Summary in Graph

## Exam Summary (GO Classes CS Test Series 2025 | Engineering Mathematics | Subject Wise 1)

0 0 Qs. Attempted: **Correct Marks:** 0 + 00 + 00 0 **Correct Attempts: Penalty Marks:** Incorrect 0 0 **Resultant Marks:** Attempts: 0 + 00 + 0

Total Questions:

50
10 + 40

Exam Duration:
90 Minutes

Time Taken:
0 Minutes

EXAM RESPONSE EXAM STATS FEEDBACK

## **Technical**

Q #1 Multiple Select Type Award: 1 Penalty: 0 Mathematical Logic

Which of the following statements are true? Note that more than one statement may be true. You should indicate all the true statements.

- A. Eigen values can never be zero.
- B. Eigen vectors can never be the zero vector.
- C. If  $\vec{x}$  is an eigen vector of a matrix A, then  $2\vec{x}$  is also an eigen vector of A.
- D. The maximum possible rank of  $5 \times 7$  matrix is 5.

Your Answer: Correct Answer: B;C;D Not Attempted Time taken: 00min 00sec Discuss

Q #2 Numerical Type Award: 1 Penalty: 0 Engineering Mathematics

If  $\det \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix} = 3$ , what is  $\det \begin{bmatrix} a_{31} & a_{32} & a_{33} \\ 2a_{21} & 2a_{22} & 2a_{23} \\ a_{11} & a_{12} & a_{13} \end{bmatrix}$ ?

Your Answer: Correct Answer: -6 Not Attempted Time taken: 00min 00sec Discuss

Let 
$$\mathbf{u}=egin{bmatrix} 4 \\ 1 \\ 3 \end{bmatrix}$$
 ,  $\mathbf{v}=egin{bmatrix} 2 \\ 5 \\ -1 \end{bmatrix}$  , and  $\mathbf{w}=egin{bmatrix} -4 \\ 17 \\ -13 \end{bmatrix}$  .

It can shown that  $3\mathbf{u} - 4\mathbf{v} + \mathbf{w} = \mathbf{0}$ . Use this fact to find a solution to the system  $A\mathbf{x} = \mathbf{b}$  where

$$A = egin{bmatrix} 2 & 4 \ 5 & 1 \ -1 & 3 \end{bmatrix}, \quad \mathbf{x} = egin{bmatrix} x_1 \ x_2 \end{bmatrix}, \quad ext{and } \mathbf{b} = egin{bmatrix} -4 \ 17 \ -13 \end{bmatrix}$$

A. 
$$\mathbf{x} = \left[ egin{array}{c} 3 \ -4 \end{array} 
ight]$$

B. 
$$\mathbf{x} = \begin{bmatrix} -4 \\ 3 \end{bmatrix}$$

C. 
$$\mathbf{x} = \begin{bmatrix} 4 \\ -3 \end{bmatrix}$$

D. 
$$\mathbf{x} = \begin{bmatrix} -3 \\ 4 \end{bmatrix}$$

Your Answer: Correct Answer: C Not Attempted Time taken: 00min 00sec Discuss

## Q #4 Multiple Select Type Award: 1 Penalty: 0 Engineering Mathematics

A,B and C are arbitrary, non-singular matrices.  $\det \left(A^TB\right)$  must equal which of the following? A.  $\det(A)\det(B)$ 

B. 
$$\frac{\det(B)}{\det(A)}$$

C. 
$$\det(A^{-1})\det(B)$$

D. 
$$\frac{\det(B)}{\det(A^{-1})}$$

Your Answer: Correct Answer: A;D Not Attempted Time taken: 00min 00sec Discuss

Which of the following vectors are eigenvectors of the matrix:  $\begin{bmatrix} 1 & 3 & 6 \\ 2 & 1 & 4 \\ 1 & 0 & 3 \end{bmatrix}$ 

A. 
$$\begin{bmatrix} 1 \\ 3 \\ -2 \end{bmatrix}$$

B. 
$$\begin{bmatrix} -2 \\ -2 \\ 1 \end{bmatrix}$$

C. 
$$\begin{bmatrix} 0 \\ 1 \\ -5 \end{bmatrix}$$

D. None of these

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Q #6 Multiple Choice Type Award: 1 Penalty: 0.33 Engineering Mathematics

A sequence of independent experiments is conducted. Each experiment succeeds with probability p, fails with probability q, and has a neutral outcome with probability 1-p-q. The sequence terminates as soon as some experiment succeeds or fails. Let X be the number of experiments conducted. Let S be the event that the outcome of the last experiment is a success. What is the conditional expectation of X given S?

