

**Name:** Udandaraao Sai Sandeep

**Roll Number:** 180123063

**Dept.:** Mathematics and Computing

### Q1.

To calculate the discrepancy, function '**func()**' was implemented. It takes in **N** as the input variable. The value of **n** has been set to **10000** for all cases. In each case, the  $[0,1]$  closed interval was divided into **N** equal intervals, and the number of  $x_i$ 's in each case was counted for each interval. **Vol(A)** is equal to  $1/N$ . This is because the lebesgue measure of a closed interval is equal to the length of the interval. The **discrepancy** was calculated by taking the maximum of **abs ( cnt(A)/n – vol(A) )** for all sub-intervals, where **cnt(A)** represents the number of  $x_i$ 's lying in A and **vol(A)** represents the lebesgue measure of A. The output obtained is as follows:

```
The supremum obtained for N = 10 is : 0.1
The supremum obtained for N = 20 is : 0.05
The supremum obtained for N = 50 is : 0.02
The supremum obtained for N = 100 is : 0.01
```

Table :

N	Discrepancy
10	0.1
20	0.05
50	0.02
100	0.01

**Output in Tabulated form:**

N	Discrepancy
10	0.1
20	0.05
50	0.02
100	0.01

With increase in the value of **N**, the discrepancy value decreases.