

## Today's Content

- a) Characters matching
- b) Permutations of  $A$  in  $B$
- c) class of permutations

10. Given 2 strings, check no: of characters are matching.

Ex:  $S_1 = \text{an at}$      $\text{ans} = 4$

$S_2 = \text{t a n a m}$

Idea1: a. Using 2 hashmaps & storing frequencies & compares

b. Using 1 Hashmap & get count

$S_1 = \text{a b a c b e}$      $\text{ans} = 4$

$S_2 = \text{a c a c a b}$

TODO

Idea2: Using 2 hashmaps

$S_1 = \text{a c b a c b a} \rightarrow \text{HM}_1: \{ a:3 \ b:2 \ c:2 \}$

$S_2 = \text{a b c c b c b} \rightarrow \text{HM}_2: \{ a:1 \ b:3 \ c:3 \}$

$\text{cnt} = 1 \ 1 \ 1 \ 1 \ 0 \ 0 = 5$

$S_1 = \text{b c b c a b b} \rightarrow \text{HM}_1: \{ b:4 \ c:2 \ a:1 \}$

$S_2 = \text{c a e b a a d c} \rightarrow \text{HM}_2: \{ c:2 \ a:3 \ e:1 \ b:1 \ d:1 \}$

$1 \ 1 \ * \ 1 \ * \ * \ * \ 1 = 4$

1  
`int match(String s1, String s2) { TC: O(N+M) SC: O(N+M)`

`HashMap<char, int> hm1;`

`HashMap<char, int> hm2;`

`int N = s1.length();`

`for (int i = 0; i < N; i++) {`

`char ch = s1.charAt(i);`

`if (hm1.containsKey(ch) == true) {`

`int f = hm1.get(ch)`

`} hm1.put(ch, f+1)`

`} else { hm1.put(ch, 1) }`

`int c = 0;`

`int M = s2.length();`

`for (int l = 0; l < M; l++) {`

`char ch = s2.charAt(l);`

`if (hm2.containsKey(ch) == true) {`

`int f = hm2.get(ch)`

`} hm2.put(ch, f+1)`

`else { hm2.put(ch, 1) }`

`// Check if character ch is valid?`

`if (hm1.containsKey(ch) && hm2.containsKey(ch) && hm1.get(ch) == hm2.get(ch)) {`

`c = c + 1 // ch is valid character.`

`}`

`return c;`

`}`

2Q. Given a  $S_1$  &  $S_2$  of equal lengths

check if they are permutations of each other.

Permutation: If freq of all characters is same in both strings:

Note: If 2 strings length are different, they can never be permutations of each other.

Ex:  $S_1 = a n a t$      $S_2 = t a n a$  = permutations    match char  
4 = 4

$S_1 = a b a c b$      $S_2 = a c a b c$  = not permutation    4  $\neq$  5

$S_1 = a b a c b$      $S_2 = a b b c a$  = permutation    5 = 5

Idea: 1. Sorting & compare

$S_1 = a b a c b$      $S_2 = a b b c a$   
↳  $S_1 = a a b b c$      $S_2 = a a b b c$

TC:  $O(N \log N + N \log N + N) = O(N \log N)$

2. boolean permutations(String  $S_1$ , String  $S_2$ ) {

    int c = match( $S_1$ ,  $S_2$ ); // no. of character matching in  $S_1$  &  $S_2$

    int N =  $S_1$ .length //  $S_2$ .length

    if (c == N) { return true }

    else { return false }

}

38: Count no: of substrings of  $A_N$  are permutations of String  $B_k$ :  $N \geq k$

Ex:  $A_N$ : a b c b a b b c ans=4.

$A[0 \ 3] = a b c b$  permutation  $B_k: a c b b$

$A[1 \ 4] = b c b a$  permutation  $B_k: a c b b$

$A[2 \ 5] = c b a b$  permutation  $B_k: a c b b$

$A[3 \ 6] = b a b b$  not permut  $B_k: a c b b$

$A[4 \ 7] = a b b c$  permutation  $B_k: a c b b$

Idea:

Get all substring of len=k from String A & check if its permutation to B.

