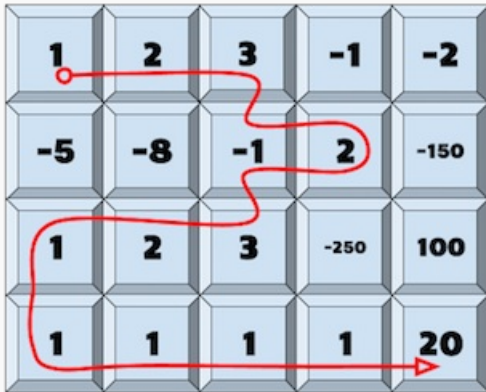


You are playing a matrix-based game with the following setup and rules:

- You are given a matrix **A** with **n** rows and **m** columns. Each cell contains some points. When a player passes a cell their score increases by the number written in that cell and the number in the cell becomes **0**. (If the cell number is positive their score increases, otherwise it decreases.)
- The player starts from any cell in the *first* row and can move *left*, *right* or *down*.
- The game is over when the player reaches the *last* row and stops moving.



Print the maximum score that the player can get.

Input Format

The first line contains n and m . The next n lines contain m numbers each, j^{th} number in i^{th} line denotes the number that is written on cell $A_{i,j}$.

Constraints

- $1 \leq n \times m \leq 4 \times 10^6$
- $-250 \leq A_{i,j} \leq 250$

Subtasks

- for **20%** tests $1 \leq n, m \leq 40$.
- for **20%** tests $40 < n, m \leq 500$.

Output Format

Print the maximum score that the player can get.

Sample Input 0

$$\begin{array}{ccccc} 4 & 5 & & & \\ 1 & 2 & 3 & -1 & -2 \\ -5 & -8 & -1 & 2 & -150 \\ 1 & 2 & 3 & -250 & 100 \\ 1 & 1 & 1 & 1 & 20 \end{array}$$

Sample Output 0

37

Explanation 0

Refer the image given in statement, the path followed is **1, 2, 3, -1, 2, -1, 3, 2, 1, 1, 1, 1, 1, 20** summing upto **37**.

Note that, -1 is traversed 2 times, but the second time it only contributes 0 to the sum.

