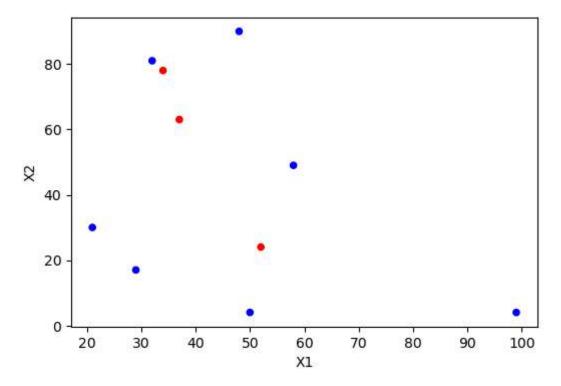
```
In [1]:
        Create two vectors using NumPy and check how many values are equal in the two
         vectors.
         Example
        V1 = [1 6 7 9]
        V2 = [1 0 6 9]
         import numpy as np
        V1=np.array([1,6,7,9])
        V2=np.array([1,0,6,9])
        np.sum(V1==V2)
Out[1]:
In [2]:
        '''Matrix creation using NumPy
         a. Create a matrix M with 10 rows and 3 columns and populate with random
         values.
         Example:
         [[60 97 34]
         [66 37 65]
         ....
         [64 64 44]]
         1.1.1
        M=np.random.randint(1,101,size=(10,3))
         print(M)
        [[58 49 79]
         [99 4 97]
         [34 78 95]
         [32 81 59]
         [52 24 91]
          [37 63 24]
          [50 4 64]
          [48 90 56]
          [21 30 96]
         [29 17 90]]
In [3]: # b. Print size of M.
        M. shape
        (10, 3)
Out[3]:
In [4]: # c. Print only the number of rows of M
        M.shape[0]
        10
Out[4]:
In [5]: #d. Print only the number of columns of M
        M.shape[1]
```

```
Out[5]:
In [6]:
         e. Write a simple loop to modify the third column as follows: If the sum of the
        first two columns is divisible by 4, Y should be 1 else, 0.
         Example: The above matrix will change as
         [[60 97 0]
         [66 37 0]
         ....
         [64 64 1]]
         for i in range(M.shape[0]):
             if (M[i, 0] + M[i, 1]) % 4 == 0:
                M[i, 2] = 1
             else:
                 M[i, 2] = 0
        Μ
        array([[58, 49,
                          0],
Out[6]:
                [99, 4,
                          0],
                [34, 78,
                          1],
                [32, 81,
                          0],
                [52, 24,
                          1],
                [37, 63,
                          1],
                [50, 4,
                          0],
                [48, 90,
                         0],
                [21, 30,
                          0],
                [29, 17, 0]])
In [7]: #3. Create pandas dataframe 'df' from the created matrix M and name the columns as X1,
        import pandas as pd
         df=pd.DataFrame(M,columns=['X1','X2','Y'])
         print(df)
           X1 X2
                   Υ
           58
               49
                   0
           99
        1
                4
                   0
        2
           34
               78
                   1
        3
           32 81
                   0
        4
           52
               24
                   1
        5
           37
               63
                   1
           50
        6
                4 0
        7
           48 90
                   0
           21
        8
               30
                   0
        9
           29
               17
                   0
In [8]: # 4. Plot X1 and X2 using scatter plot. Color (X1, X2) red if the corresponding Y is 1
         import matplotlib.pyplot as plt
         col=df.Y.map({0:'b',1:'r'})
         df.plot(kind='scatter',x='X1',y='X2',c=col,figsize=(6,4))
         plt.show()
```



```
In [9]:
          Find the Squared error
              a. For two columns X1, X2, find squared error: (x1 - x2)^2
              Example: Matrix M will have [1369 841 .... 0]
          squared_error=np.square(df['X1']-df['X2'])
          print('Squared error :',squared_error)
         Squared error: 0
                                 81
         1
              9025
         2
              1936
         3
              2401
         4
               784
         5
               676
         6
              2116
         7
              1764
         8
                81
               144
         dtype: int32
In [10]: # b. Find the sum of the squared error.
          sum_squared_error = np.sum(squared_error)
         print("Sum of Squared Error:", sum_squared_error)
         Sum of Squared Error: 19008
         #6. Find Euclidean distance between the first two rows of marix M.
