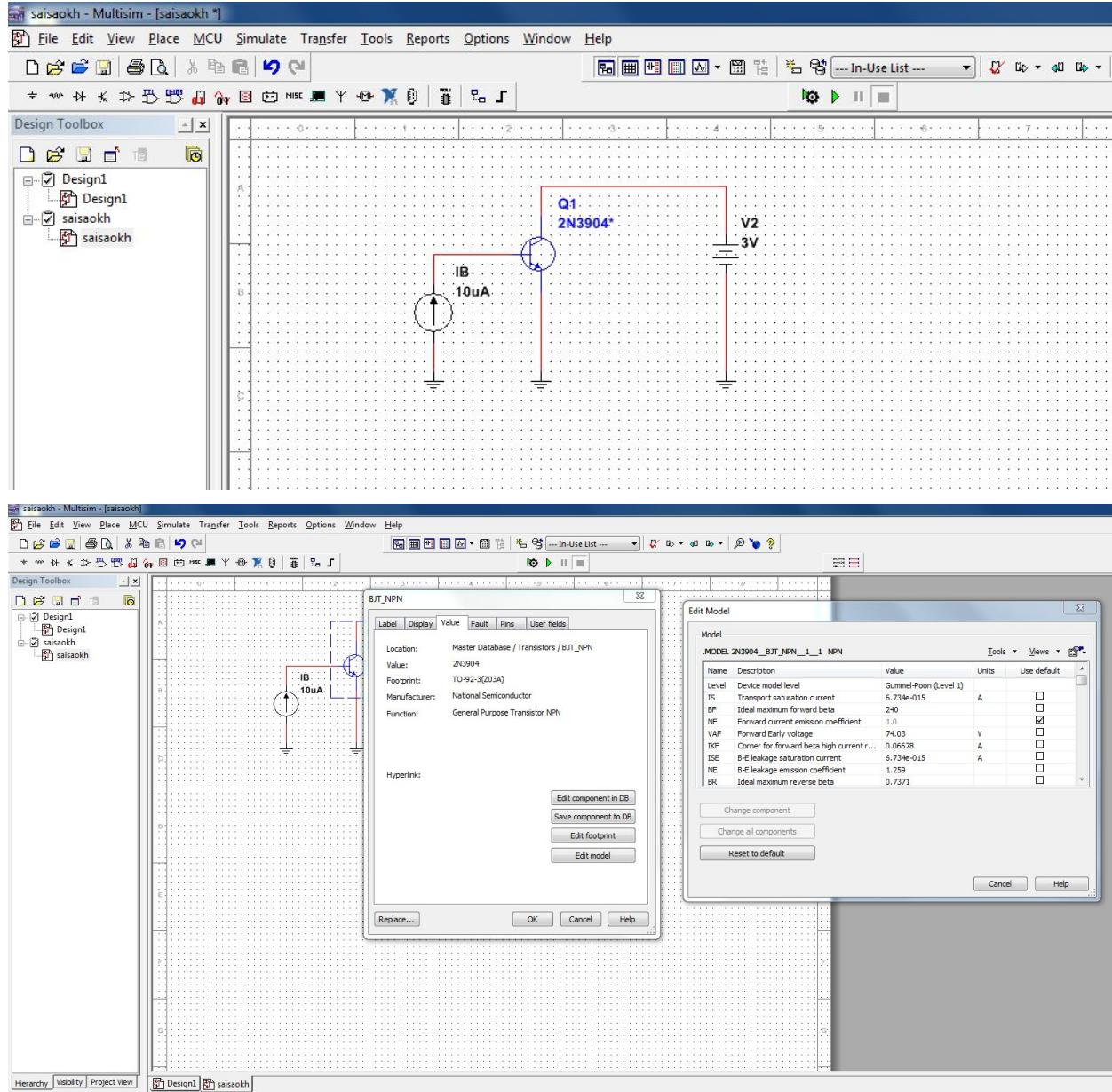


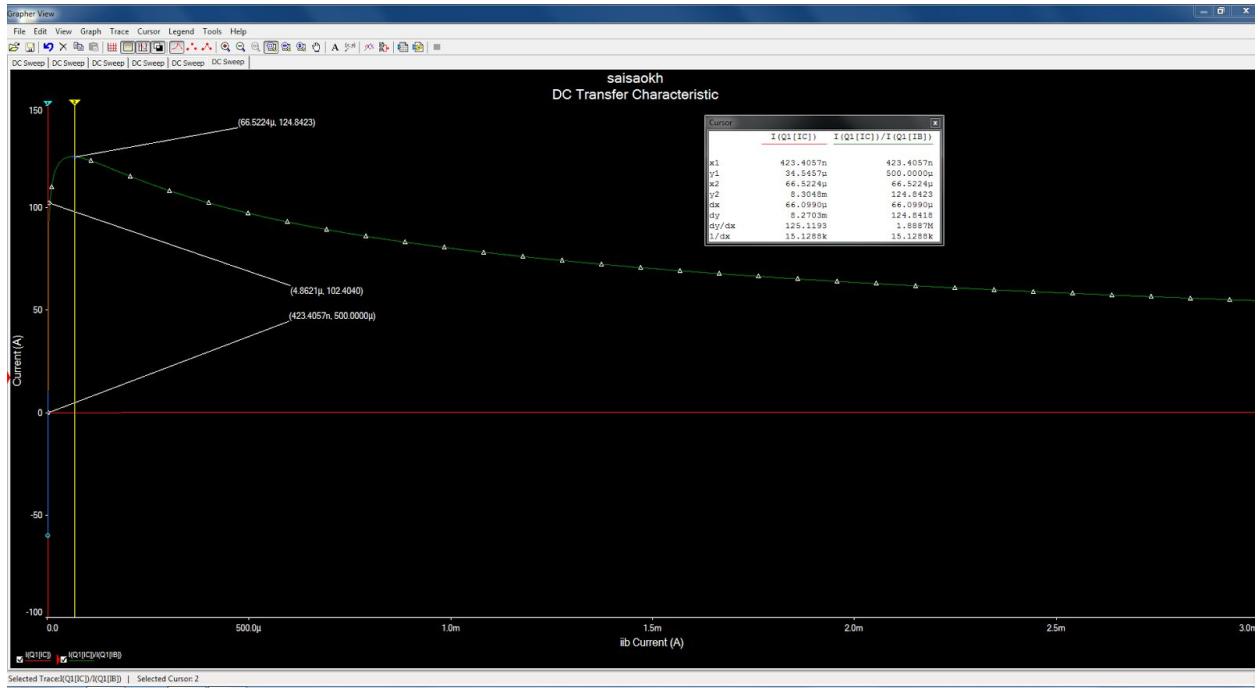
NAME: SAI SAO KHAM (50168989)
INSTRUCTOR DR. WIE
ASSIGNMENT EE 310 SIMULATION 3
DU^E DATE OCT 25 2016 (Extended Nov 1 2016)
REC SESSION: R6

3A (PART1)

Schematic



Plot IC/IB (which is equals to beta dc) versus IC



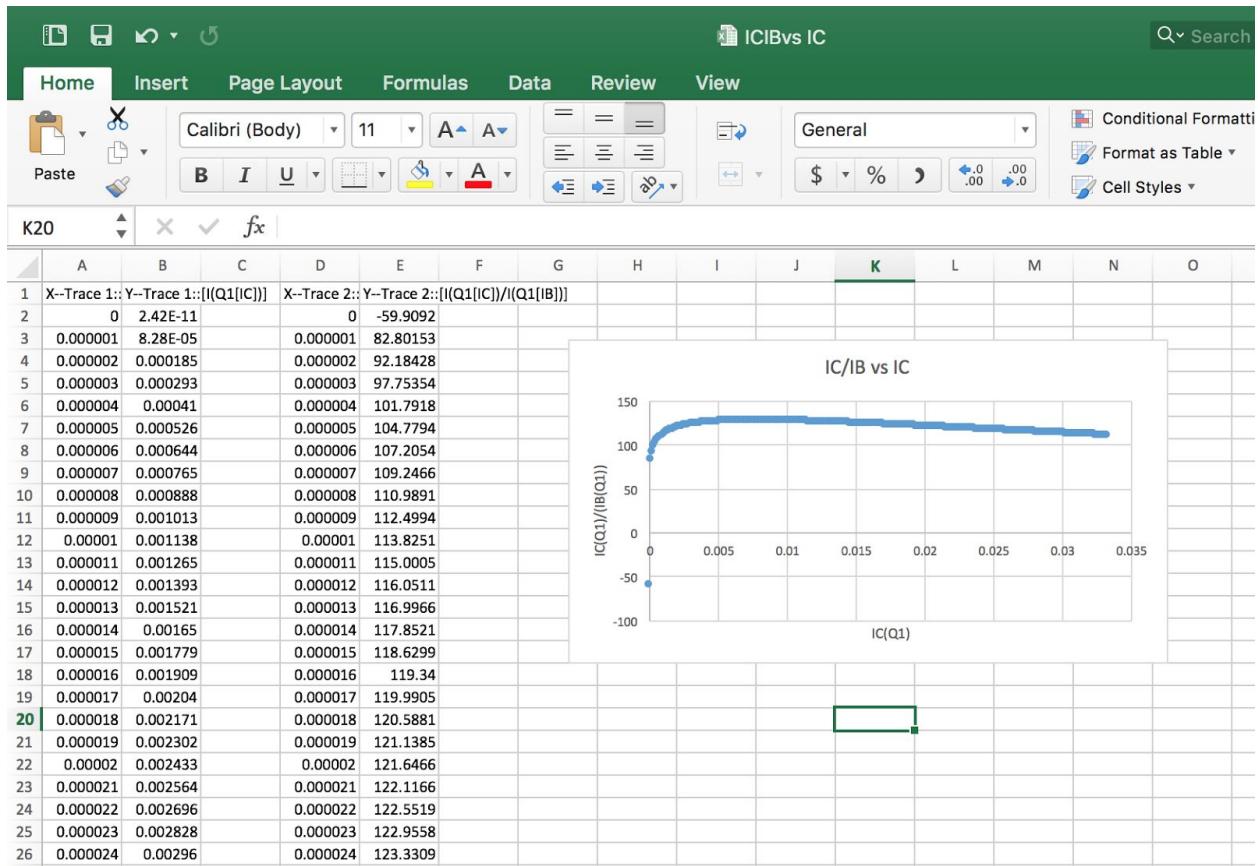
Green line: (beta dc), max point= 142.8423, (x,y), y=0.5 mA

Red line: (IC), (x,y), y=lc= 0.5mA

Discuss simulation results and the tradeoff between

Set variable IB range to be from 0 to 0.0003A, set step at 1e-006A.

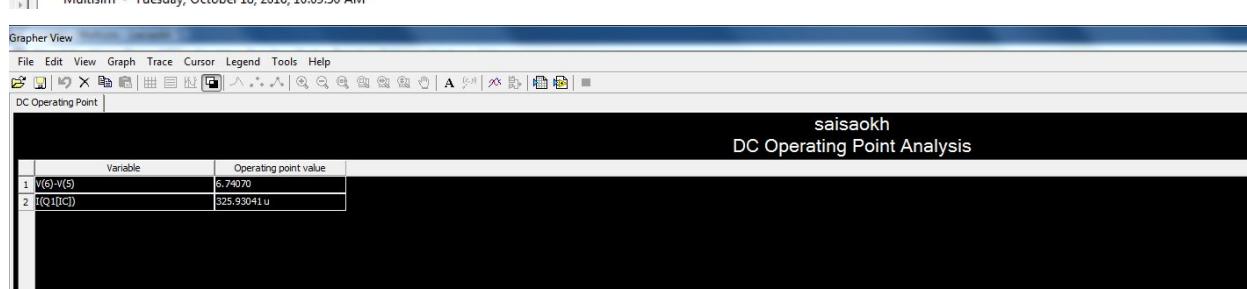
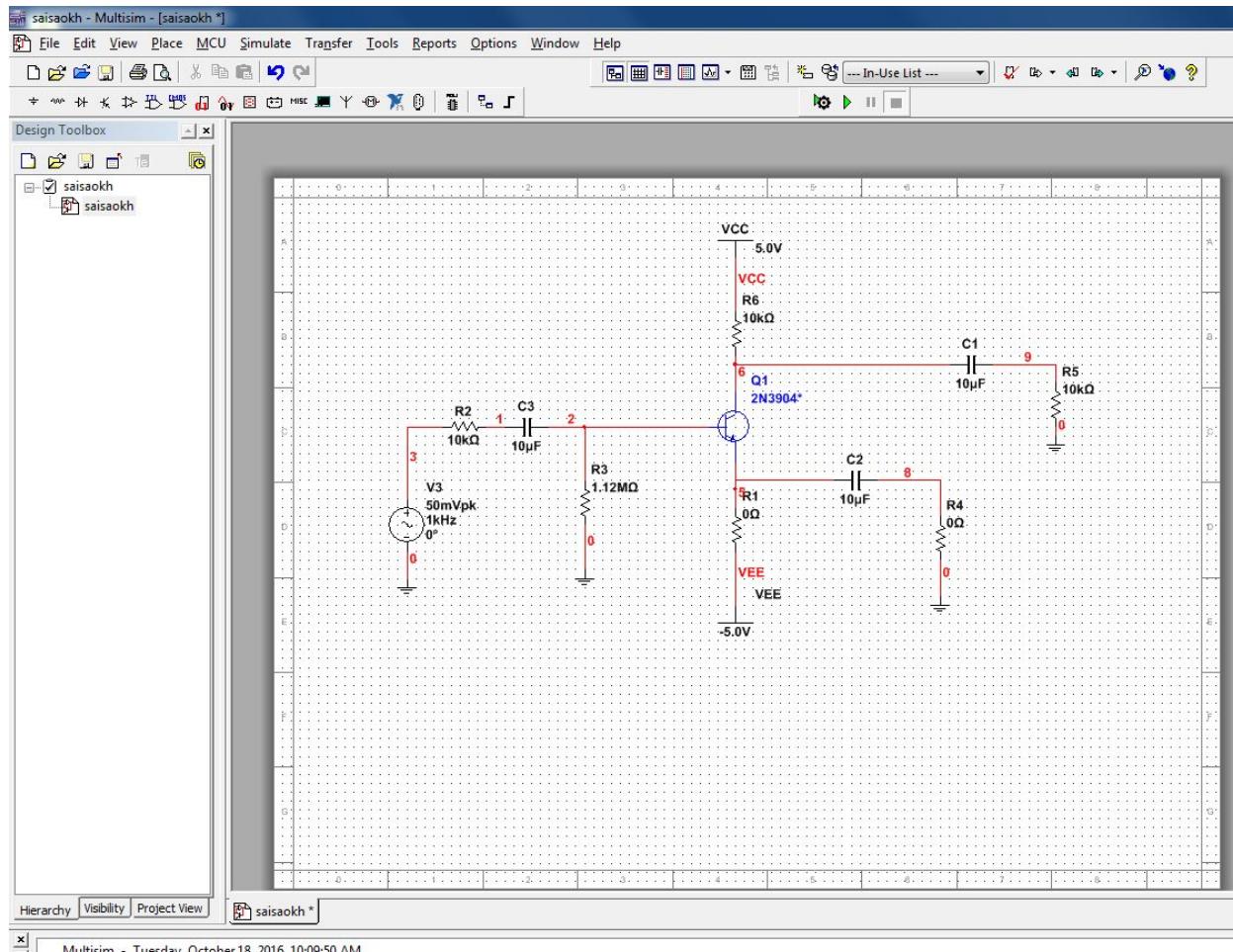
Click 'Output' and click 'add expression' in which set IC/IB as an output, also set $I(V1)$ as another output. Click 'Run' and you will see two outputs, one is IC/IB vs. IB and the other is IC vs. IB, since we need to examine IC/IB vs. IC, in the graph view, click 'Tools' and click 'Export to excel', then we can draw IC/IB vs. IC as below.

