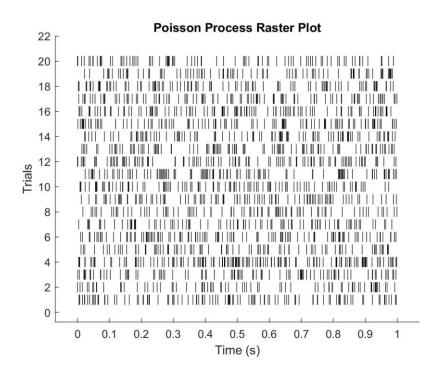
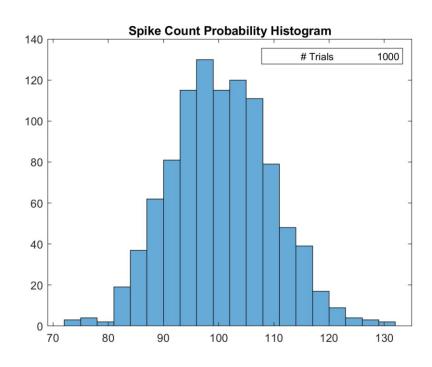
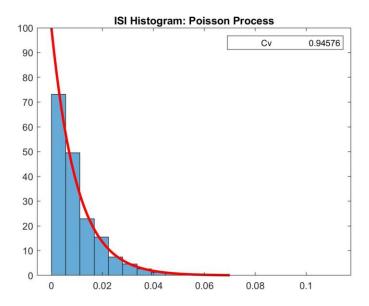
1-a-



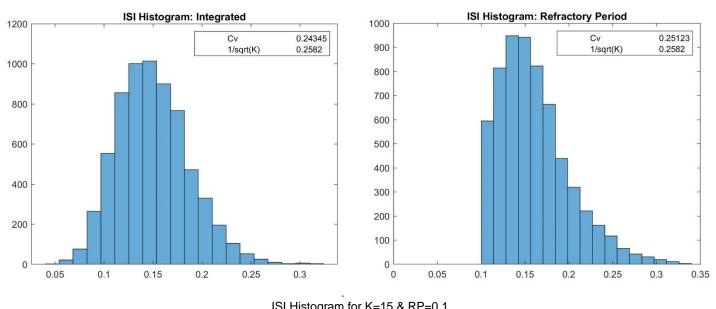
• 1-b-



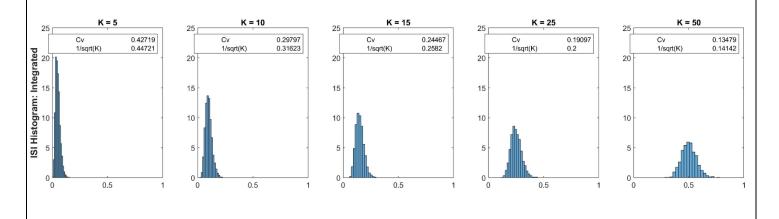
1-c-



1-d-



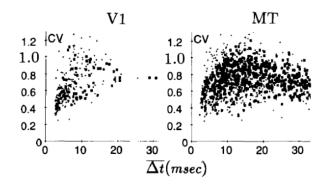
ISI Histogram for K=15 & RP=0.1



• 1-e-

$$\begin{split} \chi_i &\sim \text{Exp}(\lambda) \\ \tau &= \sum_i^k \ X_i \sim \text{Erlang}(k,\lambda) \\ f(x;k,\lambda) &= \frac{\lambda^k x^{k-1} e^{-\lambda x}}{(k-1)!} \text{ for } x,\lambda \geq 0, \\ C_v &= \frac{\text{std}(\tau)}{E(\tau)} = \frac{\left(\frac{\sqrt[2]{k}}{\lambda}\right)}{\left(\frac{k}{\lambda}\right)} = \frac{1}{\sqrt{k}} \end{split}$$

