
# include < conio.h>
# include < math.h>
main()
{
    float P, ex, ey, X, Y, Q, B, D;
    clrscr();
    printf ("enter the values of P, B, D, ex, ey, X, Y");
    scanf ("%f %f %f %f %f %f", &P, &B, &D, &ex, &ey, &X, &Y);
    Q = (P/(B*D)) + ((P*ex*X*12)/(B*D*D*D)) + ((P*ey*Y*X*12)/(D*B*B*B));
    printf ("stress at P(X,Y) is Q=%f", Q);
    getch();
}
```

Output:

enter the values of P, B, D, ex, ey, X, Y
50 30 100 10 50 5 20

stress at P(X,Y) is Q= 0.076222

15-7-58/81/9



Q: Structural design of an RCC beam section using limit state method, given are the grade of concrete, grade of steel, BM & SF.

```
#include < stdio.h >
```

```
#include < conio.h >
```

```
#include < math.h >
```

```
void main()
```

```
{
```

```
int stemupdia, maindia, fy, fck, cc;
```

```
float Ast, b, d, Beta, D, Deff, nb, Mu, SF, k, theta, Tc, Tr, Tcmax, Pt, Sy, Sv2,
```

```
P, B, Vc, Vu, As, Asv, Vus;
```

```
Pointf ("enter the values of in factored Mu, SF, in KN-m & KN");
```

```
Scanf ("%f %f, &Mu, &SF);
```

```
Mu = Mu * 1e6;
```

```
SF = SF * 1e3;
```

```
Pointf ("enter the values in N & mm for in fck, fy, cc and dia  
of main reinf");
```

```
Scanf ("%d %d %d %d, &fck, &fy, &cc, &maindia);
```

```
getk:
```

```
if (fy == 250) K = 0.53;
```

```
else if (fy == 415) K = 0.48;
```

```
else if (fy == 500) K = 0.45;
```

```
else { Pointf ("revise fy");
```

```
scanf ("%d", &fy);
```

```
goto getk;
```

```
};
```

```
Pointf ("enter breadth of beam");
```

```
Scanf ("%f", &b);
```

```
A = 0.36 * fck * K * (1 - 0.42 * K);
```



Pointf ("In $\theta_i = 1-f$ in", θ_i);

$d = \text{sqrt}(\text{Mu}/(\alpha * b))$;

$D = (d + cc - \text{maindia})/2$;

Pointf ("min required overall depth of beam is $1-f$ in", D);

Pointf ("Enter appropriate value of D ");

scanf ("%f", &D);

$D_{eff} = D - cc - \text{maindia} / 2$;

$A_{st} = 0.5 * f_{ck} * b * D_{eff} * (1 - \text{sqrt}(1 - 4.6 * \text{Mu}/(f_{ck} * b * D_{eff} * D_{eff})))$

$n_b = A_{st} * 4 / (3.14 * \text{maindia} * \text{maindia})$;

Pointf ("In A_{st} , $\sigma_{eqd} = 1-f$ mm $\perp 2$ in provide $1-f$ number of
1-d mm dia bars. in", A_{st} , n_b , maindia);

if ($f_{ck} == 20$) $T_{cmax} = 2.8$;

else if ($f_{ck} == 25$) $T_{cmax} = 3.1$;

else if ($f_{ck} == 30$) $T_{cmax} = 3.5$;

else if ($f_{ck} == 35$) $T_{cmax} = 3.7$;

else $T_{cmax} = 4.0$;

~~getchar();~~;

$T_V = SF / (b * D_{eff})$;

if ($T_V > T_{cmax}$)

{ Pointf ("D provided ($1-f$) is inadequate for shear.
in Enter increased D", D);

scanf ("%f", &D);

$D_{eff} = D - cc - \text{maindia}$;

~~getchar();~~

}

$S_V = 300$;

if ($S_V > (0.75 * D_{eff})$) $S_V = 0.75 * D_{eff}$;

Pointf ("In enter the dia of reinforcement for stirrups");



```
scanf ("%1.d", & stirrupdia);
Asv = 2 * 3.14 * stirrupdia * stirrupdia / 4;
SV2 = ((Asv * fy) / (0.4 * b));
if (SV > SV2) SV = SV2;
P = 100 * Ast / (b * Deff);
Beta = 0.8 * fck / (6.89 * P);
if (Beta < 1) Beta = 1;
TC = (0.85 * sqrt(0.8 * fck) * (sqrt(1 + 5 * Beta) - 1)) / (6 * Beta);
if (TC < Tr)
{
    VC = TC * b * Deff;
    Vus = SF - VC;
    SV2 = 0.87 * fy * Asv * Deff / (Vus);
}
if (SV > SV2) SV = SV2;
Pointf ("In arrange 2-legged %d mm dia base at %.f mm.
Spacing", stirrupdia, SV);
getch();
}
```

18
26/8/19



Q: Computation of discharge over a rectangular notch using velocity of approach.

