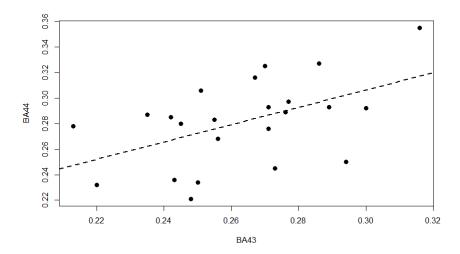
```
Scott Kobos
Stat318 HW9
4/14/19
2)
a)
Regression line:
BA44= .10368 + .67517(BA43)
> baseball.data= read.delim("clipboard", header= T)
> attach(baseball.data)
> crv.mod= lm(BA44~ BA43)
> summary(crv.mod)
lm(formula = BA44 \sim BA43)
Residuals:
                       Median
                 10
                                     3Q
-0.052177 -0.017221 0.006301 0.027441 0.039027
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
                        0.06636
                                  1.562
                                          0.1332
(Intercept) 0.10368
BA43
             0.67517
                        0.25128
                                  2.687
                                          0.0138 *
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.02968 on 21 degrees of freedom
Multiple R-squared: 0.2558, Adjusted R-squared: 0.2204
F-statistic: 7.22 on 1 and 21 DF, p-value: 0.0138
```

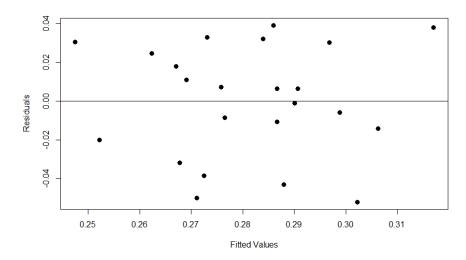
b)

```
> plot(BA43,BA44,xlab="BA43", ylab= "BA44", pch=16,cex=1.2)
> abline(a=crv.mod$coefficients[1],b=crv.mod$coefficients[2], lty=2,lwd=2)
```



c)

- > plot(crv.mod\$fitted, crv.mod\$residuals, pch=16,cex=1.2,xlab="Fitted Values"
 , ylab="Residuals")
- > abline(h=0)

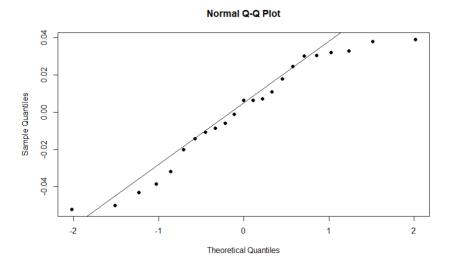


d)

The observations we can make from our models in b) and c) are that the linear model is appropriate and that the variance is constant due to the lack of a funnel shape.

e)

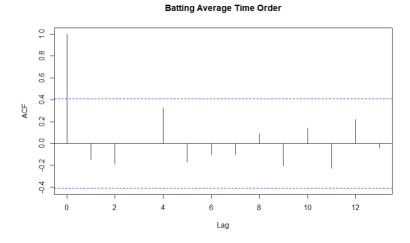
- > qqnorm(crv.mod\$residuals, pch=16)
 > qqline(crv.mod\$residuals)



From this plot we can conclude that it is not linear, it is not normal.

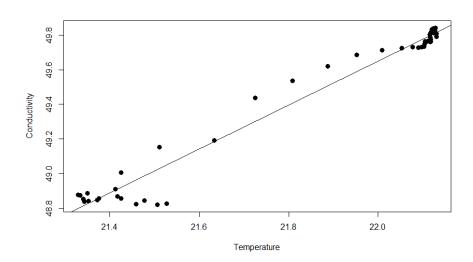
f)

> acf(crv.mod\$residuals, main="Batting Average Time Order")

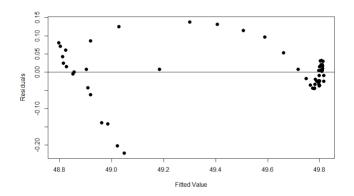


This plot, with no bars reaching the dotted line, tells us that there are no statistically significant correlations in the data, so they are independent.

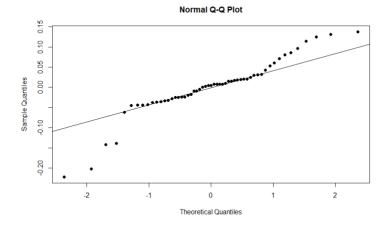
```
3) > water.data= read.delim("clipboard", header= T)
> attach(water.data)
> water.mod=lm(Conductivity~Temperature)
> summary(water.mod)
call:
lm(formula = Conductivity ~ Temperature)
Residuals:
     Min
                1Q
                      Median
                                    3Q
-0.221717 -0.029799 0.005071 0.027507 0.137561
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
                                         <2e-16 ***
(Intercept) 21.68384
                       0.63982
                                 33.89
Temperature 1.27117
                       0.02926
                                 43.45
                                         <2e-16 ***
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.06984 on 53 degrees of freedom
Multiple R-squared: 0.9727, Adjusted R-squared: 0.9722
F-statistic: 1888 on 1 and 53 DF, p-value: < 2.2e-16
> plot(Temperature, Conductivity, xlab="Temperature", ylab="Conductivity", pc
h=16, cex=1.2)
> abline(water.mod)
```



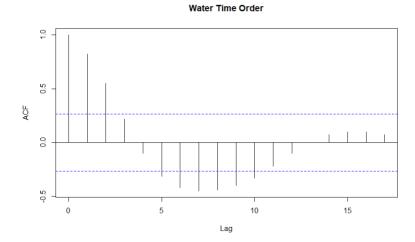
> plot(water.mod\$fitted, water.mod\$residuals, pch=16, cex=1.2, xlab= "Fitted
Value", ylab= "Residuals")
> abline(h=0)



- > qqnorm(water.mod\$residuals, pch=16)
 > qqline(water.mod\$residuals)



> acf(water.mod\$residuals, main="Water Time Order")



- -The first two plots show us that the data does not fit the linear model and the variance is not constant.
- -The third plot shows us that the errors are not normally distributed.
- -The fourth plot shows us that there are 8 statistically significant correlations, telling us that it is not independent.
- -The data does not fit the Simple Linear Regression Model.