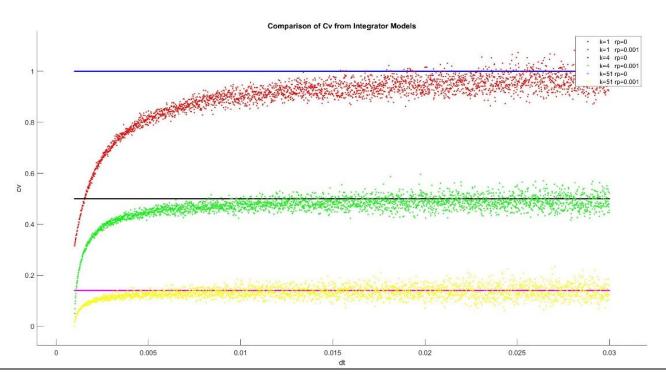
• 1-f-



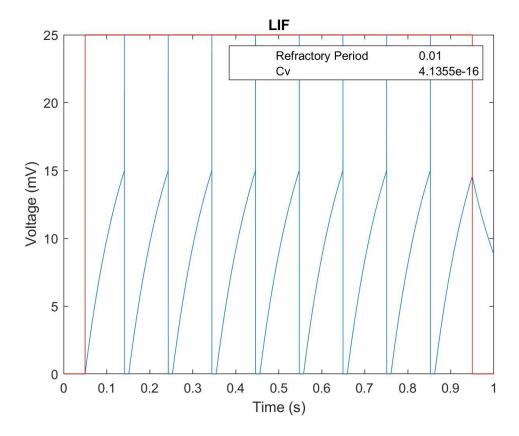
Higher firing rate lowers Cv. It causes absolutely periodic spikes which has zero variance (Cv=0).

Integration causes firing rate to become regularized which has same ISIs and lowers Variance and Cv.