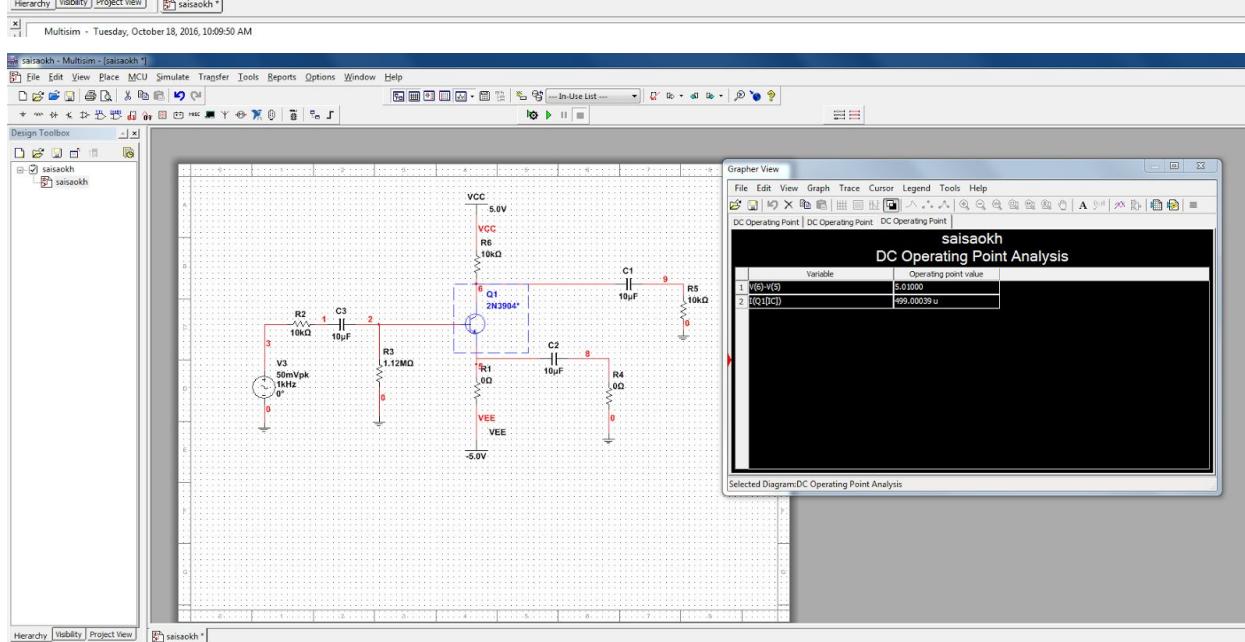
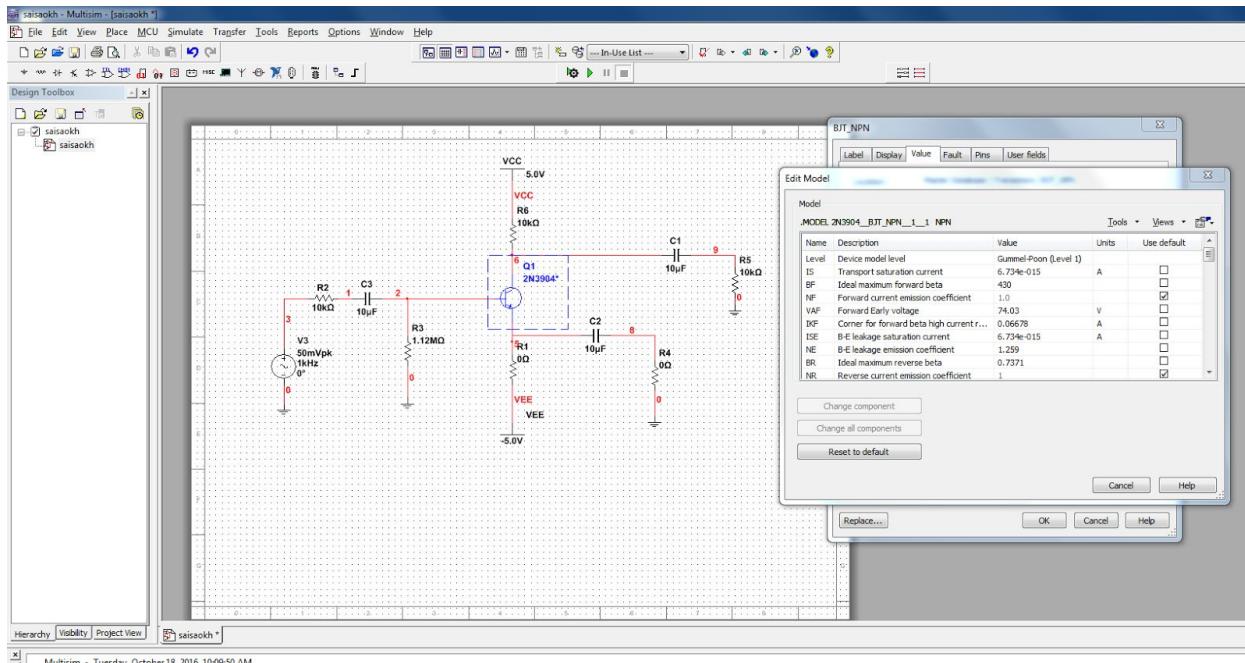


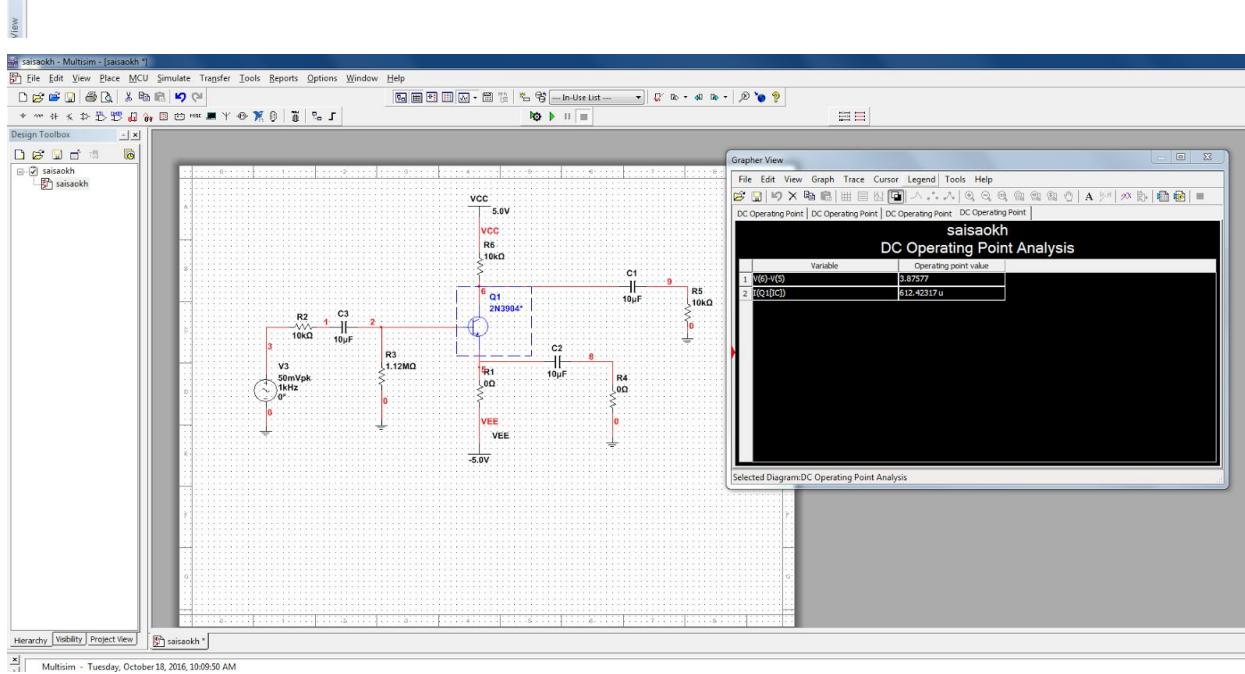
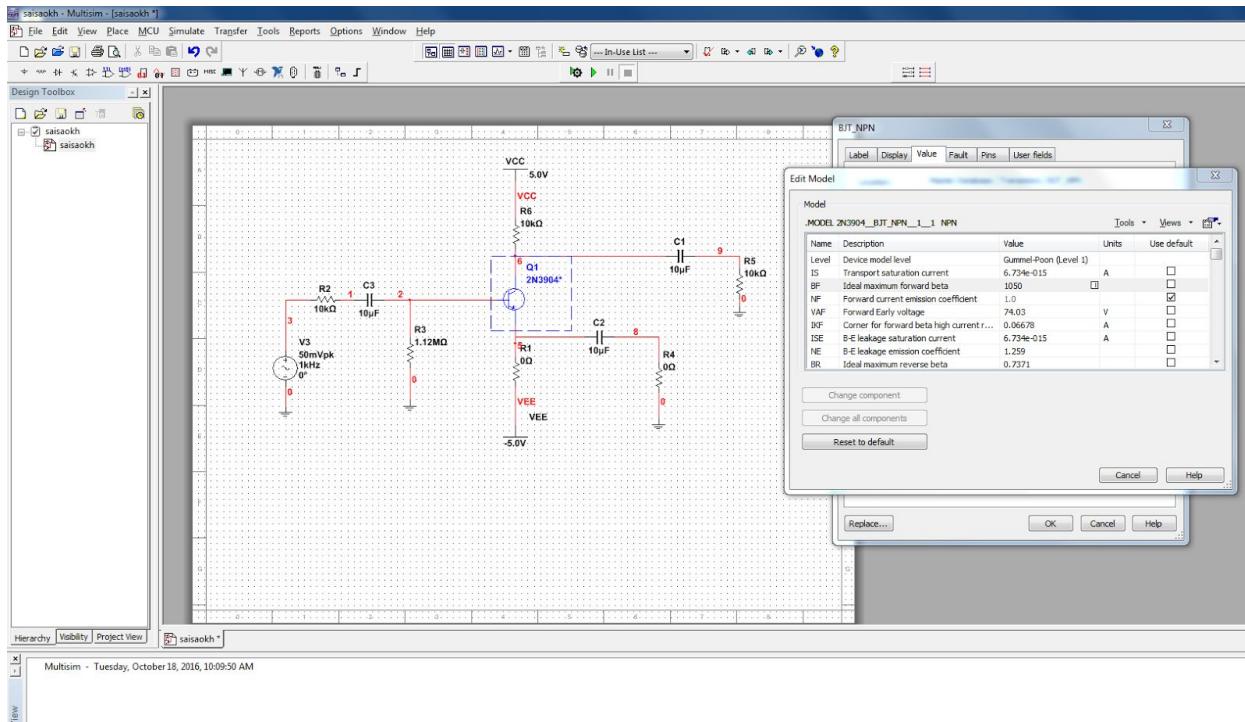
3A(PART2)

Correct Schematic with VCE and IC value for Rce =0, RE=0, RB= 1.12M and BF

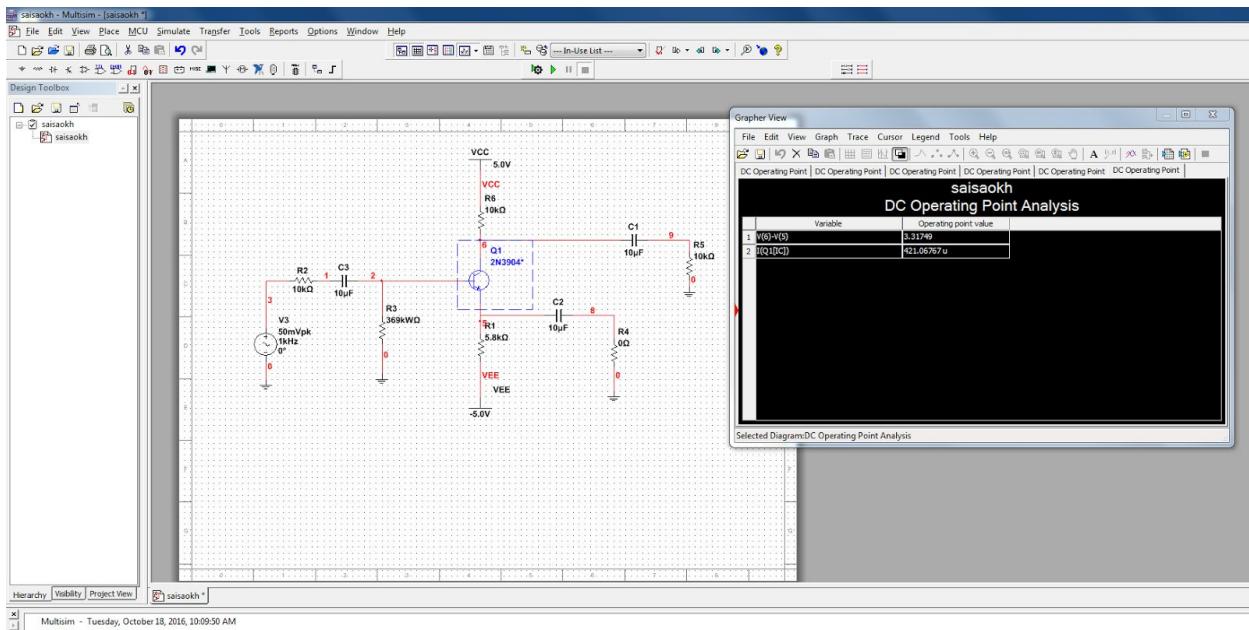
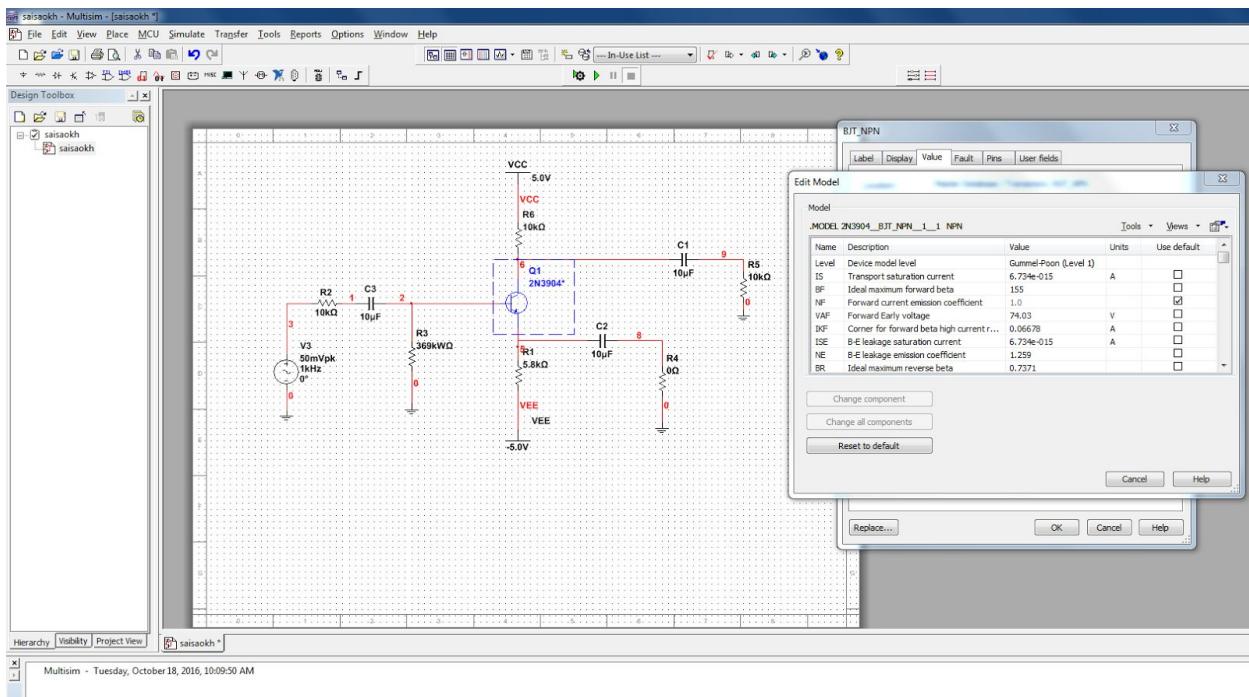
155/430/1050

