Chess is a very popular game played by hundreds of millions of people. Nowadays, we have chess engines such as <u>Stockfish</u> and <u>Komodo</u> to help us analyze games. These engines are very powerful pieces of well-developed software that use intelligent ideas and algorithms to analyze positions and sequences of moves, as well as to find tactical ideas. Consider the following simplified version of chess:

- Board:
  - $\circ$  It's played on a  $4 \times 4$  board between two players named *Black* and *White*.
  - Rows are numbered from 1 to 4, where the top row is 4 and the bottom row is 1.
  - $\circ$  Columns are lettered from A to D, where the leftmost column is A and the rightmost column is D.
- Pieces and Movement:
  - $\circ$  *White* initially has  $oldsymbol{w}$  pieces and *Black* initially has  $oldsymbol{b}$  pieces.
  - There are no Kings on the board. Each player initially has exactly **1** Queen, at most **2** Pawns, at most **2** Rooks, and at most **2** minor pieces (i.e., a Bishop and/or Knight).
  - White's Pawns move up the board, while Black's Pawns move down the board.
  - Each move made by any player counts as a single move.
  - Each piece's possible moves are the same as in <u>classical chess</u>, with the following exceptions:
    - Pawns *cannot* move two squares forward.
    - The <u>en passant</u> move is not possible.
  - *Promotion*:
    - Pawns promote to either a Bishop, Knight, or Rook when they reach the back row (promotion to a Queen is not allowed).
    - The players *must* perform promotions whenever possible. This means *White* must promote their Pawns when they reach any cell in the top row, and *Black* must promote their Pawns when they reach any cell in the bottom row.
- Objective:
  - The goal of the game is to capture the opponent's Queen without losing your own.
  - There will never be a draw or tie scenario like you might see in classical chess.

Given m and the layout of pieces for g games, implement a very basic engine for our simplified version of chess that determines whether or not White can win in  $\leq m$  moves (regardless of how Black plays) if White always moves first. For each game, print YES on a new line if White can win in  $\leq m$  moves; otherwise, print NO.

### **Input Format**

The first line contains an integer, g, denoting the number of games. The subsequent lines describe each game in the following format:

- The first line contains three space-separated integers describing the respective values of  $\boldsymbol{w}$  (the number of white pieces),  $\boldsymbol{b}$  (the number of black pieces), and  $\boldsymbol{m}$  (the maximum number of moves we want to know if *White* can win in).
- The w+b subsequent lines describe each chess piece in the form t c r, where t is a character  $\in \{Q,N,B,R,P\}$  denoting the type of piece (where Q is Queen, N is Knight, B is Bishop, R is Rook, and P is a Pawn), and c and r denote the respective column and row on the board where the figure is located (where  $c \in \{A,B,C,D\}$  and  $r \in \{1,2,3,4\}$ ). These inputs are given as follows:
  - $\circ$  Each of the first  $\boldsymbol{w}$  lines describes the type and location of a *White* piece.
  - $\circ$  Each of the subsequent **b** lines describes the type and location of a *Black* piece.

#### **Constraints**

- $1 \le g \le 1000$
- $1 \leq w, b \leq 7$
- $1 \le m \le 6$
- Each player has exactly **1** Queen, at most **2** Pawns, at most **2** Rooks, and at most **2** minor pieces (i.e., a Bishop and/or Knight).
- It is guaranteed that the initial location of each chess piece is distinct.
- No pawn is initially placed in a row where it would promote.

### **Output Format**

For each of the g games of simplified chess, print whether or not White can win in  $\leq m$  moves on a new line. If it's possible, print YES; otherwise, print NO instead.

# Sample Input 0

1 2 1 1

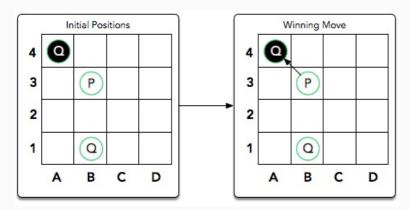
Q B 1 P B 3 Q A 4

## **Sample Output 0**

YES

## **Explanation 0**

We play the following  $\emph{g}=\emph{1}$  game of simplified chess:



White wins by moving their Pawn to  ${\it A4}$  and capturing  ${\it Black}$ 's Queen, so we print YES on a new line.