

Building Blocks of Deep Networks

Building deep networks goes beyond basic feed-forward multilayer neural networks.

Three specific building blocks:-

- Feed-forward multilayer neural networks
- RBMs
- Autoencoders

Feed-Forward Networks

- Feed-Forward Networks are the simplest Artificial Neural Networks.
- They are composed of an **input layer, one or many hidden layers, and an output layer.**

RBM(Restricted Boltzmann Machine)

RBM's are used in deep learning for the following:

- **Feature extraction**
- **Dimensionality reduction**

The “restricted” part of the name “Restricted Boltzmann Machines” means that **connections between nodes of the same layer are prohibited**

(e.g., there are no visible-visible or hidden- hidden connections along which signal passes).

RBM's Network

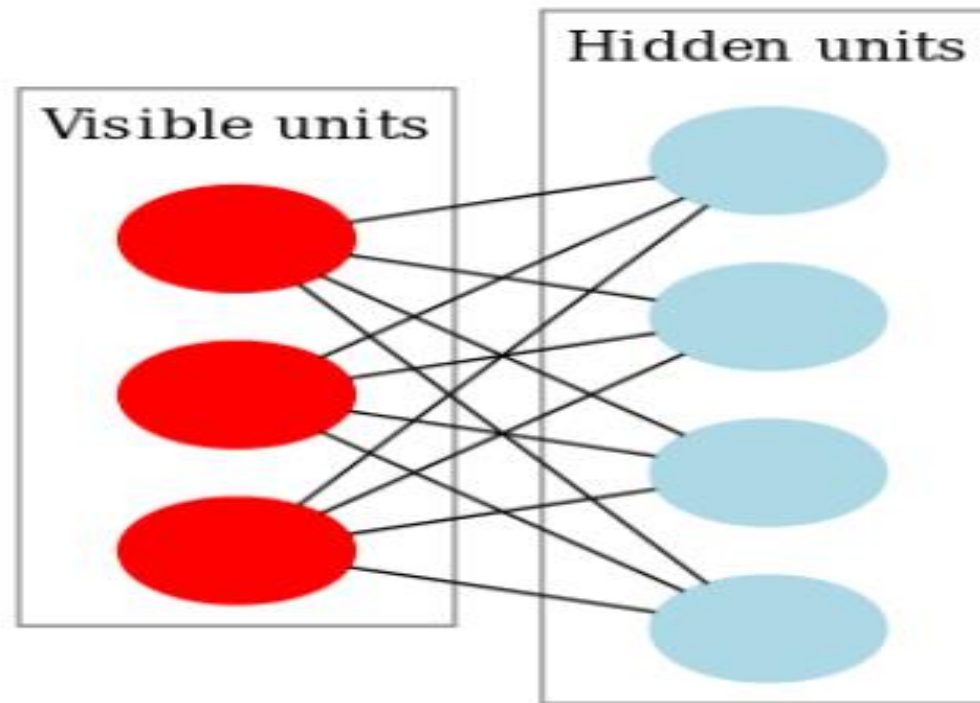


Figure : Restricted Boltzmann machine with three visible units and four hidden units (no bias units).

RBM's Network...

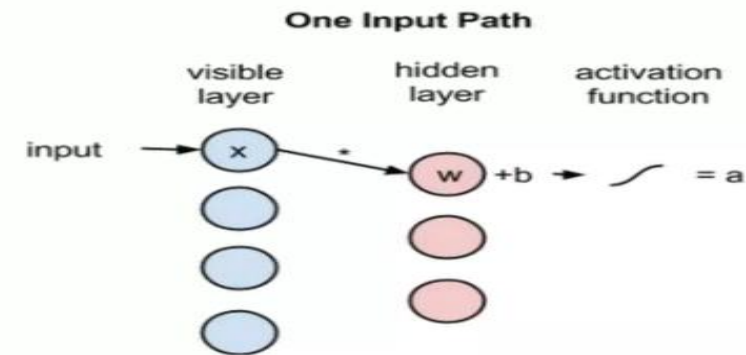
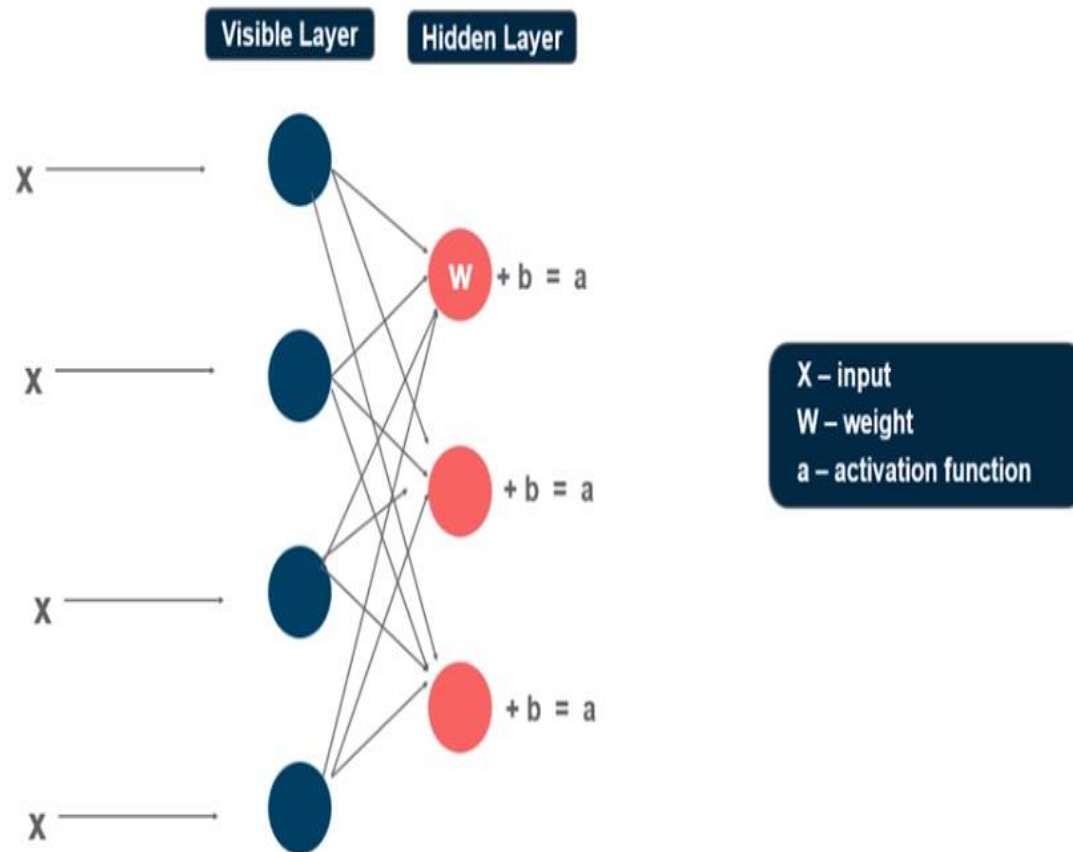
- ✓ RBMs are also a type of autoencoder, which we'll talk about in the following section.
- ✓ RBMs are used for pretraining layers in larger networks such as Deep Belief Networks.