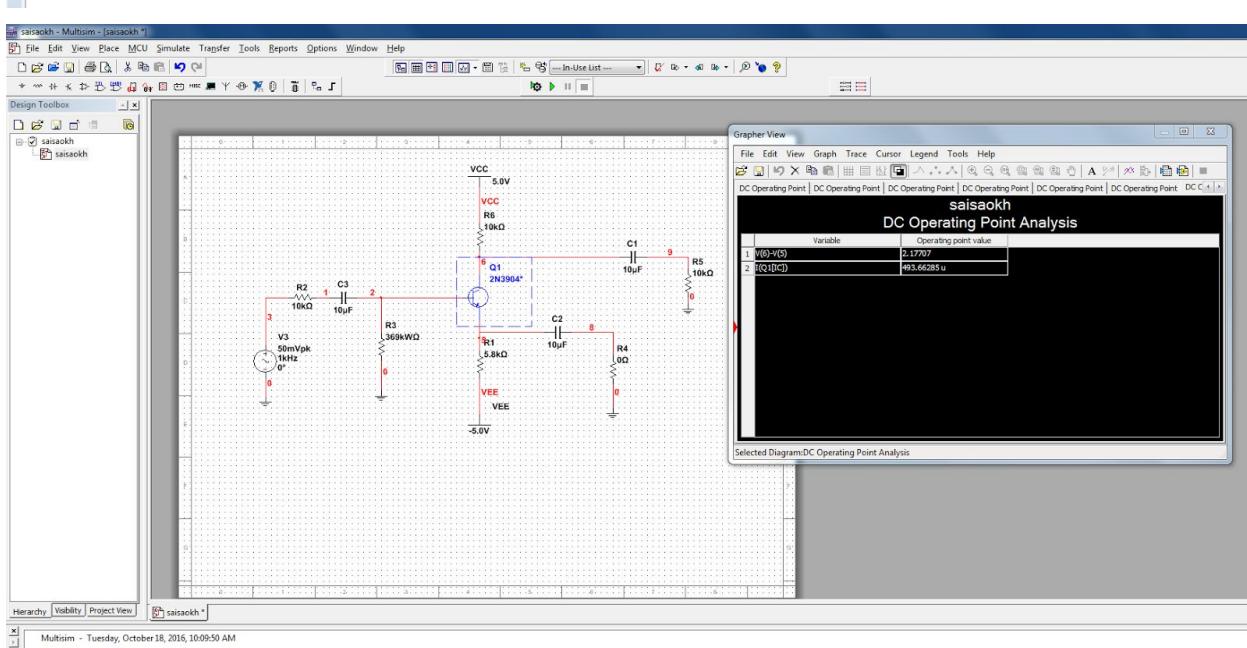
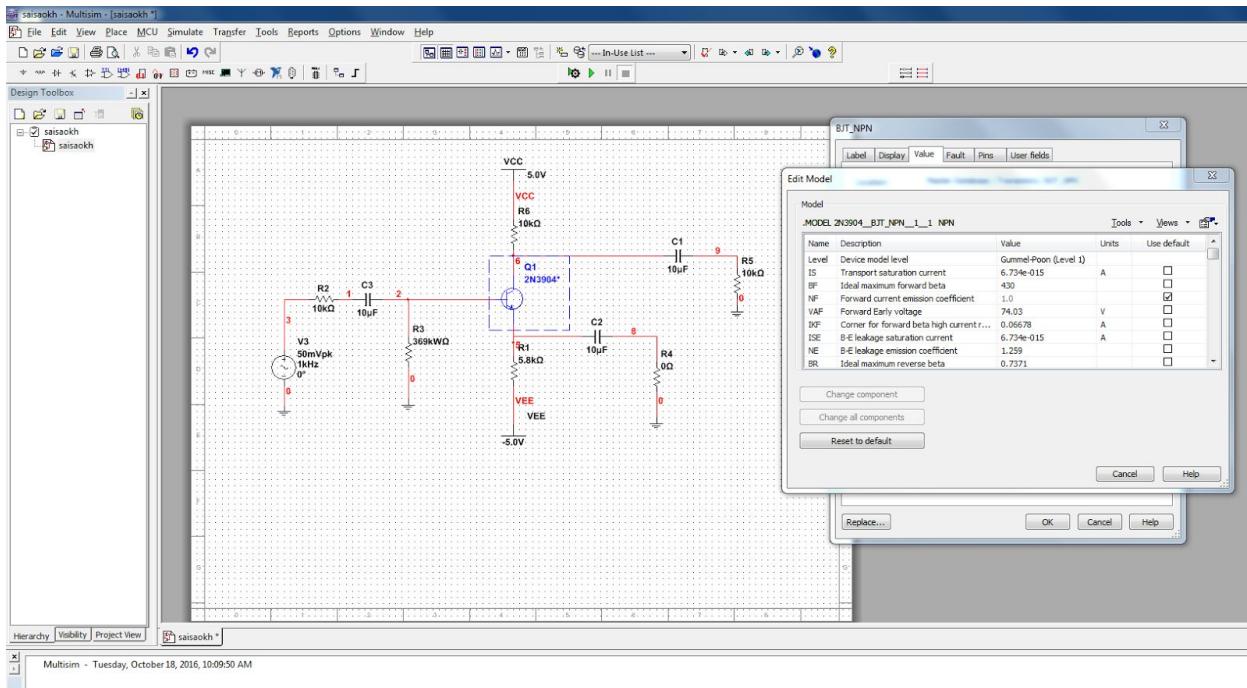






Correct Schematic with VCE and IC value for Rce =0, RE=5.8k, RB =369k and BF = 155/430/1050



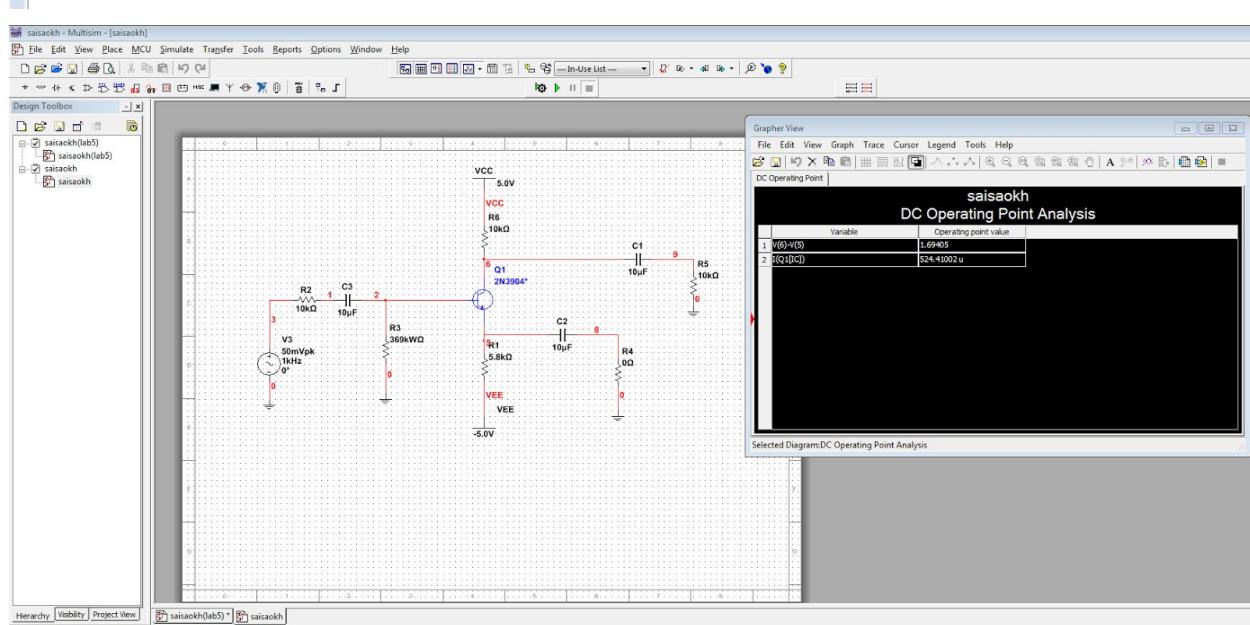
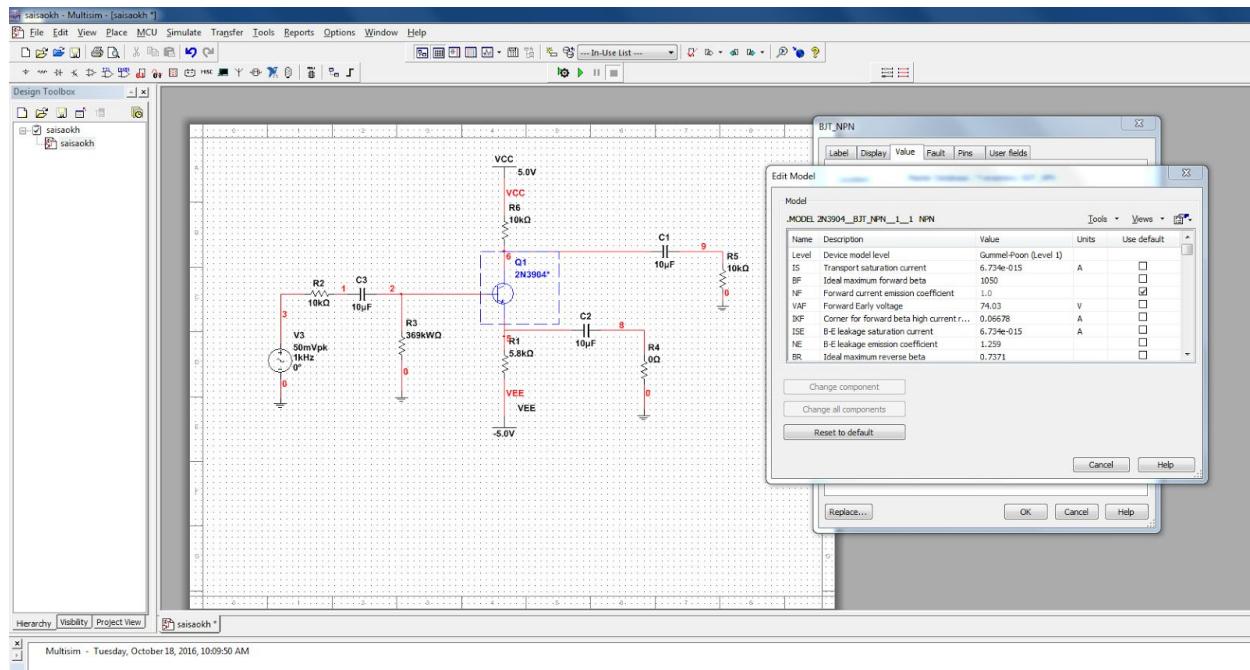


(beta ac) and (beta dc) for each case

$(\text{beta ac}) = (\Delta IC / \Delta IB)$ (where IC = current at collector, IB = current at base)

$(\text{beta dc}) = (IC / IB)$

the dependence on RE of the stability of Q-point. That is, discuss how much the QP (VCE, IC) varies for different BF when $RE = 0$ and when $RE \neq 0$



$(x,y) = (I_c, V_{ce})$	$RE=0, (x,y)$	$RE=5.8, (x,y)$
	(6.74,325.9 u)	(3.32, 421.07 u)
	(5,499 u)	(2.177,493.66 u)
	(3.876, 612.4u)	(1.69405,524.41002u)