```
# include <stdio.h>
# include <conio.h>
# include <math.h>
void main()
```

{ float length, height, Cd, area, Va, ha, Q, Q1, h2;

clrscr();

Pointf("Enter the values of length, height, Cd, area");
Scanf("%f %f %f %f", &length, &height, &Cd, &area);

$$Q = 1.705 * Cd * \text{length} * \text{height} * \sqrt{\text{height}};$$

$$Va = Q / \text{Area};$$

$$ha = (Va * Va) / (2 * 9.81);$$

$$h2 = \text{height} + ha;$$

$$Q1 = 1.705 * Cd * \text{length} * ((h2 * \sqrt{h2}) - (ha * \sqrt{ha}));$$

Pointf("discharge without considering the velocity of approach= %f", Q);

Pointf("In discharge considering the velocity of approach=%f", Q1);

getch();
}

Output:

Enter the values of length, height, Cd, area

50 0.50 0.6 50

discharge without considering the velocity of approach= 18.08
discharge considering the velocity of approach= 18.219



Q2: Calculation of normal depth & critical depth in a trapezoidal channel.

```
#include <stdio.h>
#include <conio.h>
#include <math.h>
void main()
{
    float b, yn, Q, z, s, n, k, yc, g, H, I, p;
    clrscr();
    printf("Enter the values of b, s, Q, z, n, g");
    scanf("%f %f %f %f %f %f", &b, &s, &Q, &z, &n, &g);
    for (yn = 0.1; yn <= 100; yn += 0.1)
    {
        k = 1/n * yn * (b + z * yn) * pow(yn * (b + z * yn) / b + z * yn *
                                             sqrt(1 + (z * z)), 0.66) * pow(s, 0.5);
        p = (Q - k) / Q * 100;
        if (p >= 1)
            printf("normal depth is %f", yn);
        printf("percentage is %f", p);
    }
    for (yc = 0.1; yc <= 1; yc += 0.1)
    {
        I = sqrt(pow(yc * (b + z * yc), 3) / (b + z * 2 * yc));
        H = Q - I / Q * (100);
        if (H >= 1)
            printf("critical depth is %f", yc);
    }
    getch();
}
```



Output:

Enter the values of b, s, Q, z, n, g

30, 1/1500, 30, 2, 0.03, 9.81

Normal depth is 99.99046

Percentage is 99.8999

Critical depth is 0.999

26/8/19



Q: Design an irrigation channel using Kennedy's theory.

$$\text{FS discharge} = 14 \text{ m}^3/\text{s}$$

$$\text{Bed slope} = 1 \text{ in } 5000$$

$$\text{Kutte's } N = 0.0225$$

$$\text{CVR (m)} = 1$$

$$\text{Side slope} = \frac{1}{2} = 1 \text{ (Horizontal : vertical)}$$

Soln

Assuming full supply depth = 1.8m.

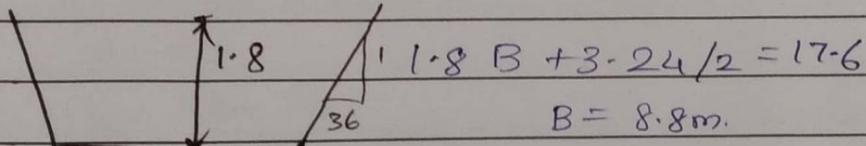
Velocity can be calculated from Kennedy's equation

$$V = 0.545 m D^{0.64} = 0.545 \times 1.8^{0.64} = 0.795 \text{ m/s}$$

From eqn, $Q = AV$

$$A = \frac{14}{0.795} = 17.6 \text{ m}^2$$

$$A = BD + \frac{D^2}{2} = 17.6$$



$$R = \frac{A}{P_w} = \frac{17.6}{B + D\sqrt{2}} = \frac{17.6}{8.8 + 1.8\sqrt{2}} = 1.365$$

Chezy's constant can be calculated from Kutte's formula

$$C = 23 + \frac{\frac{1}{0.0225} + \frac{0.000155}{0.0002}}{1 + \left(\frac{23 + \frac{0.000155}{0.0002}}{0.002} \right) \frac{0.00225}{\sqrt{1.365}}} = 46.8$$

Now, using Chezy's formula

$$V = 46.8 \sqrt{1.365 \times 0.0002} = 0.772 \text{ m/s}$$