Network layout

There are five main parts of a basic RBM:

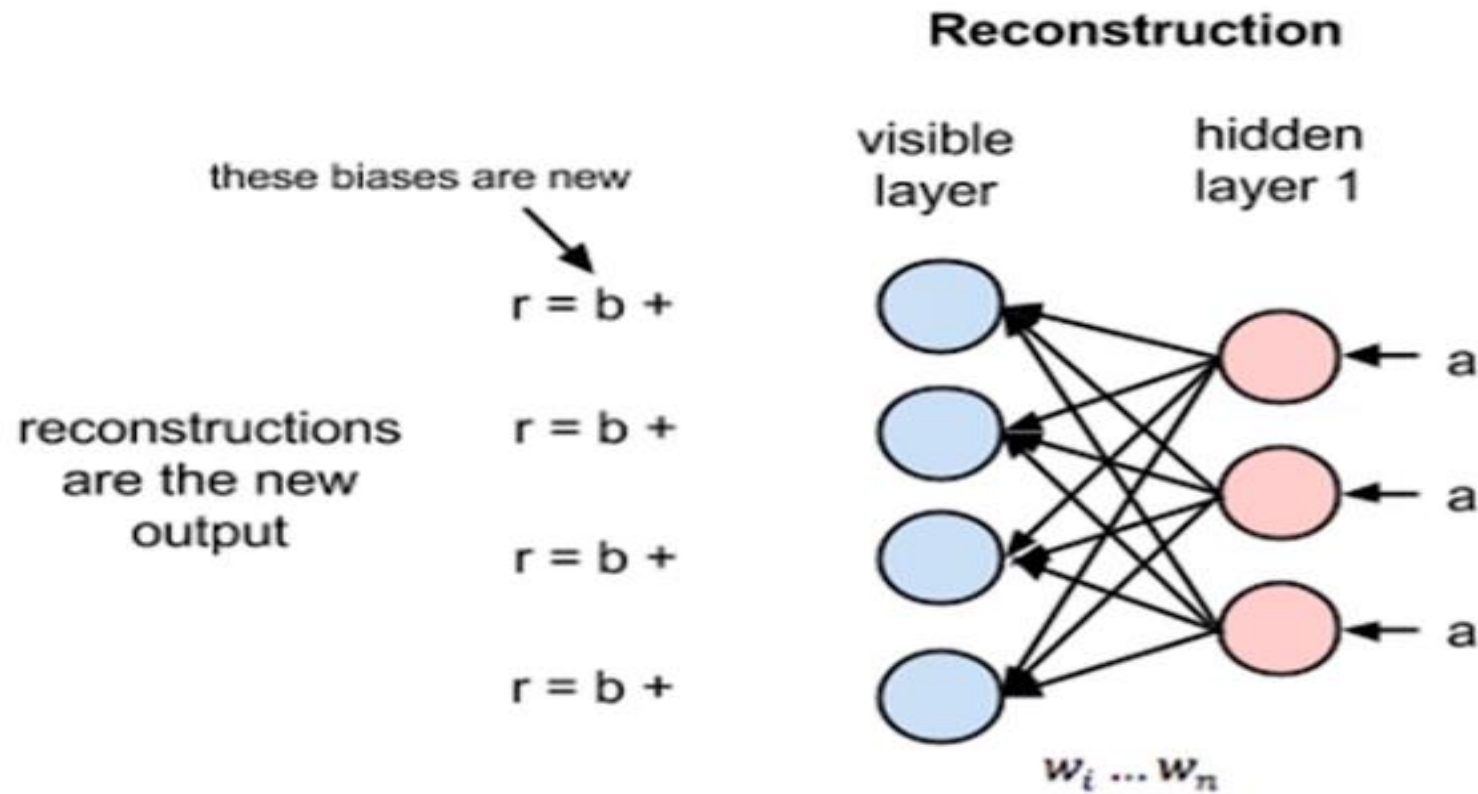
1. Visible units
2. Hidden units
3. Weights
4. Visible bias units
5. Hidden bias units

Working of RBMs







- Layer x is multiplied by a weight and added to a bias and the result of the operation is passed to the activation function which produces the output.
- Reconstruction of RBMs

Reconstruction of RBMs



Example-RBM



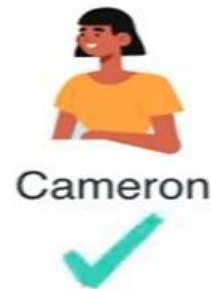
 Aisha	 Beto	 Cameron
		



Aisha



Beto



Cameron

Example-RBM...