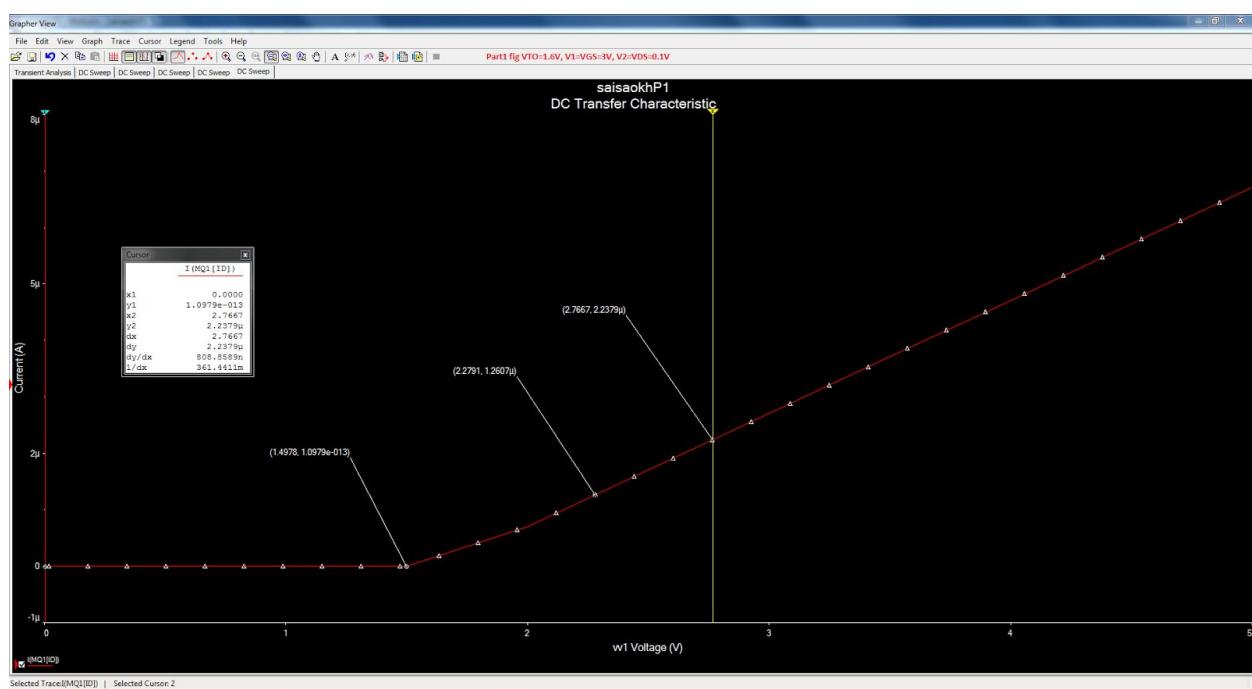
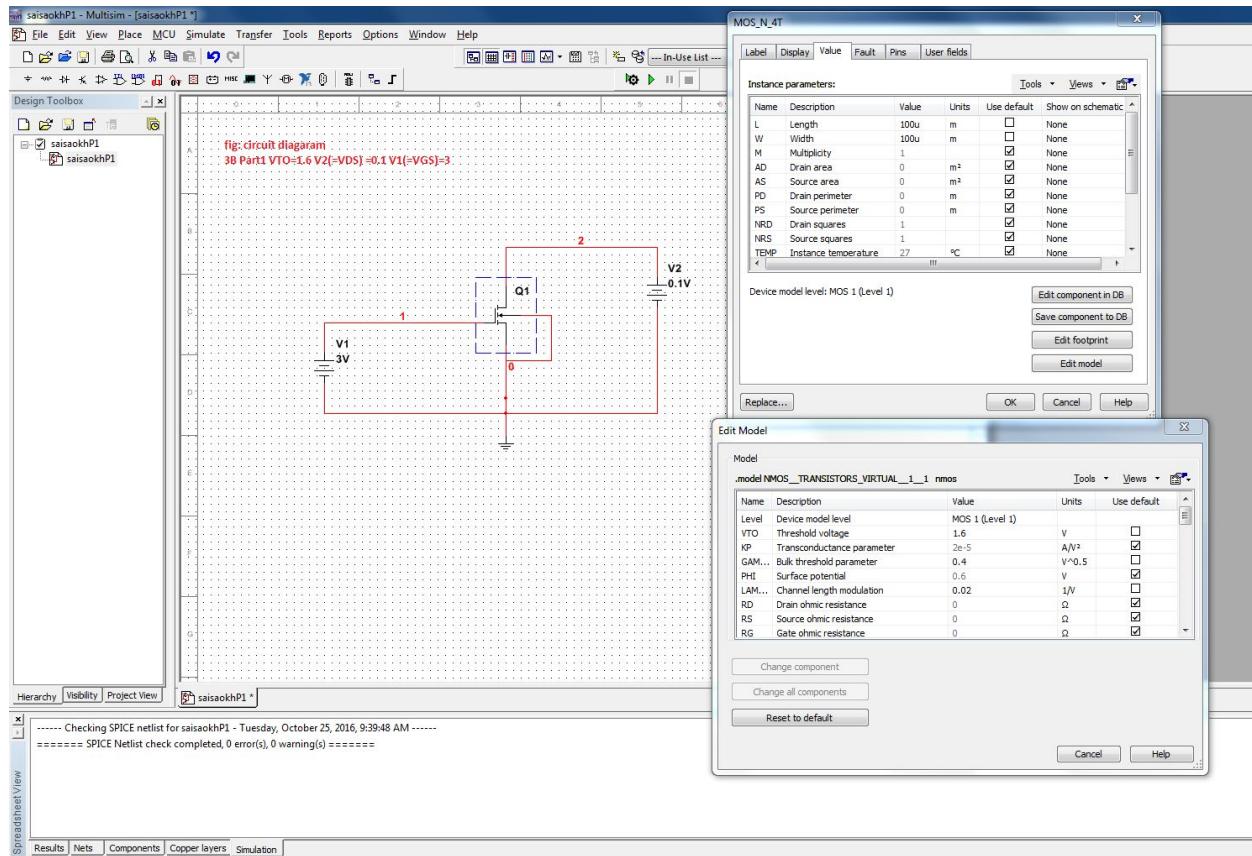
Discuss the effect of RE on the stability of DC Bias point the circuit

The correct biasing of the transistor is achieved using a process known commonly as Base Bias. The function of the “DC Bias level” or “no input signal level” is to correctly set the transistors Q-point by setting its Collector current (IC) to a constant and steady state value without an input signal applied to the transistors Base. This steady-state or DC operating point is set by the values of the circuits DC supply voltage (Vcc) and the value of the biasing resistors connected the transistors Base terminal.

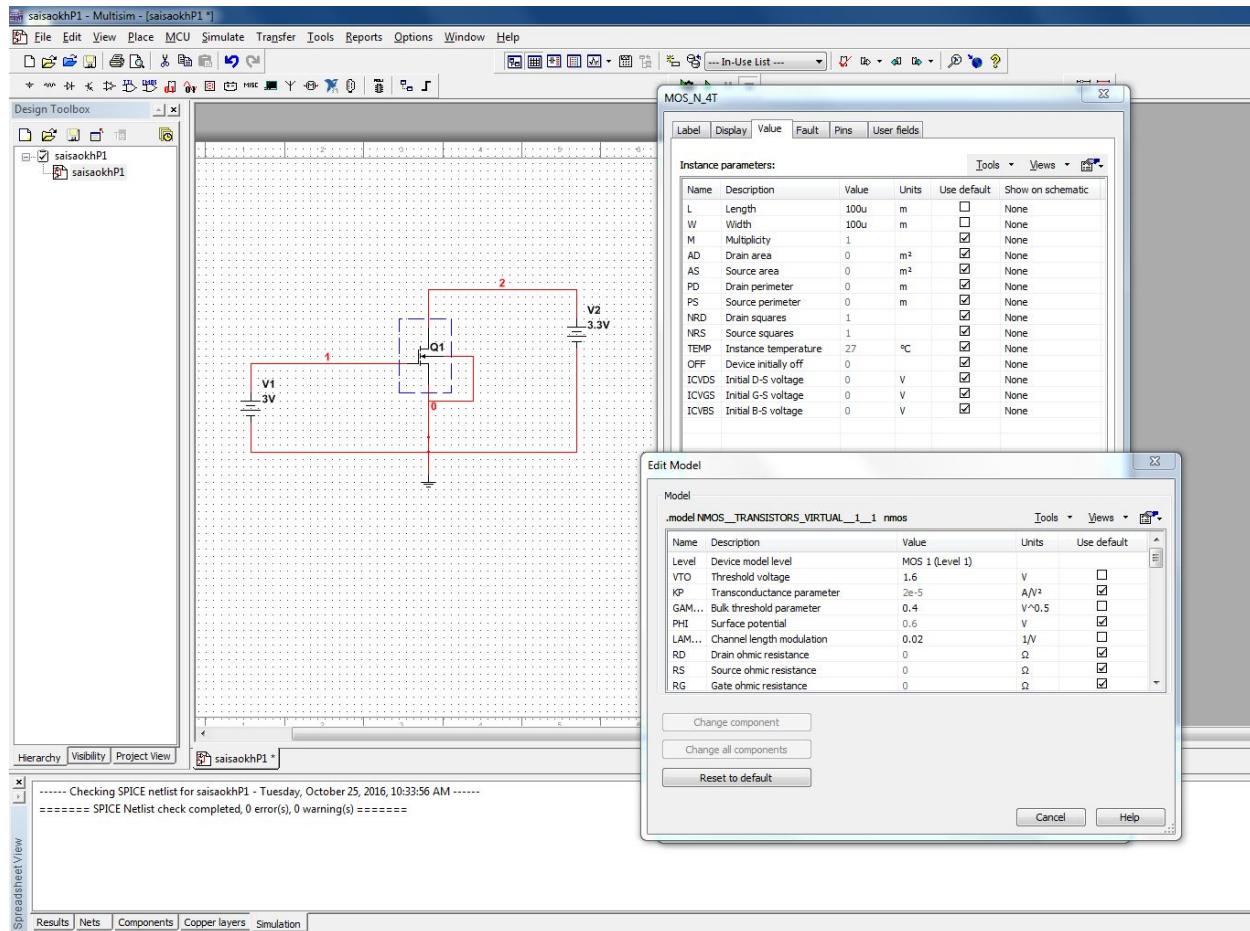
3B: Part 1 (Threshold Voltage)

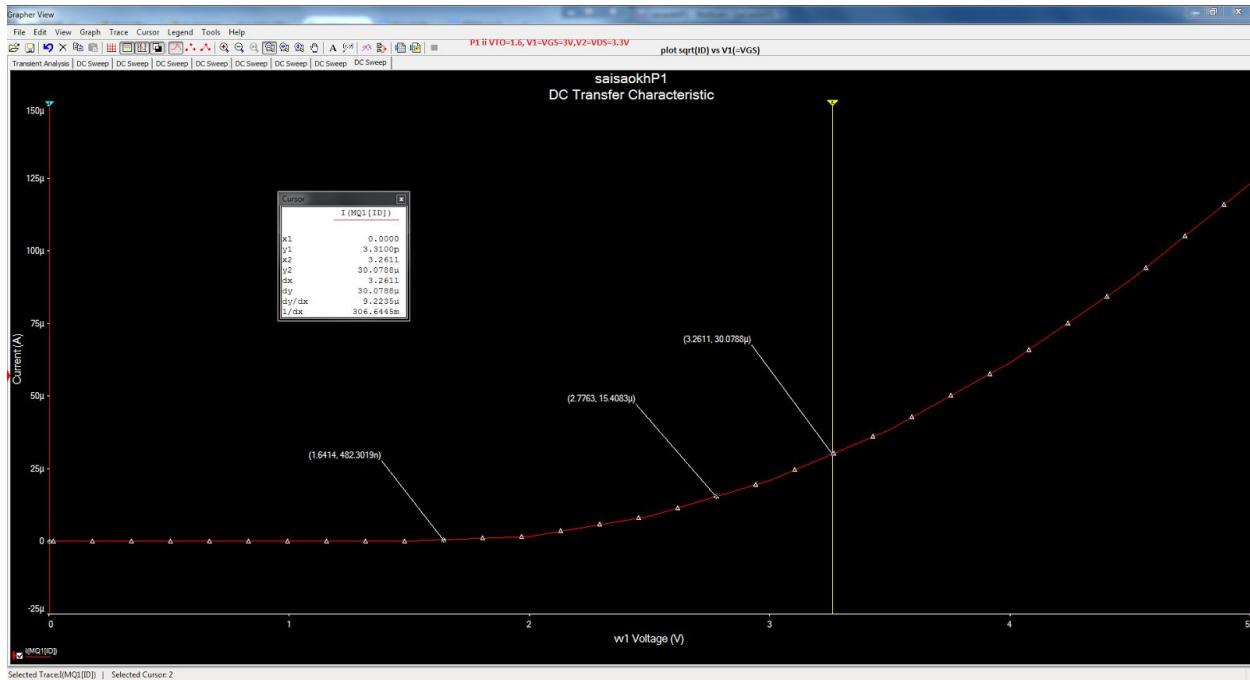
Schematic

(i) Plot of I_D - V_{GS} (=V1) for linear mode($V_{TO} = 1.6V$, $V_1 = V_{GS} = 3V$, $V_2 = V_{DS} = 0.1V$)

