

You will be given a list of integers, **arr**, and a single integer **k**. You must create an array of length **k** from elements of **arr** such that its *unfairness* is minimized. Call that array **subarr**. Unfairness of an array is calculated as

$$\max(\text{subarr}) - \min(\text{subarr})$$

Where:

- *max* denotes the largest integer in **subarr**.
- *min* denotes the smallest integer in **subarr**.

As an example, consider the array **[1, 4, 7, 2]** with a **k** of **2**. Pick any two elements, test **subarr = [4, 7]**.

$$\text{unfairness} = \max(4, 7) - \min(4, 7) = 7 - 4 = 3$$

Testing for all pairs, the solution **[1, 2]** provides the minimum unfairness.

Note: Integers in **arr** may not be unique.

Function Description

Complete the *maxMin* function in the editor below. It must return an integer that denotes the minimum possible value of *unfairness*.

maxMin has the following parameter(s):

- **k**: an integer, the number of elements in the array to create
- **arr**: an array of integers .

Input Format

The first line contains an integer **n**, the number of elements in array **arr**.

The second line contains an integer **k**.

Each of the next **n** lines contains an integer **arr[i]** where $0 \leq i < n$.

Constraints

$$2 \leq n \leq 10^5$$

$$2 \leq k \leq n$$

$$0 \leq \text{arr}[i] \leq 10^9$$

Output Format

An integer that denotes the minimum possible value of *unfairness*.

Sample Input 0

```
7
3
10
100
300
200
1000
20
30
```

Sample Output 0

```
20
```

Explanation 0

Here **k = 3**; selecting the **3** integers **10, 20, 30**, unfairness equals

$$\max(10, 20, 30) - \min(10, 20, 30) = 30 - 10 = 20$$

Sample Input 1

10
4
1
2
3
4
10
20
30
40
100
200

Sample Output 1

3

Explanation 1

Here $k = 4$; selecting the 4 integers **1,2,3,4**, unfairness equals

$$\max(1,2,3,4) - \min(1,2,3,4) = 4 - 1 = 3$$

Sample Input 2

5
2
1
2
1
2
1

Sample Output 2

0

Explanation 2

Here $k = 2$. $\text{subarr} = [2, 2]$ or $\text{subarr} = [1, 1]$ give the minimum unfairness of 0.