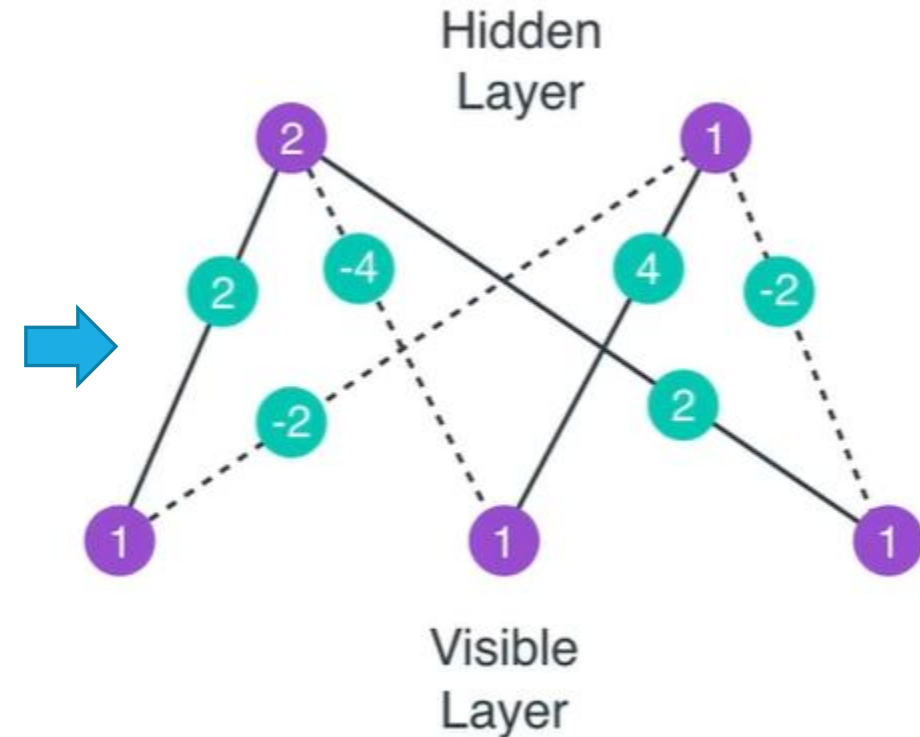
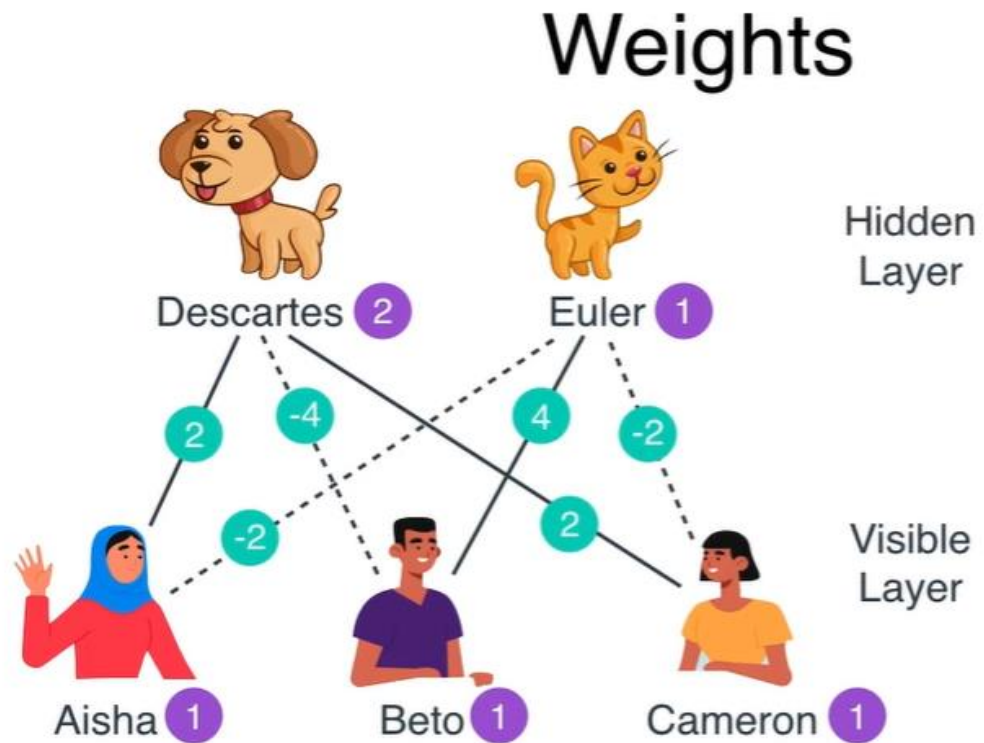
 Aisha	 Beto	 Cameron
✓	✗	✓
✗	✓	✗
✓	✗	✓
✓	✗	✓
✗	✓	✗
✓	✗	✓
✗	✓	✗
✓	✗	✓
✓	✗	✓
✓	✗	✓

Example-RBM...

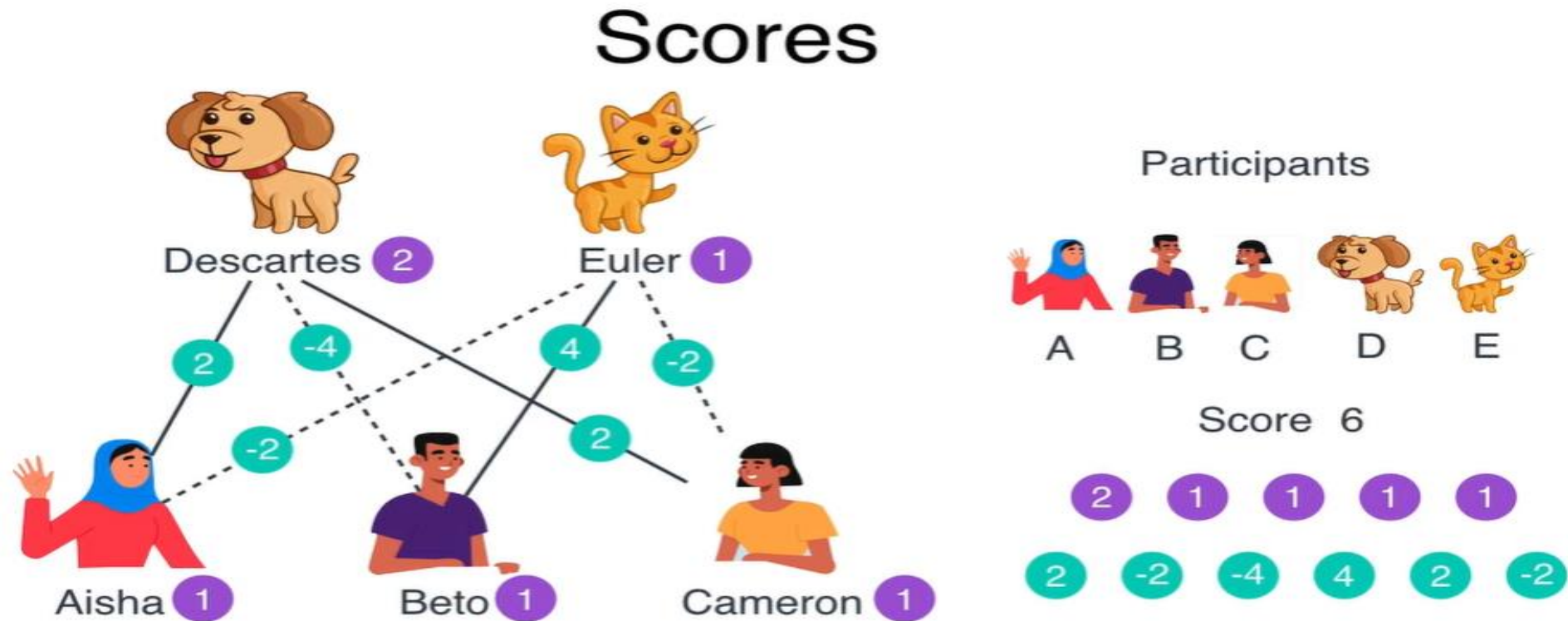
Solution



Example-RBM...

