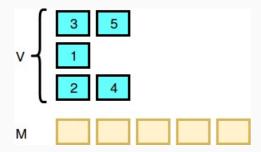
Watson gave Sherlock a collection of arrays  $oldsymbol{V}$ . Here each  $oldsymbol{V_i}$  is an array of variable length. It is guaranteed that if you merge the arrays into one single array, you'll get an array, M, of n distinct integers in the range [1, n].

Watson asks Sherlock to merge  $oldsymbol{V}$  into a sorted array. Sherlock is new to coding, but he accepts the challenge and writes the following algorithm:

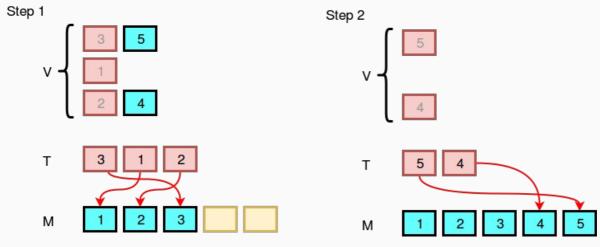
- $M \leftarrow []$  (an empty array).
- $k \leftarrow$  number of arrays in the collection V.
- ullet While there is at least one non-empty array in  $oldsymbol{V}$ :
  - $\circ \ T \leftarrow [\ ] \ (\text{an empty array}) \ \text{and} \ i \leftarrow 1.$
  - While i < k:

    - $\begin{tabular}{ll} \blacksquare & \mbox{If $V_i$ is not empty:} \\ \blacksquare & \mbox{Remove the first element of $V_i$ and push it to $T$.} \end{tabular}$
  - $\circ$  While T is not empty:
    - lacksquare Remove the minimum element of T and push it to M.
- Return M as the *output*.

Let's see an example. Let V be  $\{[3,5],[1],[2,4]\}$ .



The image below demonstrates how Sherlock will do the merging according to the algorithm:



Sherlock isn't sure if his algorithm is correct or not. He ran Watson's input, V, through his pseudocode algorithm to produce an output,  $m{M}$ , that contains an array of  $m{n}$  integers. However, Watson forgot the contents of  $ec{V}$  and only has Sherlock's  $oldsymbol{M}$  with him! Can you help Watson reverse-engineer  $oldsymbol{M}$  to get the original contents of V?

Given m, find the number of different ways to create collection V such that it produces m when given to Sherlock's algorithm as *input*. As this number can be quite large, print it modulo  $10^9 + 7$ .

## **Notes:**

- Two collections of arrays are *different* if one of the following is *true*:
  - Their sizes are different.
  - Their sizes are the same but at least one array is present in one collection but not in the other.
- Two arrays,  $\boldsymbol{A}$  and  $\boldsymbol{B}$ , are different if one of the following is true:
  - Their sizes are different.
  - $\circ$  Their sizes are the same, but there exists an index i such that  $a_i \neq b_i$ .

## **Input Format**

The first line contains an integer, n, denoting the size of array M. The second line contains n space-separated integers describing the respective values of  $m_0, m_1, \ldots, m_{n-1}$ .

#### **Constraints**

- $\begin{array}{ll} \bullet & 1 \leq n \leq 1200 \\ \bullet & 1 \leq m_i \leq n \end{array}$
- **Output Format**

Print the number of different ways to create collection V, modulo  $10^9 + 7$ .

## Sample Input 0

3 1 2 3

### Sample Output 0

4

#### **Explanation 0**

There are four distinct possible collections:

```
1. V = \{[1, 2, 3]\}
2. V = \{[1], [2], [3]\}
3. V = \{[1, 3], [2]\}
4. V = \{[1], [2, 3]\}.
```

Thus, we print the result of  $4 \mod (10^9 + 7) = 4$  as our answer.

## **Sample Input 1**

2 2 1

# **Sample Output 1**

1

#### **Explanation 1**

The only distinct possible collection is  $V = \{[2,1]\}$ , so we print the result of  $1 \mod (10^9 + 7) = 1$  as our answer.