You have a rooted tree with n vertices numbered from 1 through n where the root is vertex 1.

You are given m triplets, the  $j^{th}$  triplet is denoted by three integers  $u_j, v_j, c_j$ . The  $j^{th}$  triplet represents a simple path in the tree with endpoints in  $u_i$  and  $v_i$  such that  $u_i$  is ancestor of  $v_i$ . The cost of the path is  $c_i$ .

You have to select a subset of the paths such that the sum of path costs is maximum and the  $i^{th}$  edge of the tree belongs to at most  $d_i$  paths from the subset. Print the sum as the output.

# **Input Format**

The first line contains a single integer, T, denoting the number of testcases. Each testcase is defined as follows:

- ullet The first line contains two space-separated integers,  $oldsymbol{n}$  (the number of vertices) and  $oldsymbol{m}$  (the number of paths), respectively.
- ullet Each line i of the n-1 subsequent lines contains three space-separated integers describing the respective values of  $a_i$ ,  $b_i$ , and  $d_i$  where  $(a_i, b_i)$  is an edge in the tree and  $d_i$  is maximum number of paths which can include this edge.
- ullet Each line of the  $oldsymbol{m}$  subsequent lines contains three space-separated integers describing the respective values of  $u_i$ ,  $v_i$ , and  $c_i$  ( $u_i \neq v_i$ ) that define the  $j^{th}$  path and its cost.

### **Constraints**

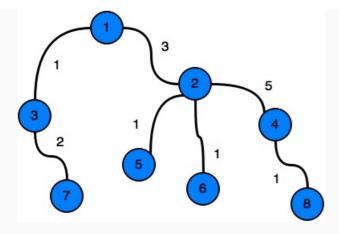
- Let M be the sum of m over all the trees.
- Let  ${m D}$  be the sum of  ${m n} imes {m m}$  over all the trees.
- $1 < T < 10^3$
- $1 < M, m < 10^3$
- $1 \le D, n \le 5 \times 10^5$
- $\begin{array}{ll} \bullet & 1 \leq c_i \leq 10^9 \\ \bullet & 1 \leq d_j \leq m \end{array}$

#### **Output Format**

You must print T lines, where each line contains a single integer denoting the answer for the corresponding testcase.

## **Sample Input**

### **Sample Output**



One of the possible subsets contains paths 1, 2, 4, 5, 6, 7. Its total cost is 3+5+8+10+5+6=37.