- A. p/(p+q)
- B. q/(p+q)
- C. 1/(p+q)
- D. pq/(p+q)

Your Answer: C Not Attempted Time taken: 00min 00sec Discuss

Q #7 Numerical Type Award: 1 Penalty: 0 Engineering Mathematics

Landon is 80% sure he forgot his textbook either at the Union or in Monteith. He is 40% sure that the book is at the union, and 40% sure that it is in Monteith. Given that Landon already went to Monteith and noticed his textbook is not there, what is the probability that it is at the Union (round off to two decimal places)?

Your Answer: Correct Answer: 0.67 Not Attempted Time taken: 00min 00sec Discuss

Q #8 Multiple Choice Type Award: 1 Penalty: 0.33 Probability

Let X be a random variable with the density function:

 $f(x) = \left\{egin{array}{ll} 3x^2 & 0 \leq x \leq 1 \ 0 & ext{else} \end{array}
ight.$ 

Find the density function  $f_Y(y)$  of  $Y=X^2$ .

A.  $f_Y(y) = egin{cases} rac{3}{2}\sqrt{y} & 0 < y < 1 \ 0 & ext{else} \end{cases}$ 

B.  $f_Y(y) = \left\{ egin{array}{ll} 3\sqrt{y} & 0 < y < 1 \ 0 & ext{else} \end{array} 
ight.$ 

C.  $f_Y(y) = \left\{egin{array}{ll} rac{3}{2y} & 0 < y < 1 \ 0 & ext{else} \end{array}
ight.$ 

D.  $f_Y(y) = egin{cases} rac{3}{2}y^2 & 0 < y < 1 \ 0 & ext{else} \end{cases}$ 

Your Answer:

**Correct Answer: A** 

**Not Attempted** 

Time taken: 00min 00sec

Q #9

**Multiple Choice Type** 

Award: 1

Penalty: 0.33

**Mathematical Logic** 

What does the following limit evaluate to?

$$\lim_{t o 0}rac{\sin t-t}{t^3}$$

- A. -1/6
- B. 1/6
- C. -1/3
- D. 1/3

Your Answer:

**Correct Answer: A** 

**Not Attempted** 

Time taken: 00min 00sec

Discuss

**Numerical Type** 

Award: 1

Penalty: 0

**Engineering Mathematics** 

Suppose that f is continuous and differentiable on the interval [1,6]. Also suppose that f(1)=-8 and  $f'(x) \leq 4$  for all x in the interval [1,6]. What is the largest possible value for f(6)?

**Your Answer:** 

**Correct Answer: 12** 

**Not Attempted** 

Time taken: 00min 00sec

Discuss

Q #11

**Multiple Choice Type** 

Award: 2

Penalty: 0.67

**Engineering Mathematics** 

Let a, b be in  $\mathbb{R}$ . Consider the three vectors

$$m{v}_1 = egin{bmatrix} a \ 0 \ 0 \end{bmatrix}, \quad m{v}_2 = egin{bmatrix} 0 \ b \ 1 \end{bmatrix}, \quad m{v}_3 = egin{bmatrix} 0 \ 1 \ 1 \end{bmatrix}.$$

For which values of a and b are  $v_1, v_2, v_3$  independent?

- A. a=0 and b=1
- B. a 
  eq 0 and b 
  eq 1
- C. a=0 and b 
  eq 1
- D. a 
  eq 0 and b=1

**Your Answer:** 

**Correct Answer: B** 

**Not Attempted** 

Time taken: 00min 00sec

Q #12

**Multiple Choice Type** 

Award: 2

Penalty: 0.67

**Engineering Mathematics** 

S1: A set of two vectors in  $\mathbb{R}^n$  is Linealy dependent if at least one vector is a multiple of the other.

