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In[432]:= file = "C:\\\\Users\\\\sajib\\\\src\\\\DRalgo\\\\examples\\\\ah_pot.m";

raw = Import[file, "Text"];

In[434]:= (*find the LAST V[phi_,T_]:=... line (DRalgo always puts at end)*)
lines = StringSplit[raw, "\n"];
potLine = Select[lines, StringContainsQ["V[phi_, T_]"]][[-1]];

rhs = StringTrim[StringSplit[potLine, ":="][[2]]];

In[437]:= expr = ToExpression[rhs /. {" $\phi$ "  $\rightarrow$   $\phi$ , " $Y\phi$ "  $\rightarrow$   $Y\phi$ }];

ClearAll[V];
V[ $\phi$ _, T_] := expr;

In[440]:= (*tiny floor for logs*) eps = 10.^-30;

exprSafe =
expr /. {(*sqrt(x)  $\rightarrow$  sqrt(|x|)*)Sqrt[x_]  $\Rightarrow$  Sqrt[Abs[x]], (*log(x)  $\rightarrow$  log(max(|x|,eps))*) Log[x_]  $\Rightarrow$  Log[Max[Abs[x], eps]], (*any half-integer power  $x^{(n/2)}$   $\rightarrow$   $|x|^{(n/2)}$ *) Power[x_, p_Rational] /; Denominator[p] == 2  $\Rightarrow$  Power[Abs[x], p]};

In[442]:= Clear[V];
V[ $\phi$ _, T_] := exprSafe;

In[444]:= (*4D input couplings*) g1Four = 0.54;
lam4 = 1.65 * 10^-3;
m0sq4 = -(130.^2);
Yphi4 = 1.0;

(*simple 4D  $\rightarrow$  3D matching, as in Python*)
g1sq3[T_] := g1Four^2 * T;
lam3[T_] := lam4 * T;
msq3[T_] := m0sq4 + (0.30 * g1Four^2 + 0.10 * lam4) * T^2;
mu3USfun[T_] := Max[g1Four * T, 1.0];
g13[T_] := Sqrt[g1sq3[T]];

ClearAll[parRules];
parRules[T_] := {g1  $\rightarrow$  g13[T],  $\lambda$   $\rightarrow$  lam3[T], msq  $\rightarrow$  msq3[T], Y $\phi$   $\rightarrow$  Yphi4,  $\mu$ 3US  $\rightarrow$  mu3USfun[T]};

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In[455]:= ClearAll[Vnum, dVnum];

Vnum[phi_?NumericQ, T_?NumericQ] :=
Module[{ex}, ex = exprSafe /. parRules[T] /.  $\phi \rightarrow \text{phi}$ ;
N[ex]];

dVnum[phi_?NumericQ, T_?NumericQ] := Module[{h}, h = 10^-3 * Max[1., Abs[phi]] + 10^-5;
(Vnum[phi + h, T] - Vnum[phi - h, T]) / (2 h)];
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In[458]:= vev = 500.;
phiMin = 0.;
phiMax = 1.1 \* vev;
step = 1.; (\*sampling resolution for ListLinePlot\*)

Manipulate[Module[{vPlot, dVdata, dVPlot}, (\*1) V vs phi (standard Plot\*)
vPlot = Plot[Vnum[\phi, T], {\phi, phiMin, phiMax}, PlotRange -> All,
PlotPoints -> 200, AxesLabel -> {"\phi", "V(\phi,T)"}, PlotLabel ->
Row[{"V(\phi,T) at T = ", NumberForm[T, {5, 1}], " MeV"}], ImageSize -> 400];
(\*2) Sample derivative explicitly,then ListLinePlot\*)
dVdata = Table[{phi, dVnum[phi, T]}, {\phi, 1., phiMax, step}];
dVPlot =
ListLinePlot[dVdata, PlotRange -> All, AxesLabel -> {"\phi", "dV/d\phi (\phi,T)"}, PlotLabel ->
Row[{"dV/d\phi at T = ", NumberForm[T, {5, 1}], " MeV"}], ImageSize -> 300];
GraphicsRow[{vPlot, dVPlot}, Spacings -> 2],
{{T, 0.}, 0., 3.5 \* vev, Appearance -> "Labeled"}]

Out[462]=