• 1-g-



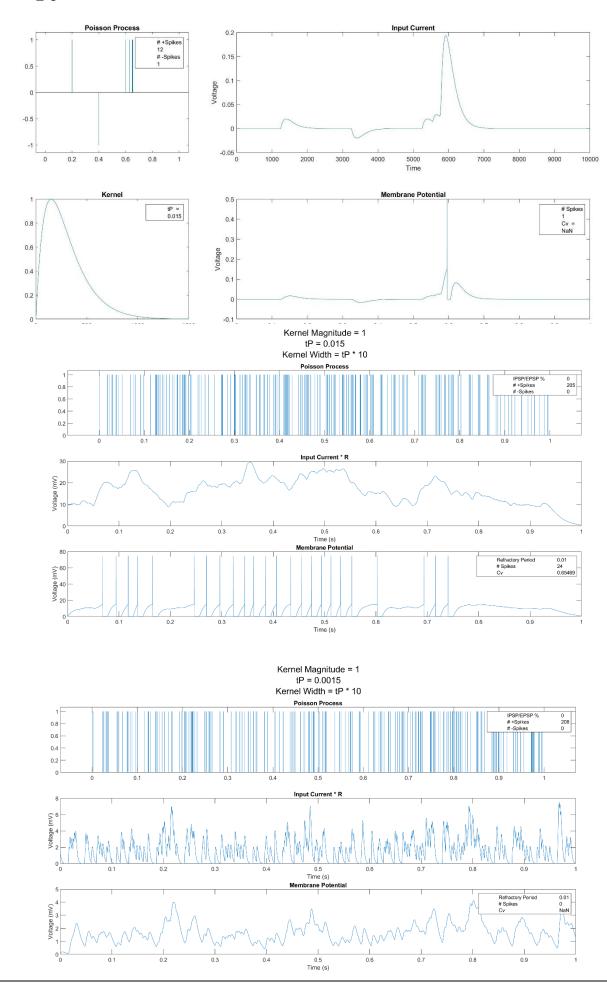
2-a-

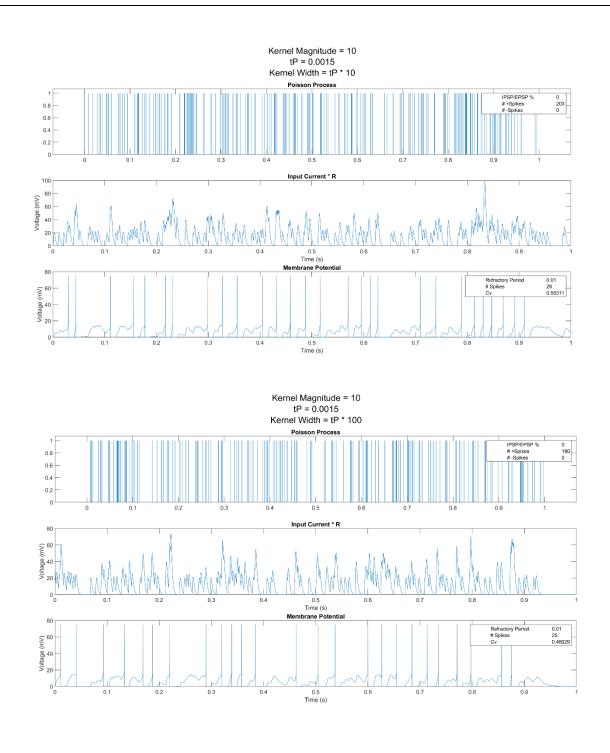


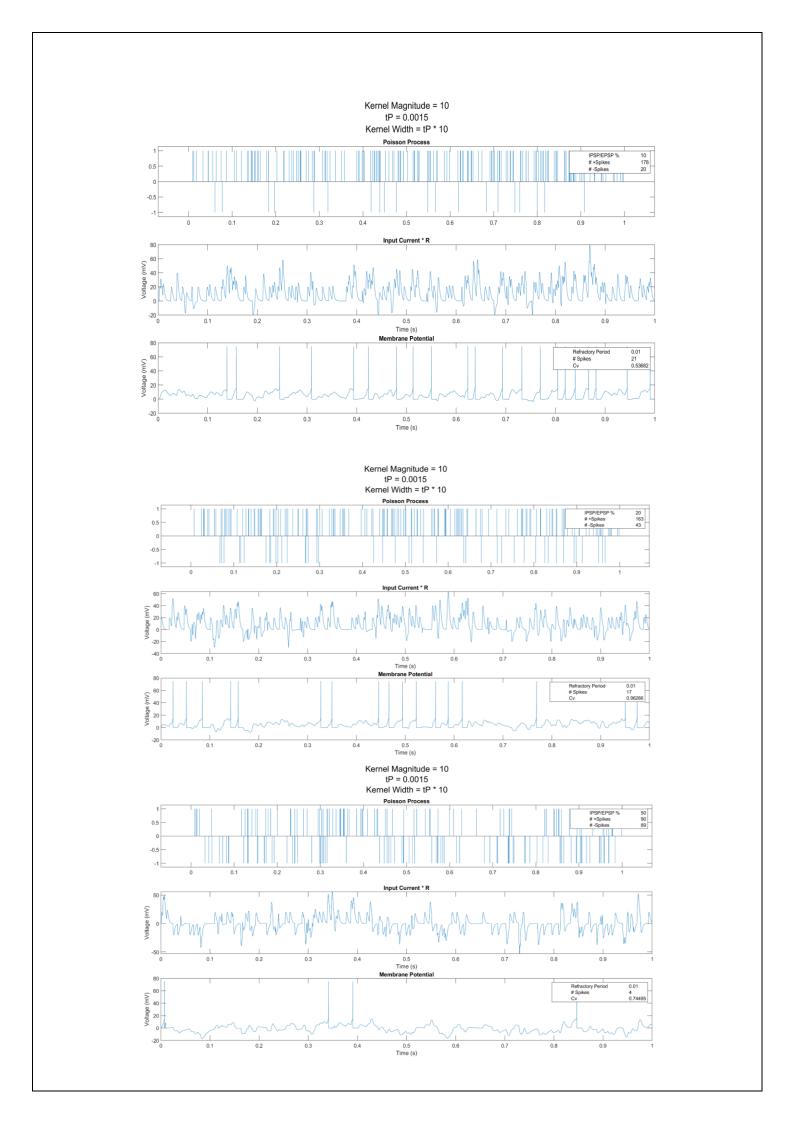
• 2-b-

$$\begin{split} \tau_m \frac{dv}{dt} &= -v(t) + RI \rightarrow v(t) = Ae^{-\frac{t}{\tau_m}} + B \\ v(0) &= 0 \quad \rightarrow A = -B \rightarrow v(t) = Ae^{-\frac{t}{\tau_m}} - A \\ v(\infty) &= RI \rightarrow A = -RI \quad \rightarrow v(t) = -RIe^{-\frac{1}{\tau_m}} + RI \\ &\rightarrow v(t) = RI \left(1 - e^{-\frac{t}{\tau_m}}\right) \\ v(t_{isi}) &= V_{th} \rightarrow V_{th} \quad = RI \left(1 - e^{-\frac{t}{\tau_m}}\right) \\ 1 - \frac{V_{th}}{RI} &= e^{-\frac{t_{sin}}{\tau_m}} \\ - \frac{t_{isi}}{\tau_m} &= \ln\left(1 - \frac{V_{th}}{RI}\right) \\ t_{isi} &= -\tau_m \ln\left(1 - \frac{V_{th}}{RI}\right) \\ t_{isi} &= \tau_{mm} \ln\left(\frac{RI}{RI - V_{th}}\right) \\ FR &= \frac{1}{t_{isi} + \Delta t_r} &= \frac{1}{\tau_m \ln\left(\frac{RI}{RI - V_{th}}\right) + \Delta t_r} \end{split}$$

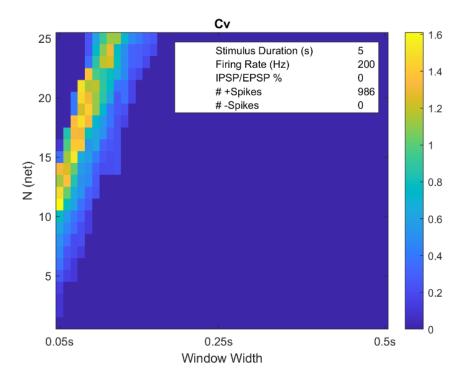
• 2-c-







• 2-e-



• 2-f-