In [11]:
          euclidean_distance_n = np.sqrt(np.sum((M[0] - M[1])**2))
          print("Euclidean Distance:", euclidean_distance_n)
         Euclidean Distance: 60.876925020897694
In [12]:
         euclidean distance=np.linalg.norm(M[0]-M[1])
          print("Euclidean Distance:", euclidean_distance)
```

Euclidean Distance: 60.876925020897694

```
In [13]: #7. Create a vector V with three random values. Find the Euclidean distance between ea
         V=np.random.randint(1,101,size=3)
         print('Vector : ',V)
         distances=np.linalg.norm(M-V,axis=1)
         print('Euclidean distance between each row of M and V :\n',distances)
         Vector: [81 59 19]
         Euclidean distance between each row of M and V :
          [31.46426545 60.90976933 53.79591063 56.97367813 48.88762625 47.70744177
          65.93178293 49.10193479 69.29646456 69.49100661]
In [14]:
         8.Create a matrix A with 10 rows and 2 columns. Add a new column to a matrix. (Use
         np.column stack). Add a new row to a matrix(Use np.vstack)
         A=np.random.randint(1,51,size=(10,2))
         print('A:\n',A)
         # adding colmun
         C=np.random.randint(1,51,size=10)
         print('C:\n',C)
         A=np.column_stack((A,C))
         print('A:\n',A)
         # adding row
         R=np.random.randint(1,51,size=3)
         print('R:\n',R)
         A=np.vstack((A,R))
         print('A:\n',A)
```

```
Α:
          [[24 28]
          [ 7 26]
          [40 5]
          [31 13]
          [40 25]
          [26 22]
          [ 6 13]
          [37 11]
          [ 5 33]
          [12 22]]
          [50 14 15 25 45 44 4 50 42 7]
         Α:
          [[24 28 50]
          [ 7 26 14]
          [40 5 15]
          [31 13 25]
          [40 25 45]
          [26 22 44]
          [ 6 13 4]
          [37 11 50]
          [ 5 33 42]
          [12 22 7]]
         R:
          [16 6 8]
         Α:
          [[24 28 50]
          [ 7 26 14]
          [40 5 15]
          [31 13 25]
          [40 25 45]
          [26 22 44]
          [6134]
          [37 11 50]
          [ 5 33 42]
          [12 22 7]
          [16 6 8]]
In [15]:
         9. Create a matrix M1 with two columns X1' and X2' and populate with random values.
         Find the Euclidean distance between each row of M1 with each row of M. Store the
         distance in a matrix Dist with 3 columns. The first column is the row id of M, the sec
         column is the row id of M1, and the third column is the distance value. Compare the
         result with the following code
```

M1=np.random.randint(1,51,size=(10,2))

print('M1:\n',M1)

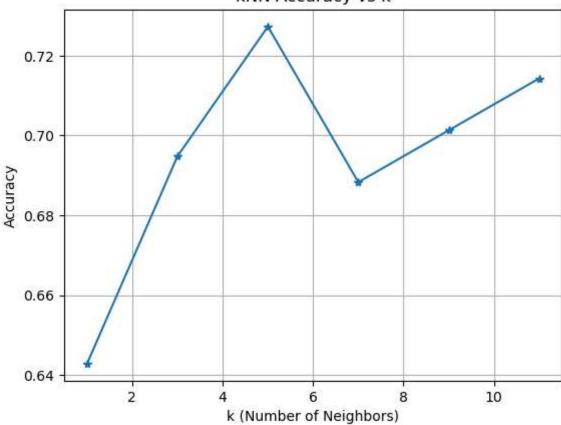
```
M1:
          [[46 25]
          [30 40]
          [ 7 21]
          [27 38]
          [17 10]
          [17 34]
          [21 49]
          [20 38]
          [ 3 41]
          [49 49]]
In [16]:
         from sklearn.metrics.pairwise import euclidean distances
         dist=euclidean distances(M[:,:2],M1)
         print(dist)
         [[ 26.83281573
                         29.41088234 58.18075283
                                                    32.89376841
                                                                 56.5862174
            43.65775991
                         37.
                                       39.56008089
                                                    55.57877293
                                                                  9.
          57.00877125
                         77.82673063
                                      93.55746897
                                                    79.62411695
                                                                 82.21921916
            87.31551981
                         90.04998612
                                      86.00581376 102.88342918
                                                                 67.26812024]
          54.34151268
                        38.20994635
                                      63.07138812 40.60788101 70.09279564
            47.16990566 31.78049716
                                      42.3792402
                                                    48.27007354
                                                                 32.64965543]
          57.72347876 41.0487515
                                       65.