```

#include <stdio.h>
#include <conio.h>
#include <math.h>
void main()
{

```

float Q, S, V, N, R, C, V_k, Q_k, m, A, P, B, D;

clrscr();

Pointf ("Enter the value of Q, S, N, m");

Scanf ("%f %f %f %f", &Q, &S, &N, &m);

for (D=0.1; D<=100; D+=0.1)

{

V = 0.546 * m * pow(D, 0.64);

A = Q/V;

B = A/D - D/2;

P = B + D * sqrt(5);

R = A/P;

C = 46.8;

V_k = 46.8 * sqrt(R * S);

Q_k = A * V_k;

If ((Q_k/Q) > 1)

Pointf ("Depth is %f", D);

}

getch();

}

Output: Enter the values of Q, S, N, m.

14 1/5000 0.0225 1/2

Depth is 1.8

~~14 1/5000 0.0225 1/2~~



Determination of pre and post jump depths from known specific energy values.

$$V = \theta_i^2$$

$$\frac{y_2}{y_1} = \frac{1}{2} \left(\sqrt{1 + 2f_i^2} - 1 \right)$$

Assume the reasonable full supply depth.

Kennedy's Theory

$$V = 0.546 D^{0.64} \rightarrow (1)$$

$$\theta_i = AV \rightarrow (2)$$

$$V = C \sqrt{R S} \rightarrow (3)$$

Using eqn. (1) find value 'V'

Substitute 'V' in eqn. (2) & find 'A'

Assume side slope ϵ from A, D find B

Calculate $R = A/P$

Using eqn. (3) find actual velocity 'V'

→ When assumed value of 'D' is correct, find V is correct
if not value of 'V'

If not assume some other value for 'D'

$$E_1 = h_1 + \frac{v_1^2}{2g}$$

$$E_1 = 4$$

$$v_1 = 6 \text{ m/s}$$

$$g = 9.8 \text{ m/s}^2$$

$$h_1 = 4 - \frac{6^2}{2 \times 9.81} = 2.165 \text{ m.}$$

$$h_2 = \frac{h_1}{2} + \sqrt{\frac{h_1^2}{4} + \frac{2h_1 v_1^2}{g}}$$

$$h_2 = \frac{2 \cdot 165}{2} + \sqrt{\frac{(2 \cdot 165)^2}{4} + \frac{L \times 2 \cdot 165 \times 6^2}{9.81}}$$
$$= 1.0825 + \sqrt{1.17 + 16.8}$$

$$h_2 = 5.2 \text{ m.}$$



Or: Estimation of specific capacity and maximum pumping rate of a well.

```
# include <stdio.h>
```

```
# include <conio.h>
```

```
# include <math.h>
```

```
void main()
```

```
{
```

```
float Q, ho, h, Sc, hw, max D, max P;
```

```
Pointf ("Enter the values of Q, ho, h, hw");
```

```
Scanf ("%f %f %f %f", &Q, &ho, &h, &hw);
```

$$S_c = Q / (h_o - h);$$

$$\text{Max D} = (h_w - h_o);$$

$$\text{Max P} = (h_w - h_o) * S_c;$$

```
Pointf ("max. drawdown & pumping rate are %f %f", maxD,  
maxP);
```

```
getch();
```

Output:

Enter the values of Q, h_o, h, h_w

16, 10, 4, 15

Max. drawdown & pumping rate are 5, 13.33.



a: Determination of pre & post jump depths from known specific energy values.

