

## Special Matrices

Identity Matrix :  $AI_n = I_nA \rightarrow I_n$  is identity matrix  
diagonal is 1 and rest elements are 0

eye  $\rightarrow$  returns the scalar 1

eye(m)  $\rightarrow$  returns identity matrix of  $m \times m$

eye(m,n)  $\rightarrow$  returns matrix with main diagonal 1 and rest 0

eye(size(A))  $\rightarrow$  returns identity of matrix of size of A

### o zero matrix

⇒ all elements are equal to zero  
used to save memory and time (decrease computation time)

zeros → returns the scalar 0

zeros(m) → creates the zero matrix of  $m \times n$

### o one's matrix

⇒ all elements having elements equal to 1

ones → returns scalar

ones(m) →  $m \times m$

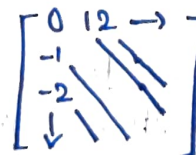
ones(m,n) →  $m \times n$

ones(size(A)) → size of A

### o Diagonal command

diag(A) → returns column vector extract of matrix A  
(for rectangular, for main diagonal)

diag(A,k) →  $k^{\text{th}}$  diagonal (starting from  $(k, \neq j)$ )

 → for values  
of k ... -2, -1, 0, 1, 2...

diag(v) → create a matrix with diagonal vector v  
and rest elements are zero.

### o rot90: rotates the matrix by 90° ANTI CLOCKWISE

$$\begin{bmatrix} 0 & 1 & 2 \\ 3 & & \end{bmatrix} \xrightarrow{\text{rot90}} \begin{bmatrix} 2 & & \\ 1 & 3 & 4 \end{bmatrix}$$

rot90(A,k)

⇒ rotates anticlockwise by  $k \times 90^\circ$  for  $k=1, 2, 3, 4$

⇒ rotates clockwise by  $k \times 90^\circ$  for  $k=-1, -2, -3, -4$

### o flipud(A) → flip columns matrix A from left to right to right to left

$$A = \begin{bmatrix} \overset{1}{\downarrow} & \overset{2}{\downarrow} \\ \vdots & \vdots \end{bmatrix} = \begin{bmatrix} \overset{2}{\downarrow} & \overset{1}{\downarrow} \\ \vdots & \vdots \end{bmatrix}$$

↑ mirrored

- $\text{flip ud}(A) \rightarrow$  rows flipped up-down to down-up

$$\begin{matrix} \curvearrowright \\ \curvearrowleft \end{matrix} \begin{bmatrix} \boxed{\phantom{0}}^1 \\ \boxed{\phantom{0}}_2 \end{bmatrix} = - \begin{bmatrix} \boxed{\phantom{0}}^2 \\ \text{---} \\ \boxed{\phantom{0}}_1 \end{bmatrix} \text{ - mirrored}$$

$\text{flip lr}(A) \rightarrow$  columns

$\text{flip ud}(A) \rightarrow$  rows

- $\text{tril}(A) \rightarrow$  returns lower triangle including main diag  
 $\text{tril}(A, k) \rightarrow$  returns lower triangle including  $k^{\text{th}}$  diag ( $k = \dots, -1, 0, 1, \dots$ )
- $\text{triu}(A) \rightarrow$  returns upper triangular including main diag  
 $\text{triu}(A, k) \rightarrow$  returns upper triangular including  $k^{\text{th}}$  diag ( $k = \dots, -1, 0, 1, \dots$ )