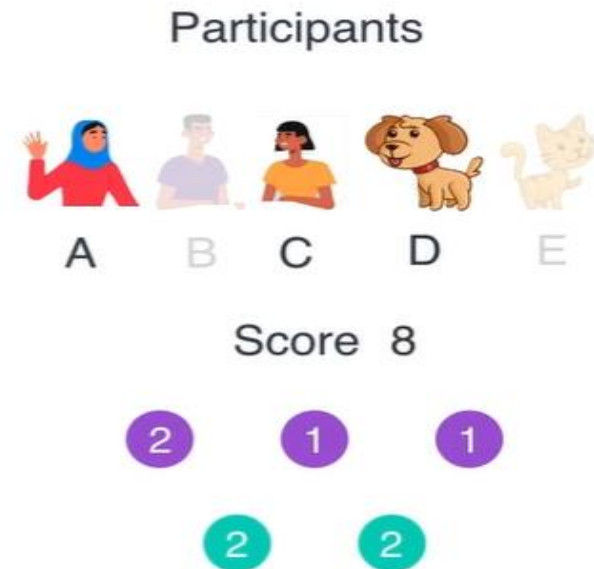
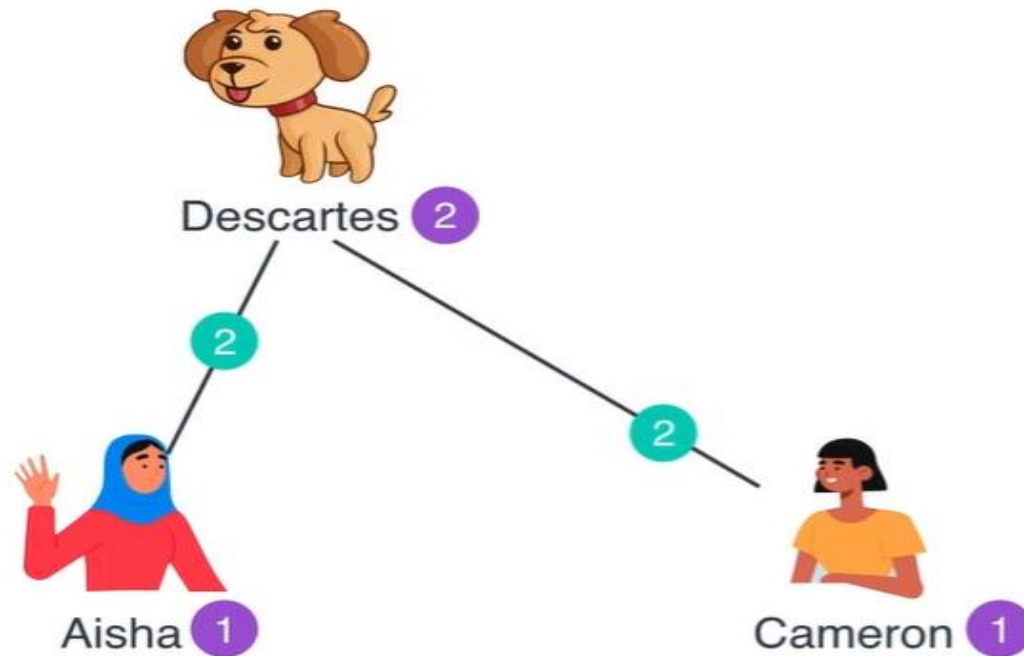


Example-RBM...



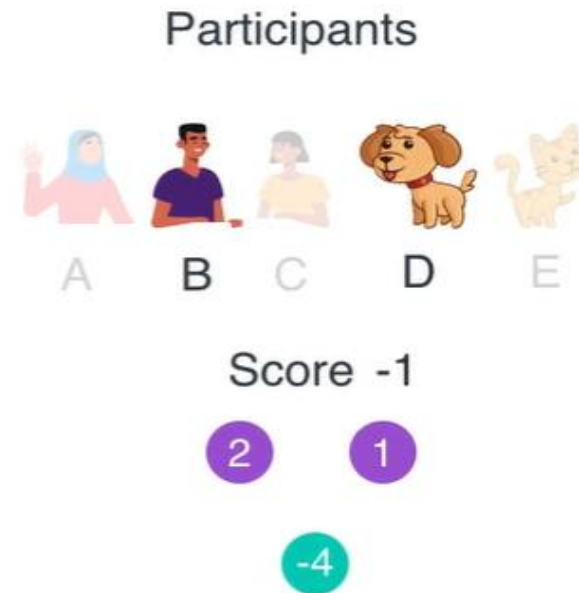
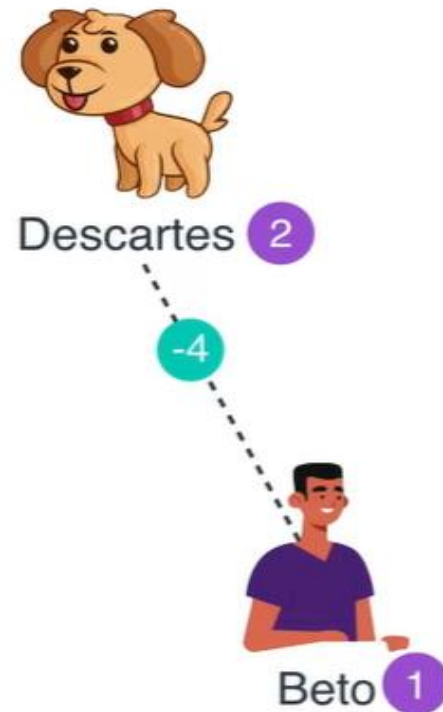
Let us Consider –the scenario-Aisha,Cameron and Dog(ACD)

Scores

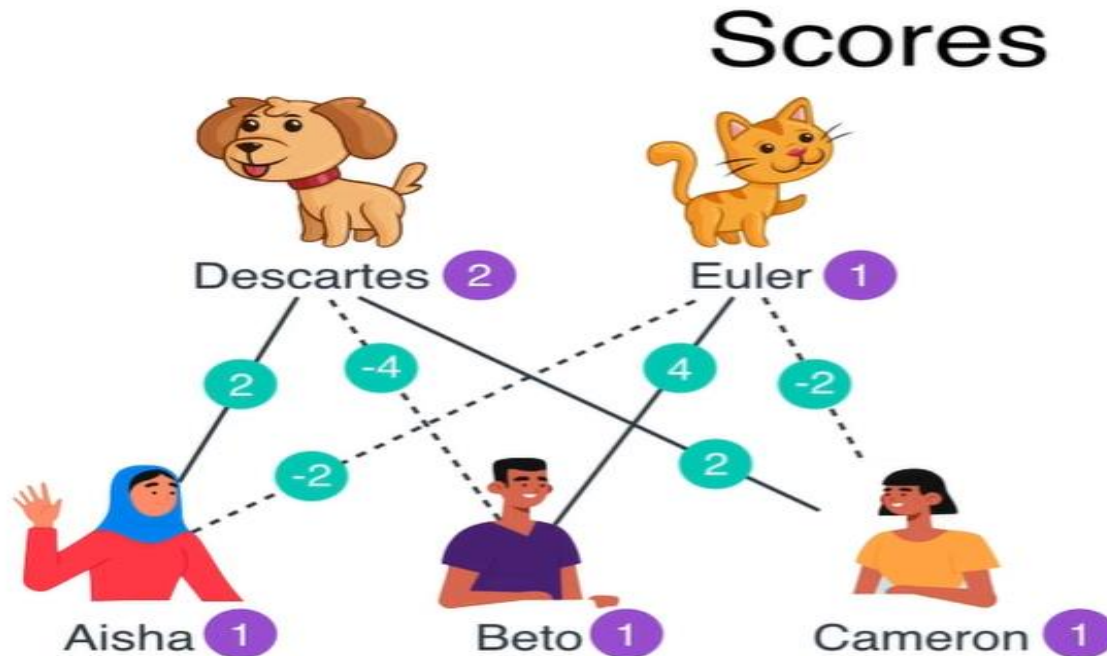


Let us Consider -scenario-Beto and Dog(BD)