```
# include <stdio.h>
# include <conio.h>
# include <math.h>
void main()
{
    float e, h1, h2, v, g;
    printf("Enter the values of g, e, v");
    scanf("%f %f %f", &g, &e, &v);
    h1 = e - [(v*v) / (2*g)];
    printf("max. height of pre jump %.2f", h1);
    h2 = (h1/2) + (sqrt((h1*h1)/4) + ((2+h1)*v*v)/g));
    printf("Post ht. of jump %.2f", h2);
    getch();
}
```

Output:

Enter the values of g, e, v
9.81, 4, 6

Max. height of pre jump
2.165138

Post ht. of jump 5.213292

$$\text{Specific Capacity } (S_c) = \frac{Q}{h_o - h}$$

Q : Pumping rate

h_o : Depth of water table

h : Depth of static water level

$(h_o - h)$: drawdown

depth of well: max. available drawdown
 $= h_w$

$$\text{Max. drawdown} = h_w - h_o$$

$$\text{Max. pumping rate} = (h_w - h_o) S_c$$



a: Flood routing using Muskingham's method.

x : Weighing factors

0 to 0.5 usually 0.2

K - Strain constant

$$O_2 = C_0 I_2 + C_1 I_1 + C_2 O_1 \quad I \rightarrow \boxed{\text{Stage}} \rightarrow O$$

O → Output

I → Input

$$C_0 = \frac{(0.5 \Delta t - kx)}{D}$$

$I_1 \notin O_1$ at time 1

$$C_1 = (Kx + 0.5 \Delta t) / D$$

$I_2 \notin O_2$ at time 2

$$C_2 = (K - Kx - 0.5 \Delta t) / D$$

$$C_0 + C_1 + C_2 = 0$$

$$D = K - Kx + 0.5 \Delta t$$

If above is not satisfied, adjustment is made
for higher 'c' value by subtracting

| Time | 0 | 3 | 6 | 9 | 12 | 15 | 18 |
|--------|---|---|---|----|----|----|----|
| Inflow | 1 | 3 | 9 | 15 | 13 | 10 | 6 |

| Time | 0 | 3 | 6 | 9 | 12 | 15 | 18 |
|------|---|-----|-----|-----|------|------|-----|
| I | 1 | 3 | 9 | 15 | 13 | 10 | 6 |
| O | 1 | 1.5 | 3.7 | 9.1 | 13.7 | 12.6 | 9.8 |



Q: Design a trapezoidal notch canal fall.

Q_f: Full supply discharge = 4 m³/sec.

Bed width = 6 m.

Full supply depth = 1.5 m.

Half supply depth = 1.0 m.

Provide 'n' no. of notches.

Then Q per notch = $\frac{Q_f}{n}$

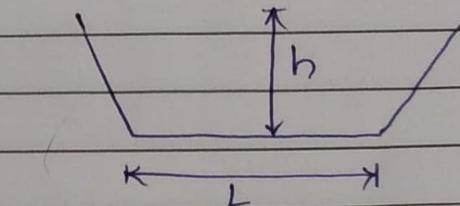
$$Q = \frac{8}{15} C_d \sqrt{2g} \tan\left(\frac{\theta}{2}\right) h^{5/2} + \frac{2}{3} C_d L \sqrt{2g} h^{3/2}$$

$$C_d = 0.7$$

$$g = 9.81$$

$$h = 1.5 \text{ m (or) } 1 \text{ m.}$$

$$A = ?$$



Full supply

$$4 = \frac{8}{15} \times 0.7 \times \sqrt{2 \times 9.81} \times \tan\left(\frac{\theta}{2}\right) (1.5)^{5/2} + \frac{2}{3} \times 0.7 \times L \times \sqrt{2 \times 9.81} \times (1.5)^{3/2}$$

Half supply

$$2 = \frac{8}{15} \times 0.7 \times \sqrt{2 \times 9.81} \times \tan\left(\frac{\theta}{2}\right) (1)^{5/2} + \frac{2}{3} \times 0.7 \times L \times \sqrt{2 \times 9.81} \times (1)^{3/2}$$

$$4 = 4.56 \tan\left(\frac{\theta}{2}\right) + 2.06 L \rightarrow ①$$