                                                    43.28972164
                                                                 72.56721023
            49.33558553 33.83784863
                                      44.64302857
                                                                 36.23534186]
                                                    49.40647731
            6.08276253 27.20294102
                                      45.09988914
                                                    28.65309756 37.69615365
            36.40054945
                        39.8246155
                                       34.92849839
                                                    51.86520992
                                                                 25.17935662]
          [ 39.05124838 24.04163056
                                      51.6139516
                                                    26.92582404 56.64803615
            35.22782991 21.26029163
                                      30.23243292
                                                    40.49691346 18.43908891]
                                                    41.0487515
          [ 21.37755833 41.18252056
                                      46.23851209
                                                                 33.54101966
            44.59820624 53.53503526
                                      45.3431362
                                                    59.81638571 45.01110974]
          [ 65.03076195 53.14132102
                                      80.26207074
                                                    56.08029957
                                                                 85.79627032
            64.00781202 49.09175083
                                      59.05929224
                                                    66.52818951
                                                                41.01219331]
          [ 25.49509757
                         13.45362405
                                      16.64331698
                                                    10.
                                                                 20.39607805
             5.65685425
                         19.
                                        8.06225775
                                                    21.09502311 33.83784863]
          [ 18.78829423
                                      22.36067977
                                                    21.09502311
                                                                 13.89244399
                         23.02172887
            20.80865205
                         32.984845
                                       22.84731932 35.38361203
                                                                 37.73592453]]
In [17]:
         Dist = []
                                           # rows of M
         for i in range(M.shape[0]):
             for j in range(M1.shape[0]): # rows of M1
                  d = np.linalg.norm(M[i, :2] - M1[j])
                                                         # Euclidean distance
                  Dist.append([i, j, d]) # row id of M, row id of M1, distance
         Dist=np.array(Dist)
         print(Dist[:10])
         [[ 0.
                        0.
                                    26.83281573]
          Γ
            0.
                        1.
                                    29.41088234]
            0.
                        2.
                                    58.18075283]
            0.
                        3.
                                    32.89376841]
            0.
                        4.
                                    56.5862174 ]
            0.
                        5.
                                    43.65775991]
            0.
                                    37.
                        6.
            0.
                        7.
                                    39.56008089]
            0.
                        8.
                                    55.57877293]
          [ 0.
                        9.
                                     9.
                                               ]]
         1.1.1
In [18]:
         10. Sort the Dist matrix based on the last column.
         {\sf Use(print(a[a[:,n].argsort()]))} where a is the matrix and n is the column based on whi
```

```
sorted_Dist=Dist[Dist[:,-1].argsort()]
         sorted_Dist[:10]
                          , 5.
                                       , 5.65685425],
        array([[ 8.
Out[18]:
                                       , 6.08276253],
               [ 8.
                         , 7.
                                       , 8.06225775],
                         , 9.
                                     , 9.
                 0.
                          , 3.
                                     , 10.
               [ 8.
                          , 1.
                                     , 13.45362405],
               [ 8.
                          , 4.
                                       , 13.89244399],
               [ 9.
               [ 8.
                          , 2.
                                       , 16.64331698],
                          , 9.
                                       , 18.43908891],
               [ 5.
               [ 9.
                             0.
                                       , 18.78829423]])
In [19]: #11. Get the initial k rows from the sorted matrix
         k=11
         k rows=sorted Dist[:k]
        # 12. Find the number of 1s and 0s in the k rows above. Print 1 if the number of 1s is
In [20]:
         ones=np.sum(k_rows==1)
         zeros=np.sum(k_rows==0)
         if ones> zeros:
             print(1)
         else:
             print(0)
         0
         PART B: KNN Implementation
In [21]: # a. Load diabetes dataset
         df=pd.read_csv('diabetes_dataset.csv')
In [22]: # b. Peek at a few rows.A
         print(df.head())
           Pregnancies Glucose BloodPressure SkinThickness Insulin
                                                                      BMI \
         0
                           148
                                                                  0 33.6
                     6
                                  72
                                                        35
