A tree, t, has n vertices numbered from 1 to n and is rooted at vertex 1. Each vertex i has an integer weight, w_i, associated with it, and t's *total weight* is the sum of the weights of its nodes. A single *remove operation* removes the subtree rooted at some arbitrary vertex u from tree t.

Given t, perform up to k remove operations so that the total weight of the remaining vertices in t is maximal. Then print t's maximal total weight on a new line.

Note: If t's total weight is already maximal, you may opt to remove 0 nodes.

Input Format

The first line contains two space-separated integers, n and k, respectively.
The second line contains n space-separated integers describing the respective weights for each node in the tree, where the i^{th} integer is the weight of the i^{th} vertex.
Each of the $n-1$ subsequent lines contains a pair of space-separated integers, u and v, describing an edge connecting vertex u to vertex v.

Constraints

- $2 \leq n \leq 10^5$
- $1 \leq k \leq 200$
- $1 \leq i \leq n$
- $-10^9 \leq w_i \leq 10^9$

Output Format

Print a single integer denoting the largest total weight of t's remaining vertices.

Sample Input

```
5 2
1 1 -1 -1 -1
1 2
2 3
4 1
4 5
```

Sample Output

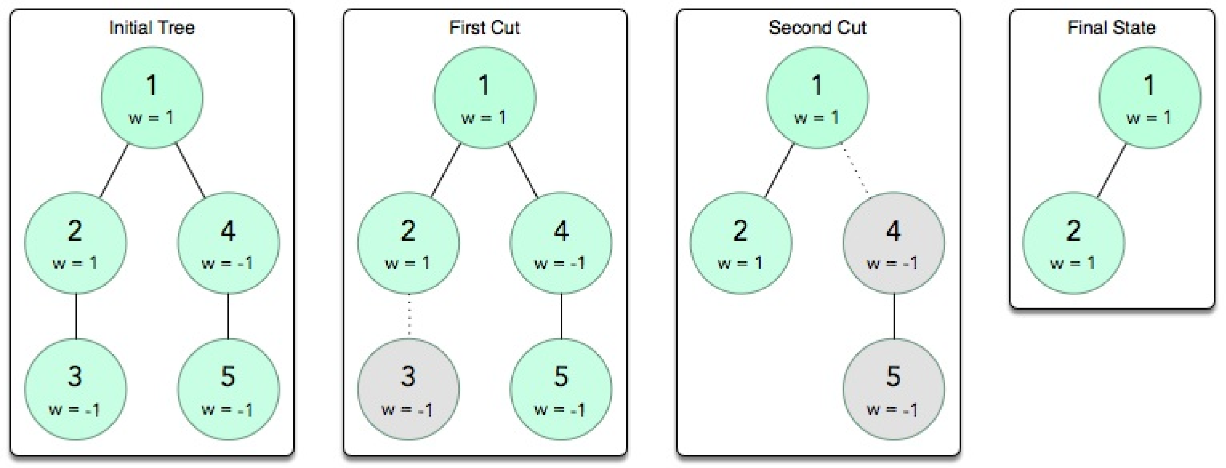
```
2
```

Explanation

We perform 2 remove operations:

1. Remove the subtree rooted at node 3. Losing this subtree's -1 weight increases the tree's total weight by 1.
2. Remove the subtree rooted at node 4. Losing this subtree's -2 weight increases the tree's total weight by 2.

The sum of our remaining positively-weighted nodes is $1+1=2$, so we print 2 on a new line.


Initial Tree
1
w = 1
2
w = 1
4
w = -1
3
w = -1
5
w = -1
First Cut
1
w = 1
2
w = 1
4
w = -1
3
w = -1
5
w = -1
Second Cut
1
w = 1
2
w = 1
4
w = -1
5
w = -1
Final State
1
w = 1
2
w = 1