Scores



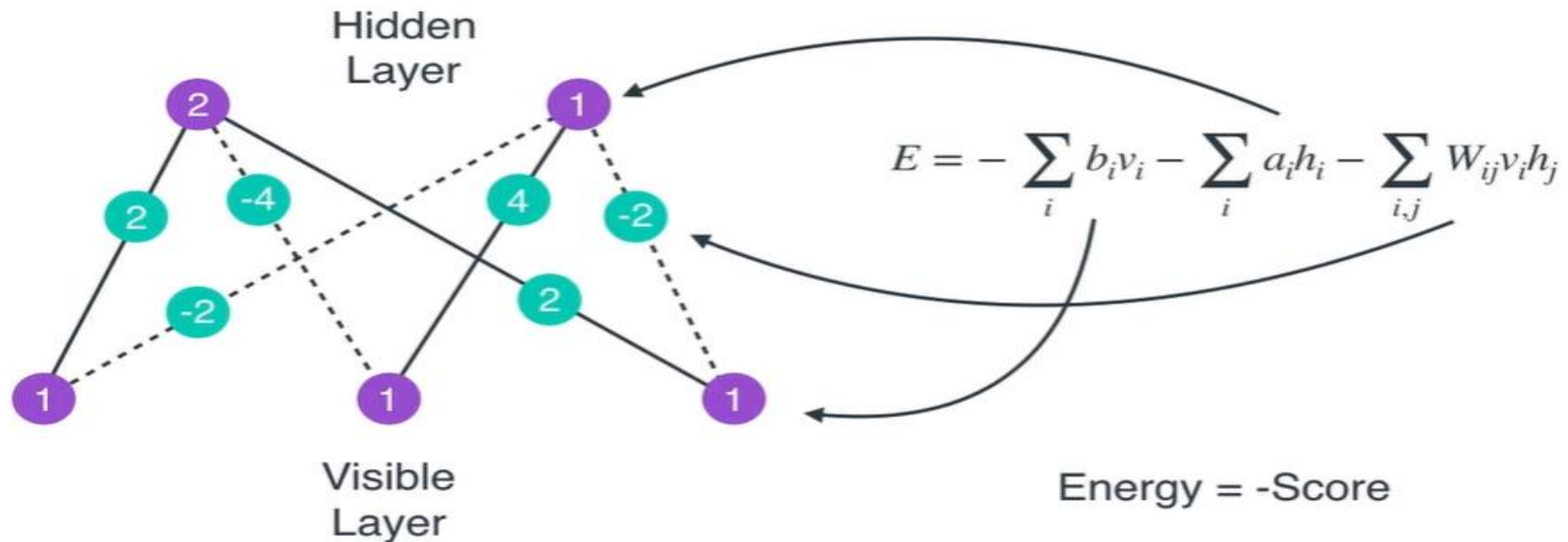
Score=Add all the weights in each Scenario



Scenario	Score
None	0
A	1
B	1
C	1
D	2
E	1
AB	2
AC	2
AD	5
AE	0
BC	2
BD	-2
BE	7
CD	5
CE	0
DE	3
ABC	3
ABD	1
ABE	6
ACD	8
ACE	-1
ADE	4
BCD	1
BCE	6
BDE	4
CDE	4
ABCD	4
ABCE	5
ABDE	5
ACDE	5
BCDE	5
ABCDE	6

Restricted Boltzmann Machine

Energy of the RBM is the negative of the sum of the scores of the weights of hidden layer and visible layer.



Restricted Boltzmann Machine

Consider Three Scores(3,2,1) and find the probabilities

Scores to probabilities

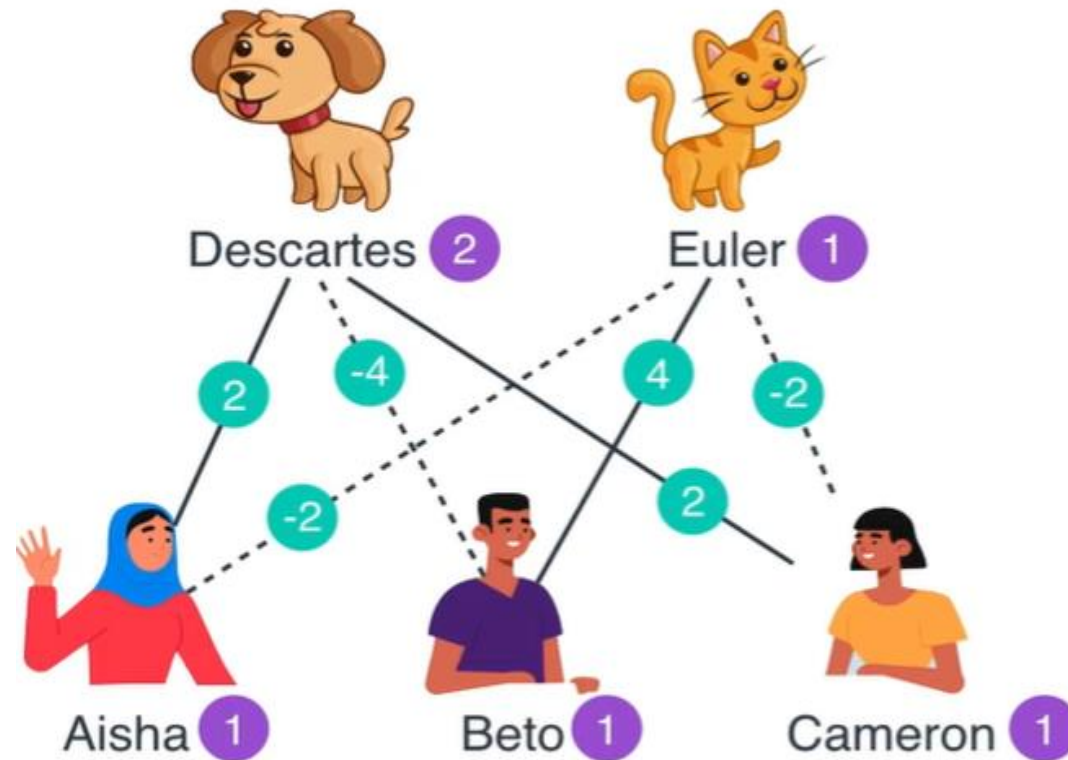
Score	Probability
3	$1/2$
2	$1/3$
1	$1/6$
Sum = 6	Sum = 1

Restricted Boltzmann Machine..

Scores to probabilities

Score	e^{score}	Normalize
1	$e^1 = 2.718$	0.665
0	$e^0 = 1$	0.245
-1	$e^{-1} = 0.368$	0.09
Sum = 4.086		Sum = 1

Restricted Boltzmann Machine..