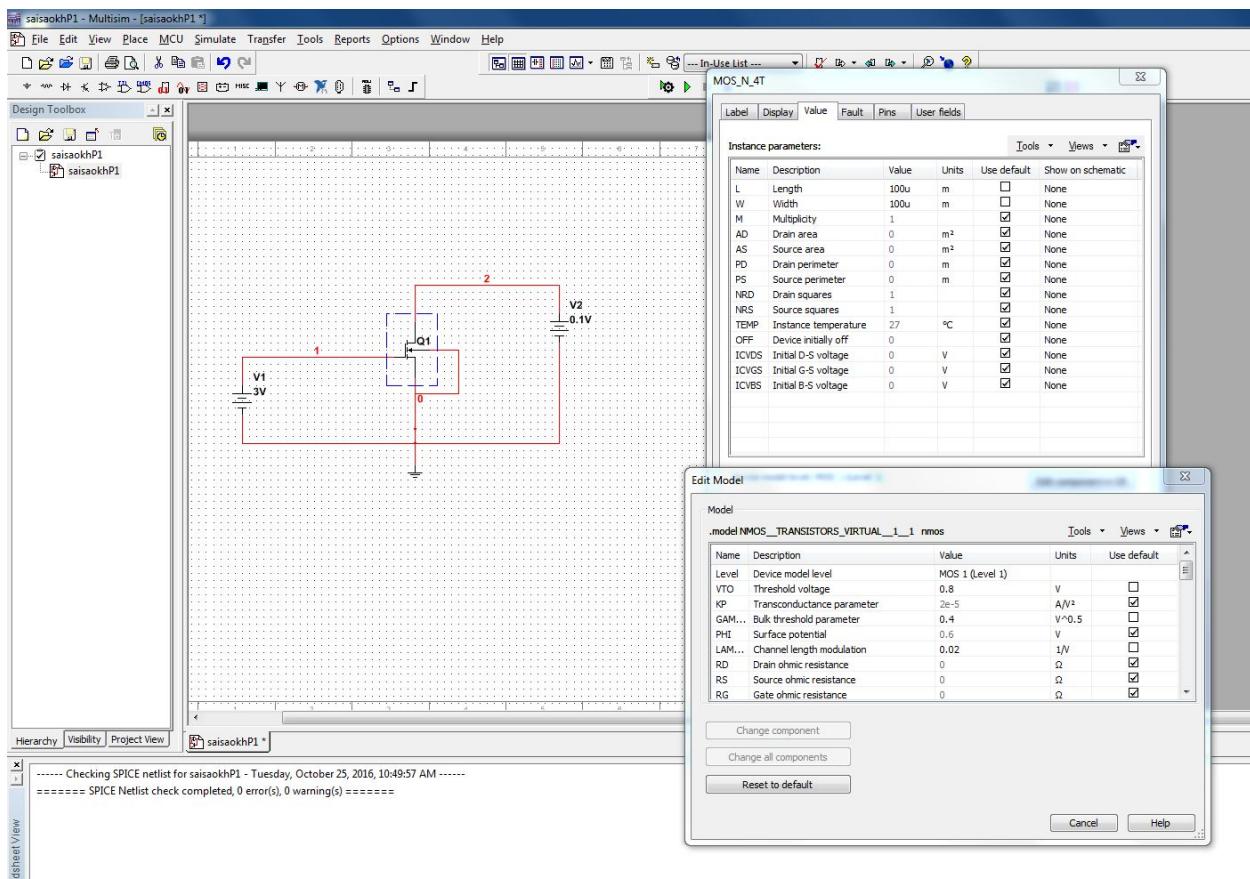


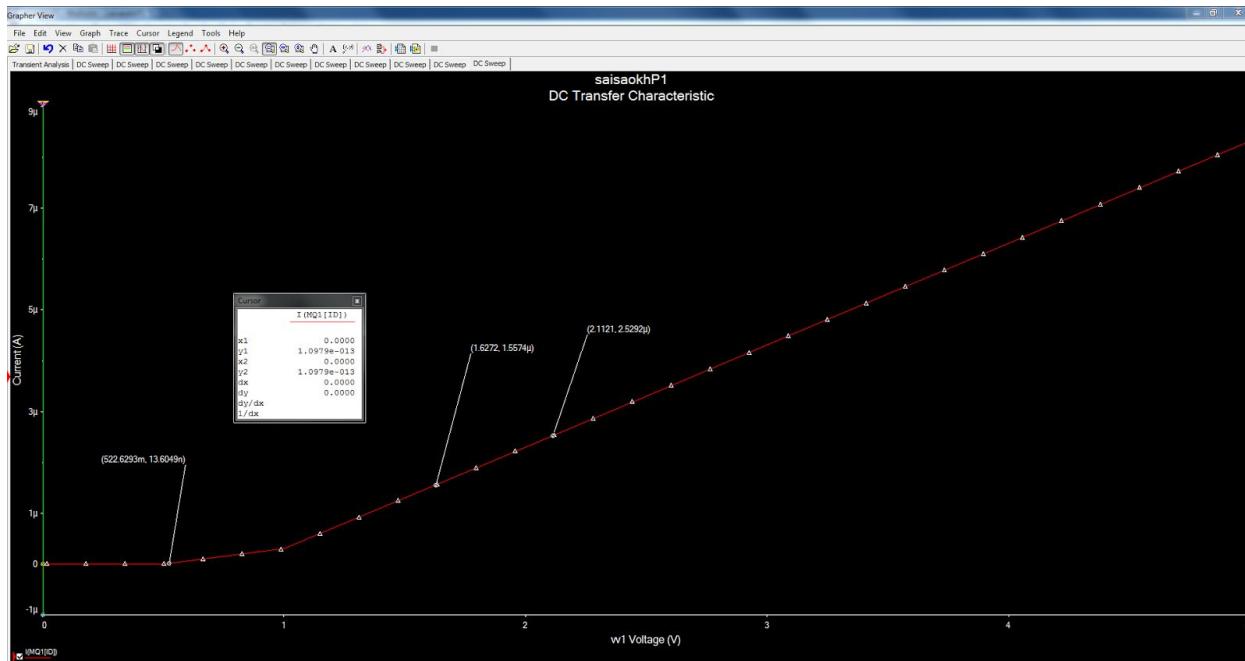
(ii) Plot of $\sqrt{I_D}$ - V_{GS} (=V1) for Saturation mode ($V_{T0} = 1.6V$, $V_1 = V_{GS} = 3V$, $V_2 = V_{DS} = 3.3V$)



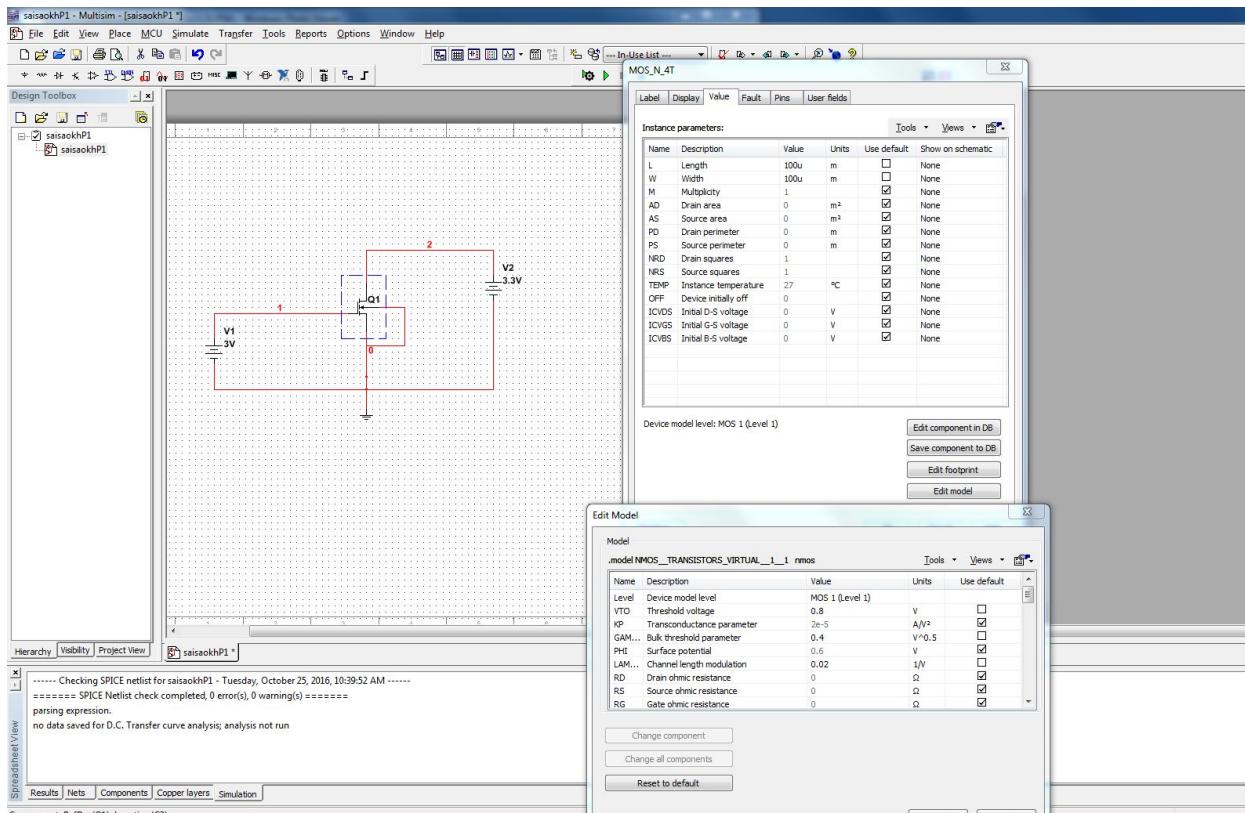


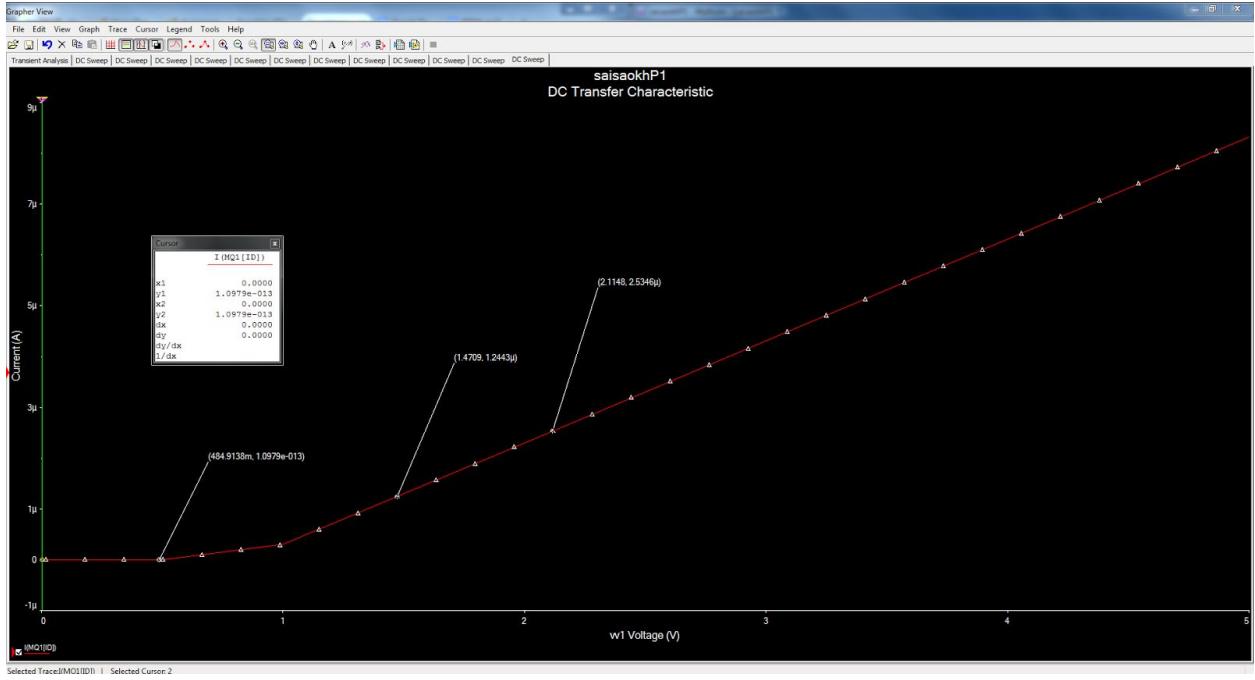
(iii) Plot of I_D - V_{GS} (= V_1) for linear mode($VT_0 = 0.8V$, $V_1=V_{GS}=3V$, $V_2=V_{DS}=0.1V$)





Plot of $\sqrt{I_D}$ - V_{GS} ($=V1$) for Saturation mode($VT0 = 0.8V$, $V1=VGS=3V$, $V2=VDS=3.3V$)





Comparison between the simulated curve slope and the theoretical calculated value

$$\text{When } V_{TO}=1.6 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{2.7130m - 1.6478m}{2.3579 - 2.0211} = \frac{1.0652m}{0.3368} = 0.000316 \frac{A}{V}$$

$$\text{When } V_{TO}=0.8 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{4.2942m - 3.2290m}{2.3579 - 2.0211} = \frac{1.0652m}{0.3368} = 0.000316 \frac{A}{V}$$

$$I_D = \sqrt{\frac{1}{2} k_n (V_{GS} - V_T)^2}$$

$$\frac{I_D}{(V_{GS} - V_T)^2} = \sqrt{\frac{1}{2} k_n}$$

$$\frac{0.0027130}{(2.3579 - 1.5)^2} = \sqrt{\frac{1}{2} k_n}$$

$$\sqrt{\frac{1}{2} k_n} = 0.003686 \frac{A}{V}$$

$$I_D = \sqrt{\frac{1}{2} k_n (V_{GS} - V_T)^2}$$

$$\frac{I_D}{(V_{GS} - V_T)^2} = \sqrt{\frac{1}{2} k_n}$$

$$\frac{0.0042942}{(2.3579 - 1.0)^2} = \sqrt{\frac{1}{2} k_n}$$

$$\sqrt{\frac{1}{2} k_n} = 0.002328 \frac{A}{V}$$

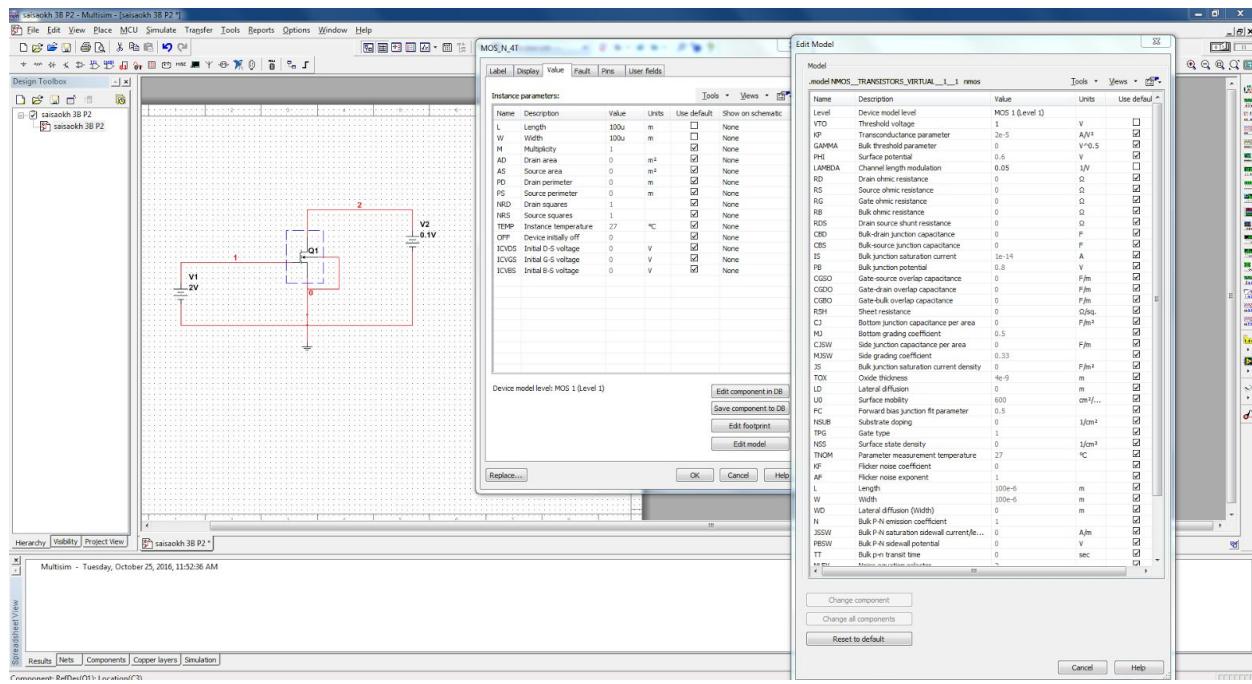
According to the above calculations, the slope of when $V_{TO}=1.6$ V, the slope of the two points taken after 2V was the same as the value obtained for $\sqrt{\frac{1}{2} k_n}$. In addition, by looking at the graph we can see that the threshold voltage obtained through simulation ($V_{TO}=1.6$ V) equals the model parameter value of the threshold voltage ($V_T=1.6$ V).