$$2 = 1.65 \tan\left(\frac{\theta}{2}\right) + 2.06 L \rightarrow ②$$

$$\boxed{\theta = 69.0}$$

$$\boxed{L = 0.42}$$



Q: Compute distribution of increment in vertical stress due to applied point load on a

a) Horizontal plane

b) Vertical plane. Using the computed values, plot the distribution utilizing VC as front end tool.

$$\sigma_z = \frac{3\sigma_c}{2\pi} \cdot \frac{1}{z^2} \left[\frac{1}{\left[1 + \left(\frac{y}{z}\right)^2\right]^{5/2}} \right]$$

$$\sigma_z = I_B \cdot \frac{\sigma_c}{z^2}$$

$$I_B = \frac{3}{2\pi} \cdot \frac{1}{\left[1 + \left(\frac{y}{z}\right)^2\right]^{5/2}}$$

a) Horizontal Plane:

z : Constant

for ex. take 1m or 2m

Input Parameters: q, z, γ

z : constant, = Assume 2m or 3m etc.

γ : constant 0, 0.25, 0.5, 0.75, 1, 1.25m, ...

Q: Given value of point load (assume 500kN or 1000kN etc.)

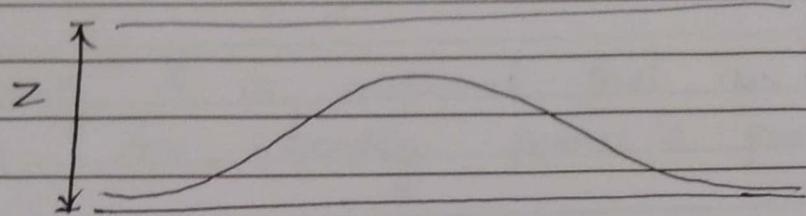
1) Assume $z \& \sigma_c$

2) Take values of γ

3) Cal. γ/z & then I_B for different ' γ ' values.

4) Cal. σ_z using $\sigma_z = I_B \cdot \frac{\sigma_c}{z^2}$

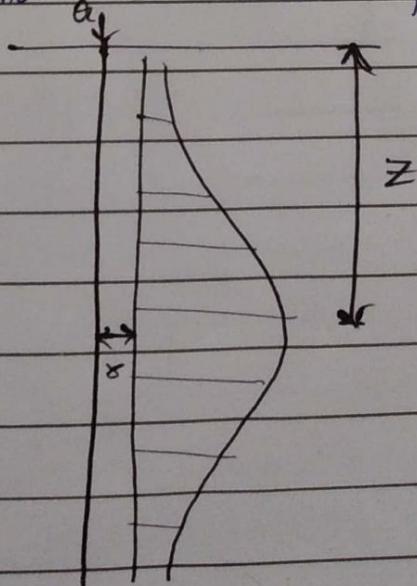
- 5> Finally, we get different σ_z values for different γ values.
- 6> Plot the distribution.



b> Vertical Plane:

Input Parameters: Q, z, γ

- 1> Assume $\gamma \neq 0$
- 2> Take different values for 'z'
- 3> Cal. $\sigma/z \in I_B$ for different 'z' values
- 4> Cal. σ_z using $\sigma_z = I_B \cdot \frac{\sigma}{z}$
- 5> Finally, we get different σ_z values for different γ values.
- 6> Plot the distribution.





Q: Compute the values of a pressure bulb & using the values, plot pressure bulb utilizing VC as front end tool.

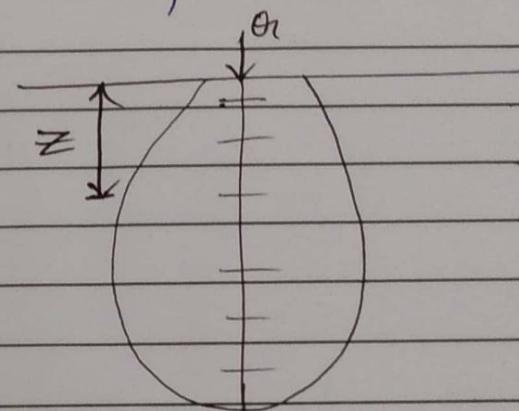
Given, $\Sigma, I_B, \frac{\theta_i}{z^2}$

Generally, it is assumed that an isobar of $0.1\theta_i$ for intensity forms a pressure bulb

Take $\Sigma = 0.1\theta_i$

$$0.1\theta_i = I_B \cdot \frac{\theta_i}{z^2}$$

$$I_B = 0.1z^2$$



Input Parameters: θ_i, z

1) Assume 'i' values & different values for $z (0, 0.25, 0.5, 0.75, \dots, z_{max})$

2) Calculate I_B using $I_B = 0.1z^2$

3) Calculate $\frac{\Sigma}{z}$ from $I_B = \frac{3}{2\pi} \left[\frac{1}{1 + \left(\frac{\Sigma}{z}\right)^2} \right]^{5/2}$

4) Calculate 'i' from $\frac{\Sigma}{z}$ values.

z_{max} Calculation:

When $\Sigma = 0 \Rightarrow z = z_{max}$

$$\Sigma = \frac{3\theta_i}{2\pi} \cdot \frac{1}{z^2} \left[\frac{1}{1 + \left(\frac{\Sigma}{z}\right)^2} \right]^{5/2}$$

Substitute $\Sigma = 0.1\theta_i$ & $\Sigma = 0$

$$\Rightarrow 0.1 = \frac{3}{2\pi} \cdot \frac{1}{(z_{max})^2} \Rightarrow z_{max} = 2.185 \text{ m.}$$