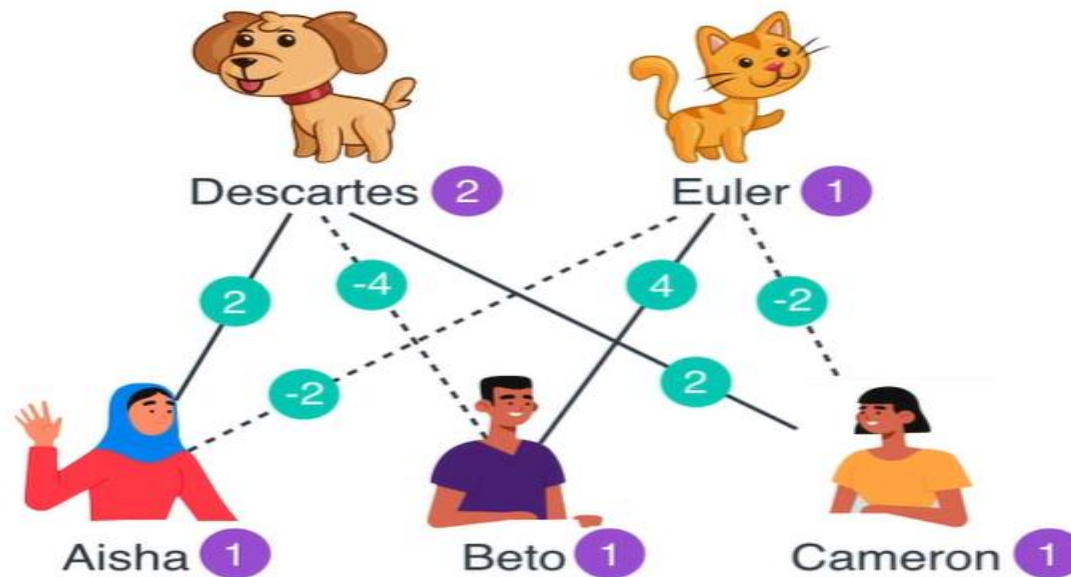


Scenario	Score	e ^{Score}	Probability
None	0	1	0
A	1	2.72	0
B	1	2.72	0
C	1	2.72	0
D	2	7.38	0
E	1	2.72	0
AB	2	7.38	0
AC	2	7.38	0
AD	5	148.41	0.02
AE	0	2.72	0
BC	2	7.38	0
BD	-2	0.14	0
BE	7	1096.63	0.17
CD	5	148.41	0.02
CE	0	1	0
DE	3	20.08	0
ABC	3	20.08	0
ABD	1	2.72	0
ABE	6	403.43	0.06
ACD	8	2980.96	0.45
ACE	-1	0.37	0
ADE	4	54.6	0
BCD	1	2.72	0
BCE	6	403.43	0.06
BDE	4	54.6	0
CDE	4	54.6	0
ABCD	4	54.6	0.02
ABCE	5	148.41	0.02
ABDE	5	148.41	0.02

Restricted Boltzmann Machine..

Maximum Likelihood probability is highlighted in Blue.

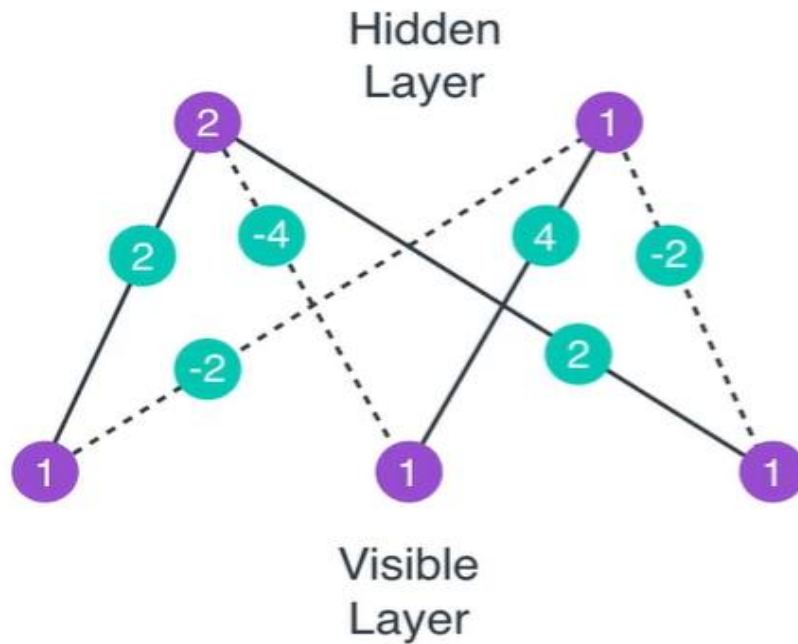
Least Likelihood probability is highlighted in Red.



Scenario	Score	e Score	Probability
None	0	1	0
A	1	2.72	0
B	1	2.72	0
C	1	2.72	0
D	2	7.38	0
E	1	2.72	0
AB	2	7.38	0
AC	2	7.38	0
AD	5	148.41	0.02
AE	0	2.72	0
BC	2	7.38	0
BD	-2	0.14	0
BE	7	1096.63	0.17
CD	5	148.41	0.02
CE	0	1	0
DE	3	20.08	0
ABC	3	20.08	0
ABD	1	2.72	0
ABE	6	403.43	0.06
ACD	8	2980.96	0.45
ACE	-1	0.37	0
ADE	4	54.6	0
BCD	1	2.72	0
BCE	6	403.43	0.06
BDE	4	54.6	0
CDE	4	54.6	0
ABCD	4	54.6	0.02
ABCE	5	148.41	0.02
ABDE	5	148.41	0.02

Restricted Boltzmann Machine..

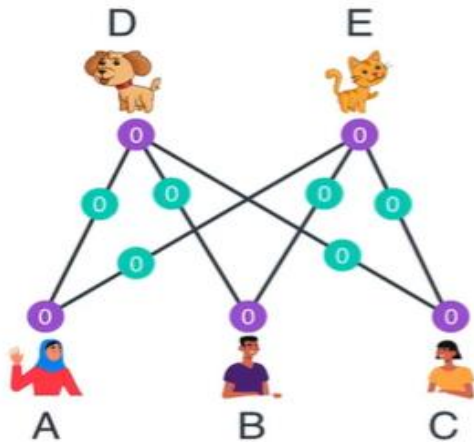
Energy to probability



$$E = - \sum_i b_i v_i - \sum_i a_i h_i - \sum_{i,j} W_{ij} v_i h_j$$

$$p(v, h) = \frac{1}{Z} e^{-E(v, h)} \quad Z = \sum_{v, h} e^{-E(v, h)}$$

How to Train RBM







Scenario	Score	eScore	Probability
None	0	1	1/32
A	0	1	1/32
B	0	1	1/32
C	0	1	1/32
D	0	1	1/32
E	0	1	1/32
AB	0	1	1/32
AC	0	1	1/32
AD	0	1	1/32
AE	0	1	1/32
BC	0	1	1/32
BD	0	1	1/32
BE	0	1	1/32
CD	0	1	1/32
CE	0	1	1/32
DE	0	1	1/32




Scenario	Score	eScore	Probability
ABC	0	1	1/32
ABD	0	1	1/32
ABE	0	1	1/32
ACD	0	1	1/32
ACE	0	1	1/32
ADE	0	1	1/32
BCD	0	1	1/32
BCE	0	1	1/32
BDE	0	1	1/32
CDE	0	1	1/32
ABCD	0	1	1/32
ABCE	0	1	1/32
ABDE	0	1	1/32
ACDE	0	1	1/32
BCDE	0	1	1/32
ABCDE	0	1	1/32

How to Train RBM...