S2: A set of n vectors in  $\mathbb{R}^n$  is Linealy independent if and only if none of the vectors are a multiple of any other vector.

- A. S1 and S2 both are correct
- B. S1 is correct and S2 is incorrect

- C. S2 is correct and S1 is incorrect
- D. S1 and S2 both are incorrect

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Q #13 Multiple Select Type Award: 2 Penalty: 0 Engineering Mathematics

Suppose A is 3 by 4, and Ax=0 has all solutions in the following form -

$$\mathbf{x} = \mathbf{s} egin{bmatrix} 1 \ 1 \ 1 \ 0 \end{bmatrix} + \mathbf{t} egin{bmatrix} -2 \ -1 \ 0 \ 1 \end{bmatrix}$$

We do some unknown elementary row transformations on A and get the following matrix R -

$$R = egin{bmatrix} 1 & 0 & ext{a} & ext{b} \ 0 & 1 & ext{c} & ext{d} \ 0 & 0 & 0 & 0 \end{bmatrix}$$

What will be the values of a, b, c, and d?

A. a = -1

B. b = 2

C. c = -1

 $\mathsf{D}.\,d=1$ 

Your Answer: Correct Answer: A;B;C;D Not Attempted Time taken: 00min 00sec Discuss

Q #14 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

Consider the vectors  $\mathbf{u}=\begin{bmatrix}1\\1\end{bmatrix}$  ,  $\mathbf{v}=\begin{bmatrix}1\\c^2\end{bmatrix}$  ,  $\mathbf{b}=\begin{bmatrix}1\\c\end{bmatrix}$  , where c is a constant.

Consider two statements.

S1: c=1 is the ONLY possibility where b is a linear combination of u and v.

 $\mathrm{S2}:\ c=-1$  is the ONLY possibility where b is NOT a linear combination of u and v.

Which of the following is/are true?

A. S1 is correct but S2 is incorrect

- B. S1 is incorrect but S2 is correct
- C. Both are correct
- D. Both are incorrect

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Multiple Select Type

Award: 2

Penalty: 0

Engineering Mathematics

Which of the following is/are TRUE?

A. Suppose an  $m \times n$  matrix A has n pivot columns. Then for each  $\mathbf{b} \in \mathbb{R}^m$ , the equation  $A\mathbf{x} = \mathbf{b}$  has at most one solution.

B. Suppose Ax=b has the solution, the solution unique solution if and only if Ax=0 has unique solution.

C. If A is an  $m \times n$  matrix and Ax = 0 has a unique solution, then Ax = b is consistent for every b in  $\mathbf{R}^m$ .

D. If for some matrix A, and some vectors x and b, we have Ax = b, then b is linear combination of columns of A.

Your Answer: Correct Answer: A;B;D Not Attempted Time taken: 00min 00sec Discuss

Q #16 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

Consider the matrices A and R given below.

$$A = egin{bmatrix} 1 & 2 & 1 & b \ 2 & a & 1 & 8 \ \star & \star & \star & \star \end{bmatrix}, \quad R = egin{bmatrix} 1 & 2 & 0 & 3 \ 0 & 0 & 1 & 2 \ 0 & 0 & 0 & 0 \end{bmatrix}$$

Suppose we get R after performing some unknown elementary row operations on A. What will be the value of a and b?

- A. a = 2, b = 5
- B. a = 0, b = 3
- C. a = 4, b = 5
- D. None of these

Your Answer: C Not Attempted Time taken: 00min 07sec Discuss

Q #17 Multiple Select Type Award: 2 Penalty: 0 Engineering Mathematics

If the characteristic polynomial of A is  $=\lambda^2(\lambda-3)^4$ , then the  $\mathrm{rank}(A)$  could be

B.4

A.3

C.5

D.6

Your Answer: Correct Answer: B;C Not Attempted Time taken: 00min 00sec Discuss

Q #18 Multiple Select Type Award: 2 Penalty: 0 Engineering Mathematics

Which of the following is/are FALSE?

