John lives in HackerLand, a country with  $m{N}$  cities and  $m{M}$  bidirectional roads. Each of the roads has a distinct length, and each length is a power of two (i.e., 2 raised to some exponent). It's possible for John to reach any city from any other city.

Given a map of HackerLand, can you help John determine the sum of the minimum distances between each pair of cities? Print your answer in binary representation.

## **Input Format**

The first line contains two space-seperated integers denoting  $m{N}$  (the number of cities) and  $m{M}$  (the number of roads), respectively.

Each line i of the M subsequent lines contains the respective values of  $A_i$ ,  $B_i$ , and  $C_i$  as three spaceseparated integers. These values define a bidirectional road between cities  $m{A_i}$  and  $m{B_i}$  having length  $2^{C_i}$ .

#### **Constraints**

- $egin{aligned} \bullet & 1 \leq N \leq 10^5 \ \bullet & 1 \leq M \leq 2 imes 10^5 \ \bullet & 1 \leq A_i, B_i \leq N, A_i 
  eq B_i \ \bullet & 0 \leq C_i < M \ \bullet & ext{If } i 
  eq j, ext{ then } C_i 
  eq C_j. \end{aligned}$

# **Output Format**

Find the sum of minimum distances of each pair of cities and print the answer in binary representation.

#### **Sample Input**

5 6

1 3 5

4 5 0 2 1 3

3 2 1

4 3 4

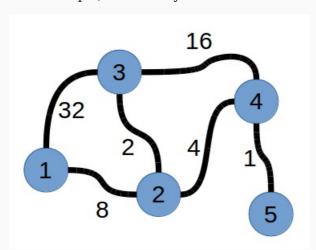
4 2 2

#### **Sample Output**

1000100

### **Explanation**

In the sample, the country looks like this:



Let d(x, y) be the minimum distance between city x and city y.

$$d(1,2) = 8$$

$$d(1,3) = 10$$
  
 $d(1,4) = 12$   
 $d(1,5) = 13$   
 $d(2,3) = 2$   
 $d(2,4) = 4$   
 $d(2,5) = 5$   
 $d(3,4) = 6$   
 $d(3,5) = 7$   
 $d(4,5) = 1$   
 $Sum = 8 + 10 + 12 + 13 + 2 + 4 + 5 + 6 + 7 + 1 = (68)_{10} = (1000100)_2$