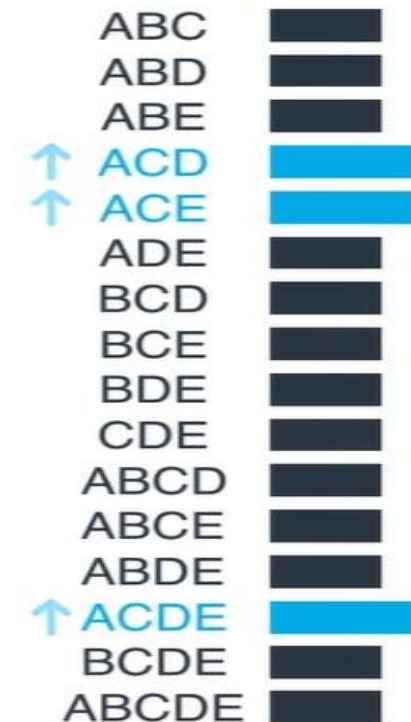
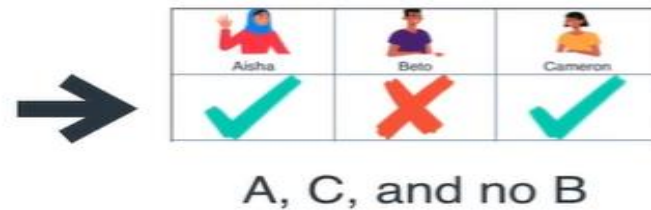
Consider the scenario –Aisha and Cameron are show up, then the probability of all the cases with Aisha and Cameron - Maximum .

		
✓	✗	✓
✗	✓	✗
✓	✗	✓
✓	✗	✓
✗	✓	✗
✓	✗	✓
✗	✓	✗
✓	✗	✓
✓	✗	✓
✓	✗	✓

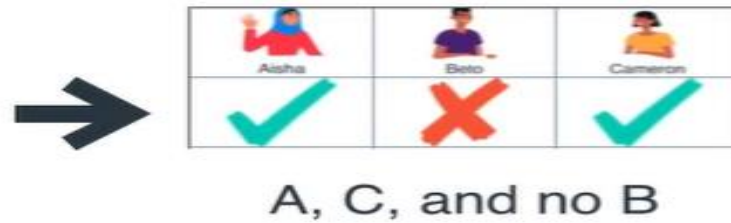
None	
A	
B	
C	
D	
E	
AB	
AC	
AD	
AE	
BC	
BD	
BE	
CD	
CE	
DE	

ABC	
ABD	
ABE	
ACD	
ACE	
ADE	
BCD	
BCE	
BDE	
CDE	
ABCD	
ABCE	
ABDE	
ACDE	
BCDE	
ABCDE	

Probability of all the scenario with A,C and no B will be Maximum



Probability of all the scenario except A,C and no B will be less

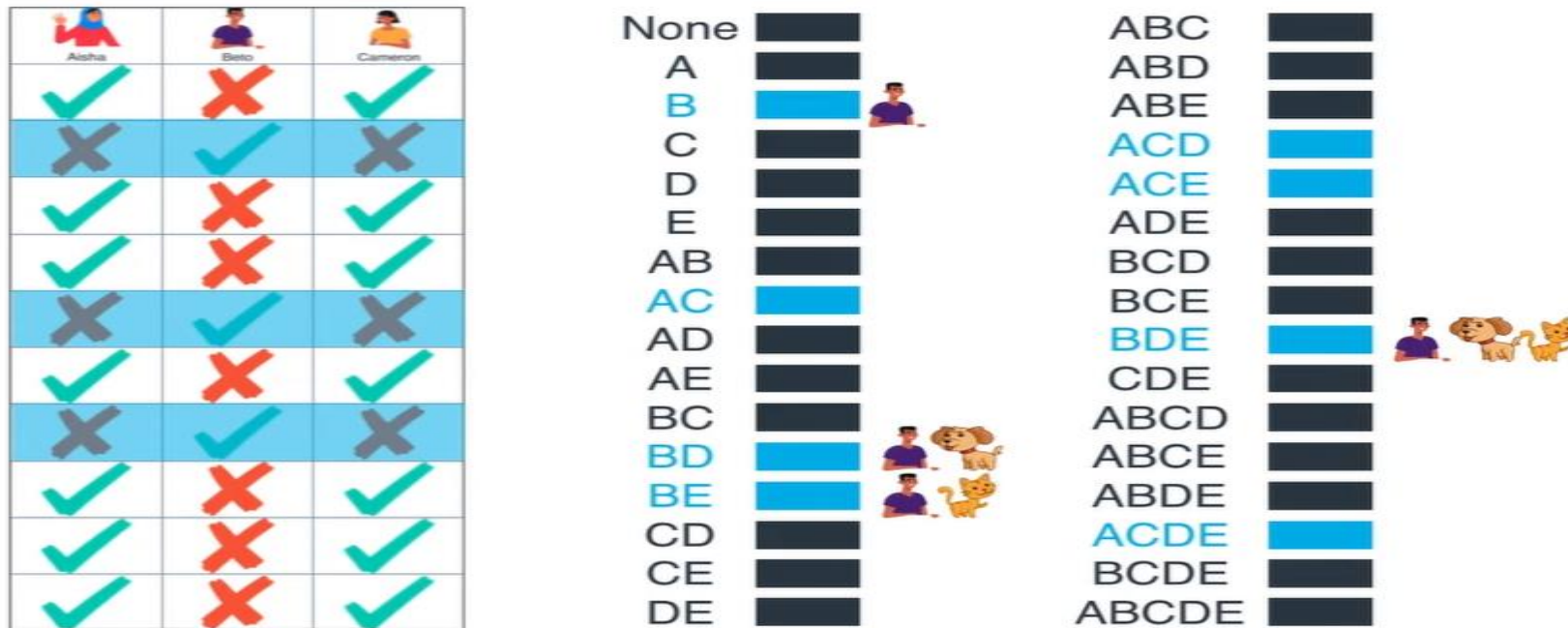


↓	None	█
↓	A	█
↓	B	█
↓	C	█
↓	D	█
↓	E	█
↓	AB	█
↓	AC	█
↓	AD	█
↓	AE	█
↓	BC	█
↓	BD	█
↓	BE	█
↓	CD	█
↓	CE	█
↓	DE	█

↓	ABC	█
↓	ABD	█
↓	ABE	█
↓	ACD	█
↓	ACE	█
↓	ADE	█
↓	BCD	█
↓	BCE	█
↓	BDE	█
↓	CDE	█
↓	ABCD	█
↓	ABCE	█
↓	ABDE	█
↓	ACDE	█
↓	BCDE	█
↓	ABCDE	█

How to Train RBM...




