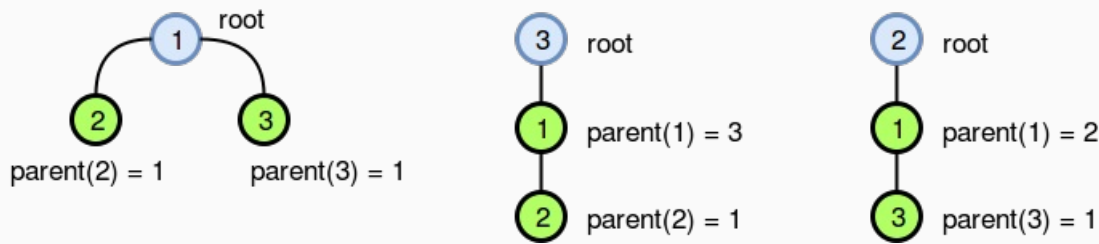


One day Bob drew a [tree](#), T , with n nodes and $n - 1$ edges on a piece of paper. He soon discovered that parent of a node depends on the root of the tree. The following images shows an example of that:



Learning the fact, Bob invented an exciting new game and decided to play it with Alice. The rules of the game is described below:

1. Bob picks a random node to be the tree's *root* and keeps the identity of the chosen node a secret from Alice. Each node has an equal probability of being picked as the root.
2. Alice then makes a list of g guesses, where each guess is in the form $u \ v$ and means Alice guesses that $\text{parent}(v) = u$ is *true*. It's guaranteed that an undirected edge connecting u and v exists in the tree.
3. For each correct guess, Alice earns one point. Alice wins the game if she earns at least k points (i.e., at least k of her guesses were *true*).

Alice and Bob play q games. Given the tree, Alice's guesses, and the value of k for each game, find the probability that Alice will win the game and print it on a new line as a reduced fraction in the format p/q .

Input Format

The first line contains an integer, q , denoting the number of different games. The subsequent lines describe each game in the following format:

1. The first line contains an integer, n , denoting the number of nodes in the tree.
2. The $n - 1$ subsequent lines contain two space-separated integers, u and v , defining an undirected edge between nodes u and v .
3. The next line contains two space-separated integers describing the respective values of g (the number of guesses) and k (the minimum score needed to win).
4. Each of the g subsequent lines contains two space-separated integers, u and v , indicating Alice guesses $\text{parent}(v) = u$.

Constraints

- $1 \leq q \leq 5$
- $1 \leq n \leq 10^5$
- $1 \leq u, v \leq n$
- $1 \leq g, k \leq 10^5$
- The sum of n over all test cases won't exceed 2×10^5 .
- No two guesses will be identical.

Scoring

- For **25%** of the maximum score, $1 \leq n \leq 10^3$.
- For **100%** of the maximum score, $1 \leq n \leq 10^5$.

Output Format

Print the probability as a reduced fraction in the format p/q .

Note: Print $0/1$ if the probability is **0** and print $1/1$ if the probability is **1**.

Sample Input 0

2
4

1 2
 1 3
 3 4
 2 2
 1 2
 3 4
 3
 1 2
 1 3
 2 2
 1 2
 1 3

Sample Output 0

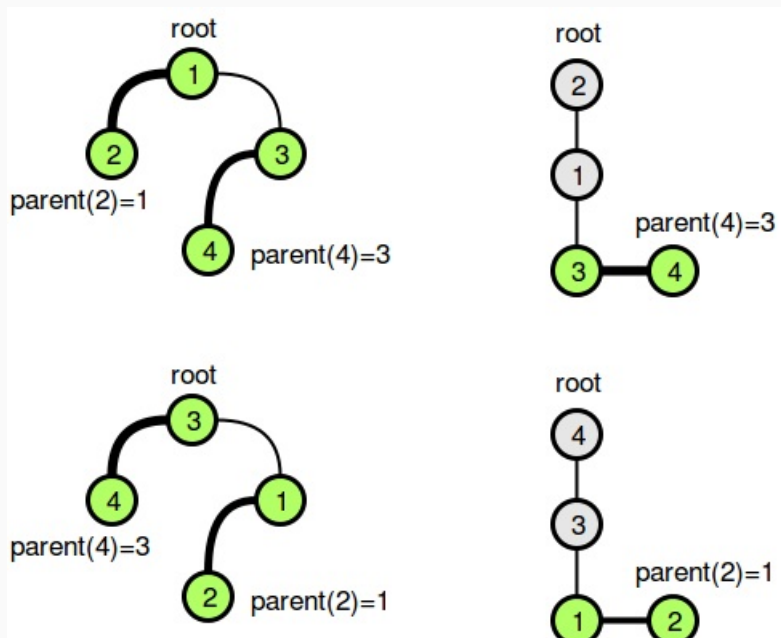
1/2
 1/3

Explanation 0

Alice and Bob play the following $g = 2$ games:

1. Alice makes two guesses, **(1 2)** and **(3 4)**, meaning she guessed that ***parent*(2) = 1** and ***parent*(4) = 3**. To win the game, at least $k = 2$ of her guesses must be *true*.

In the diagrams below, you can see that at least **2** guesses are *true* if the root of the tree is either node **1** or **3**:



There are **4** nodes in total and the probability of picking node **1** or **3** as the root is $\frac{2}{4}$, which reduces to $\frac{1}{2}$.

2. In this game, Alice only wins if node **1** is the root of the tree. There are **3** nodes in total, and the probability of picking node **1** as the root is $\frac{1}{3}$.