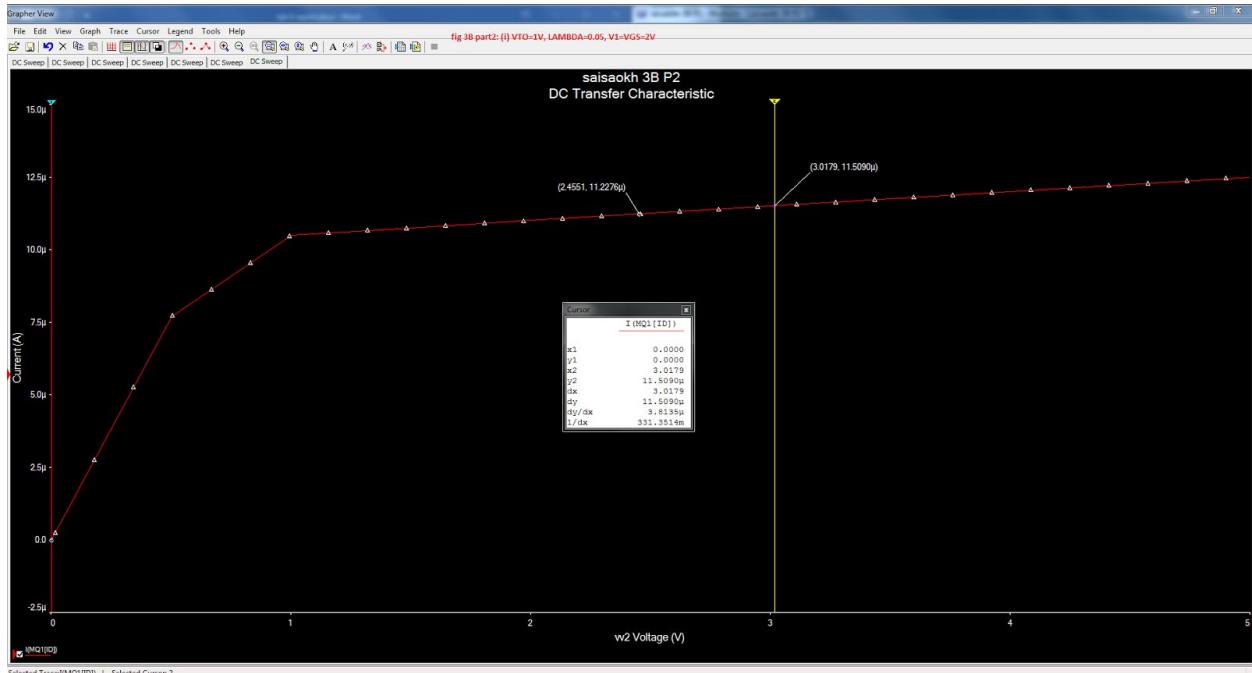
The slope of when $V_{TO}=0.8$ V, the slope of the two points taken after 2V was a bit higher than the value obtained for $\sqrt{\frac{1}{2} k_n}$. To be exact the value obtained through calculating $\sqrt{\frac{1}{2} k_n}$ was 0.00201 units higher than the slope that was obtained. However, by looking at the graph we can see that the threshold voltage obtained through simulation ($V_T=1.0031$ V) almost equals the model parameter value of the threshold voltage ($V_{TO}=1.6$ V).

3B: Part 2 (Channel Length Modulation & Early Voltage)

Plot of I_D - V_{DS} for $VT=2, 3, 4V$

(i)





$$\text{When } V_{GS}=2.0 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{11.5081\mu - 11.2258\mu}{3.0162 - 2.4517} = \frac{0.2831\mu}{0.5645} = 0.5\mu \frac{A}{V}$$

$$y = mx + b$$

$$y_2 - y_1 = m(x_2 - x_1)$$

$$11.5081\mu = (0.5\mu)(3.0162) + b$$

$$(11.5081\mu - 0) = .5\mu (3.0162 - x_1)$$

$$11.5081\mu = 1.50845\mu + b$$

$$(11.5081\mu) = 1.50845\mu - .50\mu x_1$$

$$11.5081\mu - 1.50845\mu = b$$

$$10\mu A = b$$

$$10\mu A = b$$

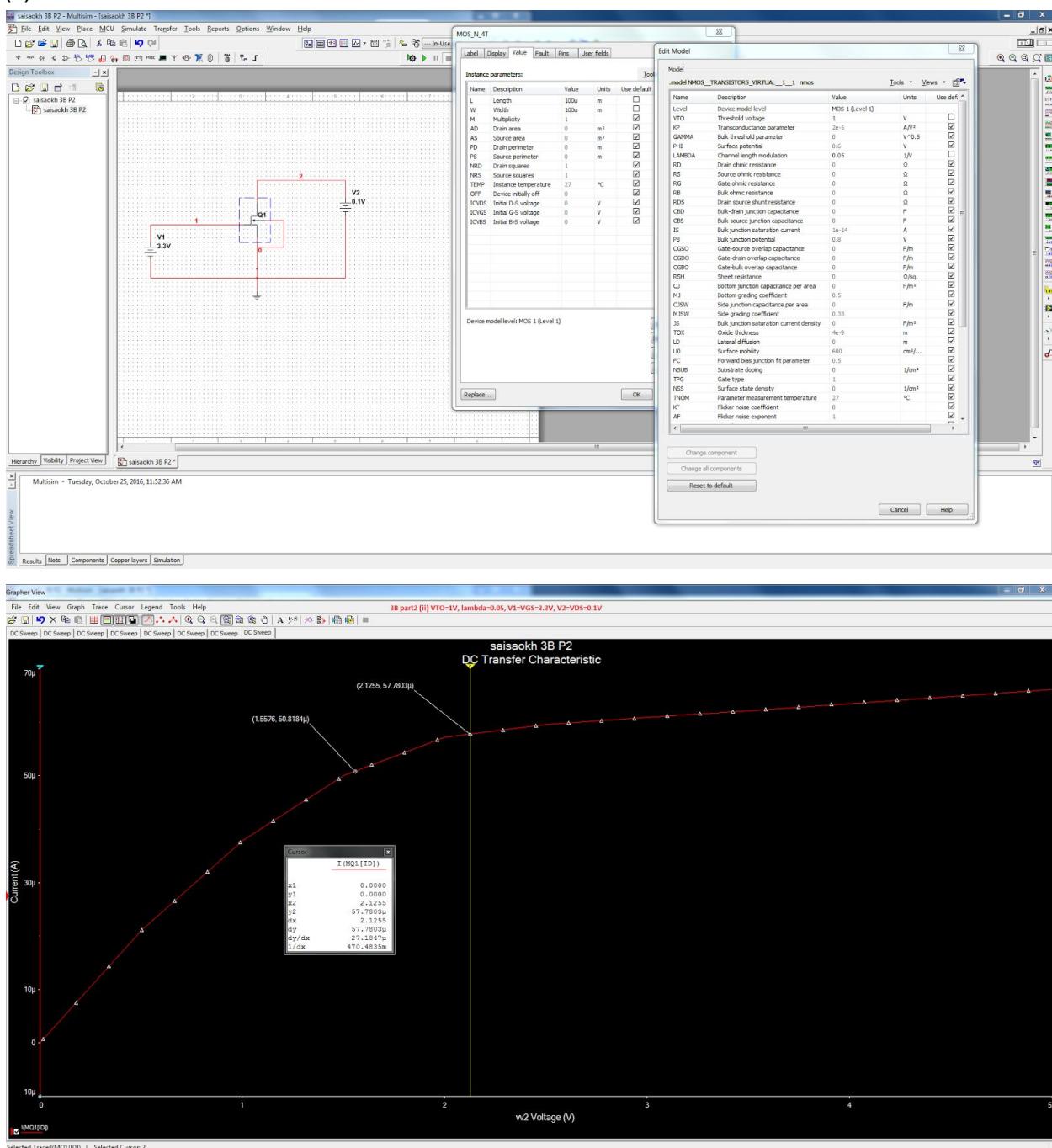
$$10\mu = -.50\mu x_1$$

$$I_C = 10\mu A$$

$$x = -20V$$

$$-V_A = -20V$$

(ii)



$$\text{When } V_{GS}=3.3 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{46.3766\mu - 44.5121\mu}{3.1883 - 2.2561} = \frac{1.8645\mu}{0.9322} = 2\mu \frac{A}{V}$$

$$y = mx + b$$

$$46.3766\mu = (2\mu)(3.1883) + b$$

$$46.3766\mu = 6.3766\mu + b$$

$$46.3766\mu - 6.3766\mu = b$$

$$40\mu = b$$

$$I_C = 40 \mu A$$

$$y_2 - y_1 = m(x_2 - x_1)$$

$$(46.3766\mu - 0) = 2\mu (3.1883 - x_1)$$

$$(46.3766\mu) = 6.3766\mu - 2\mu x_1$$

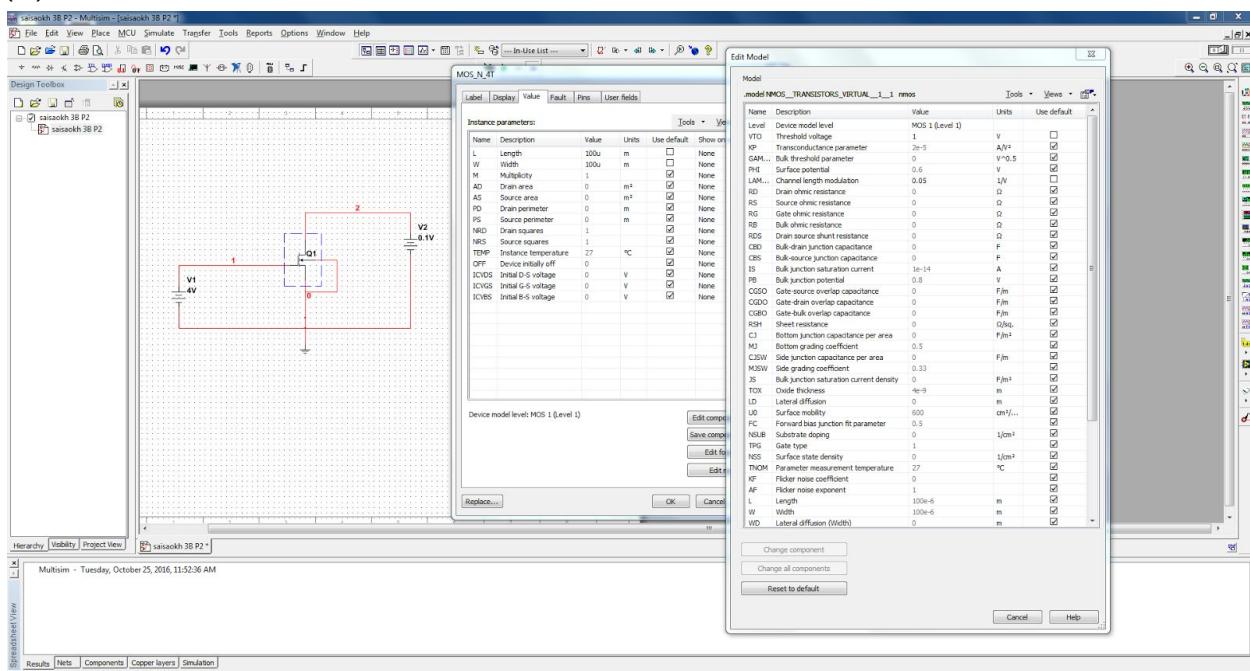
$$40\mu = -2\mu x_1$$

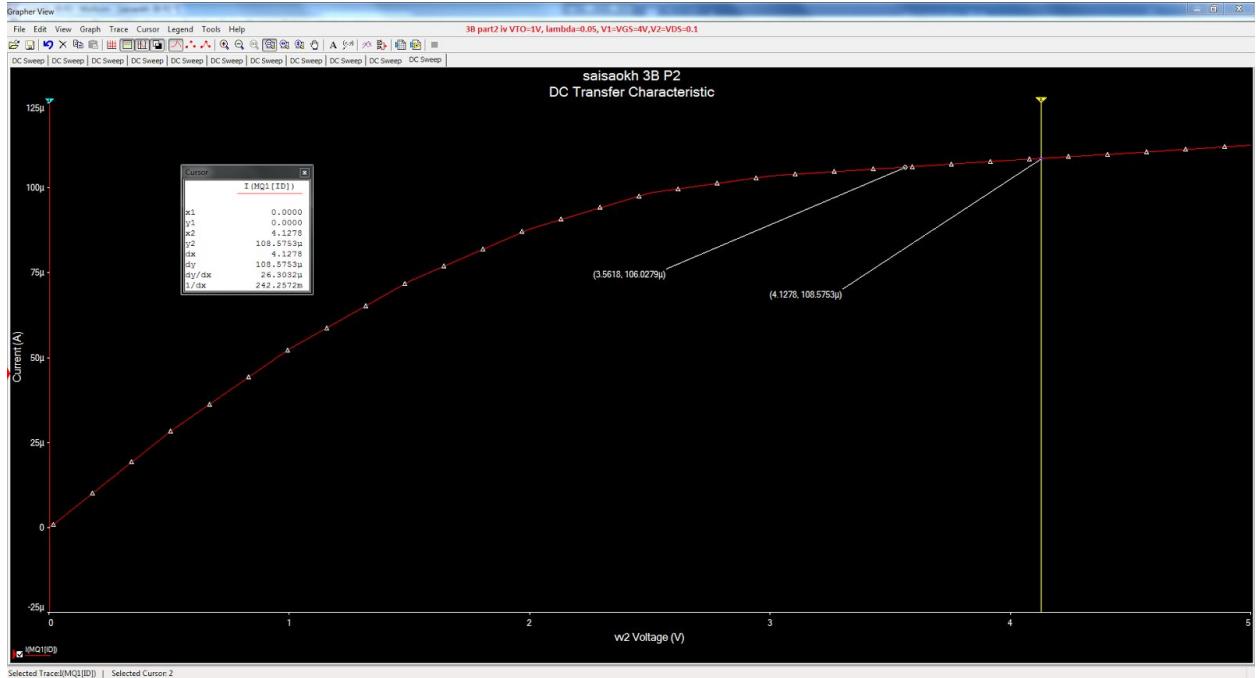
$$x = -20 V$$

$$-V_A = -20V$$

Note: maximum V_{DS} should be well above $V_{GS}-V_{T0}$ so that you cover a large portion of the saturation region in the output characteristic. This is because the channel length modulation is a property of the saturation region. Correct values of V_A , $1/\lambda$ and r_o