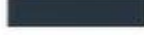












Consider the scenario –Beto shows up, then the probability of all the cases with Beto has to be Maximum.



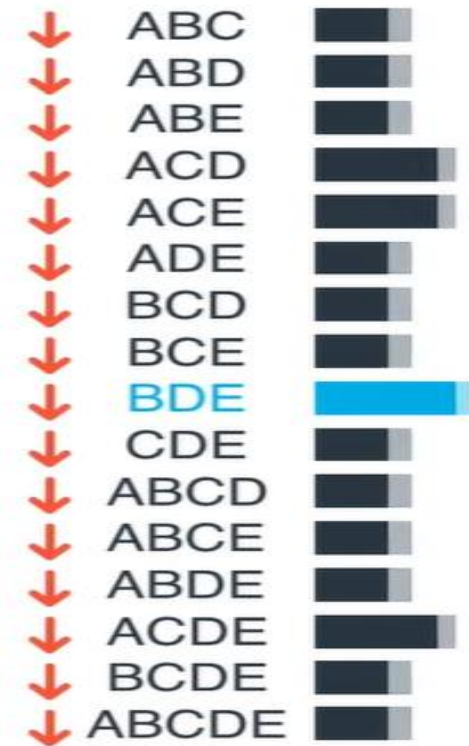
How to Train RBM...



None	
A	
↑ B	
C	
D	
E	
AB	
AC	
AD	
AE	
BC	
↑ BD	
↑ BE	
CD	
CE	
DE	

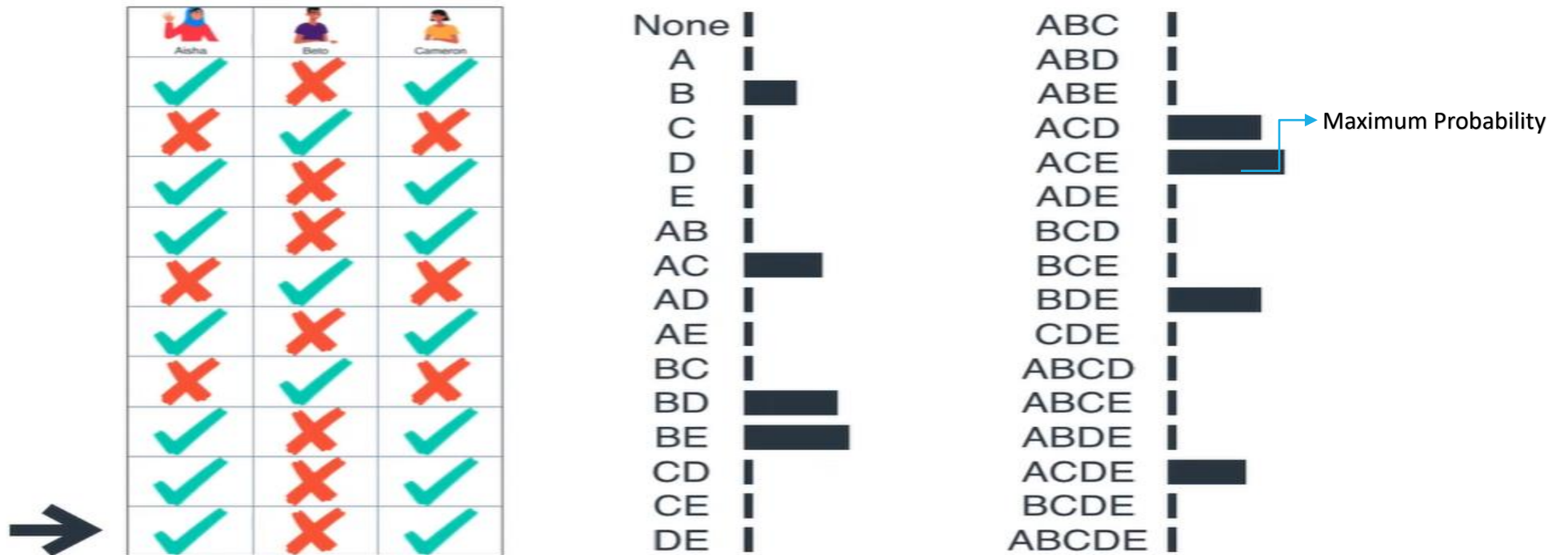
ABC	
ABD	
ABE	
ACD	
ACE	
ADE	
BCD	
BCE	
↑ BDE	
CDE	
ABCD	
ABCE	
ABDE	
ACDE	
BCDE	
ABCDE	

How to Train RBM...



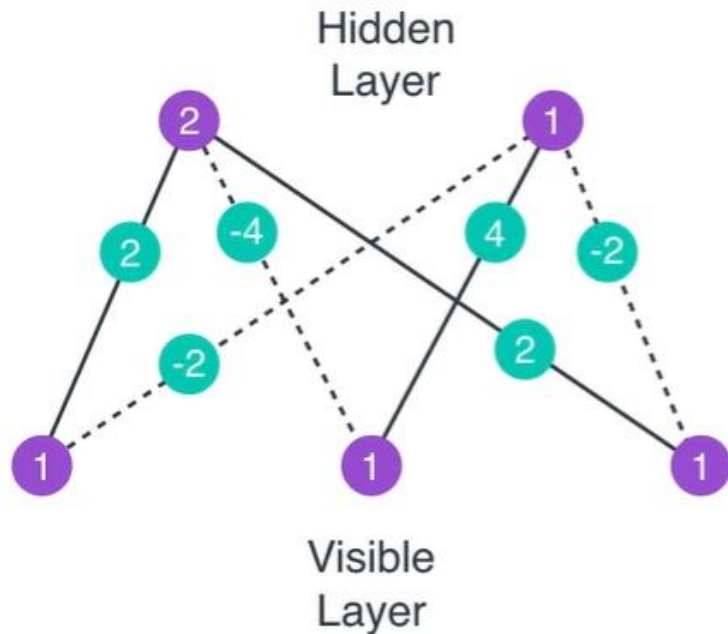
How to Train RBM...

Probability of the cases in the scenario must be maximum



Finding the maximum Probability

Maximizing the probability of the data





Find $\arg \max_W \prod_{v \in V} P(v)$

Maximize $\arg \max_W \mathbb{E}[\log P(v)]$

Derivative: $\frac{\partial}{\partial W} \log P(v_n)$

$= \mathbb{E} \left[\frac{\partial}{\partial W} - E(v, h) \mid v = v_n \right] - \mathbb{E} \left[\frac{\partial}{\partial W} - E(v, h) \right]$

Deep Belief Network(DBN)(Explain RBM)