TC:  $O(N-k+1) * O(k) \approx O(N^2)$  SC:  $O(k)$

Note: no: of substrings of len=k in size N =  $N-k+1$

TC:  $O(N-k+1) * O(k)$

Worst case:

$k=1$  TC:  $O(N-1+1)(1) = O(N)$

$k=N$  TC:  $O(N-N+1)(N) = O(N)$

$k=N/2$  TC:  $O(N-N/2+1)(N/2) = O(N/2 * N/2) \approx O(N^2)$

Idea 1: Fixed Subarray length

$B_k: a b a c b \rightarrow \text{freq} \{a:2, b:2, \underline{c:1}\}$

$A_N: a c a c a b b c a e$   
 indices: 0 1 2 3 4 5 6 7 8 9  
 curr:

Substring:

freq:

match:

ans

[0-4]	remove	add	{a:3 c:2 }	1+1+1 = 3 ≠ 5	not per, 0
<sup>s</sup> [1-5]	arr[0]	arr[5]	{a:2 c:2 b:1 }	3+1 = 4 ≠ 5	not per, 0
[2-6]	arr[1]	arr[6]	{a:2 c:1 b:2 }	4+1 = 5 = 5	permu, 1
[3-7]	arr[2]	arr[7]	{a:1 c:2 b:2 }	5-1 = 4 ≠ 5	not per, 0
[4-8]	arr[3]	arr[8]	{a:2 c:1 b:2 }	4+1 = 5 = 5	permu, 1
[5-9]	arr[4]	arr[9]	{a:1 c:1 b:2 e:1 }	5-1 = 4 ≠ 5	not per, 0

Note: When we add a valid character:

match count inc by 1

When we remove a valid character:

match count dec by 1

int permutation(String A, String B) { TC: O(N) SC: O(N)

int N = A.length, k = B.length;

HashMap<char, int> hm1

Step 1: Insert all character of B in hm1

Step 2: Insert first k character of A in hm2, get match count

int match = 0;

for (int i = 0; i < k; i++) {

char ch = A.charAt(i);

if (hm2.containsKey(ch)) {

int f = hm2.get(ch)

hm2.put(ch, f+1)

else { hm2.put(ch, 1) }

// check if ch is valid character

if (hm1.containsKey(ch) && hm2.get(ch) <= hm1.get(ch)) {  
match++;

}

int ans = 0;

if (match == k) { ans = ans + 1 }

int s = 1, e = k; // 2<sup>nd</sup> substring.

while (e < N) {

// remove A[s-1] & add A[e]

char ch = A.charAt(s-1);

int f = hm2.get(ch)

hm2.put(ch, f-1);

// check if we removed a valid character

if (hm1.containsKey(ch) && hm2.get(ch) < hm1.get(ch)) {  
match = match - 1

```

char ch = A.charAt(e);
if (hm2.containsKey(ch)) {
    int f = hm2.get(ch);
    hm2.put(ch, f+1);
} else { hm2.put(ch, 1); }
// check if ch is valid character
if (hm1.containsKey(ch) && hm2.get(ch) != hm1.get(ch)) {
    match++;
}
if (match == k) { // permutation.
    ans = ans + 1;
}
s = s + 1; e = e + 1;
}
return ans;
}

```



38) Given an array of strings return no. of class of permutations are there?

Note: 2 strings are of same class if they are permutations of each other

Q: How many different class of strings are there

Constraints: N strings, each of length L.

Ex: arr[] = 0 anact

1 babel

2 tacna

3 elbab

4 actna

5 carel

6 lebab

7 lerac

8 valac

class 1 anact : 0 2 4

class 2 babel : 1 3 6

class 3 carel : 5 7

class 4 valac : 8

Ex: arr[] = 0 anact

1 babel

2 tacna

3 elbab

4 actna

5 carel

6 lebab

7 lerac

8 valac

Sorted

aacnt

Insert in hashset

abbel

aacnt

abbel

aacnt

acelr

abbel

aculr

aaculv

HS: 4:

aacnt

abbel

acelr

aaculv

TC:  $O(N * L \log L) + N * O(L) = O(N * L \log L)$

Sorting a string of L size

Insert string in hashset