(iii)





$$\text{When } V_{GS} = 4.0 \text{ V, slope } (m) = \frac{y_2 - y_1}{x_2 - x_1} = \frac{108.5772\mu - 106.0014\mu}{4.1283 - 3.5648} = \frac{2.5758\mu}{0.5635} = 4.5710\mu \frac{A}{V}$$

$$y = mx + b$$

$$108.5772\mu = (4.5710\mu)(4.1283) + b$$

$$108.5772\mu = 18.8705\mu + b$$

$$108.5772\mu - 18.8705\mu = b$$

$$89.706\mu = b$$

$$y_2 - y_1 = m(x_2 - x_1)$$

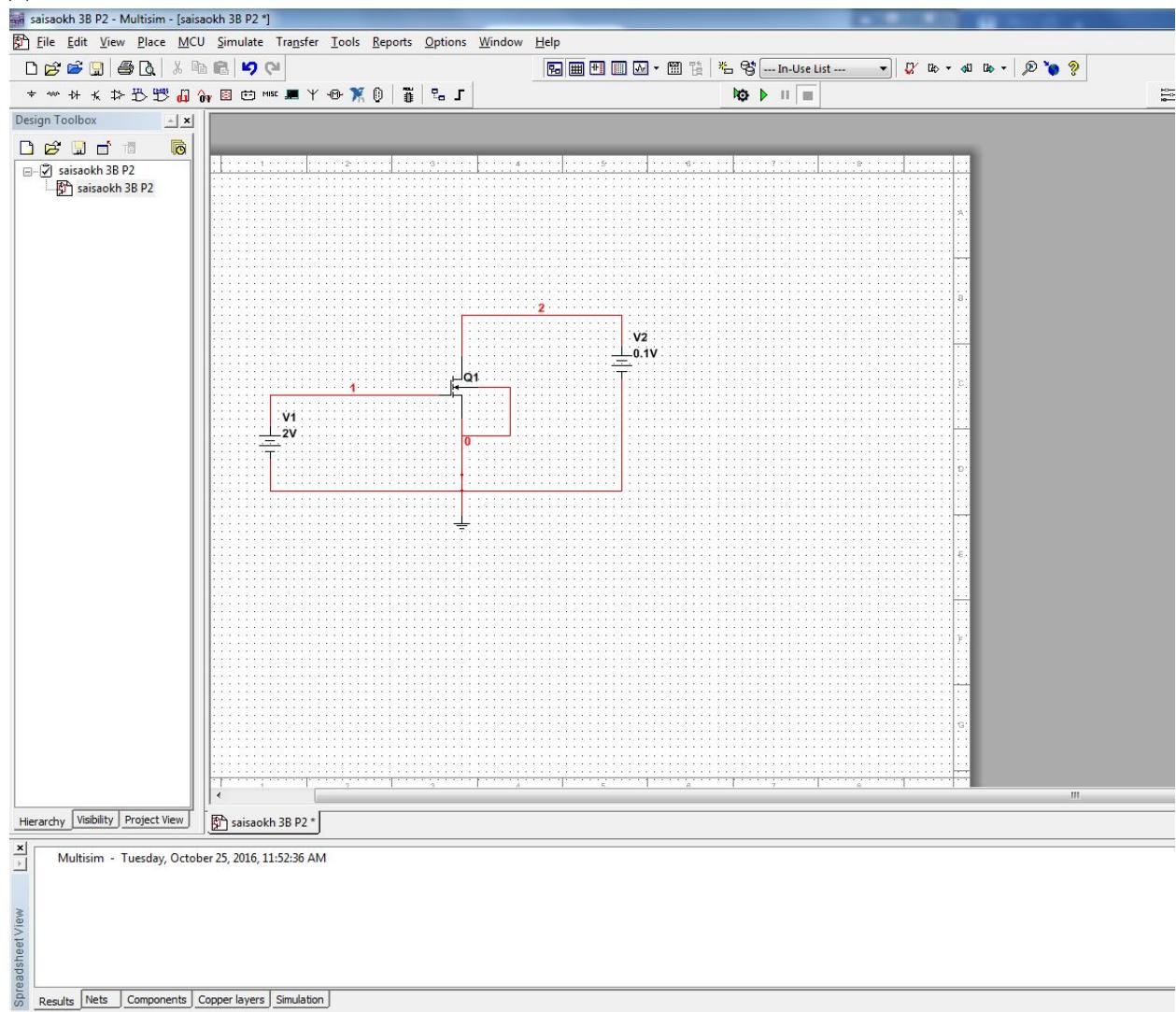
$$(108.5772\mu - 0) = 4.5710\mu (4.1283 - x_1)$$

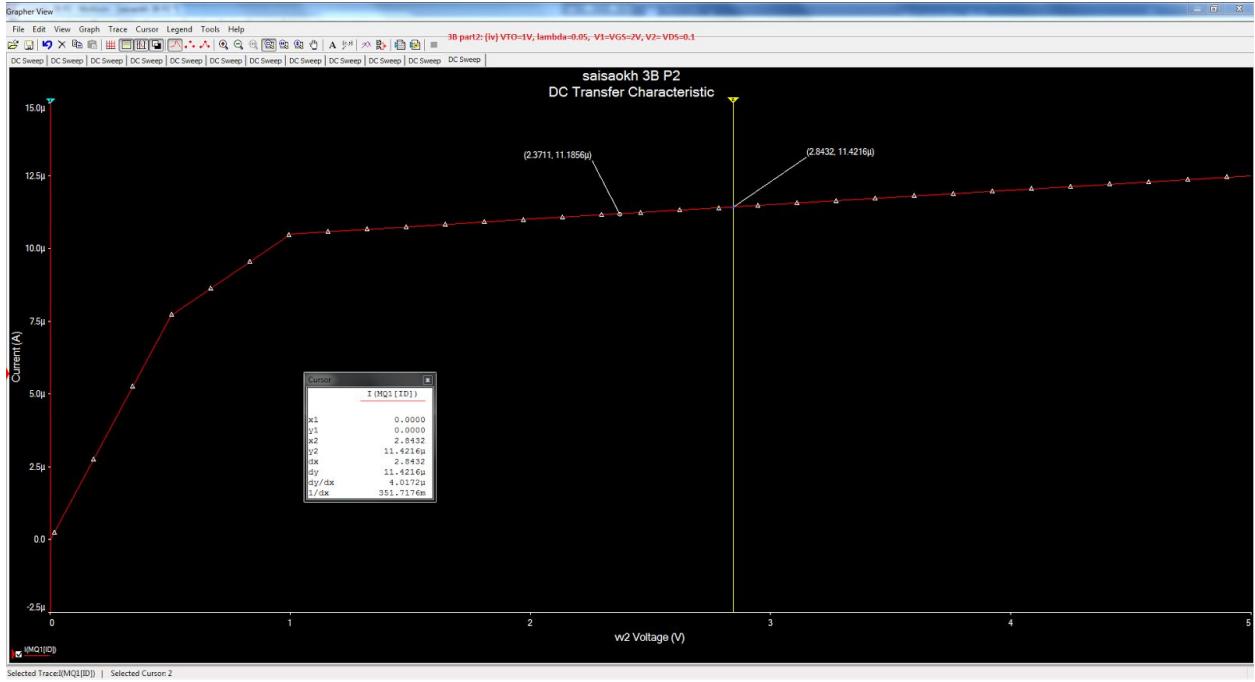
$$(108.5772\mu) = 18.8705\mu - 4.5710\mu x_1$$

$$89.706\mu = -4.5710\mu x_1$$

$$x = -19.625 \text{ V}$$

(iv)





$$\text{When } V_{GS}=2.0 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{10.5664\mu - 10.4523\mu}{2.8322 - 2.2614} = \frac{0.7434\mu}{0.9291} = 0.1999\mu \frac{A}{V}$$

$$y = mx + b$$

$$10.5664\mu = (0.1999\mu)(2.8322) + b$$

$$10.5664\mu = 0.5661\mu + b$$

$$10.5664\mu - 2.5485\mu = b$$

$$10.0003 \mu \text{ A} = b$$

$$I_C = 10.0003\mu\text{A}$$

$$y_2 - y_1 = m(x_2 - x_1)$$

$$(10.5664\mu - 0) = 0.1999\mu (2.8322 - x_1)$$

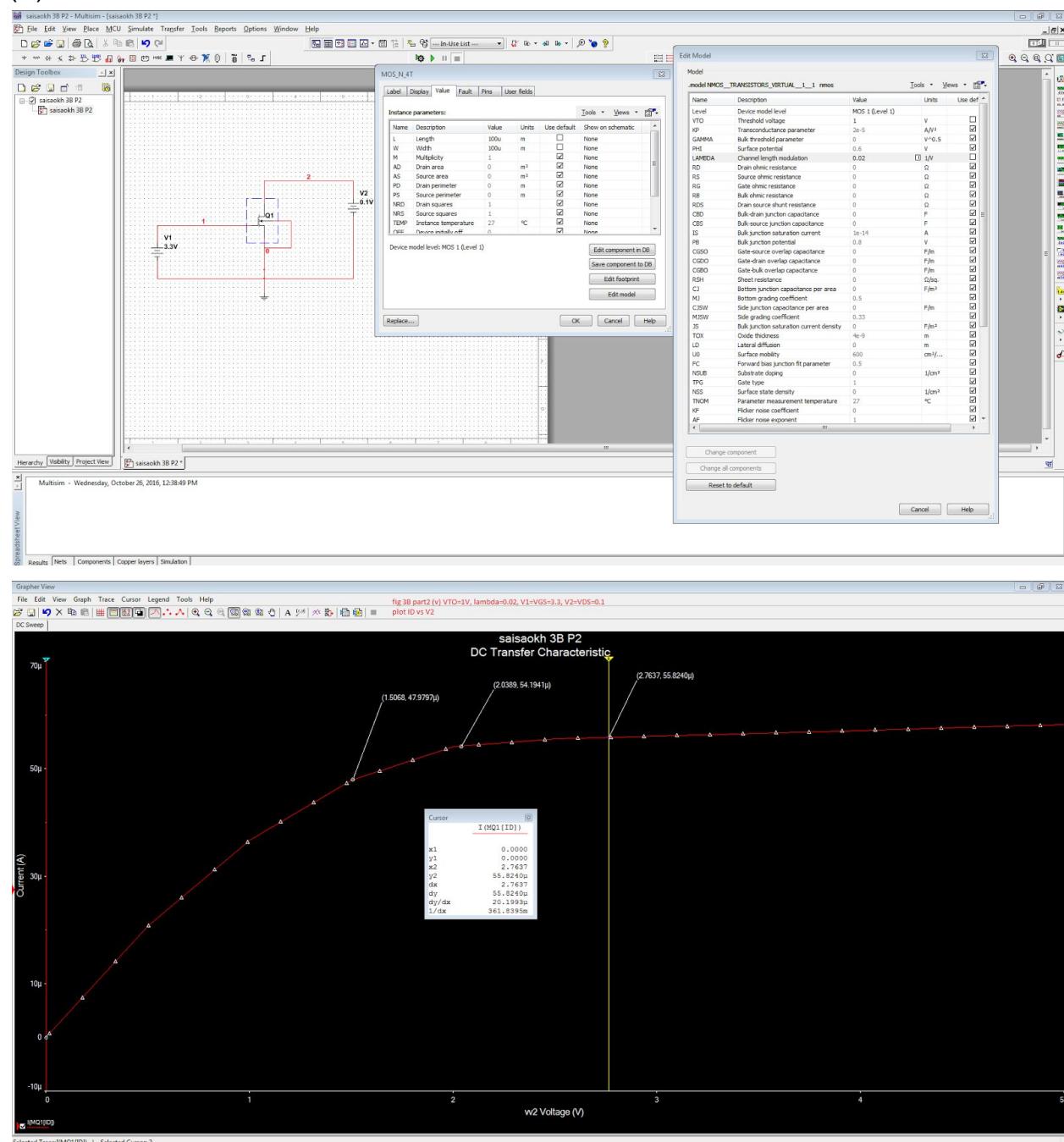
$$(10.5664\mu) = 0.5661\mu - 0.1999\mu x_1$$

$$10.0003\mu = -0.1999\mu x_1$$

$$x = -50.0265 \text{ V}$$

$$-V_A = -50.0265 \text{ V}$$

(V)



$$\text{When } V_{GS}=3.3 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{42.5482\mu - 41.8048\mu}{3.1852 - 2.2561} = \frac{0.7434\mu}{0.9291} = 0.8001\mu \frac{A}{V}$$

$$y = mx + b$$

$$42.5482\mu = (0.8001\mu)(3.1852) + b$$

$$42.5482\mu = 2.5485\mu + b$$

$$42.5482\mu - 2.5485\mu = b$$

$$39.9998\mu A = b$$

$$I_C = 39.998 \mu A$$

$$y_2 - y_1 = m(x_2 - x_1)$$

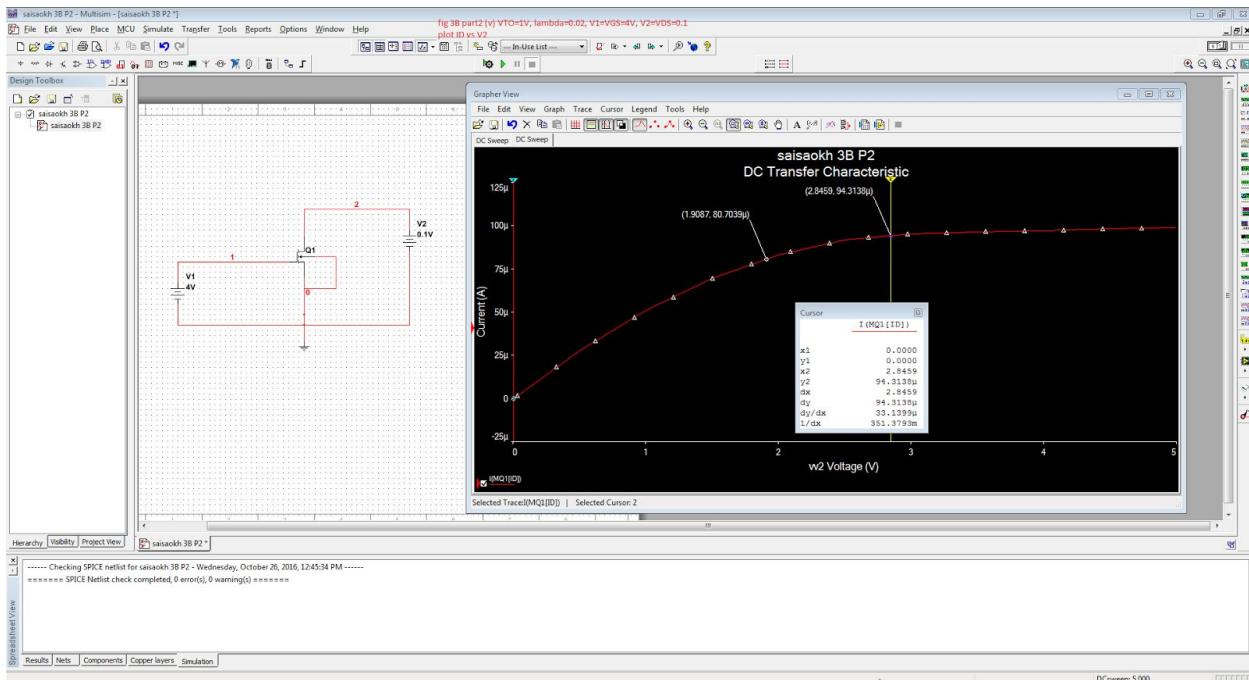
$$(42.5482\mu - 0) = .8001\mu (3.1852 - x_1)$$

$$(42.5482\mu) = 2.5485\mu - .8001\mu x_1$$

$$39.9998\mu = -.8001\mu x_1$$

$$x = -49.9933 V$$

$$-V_A = -49.9933V$$



$$\text{When } V_{GS}=4.0 \text{ V, slope (m)} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{96.7528\mu - 96.0747\mu}{3.7516 - 3.3748} = \frac{.6781\mu}{0.3768} = 1.8\mu \frac{A}{V}$$