                                                         29
         1
                     1
                            85
                                          66
                                                                   0 26.6
         2
                     8
                           183
                                           64
                                                         0
                                                                   0 23.3
                     1
                                                         23
         3
                            89
                                           66
                                                                 94 28.1
         4
                           137
                                           40
                                                         35
                                                                 168 43.1
           DiabetesPedigreeFunction Age Outcome
         0
                             0.627
                                     50
                                               1
                             0.351
                                               0
         1
                                     31
         2
                             0.672
                                    32
                                               1
         3
                             0.167
                                     21
                             2.288
                                               1
         4
                                    33
In [23]: | # c. Split the dataset into 80% training and 20% testing using numpy slicing
         data=df.values
         n=data.shape[0]
```

```
split index=int(0.8*n)
         train,test=data[:split_index],data[split_index:]
In [24]: # d. Use the inbuilt function to do splitting and interpret results
         from sklearn.model selection import train test split
         arr=data
         X=arr[:,0:8]
         Y=arr[:,8]
         X_train,X_test,y_train,y_test=train_test_split(X,Y,test_size=0.20)
         print(X_test)
         [[2.00e+00 8.80e+01 7.40e+01 ... 2.90e+01 2.29e-01 2.20e+01]
          [6.00e+00 1.15e+02 6.00e+01 ... 3.37e+01 2.45e-01 4.00e+01]
          [6.00e+00 1.02e+02 8.20e+01 ... 3.08e+01 1.80e-01 3.60e+01]
          [7.00e+00 1.29e+02 6.80e+01 ... 3.85e+01 4.39e-01 4.30e+01]
          [2.00e+00 1.14e+02 6.80e+01 ... 2.87e+01 9.20e-02 2.50e+01]
          [7.00e+00 1.33e+02 8.40e+01 ... 4.02e+01 6.96e-01 3.70e+01]]
In [25]: | # e. Do normalisation of training as well as testing dataset using StandardScaler
         from sklearn.preprocessing import StandardScaler
         scaler =StandardScaler()
         X_train_scaled=scaler.fit_transform(X_train)
         X test scaled=scaler.transform(X test)
In [26]: # f. Invoke inbuilt kNN function.
         from sklearn.neighbors import KNeighborsClassifier
         classifier=KNeighborsClassifier()
         classifier.fit(X_train_scaled,y_train)
         y_pred=classifier.predict(X_test_scaled)
In [27]: # g. Evaluate KNN
         from sklearn.metrics import classification_report,confusion_matrix,accuracy_score
         KNN_accuracy=accuracy_score(y_test,y_pred)
         print("Accurace score : ",KNN_accuracy)
         print('Confusion matrix :')
         cm=confusion_matrix(y_test,y_pred)
         print(cm)
         print('\nClassification report :')
         print(classification_report(y_test,y_pred))
```

```
Accurace score : 0.72727272727273
         Confusion matrix :
         [[79 13]
         [29 33]]
         Classification report :
                      precision recall f1-score support
                         0.73
                  0.0
                                     0.86
                                               0.79
                                                          92
                          0.72
                                     0.53
                                               0.61
                                                          62
                 1.0
                                               0.73
                                                         154
             accuracy
                         0.72
                                                         154
                                     0.70
                                               0.70
            macro avg
         weighted avg
                           0.73
                                     0.73
                                              0.72
                                                         154
In [28]: # h. Find total number of correct predections
         # Total correct predictions = TN + TP
         total_correct_predections=cm[0,0]+cm[1,1]
         print(total_correct_predections)
         112
In [29]: # i. Repeat f, g, h for different values of k in kNN. And plot the graph
         import matplotlib.pyplot as plt
         k_{values} = [1, 3, 5, 7, 9, 11]
         accuracies = []
         for k in k_values:
             knn = KNeighborsClassifier(n_neighbors=k)
             knn.fit(X_train_scaled, y_train)
             y pred k = knn.predict(X test scaled)
             acc = (y_test == y_pred_k).sum() / len(y_test)
             accuracies.append(acc)
         # Plot k vs accuracy
         plt.plot(k_values, accuracies, marker='*')
         plt.title("kNN Accuracy vs k")
         plt.xlabel("k (Number of Neighbors)")
         plt.ylabel("Accuracy")
         plt.grid(True)
         plt.show()
```





In [30]: # j. implement kNN on your own using the above exercises and apply them to the diabete from collections import Counter from sklearn.metrics import accuracy_score def euclidean_distance(a,b): return np.sqrt(np.sum((a-b)**2)) def knn(X_train,y_train,X_test,k=n): y_pred=[] for test_point in X_test: distance=[euclidean_distance(test_point,x) for x in X_train] k_indices=np.argsort(distances)[:k] k_labels=[y_train[i] for i in k_indices] most_common =Counter(k_labels).most_common(1)[0][0] y_pred.append(most_common) return np.array(y_pred) y_pred_manual = knn(X_train_scaled, y_train, X_test_scaled, k=5) print(f"Manual KNN Accuracy: {accuracy_score(y_test, y_pred_manual):.2f}") print(f"Python KNN Accuracy : {KNN accuracy:.2f}",)

Manual KNN Accuracy: 0.40 Python KNN Accuracy: 0.73