A.Let A be an  $m \times n$  matrix, and assume that the matrix A has a pivot in every column. Additionally, assume  $A\vec{v}=A\vec{w}$  for some vectors  $\vec{v},\vec{w}\in\mathbb{R}^n$ .

Then  $\vec{v} = \vec{w}$ .

B.If A and B are both invertible  $n \times n$  matrices, then AB is invertible.

C.Let A be an m imes n matrix. Then, the homogeneous equation  $A ec{x} = \overrightarrow{0}$  is consistent

if and only if the augmented matrix  $\begin{bmatrix} A \mid \overrightarrow{0} \end{bmatrix}$  has a pivot in every row.

D.Let A be a  $3 \times 2$  matrix and B a  $2 \times 3$  matrix. Then the determinant of AB MUST be zero.

Your Answer: C Not Attempted Time taken: 00min 00sec Discuss

Q #19 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

Which one of the following statements is NOT correct?

A.An eigenvalue of A is a scalar  $\lambda$  such that  $A - \lambda I$  is not invertible.

B.An eigenvalue of A is a scalar  $\lambda$  such that  $(A - \lambda I)v = 0$  has a solution.

C.An eigenvalue of A is a scalar  $\lambda$  such that  $Av = \lambda v$  for a nonzero vector v.

D.An eigenvalue of A is a scalar  $\lambda$  such that  $\det(A-\lambda I)=0$ .

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Q #20 Multiple Select Type Award: 2 Penalty: 0 Engineering Mathematics

Let A be  $n \times n$  matrix with real coefficients. Which of the following is/are true? A.A must have an even number of non-real eigenvalues.

B.If  $v_1,v_2\in\mathbb{R}^n$  are eigenvectors of A with different eigenvalues  $\lambda_1\neq\lambda_2$ , then  $v_1$  and  $v_2$  are linearly independent.

C.If  $v_1,v_2\in\mathbb{R}^n$  are eigenvectors of A with different eigenvalues  $\lambda_1\neq\lambda_2$ , then  $v_1$  and  $v_2$  are orthogonal.

D.The eigenvalues of AB are the product of the eigenvalues of A and B.

Your Answer: Correct Answer: A;B Not Attempted Time taken: 00min 00sec Discuss

Q #21 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

It is known that  $m{A}\in\mathbb{R}^{3 imes 3}$  has eigenvalues  $\lambda_1=0,\lambda_2=1,\lambda_3=2.$  Which of the following is true?

A.Linear system Ax=b always has solution for any b

B.Linear system Ax=b has solution for some b 
eq 0

C.Linear system Ax=b can not have solution for any non zero b

D.Linear system Ax = b has solution iff b = 0.

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Q #22 Multiple Select Type Award: 2 Penalty: 0 Engineering Mathematics

For any real numbers a,b,c, let  $A=\begin{bmatrix}1&a&b\\-a&1&c\\-b&-c&1\end{bmatrix}$  and let  $B=\begin{bmatrix}0&a&b\\-a&0&c\\-b&-c&0\end{bmatrix}$  . Which of the following

is/are true?

A.A is invertible for all values of a, b, c.

B.B is not invertible for any values of a, b, c.

C.B is invertible for all values of a, b, c.

D.A is not invertible for any values of a, b, c.

**Correct Answer: A;B** Time taken: 00min 00sec **Your Answer: Not Attempted** Discuss

**Multiple Select Type** Award: 2 Penalty: 0 **Engineering Mathematics** 

Let A be an  $m \times n$  matrix and  $\mathbf{b}$  be a vector in  $\mathbb{R}^m$ . Which of the following statements implies that the matrix equation Ax = b is consistent?

A. Every row of A contains a pivot position.

 $\operatorname{B.rank} A = n.$ 

 $\mathsf{C}.m = n$  and A is invertible.

