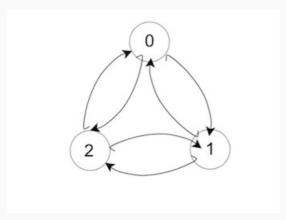
We define the <u>diameter</u> of a <u>strongly-connected</u> <u>oriented</u> graph, G=(V,E), as the minimum integer dsuch that for each $u, v \in G$ there is a path from u to v of length < d (recall that a path's length is its number of edges).

Given two integers, n and m, build a strongly-connected oriented graph with n vertices where each vertex has outdegree m and the graph's diameter is as small as possible (see the Scoring section below for more detail). Then print the graph according to the *Output Format* specified below.

Here's a sample strongly-connected oriented graph with 3 nodes, whose outdegree is 2 and diameter is 1.



Note: Cycles and multiple edges between vertices are allowed.

Input Format

Two space-separated integers describing the respective values of n (the number of vertices) and m (the outdegree of each vertex).

Constraints

- $2 \le n \le 1000$ $2 \le m \le \min(n, 5)$

Scoring

We denote the diameter of your graph as d and the diameter of the graph in the author's solution as s. Your score for each test case (as a real number from 0 to 1) is:

- 1 if $d \le s+1$ $\frac{s}{d}$ if $s+1 < d \le 5 \times s$
- $0 \text{ if } 5 \times s < d$

Output Format

First, print an integer denoting the diameter of your graph on a new line.

Next, print n lines where each line i ($0 \le i < n$) contains m space-separated integers in the inclusive range from 0 to n-1 describing the endpoints for each of vertex i's outbound edges.

Sample Input 0

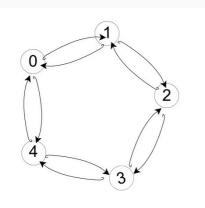
5 2

Sample Output 0

- 1 4
- 2 0
- 3 1
- 4 2
- 0 3

Explanation 0

The diagram below depicts a strongly-connected oriented graph with n=5 nodes where each node has an outdegree of m=2:



The diameter of this graph is d=2, which is minimal as the outdegree of each node must be m. We cannot construct a graph with a smaller diameter of d=1 because it requires an outbound edge from each vertex to each other vertex in the graph (so the outdegree of that graph would be n-1).