# CS663 Assignment-3

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# Question 1

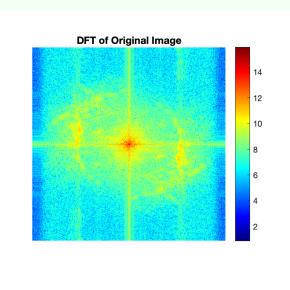
### Solution

Note: All the Fourier Transform and Frequency Response figures are shown in logarithm absolute format.

### Original Image







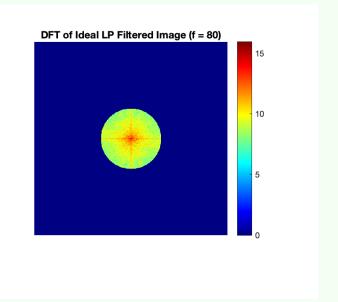
(b) Fourier Transform of Original Image

# **Ideal Low Pass Filter** Cutoff Frequency = 40DFT of Ideal LP Filtered Image (f = 40) Ideal LP Filtered Image (f = 40) 10 (a) Filtered Image (b) Fourier Transform of Filtered Image Ideal Low Pass Filter (f = 40) 0.6 0.5 0.4 0.3 0.2 0.1

Figure 3: Frequency Response of Filter

### Cutoff Frequency = 80





(a) Filtered Image

(b) Fourier Transform of Filtered Image

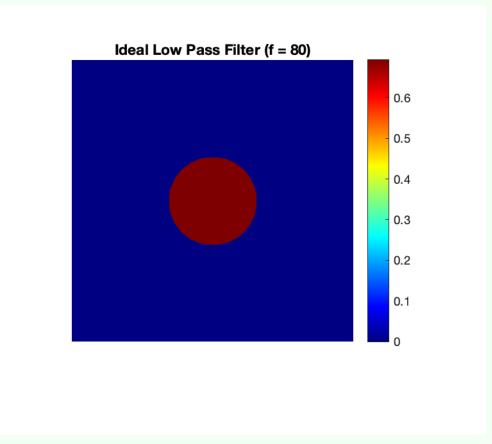


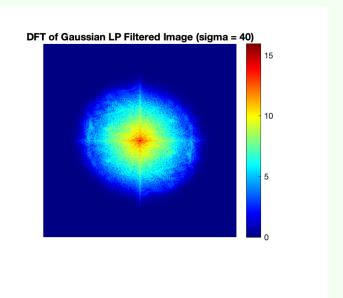
Figure 5: Frequency Response of Filter

## Gaussian Low Pass Filter

Sigma = 40

## Gaussian LP Filtered Image (sigma = 40)





(a) Filtered Image

(b) Fourier Transform of Filtered Image

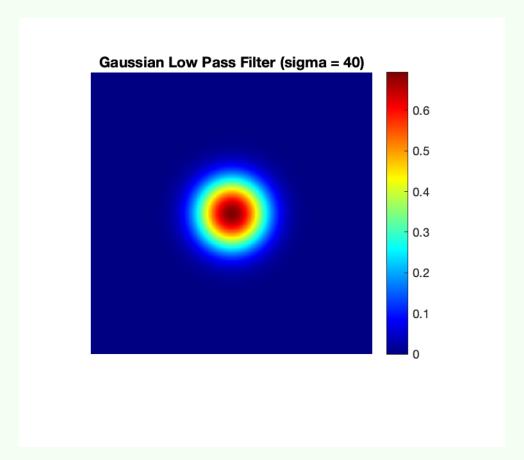
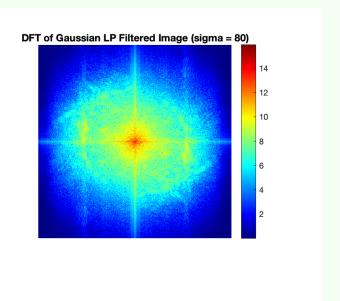


Figure 7: Frequency Response of Filter

Sigma = 80







(a) Filtered Image

(b) Fourier Transform of Filtered Image

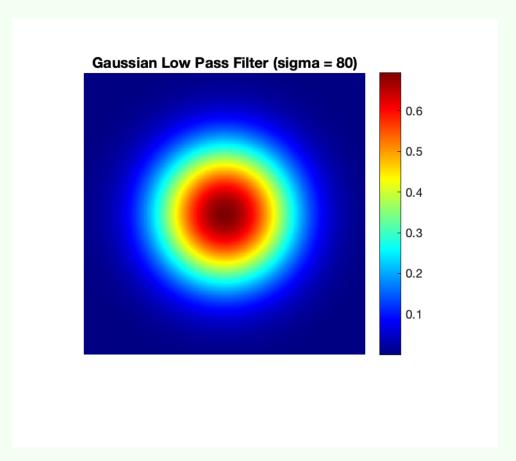


Figure 9: Frequency Response of Filter

#### Observations

- From the obtained results we can easily see that as the cut-off frequency (for ideal low pass filter) / sigma (for Gaussian low pass filter) is increased, the higher frequency components which correspond to finer details in the image start becoming clearly visible.
- Also we can see that for ideal low pass filter there is a presence of **ringing artifacts** that appear as spurious signals near sharp transitions in the images. These ringing artifacts are quite undesirable and are a result of the complete elimination of high frequencies higher than the cut-off frequency by the ideal low pass filter.

• When a Gaussian low pass filter is used these ringing artifacts are absent. This is because the Gaussian low pass filter does not completely eliminate the higher frequencies and rather weakens them.