D.\$m

Time taken: 00min 00sec Correct Answer: A;C **Not Attempted** Discuss **Your Answer:** 

Award: 2 Penalty: 0 **Engineering Mathematics** Multiple Select Type

Let A be a 12 imes 9 matrix (i.e., A has 12 rows and 9 columns) and b be a vector in  $\mathbb{R}^{12}$ . We know that the matrix equation  $A\mathbf{x} = \mathbf{b}$  has infinitely many solutions. Which of the following statements are false? A.b can be written as a linear combination of the columns of A.

B.Every row of A has a pivot position.

C.The columns of A are linearly dependent.

 $\operatorname{D.rank} A \geq 9.$ 

**Your Answer: Correct Answer: B;D Not Attempted** Time taken: 00min 00sec Discuss

Q #25 **Engineering Mathematics Numerical Type** Award: 2 Penalty: 0

Let A be 5 imes 4 matrix. If all solutions of Ax = 0 are scalar multiple of one nonzero vector then what will be the rank of A?

**Correct Answer: 3 Not Attempted Your Answer:** Time taken: 00min 00sec **Discuss** 

Q #26 **Numerical Type** Award: 2 Penalty: 0 **Engineering Mathematics**  Let X and Y be independent random variables with  $E[X]=1, {\rm Var}(X)=3$ , E[Y]=1, and  ${\rm Var}(Y)=2$ . What is  $E[(X+Y)^{\wedge}2]$  ?

Your Answer: Correct Answer: 9 Not Attempted Time taken: 00min 00sec Discuss

Q #27 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

Suppose you are taking a multiple-choice test with c choices for each question. In answering a question on this test, the probability that you know the answer is p. If you don't know the answer, you choose one at random. What is the probability that you knew the answer to a question, given that you answered it correctly?

A. pB.  $\frac{p}{p/c+1-p}$ C.  $\frac{p}{p+(1-p)/c}$ D.  $\frac{p}{1-p}$ 

Your Answer: C Not Attempted Time taken: 00min 00sec Discuss

Q #28 Multiple Choice Type Award: 2 Penalty: 0.67 Engineering Mathematics

Suppose that buses are scheduled to arrive at a bus stop at noon but are always X minutes late, where X is an exponential random variable with probability density function  $f_X(x) = \lambda \mathrm{e}^{-\lambda x}$ . Suppose that you arrive at the bus stop precisely at noon. Suppose that you have already waiting for 10 minutes. Compute the probability that you have to wait an additional five minutes or more.

- A.  $e^{-15\lambda}$
- B.  $e^{-5\lambda}$
- C.  $e^{-10\lambda}$
- D. None of the above

Your Answer: Correct Answer: B Not Attempted Time taken: 00min 00sec Discuss

Q #29 Multiple Select Type Award: 2 Penalty: 0 Probability

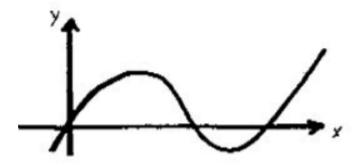
In n+m independent Bernoulli (p) trials, let  $S_n$  be the number of successes in the first n trials and  $T_m$  the number of successes in the last m trials. Then which of the following statement(s) is/are true?

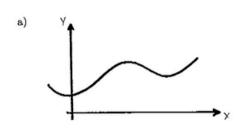
- A. The distribution of  $S_n$  is Binomial.
- B. The distribution of  $T_n$  is Binomial.
- C. The distribution of  $S_n + T_n$  is not Binomial.
- D.  $S_n$  and  $T_n$  are dependent.

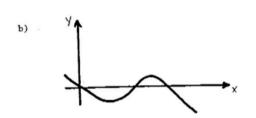
Your Answer: Correct Answer: A;B Not Attempted Time taken: 00min 00sec Discuss

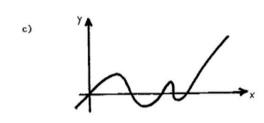
Q #30 Multiple Choice Type Award: 2 Penalty: 0.67 Mathematical Logic

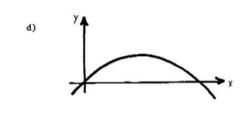
If the graph of f'(x) is shown below, then which of the following could be the graph of f(x) ?











Your Answer: Correct Answer: A Not Attempted Time taken: 00min 00sec Discuss

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