$$y = mx + b$$

$$96.7528\mu = (1.8\mu)(3.7516) + b$$

$$96.7528\mu = \mu + b$$

$$96.7528\mu - 6.7528\mu = b$$

$$90\mu A = b$$

$$I_C = 90\mu A$$

$$y_2 - y_1 = m(x_2 - x_1)$$

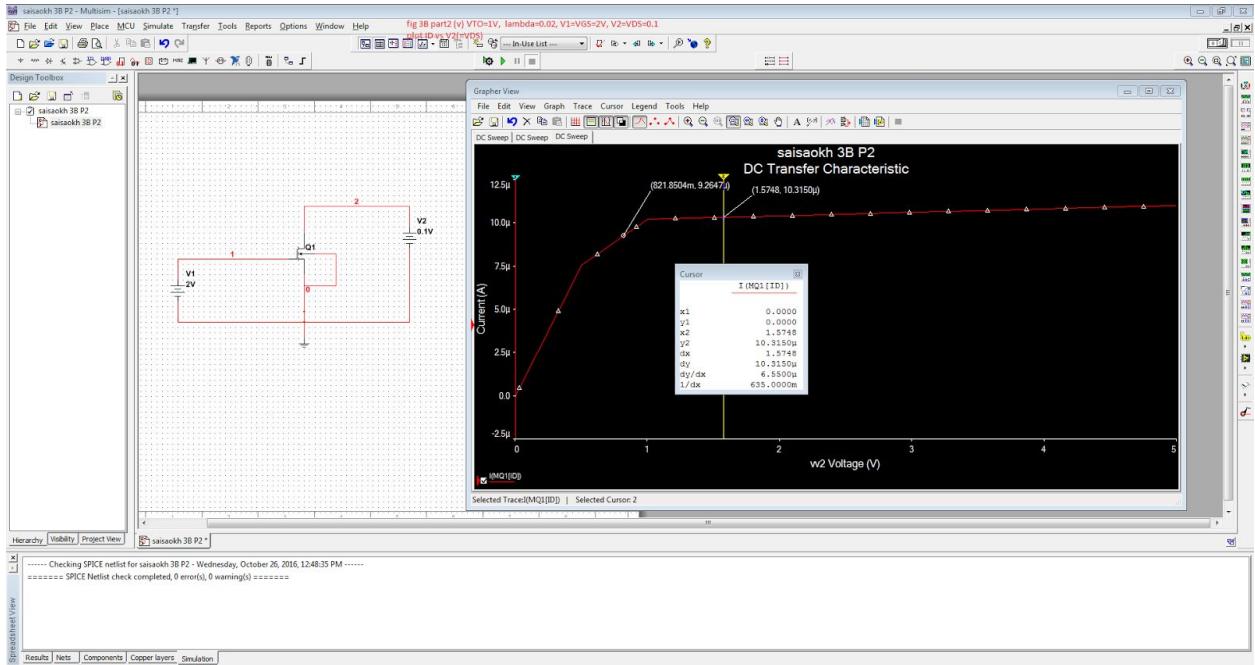
$$(96.7528\mu - 0) = 1.8\mu (3.7516 - x_1)$$

$$(96.7528\mu) = 6.7528\mu - 1.8\mu x_1$$

$$90\mu = -1.8\mu x_1$$

$$x = -50 V$$

$$-V_A = -50V$$



Correct values of V_A , $\frac{1}{\lambda}$, r_o :

When $\lambda = 0.05$ & $V_{GS} = 2V$:

$$\frac{1}{\lambda} = \frac{1}{0.05} = 20 \quad -V_A = -20V = 20V \quad r_o = \frac{V_A}{I_C} = \frac{20V}{10\mu A} = 2M\Omega$$

When $\lambda = 0.05$ & $V_{GS} = 3.3V$:

$$\frac{1}{\lambda} = \frac{1}{0.05} = 20 \quad -V_A = -20V = 20V \quad r_o = \frac{V_A}{I_C} = \frac{20V}{40\mu A} = 500k\Omega$$

When $\lambda = 0.05$ & $V_{GS} = 4V$:

$$\frac{1}{\lambda} = \frac{1}{0.05} = 20 \quad -V_A = -19.625V = 19.625V \quad r_o = \frac{V_A}{I_C} = \frac{19.625V}{89.706\mu A} = 218.770k\Omega$$

When $\lambda = 0.02$ & $V_{GS} = 2V$:

$$\frac{1}{\lambda} = \frac{1}{0.02} = 50 \quad -V_A = -50.0265V = 50.0265V \quad r_o = \frac{V_A}{I_C} = \frac{50.0265V}{10.0003\mu A} = 500.249k\Omega$$

When $\lambda = 0.02$ & $V_{GS} = 3.3V$:

$$\frac{1}{\lambda} = \frac{1}{0.02} = 50 \quad -V_A = -49.9933V = 49.9933V \quad r_o = \frac{V_A}{I_C} = \frac{49.9933V}{39.9998\mu A} = 124.984k\Omega$$

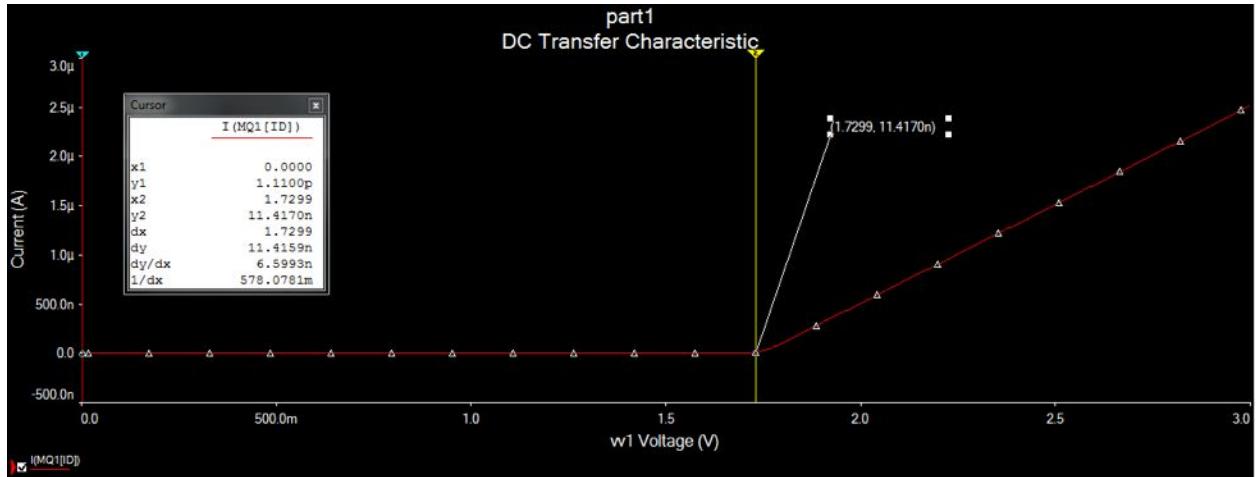
When $\lambda = 0.02$ & $V_{GS} = 4V$:

$$\frac{1}{\lambda} = \frac{1}{0.02} = 50 \quad -V_A = -50V = 50V \quad r_o = \frac{V_A}{I_C} = \frac{50}{90\mu A} = 555.555 k\Omega$$

3B: Part 3 (Study the Body-effect by simulation)

Calculation of GAMMA (γ)

Plot of $I_D - V_{GS}$ to measure $V_T = 1.6V$ and $V_{GS} = 1V$



$$V_t = V_{t0} + \gamma \left[\sqrt{2\emptyset_f + V_{SB}} - \sqrt{2\emptyset_f} \right], \text{ Where, } 2\emptyset_f = 0.6V, V_{t0} = 1.6V, V_{SB} = 1V$$

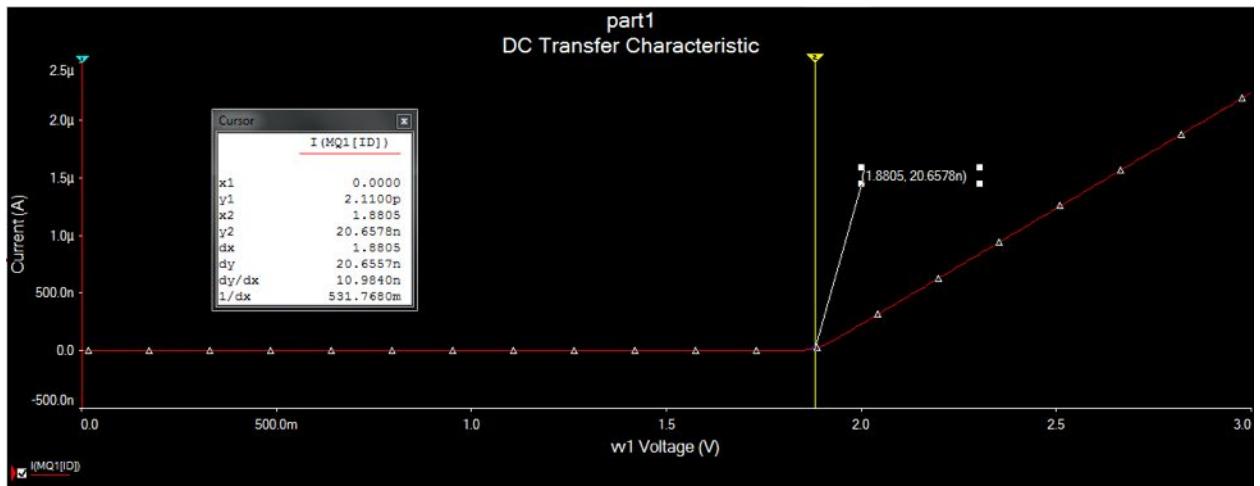
$$1.7299 = 1.6 + \gamma \left[\sqrt{0.6 + 1} - \sqrt{0.6} \right]$$

$$1.7299 - 1.6 = \gamma [\sqrt{1.6} - \sqrt{0.6}]$$

$$\frac{0.2299}{[\sqrt{1.6} - \sqrt{0.6}]} = \gamma$$

$$0.2649 = \gamma$$

Plot of $I_D - V_{GS}$ to measure $V_T = 1.6V$ and $V_{GS} = 2V$



$$V_t = V_{t0} + \gamma \left[\sqrt{2\phi_f + V_{SB}} - \sqrt{2\phi_f} \right], \text{ Where, } 2\phi_f = 0.6V, V_{t0} = 1.6 V, V_{SB} = 2V$$

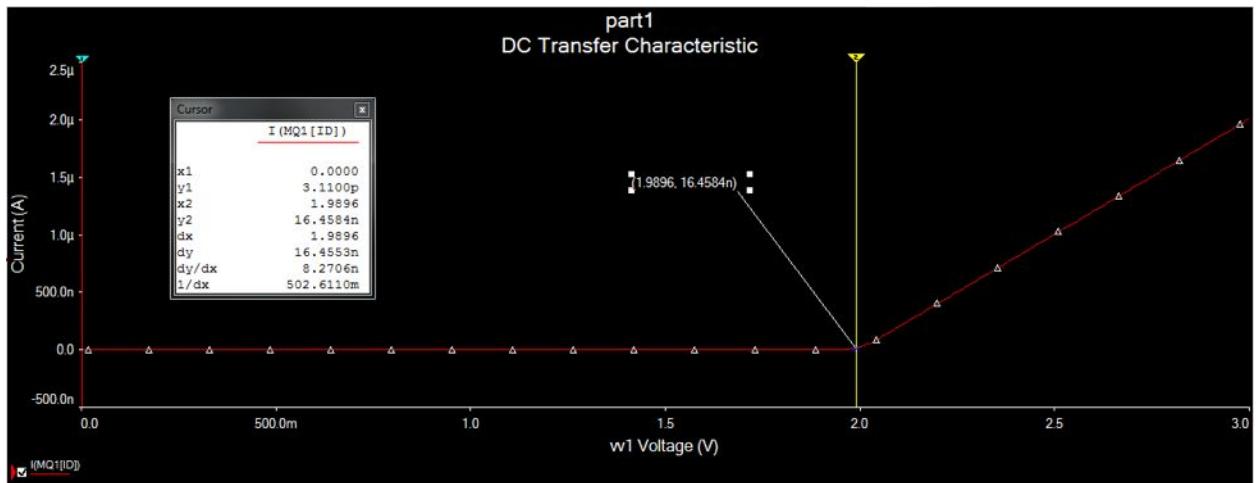
$$1.8805 = 1.6 + \gamma \left[\sqrt{0.6 + 2} - \sqrt{0.6} \right]$$

$$1.8805 - 1.6 = \gamma [\sqrt{2.6} - \sqrt{0.6}]$$

$$\frac{0.2805}{[\sqrt{2.6} - \sqrt{0.6}]} = \gamma$$

$$0.3348 = \gamma$$

Plot of $I_D - V_{GS}$ to measure $V_T = 1.6V$ and $V_{GS} = 3V$



$$V_t = V_{t0} + \gamma \left[\sqrt{2\phi_f + V_{SB}} - \sqrt{2\phi_f} \right], \text{ Where, } 2\phi_f = 0.6V, V_{t0} = 1.6V, V_{SB} = 3V$$

$$1.9896 = 1.6 + \gamma \left[\sqrt{0.6 + 3} - \sqrt{0.6} \right]$$

$$1.9896 - 1.6 = \gamma [\sqrt{3.6} - \sqrt{0.6}]$$

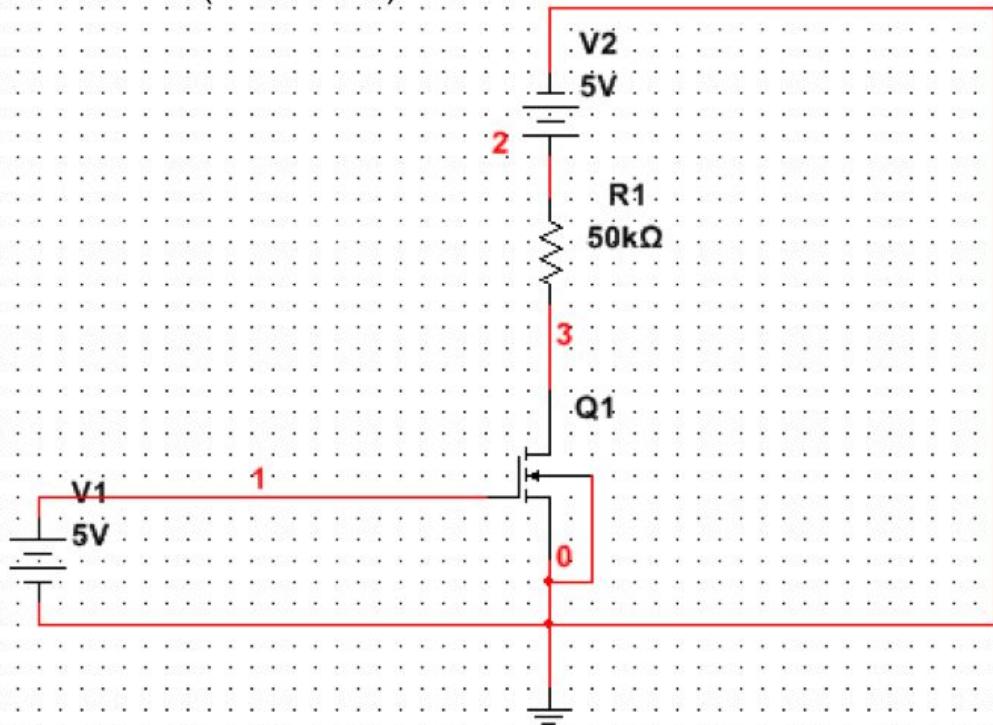
$$\frac{0.3896}{[\sqrt{3.6} - \sqrt{0.6}]} = \gamma$$

$$0.34699 = \gamma$$

3B; Part 4 (Design & Study the Q-point)

Correct circuit schematic

saisaokh(50168989)



Plot of Output voltage vs.Gate-source voltage & reasonable Q-point

